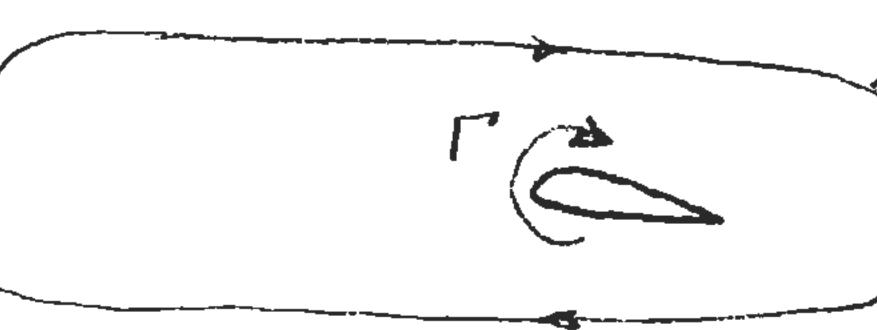
Before touchdown.

After touchdown:



12 = Tunchanged)

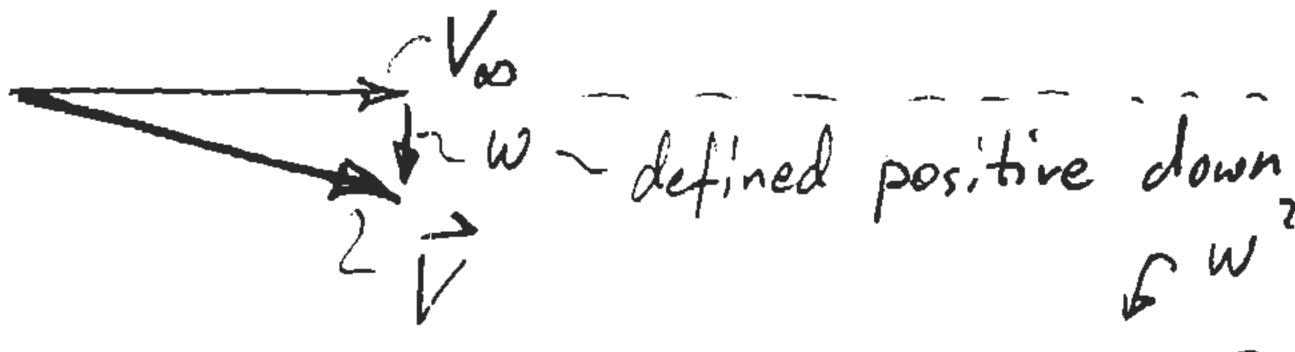
Airfoil sheds a vortex which contains all the airfoil's intial circulation. Airfoil is left with zero circulation.

F16. Since initial circulation is zero,

must have [ = - ]



Velocity seen by airfoil -



$$W = \frac{\Gamma}{2\pi d}, \quad \left| \overrightarrow{V} \right|^2 = V_{\infty}^2 + \left( \frac{\Gamma}{2\pi d} \right)^2 \approx V_{\infty}^2 + \left( \frac{\Gamma}{2\pi d} \right)^2 \approx V_{\infty}^2$$

Net lift force span is perpendicular to apparent velocity.

force à velocity triangles are congruent.

