

# VI

## Intermediate Code Generation

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# Introduction

- program in high level language translated to machine code targeted to some processor.
- many a times compilers are designed to produce an intermediate output.
- It represents the input program in some hypothetical language or data structure.
- Some of these are known as intermediate code to signify that they are representations between the source language and target machine code.

# Advantages of Intermediate code

- closer to target machine code, than the source language, hence easier to generate target code.
- simple enough to be Translated to assembly code.
- machine independent code optimization. This helps in faster generation of code.
- easier to generate more abstract code, not bothering too much about things like register allocations,
- compiler bugs can be spotted more easily.

# Forms of Intermediate Representation

In general

- Syntax Tree
- Post Fix notation
- Three Address Code.

Sometimes in two

- Graphical Representation
  - ✓ **Syntax Tree**
  - ✓ **DAG**
- Three Address Code.

Some times in another two:

- High-level Intermediate Representation
  - ✓ **Syntax Tree**
  - ✓ **DAG**
  - ✓ **P-Code**
- Low level intermediate Representation (Three Address Code)

# Syntax Tree

## Syntax Tree

- Depicts the natural hierarchical structure of a source language.
- Can be produced by syntax directed definition. [Node are constructed]
- Can be represented in two ways
  1. Each node is represented as a record with a field for its operator and additional fields for pointer to its children.
  2. Node are allocated from an array of records and index of position of the node serves as the pointer to the node.

Example:

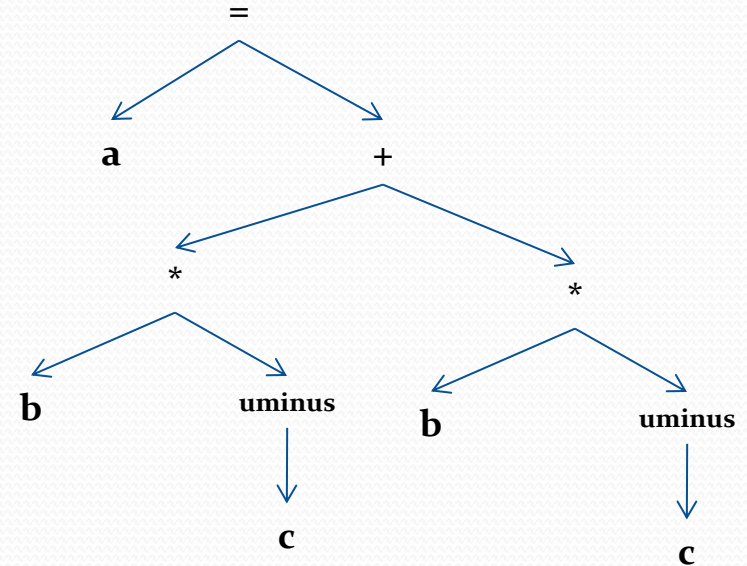
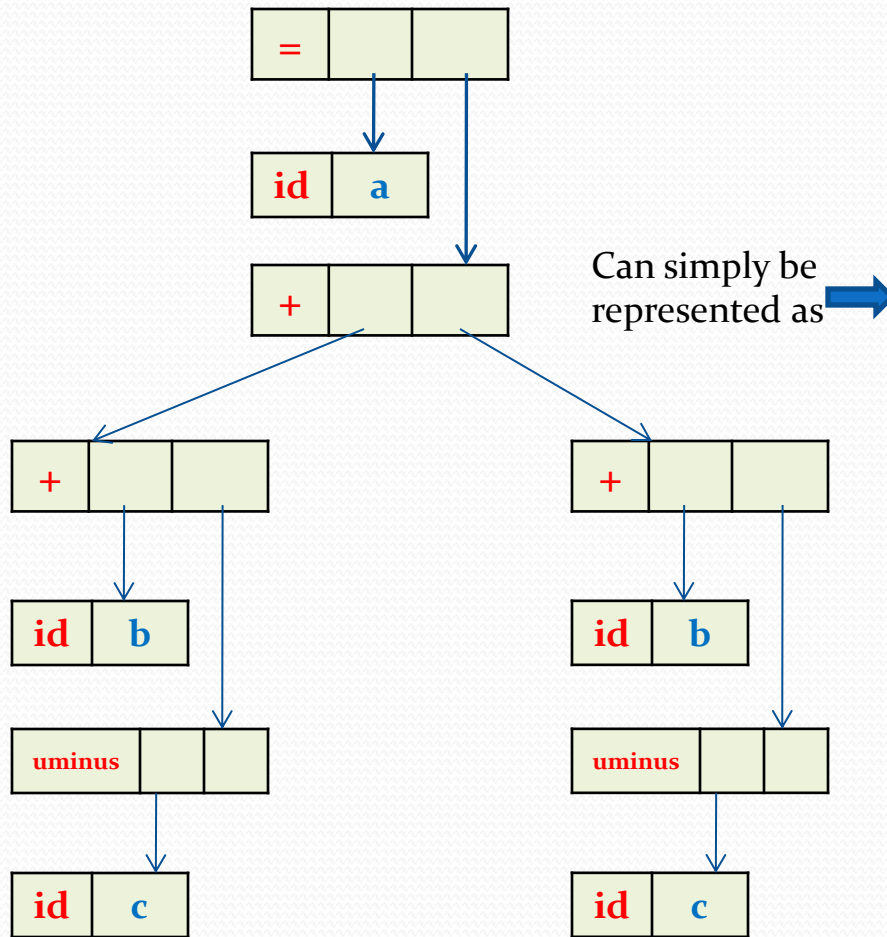
**SDD for syntax tree for assignment statement**

