

# Global Innovation Spillovers and Productivity: Evidence from 100 Years of World Patent Data

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September 4, 2024

# Study the Link between Innovation, Knowledge Spillovers, & Productivity

- Productivity is the key driver of modern economic growth
- Modern theories of economic growth: importance of innovation for productivity
- Empirical evidence on relationship between innovation, knowledge spillovers, and productivity is scarce

# Study the Link between Innovation, Knowledge Spillovers, & Productivity

- Productivity is the key driver of modern economic growth
- Modern theories of economic growth: importance of innovation for productivity
- Empirical evidence on relationship between innovation, knowledge spillovers, and productivity is scarce
- Use the most comprehensive worldwide patent database (PATSTAT) to:
  1. Study the evolution of innovation over time and across countries
  2. Estimate importance of international knowledge spillovers in innovation activity
  3. Leverage knowledge spillovers to estimate contribution of innovation to productivity

# Document Stylized Facts and Effect of Innovation on Productivity

- Document stylized facts on evolution of innovation and knowledge spillovers
  - ▶ **Technological waves**: Mechanical Engineering early 1900s to Computing in 1990's
  - ▶ **Concentration of innovation** across space: Heterogeneity in terms of innovation leaders
  - ▶ **(International) spillovers**: mid 90's increased role of US and Japan as innovation hubs
- Exploit this variation to:
  - ▶ **Shift-share IV**: shock propagation in network of knowledge across sectors-locations
  - ▶ Estimate elasticity of innovation to international knowledge spillovers of  $\approx 0.5$
  - ▶ Estimate causal effect of innovation on productivity
    - One st. dev.  $\uparrow$  in log patents  $\Rightarrow$  an  $\uparrow$  in sectoral VA per worker growth of 1.1 p.p.
    - Similar results when we look at long term income growth instead

# Literature

- **Innovation and Growth (emphasizing knowledge spillovers):**

- ▶ *Coe, Helpman ('95); Coe et al. ('97); Keller ('04), ('09); Cai, Li ('18); Moretti et al. ('20); Huang, Zenou ('20)*
- ▶ [This paper](#): Proxy spillovers with citation network and use network to construct IV

- **Shift-share Instrument**

- ▶ *Acemoglu et al. ('16); Hornbeck, Moretti ('20); Carvalho et al. ('20); Berkes, Gaetani ('22)*
- ▶ [This paper](#): Leverage rich (historical/worldwide) network structure to construct novel instrument

- **Use of Historical Patent Data**

- ▶ *Bottazzi, Peri('03); Nicholas ('10); Petralia et al.('16); Akcigit et al.('17); Kelly et al.('20); Andrews, Whalley('21)*
- ▶ [This paper](#): Document global patterns of innovation, construct fields of knowledge

# Outline

1. Data
2. Stylized Facts
3. Theoretical Framework
4. Innovation, Productivity and Output: Empirical Analysis
5. Innovation and Long-term Development

# PATSTAT Data

- Use the European Patent Office Global **PATSTAT** database:
  - ▶ Over 110 mln patent records, comes from own patent offices
  - ▶ Detailed data for the US, UK, USSR, France, Germany and Switz. start in 1920
  - ▶ Majority of countries comprehensive data start from 1970
- Information by patent application (that we use):
  - ▶ Patent IPC classification (areas of technology)
  - ▶ Patent citations
  - ▶ Inventors information (name and residence)
  - ▶ Patent family
- Propose a novel approach to map patent classes into **fields of knowledge**
  - ▶ Clustering algorithm based on the name of the inventors (~ 50mln people) [More](#)  
E.g., algorithm groups together B60T: Vehicle brakes *and* F16D: Clutches; Brakes.

# World Input Output Database

From the World Input Output Database, we collect data on:

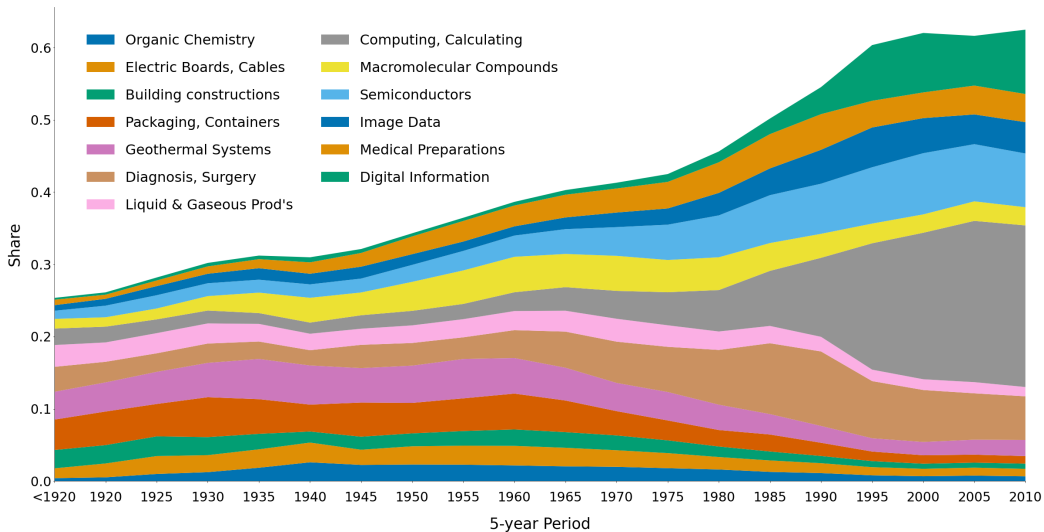
- Value added per worker by sector (our main measure of productivity)
- Total Factor Productivity (TFP) growth by sector
- Capital, labor, and intermediate imports by sector (that we use as controls)



