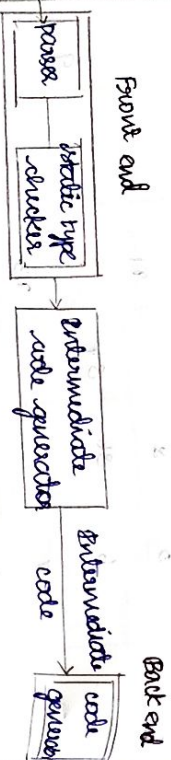


INTERMEDIATE CODE GENERATOR

Intermediate language:-

* compiler is to convert the source program into machine program directly, ~~but~~ it is not always possible to generate such a machine code directly in one pass, then typically compilers generate an easy to represent form of source language which is called intermediate language.



Properties of intermediate language:-

* The intermediate language is an easy form of source program which can be generated efficiently by the compiler.

* The generation of intermediate language should lead to efficient code generation.

* The intermediate code language should be flexible and effective machines.

Three address code:-

* In three address code form at the most three addresses are used to represent any statement. The general form of three address code representation,

$$a := b \text{ op } c$$

* Where a, b, c represents name, constants, etc...
op represents operators

$$a = b + c + d$$

$$t_1 = d$$

$$t_2 = c + t_1$$

$$t_3 = b + t_2$$

$$a = t_3$$

$$t_1 = b + c$$

$$t_2 = t_1 + d$$

$$a = t_2$$

* t_1, t_2 represents temporary names. There are at the most three address method (two for operands and one for result).

Implementation of three address code:-

* There are three representations used for three address code such as quadruples, triples, indirect triples.

* The quadruple is a structure with at the most four fields such as op, argument1, argument2, result.

* The op field is used to represent the instruction code for operators, the argument1, and argument2 represent the two operands used and result field is used to store the result operands' expression.

eg:- consider the input $x := -a * b + -a * b$

$$t_1 := \text{uninit } a$$

$$t_2 := t_1 * b$$

$$t_3 := \text{uninit } a$$

$$t_4 := t_3 * b$$

$$t_5 := t_2 + t_4$$

$$x := t_5$$

	op	arg1	arg2	result
(0)	uninit	a		t1
(1)	*	t1	b	t2
(2)	uninit	a		t3
(3)	*	t3	b	t4
(4)	+	t2	t4	t5
(5)	=	t5		x

Triples:-

* In the triples representation the use of temporary variables is avoided by relaying the pointers in the single symbol table.

eg:- $X := -a * b + -a * b$

$t_1 := \text{uninit } a$
 $t_2 := t_1 * b$
 $t_3 := \text{uninit } a$
 $t_4 := t_3 * b$
 $t_5 := t_2 + t_4$
 $X := t_5$

Subset triples:-

* In the subset triples representation the listing of triples is done and using pointers are used instead of using statements.

eg:- $X := -a * b + -a * b$

$t_1 := \text{uninit } a$
 $t_2 := t_1 * b$
 $t_3 := \text{uninit } a$
 $t_4 := t_3 * b$
 $t_5 := t_2 + t_4$
 $X := t_5$

	op	arg1	arg2	result
(0)	uninit	a		
(1)	*	(0)	b	
(2)	uninit	a		
(3)	*	(2)	b	
(4)	+	(1)	(3)	
(5)	:=	(4)		X

	statement
(0)	(11)
(1)	(12)
(2)	(13)
(3)	(14)
(4)	(15)
(5)	(16)

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	op	arg1	arg2	result
(0)	uninit	a		
(1)	*	(11)	b	
(2)	uninit	a		
(3)	*	(13)	b	
(4)	+	(12)	(14)	
(5)	:=	(15)		X

Example 3 address code

$-(a * b) + (c + d) - (a + b + c + d)$ Generate the three address code implementation for the above instruction.