Production	Semantic Rule
$S \rightarrow id:=E$	$S.nptr = mknode(“=”, mkleaf(id, id.place), E.nptr)$
$E \rightarrow E_1 + E_2$	$E.nptr = mknode(“+”, E_1.nptr, E_2.nptr)$
$E \rightarrow E_1 * E_2$	$E.nptr = mknode(“*”, E_1.nptr, E_2.nptr)$
$E \rightarrow -E_1$	$E.nptr = mknode(“uminis”, E_1.nptr)$
$E \rightarrow (E_1)$	$E.nptr = E_1.nptr$
$E \rightarrow id$	$E.nptr = mkleaf(id, id.place)$

# Syntax Tree

- Syntax tree for  $a=b*-c+b*-c$

Type 1:



# Assignment

- Design Syntax Tree for  $a+a*(b-c)+(b-c)*d$

# Syntax Tree

Type 2:

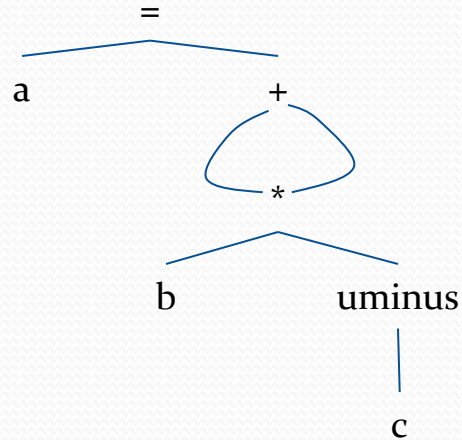
o	id	b	
1	id	c	
2	uminus	1	
3	*	o	2
4	id	b	
5	id	c	
6	uminus	5	
7	*	4	6
8	+	3	7
9	id	a	
10	=	9	8
11			



# DAG

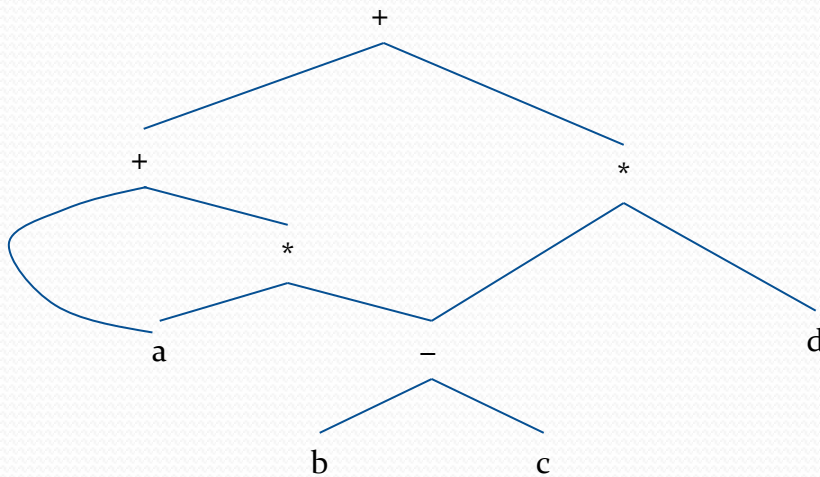
- Directed Acyclic graph.
- DAG gives same information of syntax tree but in a more compact way.
- Common sub-expressions are identified.
- Unique node for each value.

