QUANTIS Notebook 2 Circuit in IBM Quantum Computer

February 16, 2023

0.1 Quantum Circuits on both Simulators and IBM Quantum Computer

In this notebook, we are going to learn how to use Qiskit to define a simple circuit and to execute it on both simulators and the quantum computers of the IBM Quantum Experience..

We start by importing the necessary packages.

```
[1]: %matplotlib inline

from qiskit import *
from qiskit.visualization import *
from qiskit.tools.monitor import *
from qiskit.quantum_info import Statevector
```

0.2 Defining the circuit

We are going to define a very simple circuit: we will use the H gate to put a qubit in superposition and then we will measure it

```
[2]: # Let's create a circuit to put a state in superposition and measure it

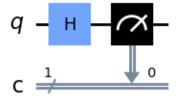
circ = QuantumCircuit(1,1) # We use one qubit and also one classical bit forusthe measure result

circ.h(0) #We apply the H gate

circ.measure(range(1),range(1)) # We measure

circ.draw(output='mpl') #We draw the circuit
```

[2]:

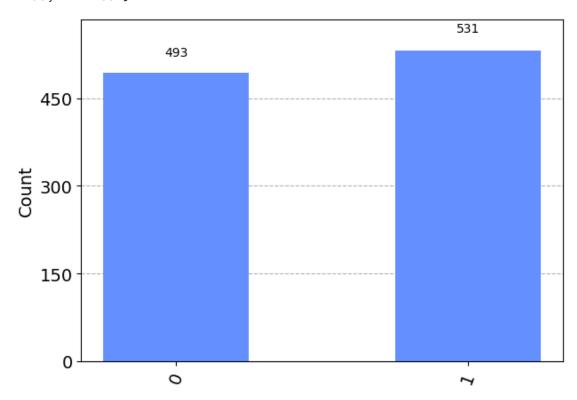


0.3 Running the circuit on simulators

Once that we have defined the circuit, we can execute it on a simulator.

{'0': 493, '1': 531}

[3]:



We can also run the circuit run the circuit with a simulator that computes the final state. For that,

we need to create a circuit with no measures

```
[4]: # Execution to the get the statevector

circ2 = QuantumCircuit(1,1)

circ2.h(0)

backend = Aer.get_backend('statevector_simulator') # We change the backend

job = execute(circ2, backend) # We execute the circuit with the new simulator.u

Now, we do not need repetitions

result = job.result() # We collect the results and access the stavector outputstate = result.get_statevector(circ2)

print(outputstate)
```

```
Statevector([0.70710678+0.j, 0.70710678+0.j], dims=(2,))
```

Finally, we can also obtain the unitary matrix that represents the action of the circuit

```
[5]: backend = Aer.get_backend('unitary_simulator') # We change the backend again

job = execute(circ2, backend) # We execute the circuit

result = job.result() # We collect the results and obtain the matrix

unitary = result.get_unitary()

print(unitary)
```

0.4 Running the circuit on Quantum Computer

Now, we are going to use the quantum computers at the IBM Quantum Experience to use our circuit

One you have created an IBMid account here: https://quantum-computing.ibm.com/

...in the below code, you will need to replace MY API TOKEN with the API number you have save into your clipboard. Alternatively, you can load the account (if you have saved the Token in a file).

For more details, you can read here: https://github.com/Qiskit/qiskit-ibmq-provider

