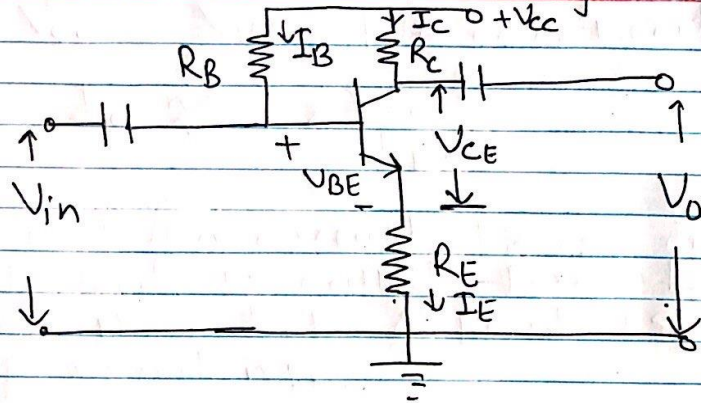


Transistor Biasing Methods continue.....

-

2) Emitter feedback biasing method:-



→ Used to reduce the instability of Q point due to β variations. Idea used is, R_E is connected at emitter to offset the instability of Q point due to β change.

Applying KVL at I/P

$$V_{CC} = I_B R_B + V_{BE} + I_E R_E$$

$$\therefore V_{CC} = I_B R_B + V_{BE} + (\beta + 1) I_B R_E \quad [I_E = (\beta + 1) I_B]$$

$$\therefore I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1) R_E}$$

$$\therefore I_C = \beta I_B$$

[only difference between fixed bias & this is term $(\beta + 1) R_E$.]

Applying KVL at O/P

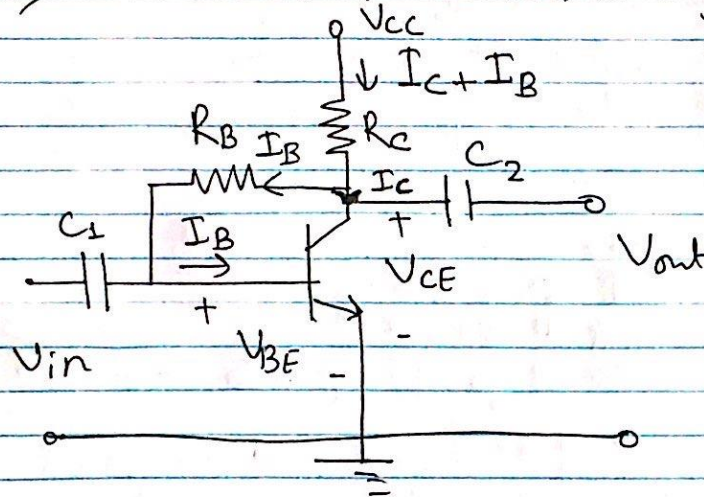
$$V_{CC} = I_C R_C + V_{CE} + I_E R_E$$

$$\therefore V_{CC} = I_C (R_C + R_E) + V_{CE} \quad [I_C \approx I_E]$$

\therefore

$$\therefore I_C = \frac{V_{CC} - V_{CE}}{(R_C + R_E)}$$

3) Collector feedback biasing method.



Applying KVL at O/P.

$$\approx V_{CC} - (I_C + I_B)R_C +$$

$$V_{CE} \approx$$

$$\therefore V_{CE} = V_{CC} - I_C R_C$$

→ Better than emitter feedback biasing.

→ Like fixed bias except that the base resistor R_B is returned to the collector terminal instead of supply V_{CC} .

→ If I_C tends to increase, V_{CE} decreases due to larger voltage drop across R_C . The result I_B is reduced, the reduced base current in turn reduces the original increase in I_C .

Applying KVL at I/P.

$$V_{CC} = (I_B + I_C)R_C + I_B R_B + V_{BE}$$

$$\therefore I_B = \frac{V_{CC} - V_{BE}}{(\beta + 1)R_C + R_B}$$

4) Voltage divider Biasing.

- Most widely used, enables operation of transistor independent with β .
- For this method we can find zero signal collector current and collector-emitter voltage using thevenin's method or approximate method.