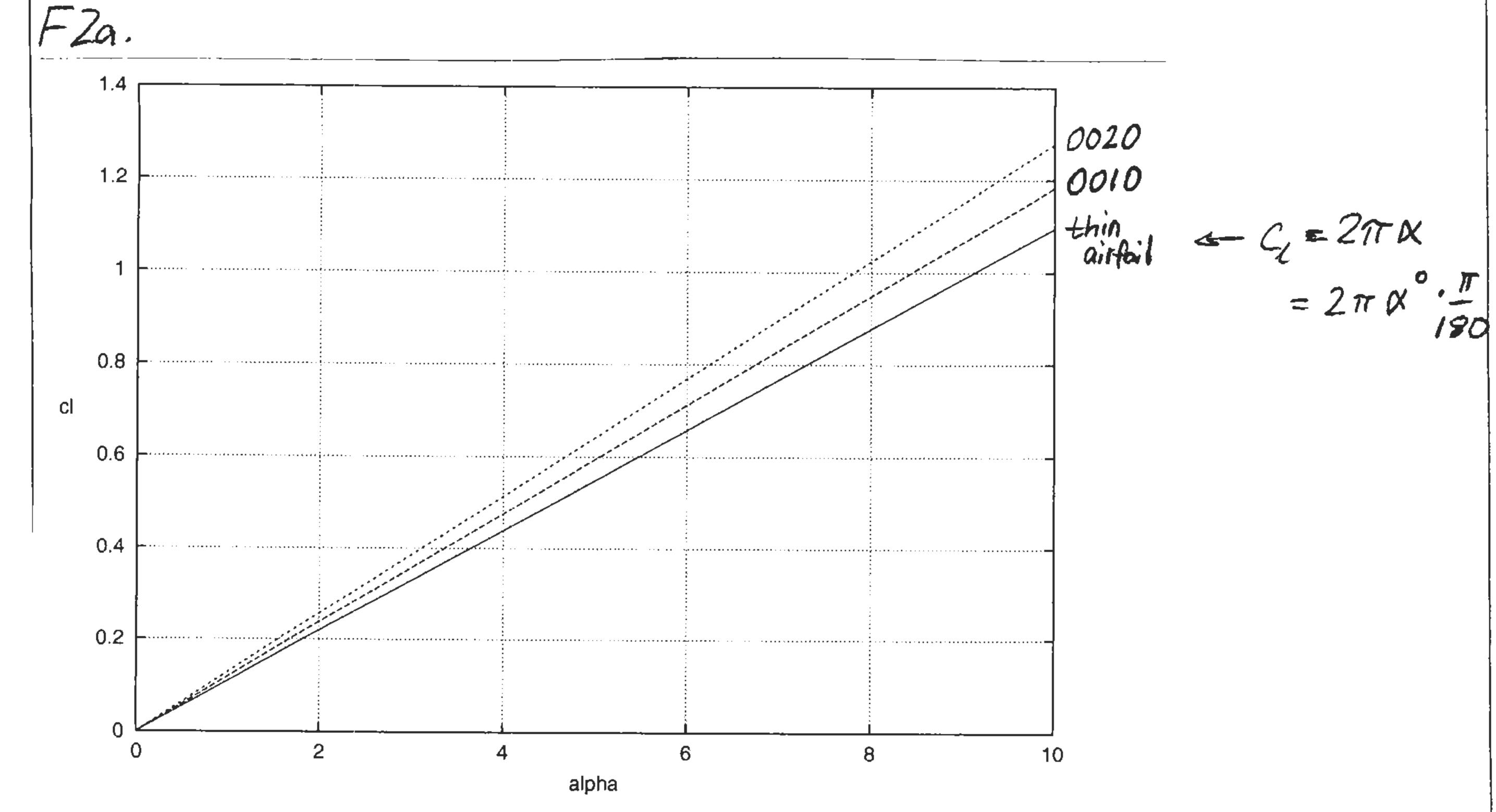
Take components 1 and 11

$$L' = F' \frac{V_{\infty}}{|\vec{V}|} \times F' = \rho V_{\infty} \Gamma' \longrightarrow C_{\ell} = \frac{L'}{\frac{1}{2}\rho V_{\omega}^2 c} = \frac{2\Gamma}{cV_{\infty}}$$

$$D' = F' \frac{w}{|V|} \approx F' \frac{w}{V_{\infty}} = \rho w \Gamma \longrightarrow C_d = \frac{D'}{\frac{1}{2}\rho V_{\infty}^2} = \frac{2\Gamma}{cV_{\infty}} \frac{w}{V_{\infty}} = C_L \frac{w}{V_{\infty}}$$

