

課題 2 レポート

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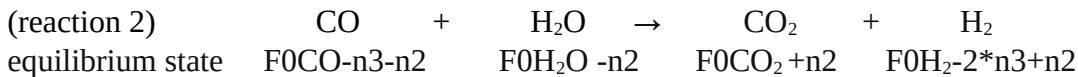
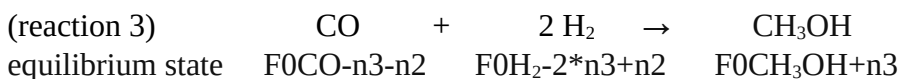
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The programming language used is Python 3, also I used Jupyter notebook to run the program. In addition, python 3 has several libraries. Which I use the following as:

- import numpy as np (This library helped me to easily create vectors of the form np.linspace () or array operations.)
- import matplotlib.pyplot as plt (I used it for various purposes, especially when plotting functions, creating lines, graphics, legends, etc.)
- import math (This library helps me to be able to express mathematical functions as logarithms and exponentials e^x)

2-1) メタノール合成反応器に合成ガスを導入して反応させる。以下の反応 3 と反応 2 が起こり、反応器出口で平衡が達成されるとして出口の各成分の分率を求めよ。ただし、反応器条件は出口で温度 250°C、7.5 MPa とする。

Before starting to write the program to find the molar fractions of the components, it is necessary to first determine the limits or boundaries of the flow of number of moles that changes for reaction three (n3) and for reaction two (n2).



F_0X is used to symbolize the flow of component X ($= \text{CO}, \text{H}_2, \text{CH}_3\text{OH}, \text{H}_2\text{O}, \text{CO}_2$) for an initial state.

Reactions three and two share the variables n_3 and n_2 within the equilibrium equations, therefore we must propose a system of inequalities, in which we will find a feasible region for n_3 and n_2 .

$$\begin{aligned} 0 \leq F_0\text{CO}-n_3-n_2 & \rightarrow n_3 \leq F_0\text{CO}-n_2 \\ 0 \leq F_0\text{H}_2-2*n_3+n_2 & \rightarrow n_3 \leq (F_0\text{H}_2+n_2)/2 \\ 0 \leq F_0\text{CH}_3\text{OH}+n_3 & \rightarrow n_3 \geq -F_0\text{CH}_3\text{OH} \\ 0 \leq F_0\text{H}_2\text{O} -n_2 & \rightarrow n_2 \leq F_0\text{H}_2\text{O} \\ 0 \leq F_0\text{CO}_2 +n_2 & \rightarrow n_2 \geq -F_0\text{CO}_2 \end{aligned}$$

but according to the problem the initial conditions of the mol flows are the following:

$$\begin{aligned} F_0\text{CH}_4 &= 109.6 \text{ kmol/h} \\ F_0\text{H}_2\text{O} &= 13.4 \text{ kmol/h} \\ F_0\text{CO} &= 753.4 \text{ kmol/h} \\ F_0\text{H}_2 &= 2808.3 \text{ kmol/h} \\ F_0\text{CO}_2 &= 137.0 \text{ kmol/h} \\ F_0\text{CH}_3\text{OH} &= 0 \text{ kmol/h} \end{aligned}$$

F0X is used to symbolize the flow of component X (= CO, H₂, CH₃OH, H₂O, CO₂) for an initial state.

Under these conditions and inequalities I plot the feasible limits of initial n₂ and n₃ as shown in Figure 1 (for this the following code was used). y symbolizes n₃ and x symbolizes n₂.