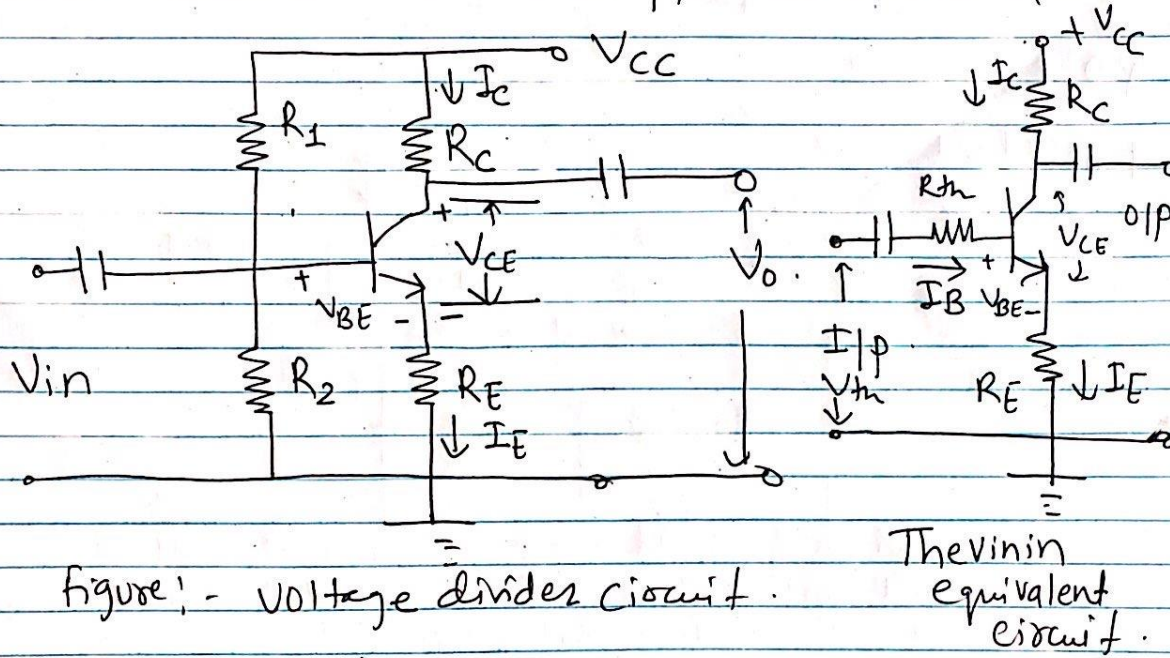
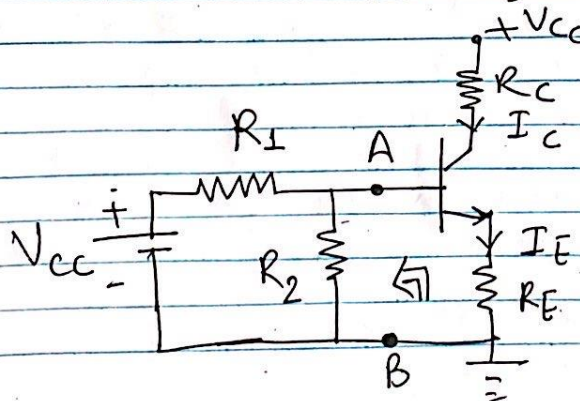


Figure: - Voltage divider circuit.

Thevenin equivalent circuit.

can be drawn as.



