

Data Exploration for Alzheimer Patients Dataset

Phase -1

Dataset Information:

The Excel spreadsheet Alzheimer.csv contains one sheet named Alzheimer, which is data attempting to explain whether a patient has Alzheimer's Disease. These are data from a sample of 336 employees and consists of 9 variables for each patient. These are:

- 1) Dementia-Outcome variable-patient diagnosis
- 2) Gender-Female=0 and Male=1
- 3) Age-Age of patient (in years)
- 4) Education-Years of Education
- 5) SES-Socioeconomic Status 1=Low and 5=High
- 6) MMSE-Mini mental state examination score
- 7) CDR-Clinical Dementia Rating
- 8) eTIV-estimated total intracranial volume
- 9) nWBV-Normalize whole brain volume
- 10) ASF-Atlas Scaling Factor

Developed a Linear Discriminant Analysis model to classify the Dementia event from the other variables.

a) Performance of the classifier using cross-validation:

```
> library(MASS)
> library(plyr)
> library(readr)
> setwd("C:/Users/DELL/Desktop/MS Assignments/Sem1/Data_Stats/Assignmnet7")
> #Read in Datasets
> Alz = read.csv("alzheimer.csv")
> view(Alz)
> #Check dimensions of Alz
> dim(Alz)
[1] 1008 10
> str(Alz)
'data.frame': 1008 obs. of 10 variables:
 $ Dementia: chr "No Alzheimer" "No Alzheimer" "Alzheimer" "Alzheimer" ...
 $ Gender : int 1 1 1 1 1 0 0 1 1 1 ...
 $ Age : int 87 88 75 76 80 88 90 80 83 85 ...
 $ EDUC : int 14 14 12 12 12 18 18 12 12 12 ...
 $ SES : int 2 2 NA NA NA 3 3 4 4 4 ...
 $ MMSE : int 27 30 23 28 22 28 27 28 29 30 ...
 $ CDR : num 0 0 0.5 0.5 0.5 0 0 0 0.5 0 ...
 $ eTIV : int 1987 2004 1678 1738 1698 1215 1200 1689 1701 1699 ...
 $ nWBV : num 0.696 0.681 0.736 0.713 0.701 0.71 0.718 0.712 0.711 0.705 ...
 $ ASF : num 0.883 0.876 1.046 1.01 1.034 ...
> head(Alz)
  Dementia Gender Age EDUC SES MMSE CDR eTIV nWBV ASF
1 No Alzheimer 1 87 14 2 27 0.0 1987 0.696 0.883
2 No Alzheimer 1 88 14 2 30 0.0 2004 0.681 0.876
3 Alzheimer 1 75 12 NA 23 0.5 1678 0.736 1.046
4 Alzheimer 1 76 12 NA 28 0.5 1738 0.713 1.010
5 Alzheimer 1 80 12 NA 22 0.5 1698 0.701 1.034
6 No Alzheimer 0 88 18 3 28 0.0 1215 0.710 1.444
> #For All Variables
> sum(is.na(Alz))
[1] 63
> #Listwise Deletion
> Alz_new <- na.omit(Alz)
> #Check new data has no missing data
> sum(is.na(Alz_new))
[1] 0
> view(Alz_new)
> head(Alz_new)
  Dementia Gender Age EDUC SES MMSE CDR eTIV nWBV ASF
1 No Alzheimer 1 87 14 2 27 0.0 1987 0.696 0.883
2 No Alzheimer 1 88 14 2 30 0.0 2004 0.681 0.876
6 No Alzheimer 0 88 18 3 28 0.0 1215 0.710 1.444
7 No Alzheimer 0 90 18 3 27 0.0 1200 0.718 1.462
8 No Alzheimer 1 80 12 4 28 0.0 1689 0.712 1.039
9 No Alzheimer 1 83 12 4 29 0.5 1701 0.711 1.032
> Alz_new$Dementia<- revalue(Alz_new$Dementia,c("Alzheimer"=0, "No Alzheimer"=1))
> Alz_new$Dementia<- as.factor(Alz_new$Dementia)
```


b) Performance of the classifier using training and testing:

