



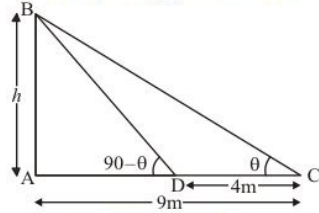
### Some Applications of Trigonometry Ex 12.1 Q67

**Answer :**

Let  $AB$  be tower of height  $h$  m and angle of elevation of the top of tower from two points are  $\theta$  and  $90^\circ - \theta$

Let,  $AB = h$  m and  $AC = 4$  m and  $AD = 9$

The corresponding figure is as follows



So we use trigonometric ratios.

In  $\triangle ABC$ ,

$$\Rightarrow \tan \theta = \frac{AB}{AC}$$

$$\Rightarrow \tan \theta = \frac{h}{4}$$

Again in  $\triangle ABD$ ,

$$\Rightarrow \tan(90 - \theta) = \frac{AB}{AD}$$

$$\Rightarrow \tan \theta = \frac{9}{h}$$

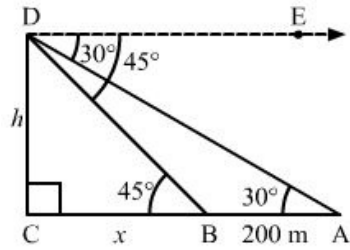
$$\Rightarrow \frac{h}{4} = \frac{9}{h}$$

$$\Rightarrow h = 6$$

Hence the height of tower is **6** m.

### Some Applications of Trigonometry Ex 12.1 Q68

Answer :



Let CD be the the light house and A and B be the positions of the two ships.

$AB = 200$  m (Given)

Suppose  $CD = h$  m and  $BC = x$  m

Now,

$\angle DAC = \angle ADE = 30^\circ$  (Alternate angles)

$\angle DBC = \angle EDB = 45^\circ$  (Alternate angles)

In right  $\triangle BCD$ ,

$$\begin{aligned}\tan 45^\circ &= \frac{CD}{BC} \\ \Rightarrow 1 &= \frac{h}{x} \\ \Rightarrow x &= h \quad \dots\dots (1)\end{aligned}$$

In right  $\triangle ACD$ ,

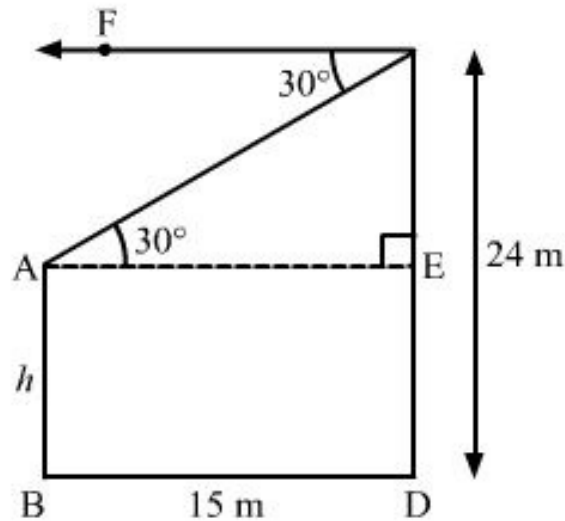
$$\begin{aligned}\tan 30^\circ &= \frac{CD}{AC} \\ \Rightarrow \frac{1}{\sqrt{3}} &= \frac{h}{x+200} \\ \Rightarrow \sqrt{3}h &= x + 200 \quad \dots\dots (2)\end{aligned}$$

From (1) and (2), we get

$$\begin{aligned}\sqrt{3}h &= 200 + h \\ \Rightarrow \sqrt{3}h - h &= 200 \\ \Rightarrow (\sqrt{3} - 1)h &= 200 \\ \Rightarrow h &= \frac{200}{\sqrt{3}-1} \\ \Rightarrow h &= \frac{200(\sqrt{3}+1)}{(\sqrt{3}-1)(\sqrt{3}+1)} \\ \Rightarrow h &= \frac{200(\sqrt{3}+1)}{2} = 100(\sqrt{3} + 1) \text{ m}\end{aligned}$$

Hence, the height of the light house is  $100(\sqrt{3} + 1)$  m.

**Answer :**



Let AB be the first pole and CD be the second pole.

Distance between the two poles,  $BD = 15 \text{ m}$

Height of the second pole,  $CD = 24 \text{ m}$

Suppose the height of the first pole be  $h \text{ m}$ .

Draw  $AE \perp CD$ .

$$\therefore CE = CD - ED = (24 - h) \text{ m} \quad [AB = ED = h \text{ m}]$$

$$AE = BD = 15 \text{ m}$$

$$\text{Now, } \angle CAE = \angle ACF = 30^\circ \quad (\text{Alternate angles})$$

In right  $\triangle ACE$ ,

$$\tan 30^\circ = \frac{CE}{AE}$$

$$\Rightarrow \frac{1}{\sqrt{3}} = \frac{24-h}{15}$$

$$\Rightarrow \frac{15}{\sqrt{3}} = 24 - h$$

$$\Rightarrow h = 24 - 5\sqrt{3}$$

$$\Rightarrow h = 24 - 5 \times 1.732 = 15.34 \text{ m}$$

Hence, the height of the first pole is 15.34 m.

\*\*\*\*\* END \*\*\*\*\*

