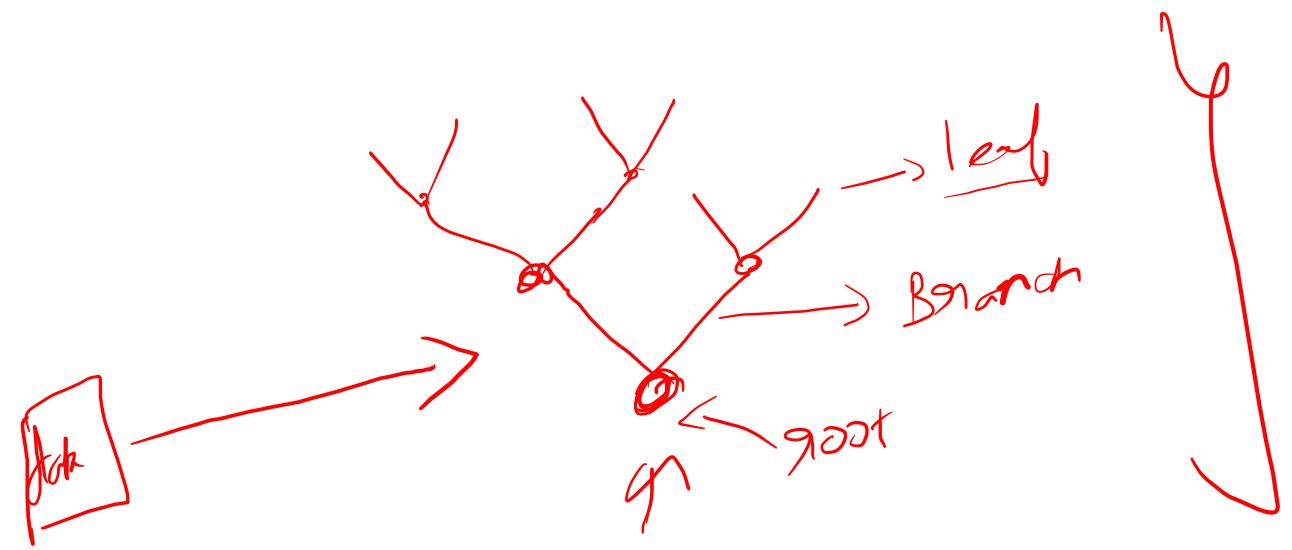


Tree



① How this
decision will be
prepared?

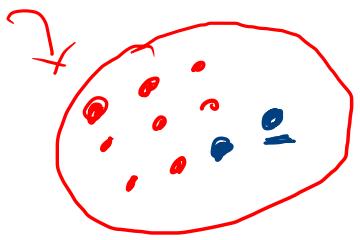
Prediction

?



PS
↳ Tree

10 R.



what is the entropy \rightarrow 1 blue

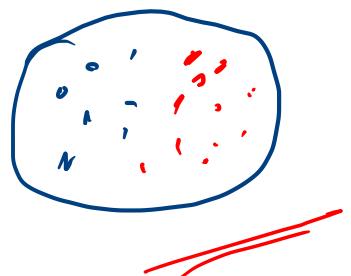
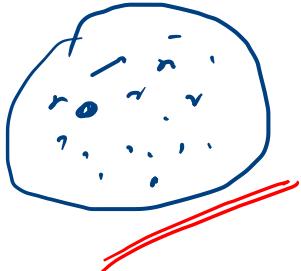
q
good \rightarrow information
about Red \rightarrow 0.9

8
good \rightarrow 0.8 \rightarrow
 $\hookrightarrow 0.2 \rightarrow$ error.