Solution:-

$t_1 := a * b$
 $t_2 := \text{uninit } t_1$
 $t_3 := c + d$
 $t_4 := t_2 + t_3$
 $t_5 := a + b$
 $t_6 := t_5 + t_3$
 $t_7 := t_4 - t_6$

Quadruples:-

location	op	arg1	arg2	result
(0)	*	a	b	t1
(1)	uninit	t1		t2
(2)	+	c	d	t3
(3)	+	t2	t3	t4
(4)	+	a	b	t5
(5)	+	t5	t3	t6
(6)	-	t4	t6	t7

Index Tables:-

location	op	arg1	arg2	result	location	op	arg1	arg2	result
(0)	*	a	b		(0)	*	a	b	
(1)	unwind	(10)			(1)	unwind	(10)		
(2)	+	c	d		(2)	+	c	d	
(3)	+	(11)	(13)		(3)	+	(11)	(13)	
(4)	+	a	b		(4)	+	a	b	
(5)	+	(15)	(12)		(5)	+	(15)	(12)	
(6)	-	(14)	(15)		(6)	-	(14)	(15)	

Tables:-

Advantages:-

* The advantage of quadrate representation is that one can quickly access the values of temporary variables using dyntal table. The quadrate representation is beneficial for code optimization.

Disadvantage:-

* In the quadrate representation using temporary moves the entries in the dyntal table against the three temporaries can be obtained.

Types of three address code:-

Assignment statement	$X := Y \text{ op } Z \rightarrow \text{binary}$ $X := \text{op } Z \rightarrow \text{unary}$
copy statement	$X := Y$
unconditionally jump	goto L
conditional jump	if X rel op Y goto L
Assign statements	$X := Y[L]$ $X[L] := Y$

Declarative statement:-

In a declarative statements the data items along with their data types are declared.

$S \rightarrow E$	offset := 0
$E \rightarrow \text{id} : T$	enter table (id, name, T, type, offset); offset := offset + T.width
$T \rightarrow \text{int}$	T.type := integer T.width := 4
$T \rightarrow \text{real}$	T.type := real T.width := 8
$T \rightarrow \text{array}$ [num] of T1	T.type := array (num, real, T1.type) T.width := num * T1.width
$T \rightarrow *T1$	T.type := pointer (T1.type) T.width := 4

* Initially, the value of offset is set to 0. The computation of offset can be done by using the formula
offset = offset + width.

* T, type and T.width attributes.

* $E \rightarrow \text{id} : T$ is a declarative statement for id declaration. The entire table is a function used for creating the dyntal table entry for the identifiers.

* The width of array is obtained by multiplying the width of each element by number of elements in the array.

* The width of pointer type is supposed to be 4.

Assignment statement:-

* Assignment statement mainly deals with the expression. The expression can be type of integer, real, array and record. eg:

eg: Obtain the translation scheme for obtaining the three address code for the grammar $S \rightarrow id := E$

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$E \rightarrow E_1 + E_2$
 $E \rightarrow E_1 * E_2$
 $E \rightarrow -E_1$
 $E \rightarrow (E_1)$
 $E \rightarrow id$

