### Topic 2

Measurement of rate coefficients for elementary reactions

### Measurement of rates of elementary reactions 1

- Concentrate on reactions of atoms and radicals; say something briefly about reactions that don't involve radicals and are involved in initiation steps
- Need to cover a range of Tfrom 1000 to 3000 K for reactions involved in high temperature combustion reactions; 600 -1000 K for low Toxidation in the autoignition regime; 200 - 300 K for reactions of combustion generated pollutants in the lower atmosphere (the troposphere)

#### Measurement of rates of elementary reactions 2

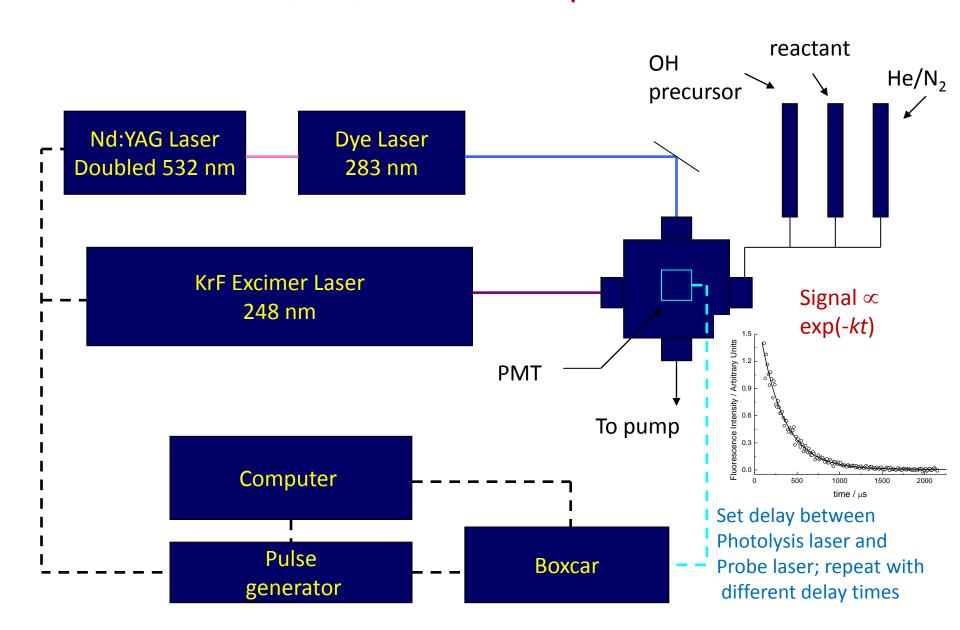
- Ideally, isolate the individual reaction and study it at the appropriate combustion conditions.
- Not always possible:
  - May have to model the system to extract rate coefficients of interest
  - May need to extrapolate to appropriate T,
     p. Ideally achieve this with the help of theory (see Topic 3).

### Techniques

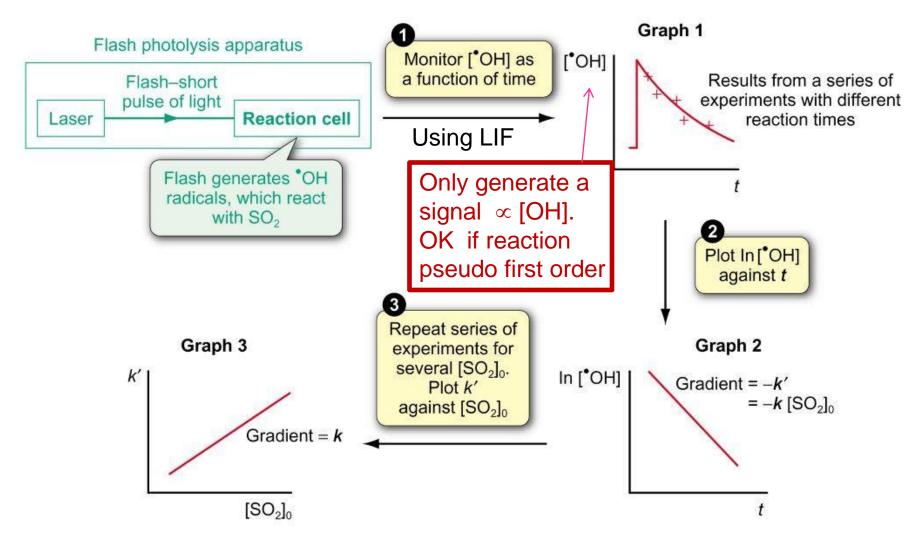
- Pulsed laser photolysis (laser flash photolysis)
- Shock tubes
- Flow tubes for elementary reactions and whole systems
- Static studies of whole systems

# Pulsed laser photolysis

# Laser flash photolysis (LFP) / laser induced fluorescence (LIF) for the study of OH + reactant

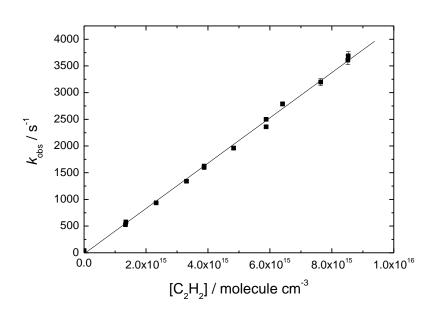


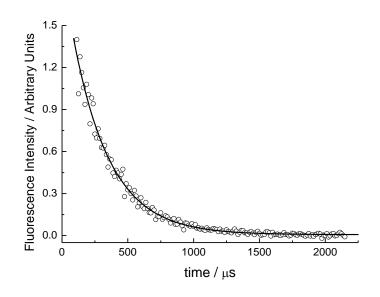
# Procedure for determining rate coefficients for pseudo first order reactions using LFP for OH + SO<sub>2</sub>

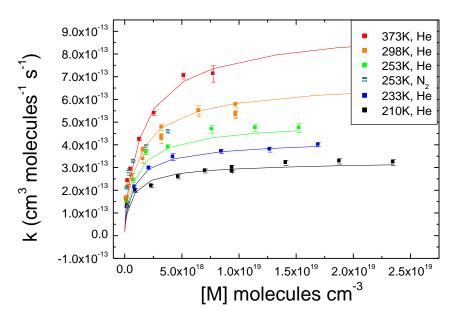


OH +  $C_2H_2$  + M  $\rightarrow$   $C_2H_2OH$  + M Cleary et al. J. Phys. Chem., 2007, 111, 4043-4055

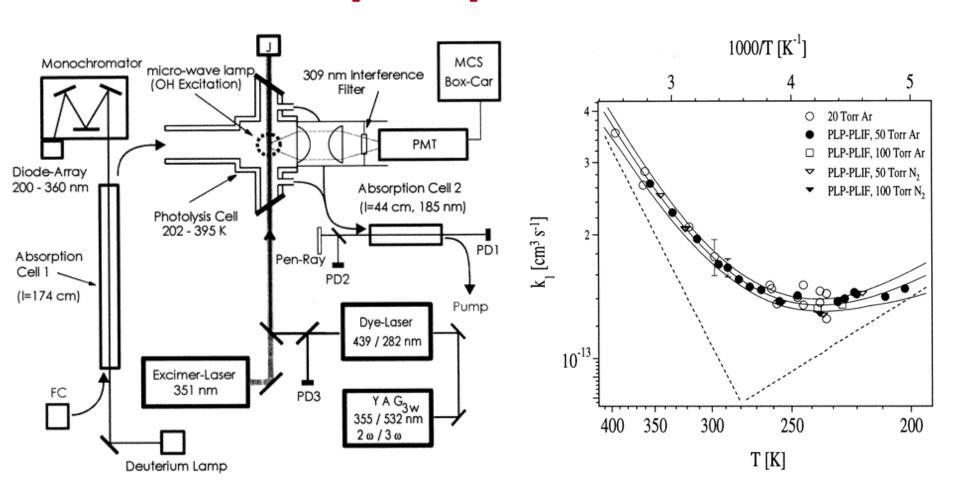
- Pressure dependent (association) reaction.
- Study as a function of temperature and pressure







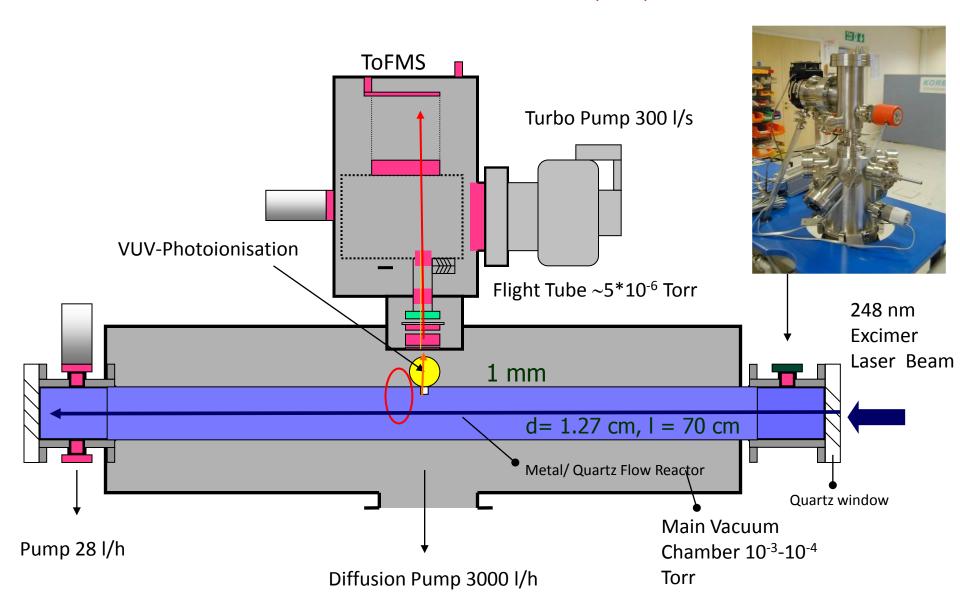
OH + acetone, J N Crowley, JPCA, 2000, 104,2695 laser flash photolysis, resonance fluorescence/laser induced fluorescence to measure [OH] (relative). Optical measurement of [acetone] before and after reactor.



