

IDEA - (International Data Encryption Algorithm)

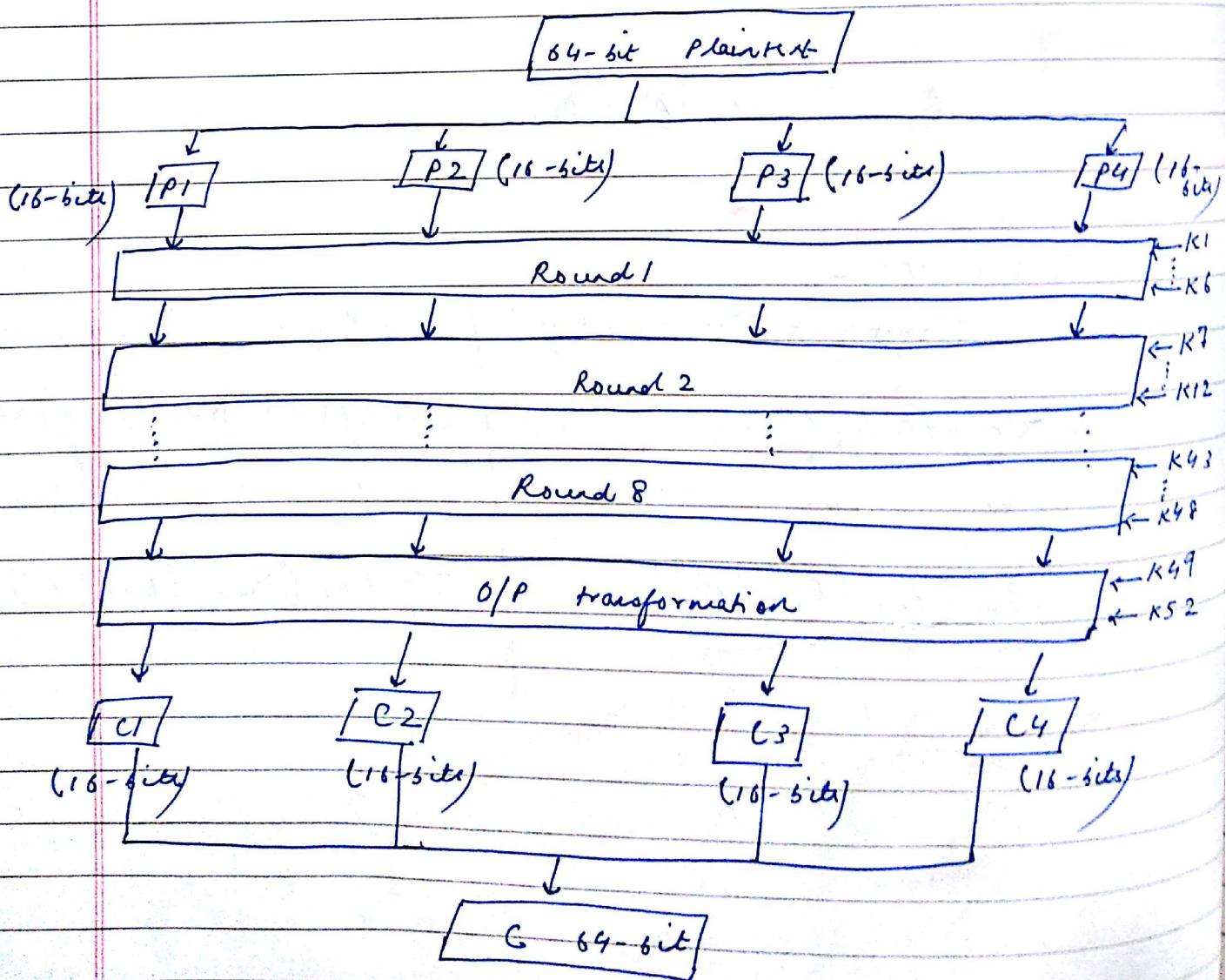
64-bit plain text
128-bit key for encrypting an original message.

