Predicting The Current Year's GHG with the Previous Years' GHG Scope In this notebook we are going to try and predict the GHG Scope of 2019 with values from the previous years. We are going to be using both the actual values and the percentage change year-over-year. import pandas as pd import numpy as np import seaborn as sns import matplotlib.pyplot as plt import missingno as msno from sklearn.linear model import LinearRegression, Ridge, RidgeCV, Lasso, LassoCV from sklearn.tree import DecisionTreeClassifier from sklearn.model\_selection import train\_test\_split, cross\_val\_score, KFold, cross\_val\_predict from sklearn import metrics from sklearn.metrics import r2 score from sklearn.preprocessing import scale, PolynomialFeatures from sklearn.feature selection import RFE from datetime import datetime, date import statsmodels.api as sm from statsmodels.tsa.stattools import adfuller stocks = pd.read csv("/Users/YEET/Documents/GitHub/Predicting-Environmental-and-Social-Actions/Datasets/company sectors = pd.read csv("/Users/YEET/Documents/GitHub/Predicting-Environmental-and-Social-Actions/Datasets/52 tic stocks['Missing GHG'] = np.where(stocks['GHG Scope 1'].isna(), 1, 0) stocks['GHG Scope 1'].fillna(0, inplace = True) stocks.loc[stocks['GHG Scope 1'].isna(),['GHG Scope 1','Missing GHG']].head() stocks = stocks.merge(sectors, on='Ticker') stocks['GHG Scope 1'] = stocks['GHG Scope 1'].astype(float) stocks['Percent Change GHG'] = (stocks.groupby('Ticker')['GHG Scope 1'].apply(pd.Series.pct\_change) + 1) C:\Users\YEET\Anaconda3\lib\site-packages\statsmodels\tools\ testing.py:19: FutureWarning: pandas.util.testing is deprecated. Use the functions in the public API at pandas.testing instead. import pandas.util.testing as tm Using Average of 2016, 2017, and 2018 GHG Scope to Predict 2019 companies 2018 = list(stocks['Year'] == 2018) & (stocks['GHG Scope 1'] != 0)]['Ticker']) companies 2019 = list(stocks['Year'] == 2019) & (stocks['Ticker'].isin(companies 2018))]['Ticker']) #Getting companies that have reported for 2016,2017, and 2018 in a years list2018 as set = set(companies 2018) intersection = list2018 as set.intersection(companies 2019) companies 2017 = list(stocks['Year'] == 2017) & (stocks['GHG Scope 1'] != 0) ]['Ticker']) list2017 as set = set(companies 2017) intersection2= list2017 as set.intersection(intersection) companies 2016 = list(stocks['Year'] == 2016) & (stocks['GHG Scope 1'] != 0) ]['Ticker']) list2016 as set = set(companies 2016) intersection2= list2016 as set.intersection(intersection2) x = stocks[(stocks['Year'].isin([2016, 2017,2018])) & (stocks['Ticker'].isin(intersection2)))][['Year', 'Ticker'] x = x.pivot(index = 'Ticker', columns = ['Year']).reset index() x.columns = x.columns.droplevel(0)x = x.rename axis(None, axis=1) x = x.drop(columns = '')y = stocks[(stocks['Year'] == 2019) & (stocks['Ticker'].isin(intersection2))][['GHG Scope 1']] x.index = y.index# x\_train, x\_test, y\_train, y\_test = train\_test\_split( X, y, test size=0.2, random state=42) x = sm.add constant(x)sm.OLS(y, x).fit().summary() **OLS Regression Results** Dep. Variable: 0.978 GHG Scope 1 R-squared: Model: OLS Adj. R-squared: 0.976 **Least Squares** Method: F-statistic: 512.1 Thu, 15 Jul 2021 **Prob (F-statistic):** 5.81e-29 17:51:50 Log-Likelihood: -375.49 No. Observations: AIC: 759.0 **Df Residuals:** BIC: 765.6 35 **Df Model:** 3 **Covariance Type:** nonrobust t P>|t| [0.025 0.975] coef std err const 785.5107 859.091 0.914 0.367 -958.537 2529.558 2016 -0.2083 -1.240 0.223 -0.549 0.168 0.133 2017 -0.2277 -0.645 0.523 -0.945 0.489 0.353 2018 1.3555 0.256 5.291 0.000 0.835 1.876 **Omnibus:** 18.000 **Durbin-Watson:** 1.871 Prob(Omnibus): 0.000 Jarque-Bera (JB): 25.376 Prob(JB): 3.09e-06 Skew: 1.321 5.938 **Cond. No.