②

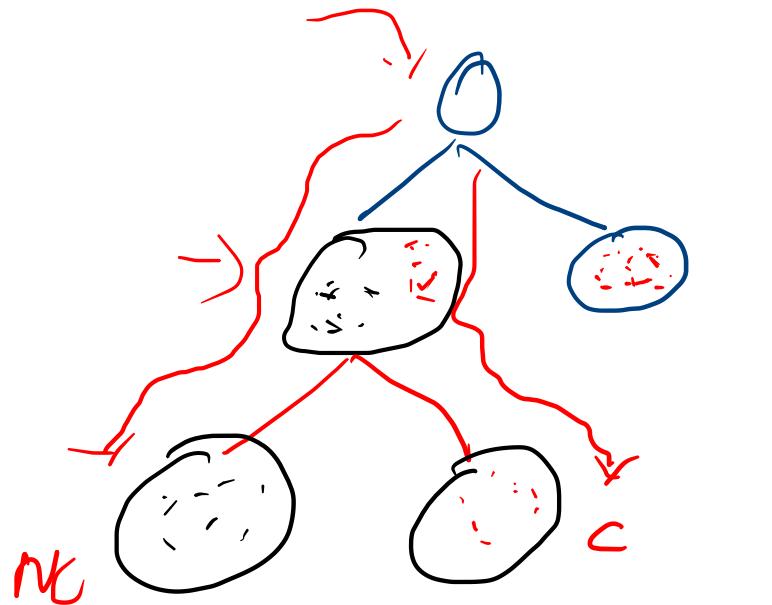
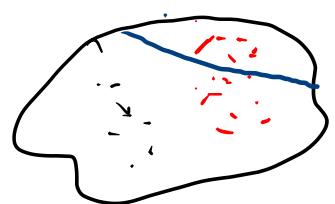
pure Set & Impure Set

B



$$\underline{\text{entropy}} = \sum -(p_i) \log_2(p_i)$$

Now pure is
The given dataset



← impurities

decision tree

until it get pure set

tree will be splitting
data

NC
NC
C
:
:

100 patient



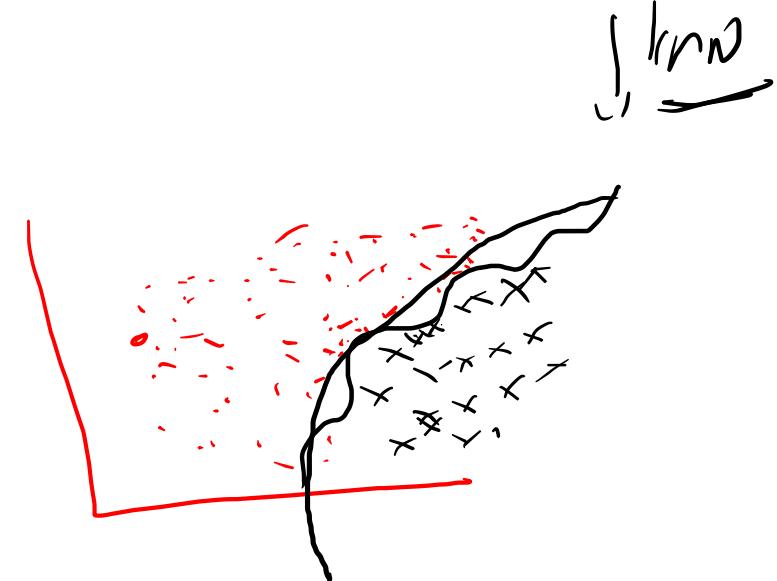
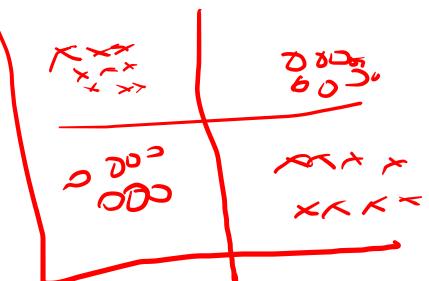
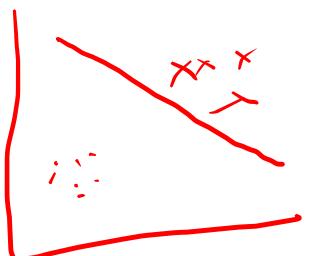


