



Properties of Triangles Ex 15.2 Q12

Answer :

Let each of the two acute angles of the given triangle be x .

We know that the third angle is 90° . (Given)

We also know that the sum of all the three angles of a triangle is equal to 180° .

Which means : $x + x + 90^\circ = 180^\circ$

$$\Rightarrow 2x = 180^\circ - 90^\circ$$

$$\Rightarrow x = \frac{90^\circ}{2}$$

$$\Rightarrow x = 45^\circ$$

Hence, we can conclude that each of the two acute angles is equal to 45° .

Properties of Triangles Ex 15.2 Q13

Answer :

Let the three angles of the given triangle be $\angle a$, $\angle b$ and $\angle c$.

We know : $\angle a > \angle b + \angle c$ (i) (Given)

We also know that the sum of all the angles of a triangle is equal to 180° .

$$\therefore \angle a + \angle b + \angle c = 180^\circ$$

$$\Rightarrow \angle b + \angle c = 180^\circ - \angle a$$

Putting the value of $\angle b + \angle c$ from equation (i) :

$$\angle a > 180^\circ - \angle a$$

$$\Rightarrow 2\angle a > 180^\circ$$

$$\Rightarrow \angle a > 90^\circ$$

Thus, the angle is more than 90° .

Hence, we can conclude by saying that the given triangle is an obtuse triangle.

Properties of Triangles Ex 15.2 Q14

Answer :

We have to find $\angle FAB + \angle ABC + \angle BCD + \angle CDE + \angle DEF + \angle EFA$ (i)

From the figure, we have :

$$\angle FAB = \angle FAE + \angle EAD + \angle DAC + \angle CAB$$

$$\angle BCD = \angle ACB + \angle ACD$$

$$\angle CDE = \angle ADC + \angle ADE$$

$$\angle DEF = \angle AED + \angle AEF$$

Putting the values of $\angle FAB, \angle BCD, \angle CDE, \angle DEF$ in equation (i) :

$$(\angle FAE + \angle EAD + \angle DAC + \angle CAB) + \angle ABC + (\angle ACB + \angle ACD) +$$

$$(\angle ADC + \angle ADE) + (\angle AED + \angle AEF) + \angle EFA$$

$$\Rightarrow (\angle ABC + \angle ACB + \angle CAB) + (\angle FAE + \angle AEF + \angle EFA) +$$

$$(\angle FAE + \angle AEF + \angle EFA) + (\angle ADC + \angle ACD + \angle DAC) \text{(ii)}$$

We know that the sum of the three angles of a triangle is equal to 180° .

Hence we can say the following :

$$\angle ABC + \angle ACB + \angle CAB = 180^\circ (\text{angles of } \triangle ABC)$$

$$\angle FAE + \angle AEF + \angle EFA = 180^\circ (\text{angles of } \triangle AFE)$$

$$\angle AED + \angle ADE + \angle EAD = 180^\circ (\text{angles of } \triangle AED)$$

$$\angle ADC + \angle ACD + \angle DAC = 180^\circ (\text{angles of } \triangle ADC)$$

Putting these values in equation (ii) :

$$180^\circ + 180^\circ + 180^\circ + 180^\circ$$

Hence, the sum of the given angles is 720°

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