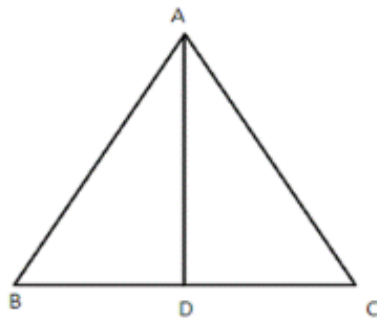




Exercise 5A

Question 41:

Given: A $\triangle ABC$ in which $AC > AB$ and AD is a bisector of $\angle A$



To prove: $\angle ADC > \angle ADB$

Proof : Since $AC > AB$

$$\Rightarrow \angle ABC > \angle ACB$$

Adding $\frac{1}{2}\angle A$ on both sides of inequality.

$$\angle ABC + \frac{1}{2}\angle A > \angle ACB + \frac{1}{2}\angle A$$

$$\Rightarrow \angle ABC + \angle BAD > \angle ACB + \angle DAC$$

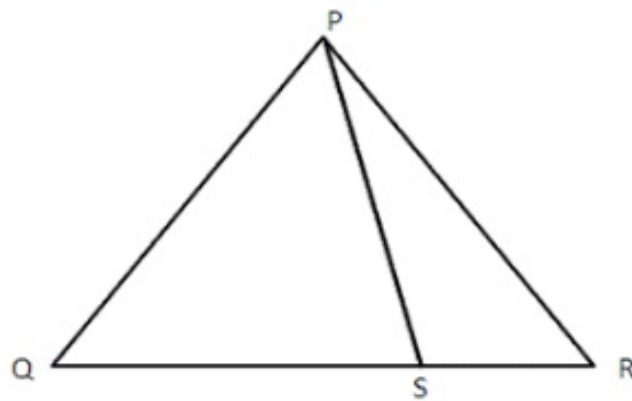
[$\because AD$ is a bisector of $\angle A$]

$$\Rightarrow \text{Exterior } \angle ADC > \text{Exterior } \angle ADB$$

$$\therefore \angle ADC > \angle ADB.$$

Question 42:

Given : A triangle PQR and S is a point on QR.



To prove: $PQ + QR + RP > 2PS$

Proof: Since in a triangle, sum of any two sides is always greater than the third side.

So in ΔPQS , we have

$$PQ + QS > PS \quad \dots(i)$$

Similarly, in ΔPSR , we have

$$PR + SR > PS \quad \dots(ii)$$

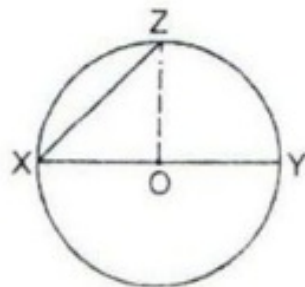
Adding both sides of (i) and (ii), we get.

$$PQ + QS + PR + SR > 2PS$$

$$\Rightarrow PQ + PR + QS + SR > 2PS$$

$$\Rightarrow PQ + PR + QR > 2PS$$

Question 43:



Given : A circle with centre O is drawn in which

XY is a diameter and XZ is a chord.

To prove : $XY > XZ$

Proof : In ΔXOZ , we have,

$$OX + OZ > XZ$$

[\therefore sum of any two sides in a triangle is a greater than its third side]

$$\Rightarrow OX + OY > XZ$$

[\because $OZ = OY$, radius of the circle]

$$\therefore XY > XZ$$

[\because $OX + OY = XY$]

***** END *****