

# Analysis of Important Data Structures

## 1 Singly and Doubly Linked List

### 1.1 Operators Allowed

- Insert at Front
- Insert at Back
- Insert at Position
- Search
- Delete with Node Value Given
- Delete with Position
- Display

### 1.2 C++ Implementation

- Singly Linked List Git-Location : DataStructures/source/SinglyLinkedList.cpp
- Double Linked List Git-Location : DataStructures/source/DoublyLinkedList.cpp

### 1.3 Time and Space Complexity Analysis

Method	Time(Avg)	Time(Best)	Time(Worst)	Space(Avg)	Space(Best)	Space(Worst)
Insert	$O(1)$	$O(n)$	$O(n)$	constant	constant	constant
Delete	$O(n)$	$O(1)$	$O(n)$	constant	constant	constant
Search	$O(n)$	$O(1)$	$O(n)$	constant	constant	constant
Form-n-List	$O(n)$	$O(n)$	$O(n)$	$O(n)$	$O(n)$	$O(n)$

## 2 Binary Tree Types

- **Full/Proper/Plane/Strictly BT** : A full binary tree (sometimes referred to as a proper or plane binary tree) is a tree in which every node in the tree has either 0 or 2 children.
- **Complete BT** : A complete binary tree is a binary tree in which every level, except possibly the last, is completely filled, and all nodes are as far left as possible.

## 3 Binary Search Tree(BST)

### 3.1 C++ Implementation

- Binary Search Tree Git-Location : DataStructures/source/BinarySearchTree.cpp

### 3.2 Time and Space Complexity Analysis

Method	Time(Avg)	Time(Best)	Time(Worst)	Space(Avg)	Space(Best)	Space(Worst)
Insert	$O(\log_2 n)$	$O(1)$	$O(n)^1$	constant	constant	constant
Delete	$O(\log_2 n)$	$O(1)$	$O(n)^1$	constant	constant	constant
Search	$O(\log_2 n)$	$O(1)$	$O(n)^1$	constant	constant	constant
Form-n-BST	$O(n \log_2 n)$	$O(n \log_2 n)$	$O(n)^1$	$O(n)$	$O(n)$	$O(n)$

- note-1 : If the BST is formed in the worst way such that all the elements are either on the right/left of every node (8-19-10).