### Minimising secondary reactions

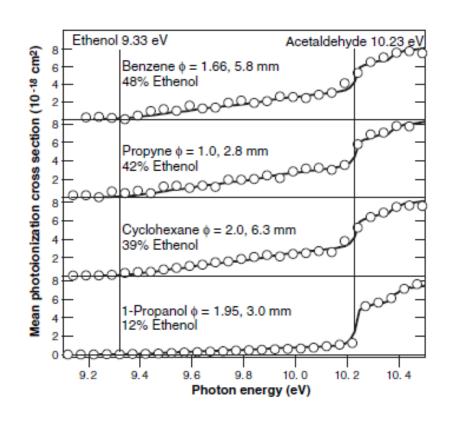
- In order to be able to use a simple pseudo first order approach to the analysis of the data, secondary reactions must play a negligible role.
- This involves keeping the initial radical concentration low.
- See Vaghjiani and Ravishankara (Nature, 1991, 350, 406) for a classic experimental analysis of this problem for OH +  $CH_4 \rightarrow CH_3 + H_2O$ .
- Typical radical decay timescales in pulsed photolysis reactions are ~ 0.1 - 1 ms
- k(OH + CH<sub>3</sub>) is ~  $10^{-10}$  cm<sup>3</sup> molecule<sup>-1</sup> s<sup>-1</sup>. The timescale for removal of OH by this reaction is ~ 0.1 s for [CH<sub>3</sub>] =  $10^{11}$  cm<sup>-3</sup> and 1 ms for [CH<sub>3</sub>] =  $10^{13}$  cm<sup>-3</sup>. So it is essential to keep the amount of OH generated in the photolysis pulse low if this secondary reaction is to make a negligible contribution to the observed decay of OH.
- Need a sensitive detection technique LIF is ideal.

#### Detection using time of flight mass spectrometry Blitz et al. Rev. Sci. Inst. 2007, 78, 034103



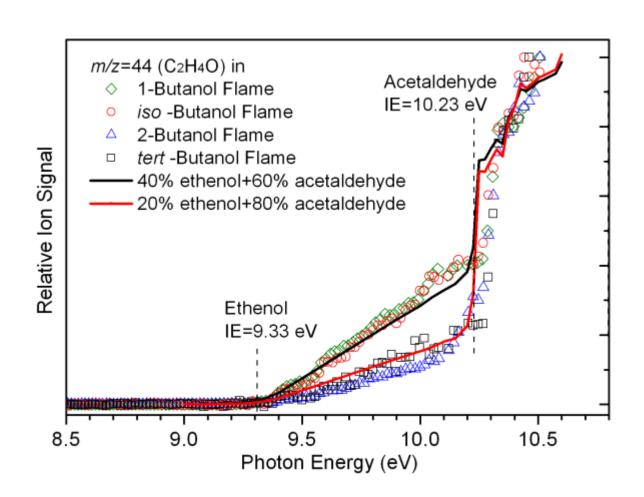
# Application of synchrotron radiation for photoionization (SVUV-PIMS) to distinguish isomers in flames 1. ALS, USA

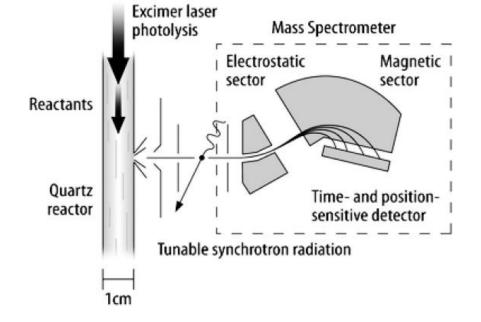
- ALS is tuneable and so it is feasible to distinguish isomers, which have the same mass, through their differing photoionization efficiency curves.
- Traces show m/z=44 for different flames: acetaldehyde: CH<sub>3</sub>CHO ethenol: CH<sub>2</sub>=CHOH

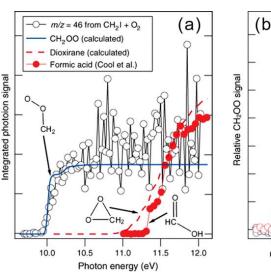


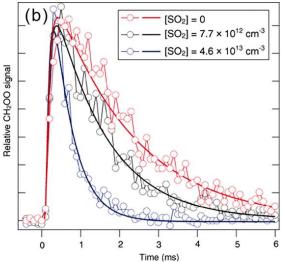
# 2. NSRL China Various butanol flames,

Yang et al. Combust. Flame 148 (2007) 198-209.





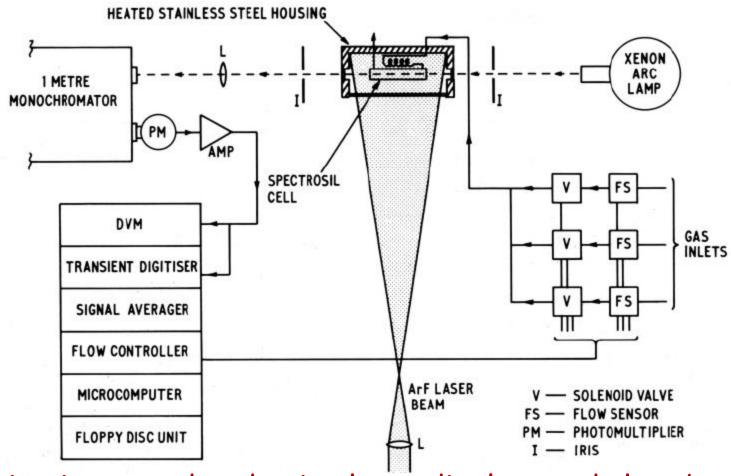




#### SVUV-PIMS for kinetics Taatjes et al., PCCP, 2008, 10, 20 - 34

- (a) The calculated photoionization spectra of the Criegee intermediate CH<sub>2</sub>OO and dioxirane, the experimental photoionization spectrum for formic acid, as well as schematic chemical structures, are shown.
- (b) Time-dependent  $CH_2OO$  signals for various concentrations of  $SO_2$ . Solid lines represent fits to the data traces, including convolution with a measured instrument response function, from which pseudo-first order decay constants are derived Welz et al. Science 335, 204-207

### Radical detection using absorption spectroscopy: $C_3H_5 + C_3H_5$

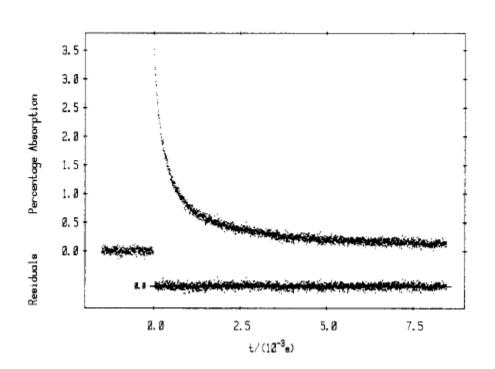


Reaction is  $\underline{\text{second order}}$  in the radical - need the  $\underline{\text{absolute}}$  concentration to determine k.

Tulloch et al. J. Phys. Chem. 1982, 86, 3812-3819

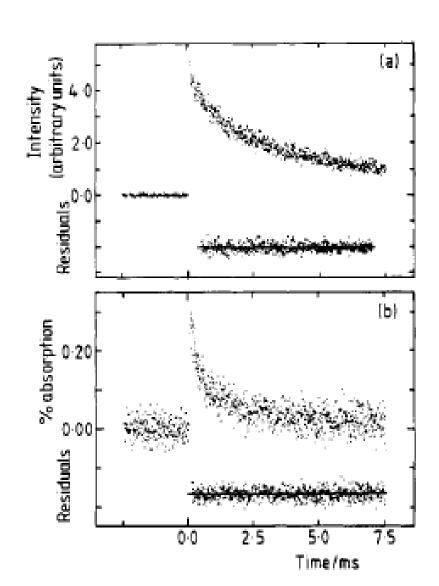
# $C_3H_5 + C_3H_5$ : Absorption spectroscopy 2

- Reaction is second order in  $C_3H_5$
- Need to know absolute concentration of radical – absorption spectroscopy provides a good route to this. (see J. Phys. Chem. 1985, 89, 2268-2274 for discussion for CH<sub>3</sub>)
- I/I<sub>0</sub> =  $\exp(-\sigma[C_3H_5]L)$  where I<sub>0</sub> is the incident and I the transmitted light intensity,  $\sigma$  is the absorption cross section and L is the path length.
- Similar method applied to CH<sub>3</sub> + CH<sub>3</sub>. See Topic 3 for analysis of multiple determinations using master equation approach..



