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Bayesian statistics

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Bayesian statistics is a subset of the field of [statistics](#) in which the evidence about the true state of the world is expressed in terms of degrees of belief or, more specifically, [Bayesian probabilities](#). Such an interpretation is only one of a number of [interpretations of probability](#) and there are other statistical techniques that are not based on "degrees of belief". One formulation of the "key ideas of Bayesian statistics" is "that probability is orderly opinion, and that inference from data is nothing other than the revision of such opinion in the light of relevant new information."^[1]

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Outline [\[edit\]](#)

The general set of statistical techniques can be divided into a number of activities, many of which have special Bayesian versions.

Statistical inference [\[edit\]](#)

Main article: [Bayesian inference](#)

[Bayesian inference](#) is an approach to [statistical inference](#), that is distinct from [frequentist inference](#). It is specifically based on the use of [Bayesian probabilities](#) to summarize evidence.

Statistical modeling [\[edit\]](#)

The formulation of [statistical models](#) using Bayesian statistics has the unique feature of requiring the specification of [prior distributions](#) for any unknown parameters. These prior distributions are as integral to a Bayesian approach to statistical modelling as the expression of [probability distributions](#). Prior distributions can be either [hyperparameters](#) or [hyperprior distributions](#).

Design of experiments [\[edit\]](#)

The [Bayesian design of experiments](#) includes a concept called 'influence of prior beliefs'. This approach uses [sequential analysis](#) techniques to include the outcome of earlier experiments in the design of the next experiment. This is achieved by updating 'beliefs' through the use of prior and [posterior distribution](#). This allows the design of experiments to make good use of resources of all types. An example of this is the [multi-armed bandit problem](#).

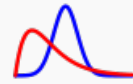
Statistical graphics [\[edit\]](#)

[Statistical graphics](#) includes methods for data exploration, for model validation, etc. The use of certain modern computational techniques for Bayesian inference, specifically the various types of [Markov chain Monte Carlo](#) techniques, have led to the need for checks, often made in graphical form, on the validity of such computations in expressing the required posterior distributions.

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Part of a series on [Statistics](#)

Bayesian statistics



Theory

[Admissible decision rule](#) · [Bayesian efficiency](#) · [Bayesian probability](#) · [Probability interpretations](#) · [Bayes' theorem](#) · [Bayes' rule](#) · [Bayes factor](#) · [Bayesian inference](#) · [Bayesian network](#) · [Prior](#) · [Posterior](#) · [Likelihood](#) · [Conjugate prior](#) · [Posterior predictive](#) · [Hyperparameter](#) · [Hyperprior](#) · [Principle of indifference](#) · [Principle of maximum entropy](#) · [Empirical Bayes method](#) · [Cromwell's rule](#) · [Bernstein–von Mises theorem](#) · [Bayesian information criterion](#) · [Credible interval](#) · [Maximum a posteriori estimation](#)


Techniques

[Bayesian linear regression](#) · [Bayesian estimator](#) · [Approximate Bayesian computation](#)



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1. [^] Edwards W, Lindman H, Savage LJ: Bayesian statistical inference for psycho-logical research. Psychological Review, 1963; 70:193-242 (quote: pp 519-520). Cited as per Dennis Fryback's preface in A. O'Hagan, B. Luce: [A primer on Baysian Statistics in Health Economics and Outcomes Research](#) . 2003. Published by the Bayesian Initiative in Health Economics & Outcomes Research and the Centre for Bayesian Statistics in Health Economics. Accessed June 9, 2015.

External links [[edit](#)]

- Eliezer S. Yudkowsky. "[An Intuitive Explanation of Bayes' Theorem](#)"  (webpage). Retrieved 2015-06-15.
- Theo Kypraios. "[A Gentle Tutorial in Bayesian Statistics](#)"  (PDF) (PDF). Retrieved 2013-11-03.
- Theo Kypraios. "[Introduction to Bayesian Statistics](#)"  (PDF) (PDF). Retrieved 2014-05-05.
- [Bayesian modeling book](#)  and examples available for downloading.
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