(115)i) consider element of unitial sides point un length
deformed element has sides 1+ \(\xi\), 1+ \(\xi_z\), 1+ \(\xi_z\)
: Volume (defined) = (1+ E) (1+ E2) (1+ E3)
neglectung high order terms (E, E,, E, E,, E, E,, E, E, E, E)
defined volume = 1+ E, + E2 + E3
:. <u>Vdef</u> - Vundef = \(\xi_1 + \xi_2 + \xi_3\) (=
ii)

iia)
$$\mathcal{E}_{1}=\partial U_{1}=(x_{1}+0.55c_{2})\times (0^{-13})$$

$$\sum_{z=1}^{2} \frac{\partial v_{z}}{\partial y_{z}} = \left(0.5 \times v_{z} - x_{1}\right) \times 10^{-13}$$

$$\Sigma_{33} = \partial U_3 - 0$$

$$\Sigma_{12} = \frac{1}{2} \left(\frac{\partial v_1}{\partial x_2} + \frac{\partial v_2}{\partial x_1} \right) = \frac{1}{2} \left(-\frac{2}{2} (2 + 0.5) (2 +$$

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$$\mathcal{E}_{23} = \frac{1}{2} \left(\frac{\partial U_2}{\partial x_3} + \frac{\partial U_3}{\partial x_2} \right) = 0$$

$$\mathcal{E}_{13} = \frac{1}{2} \left(\frac{\partial \mathcal{V}_3}{\partial x_1} + \frac{\partial \mathcal{V}_1}{\partial x_3} \right) = 0$$

$$= \frac{1}{2} \left(-20c_2 + 0.52c_1 - 0.80c_1 - 2c_2 \right) \times 10^{-3}$$

$$= \frac{1}{2} \left(-20c_2 \right) = 2c_2 \times 10^{-3} \quad (=$$

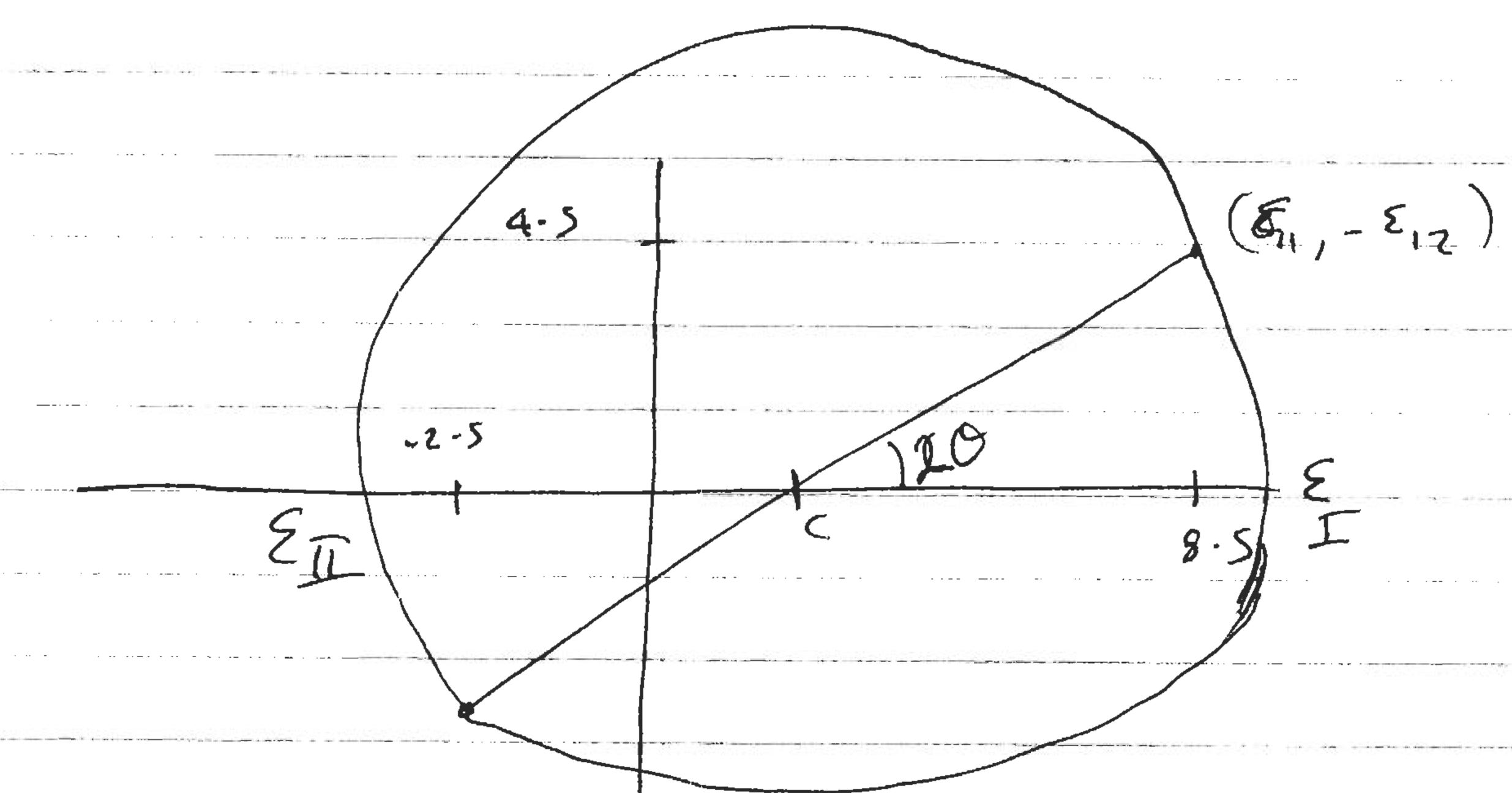
c) at
$$x_1 = 5m$$
, $x_2 = 7m$.

$$\epsilon_{11} = (5+7) \times 10^{-3} = 8.5 \times 10^{-3}$$

$$\Sigma_{22} = (\frac{7}{2} - 5) \times 10^{-3} = -2.5 \times 10^{-3}$$

$$\xi_{12} = \frac{1}{2} \left(5 - 14 \right) \times 10^{-3} = -4.5 \times 10^{-3}$$

d) Volumetric Strain 3 (8.5 + (-2.5) +



Center
$$(2/2[8.5+(-2.5)]\times10^{-3}=+3\times10^{-3}$$

$$6 \sum_{i=1}^{2} = 3 \times 10^{-3} + 7.11 \times 10^{-3} = 10.11 \times 10^{-3} = 10.11 \times 10^{-3}$$

d) Volumetnic strum =

$$16.11 + (-4.11) + 0 = 6 \times 10^{-3}$$