Pop > Reps (x, z)

Pope = 163 + esp F/N 1- 641

6,91 + 12,757 + 13,14 32

en Method.

Uses Orr-Sommefeld Results Directly.

Key Assumption Linear growth region dominates process.

(most valid in adverse prossure gradients)

Hypothesis. Transition occurs when $\frac{A(w)}{A_0} = e^n$ $n \ge 9$ $e^9 \ge 8100$ A = |v'|, or wave amplitude, elc. Ao for some frequency some some

Spatial problem: must sheck all frequencies.

What is A(x) for given ω_r ? $v' = \hat{V}(y) e^{-i(\alpha_r x - \omega_r t)} e^{-\alpha_i x}$ $A = |v'| = |\hat{V}| e^{-\alpha_i x}$

 $\ln A = \ln |\hat{v}| - \alpha_i \times dx = -\alpha_i$

 $\alpha: \theta = \overline{\alpha}: (Rep, H, \overline{\omega}) \ \overline{\omega} = \frac{\omega_r \theta}{u_e}$ (Uses u_e , θ as ref velocity length)

 $\overline{\omega} = \frac{\omega \theta}{n_e}$ $\omega_r = 1000 \overline{R}_i = 0$ $\omega_r = 500$ $\omega_r = 500$ $\omega_r = \frac{1}{6} \cdot \overline{R}_i (R_e, \overline{\omega})$ $\overline{R}_i = 0$ $R_e = \frac{1}{6} \cdot \overline{R}_i (R_e, \overline{\omega})$ $R_e = \frac{1}{6} \cdot \overline{R}_i (R_e, \overline{\omega})$

Look at one frequency ω_r (say 500 ral/s) know $\bar{\omega}(x) = \bar{\omega}_r \cdot \frac{\theta(x)}{u_0(x)}$, $Re_{\theta}(x) = \frac{u_0(x)}{V} \frac{\theta(x)}{V}$

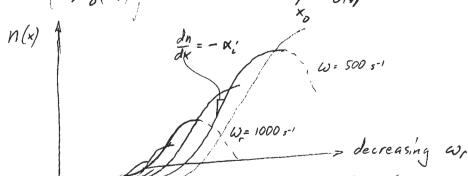
deluA) = - ai

In general:

$$\ln A(x; \omega_r) = \ln A_0(\omega_r) + \int \frac{d}{dx} (\ln A) dx$$

$$\times (\omega_r)$$

or
$$\ln \frac{A(x; \omega_r)}{A_o(\omega_r)} = n(x; \omega_r) = \int_{-\frac{1}{\theta(s)}}^{\infty} \frac{A(x; \omega_r)}{A_o(\omega_r)} ds$$

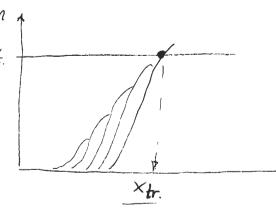


In general lower frequencies:

- · go unstable farther downstream
- · grow more (over a longer distance)

Some frequency will reach n = norit first, triggering transition.

As depends on ambient disturbance level. If Airit is universal, then norit depends on dist. level.



Saiplane 14-18 C used to be called e or e method, power plane. 12
clean tunnel 8-10 - norit first determined in tunnel tests
dirty tunnel 4-8