→ we have 8 rounds here.

128-bit key \Rightarrow 6-bit subkeys (each round)
 $K_1 - K_6, K_7 - K_{12}, \dots \}$ 8-rounds

O/P transformation block \Rightarrow 4-bit subkey ($K_{49} - K_{52}$)

Broad level steps in IDEA -



Round 1

(K1-K6 1000 words 16-bit only)

$$\text{Step 1} = P1 \oplus K1$$

Multiply by 1134

$$\text{Step 2} = P2 \oplus K2$$

$$\text{Step 3} = P3 \oplus K3$$

$$\text{Step 4} = P4 \oplus K4$$

$$\text{Step 5} = 1 \oplus 2 \oplus 3 \quad (\text{Step 2} \oplus \text{Step 3})$$

$$\text{Step 6} = \text{Step 2} \oplus \text{Step 4}$$

$$\text{Step 7} = \text{Step 5} \oplus K5$$

$$\text{Step 8} = \text{Step 6} \oplus \text{Step 7}$$

$$\text{Step 9} = \text{Step 8} \oplus K6$$

$$\text{Step 10} = 7 \oplus 9$$

$$11 = 10 \oplus 9$$

$$12 = 2 \oplus 9$$

$$13 = 2 \oplus 10$$

$$14 = 4 \oplus 10$$

16 bit -

$$P2 = 1111111100000000$$

$$K2 = 1111111111000001$$

17 bits \Rightarrow divide by 2^{16}
 \Rightarrow 16 bits

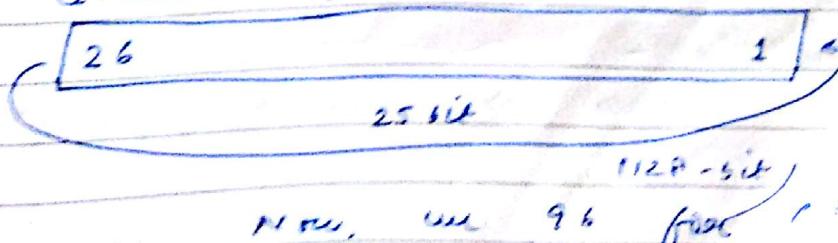
and $\left\{ \begin{array}{l} \text{add} \Rightarrow 2^{16} \\ \text{multiply} \Rightarrow 2^{16+1} \end{array} \right.$

Key Shift -

128 bit \Rightarrow K1-K6 } (6-rounds)

$$128 - 16 = 96 \text{ bits}$$

For round 1, 128 - 96 = 32 bits (for 128)
No. of circular shift 25 bits



O/P transformation -

4-bit cipher
Step 1: $R_1 \times K_1$ ($\times, + \rightarrow$ multiply x , add y)
Step 2: $R_2 + K_2$
Step 3: $R_3 + K_3$
Step 4: $R_4 \times K_4$

Key strength $\Rightarrow 2^{128}$ possible keys to break the method.

(After round 8, the intermediate value is R_1 to R_4).

(10, 12, 14 rounds)

AES (Advanced Encryption Standard) -

Rijndael Algorithm -

PT \Rightarrow 128 bits to 256 bits

Key size \Rightarrow 128 bits, 192, 256

1) 128 bit PT combined with 128 bit key.

