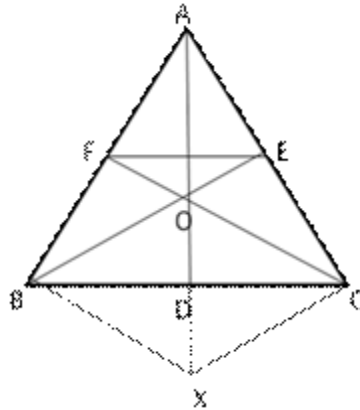




Exercise 4A

Question 11:



Given $BD = CD$ and $OD = DX$

Join BX and CX

Thus, the diagonals of quad $OBXC$ bisect each other

$OBXC$ is a parallelogram

$BX \parallel CF$ and so, $OF \parallel BX$

Similarly, $CX \parallel OE$

In $\triangle ABX$, $OF \parallel BX$

$$\therefore \frac{AO}{AX} = \frac{AF}{AB} \text{ --- (1)}$$

In $\triangle ACX$, $OE \parallel XC$

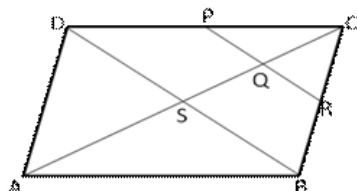
$$\therefore \frac{AO}{AX} = \frac{AE}{AC} \text{ --- (2)}$$

From (1) & (2),

$$\text{we get } \frac{AF}{AB} = \frac{AE}{AC}$$

Hence, $EF \parallel BC$

Question 12:



Given: $ABCD$ is a parallelogram in which P is the midpoint of DC and Q is a point on AC such that $CQ = \frac{1}{4} AC$. PQ produced meets BC at

R.

To prove: R is the midpoint of BC

Construction: Join BD

Proof: Since the diagonals of a || gm bisect each other at S such that

$$CS = \frac{1}{2} AC$$

$$\text{Now, } CS = \frac{1}{2} AC \text{ and } CQ = \frac{1}{4} AC \Rightarrow CQ = \frac{1}{2} CS$$

Therefore Q is the midpoint of CS

So, PQ || DS.

Therefore, QR || SB.

In $\triangle CSB$, Q is the midpoint of CS and QR || SB.

So R is the midpoint of BC.

***** END *****