

### **Anomaly detection - Part 4**

One should look for what is and not what he thinks should be. -Albert Einstein

# Module completion checklist

Objective	Complete
Implement LOF to detect anomalies	
Describe the isolation forest algorithm	
Implement isolation forest	
Implement isolation forest to detect anomalies	

## Loading packages

### Let's load the packages we will be using:

```
import os
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import pickle

from sklearn import metrics
from sklearn.model_selection import train_test_split
from sklearn.metrics import confusion_matrix, roc_auc_score
from sklearn.neighbors import LocalOutlierFactor
from sklearn.svm import OneClassSVM
from sklearn.ensemble import IsolationForest
```

### Directory settings

- In order to maximize the efficiency of your workflow, you should encode your directory structure into variables
- We will use the pathlib library
- Let the main\_dir be the variable corresponding to your course materials folder
- data\_dir be the variable corresponding to your data folder

```
# Set 'main_dir' to location of the project folder
from pathlib import Path
home_dir = Path(".").resolve()
main_dir = home_dir.parent.parent
print(main_dir)
```

```
data_dir = str(main_dir) + "/data" print(data_dir)
```

## Load pickled data from previous module

```
non_fraud = pickle.load(open((data_dir + "/non_fraud.sav"), "rb"))
test = pickle.load(open((data_dir + "/test.sav"), "rb"))
actual_test = pickle.load(open((data_dir + "/actual_test.sav"), "rb"))
performance_df = pickle.load(open((data_dir + "/performance_anomalies.sav"), "rb"))
```

### Data: load energy consumption

Load the PJME.csv dataset and print the head

```
pjm_energy = pd.read_csv(str(data_dir)+"/PJME_hourly.csv")
pjm_energy.head()
```

```
Datetime PJME_MW
0 2002-12-31 01:00:00 26498.0
1 2002-12-31 02:00:00 25147.0
2 2002-12-31 03:00:00 24574.0
3 2002-12-31 04:00:00 24393.0
4 2002-12-31 05:00:00 24860.0
```

### Data: preprocessing

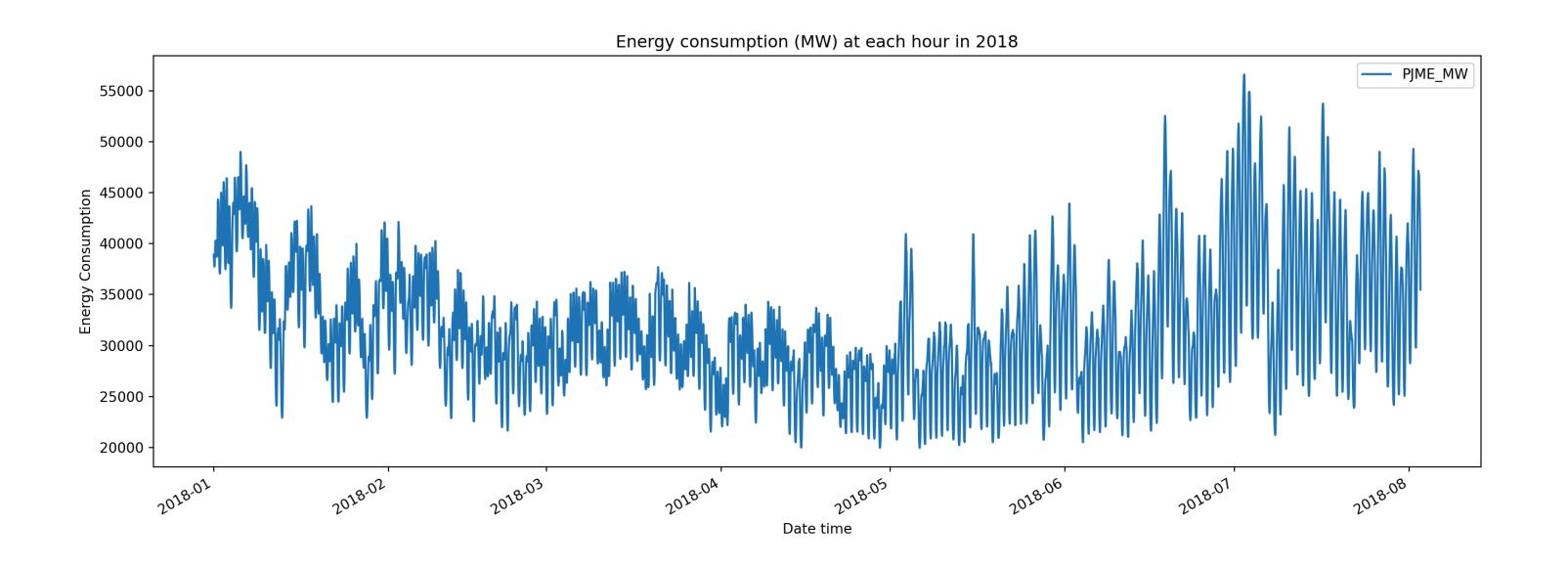
Let's convert the Datatime variable from type object to datetime

• We will filter the data to contain values for the year 2018

```
pjm_energy = pjm_energy[pjm_energy['Datetime'] > '2018-01-01 00:00:00']
pjm_energy.shape
(5135, 2)
```