** 9.25e+04 **Kurtosis:** Warnings: [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. [2] The condition number is large, 9.25e+04. This might indicate that there are strong multicollinearity or other numerical problems. Looking at the regression results, we can see that our model is statistically significant. This means that the average of 2016, 2017, 2018 values are statistically significant at predicting 2019 values for GHG scope. Now let's look at the stationarity for our previous year column by running a Dickey-Fuller test and printing the p values. for column in x.columns[1:]: print(f'{column} p-value: {adfuller(x[column])[1]}') 2016 p-value: 0.0006090779270817075 2017 p-value: 0.0014291590809764792 2018 p-value: 0.0024224655368029874 Since all the p-values are below 0.05 we conclude that all coefficients are stationary and our model is valid Split by Industry In [4]: util df = stocks[stocks['Sector'] == 'Utilities'] nrg df = stocks[stocks['Sector'] == 'Energy'] companies 2018 = list(util df['Year'] == 2018) & (util df['GHG Scope 1'] != 0)]['Ticker']) companies 2019 = list(util df[(util df['Year'] == 2019) & (util df['Ticker'].isin(companies 2018)))]['Ticker']) #Getting companies that have reported for 2016,2017, and 2018 in a years list2018 as set = set(companies 2018) intersection = list2018 as set.intersection(companies 2019) companies 2017 = list(util df['Year'] == 2017) & (util df['GHG Scope 1'] != 0) ]['Ticker']) list2017 as set = set(companies 2017) intersection = list2017 as set.intersection(intersection) companies 2016 = list(util df['Year'] == 2016) & (util df['GHG Scope 1'] != 0) ]['Ticker']) list2016 as set = set(companies 2016) intersection = list2016 as set.intersection(intersection) x = util df[(util df['Year'].isin([2016, 2017,2018])) & (util df['Ticker'].isin(intersection))][['Year', 'Ticke x = x.pivot(index = 'Ticker', columns = ['Year']).reset index() x.columns = x.columns.droplevel(0) x = x.rename axis(None, axis=1) x = x.drop(columns = '')y = util df[(util df['Year'] == 2019) & (util df['Ticker'].isin(intersection))][['GHG Scope 1']] x.index = y.index# x train, x test, y train, y test = train test split( X, y, test size=0.2, random state=42) x = sm.add constant(x)sm.OLS(y, x).fit().summary() **OLS Regression Results** R-squared: Dep. Variable: GHG Scope 1 0.977 OLS Adj. R-squared: 0.974 Model: Method: **Least Squares** F-statistic: 282.7 Prob (F-statistic): Date: Thu, 15 Jul 2021 1.54e-16 Time: 17:51:28 Log-Likelihood: -227.81 No. Observations: AIC: 24 463.6 **Df Residuals:** 20 BIC: 468.3 **Df Model: Covariance Type:** nonrobust [0.025 0.975] std err t P>|t| coef **const** -46.2787 1132.759 -0.041 0.968 -2409.172 2316.615 2016 -0.1263 0.164 -0.768 0.451 -0.4690.217 2017 -0.4000 0.343 -1.167 0.257 0.315 -1.1152018 1.4359 0.266 5.406 0.000 0.882 1.990 **Omnibus:** 21.371 **Durbin-Watson:** 2.182 Prob(Omnibus): 0.000 Jarque-Bera (JB): 35.074 1.674 Prob(JB): 2.42e-08 Skew: **Kurtosis:** 7.885 **Cond. No.** 1.07e+05 Warnings: [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. [2] The condition number is large, 1.07e+05. This might indicate that there are strong multicollinearity or other numerical problems. for column in x.columns[1:]: print(f'{column} p-value: {adfuller(x[column])[1]}') 2016 p-value: 0.20821263313929034 2017 p-value: 0.17183450369556258 2018 p-value: 0.012991677893899373 companies\_2018 = list(nrg\_df['Year'] == 2018) & (nrg\_df['GHG Scope 1'] != 0)]['Ticker']) companies\_2019 = list(nrg\_df['Year'] == 2019) & (nrg\_df['Ticker'].isin(companies\_2018))]['Ticker']) #Getting companies that have reported for 2016,2017, and 2018 in a years list2018\_as\_set = set(companies\_2018) intersection = list2018\_as\_set.intersection(companies\_2019) companies\_2017 = list(nrg\_df['Year'] == 2017) & (nrg\_df['GHG Scope 1'] != 0) ]['Ticker']) list2017\_as\_set = set(companies\_2017) intersection = list2017\_as\_set.intersection(intersection) companies\_2016 = list(nrg\_df['Year'] == 2016) & (nrg\_df['GHG Scope 1'] != 0) ]['Ticker']) list2016\_as\_set = set(companies\_2016) intersection = list2016\_as\_set.intersection(intersection)  $x = nrg_df[(nrg_df['Year'].isin([2016, 2017,2018])) & (nrg_df['Ticker'].isin(intersection))][['Year', 'Ticker', 'Ticker'] & (nrg_df['Ticker'].isin(intersection))][['Year', 'Ticker', 'Ticker'] & (nrg_df['Ticker'].isin(intersection))][['Year', 'Ticker', 'Ticker'] & (nrg_df['Ticker'].isin(intersection))][['Year', 'Ticker'] & (nrg_df['Ticker'])][['Year', 'Ticker'] & (nrg_df['Ticker']) & (nrg_df['Ticker']) & (nrg_df['Ticker']) & (nrg_df['Ticker']) & (nrg_df['Ticker']) & (nrg_df['Ticke$ x = x.pivot(index = 'Ticker', columns = ['Year']).reset\_index() x.columns = x.columns.droplevel(0) x = x.rename\_axis(None, axis=1) x = x.drop(columns = '')y = nrg\_df[(nrg\_df['Year'] == 2019) & (nrg\_df['Ticker'].isin(intersection))][['GHG Scope 1']] x.index = y.index# x\_train, x\_test, y\_train, y\_test = train\_test\_split( # X, y, test\_size=0.2, random\_state=42) x = sm.add constant(x)sm.OLS(y, x).fit().summary() C:\Users\YEET\Anaconda3\lib\site-packages\scipy\stats\stats.py:1450: UserWarning: kurtosistest only valid for n >=20 ... continuing anyway, n=15 "anyway, n=%i" % int(n)) **OLS Regression Results** 0.989 Dep. Variable: GHG Scope 1 R-squared: Model: OLS Adj. R-squared: 0.986 Least Squares Method: F-statistic: 332.1 **Date:** Thu, 15 Jul 2021 **Prob (F-statistic):** 4.56e-11 Time: Log-Likelihood: 17:51:28 -141.66 No. Observations: 291.3 15 AIC: **Df Residuals:** 11 BIC: 294.2 **Df Model:** 3 **Covariance Type:** nonrobust [0.025 0.975] std err t P>|t| coef 1.591 0.140 **const** 1812.4706 1139.090 -694.649 4319.590 0.597 -0.659 0.524 2016 -0.3935 -1.708 0.921 2017 1.6096 0.978 1.645 0.128 -0.544 3.763 0.681 -0.353 0.730 -1.740 2018 -0.2407 1.258 **Durbin-Watson: Omnibus:** 13.985 1.694 Prob(Omnibus): 0.001 Jarque-Bera (JB): 10.490 1.586 Prob(JB): 0.00527 Skew: Cond. No. 8.06e+04 5.594 **Kurtosis:** Warnings: [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. [2] The condition number is large, 8.06e+04. This might indicate that there are strong multicollinearity or other numerical problems. for column in x.columns[1:]: print(f'{column} p-value: {adfuller(x[column])[1]}') 2016 p-value: 0.2506059326497947 2017 p-value: 0.22964762814593354 2018 p-value: 0.1878243121455755 Looking at the two regression results above that are split by industry, we see that the average of 2016, 2017, 2018 values are statistically significant at predicting 2019 values for GHG scope. Percent Change companies 2018 = list(stocks['Year'] == 2018) & (np.isfinite(stocks.Percent\_Change\_GHG))]['Ticker']) companies\_2019 = list(stocks['Year'] == 2019) & (stocks['Ticker'].isin(companies\_2018))]['Ticker']) #Getting companies that have reported for 2016,2017, and 2018 in a years list2018 as set = set(companies 2018) intersection = list2018 as set.intersection(companies 2019) companies\_2017 = list(stocks[(stocks['Year'] == 2017) & (np.isfinite(stocks.Percent\_Change\_GHG)) ]['Ticker']) list2017\_as\_set = set(companies\_2017) intersection = list2017 as set.intersection(intersection) companies\_2016 = list(stocks[(stocks['Year'] == 2016) & (np.isfinite(stocks.Percent\_Change\_GHG)) ]['Ticker']) list2016 as set = set(companies 2016) intersection = list2016\_as\_set.intersection(intersection) x = stocks[(stocks['Year'].isin([2016, 2017, 2018]))] & (stocks['Ticker'].isin(intersection))][['Year', 