

NCERT Solutions For Class 7 Maths Congruence of Triangles Exercise 7.2

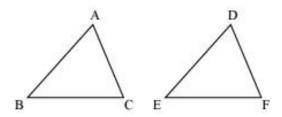
Q1. Which congruence criterion do you use in the following?

(a) Given: AC = DF

AB = DE

BC = EF

So, $\triangle ABC \cong \triangle DEF$

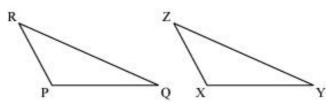


(b) Given: ZX = RP

RQ = ZY

 \angle PRQ = \angle XZY

So, $\triangle PQR \cong \triangle XYZ$

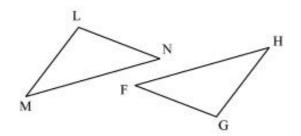


(c) Given: ∠ MLN = ∠ FGH

 \angle NML = \angle GFH

ML = FG

So, Δ LMN $\cong \Delta$ GFH

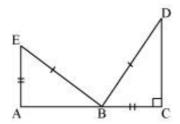


(d) Given: EB = DB

$$AE = BC$$

$$\angle A = \angle C = 90^{\circ}$$

So, $\triangle ABE \cong \triangle CDB$



Ans:

- (a) SSS, as the sides of $\triangle ABC$ are equal to the sides of $\triangle DEF$.
- (b) SAS, as two sides and the angle included between these sides of Δ PQR are equal to two

sides and the angle included between these sides of ΔXYZ .

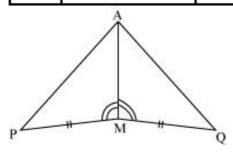
- (c) ASA, as two angles and the side included between these angles of Δ LMN are equal to two angles and the side included between these angles of Δ GFH.
- (d) RHS, as in the given two right-angled triangles, one side and the hypotenuse are respectively equal.
- **Q2.** You want to show that $\triangle ART \cong \triangle PEN$,
- (a) If you have to use SSS criterion, then you need to show
- (i) AR = (ii) RT = (iii) AT =
- (b) If it is given that $\angle T = \angle N$ and you are to use SAS criterion, you need to have
- (i) RT = and (ii) PN =
- (c) If it is given that AT = PN and you are to use ASA criterion, you need to have
- (i)?(ii)?

Ans:

- (a)
- (i) AR = PE
- (ii) RT = EN
- (iii) AT = PN
- (b)
- (i) RT = EN
- (ii) PN = AT
- (c)
- (i) ∠ATR = ∠ PNE
- (ii) \angle RAT = \angle EPN

Q3. You have to show that \triangle AMP \cong AMQ. In the following proof, supply the missing reasons.

-	Steps	-	Reaso ns
(i)	PM = QM	(i)	
(ii)	∠PMA = ∠QMA	(ii)	
(iii)	AM = AM	(iii)	
(iv)	ΔAMP≅ ΔAMQ	(iv)	



Ans:

- (i) Given
- (ii) Given
- (iii) Common

(iv) SAS, as the two sides and the angle included between these sides of Δ AMP are equal to two sides and the angle included between these sides of Δ AMO.

Q4. In $\triangle ABC$, $\angle A = 30^{\circ}$, $\angle B = 40^{\circ}$ and $\angle C = 110^{\circ}$

In
$$\triangle PQR$$
, $\angle P = 30^{\circ}$, $\angle Q = 40^{\circ}$ and $\angle R = 110^{\circ}$

A student says that $\triangle ABC \cong \triangle PQR$ by AAA congruence criterion. Is he justified? Why or why not?

Ans: No. This property represents that these triangles have their respective angles of equal measure. However, this gives no information about their sides. The sides of these triangles have a ratio somewhat different than 1:1. Therefore, AAA property does not prove the two triangles congruent.

Q5. In the figure, the two triangles are congruent.

The corresponding parts are marked. We can write $\Delta RAT \cong ?$

Ans: It can be observed that,

 $\angle RAT = \angle WON$

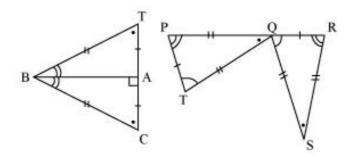
 $\angle ART = \angle OWN$

AR = OW

Therefore, $\triangle RAT \cong \triangle WON$, by ASA criterion.

Q6. Complete the congruence statement: $\Delta BCA \cong$?

ΔQRS ≅?



Ans:

Given that, BC = BT

TA = CA

BA is common.

Therefore, $\Delta BCA \cong \Delta BTA$

Similarly, PQ = RS

$$TQ = QS$$

$$PT = RQ$$

Therefore, $\Delta QRS \cong \Delta TPQ$

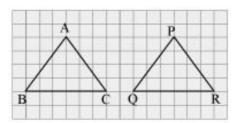
Q7. In a squared sheet, draw two triangles of equal areas such that

- (i) The triangles are congruent.
- (ii) The triangles are not congruent.

What can you say about their perimeters?

Ans:

(i)

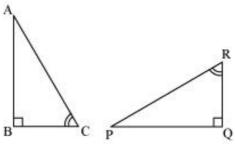


Here, \triangle ABC and \triangle PQR have the same area and are congruent to each other also. Also, the perimeter of both the triangles will be the same.

(ii)

Here, the two triangles have the same height and base. Thus, their areas are equal. However, these triangles are not congruent to each other. Also, the perimeter of both the triangles will not be the same.

Q8. If \triangle ABC and \triangle PQR are to be congruent, name one additional pair of corresponding parts. What criterion did you use?

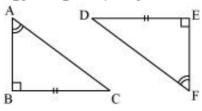


Ans:

BC = QR

 $\triangle ABC \cong \triangle PQR$ (ASA criterion)

Q9. Explain, why $\triangle ABC \cong \triangle FED$



Ans:

Given that, \angle ABC = \angle FED (1)

$$\angle BAC = \angle EFD(2)$$

The two angles of ΔABC are equal to the two respective angles of ΔFED . Also, the sum of all interior angles of a triangle is 180°. Therefore, third angle of both triangles will also be equal in measure.

$$\angle BCA = \angle EDF(3)$$

Also, given that, BC = ED (4)

By using equation (1), (3), and (4), we obtain

 $\triangle ABC \cong \triangle FED$ (ASA criterion)

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