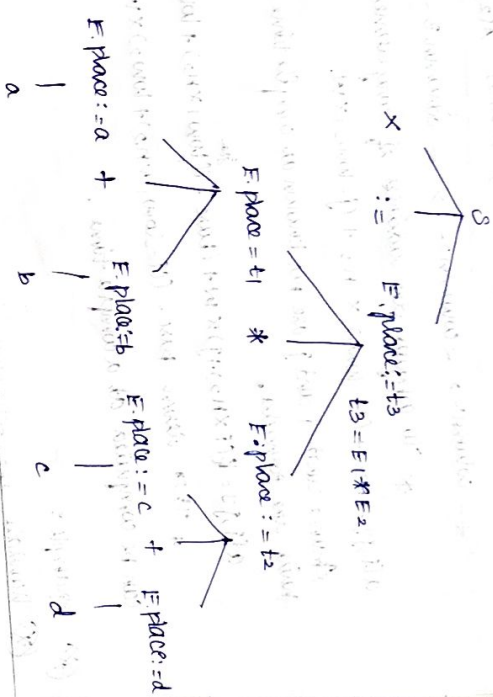
Solution:-

$S \rightarrow id := E$	$text_table[id.name, E.type]$ $if(id.name \neq Nil \ then$ $append(id.name := 'E.place)$ $else$ $error;$
$E \rightarrow E_1 + E_2$	$\{E.place = wastump();$ $append(E.place := E_1.place + 'E_2.place)$
$E \rightarrow E_1 * E_2$	$\{E.place = wastump();$ $append(E.place := 'E_1.place * 'E_2.place)$
$E \rightarrow -E_1$	$\{E.place = wastump();$ $append(E.place := 'unminus' E_1.place$
$E \rightarrow (E_1)$	$\{E.place := E_1.place\}$
$E \rightarrow id$	$if enter_table[id.name, E.type]$ $if id.name \neq Nil \ then$ $append(id.name := 'E.place)$ $else$ $error;$

Fig 2: $X = (a+b) * (c+d)$

Solution:-

$E \rightarrow id$	$E.place = a$	
$E \rightarrow id$	$E.place = b$	$t_1 = a + b$
$E \rightarrow E_1 + E_2$	$E.place = t_1$	
$E \rightarrow id$	$E.place = c$	
$E \rightarrow id$	$E.place = d$	$t_2 = c + d$
$E \rightarrow E_1 + E_2$	$E.place = t_2$	
$E \rightarrow E_1 * E_2$	$E.place = t_3$	$t_3 = t_1 * t_2$
$S \rightarrow id := E$		$X = t_3$



Array:-

* For accessing any element of an array, we need its address. For statically declared array, it is possible to compute the relative address of each element.

Typically, there are 2 representations of array.

1. Row major representation
2. Column major representation

$A[1,1]$	$A[1,2]$	$A[1,3]$	$A[2,1]$	$A[2,2]$	$A[2,3]$
----------	----------	----------	----------	----------	----------

← row → ← row 2 →

$A[1,1]$	$A[2,1]$	$A[1,2]$	$A[2,2]$	$A[1,3]$	$A[2,3]$
----------	----------	----------	----------	----------	----------

← column 1 → ← column 2 → ← column 3 →

* To compute the address of any element

$$A[i,j] = \text{base} + (i - \text{low}_1) \times n_2 + (j - \text{low}_2) \times n_1$$

Assume that i and j are not function of compile time, we can write the formula,

$$A[i,j] = ((i - \text{low}_1) \times n_2 + (j - \text{low}_2) \times n_1) \times W$$

* Then store base $-(n_1 - \text{low}_1 \times n_2 + \text{low}_2 \times n_1)$

can be computed at a compile time.

Example:-

Translate the following integer array equations into their address code. $A[i,j] := B[i,j] + C[k]$. Assume A and B are of size 10×20 and C contains 50 elements.

Solution:-

We will assume, $\text{low}_1 = 1$

$\text{low}_2 = 1$ and it is given that $W = 4$ bytes

$$N1 = 40$$

$$N2 = 20$$

$$A[i,j] := B[i,j] + C[k]$$

Formula,

$$\begin{aligned} A[i,j] &= ((i - \text{low}_1) \times n_2 + (j - \text{low}_2) \times n_1) \times W \\ &= ((i - 1) \times 20 + (j - 1) \times 4) \times 4 \\ &= 4 \times (20i + j - 24) \end{aligned}$$

Hence, the store address code for $A[i,j]$ will be

$$t0 = i \times 20$$

$$t1 = t0 + j$$

$$t2 = C1 / * C1 = \text{base}_A - 84$$

$$t3 = 4 * t1$$

$$t4 = t2 + t3$$

* Similarly, the value of $B[i,j]$ can be computed as $t5 = C2$

$$t5 = t5 + t4$$

The value of $C[k]$ will be obtained as follows is repeat to

$$\begin{aligned} k[k] &= k \times W (\text{base}_C - \text{low}_1 \times W) \\ &= k \times 4 (\text{base}_C - 1 \times 4) \end{aligned}$$

