

## Cubes and Cubes Roots Ex 4.1 Q8

## Answer:

(i)

On factorising 64 into prime factors, we get

 $64 = 2 \times 2 \times 2 \times 2 \times 2 \times 2$ 

Group the factors in triples of equal factors as:

 $64 = \{2 \times 2 \times 2\} \times \{2 \times 2 \times 2\}$ 

It is evident that the prime factors of 64 can be grouped into triples of equal factors and no factor is left over. Therefore, 64 is a perfect cube.

(ii)

On factorising 216 into prime factors, we get:

 $216 = 2 \times 2 \times 2 \times 3 \times 3 \times 3$ 

Group the factors in triples of equal factors as:

 $216 = \{2\times2\times2\}\times\{3\times3\times3\}$ 

It is evident that the prime factors of 216 can be grouped into triples of equal factors and no factor is left over. Therefore, 216 is a perfect cube.

(iii)

On factorising 243 into prime factors, we get:

 $243 = 3 \times 3 \times 3 \times 3 \times 3$ 

Group the factors in triples of equal factors as:

 $243 = \{3 \times 3 \times 3\} \times 3 \times 3$ 

It is evident that the prime factors of 243 cannot be grouped into triples of equal factors such that no factor is left over. Therefore, 243 is a not perfect cube.

(iv)

On factorising 1000 into prime factors, we get:

 $1000 = 2 \times 2 \times 2 \times 5 \times 5 \times 5$ 

Group the factors in triples of equal factors as:

$$1000 = \{2 \times 2 \times 2\} \times \{5 \times 5 \times 5\}$$

It is evident that the prime factors of 1000 can be grouped into triples of equal factors and no factor is left over. Therefore, 1000 is a perfect cube.

(V

On factorising 1728 into prime factors, we get:

 $1728 = 2 \times 2 \times 2 \times 2 \times 2 \times 2 \times 3 \times 3 \times 3$ 

Group the factors in triples of equal factors as:

$$1728 = \{2 \times 2 \times 2\} \times \{2 \times 2 \times 2\} \times \{3 \times 3 \times 3\}$$

It is evident that the prime factors of 1728 can be grouped into triples of equal factors and no factor is left over. Therefore, 1728 is a perfect cube.

(vi)

On factorising 3087 into prime factors, we get:

 $3087 = 3 \times 3 \times 7 \times 7 \times 7$ 

Group the factors in triples of equal factors as:

 $3087 = 3 \times 3 \times \{7 \times 7 \times 7\}$ 

It is evident that the prime factors of 3087 cannot be grouped into triples of equal factors such that no factor is left over. Therefore, 243 is a not perfect cube.

(Vii)

On factorising 4608 into prime factors, we get:

Group the factors in triples of equal factors as:

$$4608 = \{2 \times 2 \times 2\} \times \{2 \times 2 \times 2\} \times \{2 \times 2 \times 2\} \times 3 \times 3$$

It is evident that the prime factors of 4608 cannot be grouped into triples of equal factors such that no factor is left over. Therefore, 4608 is a not perfect cube.

(VIII)

On factorising 106480 into prime factors, we get:

 $106480 = 2\times2\times2\times2\times5\times11\times11\times11$ 

Group the factors in triples of equal factors as:

$$106480 = \{2 \times 2 \times 2\} \times 2 \times 5 \times \{11 \times 11 \times 11\}$$

It is evident that the prime factors of 106480 cannot be grouped into triples of equal factors such that no factor is left over. Therefore, 106480 is a not perfect cube.

(ix)

On factorising 166375 into prime factors, we get:

 $166375 = 5 \times 5 \times 5 \times 11 \times 11 \times 11$ 

Group the factors in triples of equal factors as:

$$166375 = \{5 \times 5 \times 5\} \times \{11 \times 11 \times 11\}$$

It is evident that the prime factors of 166375 can be grouped into triples of equal factors and no factor is left over. Therefore, 166375 is a perfect cube.

(x)

On factorising 456533 into prime factors, we get:

 $456533 = 7\times7\times7\times11\times11\times11$ 

Group the factors in triples of equal factors as:

 $456533 = \{7\times7\times7\}\times\{11\times11\times11\}$ 

It is evident that the prime factors of 456533 can be grouped into triples of equal factors and no factor is left over. Therefore, 456533 is a perfect cube.

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