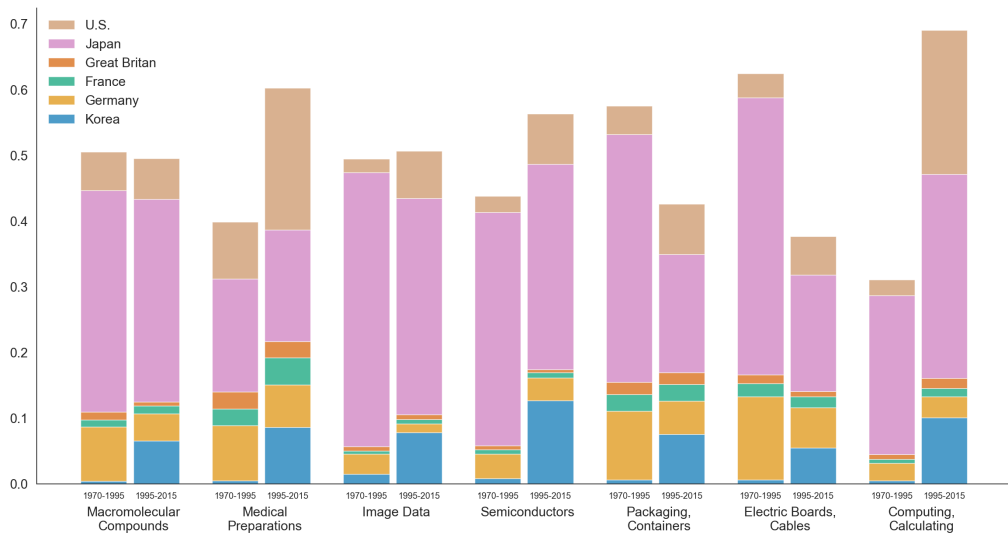
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# Evolution of Top Fields of Knowledge: Rise and Fall, ↑ Concentration



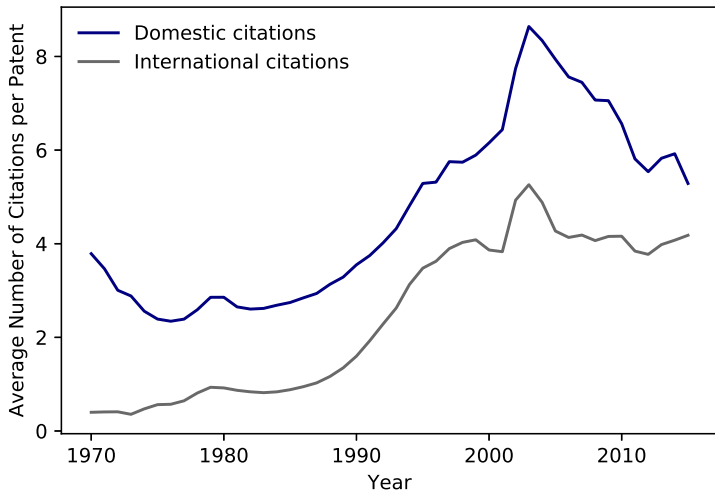
# Country Shares in Top Fields, 1970-2015



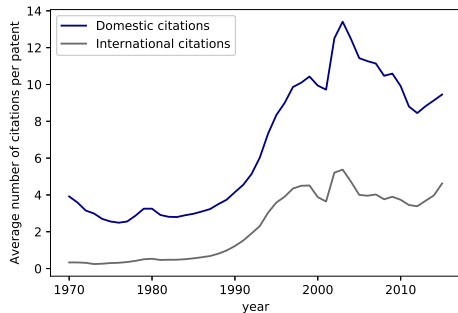
Int'l Only

1920-70

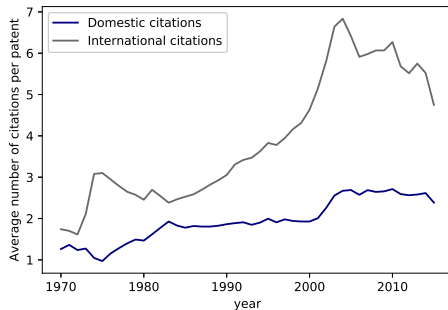
## Knowledge Spillovers as Measured by Citations Increased Over Time



# Reliance on Knowledge Produced in the US and Japan has Increased



(a) US and Japan



(b) Non-US and Non-Japan

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# Organizing Framework: Innovation Technology

- World economy:
  - ▶ Multi-country,  $c = 1, \dots, C$
  - ▶ Multi-sector,  $s = 1, \dots, S$
  - ▶ Fields of Knowledge,  $k = 1, \dots, K$
- World technology:  $N_t \equiv (N_{111t}, \dots, N_{cskt}, \dots, N_{CSKt})$
- Production function for Innovation  $I(\cdot)$ :

$$\Delta N_{cskt} = I(S_{csk}(N_t), R_{cskt}),$$

where  $S_{csk}(N_t)$ : spillover across  $csk$ ,  $R_{cskt}$ : research inputs

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## Mappings

- $\Delta N_{cst} \equiv \sum_{k=1}^K \Delta N_{cskt} \rightarrow$  Patenting across  $cst$  (link FoK to industry codes)
- Linkages across  $c$ ,  $s$  and  $k$  embedded in  $S \rightarrow$  citations across  $cskt$

$$S_{csk}(N_t) = \sum_{c' \in C} \sum_{s' \in S} \sum_{k' \in K} \alpha_{c's'k't} N_{c's'k't'}$$