2) No. of 128 bit PT combined with 256 bit key.

rounds \rightarrow 10, 12, 14 (Depends on size of key)

10 (PT = 128 bit, keysize \rightarrow 128 bit)

12 (PT = 128 bit, key \rightarrow 192)

14 (PT = 128, key \rightarrow 256)

① One-time initialization process

a) Expand the 16-byte key to get actual key block.

b) Do one time initialization of the 16-byte plain text block. (called as state)

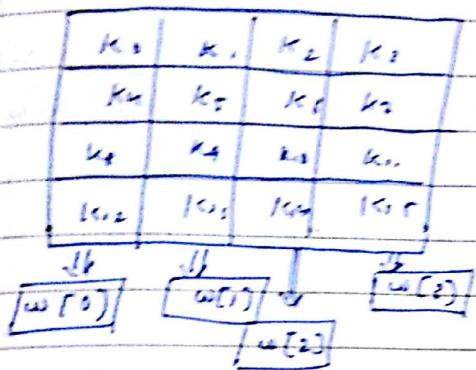
c) XOR the state with the key block.

Details (a) -

16 byte \Rightarrow 1 word \Rightarrow 4 byte \Rightarrow 4 byte word.
key

11 array (each array contains 4×4)
 $(11 \times 4 \times 4 = 176$ bytes)

There are 13 rounds in total of 11 keys.
Initial key initialization & 10 for each round.



Byte Partition Decimal	0	1	2	3	4	5	6	7	8	9	10	11	12
hex	00	02	02	03	04	05	06	07	08	09	0A	0B	0C

↓
 13 14 15
 $0D$ $0E$ $0F$

key expansion step-1

$$w[0] = 00 \quad 01 \quad 02 \quad 03$$

$$w[1] = 04 \quad 05 \quad 06 \quad 07$$

$$w[2] = 08 \quad 09 \quad 0A \quad 0B$$

$$w[3] = 0C \quad 0D \quad 0E \quad 0F$$

If multiple of 4, $w[4], w[8]$ are zero

$$\begin{aligned} \text{temp} &= w[i-1] \\ &= w[4-1] = w[3] \\ &= 0C \quad 0D \quad 0E \quad 0F \end{aligned}$$

Since $i=4$, $i \bmod 4 = 0$.

✓ $\boxed{\text{temp} = \text{rotate}(\text{temp}) \text{ XOR constant } (i/4)}$

* Rotate (temp) -

- OC 0D 0E 0F (apply circular left shift on the contents of the word by one byte).
- \Rightarrow 0D 0E 0F OC (After rotation).

* Substitute (rotate (temp))

Substitute (0D 0E 0F 0C) AES
(through S-box)
76 FE

$$x = 0, y = D$$

$$= D7.$$

$$x = 0, y = E$$

$$= AB$$

* Constant (i/4) - $w[i] -$

$$\text{constant } (4/4) = \text{constant } (1)$$

$$= 01 \quad (\text{from } w[1]).$$

* XOR \rightarrow

$$\begin{array}{cccc} D7 & AB & 76 & FE \\ \text{XOR} \\ \hline 01 & 00 & 00 & 00 \\ \hline D6 & AB & 76 & FE \end{array}$$

$$\text{New temp} = D6 AB 76 FE$$

* Final process - $w[i]$

$$\text{temp } \text{XOR } (i-4)$$

$$= \text{temp } \text{XOR } w[0]$$

$$\begin{array}{cccc} D6 & AB & 76 & FE \\ \text{XOR} \\ \hline 00 & 01 & 02 & 02 \end{array}$$

$w[4] = 06 \text{ AA } 74 \text{ FD}$

$w[i] = w[i-1] \timesor 10 \text{ if } i=4$

[i not a multiple of 4 $\Rightarrow i=5$]

$w[5] = w[5-1] \timesor w[5-4]$

= $w[4] \timesor w[1]$

$06 \text{ AA } 74 \text{ FD} \xrightarrow{\timesor} 0B \text{ F0}$

\timesor 04 05 06 07

b)

B1	B2	B3	B4	B5	B6	B7	B8	B9	B10	B11	B12	B13
										B14	B15	B16

0804 0A04

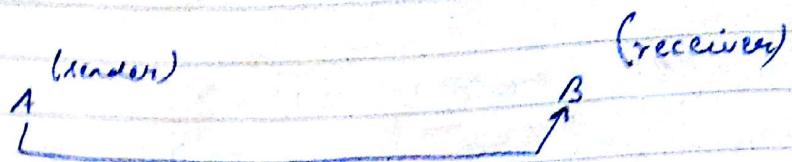


\Rightarrow (state)

B1	B5	B9	B13
B2	B6	B10	B14
B3	B7	B11	B15
B4	B8	B12	B16

16 - byte Plain text box copied into 2-D
4x4 array, called state.