$a = b^* - c + b^* - c$



# DAG

- $a + a * (b - c) + (b - c) * d$



SDD to produce syntax Tree or DAG

PRODUCTION	SEMANTIC RULES
1) $E \rightarrow E_1 + T$	$E.node = \text{new Node}('+', E_1.node, T.node)$
2) $E \rightarrow E_1 - T$	$E.node = \text{new Node}('-', E_1.node, T.node)$
3) $E \rightarrow T$	$E.node = T.node$
4) $T \rightarrow ( E )$	$T.node = E.node$
5) $T \rightarrow \text{id}$	$T.node = \text{new Leaf}(\text{id}, \text{id.entry})$
6) $T \rightarrow \text{num}$	$T.node = \text{new Leaf}(\text{num}, \text{num.val})$

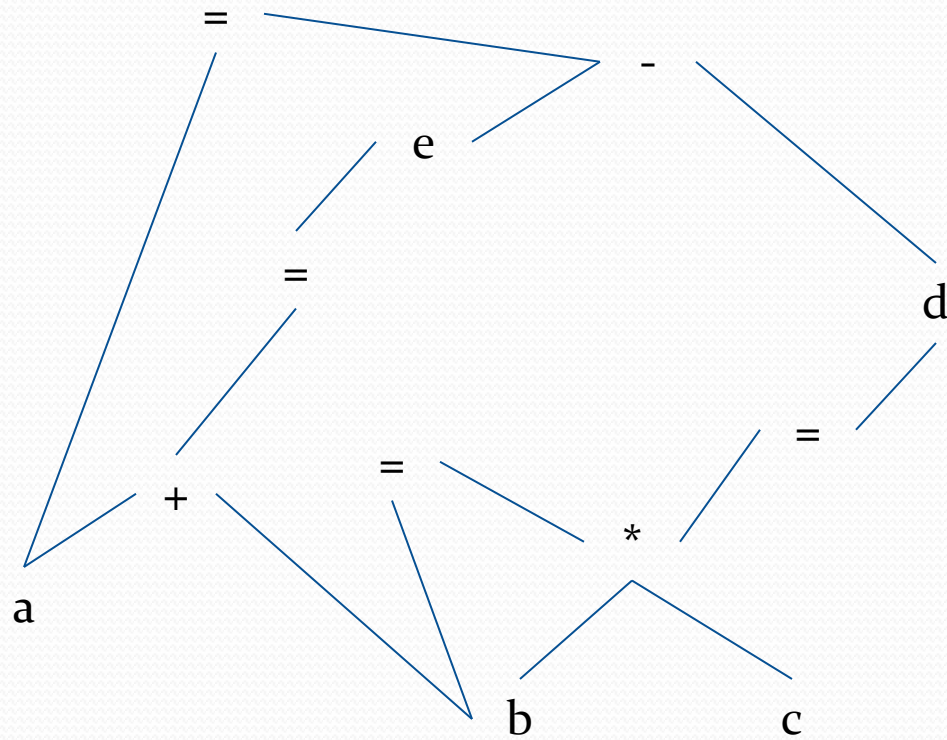
# DAG

$d = b * c$

$e = a + b$

$b = b * c$

$a = e - d$



# Postfix Notation

- Also called suffix notation or reverse polish notation.

## Mapping program forms to Postfix:

### a. Mathematical and boolean expressions

- $a + b \rightarrow a\ b\ +$
- $a * (b + c) \rightarrow a\ b\ c\ +\ *$
- $a == b \rightarrow a\ b\ ==$

### b.Unary operators

- $-a \rightarrow a\ -$

### c.Assignment

- $a = a + b \rightarrow a;\ a\ b\ +=$

### d.Goto statements

- $\text{goto } L_1 \rightarrow L_1\ \text{jump\_to}$

### e. If statements

if (E) S1 else S2

if (E) S1

if (E) S1 S2

if (E) S1 S2 S3

if (E) S1 S2 S3 S4

if (E) S1 S2 S3 S4 S5

if (E) S1 S2 S3 S4 S5 S6

if (E) S1 S2 S3 S4 S5 S6 S7

if (E) S1 S2 S3 S4 S5 S6 S7 S8

if (E) S1 S2 S3 S4 S5 S6 S7 S8 S9

# Three Address Code

- Represented as TAC or 3AC
- is an intermediate code used by optimizing compilers to aid in the implementation of code-improving transformations.
- Each TAC instruction has **at most three addresses** [two operands and one for result]
- is typically a combination of assignment and a binary operator.