# Experimental determination of $k(CH_3 + H)$

- This reaction presents an additional problem - the need to detect two radicals
- Laser flash photolysis producing H and CH<sub>3</sub> with [H]<<[CH<sub>3</sub>]
- H by resonance fluorescence, CH<sub>3</sub> by absorption. Need absolute [CH<sub>3</sub>], since k(H) = k[CH<sub>3</sub>]
- Brouard et al. J. Phys. Chem. 1989, 93, 4047-4059



# From $1/[CH_3] = 1/[CH_3]_0 + 2k_2t$ Experimental results for

Experimental results for  $CH_3 + H$ 

CH<sub>3</sub> absorption analysed via

$$D(t) = 1 - \exp\left\{-\left(\Delta_0^{-1} - \frac{2k_2t}{\sigma L}\right)^{-1}\right\}$$

Where D(t)= $\Delta$ I/I $_0$ ,  $\Delta_0$  is the peak optical density,  $\sigma$  is the absorption cross section and L is the path length.

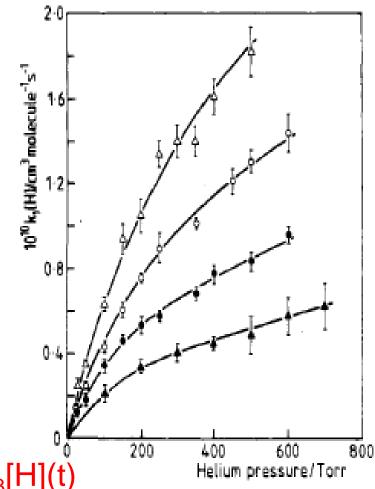
H fluorescence analysed via

[H] = [H]<sub>0</sub> 
$$\left\{ 1 + \frac{2k_2\Delta_0 t}{\sigma L} \right\}^{-\frac{N_1}{2k_2}} \exp(-k_3 t)$$

- Where  $k_2$  refers to  $CH_3$  +  $CH_3$  and  $k_3$  to other 1<sup>st</sup> order loss processes for
- Plot shows rate coefficients vs p at 300, 400, 500, 600 K.

From 
$$d[H]/dt = -k_1[H](t)[CH_3](t) - k_3[H](t)$$





#### $CH_3$ + H. Parameterisation and determination of $k^{\infty}$

- Parameterisation using Troe method (next slide)
- Also determined  $k^{\infty}$  using master equation method coupled with inverse Laplace transform (see later)

TABLE III: Limiting Rate Coefficients Obtained from Fitting the Data for k<sub>1</sub>(H) Using the Troe Factorization Procedure<sup>36,37</sup>

T/K	10 <sup>10</sup> k <sub>1</sub> <sup>m</sup> (H)/ cm <sup>3</sup> molecule <sup>-1</sup> s <sup>-1</sup>	10 <sup>29</sup> k <sub>1</sub> <sup>0</sup> (H)/ cm <sup>3</sup> molecule <sup>-1</sup> s <sup>-1</sup>	Feent	$\beta_{c}$
300	7.6 ± 1.6	$2.7 \pm 0.4$	0.659	0.45
400	$4.7 \pm 1.2$	$3.1 \pm 0.6$	0.627	0.39
500	$3.1 \pm 0.6$	$3.0 \pm 0.5$	0.599	0.34
600	$1.8 \pm 0.6$	$2.5 \pm 0.8$	0.566	0.30

#### Recall earlier slide: Pressure dependent association reactions

$$A + B \stackrel{k_a}{=} AB^* \stackrel{k_s[M]}{\to} AB.$$

$$k = \frac{k_a k_s[M]}{k_{-a} + k_s[M]}$$

$$k = \frac{k_0[M]k^{\infty}}{k^{\infty} + k_0[M]}$$

$$As [M] \to 0, k \to k_a = k^{\infty}$$

$$As [M] \to 0, k \to \frac{k_a k_s[M]}{k_{-a}} = k_0[M]$$
Similar treatment for dissociation reactions

- This is the Lindemann-Hinshelwood model of pressure dependent unimolecular reactions.
- The treatment is an approximation because (i)  $k_{-a}$  depends on the energy of AB\* (ii) deactivation of AB\* takes place in a number of steps.
- These have the effect of broadening the fall-off curve (k vs [M]). These effects have been incorporated in a fitting procedure developed by Troe that is widely used in parameterising rate coefficients for use in combustion modelling

#### Troe Fitting

### Need to represent k(T,P) for Global Models Standard is Troe Fitting

$$k(T,p) = \frac{k_0[M]k^{\infty}}{k^{\infty} + k_0[M]}F \qquad \log_{10} F = \frac{\log_{10} F_{cent}}{1 + \left[\frac{\log_{10}(p^*) + c}{N - d(\log_{10}(p^*) + c)}\right]^2}$$

$$p^* = k_0[M]/k^{\infty} \qquad d = 0.14$$

$$c = -0.4 - 0.67\log_{10} F_{cent} \qquad N = 0.75 - 1.27\log_{10} F_{cent}$$

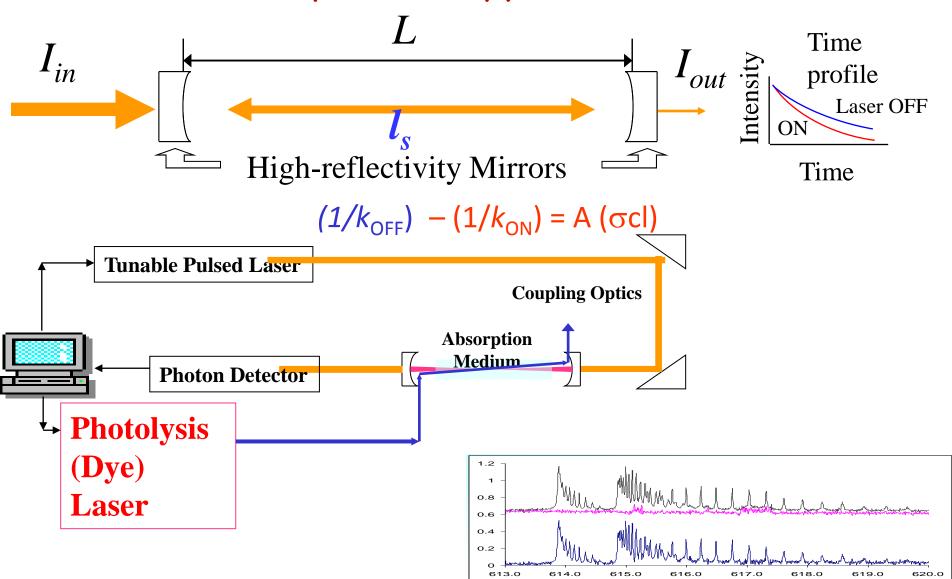
Fit 
$$k_0$$
 &  $k^{\infty}$  to modified Arrhenius  $k_0 = A_0 T^{n_0} \exp(-E_0/T)$ 

Fit F<sub>cent</sub> to:

$$F_{cent} = (1 - a) \exp(-T/T^{***}) + a \exp(-T/T^{*}) + \exp(-T^{**}/T)$$

For the most recent formulation of the broadening term see Zeitschrift für Physikalische Chemie, 2014; Vol. 228, p 1

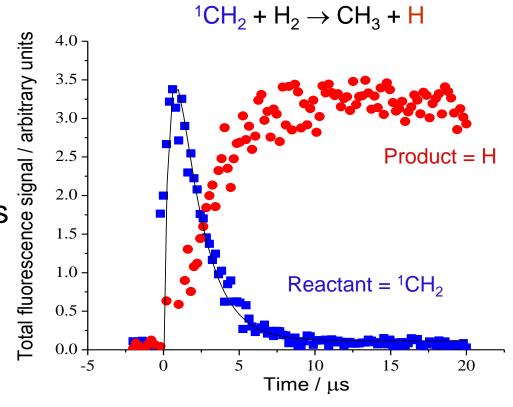
# Detection of HCO using cavity ring down spectroscopy (CRDS)



#### Determination of product yields by Laser Flash Photolysis 1

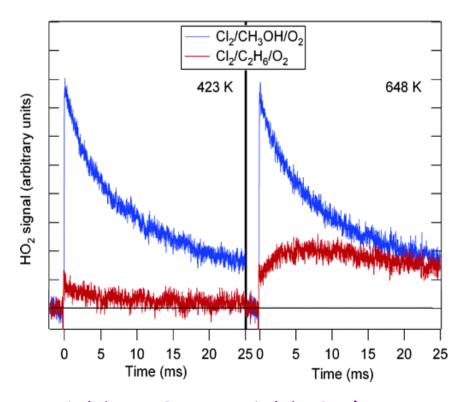
- Use laser pulse to generate radical on short timescale (~10 ns)
- · Observe radical concentration vs time. Obtain kinetics from decay time constant
- Also observe product calibration gives channel yield for a multi channel reaction:

Detection technique:
laser induced
fluorescence
for CH<sub>2</sub> and H
Need to calibrate signals



# Determination of product yields by Laser Flash Photolysis 2: $C_2H_5 + O_2$

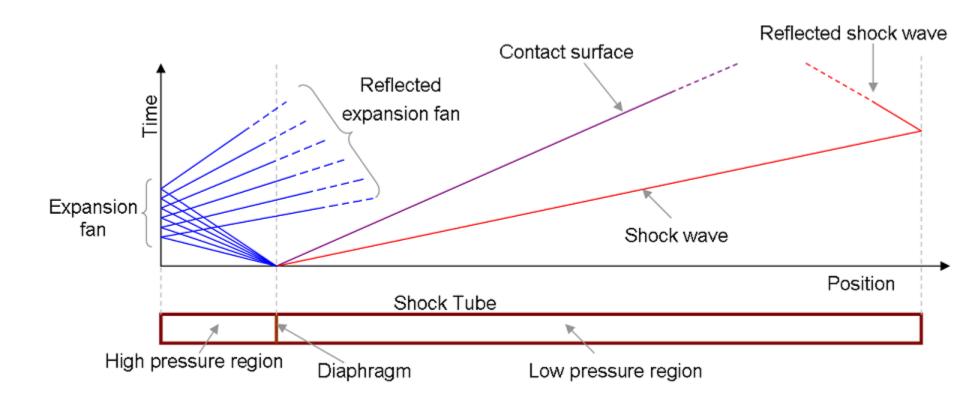
- Taatjes et al. (J. Phys. Chem. A 104 (2000) 11549 11560) observed the formation of OH and  $HO_2$ , determining the fractional yields. Used 100% yield of  $HO_2$  from  $CH_2OH + O_2$  to calibrate the system.
- HO<sub>2</sub> yield1 as T1 and p1
- Two timescales at higher T
- OH yield is small.
- Theoretical interpretation and relevance to autoignition chemistry will be discussed later



$$C_2H_5 + O_2 \rightarrow C_2H_5O_2^*$$
  
 $C_2H_5O_2^* + M \rightarrow C_2H_5O_2 + M$   
 $C_2H_5O_2^* \rightarrow C_2H_4 + HO_2$   
 $C_2H_5O_2 + M \rightarrow C_2H_4 + HO_2$ 

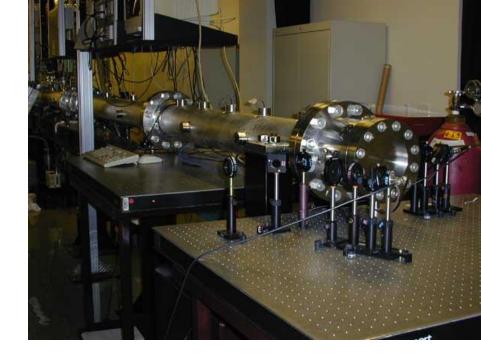
### Shock tubes

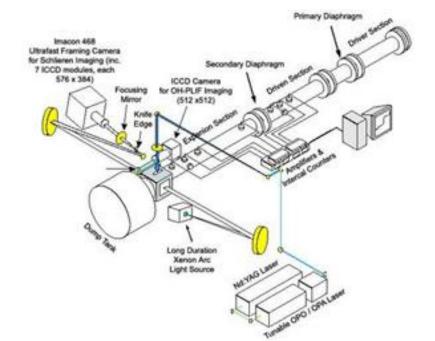
#### Shock tube - basics



#### Shock tube: Hanson lab at Stanford

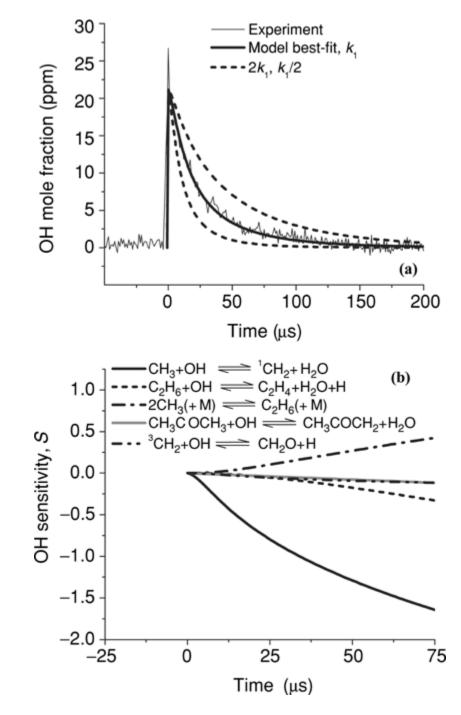






### Shock tubes

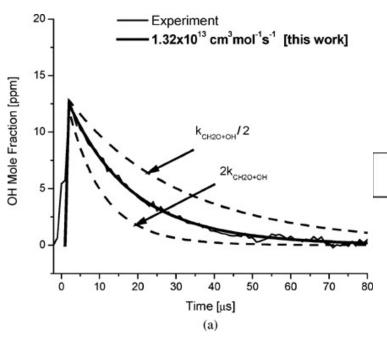
- Compressive heating of reaction mixture
- Radicals generally formed from thermal dissociation of precursor
- Single shot, so no signal averaging, but impressive optimisation of signal
- Generally need to assess secondary reactions and use numerical chemical model with sensitivity analysis to show viability of measurements.
- Example: Measurement of CH<sub>3</sub> + OH by the Hanson group



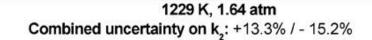
Vasudevan et al, International Journal of Chemical Kinetics (2008), 40(8), 488-495.

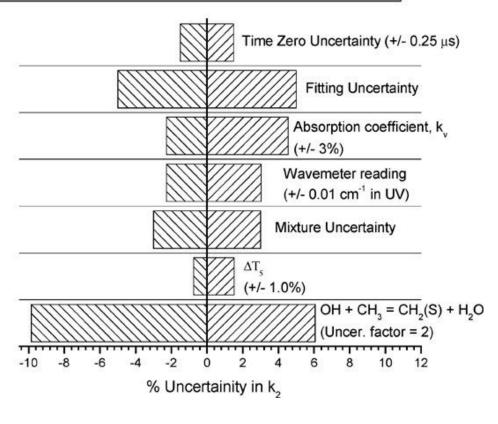
#### OH + HCHO, 934 K to 1670 K, 1.6 atm Int J Chem Kinet 37: 98-109, 2005

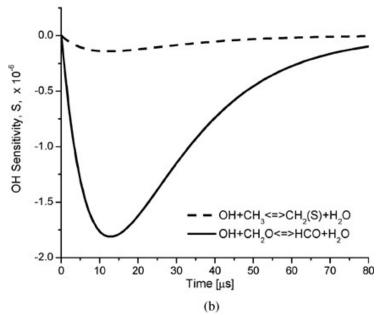
- Behind reflected shock waves. OH radicals shockheating tert-butyl hydroperoxide
- OH concentration time-histories were inferred from laser absorption using the R1(5) line of the OH A-X (0,0) band near 306.7 nm.
- Other reactions contribute to the OH time profile, especially  $CH_3 + OH$ .
- Rate coefficient determined by fitting to detailed model (GRI-Mech - see Wednesday), with addition of acetone chemistry, deriving from dissociation of OH precursor (t-butylhydroperoxide). Detailed uncertainty analysis

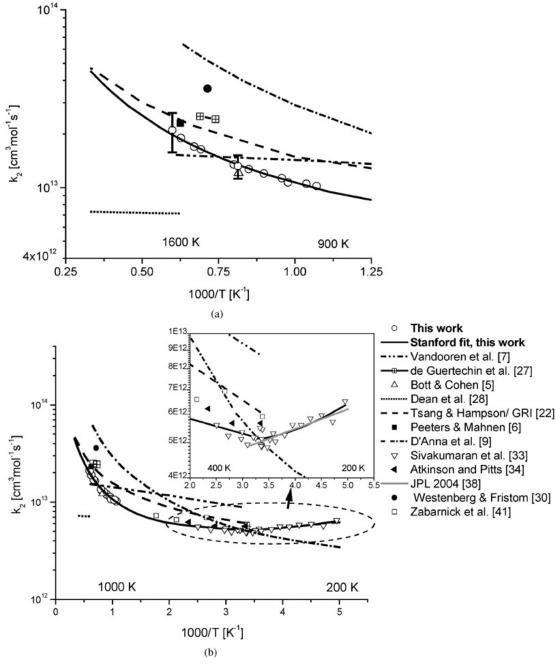


# Determination of k and uncertainty analysis









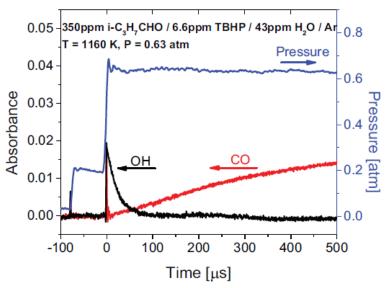
Arrhenius plot for OH + HCHO

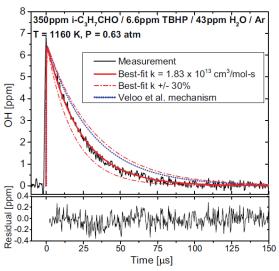
•  $k_2 = 7.82 \times 10^7 T^{1.63} \exp(531/T) / \text{cm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ 

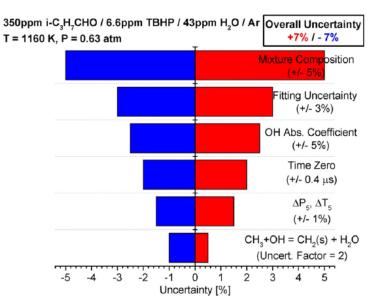
#### OH + Aldehydes

(Wang et al. Proceedings of the Combustion Institute 36 (2017) 151-160)

 Same absorption technique; 976 - 1346 K, 0.6 atm. Some dissociation of aldehyde at higher T. Monitor by CO absorption.







