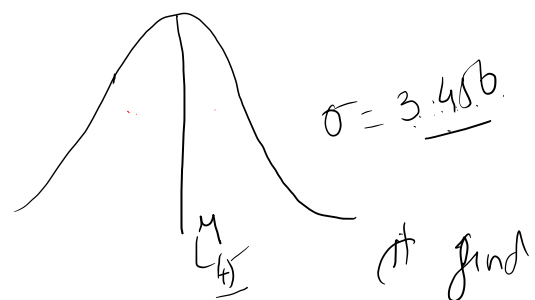


$$\mu = 0$$

$$\sigma = 1$$

①



find

(ii)

$$p(x < 43) \Rightarrow$$

$$p(44 < x < 49) = ?$$

$$\begin{aligned} x &= 43 \\ \mu &= 45 \\ \sigma &= 3.45 \end{aligned}$$

$$z = \frac{43 - 45}{3.45}$$

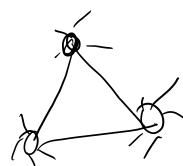
$$\cancel{0.576} = 0.576$$

Z table



$$p = 0.215$$

②



Same direction ...?

③

A coin is tossed 10 times. what is the probability of getting exactly 6 heads?

$$z_1 = \frac{44 - 45}{3.456}$$

④

The number of cars arriving per petrol with mean of 5/hours

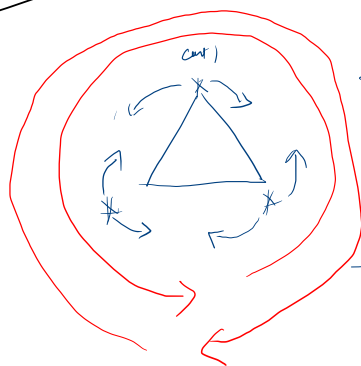
(i) what is the probability that in next 1 hour, only single car will arrive?

$$z_2 = \frac{49 - 45}{3.456}$$

$$p(z_1 < x < z_2) = p(z_2) - p(z_1)$$

$$= 0.2646$$

What is the problem?



clockwise
 $P(\text{ant}_1) = 1/2$
 moving

Similar for
 other ants

Anticlockwise

$P(\text{ant}_1) = 1/2$

Similar for
 ant.

$$= \left(\frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} \right) + \left(\frac{1}{2} \times \frac{1}{2} \times \frac{1}{2} \right)$$

Anticlockwise

Anticlockwise

$$= 2/8 = 0.25$$



$n=3$

$n=3$

$P(X=n) = n! q^n p$

$P(X=n) = 3! q^2 p$

$= 3! q^2 (0.5) (0.5)$

$= \frac{3!}{2!} q^2$

$= 3 \times (0.5)^2$

$= 0.75$

$P(X=3) = 1! (0.5)^2$



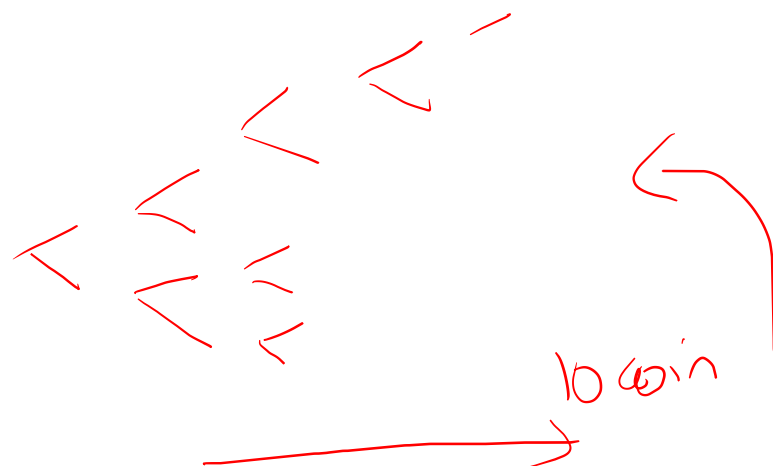
3)

A coin is tossed ^{unbiased} 10 times. what is the probability of getting exactly 6 heads?

