

Number System Ex 1.2 Q2 Answer:

(i) Given rational number is $\frac{2}{3}$

Now we have to express this rational number into decimal form. So we will use long division method

18

Therefore $\frac{2}{3} = 0.6666$

 $\Rightarrow \frac{2}{3} = 0.\overline{6}$

Hence, $\sqrt{\frac{2}{3} = 0.\overline{6}}$

(ii) Given rational number is $-\frac{4}{9}$

Now we have to express this rational number into decimal form. So we will use long division method

9)40

36 40

36 40

Therefore, $\frac{4}{9} = 0.444$

$$\Rightarrow -\frac{4}{9} = -0.\overline{4}$$

(iii) Given rational number is $-\frac{2}{15}$

Now we have to express this rational number into decimal form. So we will use long division method

$$\begin{array}{c}
0.1333 \\
15) 20 \\
\underline{15} \\
50 \\
\underline{45} \\
50 \\
\underline{45} \\
50 \\
\underline{45} \\
50 \\
\underline{45} \\
5
\end{array}$$
Therefore $\frac{2}{15} = 0.1333$

$$\Rightarrow \frac{2}{15} = 0.1\overline{3}$$
Hence, $-\frac{2}{15} - 0.1\overline{3}$

(iv) Given rational number is $-\frac{22}{13}$

Now we have to express this rational number into decimal form. So we will use long division method

1.692307
13) 22
13
90
78
120
117
30
26
40
39
100
91
9
Therefore
$$\frac{22}{13} = 1.692307...$$

 $\Rightarrow \frac{22}{13} = 1.\overline{692307}$
Hence, $-\frac{22}{13} = -1.\overline{692307}$

(v) Given rational number is $\frac{437}{999}$

Now we have to express this rational number into decimal form. So we will use long division method

(vi) Given rational number is $\frac{33}{26}$

Now we have to express this rational number into decimal form. So we will use long division method

$$\frac{182}{18 \to \text{remainder}} = 18$$
Therefore $\frac{33}{26} = 1.2\overline{692307}...$
Hence, $\frac{33}{26} = 1.2\overline{692307}$

Number System Ex 1.2 Q3 Answer:

Prime factorization is the process of finding which prime numbers you need to multiply together to get a certain number. So prime factorization of denominators (q) must have only the power of 2 or 5 or both.

****** END ******