'Ticker']x = x.pivot(index = 'Ticker', columns = ['Year']).reset\_index() x.columns = x.columns.droplevel(0)x = x.rename\_axis(None, axis=1) x = x.drop(columns = '')y = stocks[(stocks['Year'] == 2019) & (stocks['Ticker'].isin(intersection))][['Percent\_Change\_GHG']] x.index = y.index# x train, x test, y train, y test = train test split( X, y, test\_size=0.2, random\_state=42)  $x = sm.add\_constant(x)$ sm.OLS(y, x).fit().summary() **OLS Regression Results Dep. Variable:** Percent\_Change\_GHG R-squared: 0.062 Model: OLS Adj. R-squared: -0.029 F-statistic: Method: **Least Squares** 0.6776 Date: Thu, 15 Jul 2021 **Prob** (F-statistic): 0.572 17:54:04 Time: **Log-Likelihood:** -11.026 No. Observations: AIC: 30.05 **Df Residuals:** 31 BIC: 36.27 **Df Model: Covariance Type:** nonrobust coef std err t P>|t| [0.025 0.975] 0.5008 0.608 0.824 0.416 -0.739 1.740 2016 0.4113 0.374 1.099 0.280 -0.352 1.174 2017 0.2150 0.567 0.379 0.707 -0.942 1.372 **2018** -0.1063 0.204 -0.520 0.607 -0.523 0.310 Durbin-Watson: **Omnibus:** 12.077 Prob(Omnibus): 0.002 Jarque-Bera (JB): Skew: 0.553 **Prob(JB):** 2.64e-06 **Kurtosis:** 7.049 Cond. No. 25.7 Warnings: [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. When we try to predict the percentage change of this year with the values of last three year we see that the 2016, 2017, and 2018 values are not statistically significant at predicting 2019 values. Now let's look at the stationarity for our previous year column by running a Dickey-Fuller test and printing the p values. for column in x.columns[1:]: print(f'{column} p-value: {adfuller(x[column])[1]}') 2016 p-value: 4.408304121791802e-07 2017 p-value: 5.2464738997598225e-08 2018 p-value: 1.3253171599285162e-06 Since all the p-values are above 0.05 we conclude that all coefficients are stationary and however this doesn't change the fact that this model performs poorly. Percentage Change for Each Industry In [34]: companies 2018 = list(util df[(util df['Year'] == 2018) & (np.isfinite(util df.Percent Change GHG))]['Ticker']) companies 2019 = list(util df[(util df['Year'] == 2019) & (util df['Ticker'].isin(companies 2018))]['Ticker']) #Getting companies that have reported for 2016, 2017, and 2018 in a years list2018 as set = set(companies 2018) intersection = list2018 as set.intersection(companies 2019) companies\_2017 = list(util\_df[(util\_df['Year'] == 2017) & (np.isfinite(util\_df.Percent\_Change\_GHG)) ]['Ticker'] list2017 as set = set(companies 2017) intersection = list2017 as set.intersection(intersection) companies\_2016 = list(util\_df[(util\_df['Year'] == 2016) & (np.isfinite(util\_df.Percent\_Change\_GHG)) ]['Ticker'] list2016 as set = set(companies 2016) intersection = list2016 as set.intersection(intersection) x = util df[(util df['Year'].isin([2016, 2017,2018])) & (util df['Ticker'].isin(intersection))][['Year', 'Ticke'] x = x.pivot(index = 'Ticker', columns = ['Year']).reset\_index() x.columns = x.columns.droplevel(0) x = x.rename axis(None, axis=1)x = x.drop(columns = '')y = util\_df[(util\_df['Year'] == 2019) & (util\_df['Ticker'].isin(intersection))][['Percent\_Change\_GHG']] x.index = y.index# x\_train, x\_test, y\_train, y\_test = train\_test\_split( X, y, test size=0.2, random state=42) x = sm.add constant(x)sm.OLS(y, x).fit().summary() **OLS Regression Results** Out[34]: **Dep. Variable:** Percent\_Change\_GHG R-squared: 0.050 OLS Model: Adj. R-squared: -0.108 **F-statistic:** 0.3156 Method: **Least Squares** Thu, 15 Jul 2021 **Prob (F-statistic):** Date: 0.814 17:54:59 Log-Likelihood: 2.0383 Time: No. Observations: 22 **AIC:** 3.923 **BIC:** 8.287 18 **Df Residuals: Df Model: Covariance Type:** nonrobust t P>|t| [0.025 0.975] coef std err const 1.2884 0.548 2.353 