① coin \rightarrow H/T } 2 outcomes

② Independent

③ $P(H) = P(T) = 1/2$



$$P(X=x) = {}^nC_x q^{n-x} p^x$$

HHH HHH TTT

$n=10$

$$P(X=6) = {}^{10}C_6 \left(\frac{1}{2}\right)^{10-6} \left(\frac{1}{2}\right)^6$$

$$= \frac{10!}{6! (10-6)!} \left(\frac{1}{2}\right)^4 \left(\frac{1}{2}\right)^6$$

$$= \frac{10!}{6! 4!} \left(\frac{1}{2}\right)^4 \left(\frac{1}{2}\right)^6$$

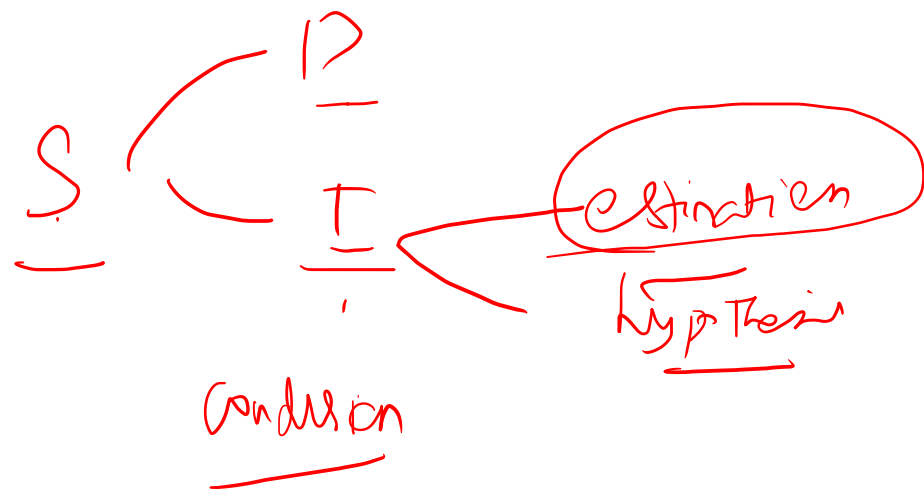
(4) The number of cars arriving per petrol with mean
5 / hours
 (i) what is the probability that in next 1 hour, only single car will arrive?

$$\lambda = 5$$

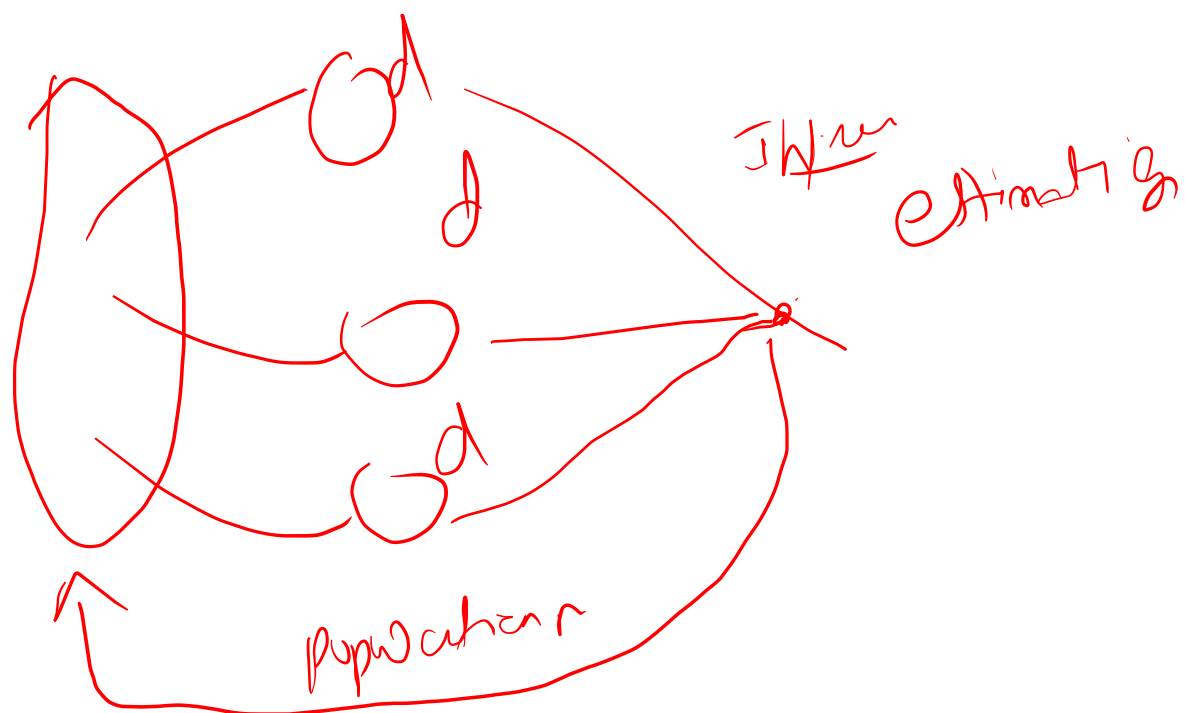
$$x = 1$$

$$P(X=x) = \frac{e^{-\lambda} \lambda^x}{x!}$$

$$= \frac{e^{-5} 5^1}{1!} = \frac{5e^{-5}}{1}$$



What is
inference?