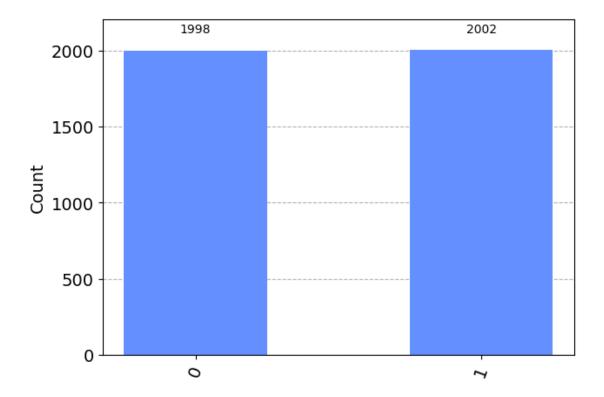
```
[6]: # Connecting to the real quantum computers
provider = IBMQ.enable_account('TOKEN')
provider.backends() # We retrieve the backends to check their status
```

```
for b in provider.backends():
    print(b.status().to_dict())
```

```
{'backend_name': 'ibmq qasm_simulator', 'backend_version': '0.1.547',
'operational': True, 'pending_jobs': 2, 'status_msg': 'active'}
{'backend name': 'ibmq_lima', 'backend_version': '1.0.45', 'operational': True,
'pending_jobs': 12, 'status_msg': 'active'}
{'backend_name': 'ibmq_belem', 'backend_version': '1.2.5', 'operational': True,
'pending_jobs': 51, 'status_msg': 'active'}
{'backend_name': 'ibmq_quito', 'backend_version': '1.1.38', 'operational': True,
'pending_jobs': 56, 'status_msg': 'active'}
{'backend_name': 'simulator_statevector', 'backend_version': '0.1.547',
'operational': True, 'pending jobs': 2, 'status msg': 'active'}
{'backend_name': 'simulator_mps', 'backend_version': '0.1.547', 'operational':
True, 'pending_jobs': 2, 'status_msg': 'active'}
{'backend_name': 'simulator_extended_stabilizer', 'backend_version': '0.1.547',
'operational': True, 'pending_jobs': 2, 'status_msg': 'active'}
{'backend_name': 'simulator_stabilizer', 'backend_version': '0.1.547',
'operational': True, 'pending_jobs': 2, 'status_msg': 'active'}
{'backend_name': 'ibmq_manila', 'backend_version': '1.1.3', 'operational': True,
'pending_jobs': 14, 'status_msg': 'active'}
{'backend_name': 'ibm_nairobi', 'backend_version': '1.2.4', 'operational': True,
'pending_jobs': 308, 'status_msg': 'active'}
{'backend_name': 'ibm_oslo', 'backend_version': '1.0.18', 'operational': True,
'pending_jobs': 52, 'status_msg': 'active'}
```

We can execute the circuit on IBM's quantum simulator (supports up to 32 qubits). We only need to select the appropriate backend.

{'0': 1998, '1': 2002}
[7]:



To execute on one of the real quantum computers, we only need to select it as backend. We will use $job_monitor$ to have live information on the job status

```
[8]: # Executing on the quantum computer

backend = provider.get_backend('ibm_nairobi')

job_exp = execute(circ, backend=backend)

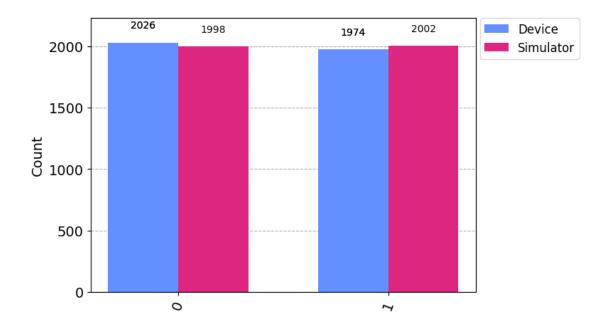
# job_exp = backend.retrieve_job('63cfb0f80809f405e0e221dc')
job_monitor(job_exp)
```

Job Status: job has successfully run

When the job is done, we can collect the results and compare them to the ones obtaine with the simulator

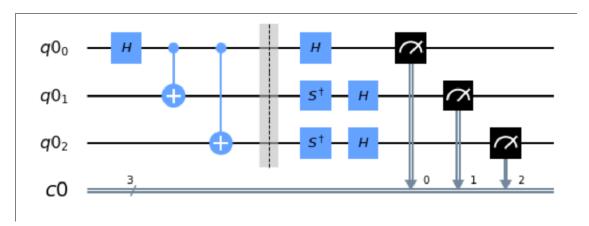
```
[9]: result_exp = job_exp.result()
    counts_exp = result_exp.get_counts(circ)
    plot_histogram([counts_exp,counts], legend=['Device', 'Simulator'])
```

[9]:



0.5 EXERCISE TO DO

Based on the above notebook, execute both in a simulator and an IBM Quantum Computer the following circuit:



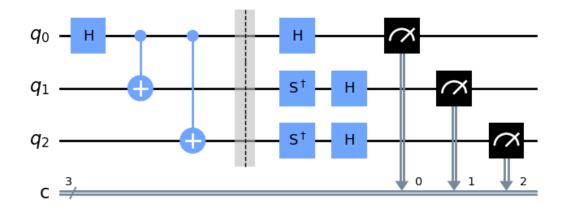
Comment on the final result (state) and provide your interpretation what this quantum circuit is doing.

```
qc.h(0)
qc.sdg(1)
qc.sdg(2)

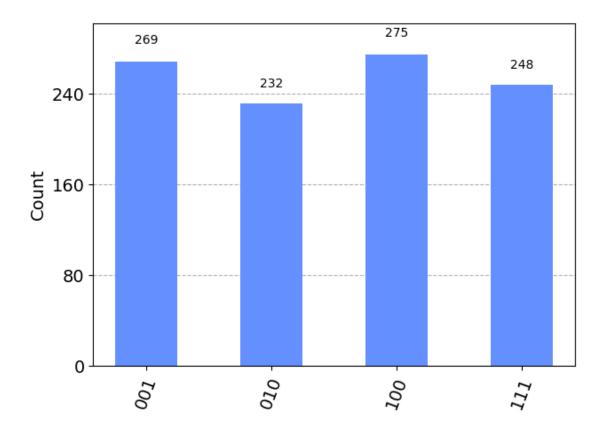
qc.h(1)
qc.h(2)

qc.measure(range(3),range(3))
qc.draw(output='mpl')
```

[10]:



{'001': 269, '010': 232, '100': 275, '111': 248}



```
[12]: # Executing on the quantum computer

backend = provider.get_backend('ibm_nairobi')

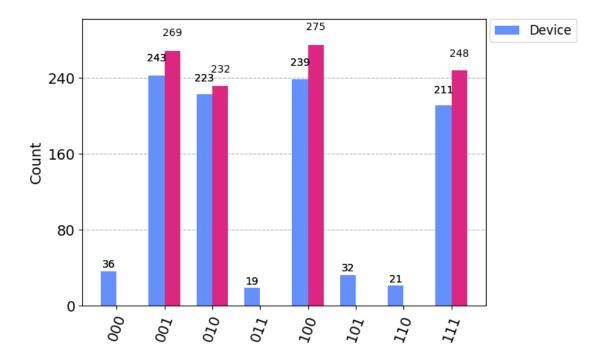
# job_exp = execute(qc, backend=backend)

job_exp = backend.retrieve_job('63cfb7b15876cf572f65debc')
job_monitor(job_exp)
```

Job Status: job has successfully run

```
[13]: result_exp = job_exp.result()
counts_exp = result_exp.get_counts()
plot_histogram([counts_exp, counts], legend=['Device', 'Simulator'])
```

[13]:



We can see from the simulator results that the possible outcomes are

$$|001\rangle, |010\rangle, |100\rangle, |111\rangle$$

in fact, just before the measurements, the state is

$$\frac{1}{2} \left[0, 1, 1, 0, 1, 0, 0, 1 \right]^T$$

This is an entangled state, and we can notice for example that only the outcomes with an even number of qubits at $|0\rangle$ are possible.

In the real run there are also a few outcomes for the other four states, due to noise in the real quantum gates.

The circuit prepares 3 qubits in a maximally entangled state

$$\frac{|000\rangle + |111\rangle}{\sqrt{2}}$$

and then it measures q_0 in the X basis $(|+\rangle, |-\rangle)$ and q_1 and q_2 in the Y basis $\left(\frac{1}{\sqrt{2}}\begin{bmatrix}1\\i\end{bmatrix}, \frac{1}{\sqrt{2}}\begin{bmatrix}1\\-i\end{bmatrix}\right)$.

$$X$$
 basis: $|X_0\rangle = H|0\rangle = |+\rangle \wedge |X_1\rangle = H|1\rangle = |-\rangle$

$$X$$
 basis: $|X_0\rangle = H|0\rangle = |+\rangle \wedge |X_1\rangle = H|1\rangle = |-\rangle$ Y basis: $|Y_0\rangle = SH|0\rangle = \frac{1}{\sqrt{2}}\begin{bmatrix}1\\i\end{bmatrix} \wedge |Y_1\rangle = SH|1\rangle = \frac{1}{\sqrt{2}}\begin{bmatrix}1\\-i\end{bmatrix}$