Here,

$$R_{th} = R_1 \parallel R_2$$

$$= \frac{R_1 \times R_2}{R_1 + R_2}$$

$$V_{th} = V_{AB} = \frac{V_{CC} \times R_2}{R_1 + R_2}$$

Applying KVL at I/P

$$V_{in} = I_B R_{in} + V_{BE} + I_E R_E$$

$$\therefore I_B = \frac{V_{in} - V_{BE}}{R_{in} + R_E(\beta + 1)}$$

$$\therefore I_C = \beta I_B$$

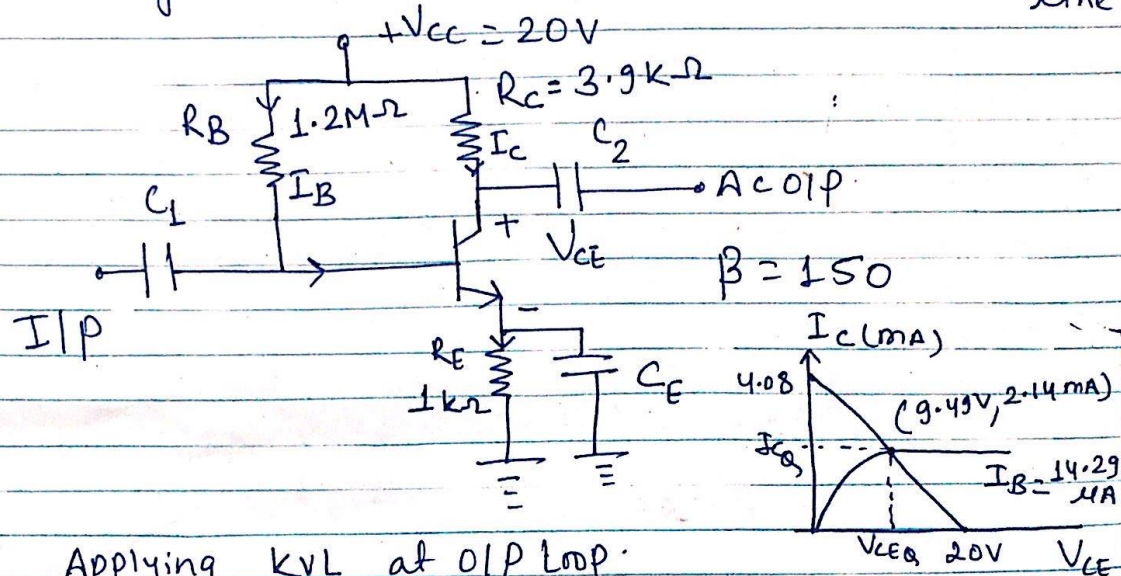
Now,

Applying KVL at O/P loop.

$$V_{CC} = I_C R_C + V_{CE} + I_E R_E$$

$$\therefore V_{CE} = V_{CC} - I_C(R_C + R_E) \quad [\because I_C \approx I_E]$$

for given circuit determine Q point & load line.



Applying KVL at O/P Loop.

$$\textcircled{1} \quad V_{CC} = I_C R_C + V_{CE} + I_E R_E \quad [I_C \approx I_E]$$

When, $I_C = 0$, $V_{CC} = V_{CE\text{max}} = 20\text{V}$

$$\text{When, } V_{CE} = 0, I_{C\text{max}} = \frac{V_{CC}}{R_C + R_E} = 4.08\text{mA}$$

For Q point, Applying KVL at I/P Loop,

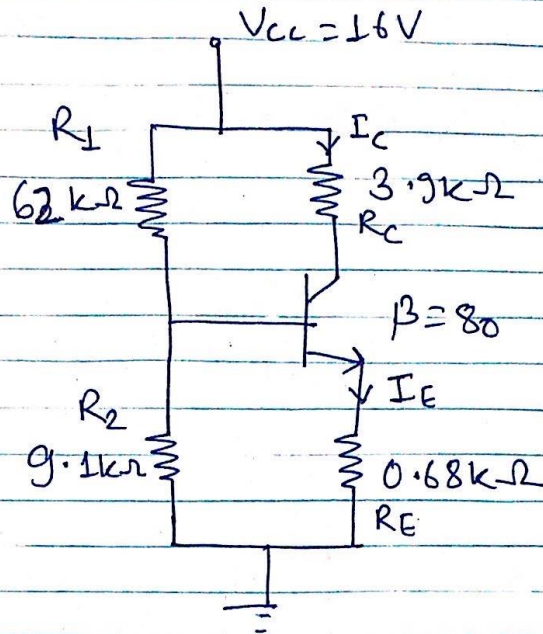
$$V_{CC} = I_B R_B + V_{BE} + I_E R_E$$

$$V_{CC} = \frac{I_C}{\beta} R_B + 0.7 + I_C R_E$$

$$I_{CQ} = \frac{20 - 0.7}{\left(\frac{1.2\text{M}\Omega}{150} + 1\text{k}\Omega\right)} = 2.144\text{mA}$$

Now from $\textcircled{1}$ calculate $V_{CEQ} = 9.49\text{V}$

Draw load line & find Q point for given circuit.

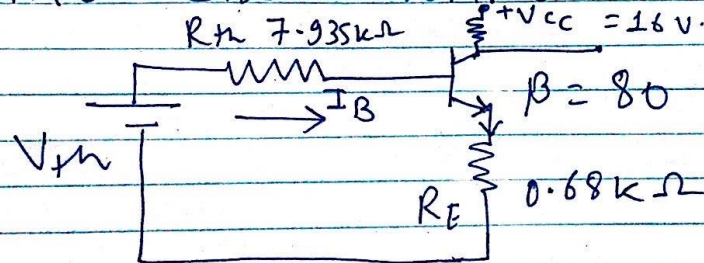


Here, converting into thevenin's circuit,

$$R_{th} = \frac{R_1 \times R_2}{R_1 + R_2} \quad (R_1 || R_2) = \frac{62 \times 9.1}{62 + 9.1} = 7.935 k\Omega$$

$$V_{th} = \frac{R_2}{R_1 + R_2} \times V_{CC} = \frac{9.1}{62 + 9.1} \times 16 = 2.048 V$$

The circuit will redrawn as,



Applying KVL at O/P.

