

## Permutations Ex 16.3 Q23

Let,  $\mathbf{w}_1$ ,  $\mathbf{w}_2$ ,  $\mathbf{w}_3$  and  $\mathbf{w}_4$  be 4 words, where  $\mathbf{w}_1$ ,  $\mathbf{w}_2$  have 3 volumes each and  $\mathbf{w}_3$ ,  $\mathbf{w}_4$  have 2 volume each.

These 4 works can be arranged in 4! ways.

Now.

volumes of  $w_1$  can be arranged in 3! ways. volumes of  $w_2$  can be arranged in 3! ways. volumes of  $w_3$  can be arranged in 2! ways. And volumes of  $w_4$  can be arranged in 2! ways

.. Total number of ways to arrange all books = 4!(3!×3!×2!×2!) = 24×6×6×2×2 = 3456.

## Permutations Ex 16.3 Q24

There are 6 items in column A and 6 items in column B.

Now,

Each answer to the given question is an arrangement of the 6 items of column B keeping the order of items in column A fixed.

Hence, the total number of answers

= Number of arrangements of 6 items in column B

$$= \frac{6}{6}$$

$$= \frac{6!}{(6-6)!}$$

$$= \frac{6!}{0!}$$

$$= 6 \times 5 \times 4 \times 3 \times 2 \times 1 \qquad [\because 0! = 1]$$

$$= 720$$

## Permutations Ex 16.3 Q25

Total number of digits = 10

Total number of 3 digit numbers =  $\frac{10}{P}$ 

But these arrangements also include those numbers which have 0 at hundred's place, such numbers are not 3-digit numbers.

When 0 is fixed at hundred's place, we have to arrange remaining 9 digits by taking 2 at a time.

The number of such arrangements is  $\frac{9}{2}$ .

So, the total of numbers having 0 at hundred's place =  $\frac{9}{2}$ 

Hence, total number of 3 digit numbers which distinct =  $\begin{pmatrix} 10 & 9 \\ P & -P \\ 3 & 2 \end{pmatrix}$ 

$$= \frac{10!}{(10-3)!} - \frac{9!}{(9-2)!}$$

$$= \frac{10!}{7!} - \frac{9!}{7!}$$

$$= \frac{10 \times 9 \times 8 \times 7!}{7!} - \frac{9 \times 8 \times 7!}{7!}$$

= 648.

= 720 - 72

The first two digits of telephone is 35 and no digit appears more than once.

 $\therefore$  Total number of remaining digits = 10 - 2 = 8 And, Total number of remaining digits of telephone number = 6 - 2 = 4.

 $\therefore \text{ Required number of telephone numbers} = \frac{8!}{4}$   $= \frac{8!}{(8-4)!}$   $= \frac{8!}{4!}$   $= \frac{8 \times 7 \times 6 \times 5 \times 4!}{4!}$  = 1680

\*\*\*\*\*\*\* END \*\*\*\*\*\*\*