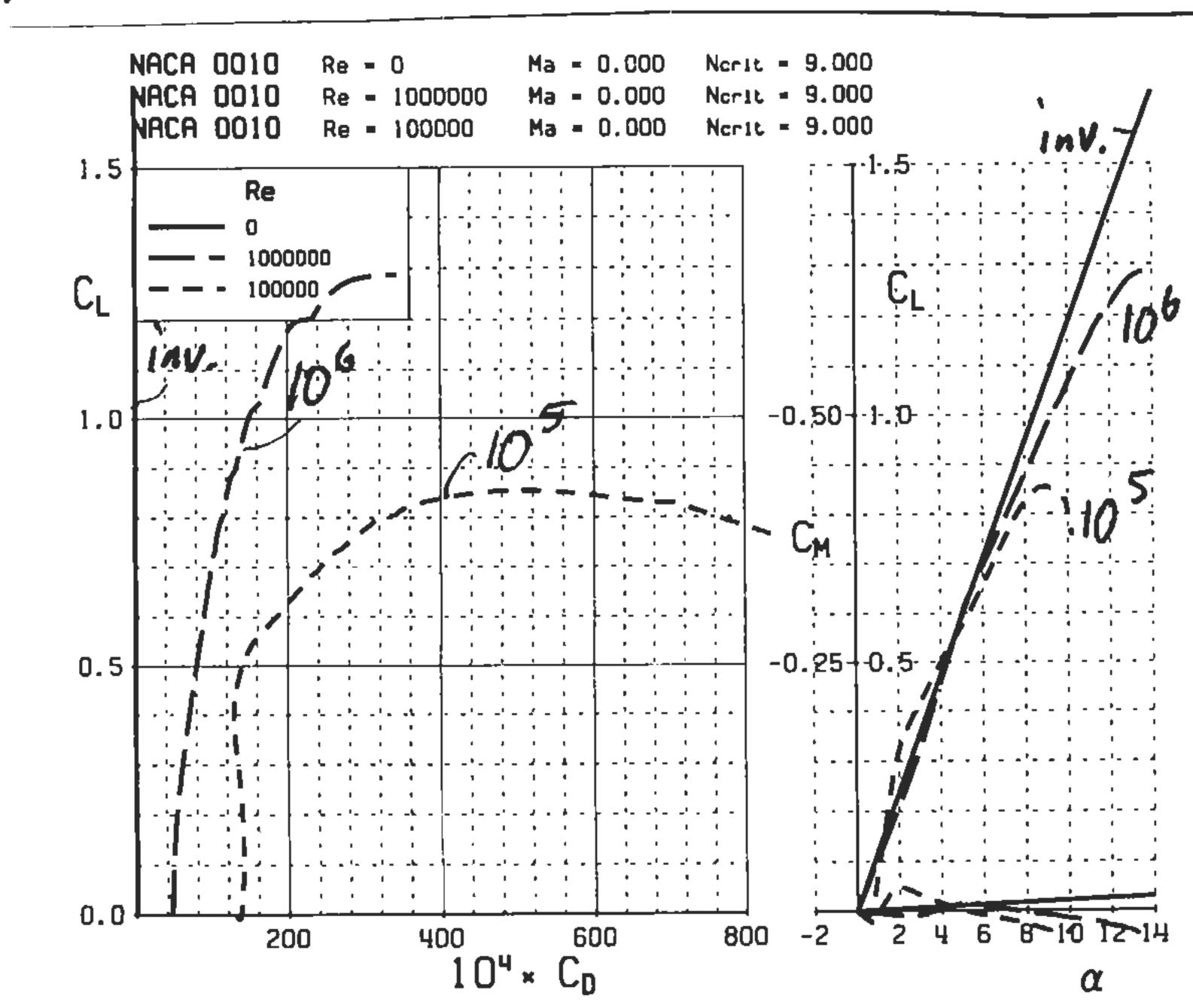
or  $C_d = \frac{2\Gamma}{cV_\infty} \cdot \frac{\Gamma}{2\pi dV_\infty} = \frac{1}{4\pi} \frac{c}{d} \frac{c}{c\ell}^2$ 





As airfoil thickness goes to zero, the panel results approach the result from thin airfoil theory (assumptions become more valid).

F26.



Viscous results approach inviscid results as Re increases
(as viscosity gets smaller)

## Unified problems MI-1003 5 Mulius

MI	 Minumun mass shudture with a
	 strengt requiremt, reed to
	 maximise 07/6

Com	te 07/0	for available	malerals
4 4 4	J4/Mm	e/kg/m3	Kla/kg/n2
Sleet	220	7900	27:8
Al	38-0	2800	125
Ti.	850	4500	188
CFRP	700	1500	467
Word	30	600	50
SiZ	3000	3000	100

