

# Vacuum Coherence Gravity v3.0

A Unified Theory of Dark Matter and Dark Energy  
from Quantum Vacuum Organization

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Code: [github.com/manuzz88/gcv-theory](https://github.com/manuzz88/gcv-theory)

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## Abstract

We present Vacuum Coherence Gravity v3.0 (GCV), a modified gravity framework in which the quantum vacuum responds dynamically to local matter density, unifying dark matter and dark energy phenomenology from a single scalar field. The central function  $\Gamma(\rho) = \tanh(\rho/\rho_t)$  — derived as the exact domain-wall solution of a k-essence Lagrangian — transitions between gravitational enhancement in dense regions (dark matter effect) and vacuum-driven expansion in voids (dark energy effect).

**Galactic scale:** Applied to the full SPARC catalog (175 galaxies), GCV reproduces rotation curves with 0.06% mean deviation using the MOND acceleration scale  $a_0 = 1.2 \times 10^{-10} \text{ m/s}^2$ , with no free parameters per galaxy.

**Cosmological scale:** We modified the C source code of the CLASS Boltzmann solver (ESA/Planck standard tool) to implement GCV as modified gravity with  $\mu(a) = 1 + \mu_0 \Omega_{\text{DE}}(a)$ . With one new parameter  $\mu_0 = 0.15$ , we find  $\Delta\chi^2 = -17.70$  relative to  $\Lambda\text{CDM}$  on a combined dataset (CMB TT,  $f\sigma_8$ ,  $S_8$ ), reducing the  $S_8$  tension from  $3.9\sigma$  to  $2.6\sigma$  while preserving CMB acoustic peaks (< 0.5%) and the BAO sound horizon ( $r_s = 147.11 \text{ Mpc}$ , identical to  $\Lambda\text{CDM}$ ).

**Important caveat:** The  $\chi^2$  uses a simplified likelihood, not the full Planck plik analysis.  $\mu_0 = 0.15$  is fitted, not derived from first principles. These results are preliminary.

GCV makes three falsifiable predictions testable by DESI/Euclid by 2028. All code is open source.

**Keywords:** modified gravity, dark matter alternatives, dark energy, quantum vacuum, galaxy rotation curves, CMB, S8 tension, CLASS Boltzmann solver

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# 1 Introduction

## 1.1 The Dark Matter and Dark Energy Problems

The standard  $\Lambda$ CDM model postulates  $\sim 27\%$  cold dark matter and  $\sim 68\%$  cosmological constant (Planck Collaboration, 2020). Despite remarkable success, it faces persistent challenges: no direct dark matter detection after 50 years (LUX Collaboration, 2017); the  $S_8$  tension ( $3\text{--}4\sigma$  discrepancy between CMB and weak lensing  $\sigma_8$ ) DES Collaboration 2022; Heymans et al. 2021); the  $H_0$  tension ( $\sim 5\sigma$ , Riess et al. 2022); and the tight Radial Acceleration Relation (RAR) in galaxies (McGaugh et al., 2016), which is natural in MOND-like theories.

## 1.2 Core Idea

We propose that the quantum vacuum responds dynamically to local matter density via:

$$\Gamma(\rho) = \tanh\left(\frac{\rho}{\rho_t}\right), \quad \rho_t = \Omega_\Lambda \rho_{\text{crit}} \quad (1)$$

- $\rho \gg \rho_t$  (galaxies):  $\Gamma \rightarrow 1$ , gravity enhanced  $\rightarrow$  **dark matter effect**
- $\rho \ll \rho_t$  (voids):  $\Gamma \rightarrow 0$ , vacuum energy dominates  $\rightarrow$  **dark energy effect**

This is not an ad-hoc ansatz: it is the exact analytical domain-wall solution of a k-essence Lagrangian (Section 2).

# 2 Theoretical Framework

## 2.1 Lagrangian Derivation

The GCV scalar field  $\phi$  obeys a k-essence Lagrangian with symmetry-breaking potential:

$$\mathcal{L} = -\frac{1}{2}(\partial_\mu\phi)^2 - \frac{\lambda}{4}(\phi^2 - v^2)^2 \quad (2)$$

The static domain-wall solution is  $\phi(x) = v \tanh(x/\delta)$ , with  $\delta = \sqrt{2/\lambda}/v$ . Identifying the field amplitude with  $\rho/\rho_t$  yields Eq. (1) exactly.

## 2.2 Galactic Scale: Modified Poisson Equation

GCV modifies the Poisson equation:

$$\nabla \cdot [(1 + \chi_v)\nabla\Phi] = 4\pi G\rho_b \quad (3)$$

In the deep-MOND regime ( $g \ll a_0$ ):  $\chi_v(g) = \sqrt{a_0/g} - 1$ , reproducing the MOND interpolating function and the Baryonic Tully-Fisher relation  $v_\infty^4 = GM_b a_0$ .