# Organizing Framework: Innovation, TFP and Output

- Output per worker  $y_{cst}$  given by Cobb-Douglas:

$$\log y_{cst} = \phi_{cst} + \log TFP_{cst} + \alpha \log k_{cst}, \quad \text{where } \phi_{cst} = \tilde{\delta}_{ct} + \tilde{\delta}_{st} + \tilde{\delta}_{cs}.$$

- Isoelastic relationship between TFP and Innovation

$$\log \left( \frac{TFP_{cst+1}}{TFP_{cst}} \right) = \phi_0 + \phi_N \log(1 + \Delta N_{cst}) - \phi_Y \log y_{cst},$$

- Combining both we obtain baseline regression:

$$\log y_{cst+1} = \phi_N \log(1 + \Delta N_{cst}) + \phi_A \log y_{cst} + \delta_{ct} + \delta_{st},$$

where  $\phi_A, \phi_N > 0$ , and  $\delta$ 's denote Fixed Effects

- **Important:** no assumption of BGP, free sectoral dynamics

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# Empirical Specification Derived from Growth Model

Obtain empirical specification from (semi-)endogenous growth model:

$$\overline{\log y_{cst+n}} = \phi_N \log(1 + pat_{cst}) + \phi_A \log y_{cst} + \phi_0 X_{cst} + \delta_{ct} + \delta_{st} + \epsilon_{cst},$$

where

- $\overline{\log y_{cst+n}}$  average log value added per worker over next three years
- $X_{cst}$  set of controls: capital, labor, and intermediate inputs trade linkages
- $\delta_{ct}$  &  $\delta_{st}$  country-year and sector-year fixed effects

# Innovation and Output per Worker

	Dependent variable is: $\overline{\log(va\_em_{cst,t+3})}$							
	OLS (1)	2SLS (2)	OLS (3)	2SLS (4)	OLS (5)	2SLS (6)	OLS (7)	2SLS (8)
$\log(1 + pat_{cst})$	0.006 (0.003)		0.004 (0.003)		0.005 (0.003)		0.005 (0.003)	
$\log(va\_em_{cst})$	0.919 (0.012)		0.942 (0.016)		0.934 (0.016)		0.933 (0.016)	
Country-Yr & Sector-Yr FE	✓		✓		✓		✓	
$\ln(capital_t)$			✓		✓		✓	
$\ln(employ_t)$			✓		✓		✓	
$\ln(int\_import_t)$					✓		✓	
$\log(\widehat{go\_IOLink}_{cst})$							✓	
# obs.	8,357		8,357		8,357		8,357	
# countries	36		36		36		36	

Notes: Period of analysis: 2000-14. Two-way st. err. clustered at a country-sector level.

# Identification Concerns

- Reverse causality
  - ▶ Change in productivity affects innovative activities
- Measurement error
  - ▶ Attenuation bias
- Factors that might affect productivity and innovation at the same time, such as:
  - ▶ Technological obsolescence
  - ▶ Financial shocks
  - ▶ Trends in domestic demand

## Instrumenting for Innovative Activities

- Use the network of patent citations in the pre-sample period (1970-1990)
- Idea: Each patent is the result of assembling already existing pieces of knowledge (input-output model)
- Observed citations network reveals the knowledge input-output linkages across countries and technological classes

## Shift-share Construction Proceeds in **Three** Steps

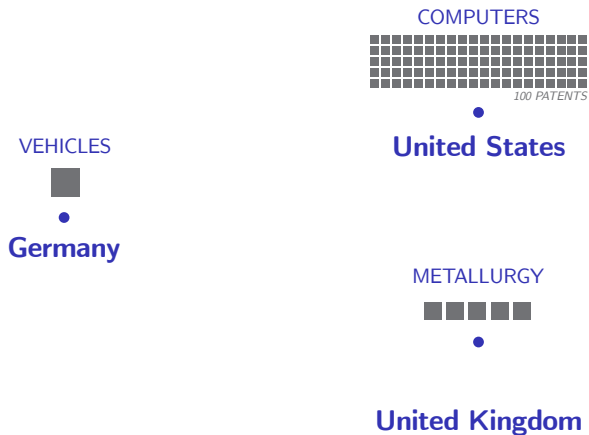
1. **Shares**: Compute citations  $(c, c', s, s', lag)$  in “predetermined” network in 1970-90
2. Propagate country-sector innovations for the period 1990-99 (**shifts**) through this network, assuming *probability of innovation is proportional to strength of citations*
3. Iterate forward: using predicted innovations for each country-sector from step 2, propagate again across network to construct **instrument** for 2000-14