CODE

```
import numpy as np
import matplotlib.pyplot as plt
import math

F0CH4=109.6
F0H2O=13.4
F0CO=753.4
F0H2=2808.3
F0CO2=137.0
F0CH3OH=0

plt.figure(figsize=(8,8))
plt.grid()
# plot the feasible region
d = np.linspace(-150,900,300)
x,y = np.meshgrid(d,d)
plt.imshow( ((y<=F0CO-x)&(y<=(F0H2+x)/2) & (y>=0) & (x<=F0H2O) & (x>=-
F0CO2)).astype(int) ,
            extent=(x.min(),x.max(),y.min(),y.max()),origin="lower", cmap="Greys", alpha = 0.3);

# plot the lines defining the constraints
x = np.linspace(-2850, 800, 2000)

y1=F0CO-x
plt.plot(x, y1, label=r'$y \leq F0CO-x$')

y2=(F0H2+x)/2
plt.plot(x, y2, label=r'$y \leq (F0H2+x)/2$')

y3=0*x
plt.plot(x, y3,color='k', label=r'$y \geq 0$')

plt.axvline(x=F0H2O,colorThird, to express the molar flow of each component for each stage of the
process, we will use the notation FYX, where Y (= 1, 2, 3, 4, 5, 6, 7, 8) shows the stage where the
components are found. X (= CO, H2, CH3OH, H2O, CO2) shows a specific component
portion.= 'r',label=r'$x \leq F0H2O$')

plt.axvline(x=-F0CO2,color='g',label=r'$x \geq -F0CO2$')

# Make plot
plt.title('Boundaries of n02 and n03 ', fontsize=25)
plt.xlim(-500,800)
plt.ylim(-50,1300)
plt.legend(bbox_to_anchor=(1.05, 1), loc=2, borderaxespad=0.,fontsize=15)
plt.xlabel('n02 [kmol/h]= x axis',fontsize=20)
```

```
plt.ylabel(' n03 [kmol/h] =y axis',fontsize=20)
```

```
plt.show()
```

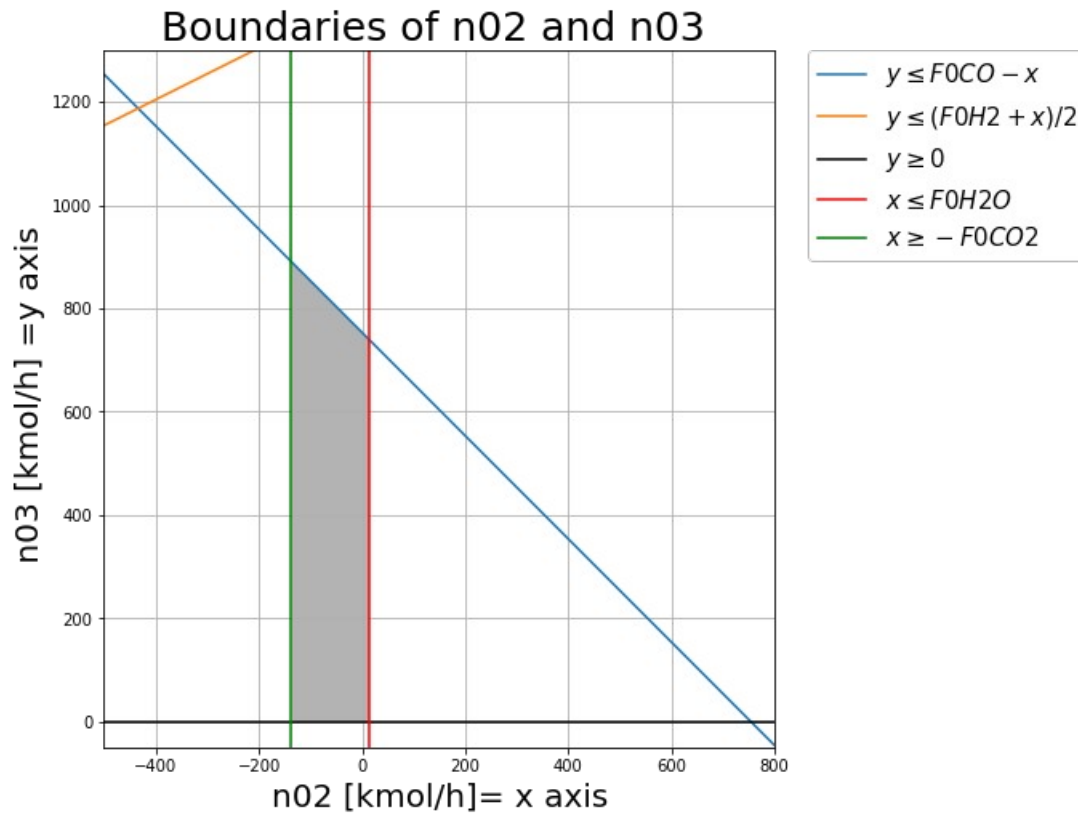


Figure 1: Boundaries of n02 and n03

As seen in Figure 1, the limits of n2 are determined by the by the green and red lines. But for the case of n3, its lower limit is greater than or equal to zero, but its upper limit is determined by the blue line of equation $y \leq F0CO - x$. Therefore the upper limit of n3 is dependent on n2.