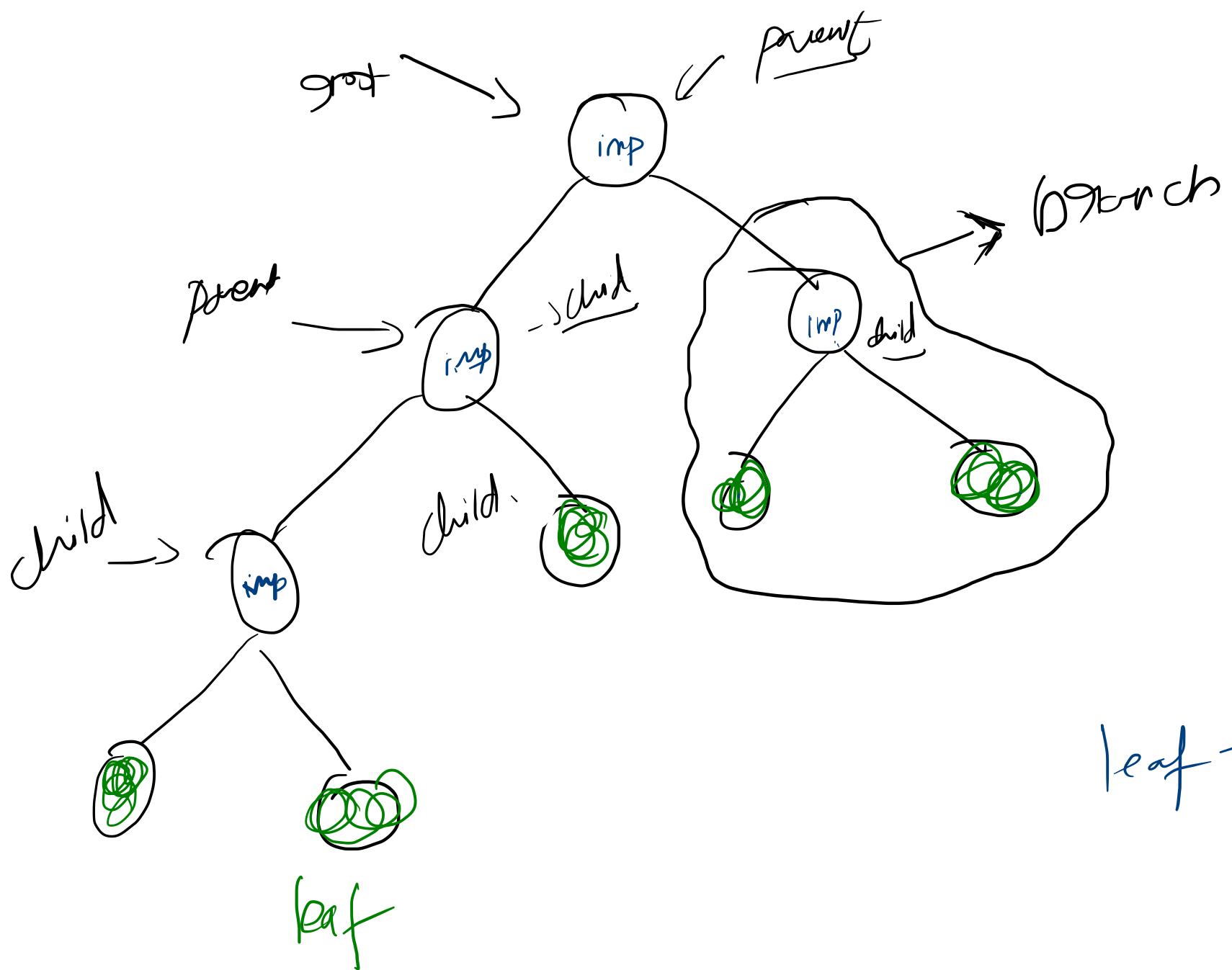
build this line using
logistic regression

linear decision tree

① more than 2 labels

② linear separable but non linear separable



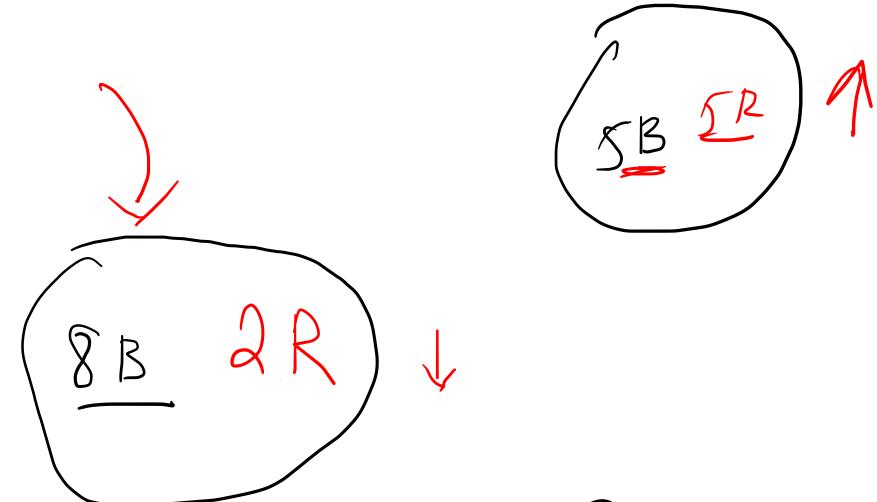
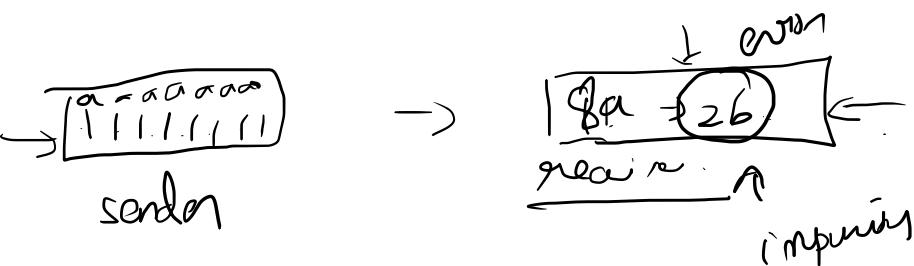


