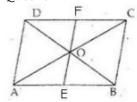


Exercise 9B

Question 17:



Given: A parallelogram ABCD, in which diagonals intersect

at O. E and F are the points on AB and CD

To Prove: OE = OF

Proof: In ∆AOE and∆COF, we have

 $\angle CAE = \angle DCA$ [Alternate angles] AO=CO [diagonals are equal

and bisect each other]

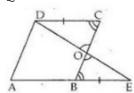
and, $\angle AOE = \angle COF$ [Vertically opposite angles] Thus by Angle-Side-Angle criterion of congruence, we have,

 $\triangle AOE \cong \triangle COF$ [By ASA]

The corresponding parts of the congruent triangles are equal.

∴ OE = OF [By cpct]

Question 18:



Given: ABCD is a parrallelogram in which AB is produced to

E such that BE = AB. DE is joined which cuts BC at O.

To Prove :OB = OC

Proof :In \triangle OCD and \triangle OBE, we have,

 $\angle DOC = \angle EOB$ [vertically opposite angles are equal]

∠OCD =∠OBE [AB || CD,BC is a transversal

thus, alternate angles are equal]

DC = BE [AB = CD and BE = AB]

Thus, by Angle-Angle-Side criterion of congruence, we have

∴ ΔOCD ≅ΔOBE [by AAS]

The corresponding parts of the congruent triangles are equal.

.: OC = OB

Hence, ED bisect BC.

********* END *******