### Visualize the data: line plot

```
pjm_energy.plot(x='Datetime', y='PJME_MW', figsize=(17,6))
plt.xlabel('Date time')
plt.ylabel('Energy Consumption')
plt.title('Energy consumption (MW) at each hour in 2018')
plt.show()
```



## LOF model: energy consumption

- Since we don't have a target variable to evaluate the LOF model, we will fit the model on the entire data. This will enable the model to understand the underlying data distribution
- Once we have the model trained, we predict the anomalies on the same dataset
- The predicted values would be +1 for inliers and -1 for outliers
- We will implement the LOF model with n\_neighbors set to 50 and contamination set to 0.01

**Note:** As we have no evaluation metric, these values were picked based on experimenting with different parameters values and finalized with the one that showed good anomaly detection

## Create and fit LOF model: energy consumption

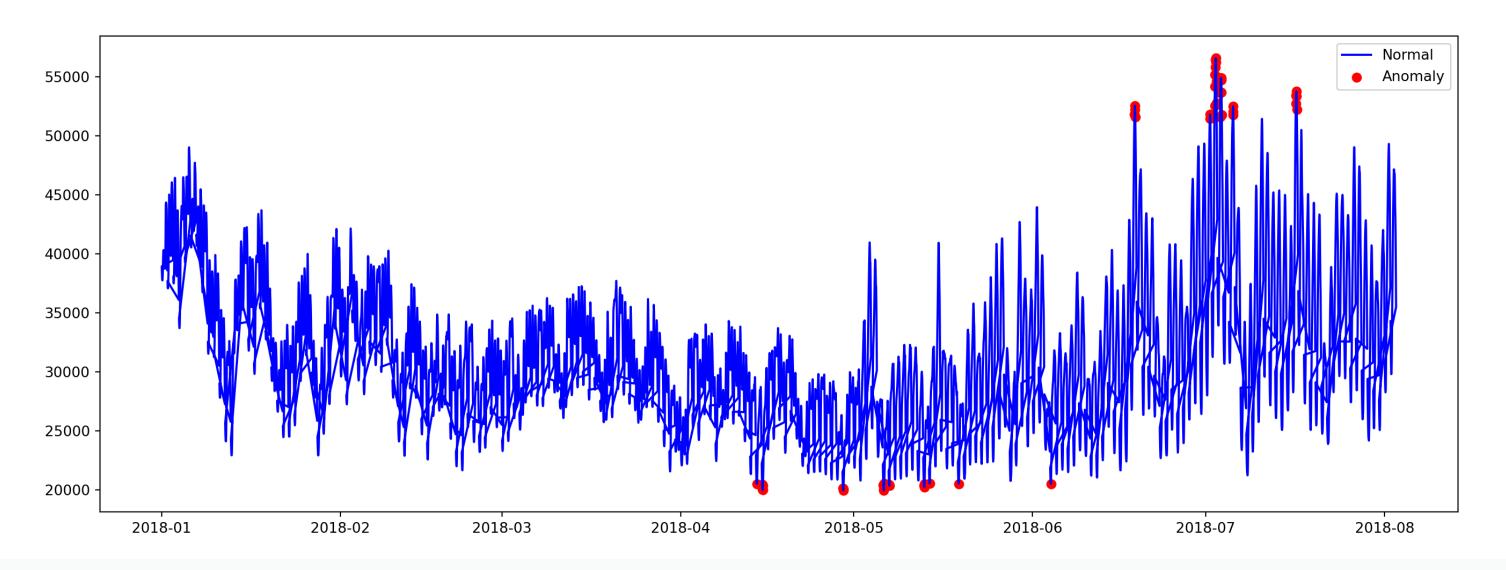
We now will instantiate our LOF model with n\_neighbors set to 50

### LOF - visualize anomalies

```
# visualization
fig, ax = plt.subplots(figsize=(17,6))

a = pjm_energy.loc[pjm_energy['anomaly'] == -1, ['Datetime', 'PJME_MW']] #anomaly

ax.plot(pjm_energy['Datetime'], pjm_energy['PJME_MW'], color='blue', label = 'Normal')
ax.scatter(a['Datetime'],a['PJME_MW'], color='red', label = 'Anomaly')
plt.legend()
plt.show();
```



### LOF - visualize anomalies

Identify the lower and the upper range of anomalies detected

```
lower_threshold = pjm_energy['PJME_MW'].quantile(0.25)
upper_threshold = pjm_energy['PJME_MW'].quantile(0.75)
lof_anomalies = pjm_energy[pjm_energy['anomaly'] == -1]

# Upper range of anomalies
lof_upper_anomalies = lof_anomalies[lof_anomalies['PJME_MW'] > upper_threshold]['PJME_MW']

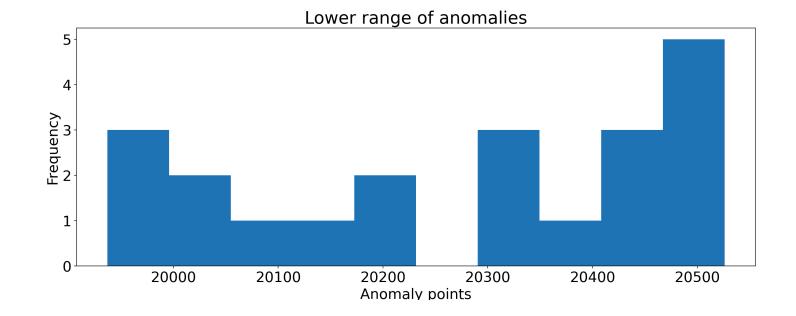
# Lower range of anomalies
lof_lower_anomalies = lof_anomalies[lof_anomalies['PJME_MW'] < lower_threshold]['PJME_MW']</pre>
```