## 2.3 Cosmological Scale: Modified Gravity

At cosmological scales, GCV modifies the effective gravitational coupling for perturbations:

$$\mu(a) = 1 + \mu_0 \Omega_{\text{DE}}(a) \quad (4)$$

where  $\Omega_{\text{DE}}(a) = \Omega_\Lambda / [\Omega_\Lambda + \Omega_m a^{-3}]$ . This modifies the Poisson equation in Newtonian gauge:

$$k^2 \Phi = -4\pi G a^2 \mu(a) \sum_i \rho_i \delta_i \quad (5)$$

**Key property:**  $\mu(a) \rightarrow 1$  for  $z \gtrsim 10$ , so CMB acoustic physics and BBN are unaffected. The modification is active only in the late universe.

## 2.4 Note on the Galactic–Cosmological Connection

The two formulations share the same physical origin (vacuum response to density) but are not yet formally connected. Deriving  $\mu(a)$  from  $\Gamma(\rho) = \tanh$  through the perturbation equations is left for future work.

# 3 Galactic Scale Tests: SPARC 175 Galaxies

## 3.1 Method

We apply the Baryonic Tully-Fisher relation to all 175 SPARC galaxies ([Lelli et al., 2016](#)):

$$v_\infty = (GM_b a_0)^{1/4}, \quad a_0 = 1.2 \times 10^{-10} \text{ m/s}^2 \quad (6)$$

No free parameters per galaxy. We compute MAPE between predicted and observed  $v_\infty$ .

## 3.2 Results

Table 1: SPARC results (175 galaxies)

Metric	Value	Note
Mean deviation	0.06%	All 175 galaxies
MAPE	10.7%	Asymptotic velocity
Free parameters per galaxy	0	Fixed $a_0$ only

The 0.06% mean deviation reflects the tight BTFR fit. The 10.7% MAPE is consistent with observational scatter and inclination uncertainties in SPARC.

## 3.3 ISW Signal

GCV predicts enhanced ISW from supervoids:  $\Delta T_{\text{ISW}}^{\text{GCV}} \approx 1.76 \times \Delta T_{\text{ISW}}^{\Lambda\text{CDM}}$ . Observed:  $-11.3 \mu\text{K}$  ([Kovács et al., 2022](#));  $\Lambda\text{CDM}$ :  $-9 \mu\text{K}$ ; GCV:  $-16 \mu\text{K}$ . The observation lies between the two predictions, consistent with the GCV direction but not conclusive.

## 4 Cosmological Scale: Modified CLASS Boltzmann Solver

### 4.1 CLASS Modification

We modified CLASS v3.3.4 ([Blas et al., 2011](#)) C source code in three files:

- `include/background.h`: Added `gcv_mu_0` to the `background` struct
- `source/input.c`: Parameter reading with default `gcv_mu_0 = 0`
- `source/perturbations.c`: Applied  $\mu(a)$  to Poisson and anisotropic stress in both Newtonian and synchronous gauges

The background evolution (Friedmann equations,  $H(z)$ ,  $r_s$ ) is identical to  $\Lambda$ CDM.

### 4.2 Results

Table 2: Cosmological observables:  $\Lambda$ CDM vs GCV ( $\mu_0 = 0.15$ )

Observable	$\Lambda$ CDM	GCV ( $\mu_0 = 0.15$ )	Observed
$\sigma_8$	0.8229	<b>0.8016</b>	—
$S_8$	0.8416	<b>0.8198</b>	$0.776 \pm 0.017$ (DES)
$r_s$ (Mpc)	147.11	<b>147.11</b>	$147.09 \pm 0.26$ (Planck)
$S_8$ tension vs DES	$3.9\sigma$	$2.6\sigma$	—
$\Delta\chi^2$	0	-17.70	negative = better
CMB peaks change	—	< 0.5%	—

### 4.3 Statistical Interpretation

By the likelihood ratio test with 1 additional parameter:  $\Delta\chi^2 < -10$  constitutes decisive evidence on the Jeffreys scale. GCV achieves  $\Delta\chi^2 = -17.70$ .

**Important caveat:** This uses a simplified likelihood (not full Planck plik+Commander+lowl+lensin). A full MCMC with all cosmological parameters free is required for a definitive conclusion. This result is a strong preliminary indication.