 $k_{\text{iC}_3\text{H}_7\text{CHO}+\text{OH}} = 7.70 \times 10^{13} \text{ exp}(-1700 \text{ K/T}) \pm 7\%;$ 

 $k_{\text{nC}_4\text{H}_9\text{CHO+OH}} = 1.03 \times 10^{14} \exp(-1730 \text{ K/T}) \pm 7\%;$ 

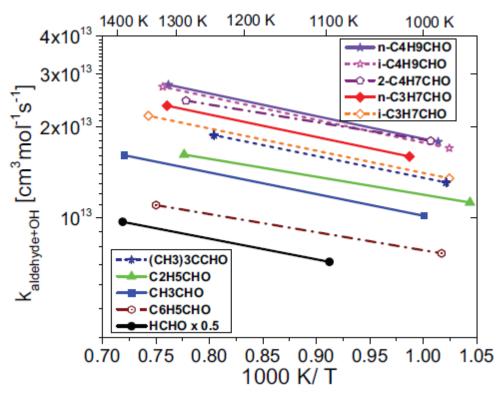
 $k_{iC_4H_9CHO+OH} = 1.02 \times 10^{14} \exp(-1750 \text{ K/T}) \pm 10\%;$ 

 $k_{\rm (CH_3)_3CCHO+OH} = 7.20 \times 10^{13} \exp(-1670 \text{ K/T}) \pm 8\%;$ 

 $k_{\text{C}_2\text{H}_5\text{CHCHCHO}+\text{OH}} = 6.93 \times 10^{13} \text{ exp}(-1340 \text{ K/T}) \pm 8\%;$ 

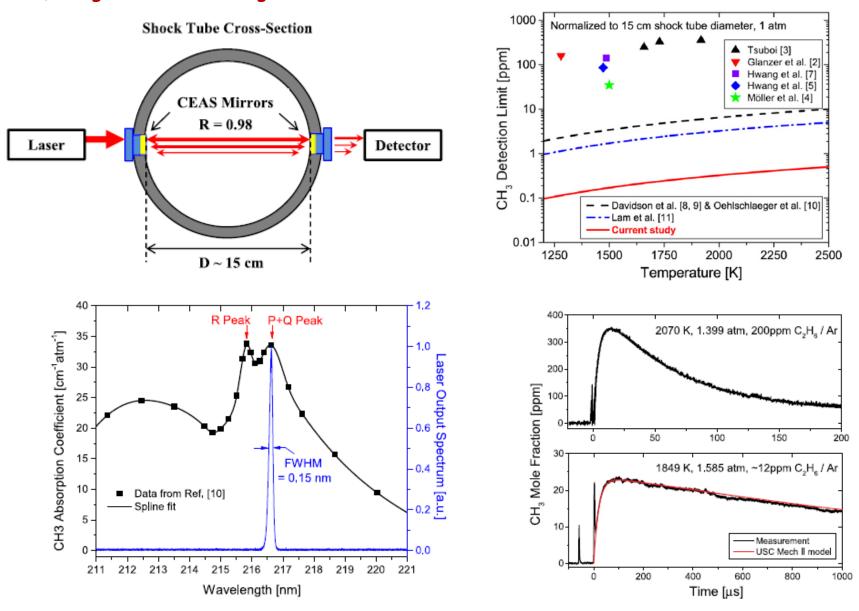
 $k_{\text{C}_6\text{H}_5\text{CHO}+\text{OH}} = 3.10 \times 10^{13} \text{ exp}(-1380 \text{ K/T}) \pm 8\%.$ 

### OH + aldehydes contd.



# Sub ppm CH<sub>3</sub> detection by cavity enhanced absorption spectroscopy (CEAS)

(Wang et al Proceedings of the Combustion Institute 36 (2017) 4549-4556)

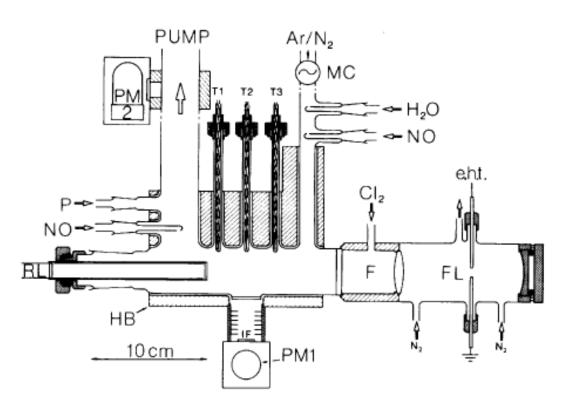


#### CH3 + H by shock tube Su and Michael, Proc Comb Inst 2002, 29, 1219

Shock tube study of the thermal decomposition of  $C_2D_5I/CH_3I/Kr$  mixtures which generated D atoms and CH<sub>3</sub> radicals. [H] and [D] were monitored by ARAS. A rate constant of 2.20·10<sup>-10</sup> cm<sup>3</sup> molecule<sup>-1</sup> s<sup>-1</sup> was measured for the reaction  $CH_3 + D \rightarrow CH_2D +$ H. This rate constant was converted to the high pressure limit for  $CH_3 + H \rightarrow CH_4$  using the ratio of 1.6 determined theoretically by Klippenstein, Georgieskii, and Harding. (Proc. Comb. Inst. 2002, 29, 1229.)

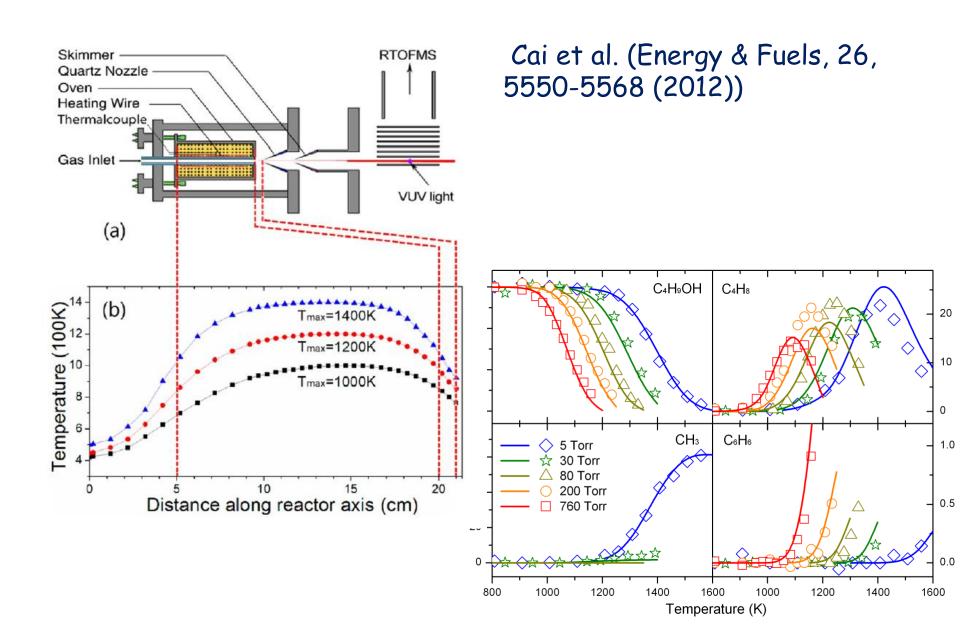
# Flow tubes for elementary reactions and whole systems

# Combined flow tube and pulsed photolysis: O + OH Howard and Smith, J. Chem. Soc Faraday Trans. 2, 1981,77,997-1008



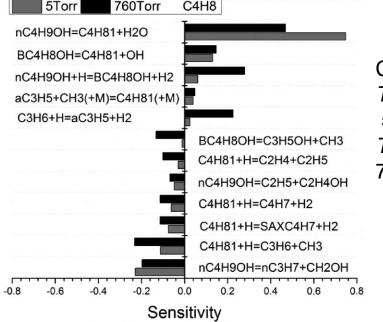
 O generated in discharge, OH by pulsed photolysis, with [O]>> [OH]. [O] generated from N + NO and concentration determined by titration.