## Instrumenting for patenting activity: Pre-sample

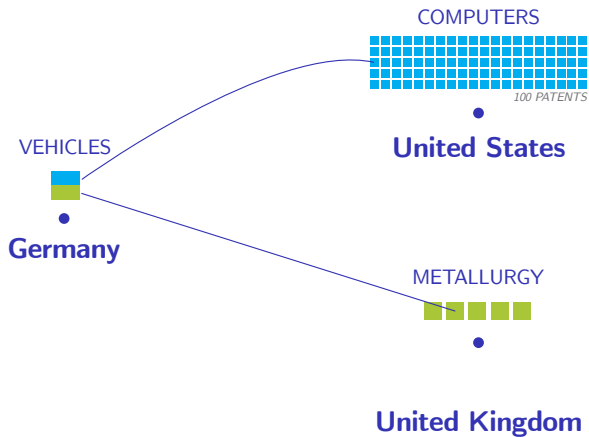




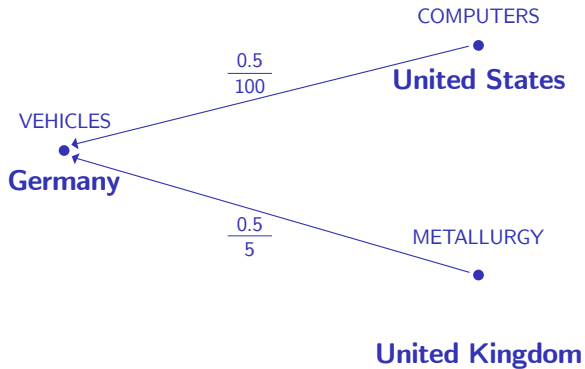
# Instrumenting for patenting activity: Pre-sample



## Instrumenting for patenting activity: Pre-sample



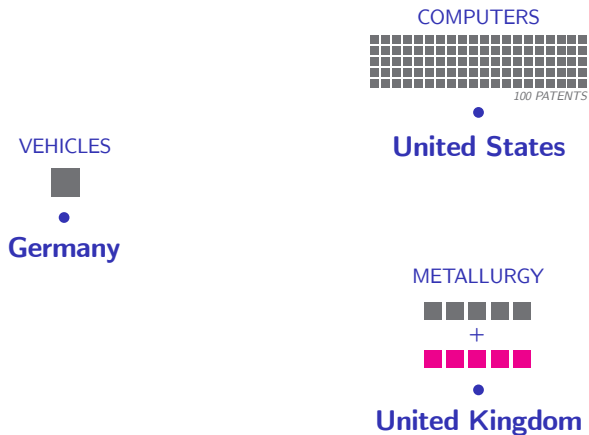
## Instrumenting for patenting activity: Spillovers network



## Shift-share Construction Proceeds in **Three** Steps

1. **Shares**: Compute citations  $(c, c', s, s', lag)$  in “predetermined” network in 1970-90
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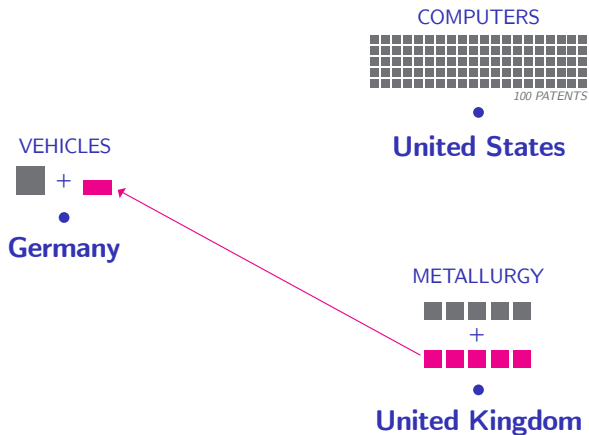
# Instrumenting for patenting activity: Sample period



## Shift-share Construction Proceeds in **Three** Steps

1. **Shares**: Compute citations  $(c, c', s, s', lag)$  in “predetermined” network in 1970-90
2. Propagate country-sector innovations for the period 1990-99 (**shifts**) through this network, assuming *probability of innovation is proportional to strength of citations*
3. Iterate forward: using predicted innovations for each country-sector from step 2, propagate again across network to construct **instrument** for 2000-14

# Instrumenting for patenting activity: Instrument

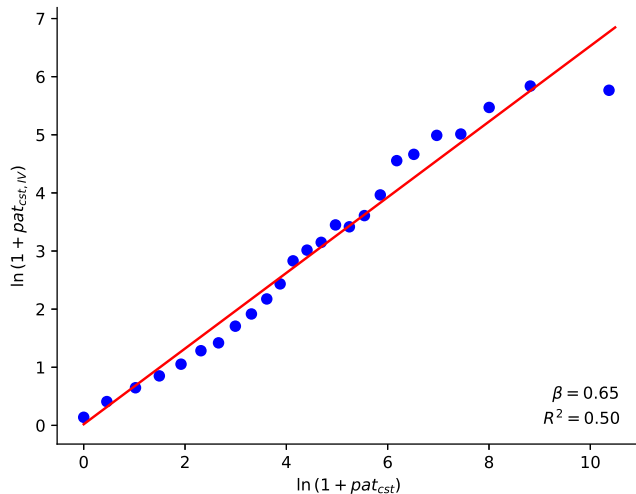


# Instrumenting for innovative activities

- Note that the network:
  - ▶ is **directed**,  $(s, r) \neq (r, s)$
  - ▶ takes the **timing of citations** into consideration:  $\Delta_T$ , with  $T = 1, \dots, 10$
  - ▶ does not consider citations coming from the same field of knowledge and country



# Unconditional Correlation between Actual and Predicted Patents (IV)



# Elasticity of Innovation to International Knowledge Spillovers

	$\log(1 + pat_{cst})$		
	(1)	(2)	(3)
$\log(1 + \widehat{pat}_{cst})$	0.452 (0.047)	0.470 (0.048)	0.599 (0.061)
Country-Year FE	✓	✓	✓
Sector-Year FE	✓	✓	✓
# obs.	31,292	31,292	31,292
# countries	198	198	198

Notes: Period of analysis: 2000-14 with citation matrix of 1970-90. Two-way st. err. clustered at country-sector level.

