

AP BIOLOGY EQUATIONS AND FORMULAS

	STATISTICAL ANALYSIS AND PROBABILITY										
Standard Error Mean							s = sample standard deviation (i.e. the sample-based estimate				
	$SE_X = \frac{S}{\sqrt{n}}$			$\bar{X} = \frac{1}{n} \sum_{i=1}^{n} X_i$				į	of the standard devation of the population) _ X = mean		
	Standard	Deviation	n		C	hi - Squa	re				
	Γ.	- <i>(</i>	=\2			_	. 2		n = size of the samp	ole	
S	$=\sqrt{\frac{2}{3}}$	$\frac{\sum (X_i - X_i)}{n}$	1			$\sum \frac{(a)^{2}}{a}$	e e		o = observed individ	duals with observed ge	enotype
				SQUARE							
			Degre	ees of Fre	edom				e = expected individ	luals with observed ge	enotype
p	1	2	3	4	5	6	7	8			
0.05	3.84	5.99	7.82	9.49	11.07	12.59	14.07	15.51	Degrees of freedom	n = (# of distinct possib	le outcomes) - 1
0.01	6.64	9.32	11.34	13.28	15.09	16.81	18.48	20.09			
							METRIC PREFIXES				
			LAWS OF PROBABILITY Factor Prefix Symbol								
If	A and B a	re mutu	ally exc	lusive, tl	re, then P (A or B) = P (A) + P (B) 10 9 giga G						
	If A and I	B are inc	depende	nt, then	P (A an	d B) = P	(A) x P(B	3)	10 ⁶	mega	М
									10 ³	kilo	k
		HA	RDY - WI	EINBERG	EQUATIO	ONS			10 -2	centil	С
	n ² + 2no	+ 2pq + q ² = 1 p: frequency of the dominant 10 ⁻³ milli m									
	allele		e in a population		10 ⁴	micro	μ				

10 ⁻⁹

10 -12

nano

pico

p

MODE: Value that occurs most frequently in a data set

p+q=1

MEDIAN: Middle value that separates the greater and lesser halves of a data set

MEAN: Sum of all data points divided by number of data points

RANGE: Values obtained by subtracting the smallest observation (sample minimum) from the greatest (sample maximum)

q: frequency of the recessive

allele in a population



RATE AN	Water Potential (Ψ)			
Rate	dY = amount of change	Ψ = Ψp + Ψs		
dY/dt	t = time	Ψp = pressure potential		
Population Growth	B = birth date	Ψs = solute potential		
dN/dt = B - D	D = death rate	The water potential will be equal to		
Exponential Growth	N = population size	the solute potential of a solution in ar		
dN N	K = carrying capacity	open container, since the pressure		
$\frac{dN}{dt} = r_{max}N$	r _{max} = maximum per capita growth	potential of the solution in an open		
Logistic Growth	rate of population	container is zero.		
$\frac{dN}{dt} = r_{max} N\left(\frac{K-N}{K}\right)$		The Solute Potential of the Solution		
$dt = I_{max} IV \binom{K}{K}$		Ψs = -iCRT		
Temperature Coefficient Q ₁₀	t ₂ = higher temperature	i = ionization constant (For sucrose		
	t ₁ = lower temperature	this is 1.0 because sucrose does		
$(k_2)\frac{10}{t_2-t_1}$	k_2 = metabolic rate at t_2	not ionize in water)		
$Q_{10} = \left(\frac{k_2}{k_1}\right)^{\frac{10}{t_2 - t_1}}$	k_1 = metabolic rate at t_1	C = molar concentration		
	Q_{10} = the <i>factor</i> by which the reaction	R = pressure constant		
Primary Productivity Calculation	rate increases when the	(R = 0.0831 liter bars/mole K)		
mg $O_2/L \times 0.698 = mL O_2/L$	temperature is raised	T = temperature in Kelvin (273 + °C		
mL O $_2$ /L x 0.536 = mg carbon fixed/L	by ten degrees			
SURFACE ARE	A AND VOLUME	Dillution - used to create a dilute		
Volume of a Sphere	r = radius	solution from a concentrated		
$V = 4/3 \pi r^3$	 I = length	stock solution		
Volume of a Rectangular Prism	h = height	$C_1V_i = C_fV_f$		
V = I w h	w = width	I = initial (starting)		
Volume of a Cylinder	A = surface area	C = concentration of solute		
$V = \pi r^2 h$	V = volume	f = final (desired)		
Surface Area of a Sphere	Σ = sum of all	V = volume of Solution		
$V = 4 \pi r^2$	a = surface area of one side of the cube	Gibbs Free Energy		
Surface Area of a Cube		$\Delta G = \Delta H - T \Delta S$		
A C -		ΔG = change in Gibbs Free Energy		
A = 6 a		20 change in Globs free Energy		
A = 6 a Surface Area of a Rectangular Solid		ΔS = change in entropy		

T = absolute temperature (in Kelvin)

pH = - log [H+]