$$C[k] = 4k + C3$$

Hence the store address code for $C[k]$ will be

$$t7 = 4 * k$$

$$t8 = C3 + C3 - \text{base}_C - 4$$

$$t9 = t8 + t7$$

Hence the store address code for given expression will be

$$t0 = i \times 20$$

$$t1 = t0 + j$$

$$t2 = 4 * t1$$

$$t3 = 4 * t1$$

$$t5 = C2$$

$$t6 = t5 + t3$$

$$t7 = 4 * k$$

$$t8 = C3 + C3 - \text{base}_C - 4$$

$$t9 = t8 + t7$$

Sarika P. S.

$$t_1 \circ = t_6 + t_9$$

$$t_2 := c_1$$

$$t_2[t_3] = t_{10}$$

Boolean expression:-

* Normally, these are two types of Boolean expression

* For computing logical numeric values

* On conditional expressions using if, then, else

or while-do.

convert the Boolean expression,

$E \rightarrow E_1 \text{ OR } E_2$	{ E.place = newtemp() append (E.place := E1.place OR E2.place) }
$E \rightarrow E_1 \text{ AND } E_2$	{ E.place = newtemp() append (E.place := E1.place AND E2.place) }
$E \rightarrow \text{NOT } E_1$	{ E.place = newtemp() append (E.place := NOT E1.place) }
$E \rightarrow (E_1)$	{ E.place := E1.place }
$E \rightarrow \text{TRUE}$	{ E.place = newtemp() append (E.place := 1) }
$E \rightarrow \text{FALSE}$	{ E.place = newtemp() append (E.place := 0) }

Flow of control statement:-

$S \rightarrow \text{if } E \text{ then } S_1$

{ E.true = newlabel;

E.false = S.next;

S1.next = S.next;

S1.code = E.code || gen(E.true) || S1.code }

E.code
S1.code

\Rightarrow E has a conditional expression.
 \Rightarrow S1, S2 is next attribute
 \Rightarrow S is code attribute

$S \rightarrow \text{if } E \text{ then } S_1 \text{ else } S_2$

{ E.true = newlabel;

E.false = newlabel;

S1.next = S.next;

S2.next = S.next;

S.code = E.code || gen(E.true) || S1.code ||

gen(S2.next) || gen(E.false) }

S2.code

$S \rightarrow \text{while } E \text{ do } S_1$

{ S.begin = newlabel;

E.true = newlabel;

E.false = S.next;

S1.next = S.begin;

S.code = gen(S.begin) || E.code ||

gen(E.true) || S1.code ||

gen(S2.begin) }

Generate the three address code for

while (i < 10)

{

x = 0;

i = i + 1;

}

100: L1: if i < 10 goto L2

101: goto Lnext

102: L2: x = 0

103: i = i + 1

104: goto L1

105: Lnext

100: if i < 10 goto L2
101: goto Lnext
102: x = 0
103: i = i + 1
104: goto L1
105: Lnext

2. if $(a < b)$ and $(c > d)$ or $(a > d)$ then
 $z = a * y * z$
 else
 $z = z + 1$
 construct three address code for above program.

solution:-

```

100: if a < b goto 102
101: if goto 110
102: if c > d goto 106
103: goto 104
104: if a > d goto 106
105: goto 110
106: t1 = xty
107: t2 = t1 * z
108: z = t2
109: goto 112
110: t3 = z + 1
111: z = t3
112: stop
  
```

Backpatching:-

* Backpatching is the activity of filling up unresolved information of labels using appropriate semantic actions in during the code generation process. To generate code using backpatching in the semantic actions following functions are used:

① initlist(i) :- create the new list. the index (i) is passed an argument to this function where I is an index to the array of quadruples.

② merge-list(p1, p2) :- this function concatenates the list pointer by p1 and p2. It returns the pointer to the concatenated list.