### LOF - visualize anomalies

### Lower range of anomalies

```
plt.rcParams.update({'font.size': 20})
plt.hist(lof_lower_anomalies)
```

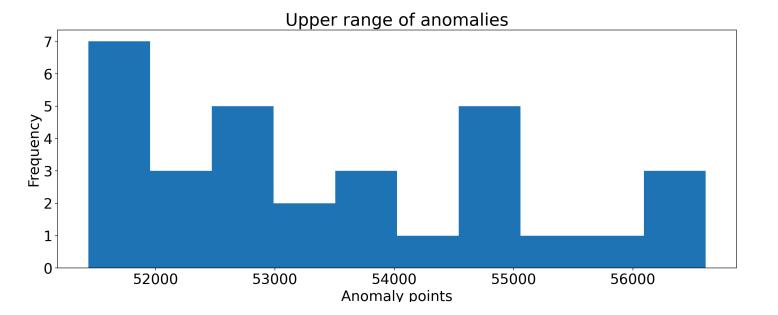
```
plt.xlabel("Anomaly points")
plt.ylabel("Frequency")
plt.title("Lower range of anomalies")
plt.show()
```



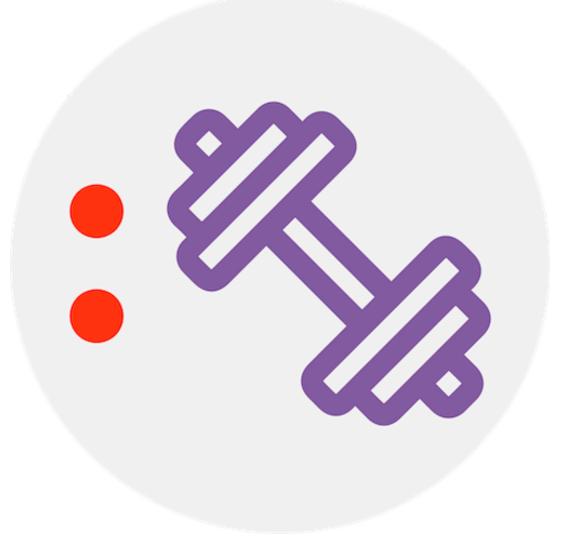
### Upper range of anomalies

```
plt.hist(lof_upper_anomalies)
```

```
plt.xlabel("Anomaly points")
plt.ylabel("Frequency")
plt.title("Upper range of anomalies")
plt.show()
```



### Exercise 3



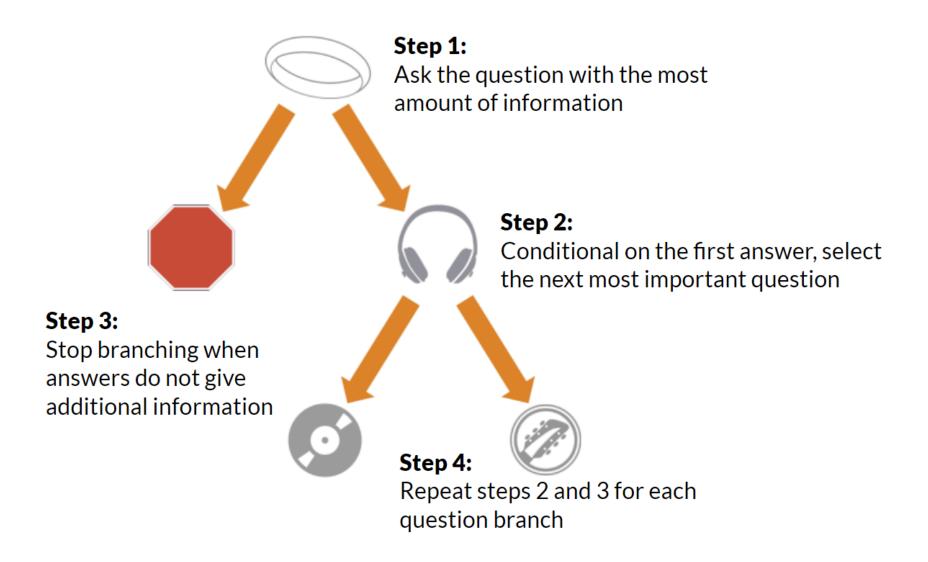
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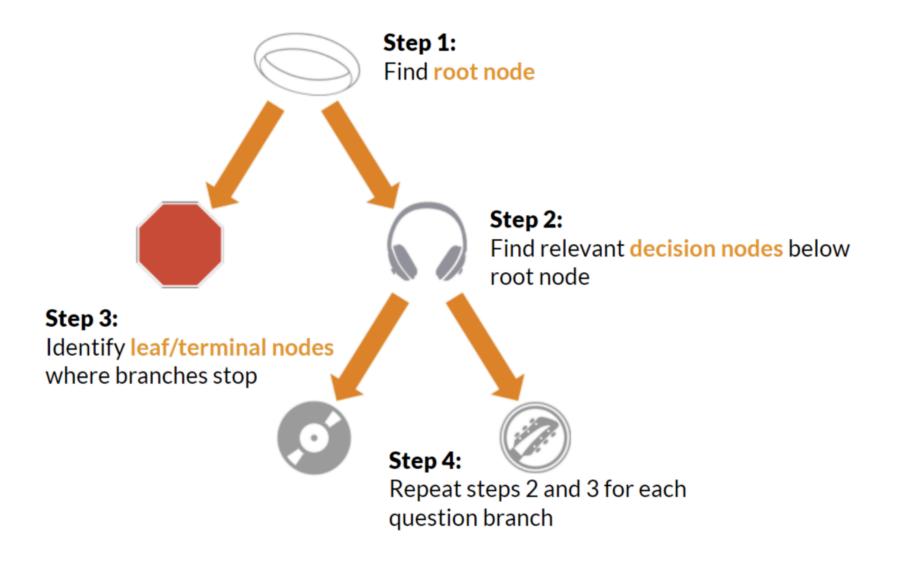
### Decision trees: recap