Digital signature -



① has private key, public key both
 encrypt → ② ← decrypt using public key of A.

No message has no confidentiality, anyone can destroy it.

Now encrypt using C's private key
i.e., message $\leftarrow B$ not able decrypt
using A's public key.

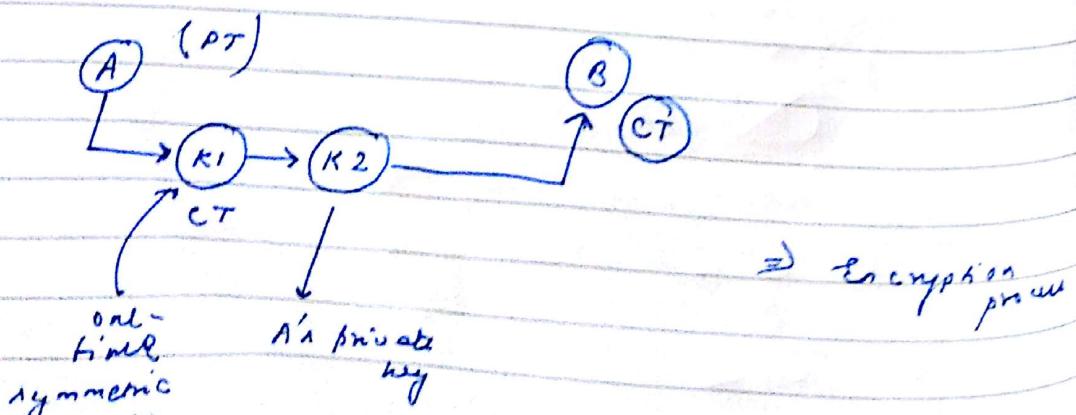
so some authentication must be there that A is sending B integrity also as far as C's encryption. B's decryption will become non-readable.

~~Sup.~~

Digital signatures depends on the confidentiality or not?

* Manage Digit -

Digit are trash -



Decryption - process.



using
A is
public key

This whole
process \Rightarrow math function

It depends on

\rightarrow Authentication \rightarrow Non-repudiation \rightarrow Integrity
but not on conf.

LRC \rightarrow is a longitudinal redundancy check

& CRC \rightarrow cyclic Redundancy check

LRC \rightarrow

original data

111 00100 11 01101 00111001 00101001

\rightarrow 11100100
 \rightarrow 11 011101
 \rightarrow 00111001
 \rightarrow 00101001
 \rightarrow 00101001 \rightarrow LRC.

original data

(XOR sum)

Append LRC to original data.

At receiver side discard LRC. XOR

rest of data & check with
received LRC.

Date _____
Page _____

Digit on normal result.
original num - 7391743

operation	Result
7×3	21
Discard 1st digit from right	1
(Multiply with discarded digit)	9
1×9	9
9×1	9
9×7	63
Discard 1st digit	3
3×4	12
Discard	2
2×3	6 \Rightarrow Message digit.

Now 6 is ^{rest} appended to B
 $A \rightarrow B$.

If 2 MD are same \rightarrow collision.

MD5 \rightarrow (128 bit data)

Step 2: Padding - The total length of this should be 64 bit less than a multiple of 512.

Initial data
 64 bits 1000 \Rightarrow 1472 \leftarrow padded length.

$$1536 \Rightarrow (512 \times 3) = 1536.$$

$$1536 - 64 = 1472.$$

i.e. $(1000 + 472)$ \rightarrow padding.

