Organizational Remarks:

PS #2, 1b:

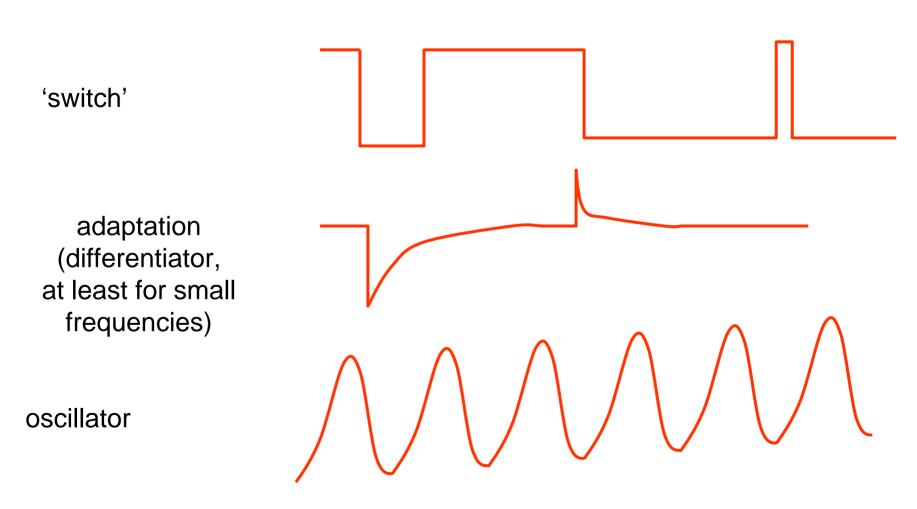
Correction: Plot k_a and k_b for $L = 0...2/K_L$

(NOT: Plot k_a and k_b for $L = 0...2K_L$)

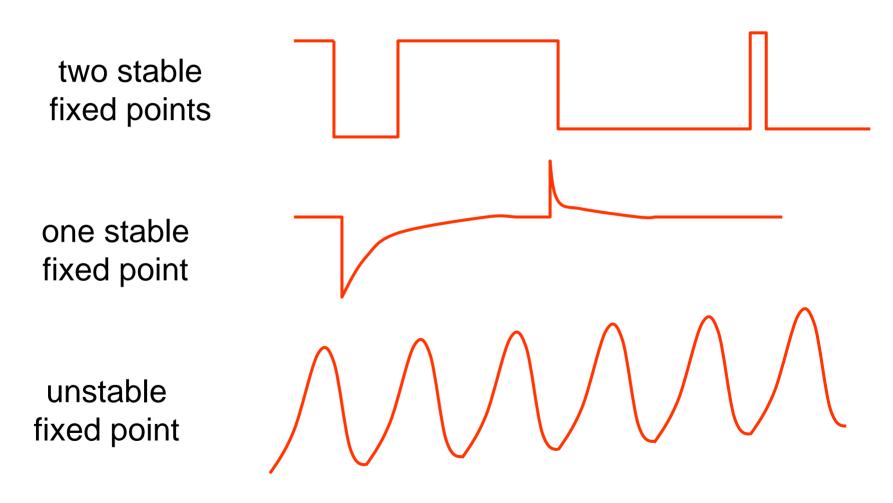
Tomorrow's recitation topic:

'PS #2 support'

Dynamical response of switches, chemotactic network and oscillators



Dynamical response of switches, chemotactic network and oscillators



nullclines:

$$u = \frac{\alpha_1}{1 + v^{\beta}}$$

$$v = \frac{\alpha_2}{1 + v^{\gamma}}$$

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$$\frac{du}{dt} = \frac{\alpha_1}{1 + v^{\beta}} - u$$

$$\frac{dv}{dt} = \frac{\alpha_2}{1 + v^{\beta}} - v$$

Adaptation (one stable fixed point)

$$\dot{y} = 0$$

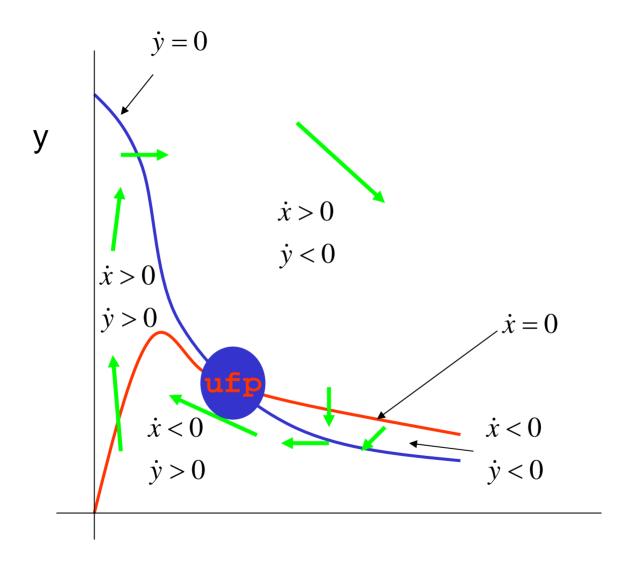
$$(x^*, y^*) = \left(\frac{2r_{in}}{k_{eff 4}}, \frac{r_{in}k_{eff 4} + 2r_{in}k_{pt}}{k_{eff 4}k_{eff 2}(L)}\right)$$

$$\dot{x} = 0$$

$$\dot{x} = -(k_{pt} + k_{eff 4})x + k_{eff 2}y + r_{in}$$

$$\dot{y} = k_{pt}x - k_{eff 2}y + r_{in}$$

Oscillator (unstable fixed point)