- Isolation forests are built on the basis of decision trees
- In decision trees, partitions are created by first randomly selecting a feature and then selecting a random split value between the minimum and maximum value of the selected feature

## Growing decision trees steps

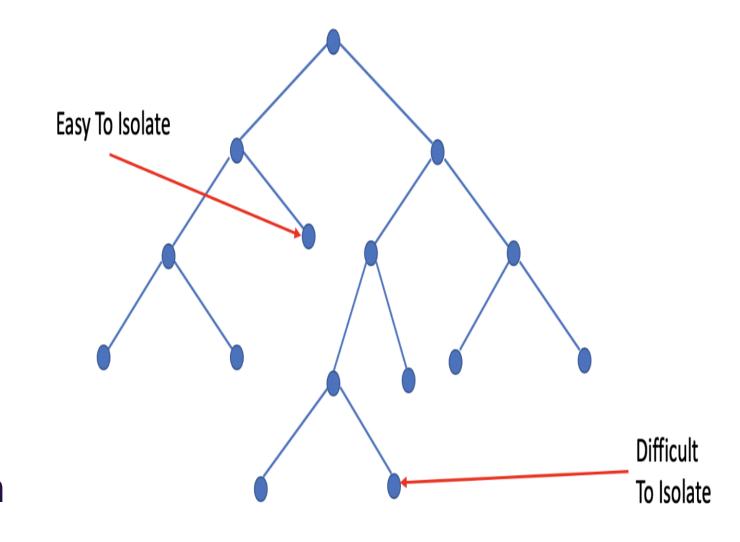


## Growing decision trees with vocabulary



### Isolation forest

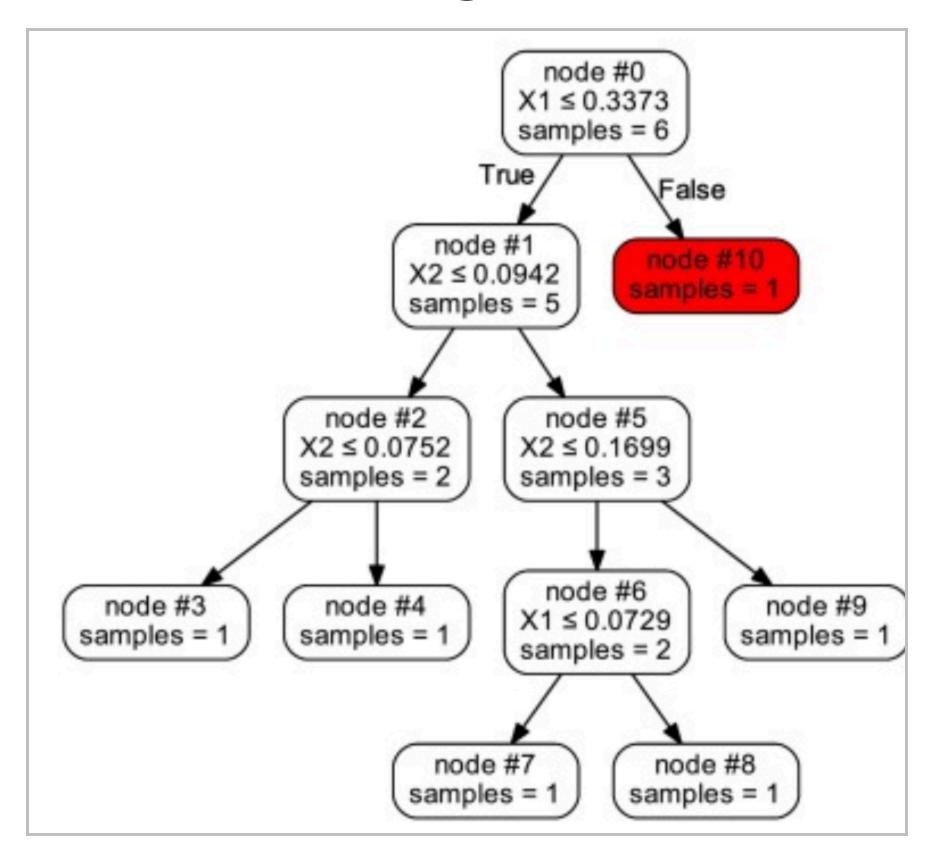
- We know that outliers are less frequent and differ from regular observations
- This means they will also be identified faster and closer to the root during the partitioning at each feature node
- An isolation forest algorithm calculates an anomaly score for each test observation which we want to classify based on the path length
- Path length is the number of nodes the observation travels down the decision tree
- Based on the anomaly score, it is classified either as an inlier (1) or outlier (-1)