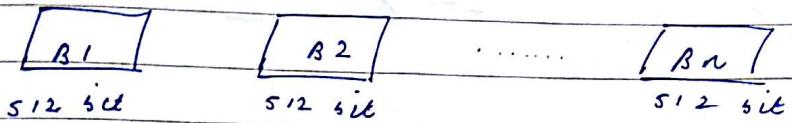
\Rightarrow 1472 length of data after padding process.

Ans 1: { Original message + padding (1 - 512 bits)
 text, not 1000.

Step 2 - Add (length of the original message)
with 0% of step 1.

~~Step 1 + length of original message.~~
+ 1000

Atyp 3: Divide the original message into 512 blocks.



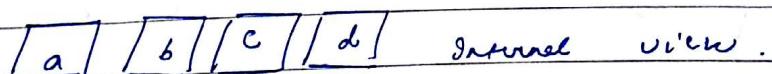
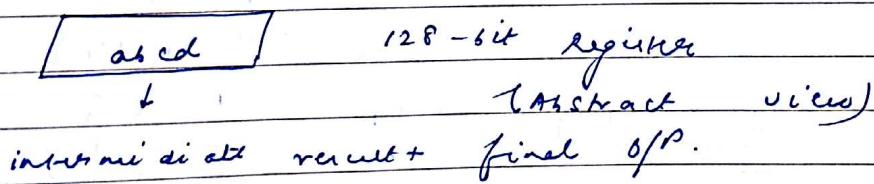
Step 4: training process - A, B, C, D.

<i>A</i>	Hex	01	23	45	67	} refer back
<i>B</i>	Hex	:	:	:	:	
<i>C</i>	Hex	:	:	:	:	

$$\text{Step 5 - } a = b + i((a + j \text{ real part}(b, c, d) + M[i]) + T[k])$$

Process clock for →

8.1 $a = A, \quad b = B, \quad c = C, \quad d = D \quad (\text{copy values})$



for all (B_1, \dots, B_n)

5.2 \hookrightarrow 512-5it 6 clock \Rightarrow -16 abs-locks

each 6 weeks contain 32 - 50g

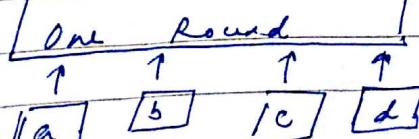
~~8-3~~ It has 4 round -

to array 64
elements &

$$M[0] \dots M[15] \Rightarrow \boxed{16 \text{ 1MB - 640 MB}}$$

total contact (t) each

element
contains
32 bits



Cont'd...


cryptography & N/W security.

Cat... MD5 →

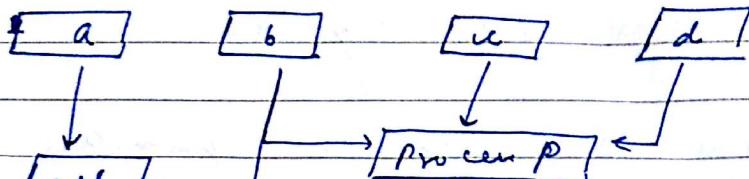
Process P -

Round

1

Process P

$(b \oplus c) \oplus ((\text{not } b) \text{ AND } (d))$



* i, $M(i) \rightarrow [A \text{ add}]$

* k, $K(k) \rightarrow [A \text{ add}]$

[shift]

[add]

[a | b | c | d]

Ans for round 2, 3, 4. (Refer book).

