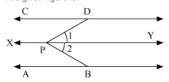


# Lines and Angles Ex 8.4 Q11

#### Answer:

The given figure is:



It is give that  $AB \parallel CD$ 

Let us draw a line  $\chi \gamma$  passing through point P and parallel to AB and CD.

We have  $\mathit{XY} \parallel \mathit{CD}$  , thus,  $\angle \mathit{CDP}$  and  $\angle 1$  are alternate interior opposite angles. Therefore,

$$\angle 1 = \angle CDP$$
 (i)

Similarly, we have  $XY \parallel AB$  , thus,  $\angle ABP$  and  $\angle 2$  are alternate interior opposite angles. Therefore,

 $\angle 2 = \angle ABP$  (ii)

On adding (i) and (ii):

 $\angle 1 + \angle 2 = \angle CDP + \angle ABP$ 

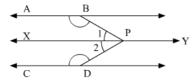
 $\angle DPB = \angle CDP + \angle ABP$ 

Hence proved.

## Lines and Angles Ex 8.4 Q12

## Answer:

The given figure is as follows:



It is give that  $AB \parallel CD$ 

Let us draw a line  $\chi \gamma$  passing through point P and parallel to AB and CD.

We have  $\mathit{XY} \parallel \mathit{CD}$  , thus,  $\angle \mathit{CDP}$  and  $\angle 2$  are consecutive interior angles. Therefore,

$$\angle 2 + \angle CDP = 180^{\circ}$$
 (i)

Similarly, we have  $\mathit{XY} \parallel \mathit{AB}$  , thus,  $\angle \mathit{ABP}$  and  $\angle 1$  are consecutive interior angles. Therefore,

$$\angle 1 + \angle ABP = 180^{\circ}$$
 (ii)

On adding equation (i) and (ii), we get:

$$\angle 2 + \angle CDP + \angle 1 + \angle ABP = 180^{\circ} + 180^{\circ}$$

$$(\angle 2 + \angle 1) + \angle CDP + \angle ABP = 360^{\circ}$$

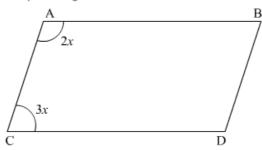
$$\angle ABP + \angle BPD + \angle CDP = 360^{\circ}$$

Hence proved

Lines and Angles Ex 8.4 Q13

### Answer:

The parallelogram can be drawn as follows:



It is given that

$$\angle A: \angle C = 2:3$$

Therefore, let:

$$\angle A = 2x$$

and 
$$\angle C = 3x$$

We know that opposite angles of a parallelogram are equal.

Therefore

$$\angle A = \angle D$$

$$\angle D = 2x$$

Similarly

$$\angle B = 3x$$

Also, if  $AB \parallel CD$ , then sum of consecutive interior angles is equal to  $180^{\circ}$ .

Therefore,

$$\angle A + \angle C = 180^{\circ}$$

$$2x + 3x = 180^{\circ}$$

$$5x = 180^{\circ}$$

$$x = \frac{180^{\circ}}{5}$$

$$x = 36^{\circ}$$

We have

$$\angle A = 2x$$

$$\angle A = 2(36^{\circ})$$

$$\angle A = \boxed{72^0}$$

Also.

$$\angle C = 3x$$

$$\angle C = 3(36^{\circ})$$

$$\angle C = 108^{\circ}$$

Similarly,

$$\angle D = \boxed{72^{\circ}}$$

And

$$\angle B = \boxed{108^{\circ}}$$

Hence, the four angles of the parallelogram are as follows:

$$\angle A = \boxed{72^{\circ}}$$
,  $\angle B = \boxed{108^{\circ}}$ ,  $\angle C = \boxed{72^{\circ}}$  and  $\angle D = \boxed{108^{\circ}}$ 

\*\*\*\*\*\*\*\*\* END \*\*\*\*\*\*\*\*