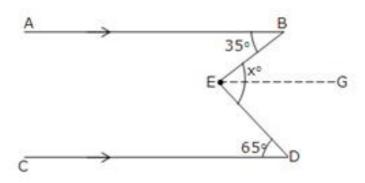


Exercise 4C

## Question 4:

(i) Through E draw EG  $\parallel$  CD. Now since EG $\parallel$ CD and ED is a transversal.



So,  $\angle$ GED =  $\angle$ EDC = 65° [Alternate interior angles]

Since EG  $\parallel$  CD and AB  $\parallel$  CD,

EG||AB and EB is transversal.

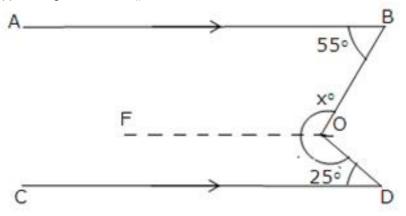
So,  $\angle$ BEG =  $\angle$ ABE = 35° [Alternate interior angles]

So, ∠DEB = x<sup>o</sup>

 $\Rightarrow$   $\angle$ BEG +  $\angle$ GED = 35° + 65° = 100°.

Hence, x = 100.

(ii) Through O draw OF||CD.



Now since OF  $\parallel$  CD and OD is transversal.

$$\angle$$
CDO +  $\angle$ FOD = 180 $^{\circ}$ 

[sum of consecutive interior angles is 180°]

$$\Rightarrow$$
 25° +  $\angle$ FOD = 180°

$$\Rightarrow$$
  $\angle$ FOD = 180 $^{\circ}$  - 25 $^{\circ}$  = 155 $^{\circ}$ 

As OF || CD and AB || CD [Given]

Thus, OF  $\parallel$  AB and OB is a transversal.

So,  $\angle ABO + \angle FOB = 180^{\circ}$  [sum of consecutive interior angles is  $180^{\circ}$ ]

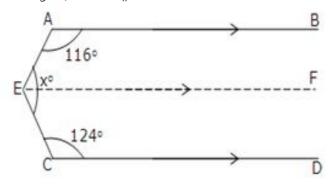
$$\Rightarrow$$
 55° +  $\angle$ FOB = 180°

$$\Rightarrow \angle FOB = 180^{\circ} - 55^{\circ} = 125^{\circ}$$

Now,  $x^{\circ} = \angle FOB + \angle FOD = 125^{\circ} + 155^{\circ} = 280^{\circ}$ .

Hence, x = 280.

## (iii) Through E, draw EF $\parallel$ CD.



Now since EF  $\parallel$  CD and EC is transversal.

 $\angle$ FEC +  $\angle$ ECD = 180 $^{\circ}$ 

[sum of consecutive interior angles is 180°]

 $\Rightarrow$   $\angle$ FEC + 124 $^{\circ}$  = 180 $^{\circ}$ 

 $\Rightarrow \angle FEC = 180^{\circ} - 124^{\circ} = 56^{\circ}$ 

Since EF || CD and AB ||CD

So, EF  $\parallel$  AB and AE is a trasveral.

So,  $\angle BAE + \angle FEA = 180^{\circ}$ 

[sum of consecutive interior angles is 180°]

 $\therefore 116^{\circ} + \angle FEA = 180^{\circ}$ 

 $\Rightarrow$   $\angle$ FEA = 180 $^{\circ}$  - 116 $^{\circ}$  = 64 $^{\circ}$ 

Thus,  $x^0 = \angle FEA + \angle FEC$ 

 $= 64^{\circ} + 56^{\circ} = 120^{\circ}$ .

Hence, x = 120.

\*\*\*\*\*\*\*\*\* END \*\*\*\*\*\*\*