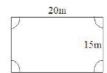


## Mensuration-I area of a trapezium and a polygon Ex 20.1 Q4

## Answer:

It is given that the length of the rectangular piece is  $20\,\mathrm{m}$  and its width is  $15\,\mathrm{m}$ . And, from each corner a quadrant each of radius  $3.5\,\mathrm{m}$  has been cut out. A rough figure for this is given below:



... Area of the remaining part = Area of the rectangular piece

 $-(4 \times \text{Area of a quadrant of radius } 3.5\text{m})$ 

Now, area of the rectangular piece  $= 20 \times 15 = 300 \text{ m}^2$ 

And, area of a quadrant with radius  $3.5~\text{m} = \frac{1}{4}\,\pi\text{r}^2 = \frac{1}{4}\times\frac{22}{7}\times\left(3.5\right)^2$ 

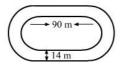
$$= \frac{1}{4} \times \frac{22}{7} \times 3.5 \times 3.5$$

$$= 9.625 \text{ m}^2$$

... Area of the remaining part =  $300 - (4 \times 9.625) = 261.5 \text{ m}^2$ 

Mensuration-I area of a trapezium and a polygon Ex 20.1 Q5

Answer:



It is given that the inside perimeter of the running track is  $400\,\mathrm{m}$ . It means the length of the inner track is  $400\,\mathrm{m}$ .

Let r be the radius of the inner semicircles.

Observe: Perimeter of the inner track = Length of two straight portions of 90 m + Length of two semicircles

$$\therefore \ 400 = \Big(2 \times 90\Big) + \Big(2 \times \text{Perimiter of a semicircle}\Big)$$

$$400 = 180 + \left(2 \times \frac{22}{7} \times \mathbf{r}\right)$$

$$400 - 180 = \left(\frac{44}{7} \times \mathbf{r}\right)$$

$$\frac{44}{7} \times r = 220$$

$$r = \frac{220 \times 7}{44} = 35 \text{ m}$$

... Width of the inner track =  $2r = 2 \times 35 = 70 \text{ m}$ 

Since the track is 14 m wide at all places, so the width of the outer track: 70

$$+\left(2\times14\right)=98\;\mathrm{m}$$

 $\therefore$  Radius of the outer track semicircles =  $\frac{98}{2}$  = 49 m

Area of the outer track = (Area of the rectangular portion with sides 90 m and 98

m) + 
$$(2 \times \text{Area of two semicircles with radius } 49 \text{ m})$$

$$= \left(98 \times 90\right) + \left(2 \times \frac{1}{2} \times \frac{22}{7} \times 49^2\right)$$

$$=$$
  $(8820) + (7546)$ 

 $= 16366 \text{ m}^2$ 

And, area of the inner track = (Area of the rectangular portion with sides 90 m

and 70 m) + 
$$\left(2 \times \text{Area of the semicircle with radius } 35 \text{ m}\right)$$
  
=  $\left(70 \times 90\right) + \left(2 \times \frac{1}{2} \times \frac{22}{7} \times 35^2\right)$ 

$$=(6300)+(3850)$$

$$=$$
  $(6300) + (3850)$ 

 $= 10150 \text{ m}^2$ 

:. Area of the running track = Area of the outer track - Area of the inner track

=16366-10150

And, length of the outer track =  $(2 \times \text{length of the straight portion})$ 

+ (2 × perimeter of the semicircles with radius 49 m)

$$= \left(2 \times 90\right) + \left(2 \times \frac{22}{7} \times 49\right)$$

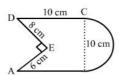
$$=180+308$$

$$= 488 \text{ m}$$

Mensuration-I area of a trapezium and a polygon Ex 20.1 Q6

Answer:

The given figure is:



Construction: Connect A to D.

Then, we have: Area of the given figure = (Area of rectangle ABCD + Area of the semicircle) - (Area of  $\triangle$  AED).

... Total area of the figure = (Area of rectangle with sides 10 cm and 10 cm)

+ (Area of semicircle with radius =  $\frac{10}{2}$  = 5 cm)

(Area of triangle AED with base 6 cm and height 8 cm)

$$= \left(10 \times 10\right) + \left(\frac{1}{2} \times \frac{22}{7} \times 5^2\right) - \left(\frac{1}{2} \times 6 \times 8\right)$$

- =100+39.3-24
- $= 115.3 \text{ cm}^2$

\*\*\*\*\*\* END \*\*\*\*\*\*