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## ◆ UNIT – II : QUANTUM MECHANICS

(Advanced Engineering Physics – R25, JNTUH)

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### 1. de-Broglie Hypothesis and Its Significance (10 Marks)

#### Introduction

Classical physics treats matter as particles and light as waves. However, experiments like electron diffraction proved that **matter also exhibits wave nature**. To explain this, **Louis de-Broglie** proposed his hypothesis.

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#### de-Broglie Hypothesis

According to de-Broglie, **every moving particle is associated with a wave**, called a matter wave.

The wavelength of the matter wave is given by:

$$[\lambda = \frac{h}{p} = \frac{h}{mv}]$$

Where:

- $(h)$  = Planck's constant
  - $(p)$  = momentum
  - $(m)$  = mass of particle
  - $(v)$  = velocity
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#### Experimental Verification

The wave nature of electrons was confirmed by **Davisson–Germer experiment**, where electron diffraction was observed.

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#### Significance

- Explains wave–particle duality
  - Foundation for quantum mechanics
  - Important in electron microscopes
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#### Conclusion

The de-Broglie hypothesis unified particle and wave concepts and laid the foundation for modern quantum theory.

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### Keywords

Matter waves, wave–particle duality, de-Broglie wavelength.

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## 2. Heisenberg Uncertainty Principle (10 Marks)

### Introduction

In classical mechanics, position and momentum can be measured exactly. Quantum mechanics shows this is not possible for microscopic particles.

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### Statement

It is impossible to measure **both position and momentum of a particle simultaneously with absolute accuracy**.

Mathematically:

$$[\Delta x \cdot \Delta p \geq \frac{h}{4\pi}]$$

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### Physical Meaning

- More accuracy in position → less accuracy in momentum
  - Valid only for microscopic particles
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### Significance

- Rejects classical determinism
  - Explains atomic stability
  - Justifies probabilistic nature of quantum mechanics
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### Conclusion

The uncertainty principle highlights the fundamental limits of measurement in the quantum world.

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## **Keywords**

Uncertainty, momentum, position, probability.

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### **3. Schrödinger Time-Independent Wave Equation (10 Marks)**

#### **Introduction**

Schrödinger wave equation is the basic equation of quantum mechanics that describes the behavior of particles using wave functions.

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#### **Time-Independent Schrödinger Equation**

$$[\frac{-\hbar^2}{8\pi^2 m} \frac{d^2\psi}{dx^2} + V\psi = E\psi]$$

Where:

- $(\psi)$  = wave function
  - $(V)$  = potential energy
  - $(E)$  = total energy
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#### **Physical Significance of $(\psi)$**

- $(\psi^2)$  gives probability density
  - Does not give exact position
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#### **Importance**

- Predicts allowed energy states
  - Explains atomic structure
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#### **Conclusion**

Schrödinger equation provides a complete description of quantum systems.

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## **Keywords**

Wave function, probability, energy eigenvalues.

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## 4. Particle in a One-Dimensional Box (10 Marks)

### Introduction

A particle confined in a rigid box of length ( $L$ ) is a simple quantum system used to explain energy quantization.

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### Assumptions

- Infinite potential walls
  - Particle is free inside the box
  - Potential energy inside box = 0
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### Energy Eigenvalues

$$[ E_n = \frac{n^2 h^2}{8mL^2} ]$$

Where ( $n = 1, 2, 3, \dots$ )

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### Key Results

- Energy is quantized
  - Zero-point energy exists
  - Energy levels increase with ( $n^2$ )
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### Conclusion

The particle-in-a-box model clearly demonstrates quantization of energy.

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### Keywords

Quantization, zero-point energy, eigenvalues.

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## 5. Energy Bands and Band Gap in Solids (10 Marks)

### Introduction

In solids, interaction between atoms leads to the formation of **energy bands** instead of discrete energy levels.

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### Types of Bands

1. **Valence Band** – occupied by electrons
  2. **Conduction Band** – free electrons
  3. **Band Gap** – energy difference between bands
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### Classification of Solids

- **Conductors** – no band gap
  - **Semiconductors** – small band gap
  - **Insulators** – large band gap
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### Importance

- Explains electrical conductivity
  - Basis of semiconductor devices
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### Conclusion

Energy band theory explains the electrical behavior of solids effectively.

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### Keywords

Valence band, conduction band, band gap, semiconductors.

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### UNIT-II FINAL CONCLUSION

Quantum mechanics provides a complete understanding of microscopic particles, explaining wave behavior, uncertainty, quantized energy, and electronic properties of solids.