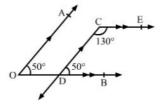


Exercise 14A



Q8

## Answer:

Given: AB | CD

 $\angle ABO = 50^{\circ}$  $\angle CDO = 40^{\circ}$ 

Construction: Through O, draw EOF | AB.

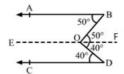
 $\angle ABO = \angle BOF = 50^{\circ}$  (alternate angles, when  $AB \parallel EF$  and OB is a

transversal)

 $\angle {\rm FOD} \, = \angle {\rm ODC} \, = \, 40^\circ$  (alternate angles, when CD  $\parallel {\rm EF}$  and OD is a

transversal)

$$\angle BOD = \angle BOF + \angle FOD$$
  
 $\angle BOD = 50^{\circ} + 40^{\circ} = 90^{\circ}$ 



Q9

## Answer:

Given: AB | CD

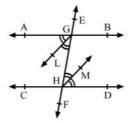
GL and HM are angle bisectors of  $\angle$  AGH and  $\angle$  GHD, respectively.

$$\angle AGH = \angle GHD$$
 (alternate angles)

or 
$$\frac{1}{2} \angle AGH = \frac{1}{2} \angle GHD$$

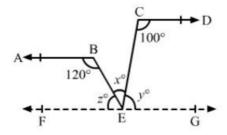
or 
$$\angle$$
LGH =  $\angle$ GHM (given)

Therefore, GL  $\parallel$  HM as we know that if the angles of any pair of alternate interior angles are equal, then the lines are parallel.



## Answer:

Given: AB 
$$\parallel$$
 CD  $\angle$  ABE = 120°  $\angle$  ECD = 100°  $\angle$  BEC = x° Construction: FEG  $\parallel$  AB Now, sin  $ce$   $AB \parallel FEG$  and  $AB \parallel CD$ ,  $FEG \parallel CD$   $\therefore$   $EFG \parallel AB \parallel CD$   $\angle$  ABE =  $\angle$  BEG = 120° (alternate angles) or  $x^\circ + y^\circ = 120^\circ \dots$  (i)  $\angle$  DCE =  $\angle$  CEF = 100° (alternate angles) or  $x^\circ + z^\circ = 100^\circ \dots$  (ii) Also,  $x^\circ + y^\circ + z^\circ = 180^\circ$  (FEG is a  $s$  traight line)  $\dots$  (iii) Adding (i) and (ii):  $2x^\circ + y^\circ + z^\circ = 220^\circ$  or,  $x^\circ + 180^\circ = 220^\circ$  (substituting (iii))  $x^\circ = 40^\circ$   $\therefore$   $x = 40^\circ$ 



## Q11

Answer:

\*\*\*\*\*\*\*\*\* FND \*\*\*\*\*\*\*