

Main page Contents Featured content Current events Random article Donate to Wkipedia Wkipedia store

Interaction

Help About Wikipedia Community portal Recent changes Contact page

Tools

What links here Related changes Upload file Special pages Permanent link Page information Wikidata item Cite this page

Print/export

Create a book
Download as PDF
Printable version

Languages Italiano Русский

▶ Edit links

Article Talk Read Edit View history Search Q

Sort-merge join

From Wikipedia, the free encyclopedia (Redirected from Sort-Merge Join)



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The **sort-merge join** (also known as merge-join) is a join algorithm and is used in the implementation of a relational database management system.

The basic problem of a join algorithm is to find, for each distinct value of the join attribute, the set of tuples in each relation which display that value. The key idea of the Sort-merge algorithm is to first sort the relations by the join attribute, so that interleaved linear scans will encounter these sets at the same time.

In practice, the most expensive part of performing a sort-merge join is arranging for both inputs to the algorithm to be presented in sorted order. This can be achieved via an explicit sort operation (often an external sort), or by taking advantage of a pre-existing ordering in one or both of the join relations. The latter condition can occur because an input to the join might be produced by an index scan of a tree-based index, another merge join, or some other plan operator that happens to produce output sorted on an appropriate key.

Let's say that we have two relations R and S and $|R| < |S| \cdot R$ fits in P_r pages memory and S fits in P_s pages memory. So, in the worst case **Sort-Merge Join** will run in $O(P_r + P_s)$ l/Os. In the case that R and S are not ordered the worst case time cost will contain additional terms of sorting time:

 $O(P_r + P_s + P_r \log(P_r) + P_s \log(P_s))$, which equals $O(P_r \log(P_r) + P_s \log(P_s))$ (as linearithmic terms outweigh the linear terms, see Big O notation – Orders of common functions).

Pseudocode [edit]

For simplicity, the algorithm is described in the case of an inner join of two relations on a single attribute. Generalization to other join types, more relations and more keys is straightforward.

```
function sortMerge(relation left, relation right, attribute a)
    var relation output
     var list left sorted := sort(left, a) // Relation left sorted on attribute a
     var list right sorted := sort(right, a)
     var attribute left key, right key
     var set left subset, right subset // These sets discarded except where join
predicate is satisfied
     advance(left subset, left sorted, left key, a)
     advance(right_subset, right_sorted, right_key, a)
     while not empty(left subset) and not empty(right subset)
         if left key = right key // Join predicate satisfied
             add cartesian product of left subset and right subset to output
             advance(left subset, left sorted, left key, a)
             advance(right_subset, right_sorted, right_key, a)
         else if left key < right key
            advance(left subset, left sorted, left key, a)
         else // left key > right key
            advance (right subset, right sorted, right key, a)
     return output
```

```
// Remove tuples from sorted to subset until the sorted[1].a value changes
function advance(subset out, sorted inout, key out, a in)
  key := sorted[1].a
  subset := emptySet
  while not empty(sorted) and sorted[1].a = key
    insert sorted[1] into subset
  remove sorted[1]
```

Simple C# Implementation [edit]

Note that this implementation assumes the join attributes are unique, i.e., there is no need to output multiple tuples for a given value of the key.

```
public class MergeJoin
    // Assume that left and right are already sorted
   public static Relation Sort(Relation left, Relation right)
        Relation output = new Relation();
        while (!left.IsPastEnd() && !right.IsPastEnd())
            if (left.Key == right.Key)
                output.Add(left.Key);
                left.Advance();
               right.Advance();
            else if (left.Key < right.Key)</pre>
               left.Advance();
            else // if (left.Key > right.Key)
               right.Advance();
       return output;
   }
public class Relation
   private List<int> list;
   public const int ENDPOS = -1;
   public int position = 0;
   public int Position
        get { return position; }
   public int Key
        get { return list[position]; }
   public bool Advance()
    {
        if (position == list.Count - 1 || position == ENDPOS)
            position = ENDPOS;
            return false;
       position++;
        return true;
   public void Add(int key)
        list.Add(key);
   public bool IsPastEnd()
        return position == ENDPOS;
   public void Print()
        foreach (int key in list)
           Console.WriteLine(key);
    }
```

```
public Relation(List<int> list)
    this.list = list;
public Relation()
    this.list = new List<int>();
```

External links [edit]

C# Implementations of Various Join Algorithms (broken link) [1] ☑

```
Categories: Join algorithms
```

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