leaf - our only pure Sel

modification



\rightarrow Entropy



$$B \rightarrow 8$$

$$R \rightarrow 2$$

①



②

choose square

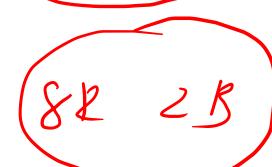
③

gini

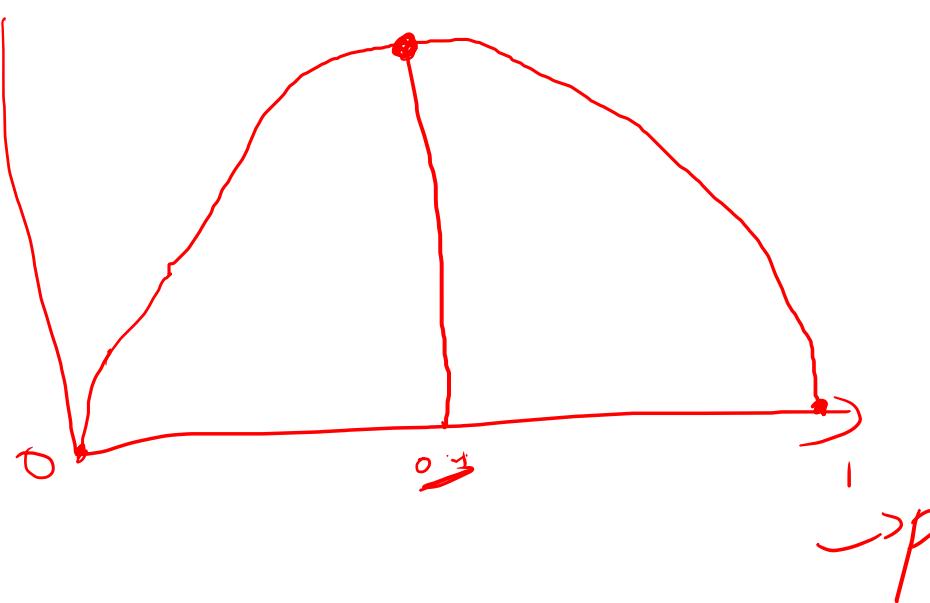
$$\text{Entropy} = -\sum p_i \log_2(p_i)$$

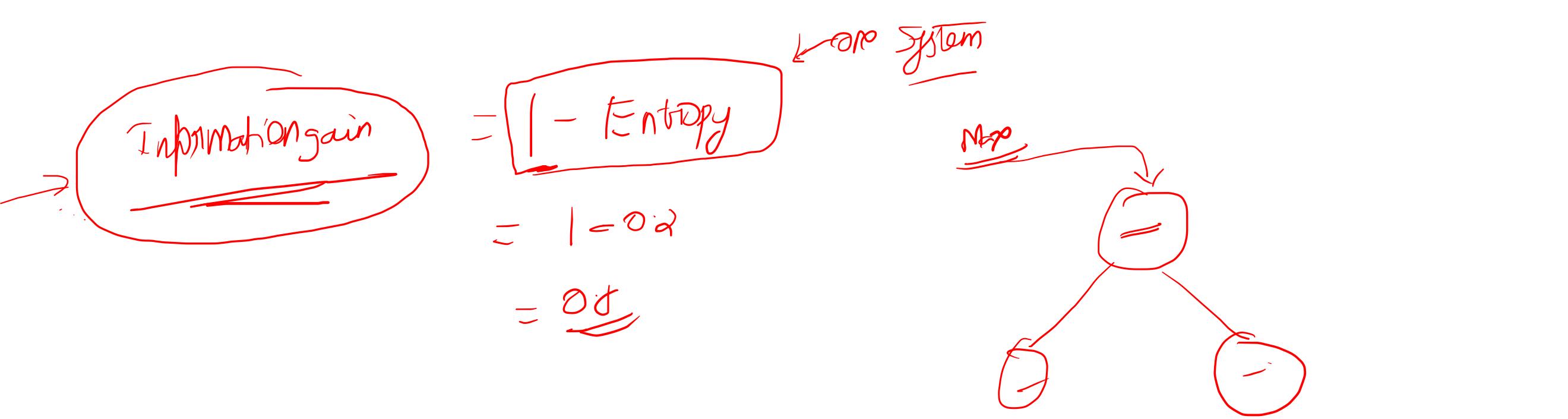
$$= -0.8 \log_2(0.8) - 0.2 \log_2(0.2)$$