# Main Results: Innovation and Value Added per Worker

	$\overline{\log(va\_em_{cst+n})} \quad n \in \{1, 2, 3\}$							
	OLS (1)	2SLS (2)	OLS (3)	2SLS (4)	OLS (5)	2SLS (6)	OLS (7)	2SLS (8)
$\log(1 + pat_{cst})$	0.006 (0.003)	0.019 (0.008)	0.004 (0.003)	0.017 (0.008)	0.005 (0.003)	0.019 (0.007)	0.005 (0.003)	0.018 (0.007)
$\log(va\_em_{cst})$	0.919 (0.012)	0.917 (0.012)	0.942 (0.016)	0.937 (0.016)	0.934 (0.016)	0.928 (0.015)	0.933 (0.016)	0.927 (0.015)
Country-Yr & Sector-Yr FE	✓	✓	✓	✓	✓	✓	✓	✓
$\ln(capital_t)$			✓	✓	✓	✓	✓	✓
$\ln(employ_t)$			✓	✓	✓	✓	✓	✓
$\ln(int\_import_t)$					✓	✓	✓	✓
$\log(\widehat{go\_IOlink}_{cst})$							✓	✓
# obs.	8,357	8,357	8,357	8,357	8,357	8,357	8,357	8,357
# countries	36	36	36	36	36	36	36	36
	First-stage estimates							
Predicted $\log(1 + pat_{cst})$		0.496 (0.082)		0.461 (0.079)		0.461 (0.079)		0.461 (0.079)
F-stat		36.7		33.9		34.3		33.9

Notes: Period of analysis: 2000-14 with citation matrix of 1970-90. Two-way st. err. clustered at country-sector level.

# Robustness

- Test robustness of specification by:
  1. Alternative log transformation and forward lags [Results](#)
  2. Specification in growth rates
  3. Use TFP instead of value added per worker [Results: TFP & Growth](#)
- Test robustness of IV procedure by:
  1. Test for pre-trends by showing that the pre-period productivity is uncorrelated with subsequent patent activity predicted by the instrument [Results](#)
  2. Control for historical levels of patent activity
  3. Testing for demand-side pull factors
    - Reverse matrix of citations  $\Rightarrow$  predicted number of patents in pre-sample period
    - Add predicted by downstream stimulus number of patents in the baseline regression
  4. Add predicted patents using international IO linkages [All results](#)

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## Innovation and Long-term Development: GDP pc over 1980-2016

	Dep. Var.: $\overline{\log(gdp\_cap)_{ct+n}}$ from 80-16			
	OLS	IV	OLS	IV
$\ln(1 + pat_{ct})$	0.013 (0.005)	0.086 (0.020)	0.005 (0.003)	0.034 (0.012)
$\ln(gdp\_cap_{ct})$	0.906 (0.026)	0.735 (0.052)	0.852 (0.025)	0.804 (0.028)
Country FE	Y	Y	Y	Y
Year FE	N	N	Y	Y
# obs.	1,985	1,985	1,985	1,985
# countries	60	60	60	60
F-stat		15.0		7.3

Notes: Pre-determined matrix based on the data prior 1980. St. err. clustered at a country level.

- Magnitude: 1 st. dev.  $\uparrow$  in log pats  $\Rightarrow$   $\uparrow$  in log output (growth) of 2.8 p.p.

## Innovation and Long-term Development: GDP pc over 1960/70-2016

Dependent Variable is: $\overline{\log(gdp\_cap)_{ct+n}}$				
	1960-2016		1970-2016	
	OLS	2SLS	OLS	2SLS
$\ln(1 + pat_{ct})$	0.005 (0.003)	0.015 (0.005)	0.009 (0.004)	0.023 (0.008)
$\ln(gdp\_cap_{ct})$	0.900 (0.027)	0.879 (0.026)	0.872 (0.004)	0.837 (0.040)
Country FE	Y	Y	Y	Y
Year FE	Y	Y	Y	Y
# obs.	2,760	2,760	2,376	2,376
# countries	60	60	60	60
F-stat		27.4		20.7

Std. err. clustered at a country level. Predetermined matrix based on pre-1950 and pre-1960, respectively.

- 1 st. dev.  $\uparrow$  in log pats  $\Rightarrow$   $\uparrow$  in log output (growth) of 1.6/2.2 p.p.