Then Boundaries of n02 and n03:

$$-F0CO2 \leq n2 \leq F0H2O$$

$$0 \leq n3 \leq F0CO - n2$$

Knowing these important limits, I can create functions to find the mole fraction fluxes of each component using 二分法 to compare the values of the real equilibrium constant Kp2, Kp3 versus the calculated equilibrium constants Kp3Calc and Kp2Calc.

First I am going to create a function 'FunctionEquilibrium (T, P)' which depends on the reaction temperature T [°C] and reaction pressure P [Pa]. Inside of the function Te symbolizes reaction temperature in Kelvin grades and Pe symbolizes reaction pressure in atm. Then Te was used to find Kp3 and Kp2 values according to the following equation:

$$Kp3 = \exp(21.225 + 9143.6/Te - 7.492 \ln Te + 4.076 \times 10^{-3} Te - 7.161 \times 10^{-8} Te^2)$$

$$Kp2 = \exp(13.148 - 5639.5/Te - 1.077 \ln Te - 5.44 \times 10^{-4} Te + 1.125 \times 10^{-7} Te^2 + 49170/Te^2)$$

Second, Using the initial conditions of molar flow F0 I express the limits of n2.

$$n_{2\min} = -F_{0\text{CO}_2}$$

$$n_{2\max} = F_{0\text{H}_2\text{O}}$$

Third, I will use two while loops, the first to approximate the value of n_2 as $(n_{2\max} + n_{2\min}) / 2$. This first loop will be repeated as many times as necessary under the $n_{3\max} - n_{3\min} > 0$ condition. The second loop is inside the n_2 loop, it starts when the value of n_2 is set, and its maximum and minimum limits are taken into account as $n_{3\min} = 0$, $n_{3\max} = F_{0\text{CO}} - n_2$. In the same way as n_2 , a first $n_3 = (n_{3\max} + n_{3\min}) / 2$ is established, which will be used to calculate the equilibrium equations of $K_{p2\text{Calc}}$ and $K_{p3\text{Calc}}$. Their equations are expressed as:

$$F_{\text{CO}} = F_{0\text{CO}} - n_3 - n_2$$

$$F_{\text{H}_2\text{O}} = F_{0\text{H}_2\text{O}} - n_2$$

$$F_{\text{CO}_2} = F_{0\text{CO}_2} + n_2$$

$$F_{\text{H}_2} = F_{0\text{H}_2} - 2 \cdot n_3 + n_2$$

$$F_{\text{CH}_3\text{OH}} = F_{0\text{CH}_3\text{OH}} + n_3$$

$$F_{\text{CH}_4} = F_{0\text{CH}_4}$$

$$F_{\text{total}} = F_{\text{CH}_4} + F_{\text{H}_2\text{O}} + F_{\text{CO}} + F_{\text{H}_2} + F_{\text{CO}_2} + F_{\text{CH}_3\text{OH}}$$

$$y_{\text{CH}_4} = F_{\text{CH}_4} / F_{\text{total}}$$

$$y_{\text{H}_2\text{O}} = F_{\text{H}_2\text{O}} / F_{\text{total}}$$

$$y_{\text{CO}} = F_{\text{CO}} / F_{\text{total}}$$

$$y_{\text{H}_2} = F_{\text{H}_2} / F_{\text{total}}$$

$$y_{\text{CO}_2} = F_{\text{CO}_2} / F_{\text{total}}$$

$$y_{\text{CH}_3\text{OH}} = F_{\text{CH}_3\text{OH}} / F_{\text{total}}$$

$$K_{\phi 2} = 1.0$$

$$K_{p2\text{Calc}} = y_{\text{CO}_2} \cdot y_{\text{H}_2} / (y_{\text{CO}} \cdot y_{\text{H}_2\text{O}}) \cdot K_{\phi 2}$$

$$K_{\phi 3} = 1.0$$

$$K_{p3\text{Calc}} = y_{\text{CH}_3\text{OH}} / (y_{\text{CO}} \cdot y_{\text{H}_2}^2) / P_{\text{e}}^2 \cdot K_{\phi 3}$$

Here F_X is used to symbolize the flow of component X ($= \text{CO}, \text{H}_2, \text{CH}_3\text{OH}, \text{H}_2\text{O}, \text{CO}_2$) for equilibrium state. Also y_X is used to symbolize the molar fractions of the components X ($= \text{CO}, \text{H}_2, \text{CH}_3\text{OH}, \text{H}_2\text{O}, \text{CO}_2$) for equilibrium state. F_{total} shows the total flow of the whole components. P_{e} symbolizes reaction pressure in atm. $K_{\phi 2}$ and $K_{\phi 3}$ are Activity coefficients.

