

# M3EPI: an Hierarchical and Relation-aware Graph Neural Network for Antibody-aware Epitope Prediction

MANSOOR AHMED

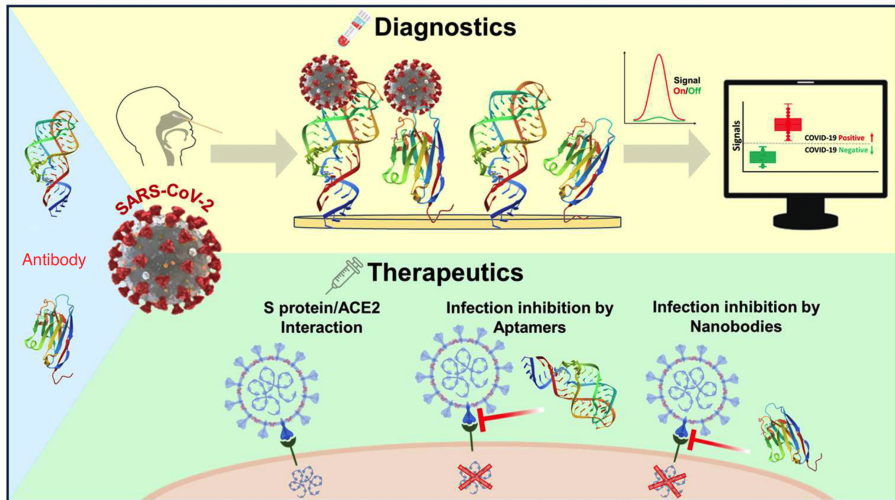
**UCLA CGSI-2025**

# Agenda

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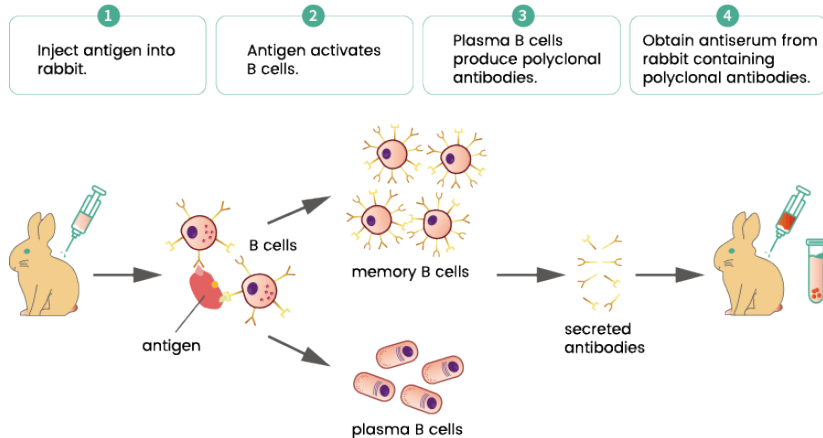
- 1 Motivation for the “antibody design” problem
- 2 Formulating the “epitope prediction” problem
- 3 Model architecture and dataset
- 4 Results and ablation studies

# Why are we interested in Antibodies?



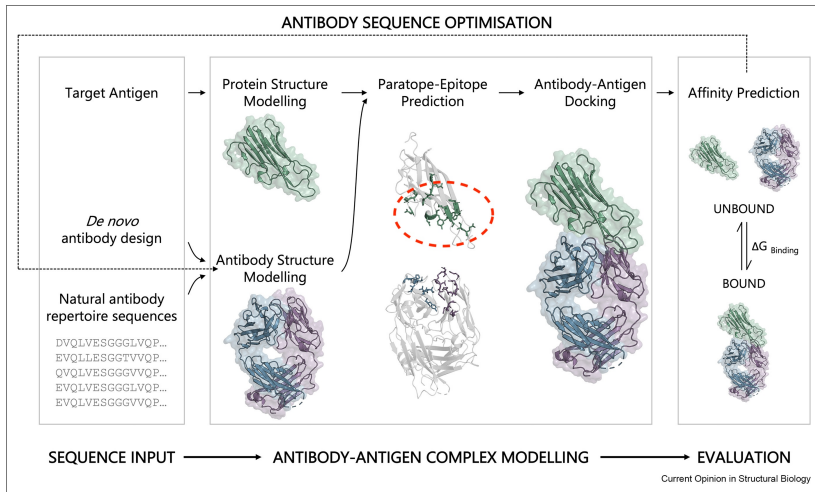
(Source: Park et al. [2024])

# What do we currently have? *In-vivo* methods



Source: Lumen Learning

# We can do better – why not “design” antibodies?



Source: Hummer et al. [2022]