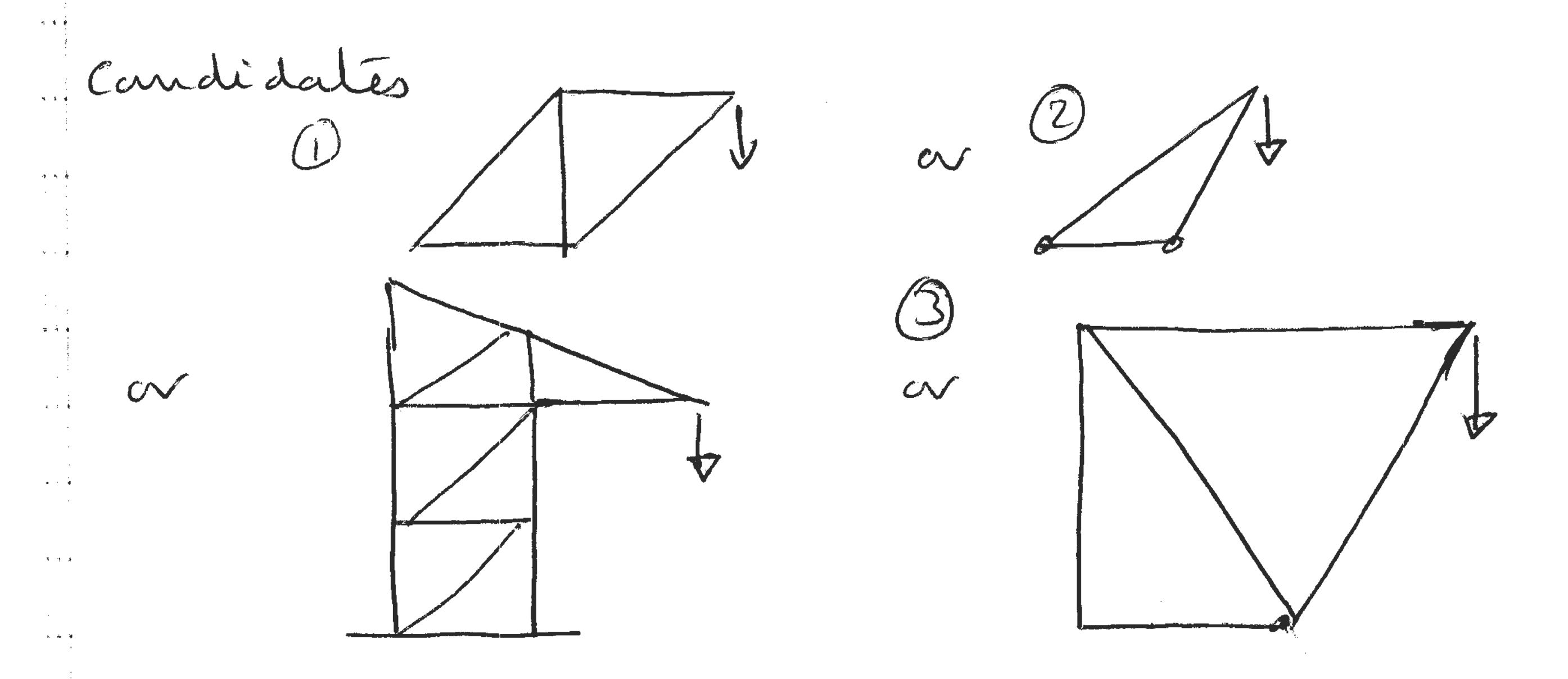
CFRP Works best for bows in truss.

... Non devide en huss configuration

Design Consideraturs:

Minimize number of boars (simplicity is good.

Ain to have all bars carrying similar bonds



D loves simplest - Smallest number of Gars
in probably lowest man

Suspect 1 may have more bors at some stress - : more efficient

in ans case go with (2)

- • •

... 
$$S(M_A = 0: 1.V_B - 10.2 = 0: V_B = +20 km$$

. . .

Critical bon is BC - Connès highest lond ..... Mis delemenes con - section

$$\frac{22.4\times10^3}{\sqrt{4}} = A_{crit}$$

$$\frac{22.4 \times 10^{3}}{700 \times 10^{6}} = 31.9 \times 10^{-6} \, \text{m}^{2} = 31.9 \, \text{mn}^{2} = 31.9 \,$$

... Tomt length of Gars

$$2\sqrt{2} + 1 + \sqrt{5} = 6.06 \text{ m}$$

:. The man = 1500 × 6.06 × 31.9×10 = 0.29 Kg

19. ½ a 16! Seems light!

Assume weight of cable is constitute per hurizontal  $\sum_{i=1}^{n} \sum_{k=1}^{n} \sum_{i=1}^{n} \sum_{k=1}^{n} \sum_{k$ HA = H3 5 Fy7 = 0 VA + VB - 100 × 10 - 500 = 0 = 0 V2 IN - 500×30 - 1000×50 -0 83 = 600 650 N 4 1 4 VA = 1500 - 650 = 850 N ... Ap Shucture is apparently statically indetermate ... Apply method of sections, just to left of C HA LLLLL TO TO A VC . . 4 7 9 4 \* X \*

4 6 4

$$\begin{array}{c} 2F_{y} = 0: -H_{A} + H_{c} = 0 & (\text{termini in cubb}) \\ \text{Corolling} \\ \text{C$$

A 1 %

$$\frac{2(M_D = 0)}{5} = \frac{650 \times 50 - 10 \times 50 \times 25 - 11.05 \times 10^3 \delta_0 = 0}{5}$$

$$\delta_{9} = \frac{650 \times 50 - 500 \times 25}{11.05 \times 10^{3}} = 1.8 \text{ M} \equiv$$

6). Consider only horizontal component of lensin In Cable (much larger Ma vertical)

$$H = 11 \text{ keV}$$
  $\frac{1}{1000 \times 10^{-6}} = 11.0 \text{ MPa}$ 

... Young's modulus = 26Pa...: Strain =  $11 \times 10^6 = 5.5 \times 10^{-3} = 5500 \mu E = 2 \times 10^9$ 

Change in length = 5500 × 10 - 0.55m

as the dip of the cable so it is likely to result in an appreciable change in geometry which und need to be accounted for.

Note 26 Par is a low modulus - equivalent to Nytur or porgester rope.