SEAS Winter 2020 Semester-6 Digital Signal Processing

LAB5

Objectives:

Understand different concepts of Z-transform

Prerequisites:

• Z-transform and its properties, Inverse z-transform, Concept of ROC

Explore Following Commands:

- syms
- ztrans
- zplane
- iztrans
- impz

Problems

- 1. Create single matlab script and obtain Symbolic Z-Transform of following signals. Use **ztrans** command to obtain z-transform and use **syms** command to construct symbolic variables. Display output on command window and take screenshots.
 - a. X(n) = u(n)
 - b. X(n) = nu(n)
 - c. X(n) = (1+n) u(n)
 - d. $X(n) = cos(\omega 0n) u(n)$
 - e. $X(n) = \sin(\omega 0n) u(n)$
 - f. $X(n) = a^n \cos(\omega 0n) u(n)$
 - g. $X(n) = a^n \sin(\omega 0n) u(n)$
 - h. $X(n) = n a^n u(n)$;
 - i. $X(n) = -na^n u(-n-1)$;
 - j. $X(n) = n (-1)^n u(n)$
 - k. $X(n) = (n)^2 u(n)$

2. Plot poles and zeros of the Z-transform obtained for following signals using **zplane** command. (Write in single matlab script)

a.
$$X(n) = \left(\frac{1}{2}\right)^n u(n) + \left(-\frac{1}{3}\right)^n u(n)$$

b.
$$X(n) = \left(-\frac{1}{3}\right)^n u(n) - \left(\frac{1}{2}\right)^n u(-n-1)$$

c.
$$X(n) = \left(\frac{1}{2}\right)^n u(-n)$$

d.
$$X(n) = \{-1,0,-1,0,-1,0,-1,0,-1,...\}$$

Create single matlab scipt and obtain Symbolic Inverse Z-Transform of following signals
using iztrans command and use syms command to construct symbolic variables. Display
output on command window and take screenshots.

a.
$$X(z) = \left(\frac{1+3z^{-1}}{1-3z^{-1}+2z^{-2}}\right)$$

b.
$$X(z) = \left(\frac{1+2z^{-1}}{1+z^{-2}}\right)$$

c.
$$X(z) = \left(\frac{1}{(1-z^{-1})^2 (1-2z^{-1})}\right)$$

4. Plot poles and zeros of the Z-transform obtained for following signals using **zplane** command. Also obtain impulse response of following system using **impz** command. Take impulse response length n = 16 to plot impulse response. Create a matlab script of each one of the following system to obtain pole-zero plot and impulse response.

a.
$$Y(n) = 0.75 y(n-1) - 0.125 y(n-2) + x(n)$$

b.
$$Y(n) = y(n-1)+x(n)$$

c.
$$Y(n)=0.7 y(n-1) - 0.1 y(n-2) + 2 x(n) - x(n-2)$$