#### Pyrolysis of butanol using molecular beam sampling from a plug flow reactor

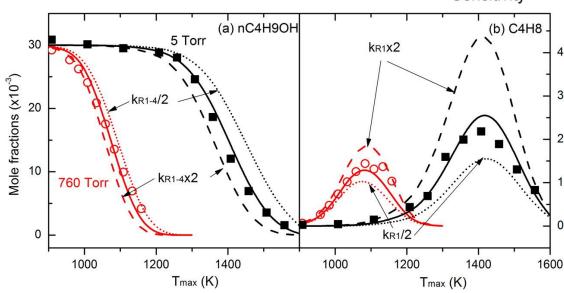


# Use of species concentrations in flow reactor to determine rate coefficients: butanol dissociation

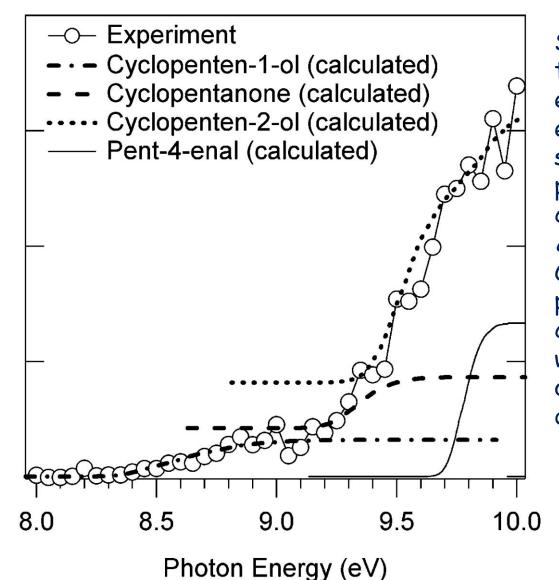
Cai et al. (Energy & Fuels, 5550-5568 (2012))



 $C_4H_8$  sensitivity  $T_{max} = 1450$  K under 5 Torr (gray) and  $T_{max} = 1100$  K under 760 Torr (black)



Experimental mole fraction
 profiles (symbols) and modeling results (lines) of nC<sub>4</sub>H<sub>9</sub>OH
 pyrolysis at 5 and 760 Torr.



⊃hotoionization Efficiency

Schematic decomposition of the best fit to the experimental photoionization efficiency spectrum into the substituent calculated photoionization efficiency curves of the three isomers: 1c- $C_5H_7OH$ , c- $C_5H_8O$ , and 2-c- $C_5H_7OH$ . The isomeric photoionization efficiency curves are scaled by their weighting in the fit to the overall spectrum and vertically displaced for clarity.

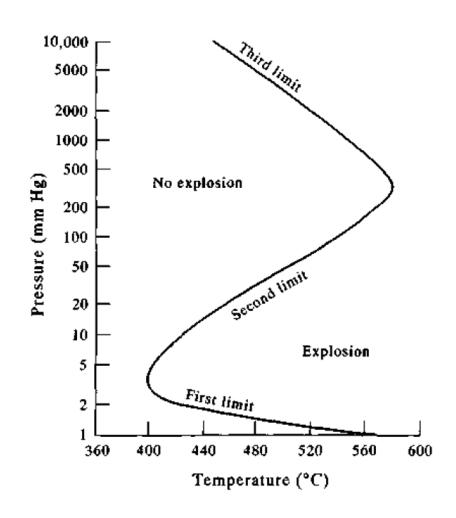
# Static reactors: Early studies of alkane oxidation kinetics and mechanism by Baldwin, Walker and co-workers

- The techniques rely on end product analysis using gas chromatography. Three techniques were used:
  - Addition of small amounts of alkane, RH, to a slowly reacting  $H_{2+}O_2$  mixture at ~ 750 K allowed measurements of, e.g. OH, H,  $HO_2$  + RH.  $H_2$  +  $O_2$  provides a well-controlled environment containing the radicals. (JCS Faraday Trans 1., 1975, 71, 736)
  - Oxidation of aldehydes (550 800 K). Aldehydes act as a source of alkyl radicals, e.g.  $2-C_3H_7$  from  $2-C_3H_7$ CHO (JCS Faraday Trans 2., 1987, 83, 1509)
  - Decomposition of tetramethylbutane (TMB) in the presence of  $O_2$ . System acts as a source of  $HO_2$ . (JCS Faraday Trans 1., 1986, 82, 89)

Examples from the  $H_2 + O_2$  system

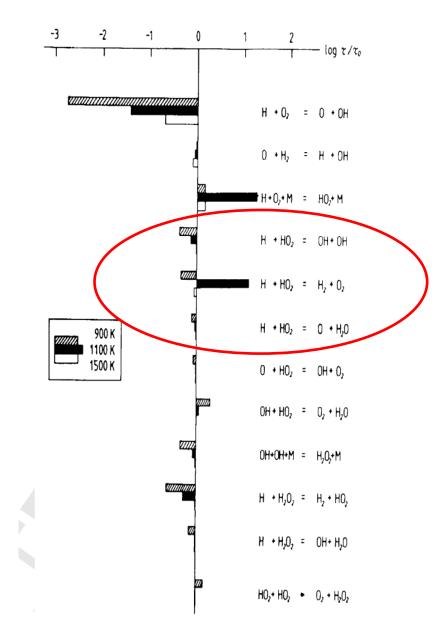
### Reminder Interaction of elementary reactions in $H_2 + O_2$

- There are three ignition (explosion) limits. In each case, there is a competition between a termination reaction (removing radicals, decelerating the rate) and a branching reaction (accelerating the rate)
- First limit competition between termination at the wall e.g.  $H \rightarrow$  wall (rate  $\uparrow$ as pressure  $\downarrow$ ) and  $H + O_2 \rightarrow$  OH + O.
- Second limit competition between H +  $O_2$  + M  $\rightarrow$  HO<sub>2</sub> + M (rate  $\uparrow$ as pressure  $\uparrow$ ) and H +  $O_2$   $\rightarrow$  OH + O. HO<sub>2</sub> is an unreactive radical and reacts mainly by HO<sub>2</sub> + HO<sub>2</sub> + M  $\rightarrow$  H<sub>2</sub>O<sub>2</sub> + M.
- Third limit  $H_2O_2$  dissociates generating OH radicals ( $H_2O_2 + M \rightarrow 2OH$ ) and propagation and branching recommence

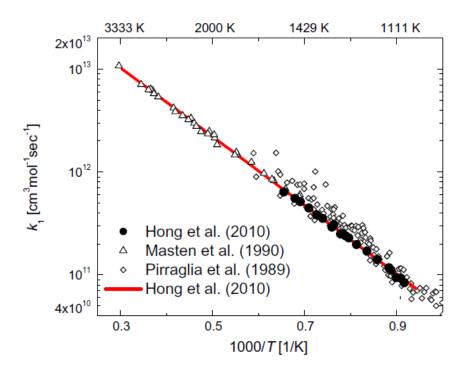


# Hydrogen oxygen system

- Review by Miller et al.
   (Proc Comb. Inst., 2005, 30, 45-88)
- Slide shows sensitivities for ignition delay times  $(8\% H_2, 2\% O_2, 90\% Ar, 1 bar)$ .
- Note the significance of the  $H + O_2$  branching step, the termination step  $H + O_2 + M$  and the H + $HO_2$  steps



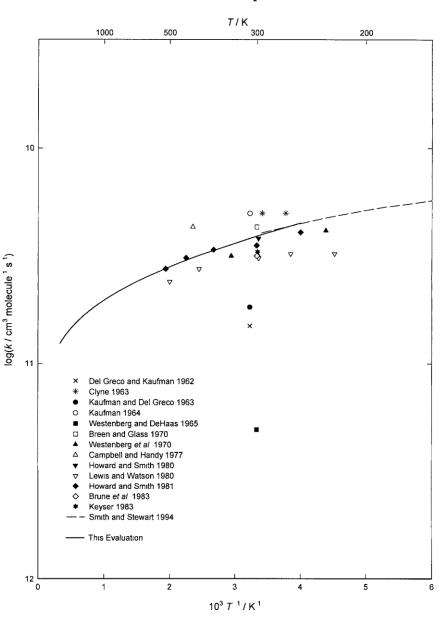
$$H + O_2 \rightarrow OH + O$$



- From Hong et al., shock tube measurements. Comb Flame 2011, 158,633,  $k = 1.7 \times 10^{-10}$  exp(-7670/7) (1100 3370 K). Uncertainty ± 10%.
- See Burke et al. Int J Chem Kinet, 2012, 44, 444, who support the rate coefficient
- See discussions on evaluation in later lectures.

# Reverse reaction: $O + OH \rightarrow H + O_2$

- Studied 150 500 K, mainly by discharge flow / laser
  - flash photolysis.
- Not of great importance in combustion, but provides additional information on reverse reaction through thermodynamics
- $k = 2.00 \times 10^{-10} \text{ T}^{-0.352}$ exp(113/T) cm<sup>3</sup> molecule<sup>-1</sup> s<sup>-1</sup> over the range 250-3000 K.
- $\triangle \log k = \pm 0.2$  over the range 250-3000 K.



