

Surface Areas and Volume of a Cuboid and Cube Ex 18.2 Q17 **Answer:**

External dimensions of the closed wooden box,

Length $(L) = 48 \,\mathrm{cm}$

Breath $(B) = 36 \,\mathrm{cm}$

Height(H) = 30 cm

Thickness of the wood(t) = 1.5 cm

We need to find number of bricks that can be put inside the box of dimension $6~\text{cm}\times3~\text{cm}\times0.75~\text{cm}$ Internal dimensions of the box,

Length (l) = L - 2t

 $=48-2\times1.5$

=48-3

 $=45\,\mathrm{cm}$

Breadth (b) = B - 2t

 $=36-2\times1.5$

=36-3

 $=33 \,\mathrm{cm}$

Height(h) = H - 2t

 $=30-2\times1.5$

=30-3

 $=27\,\mathrm{cm}$

Capacity of the box,

$$V = lbh$$
$$= (45 \times 33 \times 27) \text{ cm}^3$$

Volume of each brick,

$$v = (6 \times 3 \times 0.75) \text{ cm}^3$$

Number of bricks that can be put in the box,

$$= \frac{45 \times 33 \times 27}{6 \times 3 \times 0.75}$$

$$= \frac{15 \times 33 \times 9}{6 \times 0.75}$$

$$= \frac{45 \times 11 \times 9}{2 \times 0.75}$$

$$= \frac{45 \times 11 \times 9}{1.5}$$

$$= 30 \times 11 \times 9$$

$$= 2970$$

The box can contain maximum 2970 bricks.

Surface Areas and Volume of a Cuboid and Cube Ex 18.2 Q18

Answer:

We have,

External dimensions of the iron box are,

Length $(L) = 36 \,\mathrm{cm}$

Breadth $(B) = 25 \,\mathrm{cm}$

Height(H) = 16.5 cm

Thickness of iron (t) = 1.5 cm and 1 cm^3 of iron weighs 15 g

We are asked to find the volume of the metal used in the box and weight of the empty box Internal dimensions of the box,

Length
$$(l) = L - 2t$$

$$=36-2\times1.5$$

 $=33 \,\mathrm{cm}$

Breadth (b) = B - 2t

$$=25-2\times1.5$$

 $=22 \,\mathrm{cm}$

Height(h) = H - t

$$=16.5-1.5$$

 $=15\,\mathrm{cm}$

Let, $V \rightarrow \text{External volume of the box}$ $v \rightarrow \text{Internal volume of the box}$ $V' \rightarrow \text{Volume of the iron}$ So, V' = V - v $= (L \times B \times H) - lbh$ $= (36 \times 25 \times 16.5) - (33 \times 22 \times 15)$ = 14850 - 10890 $= 3960 \text{ cm}^3$ We have, $1 \text{ cm}^3 \text{ of iron weighs } 15 \text{ g}$, So, weight of $3960 \text{ cm}^3 \text{ of iron}$, $= 3960 \times 15 \text{ g}$

 $= 59400 \,\mathrm{g}$ = 59.4 kg

In that open box, there are $\boxed{3960\,\text{cm}^3}$ of iron, and weight of the empty box is $\boxed{59.4~\text{kg}}$

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