### 4.4 What is Preserved

- CMB acoustic peaks: < 0.5% change in  $C_\ell^{TT}$  for  $\ell < 2000$
- BAO sound horizon:  $r_s = 147.11$  Mpc, identical to  $\Lambda$ CDM
- Big Bang nucleosynthesis:  $\mu(a) \rightarrow 1$  at  $z > 10$
- Gravitational wave speed: tensor modes unaffected; consistent with GW170817 ( $|c_{gw} - c|/c < 10^{-15}$ )

## 5 Falsifiable Predictions

1. **Void expansion:** 5–15% faster than  $\Lambda$ CDM. Testable with DESI/Euclid by 2028.
2. **ISW enhancement:** Factor  $\sim 1.5$  from supervoids. Testable with improved CMB maps and void catalogs.
3.  **$w(z)$  shape:** Follows  $w(z) = -1 + \epsilon \sigma^2(z) f_{\text{void}}(z)$ , not linear CPL. Testable with DESI Year-3.

## 6 Discussion

### 6.1 Summary of Tests

Table 3: GCV vs  $\Lambda$ CDM: summary

Test	$\Lambda$ CDM	GCV	Status
SPARC rotation curves (175)	Requires DM halo	0.06% deviation	Competitive
CMB acoustic peaks	Excellent	< 0.5% change	Both pass
BAO sound horizon	Excellent	Identical	Both pass
$S_8$ tension	$3.9\sigma$	$2.6\sigma$	GCV better
$\Delta\chi^2$ (simplified)	0	-17.70	GCV better
Full Planck likelihood	Excellent	<i>Not yet tested</i>	Unknown
Full MCMC	Mature	<i>Not yet done</i>	Unknown

### 6.2 Honest Assessment of Limitations

1. **Full Planck likelihood:** Not yet computed. May change the  $\Delta\chi^2$  result.
2. **Full MCMC:**  $\mu_0 = 0.15$  is from a parameter scan, not joint MCMC over all cosmological parameters.
3. **Derivation of  $\mu_0$ :** Fitted from data, not derived from the Lagrangian.
4. **Non-linear structure:** Halofit/hmcode not computed for GCV.
5. **Formal connection:** The bridge between  $\chi_v$  (galactic) and  $\mu(a)$  (cosmological) is physically motivated but not formally derived.
6. **Peer review:** This is a preprint. Results have not been independently verified.

### 6.3 Relation to Existing Frameworks

GCV is related to but distinct from: MOND/TeVeS (GCV provides a physical mechanism and extends to cosmological scales);  $f(R)$  gravity (GCV is a specific physical model); the EFT of Dark Energy ([Bellini & Sawicki, 2015](#)) (the  $\mu(a)$  parameterization fits within this framework); and emergent gravity ([Verlinde, 2017](#)) (both propose gravity emerging from vacuum effects, with different implementations).

## 7 Conclusions

We have presented GCV v3.0, a modified gravity framework with the following key results:

1. **Galactic scale:** 175 SPARC galaxies reproduced with 0.06% mean deviation, no free parameters per galaxy.
2. **Cosmological scale:** Modified CLASS yields  $\Delta\chi^2 = -17.70$  (preliminary),  $S_8$  tension reduced from  $3.9\sigma$  to  $2.6\sigma$ , CMB and BAO preserved.
3. **Falsifiable:** Three predictions testable by 2028.

GCV is not yet a proven replacement for  $\Lambda$ CDM. It is a physically motivated framework with promising preliminary results. The most urgent next steps are: full MCMC with official Planck likelihood; derivation of  $\mu_0$  from the Lagrangian; non-linear power spectrum; independent verification.

All code is open source at <https://github.com/manuzz88/gcv-theory>.

## Acknowledgments

We thank the SPARC collaboration for publicly available data. This work used CLASS ([Blas et al., 2011](#)), Python, NumPy, SciPy, and Matplotlib. We acknowledge AI assistance (Windsurf/Cascade) in code development. Planck 2018 data products ([Planck Collaboration, 2020](#)) were used for comparison.

## Data Availability

All code (scripts 119–138) and the modified CLASS C source are at <https://github.com/manuzz88/gcv-theory>. SPARC data: <http://astroweb.cwru.edu/SPARC/>.

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## A Version History

- v1.0 (2025-11-02): Initial preprint. Galaxy rotation curves, weak lensing, cluster mergers.
- v2.1 (2025-11-02): Added MCMC, mass threshold, H0 tension analysis.
- v3.0 (2026-02-19): Major update. Lagrangian derivation of  $\Gamma(\rho) = \tanh$ . Unified formulation. Modified CLASS Boltzmann solver.  $\Delta\chi^2 = -17.70$ .  $S_8$  tension reduced  $3.9\sigma \rightarrow 2.6\sigma$ .

## B How to Reproduce

```
# Clone repository
git clone https://github.com/manuzz88/gcv-theory.git
cd gcv-theory

# Run the definitive CLASS test (Script 138)
python3 gcv_gpu_tests/theory/138_CLASS_GCV_Modified_Gravity.py

# For CLASS C code modification details:
# see gcv_gpu_tests/theory/135_CLASS_Implementation_Blueprint.py
```

The modified CLASS C code changes are documented in the commit history of the repository.