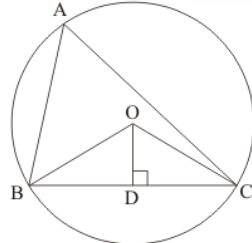




Circles Ex 16.4 Q5

Answer :

We have to prove that  $\angle BOD = \angle A$



Since Circum center is the intersection of  $\perp$  bisectors of each side of the triangle

Now according to figure A, B, C are the vertices of  $\triangle ABC$

In  $\triangle BOC$  OD is  $\perp$  bisector of BC

So,  $BD = CD$

$BO = OC$

And,

$\angle BDO = \angle ODC = 90^\circ$

Therefore,

$\triangle BDO \cong \triangle ODC$

$\Rightarrow \angle BOD = \angle DOC$

We know that angle formed any chord of the circle at the center is twice of the angle formed at the circumference by same chord

Therefore,

$$\angle BAC = \frac{1}{2} \angle BOC$$

$$\Rightarrow \angle BAC = \frac{1}{2} \times 2 \angle BOD$$

$$\Rightarrow \angle BAC = \angle BOD$$

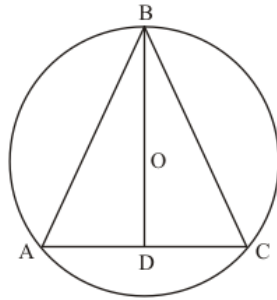
Hence

$$\boxed{\angle BOD = \angle A} \text{ Proved.}$$

Circles Ex 16.4 Q6

**Answer :**

It is given that,  $\angle ABC$  is on circumference of circle  $BD$  is passing through center



Construction: - meet A and C to form AC and increase OB to D that the point of  $\perp^r$  of BC

Now in  $\triangle ABD$  and  $\triangle CBD$  we have

$AD = DC$  (Because D is  $\perp^r$  bisector)

So  $\angle ADB = \angle CDB = 90^\circ$

$BD = BD$  (Common in both triangles)

Then triangles are congruent.

Hence  $\boxed{AB = BC}$

\*\*\*\*\* END \*\*\*\*\*