$$= 0.2$$



Entropy





Random split \rightarrow entropy \rightarrow information gain \rightarrow pure
 not pure

$$E(T_j X) = \sum P(c) * E(c)$$

=

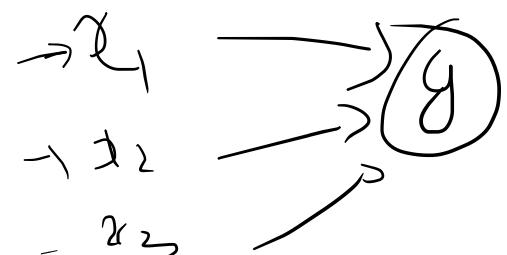
$$\text{Entropy} = 0.94$$

$$\text{Entropy} = \sum p_i \log_2 p_i$$

$$\sum p_i \times E_C(i)$$

		Play Golf		
		Yes	No	
Outlook	Sunny	3	2	5
	Overcast	4	0	4
	Rainy	2	3	5
				14

$$\frac{S}{14} E(S_2) + \frac{4}{14} E(S_1) + \frac{5}{14} E(S_3)$$



$$E(T)$$

$$= \underline{0.671}$$

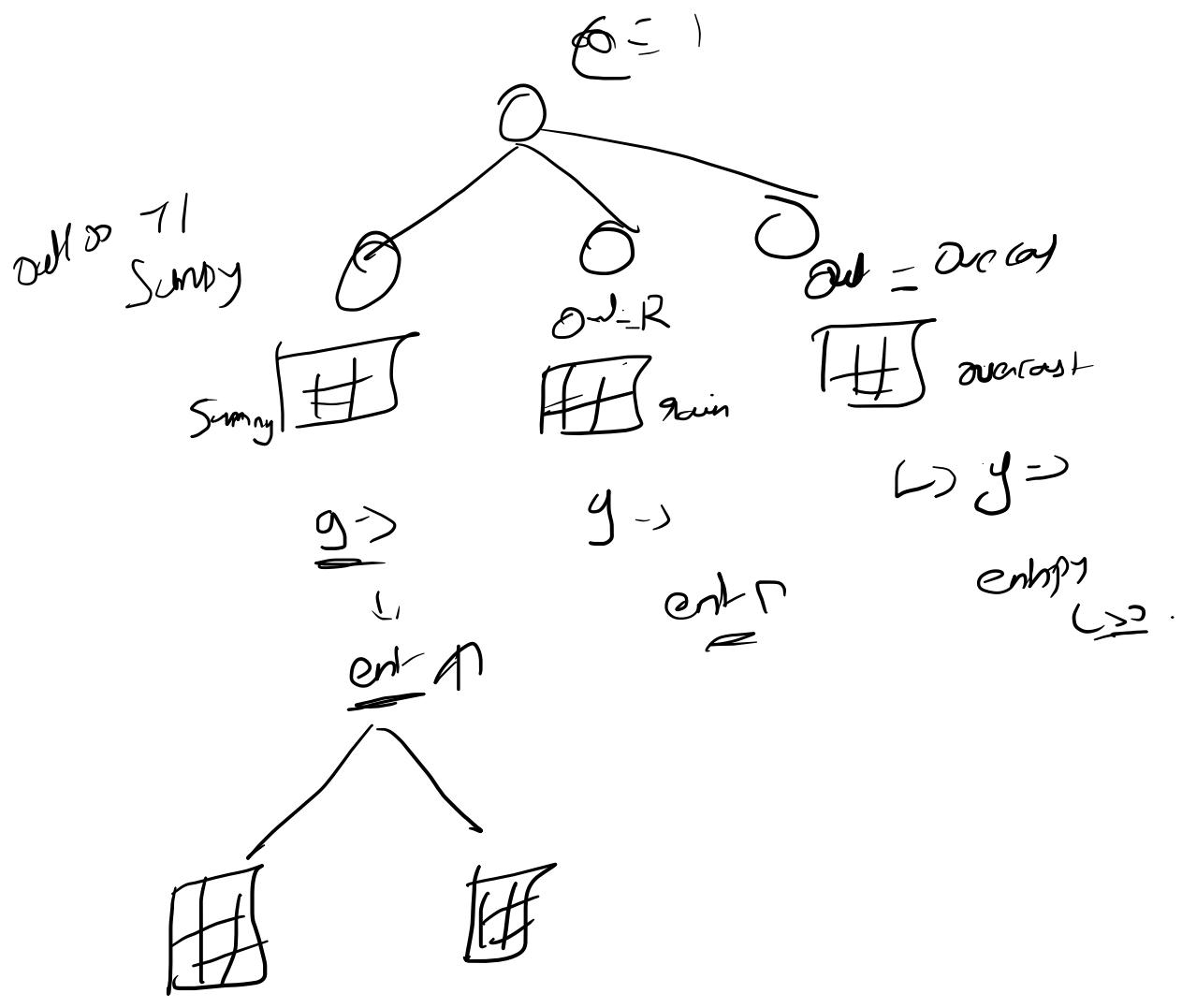
$$E(T, X)$$

Information
gain
of
outlook

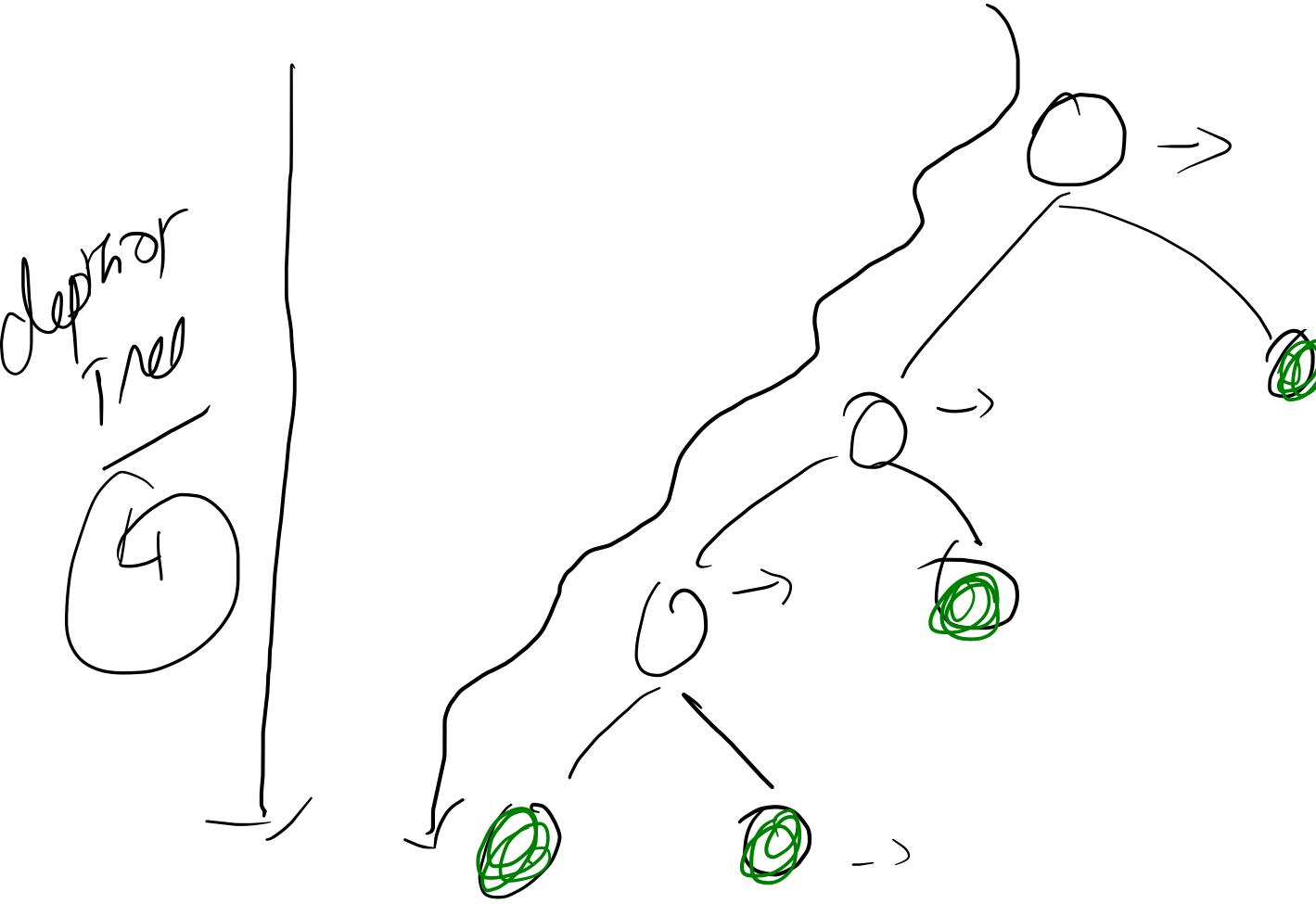
$$= \underline{\underline{0.94}} - \underline{\underline{0.671}}$$