 $O + OH \rightarrow O_2 + H$ 

# Second branching step $O + H_2 \rightarrow OH + H$

- Sutherland et al. (21st Symp(Int) Comb, 1986, 929). Used flash photolysis, monitoring O by resonance fluorescence, and shock tube, generating O by flash photolysis of NO and monitoring by ARAS. ()
- Davidson and Hanson (Comb and Flame, 1990, 82, 445) used shock tube, generating O by laser flash photolysis of NO and by pyrolysis of N<sub>2</sub>O. O monitored by ARAS. 2120 - 2750 K.
- Javoy et al, (Int J Chem Kinet, 2000, 32, 686 and Expt. Thermal Fluid Sci. 2003, 27, 371). ARAS 2021 - 3356 K.

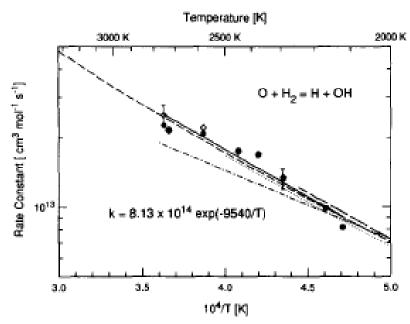


Fig. 2. Arrhenius diagram: O + H<sub>2</sub> → OH + H. Filled circles—data derived from photolysis method. Open diamonds—data derived from pyrolysis method. Error bars represent ±10%. Solid line—best fit to present data. Dotted line—Sutherland et al. [8]. Dashed line—Nataranjan and Roth [9]. Dot-dashed line—Pamidimukkala and Skinner [10]. Long-dashed line—Shin et al. [11].

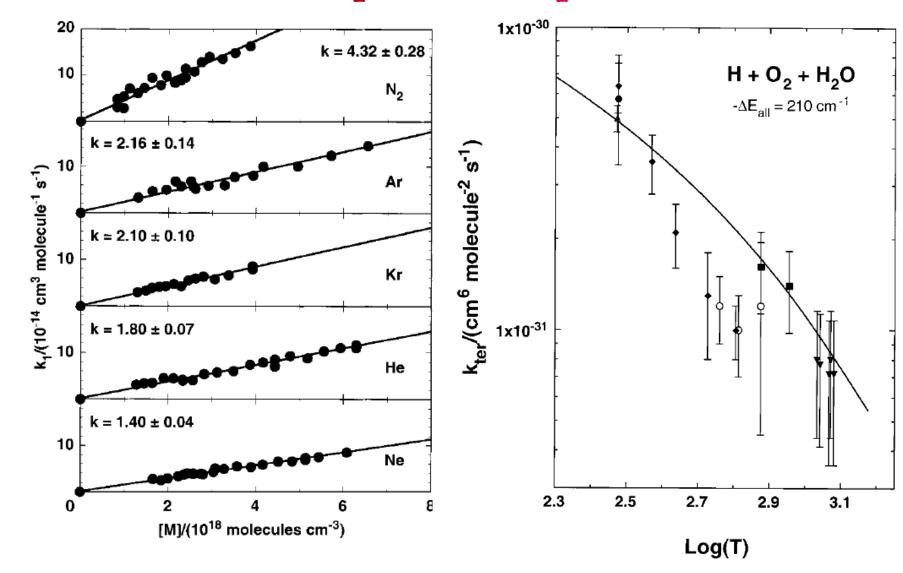
#### Sutherland et al

$$H + O_2 + M \rightarrow HO_2 + M$$

- Termination step at lower T, converting reactive H into less reactive  $HO_2$ . Acts as a route to branching through formation of  $H_2O_2$  through  $HO_2$  +  $HO_2$  (and HO2 + RH in hydrocarbon combustion)
- Reaction is at the third order limit except at higher pressures.
- Michael et al. J. Phys. Chem. A 2002, 106, 5297-5313 used flash photolysis at room T for a wide range of third bodies, and a shock tube at higher T for Ar.  $O_2$  and  $N_2$ . Showed that  $H_2O$  is an unusually effective third body.
- Detailed analysis of collision frequencies and energy transfer parameters.

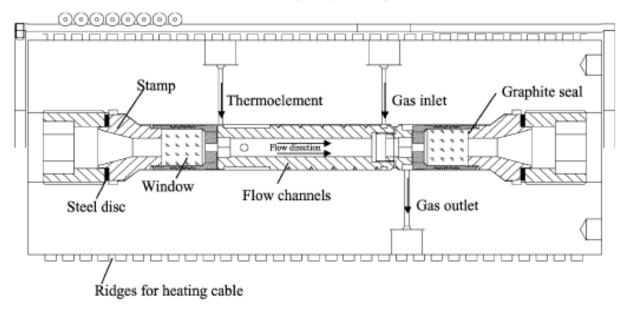
$$A + B \implies AB^* \rightarrow AB$$
 
$$k = \frac{k_0[M]k^{\infty}}{k^{\infty} + k_0[M]}$$

# $H + O_2 + M \rightarrow HO_2 + M$



Units of k: 10<sup>-32</sup> cm<sup>6</sup> molecule<sup>-2</sup> s<sup>-1</sup>

#### High pressure pulsed photolysis / flow reactor Fernandes et al. Phys. Chem. Chem. Phys., 2008, 10, 4313-4321



- $H + O_2 + M \rightarrow HO_2 + M$ , 300 900 K, 1.5 950 bar
- H from photolysis NH<sub>3</sub> at 193 nm
- HO<sub>2</sub> detected by absorption spectroscopy at 230 nm.
- At these higher pressures, the reaction moves into the falloff region

## $H + O_2 + M \rightarrow HO_2 + M$

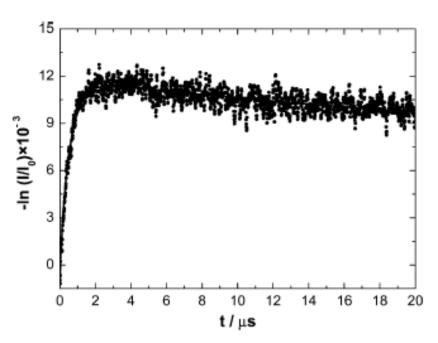


Fig. 2 Absorption–time profile of  $HO_2$  ( $\lambda = 230$  nm, T = 600 K, p = 300 bar,  $M = N_2$ ).

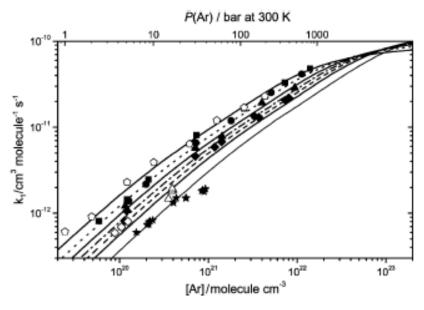


Fig. 5 Falloff curves for the recombination H + O<sub>2</sub> (+Ar) → HO<sub>2</sub> (+Ar) (representative upper pressure scale for 300 K; T/K = 300 (■), 400 (●), 500 (▲), and 600 (•) from this work; 300 (△), ref. 19), 820 (◇, ref. 20), 1200 (★, ref. 22), and 1325 (△, ref. 21); the fitted curves at left from top to bottom are for T/K = 300, 400, 500, 600, 700, 820, and 1200, resp.).

# $H + O_2 + M \rightarrow HO_2 + M$

 Data for different third bodies and temperatures can be rationalised and placed on the same plot using reduced falloff curves. Requires calculation of high pressure limiting rate coefficient (that isn't accessible to experiment for this reaction.)

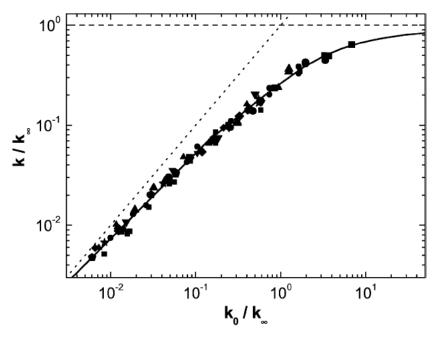
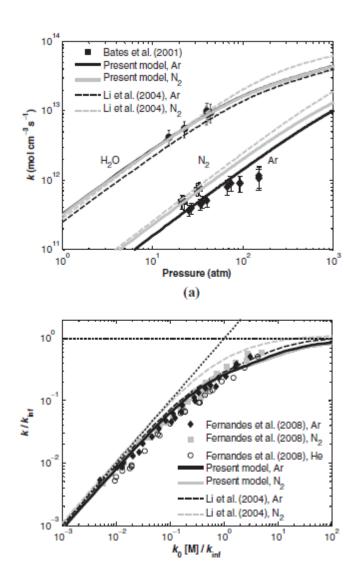


Fig. 7 Doubly reduced falloff curves for the recombination  $H + O_2$  (+M)  $\rightarrow HO_2$  (+M) in the bath gases M = He, Ar, and  $N_2$  (experimental points from this work from Tables 1–3; T/K = 300 ( $\blacksquare$ ), 400 ( $\bullet$ ), 500 ( $\blacktriangle$ ), 600 ( $\blacktriangledown$ ), 700 ( $\bullet$ ), 800 ( $\bigstar$ ), and 900 ( $\bullet$ ), see text).

#### Evaluation: Burke et al, Int J Chem Kinet 2012, 44, 444



 See paper for detailed discussion of Troe parameters (next slide), uncertainties etc.

