

## Factorizations Ex 7.4 Q6

## Answer:

$$x^2 + xy + xz + yz$$
  
=  $(x^2 + xy) + (xz + yz)$  [Grouping the expressions]  
=  $x(x+y) + z(x+y)$   
=  $(x+z)(x+y)$  [Taking  $(x+y)$  as the common factor]  
=  $(x+y)(x+z)$ 

Factorizations Ex 7.4 Q7

## Answer:

$$2ax + bx + 2ay + by$$
  
=  $(2ax + bx) + (2ay + by)$  [Grouping the expressions]  
=  $x(2a + b) + y(2a + b)$   
=  $(x + y)(2a + b)$  [Taking  $(2a + b)$  as the common factor]

Factorizations Ex 7.4 Q8

## Answer:

$$\begin{array}{ll} ab-by-ay+y^2\\ = (ab-ay)+(y^2-by) & [Grouping \ the \ expressions]\\ = a(b-y)+y(y-b)\\ = a(b-y)-y(b-y) & [\because (y-b)=-(b-y)]\\ = (a-y)(b-y) & [Taking \ (b-y) \ as \ the \ common \ factor] \end{array}$$

Factorizations Ex 7.4 Q9

# Answer:

$$egin{aligned} &axy+bcxy-az-bcz\ &=(axy+bcxy)-(az+bcz) & [Grouping\ the\ expressions]\ &=xy(a+bc)-z(a+bc)\ &=(xy-z)(a+bc) & [Taking\ (a+bc)\ as\ the\ common\ factor] \end{aligned}$$

Factorizations Ex 7.4 Q10

#### Answer:

$$egin{aligned} lm^2 - mn^2 - lm + n^2 &= ig( lm^2 - lm ig) + ig( n^2 - mn^2 ig) & [Regrouping \ the \ expressions ig] \ &= lm ig( m-1 ig) + n^2 ig( 1-m ig) \ &= lm ig( m-1 ig) - n^2 ig( m-1 ig) & [\because ig( 1-m ig) = - ig( m-1 ig) ig] \ &= ig( lm - n^2 ig) ig( m-1 ig) \end{aligned}$$

[Taking (m-1) as the common factor]

\*\*\*\*\*\*\*\*\*\* END \*\*\*\*\*\*\*