## Working of isolation forest

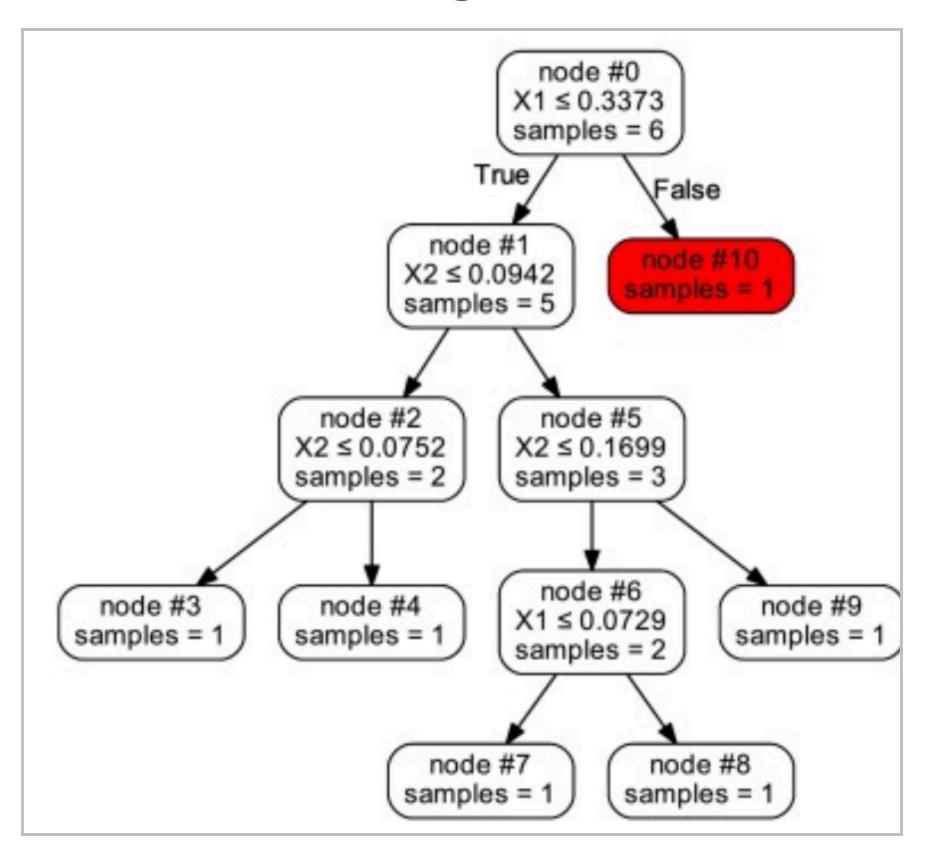
- In the isolation forest, the model is built only on regular observations
- When we get a new test data point, it travels through each node and gets classified as either
  - inlier or normal observation (+1)
  - outlier or anomaly (-1)
- Like random forest, isolation forest has multiple decision trees where the results are aggregated
- Let's say we have a new observation a, which is an outlier
- As the new observation travels down the tree, we note that none of its features have the same range as the regular observation
- The features of the new observation are very different from the tree model
- ullet Hence, the new observation is classified as an anomaly and assigned label -1

## Working of isolation forest with example 1



- Let's say we built our tree model with regular observation as shown
- We have a new observation which has a variable(X1) value greater than a threshold (0.3373), then it gets classified as an anomaly because all the observations in the tree model has X1 <= threshold (0.3373)

## Working of isolation forest with example 2



- Let's say we have another new observation which is also an anomaly but its X1 <= threshold (0.3373)</li>
- But its other variable (X2) is greater than threshold2 (0.0942)
- That observation gets classified as outlier at the second node (node #1) because all the observations within the tree model data have values with X2 <= threshold2 (0.0942)

## Isolation forest in Python

- Our SciKit library has a package for isolation forest
- Read more on it here

#### sklearn.ensemble.IsolationForest

class sklearn.ensemble. IsolationForest (n\_estimators=100, max\_samples='auto', contamination='legacy', max\_features=1.0, bootstrap=False, n\_jobs=None, behaviour='old', random\_state=None, verbose=0, warm\_start=False) [source]

Isolation Forest Algorithm

Return the anomaly score of each sample using the IsolationForest algorithm

The IsolationForest 'isolates' observations by randomly selecting a feature and then randomly selecting a split value between the maximum and minimum values of the selected feature.

Since recursive partitioning can be represented by a tree structure, the number of splittings required to isolate a sample is equivalent to the path length from the root node to the terminating node.