# Conclusions

- Use historical patent data spanning last 100 years to:
  - ▶ Map patent classes into fields of knowledge using a clustering algorithm
  - ▶ Document stylized facts on evolution of innovation and knowledge spillovers
- Use variation in our data to estimate the effect of innovation on productivity
  - ▶ Construct a shift-share instrument leveraging country-sector knowledge spillovers
  - ▶ One std. dev. increase in log-patenting increases productivity growth by 1.1 p.p.
- Going forward: Empirical design useful for other applications
  - ▶ E.g., trade elasticity in EK-CDK.
- Use these facts and data for a quantitative model



# Novel Approach to Map Patent Classes into “Fields of Knowledge”

- Typically, take X first digits of patent class (e.g. Jaffee et al. 93)
  - ▶ Justification: Hierarchical system reflecting area of technology
  - ▶ Criticized by some due to presence of some arbitrariness
    - B60T: Vehicle brakes or part of thereof
    - F16D: Clutches; Brakes
- Propose an algorithm that groups patent classes into “fields of knowledge”
  - ▶ Use information on inventors (almost 50 mln people)
  - ▶ Compute conditional probability the same inventor invents in any IPC given that he invents in another IPC for each IPC pair
  - ▶ Construct symmetric proximity matrix [Details](#)
  - ▶ Cluster IPCs according to this information [K-medoids](#) [Optimality criterion](#)
- Result: 164 fields of knowledge

The inverse measure of similarity between IPC codes  $i$  and  $j$  equals

$$\phi_{ij} = P(x_{ij}|x_{jj})$$

where for every inventor  $s$

$$x_{ij,s} = \begin{cases} 1, & \text{if inventor has patent with both IPC codes } i \text{ and } j \\ 0, & \text{otherwise} \end{cases}$$

In order to obtain symmetric matrix for the cluster analysis the following dissimilarity measure is obtained:

$$D_{ij} = 1 - (\phi_{ij} + \phi_{ji}) = D_{ji}$$

The following steps provide brief description of the *k-medoids* algorithm:

- Select  $K$  points as the initial representative objects (i.e., as initial *k-medoids*)
- Repeat
  - ▶ Assigning each point to the cluster with the closest medoid
  - ▶ Randomly select a non-representative object  $o_i$
  - ▶ Compute the total cost  $S$  of swapping the medoid  $m$  with  $o_i$ 
    - $S = S_{o_i} - S_m$
    - $S_{o_i} = \sum_{j=1}^k s_{j,o_i}$ , where  $s_{j,o_i} = \sum_{l \in j} D_{l,o_i}$
    - $S_m = \sum_{j=1}^k s_{j,m}$ , where  $s_{j,m} = \sum_{l \in j} D_{l,m}$
    - In words,  $S_x$  is the sum of distances to the center within each cluster
  - ▶ if  $S < 0$ , then swap  $m$  with  $o_i$  to form the new set of medoids
- Until convergence criterion is satisfied

Silhouette coefficient:

- For each point  $x_i$ , its silhouette coefficient  $s_i$  is:

$$s_i = \frac{\mu_{out}^{min}(x_i) - \mu_{in}(x_i)}{\max\{\mu_{out}^{min}(x_i), \mu_{in}(x_i)\}}$$

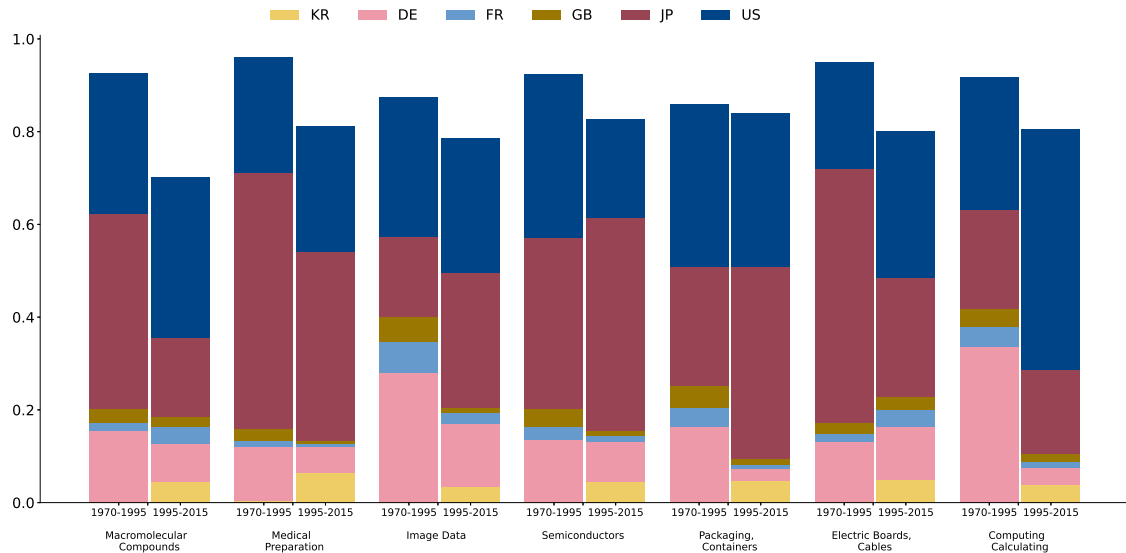
where

- ▶  $\mu_{in}(x_i)$  is the mean distance from  $x_i$  to points in its own cluster
- ▶  $\mu_{out}^{min}(x_i)$  is the mean distance from  $x_i$  to points in its closest cluster (defined by finding minimum distance from the center of cluster to the center of other cluster)
- $s_i = 0$  if  $x_i$  belongs to singleton cluster
- Silhouette coefficient (SC) is the mean values of  $s_i$  across all the points:  
$$SC = \frac{1}{n} \sum_{i=1}^n s_i$$
- SC close to +1 implies good clustering: points are close to their own clusters but far from other clusters

