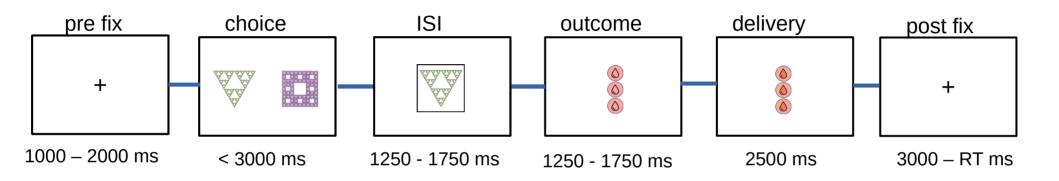
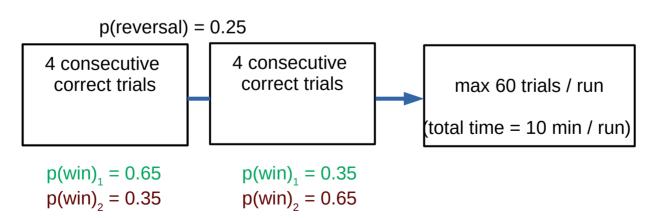
Modelling beliefs

in reversal learning

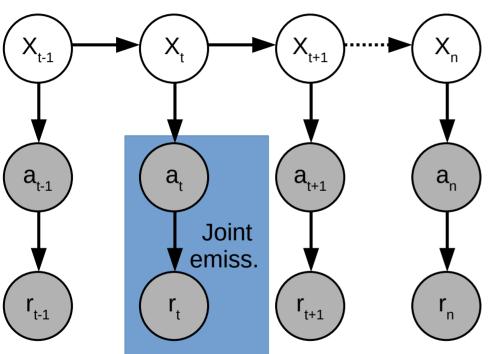
#### Task review





10min: Win magnitudes = Loss magnitudes = [\$0.25, \$0.50, \$0.75] 6-day: Win magnitudes = [\$0.10, \$0.20, \$0.30], Loss = 0

#### Joint Emission HMM



$$Q_{t}(chosen) = \sum_{x_{t}} \sum_{R_{t}} R \cdot p(r|a_{t} = chosen, x_{t}) p(a_{t} = chosen|x_{t}) p(x_{t-1})$$

$$Q_{t}(unchosen) = \sum_{x_{t}} \sum_{R_{t}} R \cdot p(r|a_{t} = unchosen, x_{t}) p(a_{t} = unchosen|x_{t}) p(x_{t-1})$$

$$EV_{t} = \sum_{t} Q_{t}(a_{t})$$

$$X = \{opt_0high, opt_1high\}\$$
 $R = \{0,1\}$ 
 $A = \{opt_0selected, opt_1selected\}$ 
Vocab

$$p(x_t|x_{t-1}) = \begin{bmatrix} 1 - \delta & \delta \\ \delta & 1 - \delta \end{bmatrix}$$

**Transition** 

$$p(r_t, a_t|x_t) = p(r_t|a_t, x_t) p(a_t|x_t)$$

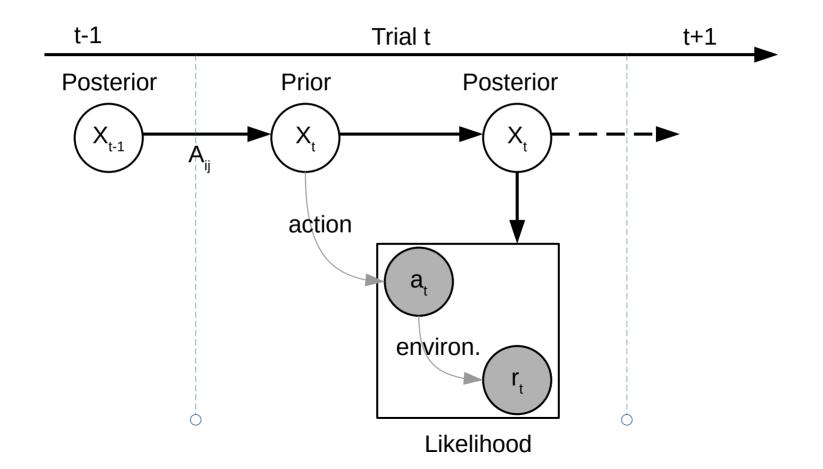
**Emission** 

$$p(a_t|x_t) \propto \beta(p(x_t) - \alpha)$$

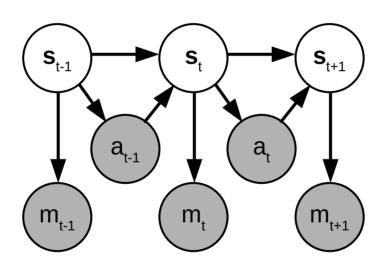
$$p(r_{t}|a_{t},x_{t}) = \begin{cases} \begin{bmatrix} 1-p_{0} & p_{1} \\ p_{0} & 1-p_{1} \end{bmatrix}, & \text{if } r_{t} = 0 \\ \begin{bmatrix} p_{0} & 1-p_{1} \\ 1-p_{0} & p_{1} \end{bmatrix}, & \text{if } r_{t} = 1 \end{cases}$$

