



Circles Ex 16.2 Q5

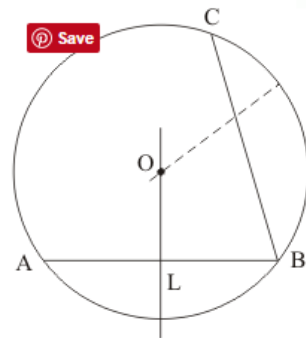
Answer :

Let A, B and C are three distinct points on a circle $C(O, r)$.

Now join AB and BC and draw their perpendicular bisectors.

The point of intersection of the perpendicular bisectors is the centre of given circle.

Hence O is the centre of circle $C(O, r)$.



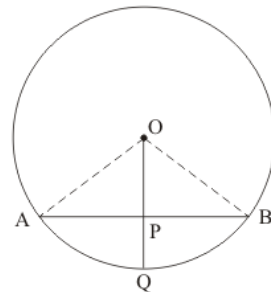
Circles Ex 16.2 Q6

Answer :

Let P is the mid point of chord AB of circle $C(O, r)$ then according to question, line OQ passes through the point P .

Then prove that OQ bisect the arc AB .

Join OA and OB .



In $\triangle AOP$ and $\triangle BOP$

$$OA = OB$$

(Radii of the same circle)

$$AP = BP$$

(P is the mid point of chord AB)

$$OP = OP$$

(Common)

Therefore, $\triangle AOP \cong \triangle BOP$

$$\Rightarrow \angle AOP = \angle BOP \quad (\text{by cpct})$$

Thus

$$\text{Arc } AQ = \text{arc } BQ$$

Therefore, OQ bisect the arc AB

Hence Proved.

***** END *****