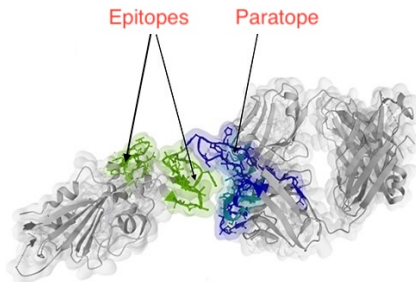
# Some Definitions

## Antigen

- Toxin, bacteria, or virus
- Induces an immune response producing antibodies
- **Epitope**: regions on antigens recognized by antibodies

## Antibody

- Large and Y-shaped protein produced by B cells
- Identifies and neutralizes antigens
- **Paratope**: antibody binding site



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# Current Challenges for Epitope Prediction

- Non-conformational/sequential – sequence-based approaches fail to capture the spatial relationship
- Ineffective protein representation and limited datasets
- Multiple epitopes on a single antigen

Table: Current baseline methods.

Method	F1 Score	MCC Score	Precision	Recall	AUROC	AUPRC
EpiGraph	0.247	0.240	0.145	0.852	<b>0.819</b>	<b>0.279</b>
EpiScan	0.197	0.043	-0.115	<b>0.912</b>	0.593	0.229
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**Our idea:** develop GNNs that can:

- 1 reason on multiple levels of protein (atom, residue, & edge)
- 2 capture multi-relational edge relationships within the protein
- 3 incorporate protein geometry by constraining rotational and translational equivariance in  $E(3)$ -space

# Problem Formulation

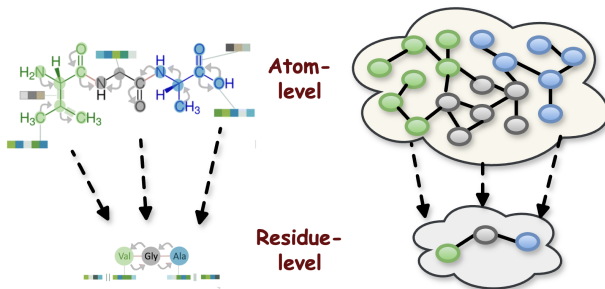
- **Input:** Two disjoint sets of atom, residue, and edge graphs for antibody and antigen:
  - Atom graph:  $\mathcal{G}_a = (\mathcal{V}_a, \mathcal{E}_a)$ , where adjacency matrix (edge list)  $\mathcal{E}_a$  is based on residue proximity (distance  $< 4.5\text{\AA}$ ) and atom nodes are encoded into a vector
  - Residue graph:  $\mathcal{G}_r = (\mathcal{V}_r, \mathcal{E}_r, \mathcal{R}_r)$ , where  $\mathcal{E}_r$  is based on sequential and spatial proximity and  $\mathcal{R}_r$  represents the set of edge-relations
  - Edge (line) graph,  $\mathcal{G}_e = (\mathcal{V}_e, \mathcal{E}_e)$ , is the complement of the residue graph  $\mathcal{G}_r'$
- **Output:** Nodes and edges between interacting antibody and antigen residues.

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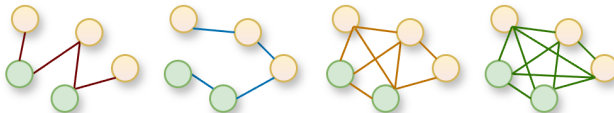
Given two disjoint antibody and antigen graphs, predict the binding nodes in the antigen – essentially a binary classification problem!!

# Illustration of the Input Data



sequential edges:  $r_1, r_2$

spatial edges:  $r_3, r_4$



## Equivariance and Invariance in E(3) Space

- Introduce geometric (spatial) inductive bias using equivariant graph neural networks (EGNN) [Jiao et al. \[2023\]](#)
- Let  $\mathbf{X} \in \mathbb{R}^{3 \times m}$  be a collection of  $m$  atom coordinates and  $\mathbf{h} \in \mathbb{R}^d$  be non-geometric features (charges, residue indices, etc.).