#### REMINDER

#### Troe Fitting

Need to represent k(T,P) for Global Models Standard is Troe Fitting

$$k(T,p) = \frac{k_0[M]k^{\infty}}{k^{\infty} + k_0[M]}F \qquad \log_{10} F = \frac{\log_{10} F_{cent}}{1 + \left[\frac{\log_{10}(p^*) + c}{N - d(\log_{10}(p^*) + c)}\right]^2}$$

$$p^* = k_0[M]/k^{\infty} \qquad d = 0.14$$

$$c = -0.4 - 0.67\log_{10} F_{cent} \qquad N = 0.75 - 1.27\log_{10} F_{cent}$$

Fit  $k_0$  &  $k^{\infty}$  to modified Arrhenius  $k_0 = A_0 T^{n_0} \exp(-E_0/T)$ 

Fit F<sub>cent</sub> to:

$$F_{cent} = (1-a)\exp(-T/T^{***}) + a\exp(-T/T^{*}) + \exp(-T^{**}/T)$$

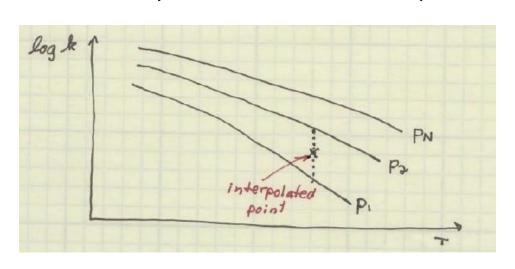
### Alternative generalized polynomial approach: PLOG

Gou, J.A. Miller, W. Sun and Y. Ju, http://engine.princeton.edu, 2011.

$$k(T, p_i) = \sum_{j=1}^{M} A_{ij} T^{nij} \exp\left(-\frac{E_0^{ij}}{RT}\right),$$

$$i = 1, \dots, N, \quad M \ge 1$$

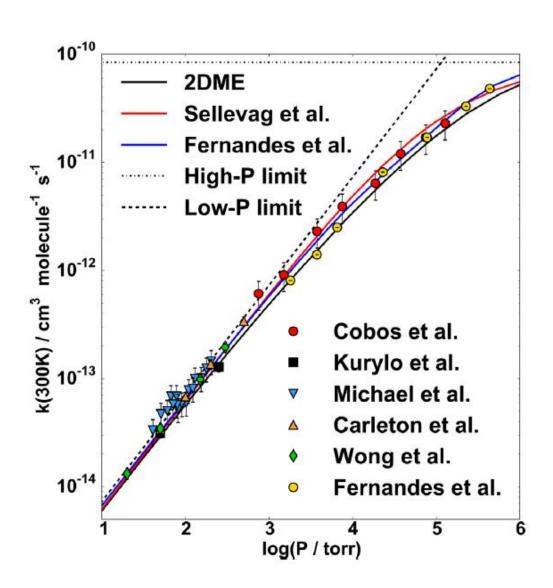
at a set of pressures,  $p=p_1$ ,  $p_2$ ,.... $p_N$ . M (which determines the order of the polynomial) and N are user specified numbers. The extrapolation is bounded by the two pressure limits,  $p_1$  and  $p_N$ .



Linear extrapolation of lgk vs lgp is used to determine k at other p.

Code available, programmed in CHEMKIN PRO - see link above

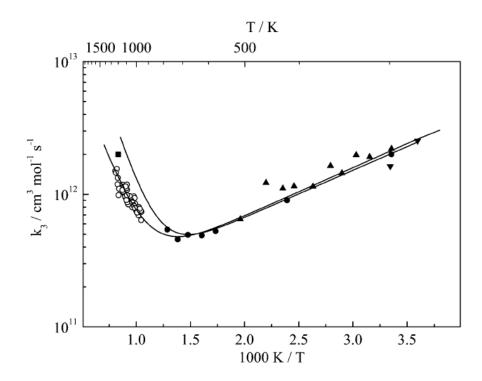
# Latest comparison of purely a priori theory and experiment, M=Ar Klippenstein, Proc Comb Inst, 2017, 36, 217



- 1. solid black line: a priori energy transfer based 2DME predictions, coupled with dynamically corrected variable reaction coordinate TST based on a high accuracy well-validated MRCI PES
- 2: solid red line: fitted master equation results of Sellevag et al. J Phys Chem A 2008, 112, 5085.
- 3. solid blue line: analytic fit of Fernandes et al. Phys Chem Chem Phys 2008, 10, 4313

# $HO_2 + HO_2 \rightarrow H_2O_2 + O_2$

- < 800 K. Flash photolysis, absorption spectroscopy
- Open circles: shock tube, absorption spectroscopy (Kappel et al, Phys Chem Chem Phys, 2002, 4, 4392)
- Reference 5: Hippler et al. J Chem Phys 1990, 93, 1755
- Significant disagreement > 1000 K
- Burke etal. 'Difficult to discern which, if any, (of the high T) determinations is reliable.' More measurements needed under combustion conditions.
- See Topic 3 Theory



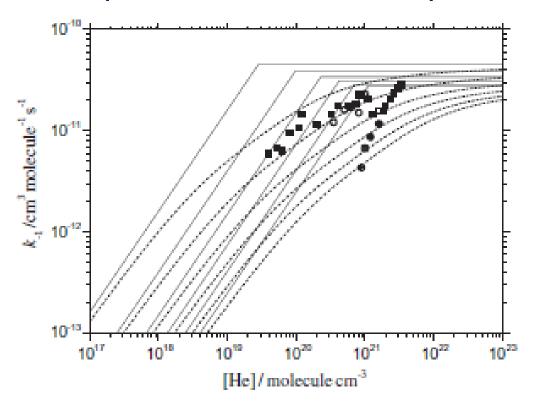
**Fig. 10** Rate constants  $k_3$  (■: ref. 2,  $\blacktriangle$ : ref. 35,  $\blacktriangledown$ : ref. 36,  $\bullet$ : ref. 37,  $\bigcirc$  and lower line: this work, upper line: ref. 5).

## $H_2O_2 + M \rightarrow 2OH + M$

- Troe, Combustion and Flame 2011, 158, 594-601 The thermal dissociation/recombination reaction of hydrogen peroxide  $H_2O_2 = 2OHA$ nalysis and representation of the temperature and pressure dependence over wide ranges.
- Reaction is far from the high pressure limit. To obtain a representation of k(T,p), Troe used the statistical adiabatic channel model to calculate  $k_{\infty}$ , using an ab initio surface (Phys. Chem. Chem. Phys. 10 (2008) 3915; J. Chem. Phys. 111 (1999) 2565.
- An important aspect of this work was the use of thermodynamics to relate forward and reverse reactions, using the revised enthalpy of formation of OH - see Wednesday lecture on thermodynamics

#### Association reaction

- Flash photolysis coupled with saturated LIF.
- Use pressure dependence to separate from O + H<sub>2</sub>O channel
- Also problems with secondary reactions (see paper)

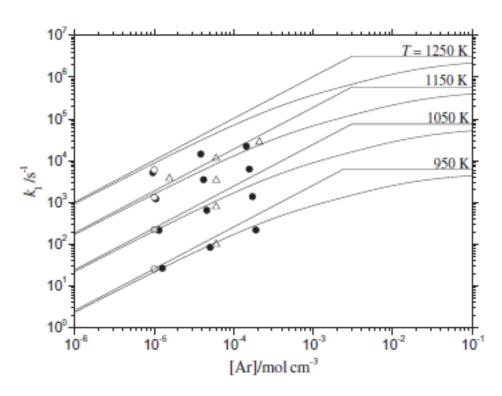


Reaction is second order in radical, so absolute concentration is needed

Fig. 3. Experimental recombination rate coefficients  $k_{-1}$  and their modelled falloff representation (M = He, experimental points from Refs. [30,31] at T/K = 210 ( $\bigcirc$ ), 298 ( $\blacksquare$ ), 406 ( $\square$ ), 510 ( $\blacksquare$ ), 614 ( $\bigcirc$ ), and 694 ( $\bigcirc$ ); full lines = modelled limiting low and high pressure rate coefficients from Section 5 of this work; dashed lines = falloff representation by Eq. (3.3) with  $F_c = 0.37$  and N = 1.32).

#### Dissociation reaction

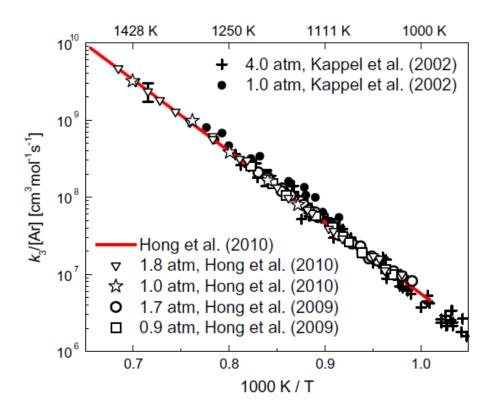
 Flow reactor and static studies at lower T and shock tube measurements above 950 K (see below)



#### Overall reaction

Dissociation and association data fitted to Troe expression (see earlier) using theoretical high pressure limit and equilibrium constant

## $H_2O_2$ dissociation Hong et al. Comb Flame 2011, 158, 633



 Data refer to low pressure limit. Used shock tube with laser absorption detection of H<sub>2</sub>O and OH