$x := y \text{ op } z$

Here  $x$ ,  $y$  and  $z$  are names, constants or compiler generated temporaries.  $op$  is the operator.

- one calculation is composed of several smaller ones.
- In three-address code, this would be broken down into several separate instructions.

Example:

$x + y * z$

$t_1 : y * z$

$t_2 : x + t_1$

$t_1$  and  $t_2$  are compiler generated temporary variable.

# Three Address Code

- $x = (-b + \text{sqrt}(b^2 - 4*a*c)) / (2*a)$

$t_1 := b * b$

$t_2 := 4 * a$

$t_3 := t_2 * c$

$t_4 := t_1 - t_3$

$t_5 := \text{sqrt}(t_4)$

$t_6 := -b$

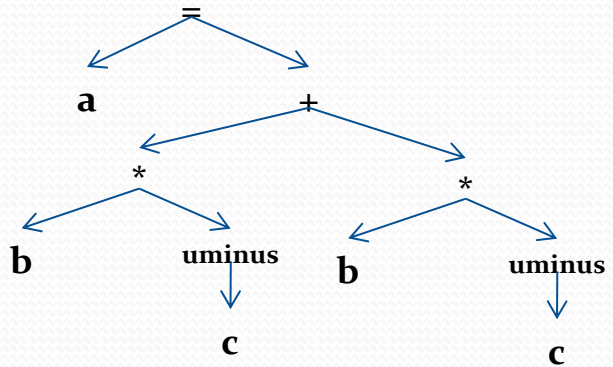
$t_7 := t_5 + t_6$

$t_8 := 2 * a$

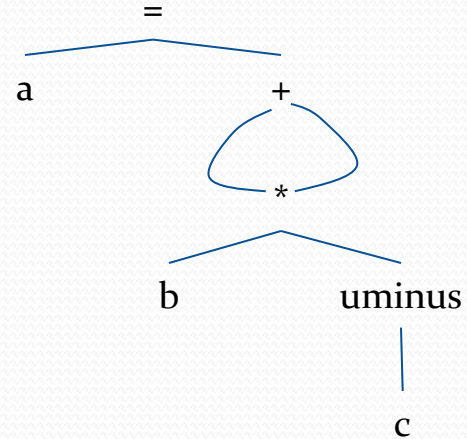
$t_9 := t_7 / t_8$

$x := t_9$

# 3AC corresponding to Syntax Tree & DAG



$t_1 := -c$   
 $t_2 := b * t_1$   
 $t_3 := -c$   
 $t_4 := b * t_3$   
 $t_5 := t_2 + t_4$   
 $a := t_5$



$t_1 := -c$   
 $t_2 := b * t_1$   
 $t_5 := t_2 + t_2$   
 $a := t_5$

# Types of Three-Address statements

- a) Assignment Statement:  $x := y \text{ op } z$  op is binary arithmetic or logical operator.
- b) Assignment Instruction :  $x := \text{op } y$  op is unary operation like unary minus, logical negation, shift operation etc.
- c) copy statement :  $x:=y$
- d) Unconditional Jump : goto L
- e) Conditional Jump : if x relop y goto L. relop is the relational operator, L is the label.
- f) Indexed Assignments :  $x : y[i]$  or  $x[i]:=y$
- g) Address and pointer assignment:  $x:= \&y$ , or  $x=*y$



# Implementation of Three Address Statements

- 3AC is an abstract form of intermediate code.
- These statements can be implemented as records with fields for the operator and operands.
- Such representations are quadruples, triples and indirect triples.