$$V_{CC} = I_C R_C + V_{CE} + I_E R_E \quad (I_C \approx I_E)$$

① $I_C = 0, V_{CC} = V_{CE \max} = 16V$

② $V_{CE} = 0, I_{C \max} = \frac{V_{CC}}{(R_C + R_E)} = \frac{16}{(3.9 + 0.68)} = 3.49 \text{ mA}$

Now, Applying KVL at I/P.

$$V_{in} = I_B R_{in} + V_{BE} + I_E R_E$$

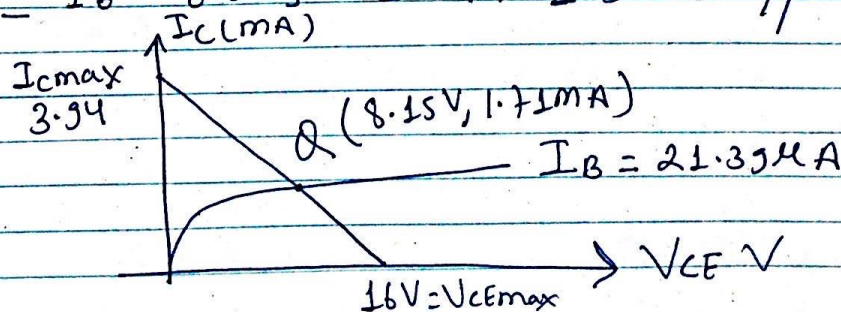
$$I_B = \frac{V_{in} - V_{BE}}{[R_{in} + (1 + \beta)R_E]} = \frac{2.048 - 0.7}{7.935 \times 10^3 + (180 + 1) 0.68 \times 10^3}$$

$$\therefore I_B = 21.392 \mu\text{A}$$

Now, $I_{CQ} = \beta I_B = 80 \times 21.392 \times 10^{-6} = 1.71 \text{ mA}$

$$V_{CEQ} = V_{CC} - I_C R_C - (I_C + I_B) R_E$$

$$= 16 - 1.71 \times 3.9 \text{ k}\Omega - (1.71 + 21.392 \times 10^{-3}) \times 0.68$$
$$= 16 - 6.669 - 1.177 = 8.15 \text{ V}$$



Hybrid π model of a BJT

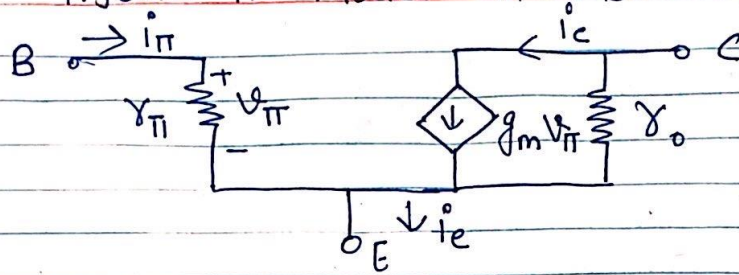


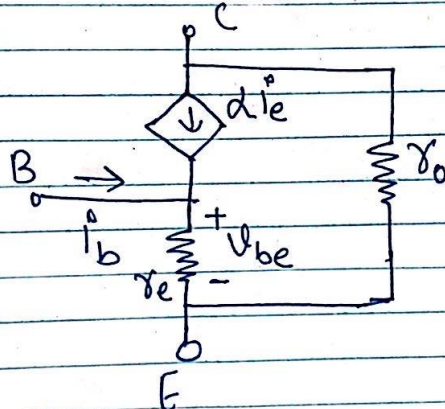
Figure: Simple π model of BJT

B, C and E nodes represent the Base, collector and Emitter respectively. r_{π} is the resistance between B-E junction when looking into base. r_o is the output impedance (resistance), g_m is transconductance.

$$g_m = \frac{i_c}{V_{be}} = \frac{\text{Small signal ac collector current}}{\text{Small signal ac base to emitter voltage}}$$

$$r_{\pi} = \frac{V_{\pi}}{i_{\pi}} = \frac{V_{be}}{\frac{i_c}{\beta}} = \frac{\beta}{g_m} \quad // \quad i_c = g_m V_{be}$$

T-model



$r_e \rightarrow$ Resistance between base & emitter
 $\alpha i_e \rightarrow$ Current controlled current source and equal to i_c .

$$r_e = \frac{V_{be}}{i_b} = \frac{V_{be}}{i_e} = \frac{V_{be}}{\frac{i_c}{\alpha}}$$

$$\text{or } r_e = \frac{\alpha V_{be}}{i_c} = \frac{\alpha}{g_m} //$$

Figure: T-model of BJT

$$\therefore \boxed{r_e = \frac{\alpha}{g_m} //}$$