

# LT\_supermassive\_BH\_zusammenfassung

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The identification and measurement of Lense–Thirring (LT) precession in AT2020ocn proceeds in two main stages:

## 1. Timing analysis to detect the quasi-periodic modulation

- **High-cadence X-ray monitoring** with NICER (0.3–1.0 keV) provided a densely sampled light curve over the first 130 days after disruption.
- A **Lomb–Scargle periodogram** (LSP) of the background-subtracted count rate was computed, revealing a broad peak at a period of  $17^{+1.2}_{-2.4}$  days (identified visually as a 15-day quasi-periodicity) with harmonics at integer multiples.
- To quantify the **statistical significance** of this feature, extensive **Monte Carlo simulations** were performed:
  1. Synthetic light curves were generated under various noise models (white noise, simple red-noise power laws, and bending power laws) matching the observed sampling.
  2. For each simulated dataset, the LSP was computed and searched for broad features of coherence  $Q \in [2, 10]$ , quantifying their total power.
  3. The distribution of the strongest simulated features was compared to the observed peak power.
- The resulting **global false alarm probability** (FAP) of finding a peak as strong as the one at 15 days by chance was found to be  $< 10^{-4}$ , i.e.  $> 3.9\sigma$  for all noise continua considered.

## 2. Interpretation as LT precession and spin inference

- In the standard rigid-body LT precession model for a thick, misaligned disk [1, 2], the precession period  $t_p$  depends inversely on the dimensionless spin  $a$ , and scales roughly as

$$t_p \simeq \frac{\pi}{a} \left( \frac{R_{\text{out}}}{R_g} \right)^3 \frac{GM}{c^3} \times \xi(R_{\text{in}}/R_{\text{out}}),$$

where  $R_{\text{out}}$  is taken as the circularization radius,  $R_g = GM/c^2$ , and  $\xi$  is a weak geometric factor.

- Inverting this relation with the observed period ( $15.9^{+1.1}_{-2.2}$  days) and adopting typical TDE parameters (solar-type star, impact parameter  $\beta \simeq 2$ , SMBH mass  $\log M/M_\odot = 6.4 \pm 0.6$ ) yields a spin constraint

$$0.05 \lesssim |a| \lesssim 0.5.$$

- **Caveats & alternative models:**

- Radiation-pressure instability can in principle produce 10–15 day cycles but requires fine-tuning of disk truncation and magnetic field strength to match the observed low amplitude.
- Repeating partial TDEs or stream–stream collisions were found to be highly unlikely or to predict different timescales and amplitudes.
- Disk-tearing into discrete rings can also precess at local LT rates, but again demands specific viscosity and thickness parameters to reproduce the 15 day period.

**Overall certainty**

- The detection of a robust,  $> 3.9\sigma$  quasi-periodic signal in the X-rays is extremely unlikely to be a statistical fluke.
- The LT precession interpretation naturally explains both the X-ray flux *and* temperature modulations on the same timescale, and the absence of corresponding optical–UV quasi-periodicity.
- However, because other physical mechanisms (e.g. radiation-pressure instability, disk tearing) cannot be *completely* ruled out without further detailed modeling, the assignment to LT precession remains the most straightforward but not yet unambiguous explanation.