## Quadruples:

Record structure with four fields (op, arg1, arg2 and result)

**a := b \* -c + b \* -c**

t1:= -c

t2:= b\*t1

t3:=-c

t4:=b\*t3

t5:=t2+t4

a:=t5

	op	arg1	arg2	result
(0)	uminus	c		t1
(1)	*	b	t1	t2
(2)	uminus	c		t3
(3)	*	b	t3	t4
(4)	+	t2	t4	t5
(5)	:=	t5		a

# Implementation of Three Address Statements

## Triples

- temporary value by the position of the statement that computes it, avoids entering temporary names into the symbol table.
- three-address statement can be represented by records with only three fields: op, arg1 and arg2.
- The fields arg1 and arg2, for the arguments of op. arg1 and arg2 are either pointer to the symbol table (for programmers defined names or constants) or pointers into the triple structure (for temporary values).
- three fields are used, known as triples

**a := b \* -c + b \* -c**

t1:= -c  
t2:= b\*t1  
t3:=-c  
t4:=b\*t3  
t5:=t2+t4  
a:=t5

	op	arg1	arg2
(0)-	uminus	c	
(1)	*	b	(0)
(2)	uminus	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	assign	a	(4)

x :=y[i]

	op	arg1	arg2
(0)	[]=	x	i
(1)	assign	(0)	y

	op	arg1	arg2
(0)	=[]	y	i
(1)	assign	x	(0)

# Implementation of Three Address Statements

## Indirect Triples:

Another implementation of three-address code that has been considered is that of listing pointers to triples, rather than listing of triples themselves.

This implementation is called indirect triples.

	state
(0)	(14)
(1)	(15)
(2)	(16)
(3)	(17)
(4)	(18)
(5)	(19)

	op	arg1	arg2
(14)	uminus	c	
(15)	*	b	(14)
(16)	uminus	c	
(17)	*	b	(16)
(18)	+	(15)	(17)
(19)	assign	a	(18)

# 3AC for relational and logical statement

<b>a reop b</b>	$t_1 = b$ $t_2 = a$ $t_3 = t_2 \text{ reop } t_1$
reop may be ==, <, >, <=, >=, !=	
same is for logical operator like &&,    etc.	

# 3AC for Boolean Expression

- Boolean operator : **or**, **and**, **not**
- **or**, **and** are left-associative.
- **or** has lowest precedence, then **and**, then **not**.

Example:

a or b and not c

$t_1 := \text{not } c$

$t_2 := a \text{ and } t_1$

$t_3 := a \text{ or } t_2$

# 3AC for Boolean Expression

$E \rightarrow E_1 \text{ or } E_2$

$E \rightarrow E_1 \text{ and } E_2$

$E \rightarrow \text{not } E_1$

$E \rightarrow E_1 \text{ or } E_2$	$E_1.\text{true} := E.\text{true}$ $E_1.\text{false} := \text{newlabel}$ $E_2.\text{true} := E.\text{true}$ $E_2.\text{false} := E.\text{false}$ $E.\text{code} := E_1.\text{code} \mid \mid \text{generate}(E_1.\text{false}) \mid \mid E_2.\text{code}$ [Evaluate $E_1.\text{code}$ .if it is false, then evaluate $E_2.\text{code}$ ]
$E \rightarrow E_1 \text{ and } E_2$	$E_1.\text{true} := \text{newlabel}$ $E_1.\text{false} := E.\text{false}$ $E_2.\text{true} := E.\text{true}$ $E_2.\text{false} := E.\text{false}$ $E.\text{code} := E_1.\text{code} \mid \mid \text{generate}(E_1.\text{true}) \mid \mid E_2.\text{code}$ [Evaluate $E_1.\text{code}$ .if it is true, then evaluate $E_2.\text{code}$ ]
$E \rightarrow \text{not } E_1$	$E_1.\text{true} = E.\text{false}$ $E_1.\text{false} = E.\text{true}$ $E.\text{code} := E_1.\text{code}$ [Evaluate only $E_1.\text{code}$ ]

# 3AC for if-then-else

if cond then	quadruples for cond, result in $t_1$ if not $t_1$ goto else label
statement	quadruples for then statement goto endif label:
else	else label:
else statements;	quadruples for else statements
end if	endif label:

Example:

```
if (a < (b + c))  
    a = a - c;
```

3AC

```
 $t_1 = c$   
 $t_2 = b + t_1$   
 $t_3 = a$   
 $t_4 = t_3 < t_2$   
if ! $t_4$  goto L1:  
     $a = t_3 - t_1$   
     $t_3 = a$   
L1:
```