X 6

Oscillators continued

$$\dot{x} = -x + ay + x^2 y$$

$$\dot{y} = b - ay - x^2 y$$

model for glycolysis

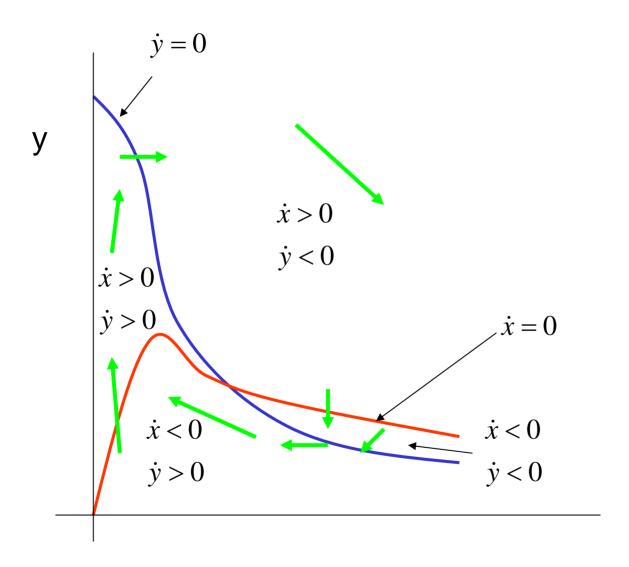
nullclines:

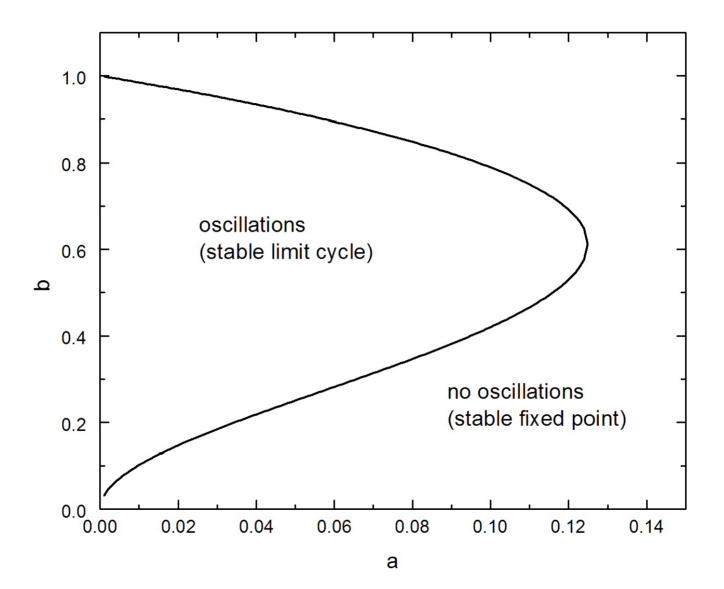
$$y = \frac{x}{a + x^2}$$
$$y = \frac{b}{a + x^2}$$

fixed point:

$$x^* = b$$
$$y^* = \frac{b}{a+b^2}$$

stable or unstable?





limitcycle

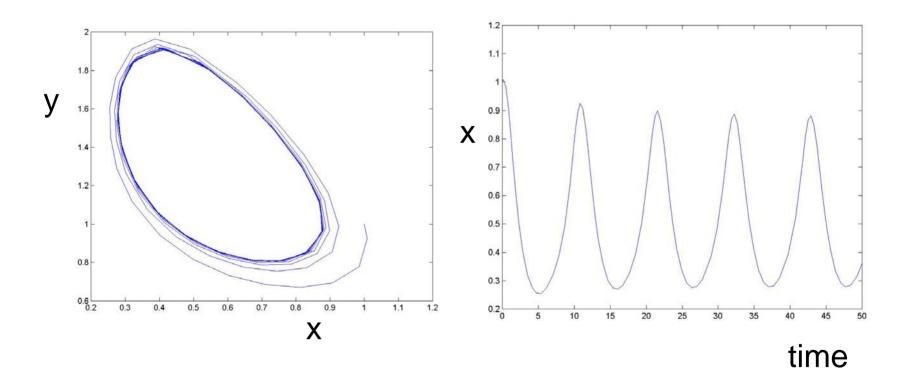


Image removed due to copyright considerations. See figures 1, 2, 3 in Elowitz, M. B., S. Leibler. "A synthetic oscillatory network of transcriptional regulators." *Nature* 403, no. 6767 (Jan 20, 2000): 335-8.