Thormsdyamics

NOTE: Basic towns in thermody amics of physics is same as

Sworak: Sys -- ve I same as physics

A = +ve

Work done on the system -> + ve Work done by the system ->-re

Spex = - Spex dv

(1°) $\omega_{\text{rev}} = -nRT ln \frac{\sqrt{2}}{V_1}$ for esothermal $\omega_{\text{yer}} = -nRT \ln \frac{P_1}{P_2}$ reversable upn. A Nork dove by the gos is -ve.

 $(??) \ \partial_{ii} = -P_2 \left(V_2 - V_1 \right)$ Work done in inverasible expansion

(iv) W = -PAV = -AnRTWork done in a chemical Yea'r.

Concept of Enthalpy

DH = DU + PDV AH oran = Offpro - Offerent fant

dV = nC,dT dH = nCpdT

few keypolants regarding -> Lattice Energy and Born-Haber cycle

Suldination -> DH = + ve Breaking bonds -> DH=+1/2() (Ionisation (-nthalpy -> tre

e-affinity -> -ve forming from isolated cation arising -re

Sum of all energy y = 0 (to get)

- AHL Elattice Enthalpy

Concept of Entropy

$$\Delta S = \frac{\Delta H}{\Gamma} = \frac{1}{\sqrt{2}} \left(\frac{V_2}{V_1} \right) = nR \ln \left(\frac{V_2}{V_1} \right).$$

$$\Delta S = \frac{\Delta H}{\Lambda} = \frac{1}{\sqrt{2}} \left(\frac{V_2}{V_1} \right).$$

$$\Delta S = 0 \qquad \Rightarrow \text{ Spontaneous}.$$

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Abov, $\Delta G = -R \Gamma \ln K$ 81, $\Delta G = -2.303$ R $\Gamma \log K$