Example:

```
if (a < (b + c))  
    a = a - c;  
else  
    a = a + c;
```

3AC

```
 $t_1 = c$   
 $t_2 = b + t_1$   
 $t_3 = a$   
 $t_4 = t_3 < t_2$   
if ! $t_4$  goto L1: //else  
     $a = t_3 - t_1$   
     $t_3 = a$   
goto L2: //Else omitted  
L1:  
     $t_3 = t_3 + t_1$   
L2:
```

# 3AC for loop

## For loop

```
for(i=0;i<n;i++)  
{  
  a=b+1;  
  a=a*a;  
}
```

```
L1:      i=0;  
         t1=i<n;  
         if(t1) goto L2;  
         goto L3;  
L4:      i++;  
         goto L1;  
L2:      t2=b;  
         t2=t2+1  
         a=t2 ;  
         t3=a*a;  
         a=t3 ;  
         goto L4  
L3:
```

## do while

```
i=0;  
do{  
  a=b+1;  
  a=a*a;  
  i++;  
}while(i<n);
```

```
L1:      i=0;  
         t2=b;  
         t2=t2+1  
         a=t2 ;  
         t3=a*a;  
         a=t3 ;  
         i++;  
         t1=i<n;  
         if(t1) goto L1;  
         goto L2;  
L2:
```

## While Loop

```
i=0;  
while(i<n){  
  a=b+1;  
  a=a*a;  
  i++;  
}
```

```
L1:      i=0;  
         t1=i<n;  
         if( t1 ) goto L2;  
         goto L3;  
L2:      t2=b;  
         t2=t2+1  
         a=t2 ;  
         t3 =a*a;  
         a= t3 ;  
         i++;  
         goto L1  
L3:
```



# Example

- while((A<C) and (B>D)) do  
  if(A<1) then C=C+1  
  else  
    while (A<=D) do  
      A=A+3

```
L1:  
t1 = A<C  
t2 = B>D  
t3 = t1 and t2  
if(t3) goto L2  
goto L3  
L2:  
t4 = A<1  
if !t4 goto L4  
t5 = C  
t5 = t5 + 1  
C = t5  
goto L1  
L4:  
t6 = A<=D  
if(t6) goto L5  
goto L6  
L5:  
t7 = A  
t7 = t7 + 3  
A = t7  
goto L5:  
L6:  
goto L1  
L3:
```

# Assignment

- Construct 3AC for the following.

a)

if(a<b)

    c=a+b

else if(a==b)

    c=a\*b;

else

    c=a-b;

b) if  $(x+2) > 3 * (y-1)+4$  then  $z := 0$ ;

# 3AC for block of codes - Example

```
x:=1;  
y:=x+10;  
while (x<y) {  
    x:=x+1;  
    if (x%2==1) then y:=y+1;  
    else y:=y-2;  
}
```



```
01: mov    1,,x  
02: add    x,10,t1  
03: mov    t1,,y  
04: lt     x,y,t2  
05: jmpf   t2,,17  
06: add    x,1,t3  
07: mov    t3,,x  
08: mod    x,2,t4  
09: eq     t4,1,t5  
10: jmpf   t5,,14  
11: add    y,1,t6  
12: mov    t6,,y  
13: jmp    ,,16  
14: sub    y,2,t7  
15: mov    t7,,y  
16: jmp    ,,4  
17:
```

# Assignment

Find the 3AC for the following block of codes

a)

while  $a < b$  do

if  $c < d$  then

$x := y + z$

else

$x = y - z$

# Backpatching

- Generating SDD in Boolean expression needs jump to some label.
- Label can not be specified in a single pass---two passes are required.
- Construct a syntax tree for input, then traverse the tree in depth first order, to compute the translation given to the definition.
- In first pass---leave the label of jump unspecified with 'goto' statement.
- label is filled in second pass---traversing tree in depth first order.
- This subsequent filling of labels is known as **backpatching** .

# Backpatching

backpatching can be used to generate code for Boolean expression and flow of control in one pass

Quadruples are stored into a quadruple array.

Labels are indices into the array.

Three functions are used to manipulate the lists of labels.

- a) **makelist(i)** : creates a new list with a single entry i---that is an index into the array of quadruples.
- b) **mergelist(list<sub>1</sub> , list<sub>2</sub> )**: Returns a new list pointer p by concatenating lists pointed by list<sub>1</sub> and list<sub>2</sub> .
- c) **backpatch(list, target)**: inserts 'target' as the target label for each of the statements on the list pointed to by p.

