



Areas of Parallelograms and Triangles Ex 15.2 Q4

Answer :

Given: Here in the question it is given that

(1) ABCD is a Parallelogram

To Prove :

$$(1) \text{ Area of } \triangle ADC = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)$$

$$(2) \text{ Area of } \triangle BCD = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)$$

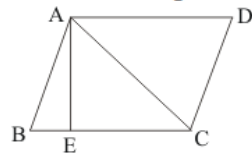
$$(3) \text{ Area of } \triangle ABC = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)$$

$$(4) \text{ Area of } \triangle ABD = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)$$

Construction: Draw $AE \perp CD$

Calculation: We know that formula for calculating the

Area of Parallelogram = base \times height



Area of parallelogram ABCD = BC \times AE (Taking base as BC and Height as AE(1))

We know that formula for calculating the

$$\text{Area of } \triangle = \frac{1}{2} \text{ base} \times \text{height}$$

$$\text{Area of } \triangle ADC = \frac{1}{2} \text{ Base} \times \text{Height}$$

$$= \frac{1}{2} AD \times AE \text{ (AD is the base of } \triangle ADC \text{ and AE is the height of } \triangle ADC)$$

$$= \frac{1}{2} \text{ Area of Parallelogram ABCD (from equation 1)}$$

$$\boxed{\text{Area of } \triangle ADC = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)}$$

Hence we get the result $\boxed{\text{Area of } \triangle ADC = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)}$

Similarly we can show that

$$(2) \text{ Area of } \triangle BCD = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)$$

$$(3) \text{ Area of } \triangle ABC = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)$$

$$(4) \text{ Area of } \triangle ABD = \frac{1}{2} (\text{area of } \parallel^{\text{gm}} ABCD)$$

***** END *****