CT-2

→ IDEA - Shift step)

✓ → AES - (Step) (no. of steps, T no. of elem ext.)
→ MD5 - Algo & process P. (e.g. Davies P is 3rd round)

X → RC4 → learn formula

→ MAC / HMAC

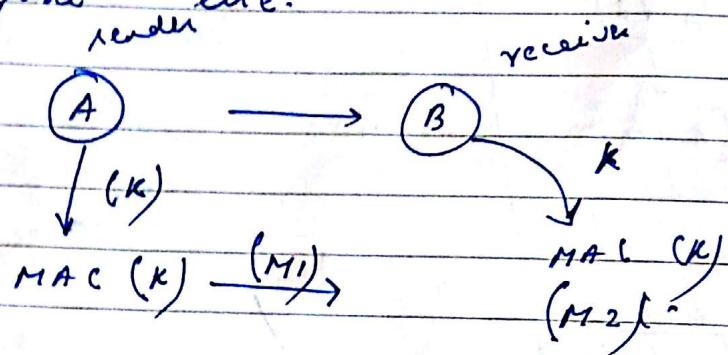
→ Digital signature - ($LRC \beta \rightarrow \text{Step}$) in Merge Digest.
→ Hash function.

X → RSA, DSA or MD. (Difference b/w then using digital signature).

MAC - It depends on symmetric key cryptography.

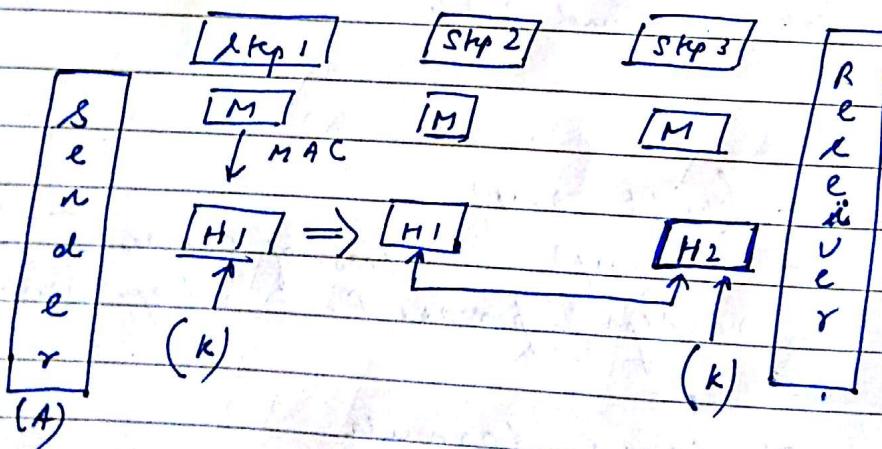
(A) sender encrypts the message using a secret key k .

A & B share a symmetric key k , which is not known to anyone else.



If $M_1 = M_2$, message is sent.

If $M_1 \neq M_2$, B rejects this message.



MD5 is not an encryption / Decryption algo, so not a cryptographic algorithm.

MAC is a cryptographic algo which uses MD5 or SHA.

If we use HMAC (Hash-based MAC) for encryption / decryption.

HMAC - The message digest of hash function used are MD5 or SHA-1.

M is the I/P message whose MAC is to be calculated. L is the no. of blocks in the message M. B is the no. of bits in each block. K is the shared symmetric key. ipad is a string $00110110 \dots$ repeated $B/8$ times.

Opad \rightarrow the string $01011010 \dots$ repeated $B/8$ times.