Estimation

Mean?

Binning

mean of population = ?

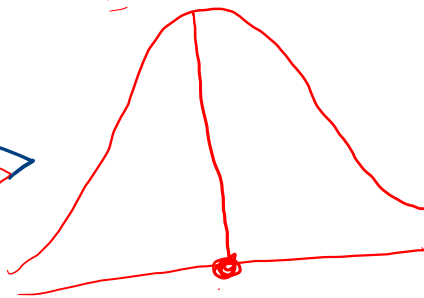
$S_1 \rightarrow \bar{x}_1$

$S_2 \rightarrow \bar{x}_2$

$S_3 \rightarrow \bar{x}_3$

S_n

$[x_1, x_2, x_3, \dots]$



Sample distribution

Sample will be

normal when

taken large sample

population mean

point estimation

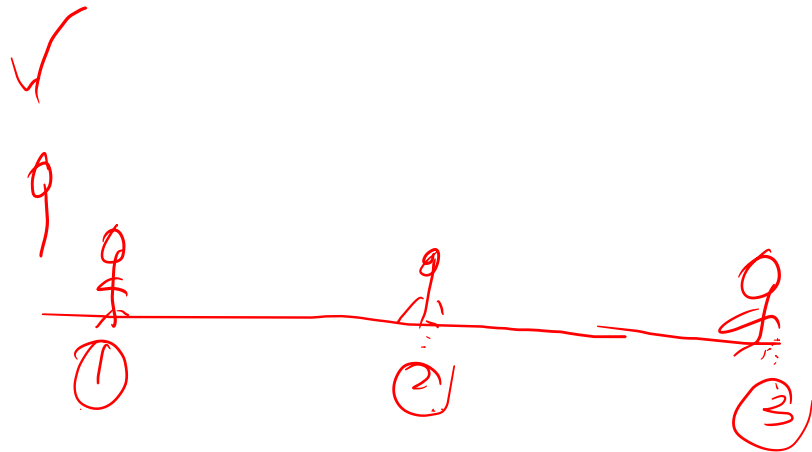
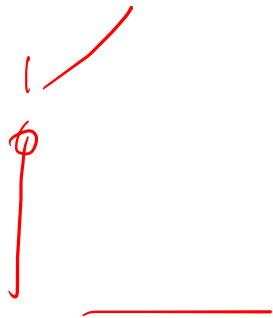
Z - Normal distribution

CLT

Central limit Theorem

$[x_1, x_2, x_3, \dots]$

μ - point est.



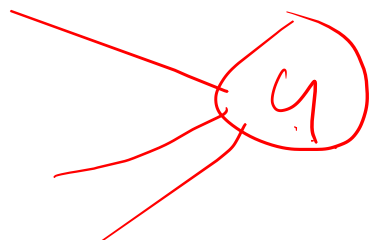
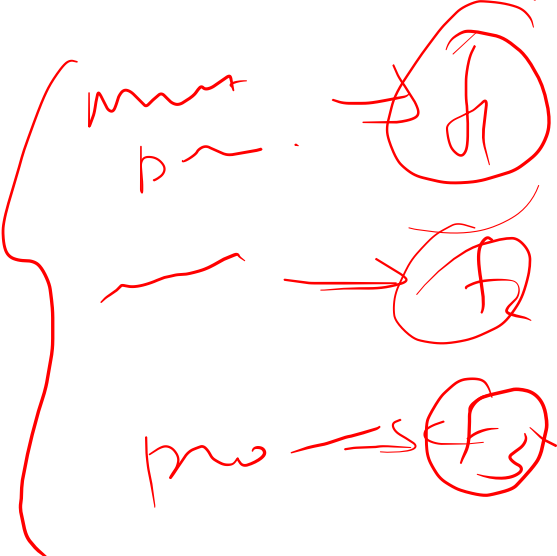
P -

How



Summe
Aus

Leads ↑



Regression ^{homo} homo

