

Exercise 14D

Question 9:

Let the given numbers be x_1 , x_2 x_{15}

Then, the mean of these numbers =

$$\therefore \frac{(X_1 + X_2 + \dots X_{15})}{15} = 27$$

$$\Rightarrow \qquad \qquad \mathsf{x_1} + \mathsf{x_2} + \ldots . \mathsf{x_{15}} = 405$$

The new numbers are $(x_1x4)+(x_2x4)....(x_{15}x4)$

: Mean of the new numbers = $\frac{(x_1x4) + (x_2x4)....(x_{15}x4)}{15}$

$$=\frac{405\times4}{15}=\frac{1620}{15}=108$$

. The new mean = 108

Question 10:

Let the given number be $x_1, x_2, ..., x_{12}$

Then the mean of these numbers =40

$$\frac{(x_1 + x_2 + \dots + x_{12})}{12} = 40$$

$$\Rightarrow \qquad x_1 + x_2 + \dots + x_{12} = 480$$

The new numbers = $\frac{(x_1 \div 8) + (x_1 \div 8) + + (x_{12} \div 8)}{12}$

$$=\frac{480 \div 8}{12} = \frac{60}{12} = 5$$

thenew mean = 5

Question 11:

Let the given numbers be $x_1, x_2, ..., x_{20}$ Let \overline{X} be the mean of these numbers

$$\vec{X} = \frac{X_1 + X_2 + \dots + X_{20}}{20} = 18$$

$$\Rightarrow x_1 + x_2 + ... + x_{20} = 18 \times 20 = 360....(1)$$

But it is given that 3 is added to each of the first ten numbers.

Therefore, the first new ten numbers are

$$(x_1 + 3), (x_2 + 3), ..., (x_{10} + 3)$$

Let \overline{X}' be the mean of new numbers

$$(x_1 + 3), (x_2 + 3), ..., (x_{10} + 3), x_{11}, ..., x_{20}$$
.

$$\therefore \ \overline{X'} = \frac{(x_1 + 3) + (x_2 + 3) + \ldots + (x_{10} + 3) + x_{11} + \ldots + x_{20}}{20}$$

$$=\frac{(x_1 + x_2 + \dots + x_{20}) + 3 \times 10}{20}$$

From (1), we know that $x_1 + x_2 + + x_{20} = 360$

:. Mean of the new set of 20 numbers

$$=\frac{360+30}{20}=\frac{390}{20}=19.5$$

:: Mean of the new set of 20 numbers = 19.5

********* END *******