$$p(x_{t}=i) = \frac{p(r_{t}|a_{t}, x_{t}=i) p(a_{t}|x_{t}=i) \sum_{x_{t-1}} A_{ij} p(x_{t-1})}{\sum_{x_{t}} p(r_{t}|a_{t}, x_{t}) p(a_{t}|x_{t}) \sum_{x_{t-1}} A_{ij} p(x_{t-1})}$$
Update

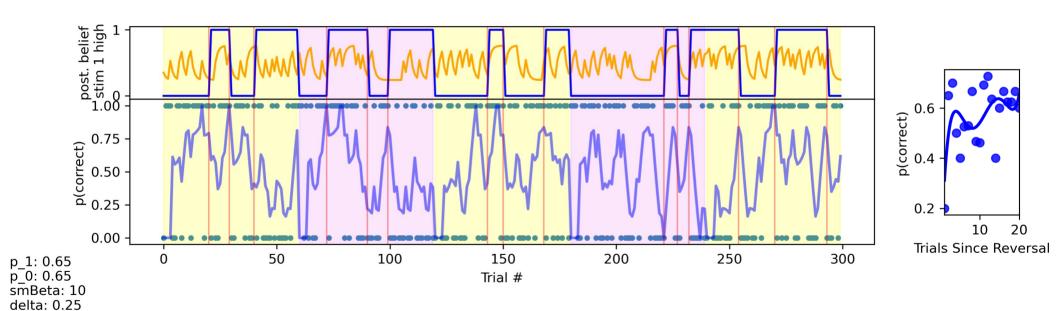
## Joint Emission HMM



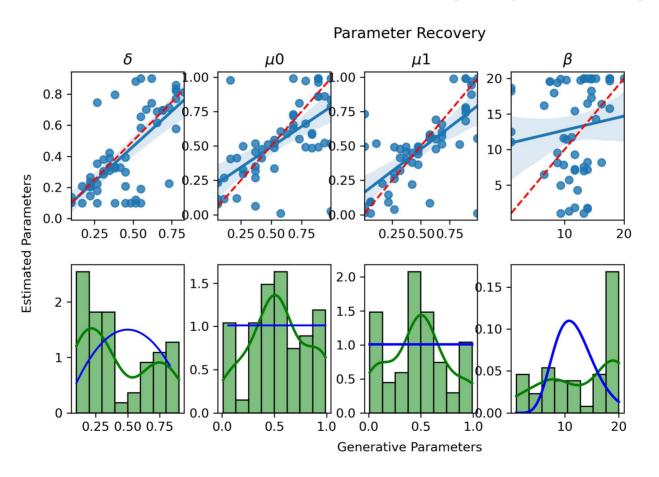
# Vs POMDP graphical model



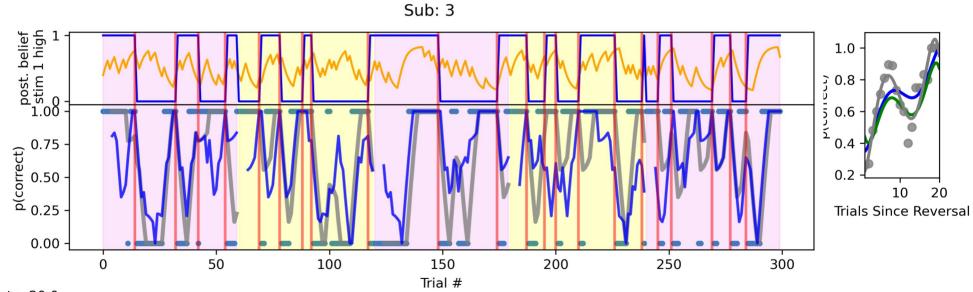
## Joint HMM simulation



# Parameter Recovery (MLE)



# Fit to subject



fit\_smBeta: 20.0 fit\_p\_1: 0.6 fit\_p\_0: 0.61 fit\_delta: 0.1