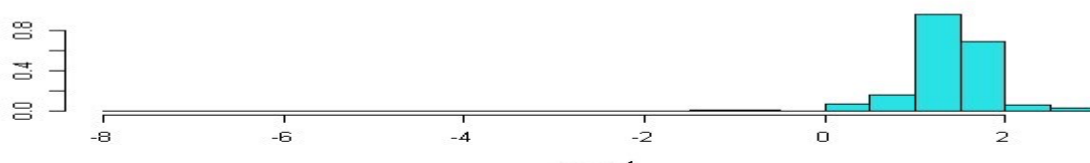
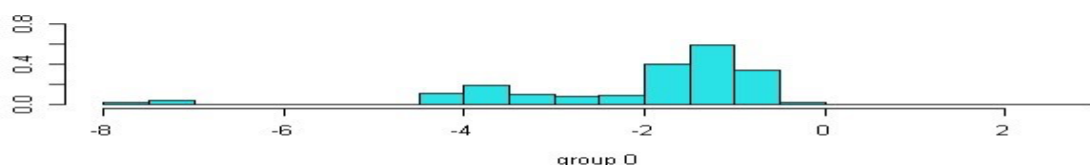
```
> require(caTools) # loading caTools library
> library(caTools)
> set.seed(123)
> sample = sample.split(Alz_new, SplitRatio = 0.70)
> train = subset(Alz_new, sample == TRUE)
> test = subset(Alz_new, sample == FALSE)
> # The dependent variable must be categorical (Assuming No Cross-Validation)
> Alz_LDA = lda(Dementia ~ ., data = train)
> Alz_LDA
Call:
lda(Dementia ~ ., data = train)

Prior probabilities of groups:
      0      1 
0.4009009 0.5990991 

Group means:
      Gender      Age      EDUC      SES      MMSE      CDR      eTIV      nWBV      ASF 
0 0.5692884 76.51685 13.82772 2.749064 24.42697 0.672284644 1485.614 0.7154569 1.196749 
1 0.3182957 77.35088 15.11028 2.413534 29.23308 0.006265664 1497.203 0.7399298 1.189356 

Coefficients of linear discriminants:
      LD1 
Gender -0.720747343 
Age 0.022923539 
EDUC 0.070927518 
SES -0.008742151 
MMSE -0.011730650 
CDR -4.630819629 
eTIV -0.001341651 
nWBV 5.018157340 
ASF -3.899604691 

> plot(Alz_LDA)
> prd <- predict(Alz_LDA, train)$class
> prd
[1] 1 1 1 0 1 1 0 0 0 0 1 1 1 0 0 0 0 1 1 0 0 1 1 1 0 0 1 1 1 0 0 0 0 0 0 0 1 1 0 0 0 0 0 0 1 0 1 0 0 0 0 0 1 1 0 1 1 1 1 1
[67] 1 1 1 1 1 1 1 0 0 0 1 1 1 1 1 0 0 0 0 1 1 1 1 1 1 1 1 1 1 0 0 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[133] 0 0 0 0 1 0 0 0 0 1 1 0 0 0 0 0 0 1 1 1 1 1 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[199] 0 1 1 1 1 0 0 0 1 0 0 0 1 1 1 1 1 1 1 1 1 0 0 0 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[265] 0 0 0 0 0 0 0 0 0 1 1 1 1 1 0 0 0 0 1 1 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[331] 0 0 1 1 0 0 0 0 1 1 1 1 1 1 1 1 1 0 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[397] 1 1 1 0 0 1 1 1 0 0 1 1 1 1 1 1 1 1 1 0 0 0 0 0 1 1 1 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[463] 1 0 0 0 0 0 1 1 1 1 1 1 1 1 1 0 0 1 1 1 1 1 1 1 0 0 0 0 0 0 1 1 1 0 0 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[529] 1 1 1 1 1 1 1 1 0 1 1 1 1 1 1 1 1 1 1 1 1 1 0 0 0 0 0 0 1 1 1 0 0 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[595] 1 1 0 0 1 1 0 1 1 1 1 1 1 1 1 0 1 1 1 0 0 0 0 0 0 1 1 1 1 1 1 0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
[661] 1 0 0 1 1 1
Levels: 0 1
> Table <- table(prd, train$Dementia)
> Table
      prd  0  1
0 264  5
1  3 394
> sum(diag(Table))/sum(Table)
[1] 0.987988
> mean(prd == train$Dementia)
[1] 0.987988
> prd <- predict(Alz_LDA, train)
> #Stacked Histogram of LDA Functions
> ldahist(data=prd[,1], g = train$Dementia)
> "Problem 2"
[1] "Problem 2"
>
```



We achieve an accuracy of roughly 98.7%~ 99% by utilizing a Training and Testing method. This is as good as accuracy of previous test by correspondence.

c) Analyzing and finding out, would certain misclassification errors be worse than others? If so, how do we measure it?

The misclassification in this case can be if the model incorrectly judges if a parent has dementia or not or are likely to have it. According to the confusion matrix data, the number of True Positive values is 394, while the number of True Negative values is 264. The number of False Positives and False Negatives is 3 and 5, respectively. The negative anticipated value, which appears in the confusion matrix output, is a good indicator of this. The negative projected value is used to calculate the True negative out of all the negatives. As a result, the objective should be to maximize its worth.