

Every positive fraction can be represented as sum of unique unit fractions. A fraction is unit fraction if numerator is 1 and denominator is a positive integer, for example $1/3$ is a unit fraction. Such a representation is called Egyptian Fraction as it was used by ancient Egyptians.

Egyptian Fraction Representation of $\frac{2}{3}$ is $\frac{1}{2} + \frac{1}{6}$
 Egyptian Fraction Representation of $\frac{6}{14}$ is $\frac{1}{3} + \frac{1}{11} + \frac{1}{231}$
 Egyptian Fraction Representation of $\frac{12}{13}$ is $\frac{1}{2} + \frac{1}{3} + \frac{1}{12} + \frac{1}{156}$

Below is C++ implementation of above idea.

data:text/html;charset=utf-8,%3Cdiv%20class%3D%22post-title-info%22%20style%3D%22float%3A%20left%3B%20font-size%... 1/3

```

// is not fraction
if (nr%dr == 0)
{
    cout << nr/dr;
    return;
}

// If numerator is more than denominator
if (nr > dr)
{
    cout << nr/dr << " + ";
    printEgyptian(nr%dr, dr);
    return;
}

// We reach here dr > nr and dr%nr is non-zero
// Find ceiling of dr/nr and print it as first
// fraction
int n = dr/nr + 1;
cout << "1/" << n << " + ";

// Recur for remaining part
printEgyptian(nr*n-dr, dr*n);
}

// Driver Program
int main()
{
    int nr = 6, dr = 14;
    cout << "Egyptian Fraction Representation of "
        << nr << "/" << dr << " is\n ";
    printEgyptian(nr, dr);
    return 0;
}

```

Output:

```

Egyptian Fraction Representation of 6/14 is
1/3 + 1/11 + 1/231

```

The Greedy algorithm works because a fraction is always reduced to a form where denominator is greater than numerator and numerator doesn't divide denominator. For such reduced forms, the highlighted recursive call is made for reduced numerator. So the recursive calls keep on reducing the numerator till it reaches 1.

References:

<http://www.maths.surrey.ac.uk/hosted-sites/R.Knott/Fractions/egyptian.html>