# Backpatching-example

Production	SDD
$E \rightarrow E_1 \text{ or } ME_2$	$\{\text{backpatch}(E_1.\text{falselist}, M.\text{quad});$ $E.\text{truelist} = \text{merge}(E_1.\text{truelist}, E_2.\text{truelist});$ $E.\text{falselist} = E_2.\text{falselist}\}^{\delta_1}$
$E_1 \text{ and } ME_2$	$\{\text{backpatch}(E_1.\text{truelist}, M.\text{quad});$ $E.\text{truelist} = E_2.\text{truelist};$ $E.\text{falselist} = \text{merge}(E_1.\text{falselist}, E_2.\text{falselist})\}^{\delta_2}$
not $E_1$	$\{E.\text{truelist} = E_1.\text{falselist};$ $E.\text{falselist} = E_1.\text{truelist};\}$
$(E_1)$	$\{E.\text{truelist} = E_1.\text{truelist};$ $E.\text{falselist} = E_1.\text{falselist};\}$
$\text{id}_1 \text{ relop } \text{id}_2$	$\{E.\text{truelist} = \text{makelist}(\text{nextquad});$ $E.\text{falselist} = \text{makelist}(\text{nextquad} + 1)$ $\text{emit}(\text{'if' id}_1.\text{place relop.op id}_2.\text{place 'goto '})$ $\text{emit}(\text{'goto '})\}^{\delta_3}$
true	$\{E.\text{truelist} = \text{makelist}(\text{nextquad});$ $\text{emit}(\text{'goto '})\}$
false	$\{E.\text{falselist} = \text{makelist}(\text{nextquad});$ $\text{emit}(\text{'goto '})\}$
$M \rightarrow \epsilon$	$\{M.\text{quad} = \text{nextquad}\}^{\delta_4}$

M is a dummy non-terminal with attribute M.quad, which can hold the address of a quadruple.

- $\delta_1$ : If  $E_1$  is false then we need to search for  $E_2$ .code. The M.quad [Number of the first statement for quadruple for  $E_2$ ] is inserted in backpatch.  $E$  is true if any of  $E_1$  or  $E_2$  is true.
- $\delta_2$ : If  $E_1$  is true then we need to search for  $E_2$ .code. The M.quad [Number of the first statement for quadruple for  $E_2$ ] is inserted in backpatch.  $E$  is true if both  $E_1$  and  $E_2$  are true. But  $E_2$  is evaluated if and only  $E_1$  is true. Thus  $E.\text{true} = E_2.\text{true}$ . But  $E$  is false if any of  $E_1$  or  $E_2$  is false.
- $\delta_3$ : If  $E_1$  is true makelist store the index of the beginning of the quadruple. If  $E_1$  is false, makelist stores the index of the next statement. It also emits (creates) two (one for true and another for false) goto statements with label as blank.
- $\delta_4$ : The variable nextquad holds the index of the next quadruple to follow. This value will be backpatched into  $E_1.\text{truelist}$  and  $E_1.\text{falselist}$  when required.



# Backpatching-Example

- $a < b$  or  $c < d$  and  $e < f$

a) Construction of quadruple for statements with relational operator.  $[E \rightarrow id_1 \text{ relop } id_2]$

i)  $a < b$

100: if  $a < b$  goto \_\_\_\_

101: goto \_\_\_\_

ii)  $c < d$

102: if  $c < d$  goto \_\_\_\_

103: goto \_\_\_\_

iii)  $e < f$

104: if  $e < f$  goto \_\_\_\_

105: goto \_\_\_\_

# Backpatching-Example

b) Construction of quadruples for Boolean expression  $[E \rightarrow E_1 \text{ and } ME_2]$

i)  $c < d$  and  $e < f$

102: if  $c < d$  goto 104     [Semantic action is  $\text{backpatch}(E_1.\text{truelist}, M.\text{quad})$ . Here it is  $\text{backpatch}(\{102\}, 104)$ ]

103: goto \_\_\_\_

104: if  $e < f$  goto \_\_\_\_

105: goto \_\_\_\_

ii)  $a < b$  or  $c < d$  and  $e < f$

100: if  $a < b$  goto \_\_\_\_

101: goto 102     [Semantic action is  $\text{backpatch}(E_1.\text{falselist}, M.\text{quad})$ . Here it is  $\text{backpatch}(\{101\}, 102)$ ]