③ backpatch(p, j) :- insert i as a target label for the statement pointed by p. for the

Backpatching using boolean expression:-

consider the grammar for boolean expression,

```

E → E1 OR E2
E → E1 AND E2
E → NOT E1
E → (E1)
E → id, rel op id2
E → TRUE
E → FALSE
M → e
  
```

OR AND - using merge
M-merge

solution:-

* M is the matrix Non-functional. terminated. the purpose of M is to wait the exit pointer when the semantic action is picked up.

$E \rightarrow E_1 \text{ OR } M E_2$	$\{$ backpatch (E_1 .Tlist, M.state); E .Tlist = merge (E_1 .Tlist, E_2 .Tlist); E .Flist = E_2 .Flist; $\}$
$E \rightarrow E_1 \text{ AND } M E_2$	$\{$ backpatch (E_1 .Tlist, M.state); E .Flist = merge (E_1 .Flist, E_2 .Flist); E .Tlist = E_2 .Tlist; $\}$
$E \rightarrow \text{NOT } E_1$	$\{$ E .Tlist = E_1 .Flist E .Flist = E_1 .Tlist $\}$
$E \rightarrow (E_1)$	$\{$ E .Tlist = E_1 .Flist E .Flist = E_1 .Tlist $\}$
$E \rightarrow \text{id}_1 \text{ relop id}_2$	$\{$ E .Tlist = nullist (nextstate); E .Flist = nullist (nextstate); append ('if' id ₁ .place relop id ₂ .place 'goto -'), append ('goto -'), $\}$
$E \rightarrow \text{TRUE}$	$\{$ E .Tlist = nullist (nextstate); append ('goto -'), $\}$
$E \rightarrow \text{FALSE}$	$\{$ E .Flist = nullist (nextstate); append ('goto -'), $\}$
$M \rightarrow \epsilon$	M.state = nextstate

2. Using backpatching generates an intermediate code for the following expression and generates automated false trace.
 $A < B \text{ OR } C < D \text{ AND } P < Q$
solution:-

100 : if A < B goto —	
101 : goto —	
102 : if C < D goto —	backpatch (E_1 .Tlist, 104)
103 : goto —	M.state = nextstate : 104)
104 : if P < Q goto —	E .Tlist = 1104)
105 : goto —	E .Flist = 1103, 105)
	backpatch (E_1 .Flist, 103)
	E .Tlist = 1100, 104)
	E .Flist = 1103, 105)

xml canonical form:-

* It is the use of the algorithm, to generate the canonical form of an xml document.

* The steps during the creation of canonical form include;

- i) Encoding the document in unixed character.
- ii) Normalizing the line breaks before parsing.
- iii) Replacing character and named entities reference.
- iv) Removing element in the start and tag pair.

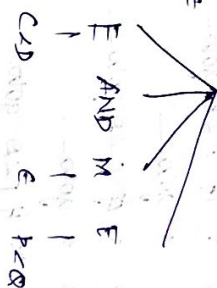
xml canonicalization:-

- i) Normalizing the attribute value.
- ii) adding default attribute.
- iii) Referred attribute.

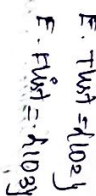
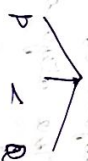
Normalization refers to three characteristics:-

- i) Naming disjunctivity.
- ii) Environment and profit.
- iii) Empty except emptiness.

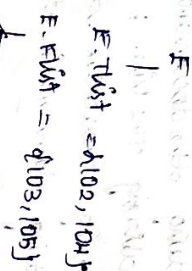
Step 1:-



ଅଷ୍ଟମ ଉ.


$$F_{\text{thrust}} = 1105 \text{ N}$$


Asup3



nextstate = 41025

$$E_{\text{Ti85}} = 4102 \text{ g}$$

E-First = 4103y



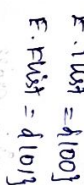
next state = 11011

Festival = 11043

E. Flint = 41053



Step 1


$$E_{\text{Fast}} = \{103, 104\}$$

$$E_{\text{Fluor}} = 4103$$
$$Z_M = 104$$

next state = 2104y


$$E_{\text{lost}} = 1104 \text{ J}$$
