

### Data file for LiH:

2

number of atoms

LiH

Li 0.000 0.00 0.00

H 1.610 0.00 0.00

$1H = 2625.5 \text{ kJ/mol}$

$1H = 627.52 \text{ kcal/mol}$

$1H = 27.2116 \text{ eV}$

$1H = 219,476.6 \text{ cm}^{-1}$

### Output file for LiH

Coulombic repulsion integrals (bottom triangle)(a.u.)

\_\_\_\_\_ and internuclear distances (top triangle)(a.u.)\_\_\_\_\_

Atoms: 1 Li 2 H

1 Li 0.2361 3.0425

$3.043 \times 0.529 \text{ \AA} = 1.61 \text{ \AA}$

2 H 0.254 0.75

Overlap Matrix					
	1 Li2s	1 Li2px	1 Li2py	1 Li2pz	2 H1s
1 Li2s	1.0	0.0	0.0	0.0	0.392
1 Li2px	0.0	1.0	0.0	0.0	0.505
1 Li2py	0.0	0.0	1.0	0.0	0.0
1 Li2pz	0.0	0.0	0.0	1.0	0.0
2 H1s	0.392	0.505	0.0	0.0	1.0

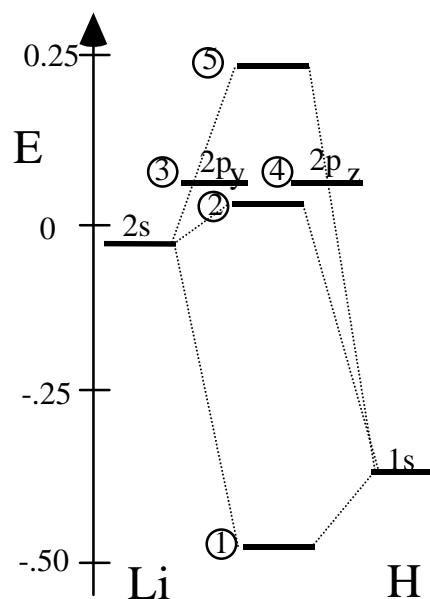
$$\int \text{2s(Li)} \text{1s(H)} d\tau = 0.392$$

$$\int \text{2p}_x(\text{Li}) \text{1s(H)} d\tau = 0.505$$

SCF eigenvalues (a.u.) and eigenvectors (eigenvectors listed in columns)					
E(i)	-0.4818	0.0322	0.0767	0.0767	0.2186
vector	1	2	3	4	5
1 Li2s	0.424	0.823	0.0	0.0	0.379
1 Li2p <sub>x</sub>	0.429	-0.551	0.0	0.0	0.716
1 Li2p <sub>y</sub>	0.0	0.0	0.0	1.000	0.0
1 Li2p <sub>z</sub>	0.0	0.0	1.000	0.0	0.0
2 H1s	0.798	-0.141	0.0	0.0	-0.587

$$\sigma_1 = 0.424 \text{ 2s(Li)} + 0.429 \text{ 2p}_x(\text{Li}) + 0.798 \text{ 1s(H)}$$

$$\sigma_2 = 0.823 \text{ 2s(Li)} - 0.551 \text{ 2p}_x(\text{Li}) - 0.141 \text{ 1s(H)}$$



$$\text{fraction ionic} = \frac{\text{H coefficients}^2 - \text{Li coefficients}^2}{\text{H coefficients}^2 + \text{Li coefficients}^2}$$

$$\text{fraction ionic} = \frac{(0.798)^2 - (0.424)^2 - (0.429)^2}{(0.798)^2 + (0.424)^2 + (0.429)^2} = 0.272 = 27.2\% \quad \text{Li}^+ \text{H}^-$$

$c_{ij}$  = coefficient for MO i and atomic orbital j

Electron Density (*CNDO version*)

$$d_a = \sum_{\substack{j \text{ on } a \\ \text{all MO's}}} \sum_{i=1}^m n_i c_{ij}^2 \quad \text{for atom } a \text{ and MO } i \text{ with } n_i \text{ electrons}$$

$j = \text{all atomic orbitals on atom } a$

Bond Order

$$P_{ab} = \sum_{\substack{j \text{ on } a \\ \text{all MO's}}} \sum_{\substack{k \text{ on } b \\ \text{all MO's}}} \sum_{i=1}^m n_i 2 c_{ij} c_{ik} S_{jk} \quad \text{for atoms } a \text{ and } b \text{ and MO } i \text{ with } n_i \text{ electrons}$$

$j = \text{all atomic orbitals on atom } a$   
 $k = \text{all atomic orbitals on atom } b$

SCF Population Matrix

*Sums over all MO's (but in this case only one MO is occupied)*

k \ j	1 Li2s	1 Li2px	1 Li2py	1 Li2pz	2 H1s
	$c_{2s,Li}^2 * 2$	$c_{2s,Li} * c_{2px,Li} * 2$			$c_{2s,Li} * c_{1s,H} * 2$
1 Li2s	0.3596	0.3638	0.	0.	0.6764
	$c_{2px,Li} * c_{2s,Li} * 2$	$c_{2px,Li}^2 * 2$			$c_{2px,Li} * c_{1s,H} * 2$
1 Li2px	0.3638	0.3681	0.	0.	0.6843
1 Li2py	0.	0.	0.	0.	0.
1 Li2pz	0.	0.	0.	0.	0.
	$c_{1s,H} * c_{2s,Li} * 2$	$c_{1s,H} * c_{2px,Li} * 2$			$c_{1s,H}^2 * 2$
2 H1s	0.6764	0.6843	0.	0.	1.272

Bond Orders with Overlap Included

*Only one filled orbital, with two orbitals on Li*



(with the size of the orbital  $\propto$  orbital coefficient)

$$c_{2s,Li} * c_{1s,H} * S_{2s,Li;1s,H} * 4 = 0.6764 * 0.392 = 0.530$$



$$c_{2px,Li} * c_{1s,H} * S_{2s,Li;1s,H} * 4 = 0.6843 * 0.505 = 0.692$$

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$$1.222$$

Electronic energy = -1.4162 a.u.

*in Hartrees*

Total energy = -1.0875 a.u.

*in Hartrees with nuclear repulsion*

= -29.5923 eV

$-1.0875 * 627.52 \text{ kcal/mol} = -682.43 \text{ kcal/mol}$

(the total energy includes nuclear-nuclear repulsion)

Total bond dissociation energy,  $D_o = 9.0279 \text{ eV} = 871.059 \text{ kJ/mol}$

# Total atom electron densities and atomic charges

atom	density	charge	<i>sum of diagonal entries in bond order matrix</i>
1 Li	0.728	0.272	<i>electron density = <math>(c_{2s, Li}^2 + c_{2px, Li}^2) * 2</math></i>
2 H	1.272	-0.272	<i>electron density = <math>c_{1s, H}^2 * 2</math>      net negative charge on H of -0.272</i>

## Dipole from atom densities

x	y	z
-2.11	0.0	0.0

## Complete dipole (including atomic polarization)

x	y	z
-6.21	0.0	0.0