This path length, averaged over a forest of such random trees, is a measure of normality and our decision function.

Random partitioning produces noticeably shorter paths for anomalies. Hence, when a forest of random trees collectively produce shorter path lengths for particular samples, they are highly likely to be anomalies.

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### Create and fit isolation forest model

- We now will instantiate our isolation forest model and run it on non\_fraud data
- At first, we will simply run the model on our training data and predict on test
- We set default parameter for n\_estimators = 100 and contamination as 0.1

```
iforest = IsolationForest(n_estimators=100, contamination = 0.1)
# model fitting
iforest.fit(non_fraud)
```

```
IsolationForest(contamination=0.1)
```

### Test predictions

Predict on the test data using the trained isolation forest

```
fraud_pred = iforest.predict(test.iloc[:,:-1])
fraud_pred
array([1, 1, 1, ..., 1, 1])
```

- We know that an isolation forest classifies data points as -1 and +1 instead of 1 and 0
- Let's replace these values into 0 and 1 as we have in our Paysim dataset

```
fraud\_pred[fraud\_pred == 1] = 0
fraud\_pred[fraud\_pred == -1] = 1
```

### Find TPR and TNR

Let's evaluate the isolation forest model

```
tn, fp, fn, tp = confusion_matrix(actual_test, fraud_pred).ravel()
non_fraud_eval = tn / (tn + fp)
print(non_fraud_eval)

0.9005506424161521

fraud_eval = tp / (tp + fn)
print(fraud_eval)
```

0.34545454545454546

### Load performance\_df dataframe

Append the scores of the isolation forest to the performance\_df dataframe

```
      model_name
      TPR
      TNR

      0 Decision_tree_baseline
      0.671642
      0.999667

      1 SMOTE
      0.865672
      0.991332

      2 LOF
      0.772727
      0.890927

      3 LOF
      0.759091
      0.903280

      4 LOF
      0.750000
      0.894868

      5 LOF
      0.745455
      0.900367

      6 LOF
      0.754545
      0.892982

      7 LOF
      0.722727
      0.893376

      8 Isolation Forest
      0.345455
      0.900551
```

## Isolation model: hyperparameter tuning

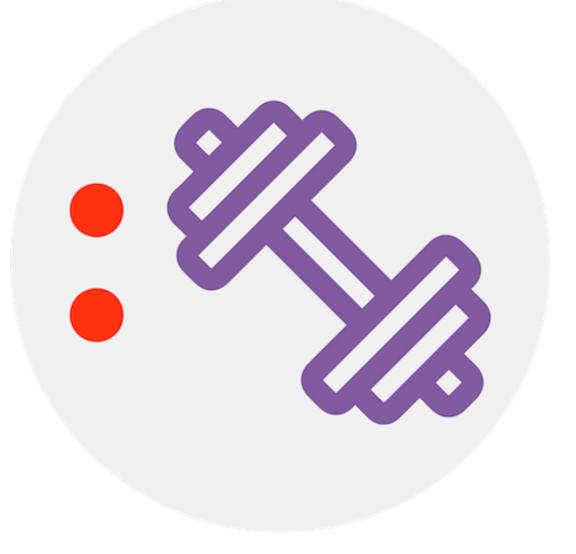
- The hyperparameters that can be tuned for optimizing the isolation forest model are shown below
  - n\_estimators: the number of base estimators in the ensemble
  - contamination: the amount of contamination of the data set, i.e., the proportion of outliers in the data set
  - max\_features: the number of features to draw from X to train each base estimator
  - max\_samples: the number of samples to draw from X to train each base estimator
- We wouldn't be tuning the hyperparameters for isolation model here, as the model results showed no significant improvement on this dataset

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## Knowledge check 3



### Exercise 4



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### Isolation forest on time series data

