



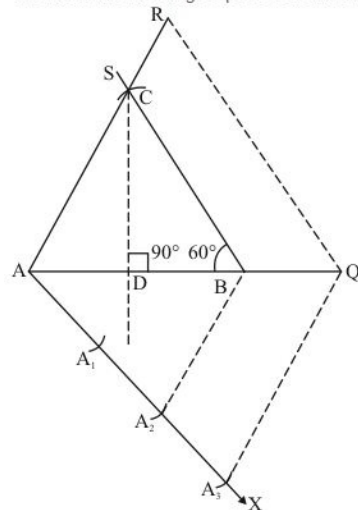
## Constructions Ex 11.2 Q8

**Answer :**

Given that

Construct a triangle  $\triangle ABC$  in which let  $AB = 5 \text{ cm}$ ,  $\angle B = 90^\circ$  and altitude  $CD = 3 \text{ cm}$ , and then a triangle  $\triangle AQR$  similar to it whose sides are  $\left(1.5 \text{ times} = \frac{3}{2}\right)$  of the corresponding sides of  $\triangle ACB$ .

We follow the following steps to construct the given



Step of construction

Step: I- First of all we draw a line segment  $AB = 5 \text{ cm}$ .

Step: II- With  $B$  as centre and draw an angle  $\angle B = 60^\circ$ .

Step: III -From point  $A$  and  $B$  construct altitude  $CD = 3 \text{ cm}$ , which cut the line  $BS$  at point  $C$

Step: IV- Join  $AC$  to obtain  $\triangle ABC$ .

Step: V- Below  $AB$ , makes an acute angle  $\angle BAX = 60^\circ$ .

Step: VI- Along  $AX$ , mark off five points  $A_1, A_2$  and  $A_3$  such that  $AA_1 = A_1A_2 = A_2A_3$

Step: VII -Join  $A_2B$ .

Step: VIII -Since we have to construct a triangle  $\triangle AQR$  each of whose sides is  $\left(1.5 \text{ times} = \frac{3}{2}\right)$  of the corresponding sides of  $\triangle ABC$ .

So, we draw a line  $A_3Q$  on  $AX$  from point  $A_3$  which is  $A_3Q \parallel A_2B$ , and meeting  $AB$  at  $Q$ .

Step: IX- From  $Q$  point draw  $QR \parallel BC$ , and meeting  $AC$  at  $R$

Thus,  $\triangle AQR$  is the required triangle, each of whose sides is  $\left(1.5 \text{ times} = \frac{3}{2}\right)$  of the corresponding sides of  $\triangle ABC$ .

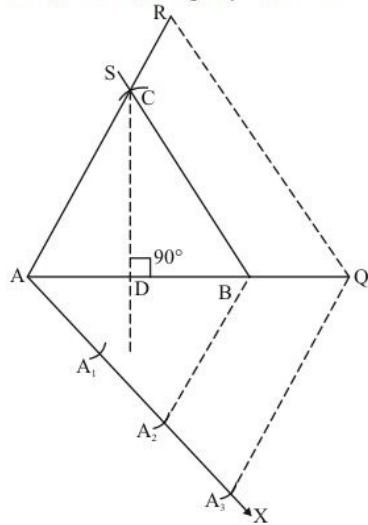
## Constructions Ex 11.2 Q9

**Answer :**

Given that

Construct an isosceles triangle  $ABC$  in which  $AB = BC = 6$  cm and altitude = 4 cm then another triangle similar to it whose sides are  $\frac{3}{4}$  of the corresponding sides of  $\triangle ABC$ .

We follow the following steps to construct the given



Step of construction

Step: I- First of all we draw a line segment  $AB = 6$  cm.

Step: II- With  $B$  as centre and radius =  $BC = 6$  cm, draw an arc.

Step: III- From point  $A$  and  $B$  construct altitude  $CD = 4$  cm, which cut the line  $BS$  at point  $C$

Step: IV -Join  $AC$  to obtain  $\triangle ABC$ .

Step: V- Below  $AB$ , makes an acute angle  $\angle BAX = 60^\circ$ .

Step: VI -Along  $AX$ , mark off five points  $A_1, A_2$  and  $A_3$  such that  $AA_1 = A_1A_2 = A_2A_3$

Step: VII- Join  $A_3B$ .

Step: VIII -Since we have to construct a triangle  $\triangle AQR$  each of whose sides is  $\left(1.5 \text{ times} = \frac{3}{2}\right)$  of the corresponding sides of  $\triangle ABC$ .

So, we draw a line  $A_3Q$  on  $AX$  from point  $A_3$  which is  $A_3Q \parallel A_2B$ , and meeting  $AB$  at  $Q$ .

Step: IX -From  $Q$  point draw  $QR \parallel BC$ , and meeting  $AC$  at  $R$

Thus,  $\triangle AQR$  is the required triangle, each of whose sides is  $\left(\frac{3}{2}\right)$  of the corresponding sides of  $\triangle ABC$ .

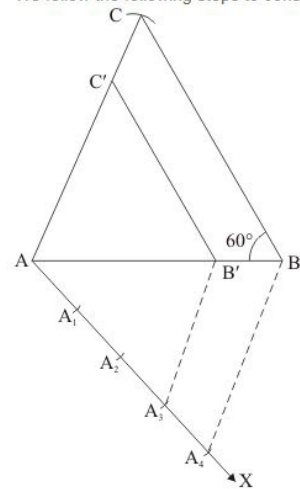
### Constructions Ex 11.2 Q10

**Answer :**

Given that

Construct a  $\triangle ABC$  of given data,  $AB = 5$  cm,  $BC = 6$  cm and  $\angle ABC = 60^\circ$  and then a triangle similar to it whose sides are  $\left(\frac{3}{4}\right)^{\text{th}}$  of the corresponding sides of  $\triangle ABC$ .

We follow the following steps to construct the given



Step of construction

Step: I- First of all we draw a line segment  $AB = 5 \text{ cm}$ .

Step: II- With  $B$  as centre draw an angle  $\angle B = 60^\circ$ .

Step: III- With  $B$  as centre and radius  $= BC = 6 \text{ cm}$ , draw an arc.

Step: IV- Join  $AC$  to obtain  $\triangle ABC$ .

Step: V -Below  $AB$ , makes an acute angle  $\angle BAX = 60^\circ$ .

Step: VI -Along  $AX$ , mark off four points  $A_1, A_2, A_3$  and  $A_4$  such that  $AA_1 = A_1A_2 = A_2A_3 = A_3A_4$

Step: VII -Join  $A_4B$ .

Step: VIII -Since we have to construct a triangle each of whose sides is  $\left(\frac{3}{4}\right)^{\text{th}}$  of the corresponding sides of  $\triangle ABC$ .

So, we take three parts out of four equal parts on  $AX$  from point  $A_3$  draw  $A_3B' \parallel A_4B$ , and meeting  $AB$  at  $B'$ .

Step: IX- From  $B'$  draw  $B'C' \parallel BC$ , and meeting  $AC$  at  $C'$ .

Thus,  $\triangle AB'C'$  is the required triangle, each of whose sides is  $\left(\frac{3}{4}\right)^{\text{th}}$  of the corresponding sides of  $\triangle ABC$ .

\*\*\*\*\* END \*\*\*\*\*