\downarrow MD5, SHA-1

original message $\rightarrow (M)$

encrypt $\rightarrow (MAC)$

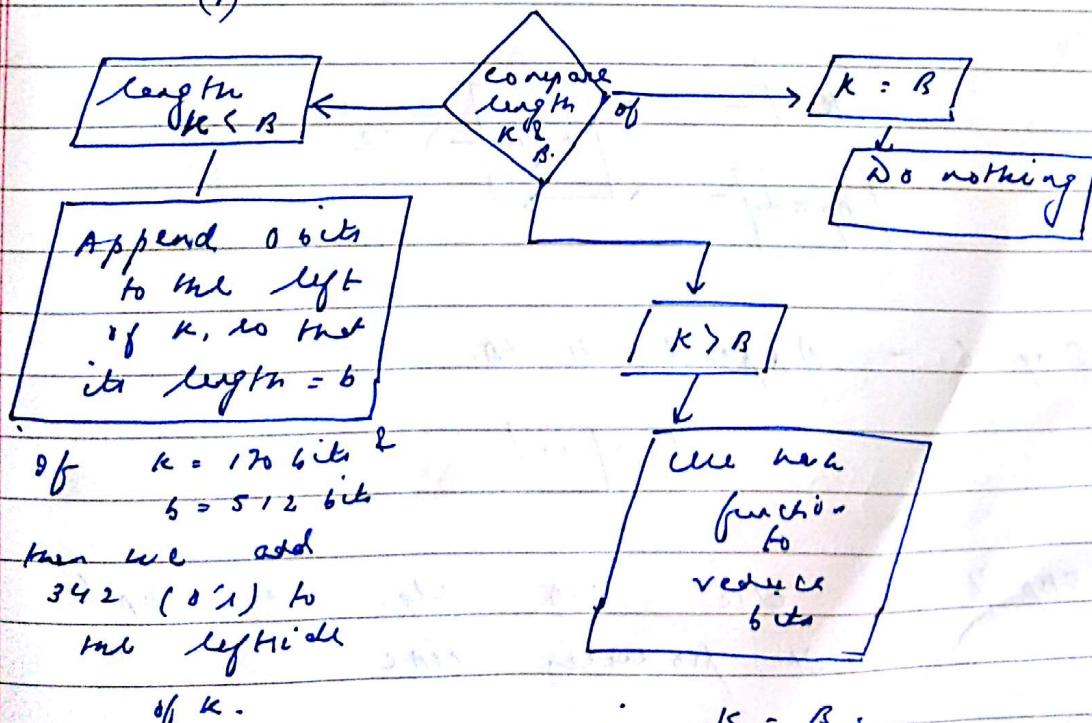
(k)

Final output

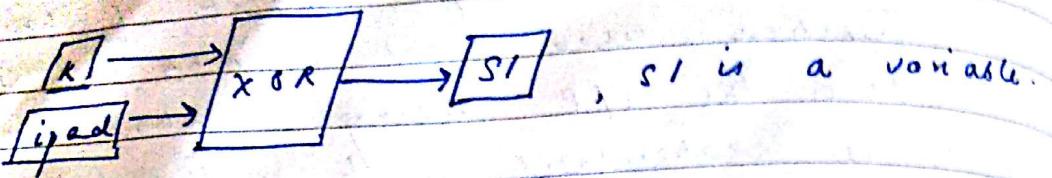
HMAC concept -

Step 1 : make the length of $K = B$.

(1)



Step 2 : XOR K with ipad to produce S1.



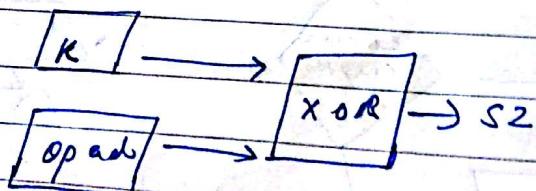
Step 3 : Append H to S1 ($H \rightarrow$ original message)

$$S1 + \underbrace{\text{original message}}_{l}^{(M)}$$
$$S1 | (M)$$

Step 4 : use any MD algo on Step 3
(MD5, SHA1)
Output = H.

~~MAC Concept~~ -

Step 5 - XOR K with opad to produce S2



Step 6 - Append H to S2

$$S2 | H$$

Step 7 : use MD algo on step 6.
It produces MAC.

- Q. Difference b/w symmetric & asymmetric key cryptography.
- Q. The process of the digital signature & hash function.
- Q. LRC .
- Q. Create a MD using most given bits/no. (Write complete process in steps)
- Q. No. of bits used in each process. ($MD5 = 128$ bits) 2^{128} combinations to break the code.
- Q. What is collision?
- Q. Requirements of Message Digest.
- Q. Padding process of MD5.