

NCERT Solutions for class 8 maths squares and square roots

- **Q1.** What will be the unit digit of the squares of the following numbers:
- (i) 81
- (ii) 272
- (iii) 799
- (iv) 3853
- (v) 1234
- (vi) 26387
- (vii) 52698
- (viii) 99880
- (ix) 12796
- (x) 55555

Ans: (i) The number 81 contains its unit's place digit 1. So, square of 1 is 1.

Hence, unit's digit of square of 81 is 1.

(ii) The number 272 contains its unit's place digit 2. So, square of 2 is 4.

Hence, unit's digit of square of 272 is 4.

(iii) The number 799 contains its unit's place digit 9. So, square of 9 is 81.

Hence, unit's digit of square of 799 is 1.

(iv) The number 3853 contains its unit's place digit 3. So, square of 3 is 9.

Hence, unit's digit of square of 3853 is 9.

(v) The number 1234 contains its unit's place digit 4. So, square of 4 is 16.

Hence, unit's digit of square of 1234 is 6.

(vi) The number 26387 contains its unit's place digit 7. So, square of 7 is 49.

Hence, unit's digit of square of 26387 is 9.

(vii) The number 52698 contains its unit's place digit 8. So, square of 8 is 64.

Hence, unit's digit of square of 52698 is 4.

(viii) The number 99880 contains its unit's place digit 0. So, square of 0 is 0.

Hence, unit's digit of square of 99880 is 0.

(ix) The number 12796 contains its unit's place digit 6. So, square of 6 is 36.

Hence, unit's digit of square of 12796 is 6.

(x) The number 55555 contains its unit's place digit 5. So, square of 5 is 25.

Hence, unit's digit of square of 55555 is 5.

- **Q2.** The following numbers are obviously not perfect squares. Give reasons.
- (i) 1057
- (ii) 23453
- (iii) 7928
- (iv) 222222
- (v) 64000
- (vi) 89722
- (vii) 222000
- (viii) 505050

Ans: (i) Since, perfect square numbers contain their unit's place digit 1, 4, 5, 6, 9 and even numbers of 0.

Therefore 1057 is not a perfect square because its unit's place digit is 7.

- (ii) Since, perfect square numbers contain their unit's place digit 0, 1, 4, 5, 6, 9 and even number of 0. Therefore 23453 is not a perfect square because its unit's place digit is 3.
- (iii) Since, perfect square numbers contain their unit's place digit 0, 1, 4, 5, 6, 9 and even number of 0. Therefore 7928 is not a perfect square because its unit's place digit is 8.
- (iv) Since, perfect square numbers contain their unit's place digit 0, 1, 4, 5, 6, 9 and even number of 0. Therefore 222222 is not a perfect square because its unit's place digit is 2.
- (v) Since, perfect square numbers contain their unit's place digit 0, 1, 4, 5, 6, 9 and even number of 0. Therefore 64000 is not a perfect square because its unit's place digit is single 0.
- (vi) Since, perfect square numbers contain their unit's place digit 0, 1, 4, 5, 6, 9 and even number of 0. Therefore 89722 is not a perfect square because its unit's place digit is 2.

- (vii) Since, perfect square numbers contain their unit's place digit 0, 1, 4, 5, 6, 9 and even number of 0. Therefore 222000 is not a perfect square because its unit's place digit is triple 0.
- (viii) Since, perfect square numbers contain their unit's place digit 0, 1, 4, 5, 6, 9 and even number of 0. Therefore 505050 is not a perfect square because its unit's place digit is 0.
- **Q3.** The squares of which of the following would be odd number:
- (i) 431
- (ii) 2826
- (iii) 7779
- (iv) 82004
- **Ans: (i)** 431 Unit's digit of given number is 1 and square of 1 is 1. Therefore, square of 431 would be an odd number.
- (ii) 2826 Unit's digit of given number is 6 and square of 6 is 36. Therefore, square of 2826 would not be an odd number.
- (iii) 7779 Unit's digit of given number is 9 and square of 9 is 81. Therefore, square of 7779 would be an odd number.
- (iv) 82004 Unit's digit of given number is 4 and square of 4 is 16. Therefore, square of 82004 would not be an odd number.
- **Q4.** Observe the following pattern and find the missing digits:

$$11^2 = 121$$
  
 $101^2 = 10201$   
 $1001^2 = 1002001$   
 $100001^2 = 1......1$   
 $1000000^2 = 1......1$ 

