

Real Numbers Ex 1.2 Q5

Answer:

We need to find m if the H.C.F of 408 and 1032 is expressible in the form $1032 m - 408 \times 5$

Given integers are 408 and 1032 where 408 < 1032

By applying Euclid's division lemma, we get $1032 = 408 \times 2 + 216$.

Since the remainder $\neq 0$, so apply division lemma on divisor 408 and remainder 216

 $408 = 216 \times 1 + 192$.

Since the remainder $\neq 0$, so apply division lemma on divisor 216 and remainder 192

 $216 = 192 \times 1 + 24$.

Since the remainder $\neq 0$, so apply division lemma on divisor 192 and remainder 24

 $192 = 24 \times 8 + 0$.

We observe that remainder is 0. So the last divisor is the H.C.F of 408 and 1032.

 $24 = 1032m - 408 \times 5$

 $1032m = 24 + 408 \times 5$

1032m = 24 + 2040 \Rightarrow

1032m = 2064 \Rightarrow

 $m = \frac{2064}{}$ \Rightarrow 1032

m=2. \Rightarrow

Real Numbers Ex 1.2 Q6

Answer:

We need to find x if the H.C.F of 657 and 963 is expressible in the form 657x + 963y(-15).

Given integers are 657 and 963.

By applying Euclid's division lemma, we get $963 = 657 \times 1 + 306$.

Since the remainder $\neq 0$, so apply division lemma on divisor 657 and remainder 306

 $657 = 306 \times 2 + 45$.

Since the remainder $\neq 0$, so apply division lemma on divisor 306 and remainder 45

 $306 = 45 \times 6 + 36$.

Since the remainder $\neq 0$, so apply division lemma on divisor 45 and remainder 36

 $45 = 36 \times 1 + 9$.

Since the remainder ≠ 0, so apply division lemma on divisor 36 and remainder 9

 $36 = 9 \times 4 + 0$.

Therefore, H.C.F. = 9.

Given H.C.F = 657x + 936(-15)

Therefore,

9 = 657x - 14445 \Rightarrow

9 + 144445 = 657x

14454 = 657x

 $x = \frac{14454}{}$ 657

x = 22.

Real Numbers Ex 1.2 Q7

Answer:

We are given that an army contingent of 616 members is to march behind an army band of 32 members in a parade. The two groups are to march in the same number of columns. We need to find the maximum number of columns in which they can march.

Members in army = 616

Members in band = 32.

Therefore

Maximum number of columns = H.C.F of 616 and 32.

By applying Euclid's division lemma

 $616 = 32 \times 19 + 8$

 $32 = 8 \times 4 + 0$.

Therefore, H.C.F. = 8

Hence, the maximum number of columns in which they can march is $\boxed{8}$

Real Numbers Ex 1.2 Q8

Answer

We need to find the largest number which divides 615 and 963 leaving remainder 6 in each case. The required number when divides 615 and 963, leaves remainder 6, this means 615-6=609 and 963-6=957 are completely divisible by the number.

Therefore.

The required number = H.C.F. of 609 and 957.

By applying Euclid's division lemma

 $957 = 609 \times 1 + 348$

 $609 = 348 \times 1 + 261$

 $348 = 216 \times 1 + 87$

 $261 = 87 \times 3 + 0$.

Therefore, H.C.F. = 87.

Hence, the required number is 87

Real Numbers Ex 1.2 Q9

Answer

We need to find the greatest number which divides 285 and 1249 leaving remainder 9 and 7 respectively.

The required number when divides 285 and 1249, leaves remainder 9 and 7, this means

285-9=276 and 1249-7=1242 are completely divisible by the number.

Therefore, the required number = H.C.F. of 276 and 1242.

By applying Euclid's division lemma

 $1242 = 276 \times 4 + 138$

 $276 = 138 \times 2 + 0$.

Therefore, H.C.F. = 138

Hence, required number is 138

Real Numbers Ex 1.2 Q10

Answer:

We need to find the largest number which exactly divides 280 and 1245 leaving remainders 4 and 3, respectively.

The required number when divides 280 and 1245, leaves remainder 4 and 3, this means

280-4=276 and 1245-3=1242 are completely divisible by the number.

Therefore, the required number = H.C.F. of 276 and 1242.

By applying Euclid's division lemma

 $1242 = 276 \times 4 + 138$

 $276 = 138 \times 2 + 0.$

Therefore, H.C.F. = 138.

Hence, the required number is 138

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