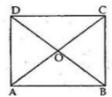


Exercise 11C

Question 21:

ABCD is a rectangle.

Let O be the point of intersection of the diagonals AC and BD of rectangle ABCD.



Since the diagonals of a rectangle are equal and bisecteach other.

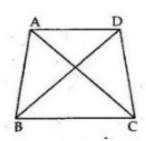
 \therefore OA = OB = OC = OD

Thus, O is the centre of the circle through A, B, C, D.

Question 22:

Let A, B, C be the given points.

With Bas centre and radius equal to AC draw an arc. With C as centre and AB as radius draw another arc, which cuts the previous arcat D.



Then D is the required point BD and CD.

In ∆ABC and ∆DCB

AB = DC

AC = DB

BC = CB [common]

ΔABC ≅ΔDCB

[by SSS]

 \Rightarrow

∠BAC = ∠CDB

[CP.C.T]

Thus, BC subtends equal angles, ∠BAC and ∠CDB on the same side of it.

.. Points A,B,C,D are concyclic.

Question 23:

ABCD is a cydic quadrilateral

Adding (i) and (ii) we get,

$$2B = 240^{\circ}$$

$$2B = 240^{\circ}$$

$$2B = \frac{240}{2} = 120^{\circ}$$

Substituting the value of $\angle B = 120^{\circ}$ in (i) we get

$$\Rightarrow$$
 $\angle D = 120^{\circ} - 60^{\circ} = 60^{\circ}$

The smaller of the two angles i.e. $\angle D = 60^{\circ}$

********** END ********