**Ans:** 
$$11^2 = 121$$
  
 $101^2 = 10201$   
 $1001^2 = 1002001$   
 $100001^2 = 10000200001$ 

 $1000000^2 = 100000020000001$ 

## **Q5.** Observe the following pattern and supply the missing numbers:

$$11^2 = 121$$
 $101^2 = 10201$ 
 $10101^2 = 102030201$ 
 $1010101^2 = \dots$ 
 $= 10203040504030201$ 
**Ans:**  $11^2 = 121$ 
 $101^2 = 10201$ 
 $10101^2 = 102030201$ 

$$1010101^2 = 1020304030201$$
  
 $101010101^2 = 10203040504030201$ 

## Q6. Using the given pattern, find the missing

$$1^{2} + 2^{2} + 2^{2} = 3^{2}$$

$$2^{2} + 3^{2} + 6^{2} = 7^{2}$$

$$3^{2} + 4^{2} + 12^{2} = 13^{2}$$

$$4^{2} + 5^{2} + 2^{2} = 21^{2}$$

$$5^{2} + 2^{2} + 30^{2} = 31^{2}$$

$$6^{2} + 2^{2} + 3^{2} = 43^{2}$$

numbers:

**Ans:** 
$$1^2 + 2^2 + 2^2 = 3^2$$

$$2^2 + 3^2 + 6^2 = 7^2$$

$$3^2 + 4^2 + 12^2 = 13^2$$

$$4^2 + 5^2 + 20^2 = 21^2$$

$$5^2 + 6^2 + 30^2 = 31^2$$

$$6^2 + 7^2 + 42^2 = 43^2$$

Q7. Without adding, find the sum:

(i) 
$$1+3+5+7+9$$

$$(ii)$$
 1 + 3 + 5 + 7 + 9 + 11 + 13 + 15 + 17 + 19

**Ans:** (i) Here, there are five odd numbers. Therefore square of 5 is 25.

$$1+3+5+7+9=5^2=25$$

(ii) Here, there are ten odd numbers. Therefore square of 10 is 100.

$$1 + 3 + 5 + 7 + 9 + 11 + 13 + 15 + 17 + 19 = 10^{2}$$
= 100

(iii) Here, there are twelve odd numbers. Therefore square of 12 is 144.

$$1 + 3 + 5 + 7 + 9 + 11 + 13 + 15 + 17 + 19 + 21 + 23 = 12^2 = 144$$

- Q8. (i) Express 49 as the sum of 7 odd numbers.
- (ii) Express 121 as the sum of 11 odd numbers.

**Ans:** (i) 49 is the square of 7. Therefore it is the sum of 7 odd numbers.

$$49 = 1 + 3 + 5 + 7 + 9 + 11 + 13$$

(ii) 121 is the square of 11. Therefore it is the sum of 11 odd numbers

$$121 = 1 + 3 + 5 + 7 + 9 + 11 + 13 + 15 + 17 + 19 + 21$$

**Q9.** How many numbers lie between squares of the following numbers:

- (i) 12 and 13
- (ii) 25 and 26
- (iii) 99 and 100

**Ans: (i)** Since, non-perfect square numbers between  $n^2$  and  $(n+1)^2$  are 2n.

Here, n = 12

Therefore, non-perfect square numbers between 12 and 13 =  $2n = 2 \times 12 = 24$ 

(ii) Since, non-perfect square numbers between  $n^2$  and  $(n+1)^2$  are 2n.

Here, n = 25

Therefore, non-perfect square numbers between 25 and 26 =  $2n = 2 \times 25 = 50$ 

(iii) Since, non-perfect square numbers between  $n^2$  and  $(n+1)^2$  are 2n.

Here, n = 99

Therefore, non-perfect square numbers between 99 and  $100 = 2n = 2 \times 99 = 198$ 

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