0.030 0.138 2.439 -0.661 0.159 0.875 **2016** 0.0543 0.341 0.770 -0.809 0.429 **2017** -0.4576 0.566 -1.646 0.731 **2018** -0.0211 0.310 -0.068 0.947 -0.673 0.631 **Omnibus:** 28.004 **Durbin-Watson:** 1.843 **Prob(Omnibus):** 0.000 Jarque-Bera (JB): 57.161 **Prob(JB):** 3.87e-13 **Skew:** -2.188 **Kurtosis:** 9.574 Cond. No. 28.0 Warnings: [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. for column in x.columns[1:]: print(f'{column} p-value: {adfuller(x[column])[1]}') 2016 p-value: 1.0 2017 p-value: 0.0016709477869441232 2018 p-value: 0.0 companies\_2018 = list(nrg\_df[(nrg\_df['Year'] == 2018) & (np.isfinite(nrg\_df.Percent\_Change\_GHG))]['Ticker']) companies\_2019 = list(nrg\_df[(nrg\_df['Year'] == 2019) & (nrg\_df['Ticker'].isin(companies\_2018))]['Ticker']) #Getting companies that have reported for 2016, 2017, and 2018 in a years list2018\_as\_set = set(companies\_2018) intersection = list2018\_as\_set.intersection(companies\_2019) companies\_2017 = list(nrg\_df[(nrg\_df['Year'] == 2017) & (np.isfinite(nrg\_df.Percent\_Change\_GHG)) ]['Ticker']) list2017\_as\_set = set(companies\_2017) intersection = list2017\_as\_set.intersection(intersection) companies\_2016 = list(nrg\_df[(nrg\_df['Year'] == 2016) & (np.isfinite(nrg\_df.Percent\_Change\_GHG)) ]['Ticker']) list2016\_as\_set = set(companies\_2016) intersection = list2016\_as\_set.intersection(intersection)  $x = nrg_df[(nrg_df['Year'].isin([2016, 2017,2018])) & (nrg_df['Ticker'].isin(intersection))][['Year', 'Ticker']$ x = x.pivot(index = 'Ticker', columns = ['Year']).reset\_index() x.columns = x.columns.droplevel(0)x = x.rename\_axis(None, axis=1) x = x.drop(columns = '')y = nrg\_df[(nrg\_df['Year'] == 2019) & (nrg\_df['Ticker'].isin(intersection))][['Percent\_Change\_GHG']] x.index = y.index# x\_train, x\_test, y\_train, y\_test = train\_test\_split( X, y, test\_size=0.2, random\_state=42)  $x = sm.add\_constant(x)$ sm.OLS(y, x).fit().summary() C:\Users\YEET\Anaconda3\lib\site-packages\scipy\stats\stats.py:1450: UserWarning: kurtosistest only valid for n >=20 ... continuing anyway, n=13 "anyway, n=%i" % int(n)) **OLS Regression Results Dep. Variable:** Percent\_Change\_GHG R-squared: 0.165 Model: OLS **Adj. R-squared:** Method: **Least Squares** F-statistic: 0.5926 Thu, 15 Jul 2021 **Prob** (F-statistic): Date: 0.635 Time: 17:51:28 **Log-Likelihood:** -5.9413 No. Observations: AIC: 13 19.88 **Df Residuals:** 9 BIC: 22.14 **Df Model:** 3 **Covariance Type:** nonrobust coef std err t P>|t| [0.025 0.975] const 0.2958 1.488 0.199 0.847 -3.070 3.661 2016 0.5061 0.993 0.509 0.623 -1.741 2.753 2017 0.6147 1.098 0.560 0.589 -1.870 3.099 **2018** -0.2034 -0.504 0.627 -1.117 0.404 0.710 **Durbin-Watson:** 2.036 **Omnibus:** 2.417 **Prob(Omnibus):** 0.299 Jarque-Bera (JB): 0.968 **Skew:** 0.663 **Prob(JB):** 0.616 Kurtosis: 3.167 Cond. No. 28.4 Warnings: [1] Standard Errors assume that the covariance matrix of the errors is correctly specified. The results don't change when we split by industry and run a regression for each industry. The 2016, 2017, and 2018 percentage change values are not statistically significant at predicting 2019 values for both industries. In [14]: for column in x.columns[1:]: print(f'{column} p-value: {adfuller(x[column])[1]}') 2016 p-value: 0.11939475084720846 2017 p-value: 0.0918115544800363 2018 p-value: 0.36273443778876535 Conclusion We have seen that when we use actual values GHG Scope of 2016, 2017, 2018 is statistically significant at predicting 2019 values. However, when we try to predict the precentage change of GHG Scope in 2018-2019, using 2015-2018 values is not statistically significant.

We will continue our analysis on 'Environmental Intensity Time Series - Level Regression' notebook.