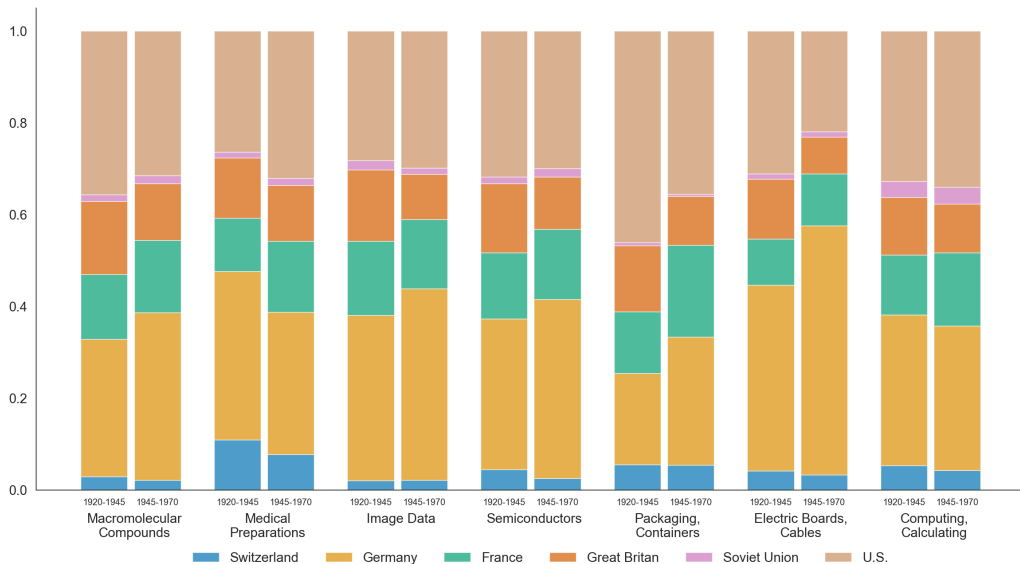
Center of the Cluster	Members of the Cluster	Respective IPC Name	Suggested Name of Technology Field
A21B	A21B	Bakers' Ovens; Machines or Equipment for Baking	Baking
	A21C	Machines or Equipment for Making or Processing Doughs; Handling Baked Articles Made from Dough	
	A47J	Kitchen Equipment; Coffee Mills; Spice Mills; Apparatus for Making Beverages	
	F24C	Other Domestic Stoves or Ranges; Details of Domestic Stoves or Ranges	

back

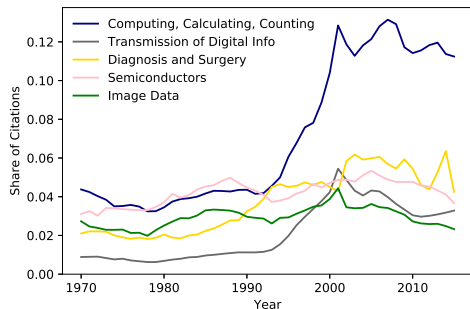
# Country Shares in Top Fields, 1970-2015: International Citations



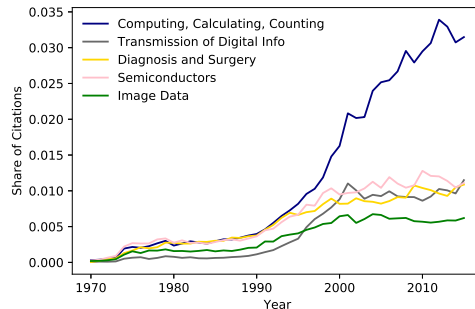
# Country Shares in Top Fields, 1920-1970: Advanced Economies [back](#)



# Share of Citations to the US and Japan Patents by Field of Knowledge



(c) US and Japan



(d) Non-US and Non-Japan



## Instrument Construction

The adjacency matrix of the knowledge network is (presample):

$$d_{c_o, c_d, s_o, s_d, \Delta} = \begin{cases} 0 & c_o = c_d \\ 0 & s_o = s_d \\ \frac{\sum_{t=1970}^{1990} \sum_{p \in \mathcal{P}(c_o, s_o, t)} s_{p \rightarrow (c_d, s_d, t-\Delta)}}{\sum_{t=1970}^{1970} |\mathcal{P}(c_d, s_d, t-\Delta)|} & \Delta \in \{1, \dots, 10\} \end{cases} \quad o/w$$

diffuse the observed patents filed in the period 1990-1999 to predict the patenting activity in the sample:

$$\hat{pat}_{c_o, s_o, t} = a_t \sum_{\Delta=1}^{10} \sum_{s_d \in \mathcal{S}} \sum_{c_d \in \mathcal{N}} (d_{c_o, c_d, s_o, s_d, \Delta}) pat_{c_d, s_d, t-\Delta}$$

## 2SLS Estimates: Robustness, Different Lags

	$\log(va\_em_{cst+n})$				
	(1)	(2)	(3)	(4)	(5)
$\log(1 + pat_{cst})$	0.017 (0.008)	0.019 (0.008)	0.011 (0.004)	0.018 (0.008)	0.026 (0.010)
Controls	✓	✓	✓	✓	✓
Country-Year FE	Y	Y	Y	Y	Y
Sector-Year FE	Y	Y	Y	Y	Y
# obs.	8,357	8,357	9,744	9,053	8,358
First-stage estimates					
Predicted	0.461	0.392	0.457	0.460	0.463
$\log(1 + pat_{cst})$	(0.079)	(0.070)	(0.077)	(0.079)	(0.079)
F-stat	33.9	31.1	34.7	34.3	34.0