$$= \underline{\underline{0.264}}$$

$$\underline{\underline{0.671}}$$

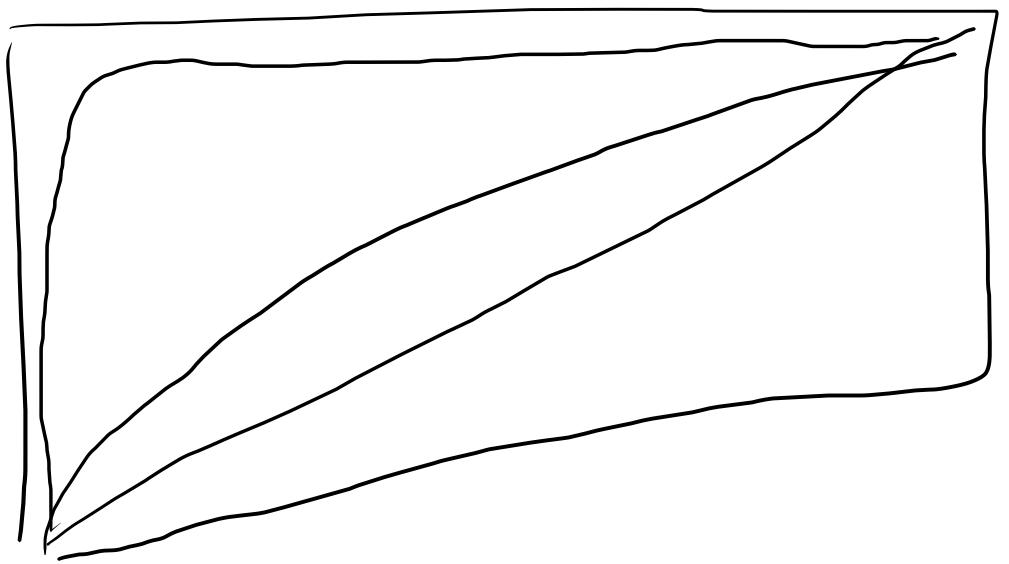


- ① entropy T
 ② entropy $T_j X$
 ③ gain



$$g_{ini} = 1 - \sum p^2$$

$$g^{'} = 1 - \sum \underline{p}^2$$



$$gini_{(P,S)} = \frac{1 - (3/7)^2 - (4/7)^2}{= 0.2}$$

		Play Golf		
		Yes	No	
Outlook	Sunny	3	2	5
	Overcast	4	0	4
	Rainy	2	3	5
				14

$$gini_{(P,O)} = \frac{1 - (4/7)^2 - (3/7)^2}{= 0.1} \\ gini_{(P,R)} = 1 - (2/5)^2 - (3/5)^2 \\ = 0.3$$

$$\begin{aligned} \text{gini}_{\text{Sunny}} &= \frac{3}{7} + 0.2 + \dots \\ &= 0.624 \end{aligned}$$

$$gini_{gain} = gini(P) - gini(\text{outlook})$$