A mapping  $f : (\mathbf{X}, \mathbf{h}) \mapsto (\mathbf{X}', \mathbf{h}')$  is E(3)-equivariant if

$$f(g \cdot \mathbf{X}, \mathbf{h}) = g \cdot f(\mathbf{X}, \mathbf{h}), \quad \forall g \in \text{E}(3) \quad (\text{rotation / reflection})$$

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At depth  $\ell$ , an EGNN layer performs updates as follows:

$$\begin{aligned} \mathbf{m}_{ij}^{(\ell)} &= \phi_m(\mathbf{h}_i^{(\ell-1)}, \mathbf{h}_j^{(\ell-1)}, e_{ij}, \|\mathbf{x}_i^{(\ell-1)} - \mathbf{x}_j^{(\ell-1)}\|^2), \\ \mathbf{x}_i^{(\ell)} &= \mathbf{x}_i^{(\ell-1)} + \frac{1}{N_i} \sum_{j:(i,j) \in \mathcal{E}_a} (\mathbf{x}_i^{(\ell-1)} - \mathbf{x}_j^{(\ell-1)}) \phi_x(\mathbf{m}_{ij}^{(\ell)}), \\ \mathbf{h}_i^{(\ell)} &= \phi_h(\mathbf{h}_i^{(\ell-1)}, \sum_{j:(i,j) \in \mathcal{E}_a} \mathbf{m}_{ij}^{(\ell)}), \end{aligned}$$

## ■ **Task 1: Epitope Node Classification** ([Ahmed et al. \[2025\]](#))

Epitopes are antigen residues in contact with the antibody (distance  $< 4.5\text{\AA}$ )

Binary classification of antigen nodes:

- Label = 1: Epitope residue
- Label = 0: Non-epitope residue

$$f(v; G_B, G_A) = \begin{cases} 1 & \text{if } v \text{ is an epitope,} \\ 0 & \text{otherwise.} \end{cases}$$

# Formal Definition of the Tasks

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## ■ Task 2: Bipartite Link Prediction

Predict interactions between antibody and antigen residues.

Binary classification of edges in the antigen-antibody bipartite graph:

- Label = 1: Residues are in contact (distance  $< 4.5\text{\AA}$ )
- Label = 0: Residues are not in contact

$$g(v_a, v_b; K_{m,n}) = \begin{cases} 1 & \text{if } v_a \text{ and } v_b \text{ are in contact,} \\ 0 & \text{otherwise.} \end{cases}$$

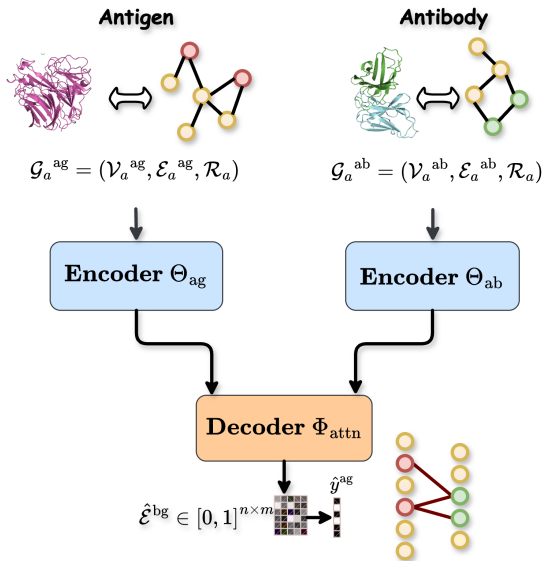


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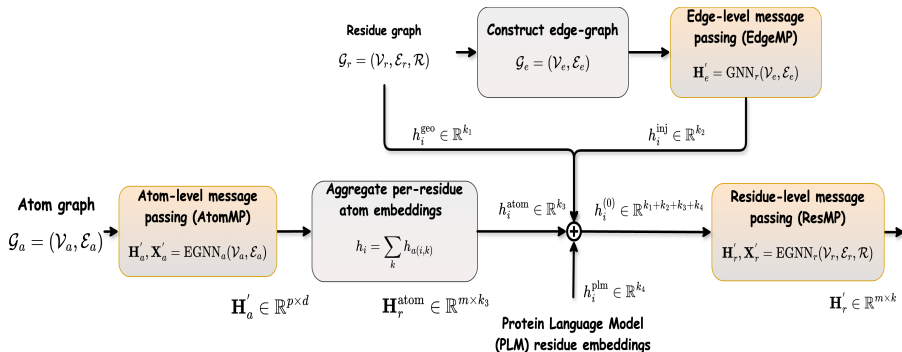
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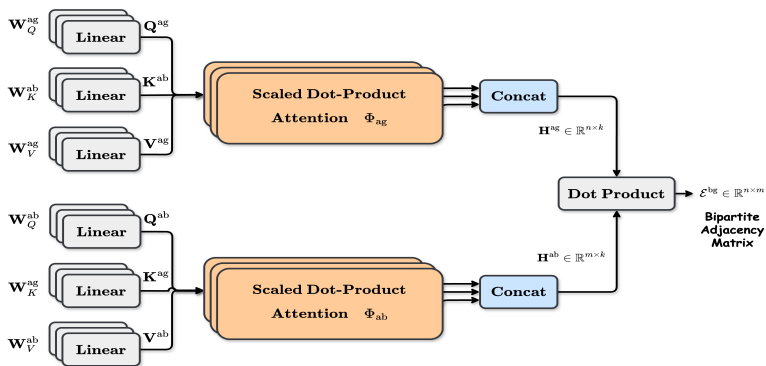
# Model Architecture: Overall Framework