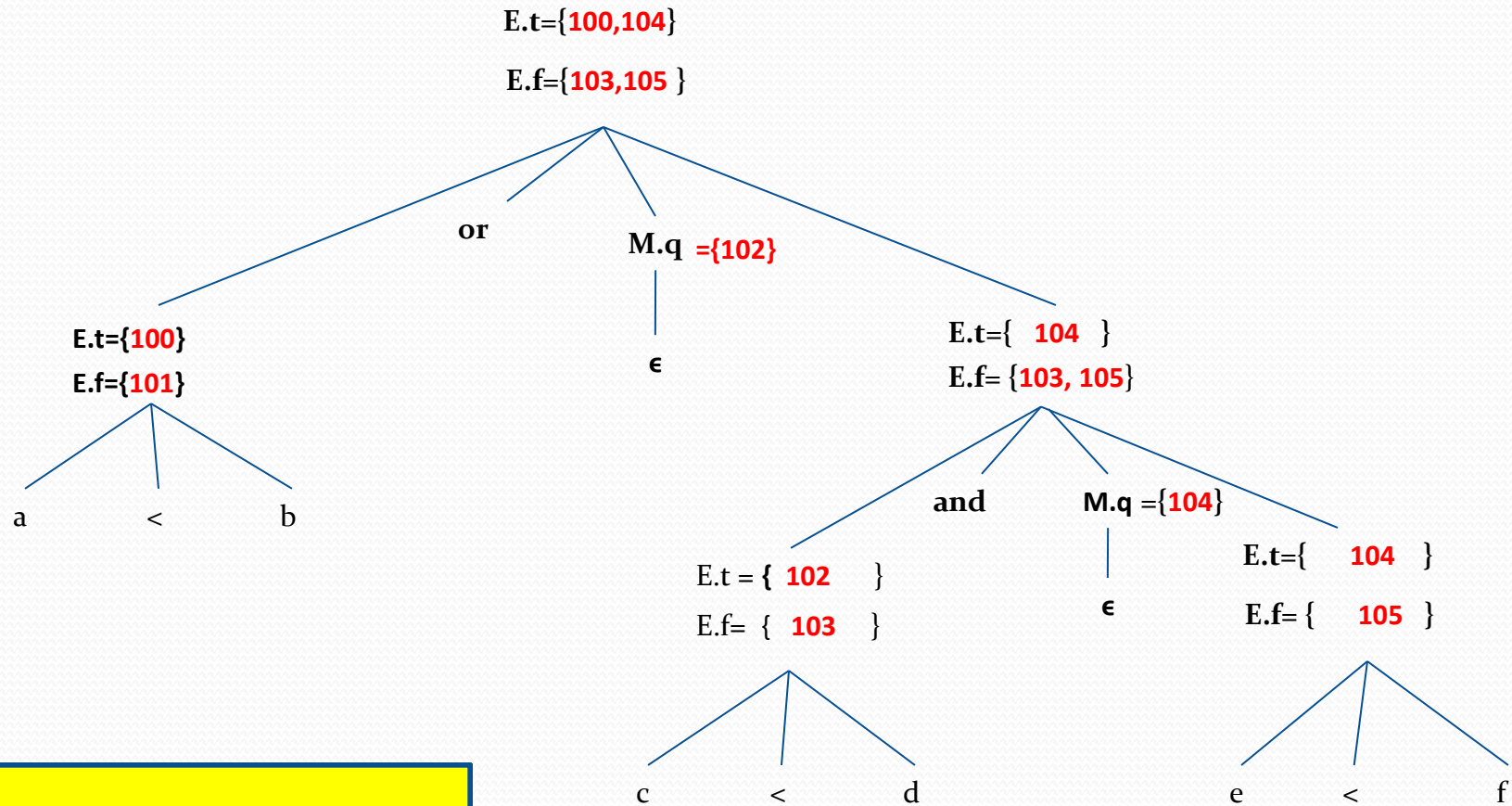
102: if  $c < d$  goto 104

103: goto \_\_\_\_

104: if  $e < f$  goto \_\_\_\_

105: goto \_\_\_\_

# Backpatching-Example



**M.quad=nextquad**

# References

- Alfred V. Aho, Ravi. Sethi, Jeffrey D. Ullman, **Compilers: Principles, Techniques, and Tools**
- RobinAnil “Three Address Code Generation for Control Statements”
- Maggie Johnson, “**Three Address Code Examples**”, August 1, 2012