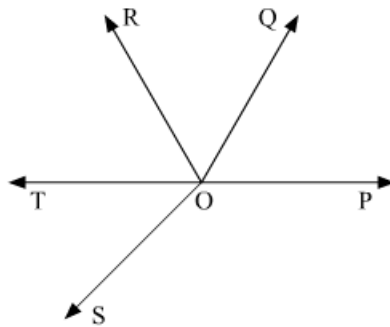




Lines and Angles Ex 8.2 Q16

**Answer :**

Let us draw  $TOP$  as a straight line.



Since,  $TOP$  is a line, therefore,  $\angle POQ$ ,  $\angle QOR$  and  $\angle ROT$  form a linear pair.

Also,  $\angle POS$  and  $\angle SOT$  form a linear pair.

Thus, we have:

$$\angle POQ + \angle QOR + \angle ROT = 180^\circ \text{ (i)}$$

And

$$\angle POS + \angle SOT = 180^\circ \text{ (ii)}$$

On adding (i) and (ii), we get :

Thus, we have:

$$\angle POQ + \angle QOR + \angle ROT = 180^\circ \text{ (i)}$$

And

$$\angle POS + \angle SOT = 180^\circ \text{ (ii)}$$

On adding (i) and (ii), we get :

$$(\angle POQ + \angle QOR + \angle ROT) + (\angle POS + \angle SOT) = 180^\circ + 180^\circ$$

$$\angle POQ + \angle QOR + (\angle ROT + \angle SOT) + \angle POS = 360^\circ$$

$$\boxed{\angle POQ + \angle QOR + \angle SOR + \angle POS = 360^\circ}$$

Hence proved.

Lines and Angles Ex 8.2 Q17

**Answer :**

In the figure given below, we have

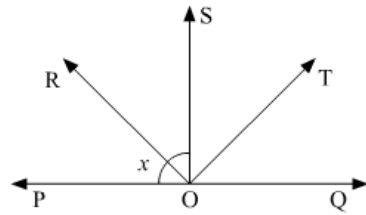
Ray  $OR$  as the bisector of  $\angle POS$

Therefore,

$$\angle POR = \angle ROS$$

Or,

$$\angle POS = 2\angle ROS \text{ (I)}$$



Similarly, Ray  $OT$  as the bisector of  $\angle SOQ$

Therefore,

$$\angle TOQ = \angle TOS$$

Or,

$$\angle QOS = 2\angle TOS \text{ (II)}$$

Also, Ray  $OS$  stand on a line  $POQ$ . Therefore,  $\angle POS$  and  $\angle QOS$  form a linear pair.

Thus,

$$\angle POS + \angle QOS = 180^\circ$$

From (I) and (II):

$$2\angle ROS + 2\angle TOS = 180^\circ$$

$$2(\angle ROS + \angle TOS) = 180^\circ$$

$$\angle ROS + \angle TOS = \frac{180^\circ}{2}$$

$$\angle ROT = \boxed{90^\circ}$$

$$\angle ROT = \boxed{90^\circ}$$

Hence, the value of  $\angle ROT$  is  $90^\circ$ .

\*\*\*\*\* END \*\*\*\*\*