- We now will instantiate our isolation forest model and run it on time series data
- We set default parameter for  $n_{estimators} = 100$  and contamination as 0.01

```
isolation_energy = IsolationForest(n_estimators=100, contamination = 0.01)

# model fitting
isolation_energy.fit(pd.DataFrame(pjm_energy['PJME_MW']))

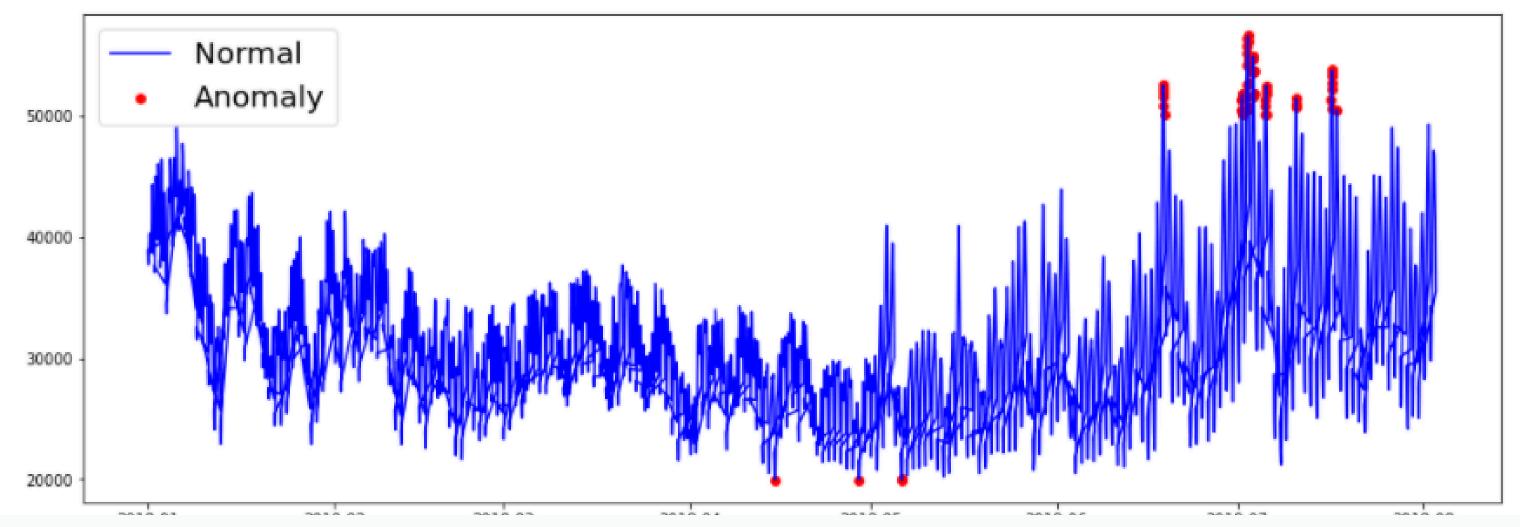
IsolationForest(contamination=0.01)

pjm_energy['anomaly'] = isolation_energy.predict(pd.DataFrame(pjm_energy['PJME_MW']))
```

### Isolation forest - visualize anomalies

We will now visualize the anomalies detected by isolation forest

```
# visualization
fig, ax = plt.subplots(figsize=(15,5))
a = pjm_energy.loc[pjm_energy['anomaly'] == -1, ['Datetime', 'PJME_MW']] #anomaly
ax.plot(pjm_energy['Datetime'], pjm_energy['PJME_MW'], color='blue', label = 'Normal')
ax.scatter(a['Datetime'],a['PJME_MW'], color='red', label = 'Anomaly')
plt.legend()
plt.show()
```



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### Isolation forest - visualize anomalies

Identify the lower and the upper range of anomalies detected

```
# visualization
lower_threshold = pjm_energy['PJME_MW'].quantile(0.25)
upper_threshold = pjm_energy['PJME_MW'].quantile(0.75)
if_anomalies = pjm_energy[pjm_energy['anomaly'] == -1]

if_upper_anomalies = if_anomalies[if_anomalies['PJME_MW'] > upper_threshold]['PJME_MW']
if_lower_anomalies = if_anomalies[if_anomalies['PJME_MW'] < lower_threshold]['PJME_MW']</pre>
```

### Isolation forest - visualize anomalies

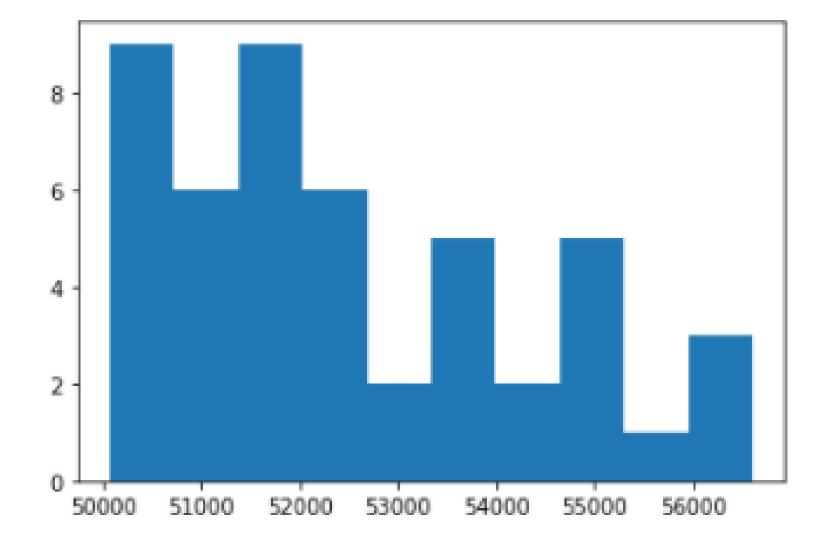
### Lower range of anomalies

```
plt.hist(if_lower_anomalies)
plt.xlabel("Anomaly points")
plt.ylabel("Frequency")
plt.title("Lower range of anomalies")
plt.show()
```

