

Mid Semester Examination (6th Sem), 2022

Subject Name : → Machine Learning.

Subject Code : → IT3205

Date of Examination : → 12.03.2022

Name : → Aniket Majhi.

Examination Roll Number : → 510819019

Qsuite ID : → 510819019.aniket@students.iiests.ac.in

Number of sheets uploaded : → 9.

With respect to some task T and some performance measure p , if its performance on T as measured by p , improves with Experience E .

□ Role of target function in designing a learning system,

In designing the learning system, the role of the target function is very important because it actually determines how effective your learning system would be and also it works in solving/predicting values of the training examples.

(b.) A hypothesis h_j is more-general-than or equal to h_k if and only if any instance that satisfies h_j also satisfies h_k .

Let, h_j and h_k be boolean-valued functions defined over X .

Then h_j is more general than or equal to h_k if and only if

$$(\forall x \in X) [(h_k(x) = 1) \rightarrow (h_j(x) = 1)]$$

Example : \rightarrow

$$h_1 = \langle \text{value}, ?, ?, ?, \text{value} \rangle$$

$$h_2 = \langle \text{value}, ?, ?, ?, ? \rangle$$

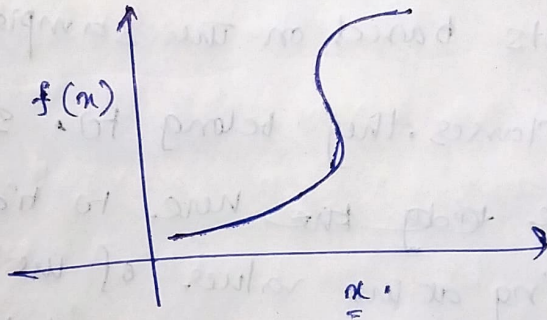
~~in~~ in the above example h_2 is more general than h_1 .

4. (a) Logistic regression: \rightarrow It is the appropriate regression analysis to conduct when the dependent variable is binary.

~~The equation~~

The objective function is given,

$$f_{w,b}(x) = \frac{1}{1 + e^{-(wx+b)}}$$



□ optimization criterion: \rightarrow

(b)

Split in Decision Tree learning : \rightarrow A decision tree makes decisions by splitting nodes into sub nodes. This process is performed multiple times during the training until only the leaves node are left. ~~the~~

☑ We know that in decision trees, the goal is to tidy the data. We split the data into two parts based on the samples together in the classes they belong to. So decision trees are ~~tidy the~~ here to tidy the dataset by working at the values of the feature vector associated with each ~~other~~ data point and based on this value ~~we~~ of the features the decisions are made.

At each step, each branching, our target is to decrease the entropy, so this quantity is computed before each cut and also after the cut as well. If the entropy decrease then the cut is valid and we can proceed toward next step.

(8.)

Q.1) Distance weighted nearest neighbour algorithm:-

We know that, in K-nearest neighbour algorithm, we try to find out the K nearest neighbours of any ^{new} data point and based on the values we try to find out the value of the new data point. For classification we use the majority ^{result} of the K-nearest neighbors and for regression we use the average of the K nearest neighbours to find out the result.

But, ~~this process is not~~ what if we use an extra parameter with this result that is we give the weights based on their distances from the new data points. In ~~the~~ this case the data points that are way far from the new data will get automatically get eliminated due to ~~the~~ ~~maxi~~ is the weight factor.

In KNN, ~~the~~

$$\hat{f}(x_q) \leftarrow \underset{v \in V}{\operatorname{argmax}} \sum_{i=1}^K \delta(x_i, f(x_i)).$$

in Distance weighted.

$$\hat{f}(x_q) \leftarrow \underset{v \in V}{\operatorname{argmax}} \sum_{i=1}^K w_i \delta(v, f(x_i))$$

weights

$$w_i = \frac{1}{d(x_q, x_i)^2}$$

more distance less weight factor.

(b.)

Curse of dimensionality :—

If we apply the KNN to a problem in which each instance is described by a large number of attributes but where only few of these attributes are relevant for the particular target function, in this case, instances that have identical values for the relevant attributes may be distant from one another.

It results the similarity metric used by the KNN will be misleading.

The distance between neighbors will be dominated by the large number of irrelevant attributes. It is referred to as the 'Curse of dimensionality'.

□ To remove the Curse of dimensionality, one approach that is to weight each attribute differently while calculating the distance between two instances.

(2.)

(a) For classification task with missing inputs, the learning algorithm must learn a set of functions.

These functions corresponds to classifying x with a different subset of its input missing,

d

□

The situation can be handled efficiently by defining such a large set of functions is to learn a probability distribution over all of the relevant variables, then solve the classification task by marginalizing out the missing variables..

□

(b.)

<u>Classification</u>	<u>Regression</u>
(i) It is the task of predicting a discrete class level.	(i) It is the task of predicting a continuous quantity.
(ii) It may predict a continuous value is in the form of a probability for a class label.	(ii) It may predict a discrete value, but an discrete value in the form of an integer quantity.

- If there is a several instances of the random vector given,

(7.4) ~~Prior or pr~~

- Prior or probability :-

A prior probability is the probability that an observation will fall into a group before you collect the data. ~~the prior~~

~~is a probability~~ It represents the uncertainty over θ before you have sampled. denoted by $\pi(\theta)$.

- Posterior probability :-

A posterior probability is the probability of assigning observation to groups given the data. The posterior probability distribution representing your uncertainty over θ after you have sampled data. denoted by $\pi(\theta/x)$.

maximizes the entire posterior distribution.
A MAP estimate is the mode of the posterior distribution.

▣ MLE \rightarrow The maximum likelihood estimate (MLE) of a parameter is the value of a parameter that maximizes the likelihood, where the likelihood is a function of the parameter and is actually equal to the probability of the data condition on the parameter.