# Model Architecture: Hierarchical Encoder



# Model Architecture: Cross Attention Decoder



# Loss Functions

## Primary loss functions

### 1 Binary Cross-Entropy Loss:

$$\mathcal{L}_{\text{BCE}} = -\frac{1}{|\mathcal{E}^{\text{bg}}|} \sum_{(i,j) \in \mathcal{E}^{\text{bg}}} y_{ij} \log \hat{y}_{ij} + (1 - y_{ij}) \log(1 - \hat{y}_{ij}),$$

### 2 Gradient-Weighted NCE Loss (Ji et al. [2024]):

$$\mathcal{L}_{\text{GW-NCE}} = - \sum_{i \in \mathcal{V}_r^{\text{Ag}}} \log \frac{\sum_{j \in \mathcal{P}(i)} e^{s_{ij}/\tau}}{\sum_{j \in \mathcal{P}(i) \cup \mathcal{N}(i)} \alpha_{ij} e^{s_{ij}/\tau}},$$

## Dual auxiliary “force” losses

### 1 Residue-level inter-graph loss :

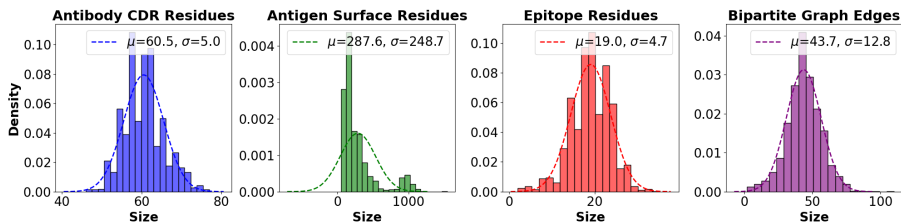
$$\hat{d}_{i,j}^{\text{inter}} = \|h(c_i) - h(a_j)\|, \quad L_{\text{inter}} = \sum_{(i,j) \in \mathcal{I}} \text{Huber}(\hat{d}_{i,j}^{\text{inter}}, d_{i,j}^{\text{true}})$$

### 2 Atom-level intra-residue loss capturing local side-chain geometry :

$$\hat{d}_{i,k,k'}^{\text{intra}} = \|h(v_{i,k}^{\text{Ag}}) - h(v_{i,k'}^{\text{Ag}})\|, \quad L_{\text{intra}} = \sum_i \sum_{k < k'} \text{Huber}(\hat{d}_{i,k,k'}^{\text{intra}}, d_{i,k,k'}^{\text{true}}),$$

# AsEP Benchmark Dataset

- Currated and benchmarked by [Liu et al. \[2024\]](#) using Antibody Database (AbDb) and Protein Data Bank (PDB) at NeurIPS-2024
- **Size:** 1,723 antibody-antigen complexes with labeled binding sites



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# Results: Baseline Comparison and Ablation Studies

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<b>M3Epi</b>	<b>0.314 <math>\pm</math> 0.013</b>	<b>0.292 <math>\pm</math> 0.006</b>	0.209 $\pm$ 0.012	0.635 $\pm$ 0.010	0.736 $\pm$ 0.003	0.156 $\pm$ 0.008

- **Encoder:**
  - single-level vs. hierarchical (multi-level)
  - uni-relational (homogeneous) vs. multi-relational (heterogeneous) graphs
  - Vanilla GNN modules (GAT, GCN, GIN) vs. equivariant GNN blocks (EGCN, ET, SCHNet)
- **Interaction decoder:** ATTENTION versus lightweight DOT product
- **Loss functions:** contrastive objective (vanilla INFONCE versus the gradient-weighted GW-NCE) with auxiliary losses
- **Self-supervised pre-training** with Langevin energy modeling, multi-view contrastive learning, and graph self-prediction tasks (on-going)



## References

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- 3 **Huriong Chai**

Algorithmic Biology Lab at GSU:  
<https://alibilab.github.io/>

Questions & Suggestions!!