Appendix A

AP BIOLOGY EQUATIONS AND FORMULAS

Statistical Analysis and Probability

Mean

Standard Deviation*

$$\overline{x} = \frac{1}{n} \sum_{i=1}^{n} x_i$$

$$S = \sqrt{\frac{\sum (x_i - \overline{x})^2}{n - 1}}$$

Standard Error of the Mean*

$$SE_{\overline{x}} = \frac{S}{\sqrt{n}}$$

$$\chi^2 = \sum \frac{(o-e)^2}{e}$$

Chi-Square Table

p	Degrees of Freedom							
value	1	2	3	4	5	6	7	8
0.05	3.84	5.99	7.82	9.49	11.07	12.59	14.07	15.51
0.01	6.64	9.21	11.34	13.28	15.09	16.81	18.48	20.09

$\bar{x} = \text{sample mean}$

n =size of the sample

- s = sample standard deviation (i.e., the sample-based estimate of the standard deviation of the population)
- o =observed results
- e = expected results

Degrees of freedom are equal to the number of distinct possible outcomes minus one.

Laws of Probability

If A and B are mutually exclusive, then:

$$P(A \text{ or } B) = P(A) + P(B)$$

If A and B are independent, then:

$$P(A \text{ and } B) = P(A) \times P(B)$$

Hardy-Weinberg Equations

$p^2 + 2pq + q^2 = 1$	p = frequency of the dominant allele
	in a population

$$p + q = 1$$
 $q =$ frequency of the recessive allele in a population

Metric Prefixes

Factor	<u>Prefix</u>	Symbol
10^{9}	giga	G
10^{6}	mega	M
10^{3}	kilo	k
10-2	centi	c
10-3	milli	m
10-6	micro	μ
10-9	nano	n
10-12	pico	p

Mode = value that occurs most frequently in a data set

Median = middle value that separates the greater and lesser halves of a data set

Mean = sum of all data points divided by number of data points

Range = value obtained by subtracting the smallest observation (sample minimum) from the greatest (sample maximum)

* For the purposes of the AP Exam, students will not be required to perform calculations using this equation; however, they must understand the underlying concepts and applications.

Rate and Growth

Rate

 $\frac{dY}{dt}$

Population Growth

$$\frac{dN}{dt} = B - D$$

Exponential Growth

$$\frac{dN}{dt} = r_{\text{max}} N$$

Logistic Growth

$$\frac{dN}{dt} = r_{\text{max}} N \left(\frac{K - N}{K} \right)$$

Temperature Coefficient Q₁₀†

$$Q_{10} = \left(\frac{k_2}{k_1}\right)^{\frac{10}{T_2 - T_1}}$$

Primary Productivity Calculation

$$\frac{mg~O_2}{L} \times \frac{0.698~mL}{mg} = \frac{mL~O_2}{L}$$

$$\frac{\text{mL O}_2}{\text{L}} \times \frac{0.536 \text{ mg C fixed}}{\text{mL O}_2} = \frac{\text{mg C fixed}}{\text{L}}$$

(at standard temperature and pressure)

dY = amount of change

dt = change in time

B =birth rate

D = death rate

N =population size

K =carrying capacity

 $r_{\text{max}} = \text{maximum per capita}$ growth rate of population

 T_2 = higher temperature

 $T_1 =$ lower temperature

 k_2 = reaction rate at T_2

 k_1 = reaction rate at T_1

Q₁₀ = the factor by which the reaction rate increases when the temperature is raised by ten degrees

Water Potential (Ψ)

$$\Psi = \Psi_P + \Psi_S$$

 $\Psi_{\rm p}$ = pressure potential

 Ψ_s = solute potential

The water potential will be equal to the solute potential of a solution in an open container because the pressure potential of the solution in an open container is zero.

The Solute Potential of a Solution

$$\Psi_{\rm S} = -iCRT$$

i = ionization constant (this is 1.0 for sucrose because sucrose does not ionize in water)

C = molar concentration

R =pressure constant (R = 0.0831 liter bars/mole K)

T = temperature in Kelvin (°C + 273)

Surface Area and Volume

Volume of a Sphere

 $V = \frac{4}{3} \pi r^3$

Volume of a Rectangular Solid

V = lwh

Volume of a Right Cylinder

 $V = \pi r^2 h$

Surface Area of a Sphere

 $A = 4\pi r^2$

Surface Area of a Cube

 $A = 6s^2$

Surface Area of a Rectangular Solid

 $A = \sum$ surface area of each side

r = radius

l = length

h = height

w = width

s =length of one side of a cube

A = surface area

V = volume

 $\Sigma = \text{sum of all}$

Dilution (used to create a dilute solution from a concentrated stock solution)

$$C_{i}V_{i}=C_{f}V_{f}$$

i = initial (starting) C = concentration of solutef = final (desired) V = volume of solution

Gibbs Free Energy

 $\Delta G = \Delta H - T \Delta S$

 ΔG = change in Gibbs free energy

 ΔS = change in entropy

 ΔH = change in enthalpy

T = absolute temperature (in Kelvin)

 $pH* = -\log_{10} [H^+]$

[†] For use with labs only (optional).



^{*} For the purposes of the AP Exam, students will not be required to perform calculations using this equation; however, they must understand the underlying concepts and applications.