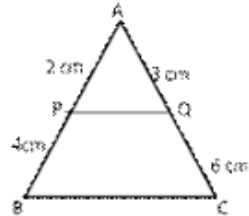




#### Exercise 4B

Question 9:



Given: P is a point on AB.

Then,  $AB = AP + PB = (2 + 4) \text{ cm} = 6 \text{ cm}$

Also Q is a point on AC.

Then,  $AC = AQ + QC = (3 + 6) \text{ cm} = 9 \text{ cm}$

$$\therefore \frac{AP}{AB} = \frac{2}{6} = \frac{1}{3}$$

$$\text{and } \frac{AQ}{AC} = \frac{3}{9} = \frac{1}{3}$$

$$\therefore \frac{AP}{AB} = \frac{AQ}{AC}$$

Thus, in  $\triangle APQ$  and  $\triangle ABC$

$\angle A = \angle A$  (common)

$$\text{And } \frac{AP}{AB} = \frac{AQ}{AC}$$

$\therefore \triangle APQ \sim \triangle ABC$  (by SAS similarity)

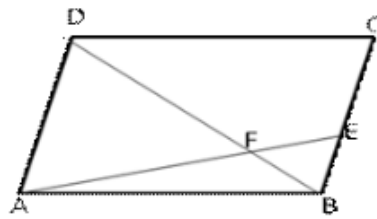
$$\Rightarrow \frac{AP}{AB} = \frac{PQ}{BC} = \frac{AQ}{AC}$$

$$\therefore \frac{PQ}{BC} = \frac{AQ}{AC} \Rightarrow \frac{PQ}{BC} = \frac{3}{9} = \frac{1}{3}$$

$$\therefore BC = 3 PQ$$

Hence proved.

Question 10:



Given: ABCD is a parallelogram and E is point on BC.

Diagonal DB intersects AE at F.

To Prove:  $AF \times FB = EF \times FD$

Proof: In  $\triangle AFD$  and  $\triangle EFB$

$\angle AFD = \angle EFB$  (vertically opposite  $\angle$ s)

$\angle DAF = \angle BEF$  (Alternate  $\angle$ s)

$\therefore \triangle AFD \approx \triangle EFB$  [By AAA similarity]

$$\therefore \frac{AF}{EF} = \frac{FD}{FB}$$

$$AF \times FB = EF \times FD$$

Hence proved.

\*\*\*\*\* END \*\*\*\*\*