

Real Numbers Ex 1.2 Q1

Answer:

(i) We need to find H.C.F. of 32 and 54.

By applying division lemma

 $54 = 32 \times 1 + 22$

Since remainder ≠ 0, apply division lemma on 32 and remainder 22

 $32 = 22 \times 1 + 10$

Since remainder ≠ 0, apply division lemma on 22 and remainder 10

 $22 = 10 \times 2 + 2$

Since remainder $\neq 0$, apply division lemma on 10 and remainder 2

 $10 = 2 \times 5 + 0$

Therefore, H.C.F. of 32 and 54 is 2

(ii) We need to find H.C.F. of 18 and 24.

By applying division lemma

 $24 = 18 \times 1 + 6$.

Since remainder ≠ 0, apply division lemma on divisor 18 and remainder 6

 $18 = 6 \times 3 + 0$.

Therefore, H.C.F. of 18 and 24 is 6

(iii) We need to find H.C.F. of 70 and 30.

By applying Euclid's Division lemma

 $70 = 30 \times 2 + 10$.

Since remainder ≠ 0, apply division lemma on divisor 30 and remainder 10

 $30 = 10 \times 3 + 0$.

Therefore, H.C.F. of 70 and 30 = 10

(iv) We need to find H.C.F. of 56 and 88.

By applying Euclid's Division lemma

 $88 = 56 \times 1 + 32$.

Since remainder $\neq 0$, apply division lemma on 56 and remainder 32

 $56 = 32 \times 1 + 24$.

Since remainder ≠ 0, apply division lemma on 32 and remainder 24

 $32 = 24 \times 1 + 8$.

Since remainder $\neq 0$, apply division lemma on 24 and remainder 8

 $24 = 8 \times 3 + 0$.

Therefore, H.C.F. of 56 and 88 = 8.

(v) We need to find H.C.F. of 475 and 495. By applying Euclid's Division lemma $495 = 475 \times 1 + 20$. Since remainder ≠ 0, apply division lemma on 475 and remainder 20 $475 = 20 \times 23 + 15$. Since remainder ≠ 0, apply division lemma on 20 and remainder 15 $20 = 15 \times 1 + 5$. Since remainder ≠ 0, apply division lemma on 15 and remainder 5 $15 = 5 \times 3 + 0$. Therefore, H.C.F. of 475 and 495 = 5(vi) We need to find H.C.F. of 75 and 243. By applying Euclid's Division lemma $243 = 75 \times 3 + 18$. Since remainder ≠ 0, apply division lemma on 75 and remainder 18 $75 = 18 \times 4 + 3$. Since remainder ≠ 0, apply division lemma on divisor 18 and remainder 3 $18 = 3 \times 6 + 0$. Therefore, H.C.F. of 75 and 243 = 3. (vii) We need to find H.C.F. of 240 and 6552. By applying Euclid's Division lemma $6552 = 240 \times 27 + 72$. Since remainder ≠ 0, apply division lemma on divisor 240 and remainder 72 $240 = 72 \times 3 + 24$. Since remainder ≠ 0, apply division lemma on divisor 72 and remainder 24 $72 = 24 \times 3 + 0$. Therefore, H.C.F. of 240 and 6552 = 24 (viii) We need to find H.C.F. of 155 and 1385. By applying Euclid's Division lemma $1385 = 155 \times 8 + 145$. Since remainder ≠ 0, apply division lemma on divisor 155 and remainder 145 $155 = 145 \times 1 + 10$. Since remainder ≠ 0, apply division lemma on divisor 145 and remainder 10 $145 = 10 \times 14 + 5$. Since remainder ≠ 0, apply division lemma on divisor 10 and remainder 5 $10 = 5 \times 2 + 0$. Therefore, H.C.F. of 155 and 1385 = [5] (ix) We need to find H.C.F. of 100 and 190. By applying Euclid's division lemma $190 = 100 \times 1 + 90$. Since remainder ≠ 0, apply division lemma on divisor 100 and remainder 90 $100 = 90 \times 1 + 10$. Since remainder ≠ 0, apply division lemma on divisor 90 and remainder 10 $90 = \times 10 \times 9 + 0$. Therefore, H.C.F. of 100 and 190 = 10(x) We need to find H.C.F. of 105 and 120. By applying Euclid's division lemma $120 = 105 \times 1 + 15$. Since remainder ≠ 0, apply division lemma on divisor 105 and remainder 15 $105 = 15 \times 7 + 0$. Therefore, H.C.F. of 105 and 120 = 15

Real Numbers Ex 1.2 Q2

Answer:

(i) Given integers are 225 and 135. Clearly 225 > 135. So we will apply Euclid's division lemma to 225 and 135, we get,

$$867 = (225)(3) + 192$$

Since the remainder $90 \neq 0$. So we apply the division lemma to the divisor 135 and remainder 90. We get, 135 = (90)(1) + 45

Now we apply the division lemma to the new divisor 90 and remainder 45. We get,

90 = (45)(2) + 0

The remainder at this stage is 0. So the divisor at this stage is the H.C.F.

So the H.C.F of 225 and 135 is 45

(ii) Given integers are 38220 and 196. Clearly 38220 > 196. So we will apply Euclid's division lemma to 38220 and 196, we get, 38220 = (196)(195) + 0

The remainder at this stage is 0. So the divisor at this stage is the H.C.F.

So the H.C.F of 38220 and 196 is 196

(iii) Given integers are 867 and 255. Clearly 867 > 225. So we will apply Euclid's division lemma to 867 and 225, we get, 867 = (225)(3) + 192

Since the remainder $192 \neq 0$. So we apply the division lemma to the divisor 225 and remainder 192. We get, 225 = (192)(1) + 33

Now we apply the division lemma to the new divisor 192 and remainder 33. We get,

$$192 = (33)(5) + 27$$

Now we apply the division lemma to the new divisor 33 and remainder 27. We get, 33 = (27)(1) + 6Now we apply the division lemma to the new divisor 27 and remainder 6. We get, 27 = (6)(4) + 3

Now we apply the division lemma to the new divisor 6 and remainder 3. We get, 6 = (3)(2) + 0

The remainder at this stage is 0. So the divisor at this stage is the H.C.F.

So the H.C.F of 867 and 255 is 3.

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