Notes: Column (1) shows the results of our baseline regression, with average level of (log) value added per employment in the next 3 years as a dependent variable. Column (2) is analogous to Column (1) in terms of dependent variable, but uses inverse hyperbolic sine for the log transformation applied to a number of patents used both as an explanatory variable and as an instrument, i.e.  $\ln(\sqrt{1 + pat^2} + pat)$ . Columns (3), (4), and (5) use one, two, and three periods ahead value added per employment as dependent variable. All regressions include (log) values for value added per employment, capital, and employment as controls. Standard errors (in parentheses) are two-way clustered at the country and sector levels.

Kleibergen-Paap Wald F-stat is reported for the first stage. [back](#)

# Growth specification and TFP Regressions

	$\Delta \log(y_{cst+n}) \quad n \in \{1, 2, 3\}$								
	VA/EMP			Primal TFP			Dual TFP		
	2SLS (1)	2SLS (2)	2SLS (3)	2SLS (4)	2SLS (5)	2SLS (6)	2SLS (7)	2SLS (8)	2SLS (9)
$\log(1 + patent_{cst})$	0.011 (0.004)	0.009 (0.004)	0.009 (0.003)	0.007 (0.004)	0.010 (0.006)	0.010 (0.005)	0.004 (0.004)	0.008 (0.003)	0.008 (0.003)
$\log(y_{cst})$	-0.044 (0.009)	-0.031 (0.007)	-0.033 (0.007)	-0.017 (0.010)	-0.010 (0.009)	-0.011 (0.008)	-0.018 (0.009)	-0.009 (0.005)	-0.009 (0.005)
$\log(capital_{cst})$		-0.005 (0.003)	-0.005 (0.003)		-0.023 (0.003)	-0.022 (0.003)		-0.031 (0.003)	-0.031 (0.004)
$\log(employ_{cst})$		0.005 (0.004)	0.002 (0.005)		0.021 (0.004)	0.022 (0.004)		0.026 (0.004)	0.023 (0.003)
$\log(int\_import_{cst})$			0.003 (0.004)			-0.002 (0.005)			0.001 (0.003)
Country-Year FE	Y	Y	Y	Y	Y	Y	Y	Y	Y
Sector-Year FE	Y	Y	Y	Y	Y	Y	Y	Y	Y
# obs.	8,834	8,357	8,357	7,931	7,931	7,931	8,554	8,336	8,336
# countries	36	36	36	36	36	36	36	36	36
First-stage estimates									
Predicted $\log(1 + pat_t)$	0.468 (0.085)	0.461 (0.079)	0.461 (0.079)	0.498 (0.081)	0.470 (0.080)	0.472 (0.080)	0.498 (0.085)	0.472 (0.083)	0.473 (0.083)
F-stat	30.5	33.9	34.3	34.5	32.5	32.4	38.1	35.0	34.9

Period of the analysis 2000-14, pre-determined matrix based on the data from 1970-90. St. err. clustered at a country level.

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## Testing for Pre-trends

	$\log(\overline{va\_emp}_{cs})$			
	Sample Period		Pre-Sample Period	
	(1)	(2)	(3)	(4)
$\log(1 + \overline{pat}_{cs2000-14})$	0.080 (0.033)	0.102 (0.046)	0.032 (0.064)	0.014 (0.053)
Controls	✓	✓	✓	✓
Country FE	Y	Y	Y	Y
Sector FE	Y	Y	Y	Y
# obs.	641	433	433	424

Notes: Columns (1) and (2) use average value added per employment in the period 2000-14 as a dependent variable computed with WIOD and UNIDO data, respectively. The latter one is included for better compatibility with results in columns (3) and (4), where dependent variable is average value added per employment computed with UNIDO data for the periods 1981-90 and 1971-90, respectively. All regressions include average (log) values for capital, employment and intermediate imports in period 2000-14. Standard errors are clustered at a country level in parentheses. [back](#)

## Robustness Exercises

	$\overline{\log(va\_em_{cst+n})} \quad n \in \{1, 2, 3\}$				
	(1)	(2)	(3)	(4)	(5)
$\log(1 + pat_{cst})$	0.017 (0.008)	0.029 (0.010)	0.025 (0.010)	0.030 (0.010)	0.017 (0.008)
$\log(1 + \overline{pat_{cs1970-90}})$		-0.009 (0.005)		-0.009 (0.005)	
$\log(1 + \widehat{pat}_{cst-30})$			-0.006 (0.007)	-0.001 (0.006)	
$\log(1 + \widehat{pat\_IOLink}_{cst})$					-0.001 (0.006)
Controls	✓	✓	✓	✓	
Country-Year FE	Y	Y	Y	Y	Y
Sector-Year FE	Y	Y	Y	Y	Y
# obs.	8,357	8,357	8,357	8,357	8,357
First-stage estimates					
Predicted	0.461	0.264	0.388	0.305	0.459
$\log(1 + pat_{cst})$	(0.079)	(0.058)	(0.065)	(0.056)	(0.078)
F-stat	33.9	20.9	35.5	29.3	34.8