### 

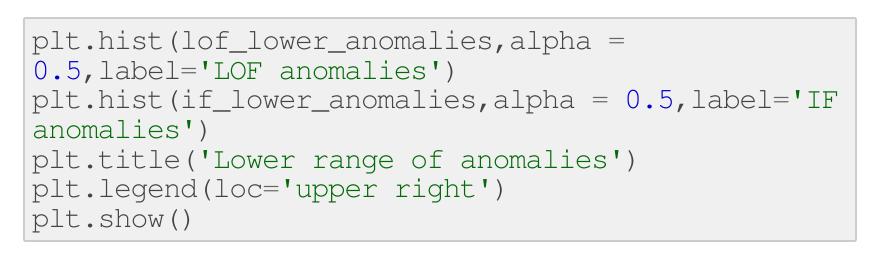
### Upper range of anomalies

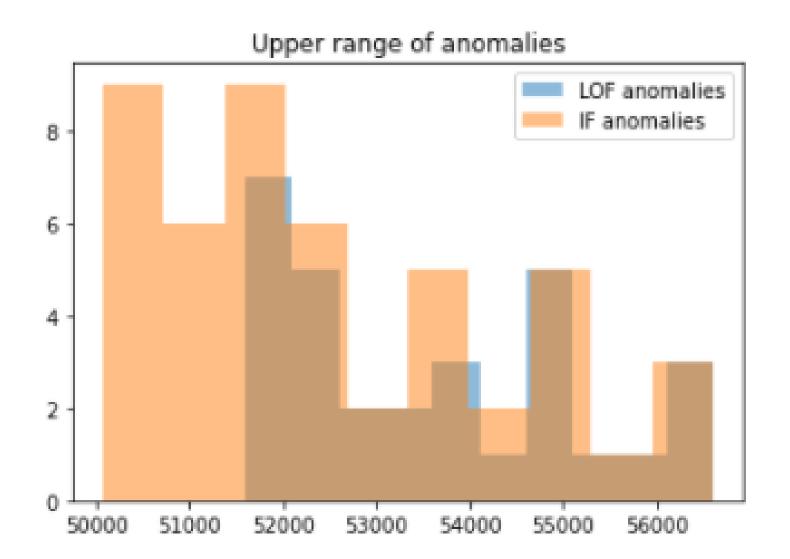
```
plt.hist(if_upper_anomalies)
plt.xlabel("Anomaly points")
plt.ylabel("Frequency")
plt.title("Upper range of anomalies")
plt.show()
```

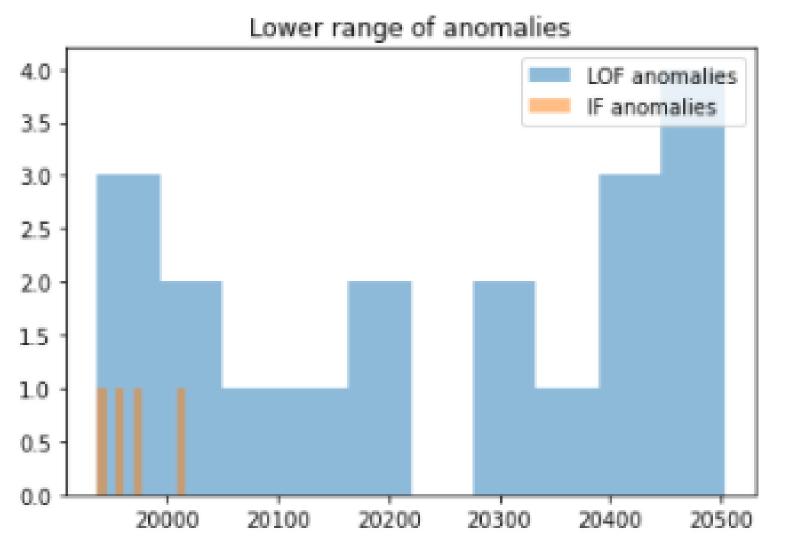


### Compare anomalies

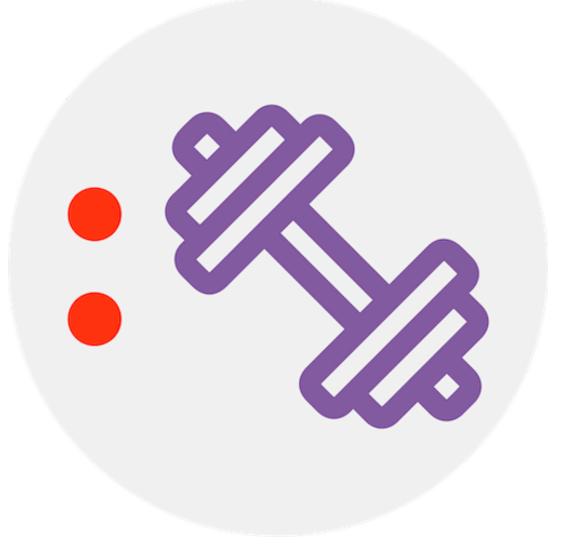
```
plt.hist(lof_upper_anomalies,alpha =
0.5,label='LOF anomalies')
plt.hist(if_upper_anomalies,alpha = 0.5,label='IF
anomalies')
plt.title('Upper range of anomalies')
plt.legend(loc='upper right')
plt.show()
```







### Exercise 5



# Module completion checklist

Objective	Complete
Implement LOF to detect anomalies	
Describe the isolation forest algorithm	
Implement isolation forest	
Implement isolation forest to detect anomalies	

### What's next?

- In this module we've learned about two anomaly detection techniques LOF and isolation forest
- We implemented these techniques to detect fraud and anomalies in energy consumption
- In the next module we will learn:
  - concepts of time series modeling and its implementation
  - how ARIMA model can be used for anomaly detection

# Congratulations on completing this module!

