

Diamagnetic (li)

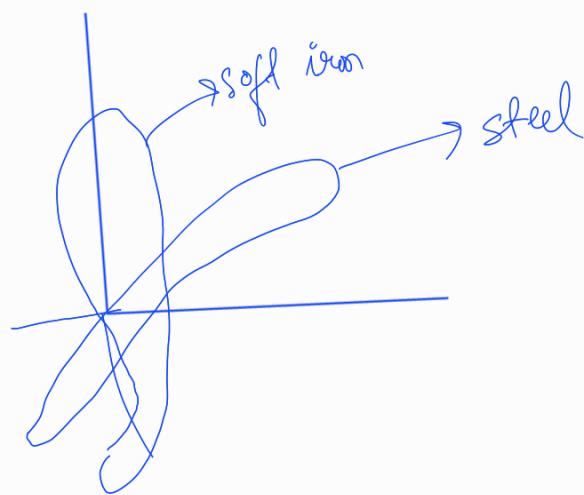
Individual atoms don't possess any net magnetic moment on its own.

They feebly get in direction opposite to magnetic field

Tendency to move from stronger part to weaker part ($Mg, Li, \chi_m < 0$)

phenomenon of perfect diamagnetism in superconductors
is called Meissner effect

Hysteresis Curve



(Cu, Silver, Gold) Paramagnetic

Individual atoms has a net non-zero magnetic moment on its own.

Feebly get magnetise in the direction to magnetic field

Tendency to move from weaker to stronger part

($\chi_m > 0$)

$$\boxed{\chi_m \propto \frac{1}{T}}$$

$$\chi_m = \frac{C}{T} \rightarrow \text{Curie's Temperature}$$

(Fe, Ni) Ferromagnetic

Individual atom/ion/molecule have non-zero magnetic moment on its own

} same as paramagnetic just it will have to a greater extent

Magnetism and magnet

- (2) Length $\approx \frac{5L}{6}$
- (3) $\frac{B_0}{H} = \frac{M_0 L}{22}$
- (4) $B_0 = 2\pi \sqrt{\frac{H}{M_0}}$ remnant of Gauss
- (5) $H = \text{magnetic field}$
- (6) Note: Magnetic Moment & direction $\propto S:N$.
- (7) Result due to bar magnet at far apart \Rightarrow

$$B = \frac{\mu_0 M}{4\pi r^3} \sqrt{1 + \tan^2 \theta}, \tan \theta = \frac{B_y}{B_x}$$

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along axis, B_{axis} is \perp to \vec{r} .
along equator, $B_{equator}$ is opposite to \vec{r} .

$$B_{axis} = \frac{\mu_0 M}{4\pi r^3}, B_{equator} = \frac{\mu_0 M}{2\pi r^3}$$

(8) Potential due to bar magnet

$$\nabla^2 \frac{\mu_0 M \cos \theta}{4\pi r^3}$$

$\vec{B} = \frac{\mu_0 M}{4\pi r^3} \vec{M} \cos \theta$ in vector form

At Van magnet, $T = \frac{1}{4\pi} \vec{M} \times \vec{B}$, $M = -H \cdot \vec{B}$

$$W = \frac{1}{4\pi} \vec{M} \cdot \vec{B} = M_p B$$

$$M_p = -\frac{1}{4\pi} \vec{M} \cdot \vec{B}$$

$$\therefore \text{Net work done} = \frac{1}{4\pi} \vec{M} \cdot \vec{B}$$

⇒ M.F. due to point charge

$$B = \frac{\mu_0 M}{4\pi r^3}$$

(9) Magnetism and Gauss (2) \Rightarrow
According to the Gauss law for magnetism, the net magnetic flux through any closed surface is always zero.

Earth is also a magnet. How??
B.C.S., F. current circulating from earth's core give rise to earth's M.F.

(10) Geo. Meridian (plane passing from geo to poles)
Geo. Meridian (plane passing from magnet to poles)

Magnetic Declination \gg angle b/a i.e.

Dip or diff. or points towards Magnetic Declination $\Rightarrow B_H \rightarrow B \sin b$ and Geo. Meridian.

Note: Magnetic Declination $\Rightarrow B_H \rightarrow B \cos b$

(11) Earth F.F.L lies of magnetic Meridian.

(12) for measuring dip angle δ : B_H

$$\tan \delta = \frac{B_H}{B \cos \theta}, \theta = \text{angle b/w M.M and G.M.}$$

$$\theta = \text{angle b/w M.M and G.M.}$$

$$\delta = \text{angle b/w M.M and G.M.}$$

Note:

- (1) When the N-pole of a bar magnet points towards the south pole and S-pole towards N, then the null points are not magnetic axis.
- (2) Angle of dip (δ) is the angle \rightarrow (vertical) w.r.t. (Earth's M.T.) and horizontal direction.

Formulas bound to remember:

- (1) $H = \mu_0 M$, $M_H = \frac{B}{B_0}$
- (2) (Magnetization), $I = \frac{M}{V} \rightarrow$ Magnetic Moment / Vol. of material
- (3) Magn. Susceptibility, $\chi_M = \frac{I}{H}$
- (4) Relation b/w Mag. permeability and χ_M .

$B = B_0 + B_m$

$B = \mu_0 H + \mu_0 I$

$B_0 > \mu_0 H$

$B > \mu_0 I$

$$\Rightarrow [B = \mu_0(H+I)]$$

$$\Rightarrow B = \mu_0(H + H\chi_m)$$

$$\Rightarrow \mu_0 H' = \mu_0 H(1 + \chi_m)$$

$$\Rightarrow H' = \mu_0(1 + \chi_m)H$$

$$\Rightarrow \chi_m = 1 + \chi_m$$

$$\chi_m = \frac{I}{H}$$

$$\Rightarrow H + I = H\chi_m$$

$$B = \mu_0 H$$

Relation b/w magnetic Permeability
and magn. Susceptibility.

Key Points

$$B_0 = \mu_0 H, B = \mu_0 I, B = \mu H$$

* Angle of dip at poles = 90° , * Angle of reg dip in equator = 0° .

* B_H points in N-S direction.

* 0.6 G at poles and 0.3 G at equator.

$$1 \text{ Gauss} \Rightarrow 10^{-4} T$$