Then these values of equilibrium constants $K_{p2\text{Calc}}$ and $K_{p3\text{Calc}}$ will be compared with the real values of K_{p2} and K_{p3} by means of if and else logical functions. These two loops will end when the values of $n_{2\max} - n_{2\min}$ and $n_{3\max} - n_{3\min}$ are less than 10^{-6} .

Finally all these calculated values are printed according to:

```
print("Kp3=",Kp3)
```

```
print("Kp3Calc=",Kp3Calc)
```

```
print("Kp2=",Kp2)
```

```
print("Kp2Calc=",Kp2Calc)
```

```
print("n3=",n3,"mol/h")
```

```
print("n2=",n2,"mol/h")
```

```
print("yCH4=",yCH4)
```

```
print("yH2O=",yH2O)
```

```
print("yCO=",yCO)
```

```
print("yH2=",yH2)
```

```
print("yCO2=",yCO2)
```

```
print("yCH3OH=",yCH3OH)
```

CODE

```
import numpy as np
import matplotlib.pyplot as plt
import math
```

```
def FunctionEquilibrium(T,P):
```

```
    Te=T+273.15
```

```
    Pe=P/101325
```

```
    Kp3=math.exp(21.225+9143.6/Te-7.492*math.log(Te)+4.076*10**-3*Te-7.161*10**-8*Te**2)
```

```
    Kp2=math.exp(13.148-5639.5/Te-1.077*math.log(Te)-5.44*10**-4*Te+1.125*10**-7*Te**2+49170/Te**2)
```

```
    F0CH4=109.6*10**3
```

```
    F0H2O=13.4*10**3
```

```
    F0CO=753.4*10**3
```

```
    F0H2=2808.3*10**3
```

```
    F0CO2=137.0*10**3
```

```
    F0CH3OH=0
```

```
    F0TOTAL=F0CH4+F0H2O+F0CO+F0H2+F0CO2+F0CH3OH
```

```
    n2min=-F0CO2
```

```
    n2max=F0H2O
```

```
    while n2max-n2min>10**-6:
```

```
        n2=(n2min+n2max)/2.0
```

```
        n3min=0
```

```
        n3max=F0CO-n2
```

```
        while n3max-n3min>10**(-6):
```

```
            n3=(n3max+n3min)/2
```

```
            FCO=F0CO-n3-n2
```

```
            FH2O=F0H2O-n2
```

```
            FCO2=F0CO2+n2
```

```
            FH2=F0H2-2*n3+n2
```

```
            FCH3OH=F0CH3OH+n3
```

```
            FCH4=F0CH4
```

```
            Ftotal=FCH4+FH2O+FCO+FH2+FCO2+FCH3OH
```

```
            yCH4=FCH4/Ftotal
```

```
            yH2O=FH2O/Ftotal
```

```
            yCO=FCO/Ftotal
```

```
            yH2=FH2/Ftotal
```

```
            yCO2=FCO2/Ftotal
```

```
            yCH3OH=FCH3OH/Ftotal
```

```

Kp2=1.0
Kp2Calc=yCO2*yH2/(yCO*yH2O)*Kp2
Kp3=1.0
Kp3Calc=yCH3OH/(yCO*yH2**2)/Pe**2*Kp3

if Kp3Calc>Kp3:
    n3max=n3
else:
    n3min=n3

if Kp2Calc>Kp2:
    n2max=n2
else:
    n2min=n2

print("Kp3=",Kp3)
print("Kp3Calc=",Kp3Calc)
print("Kp2=",Kp2)
print("Kp2Calc=",Kp2Calc)
print("n3=",n3,"mol/h")
print("n2=",n2,"mol/h")
print("yCH4=",yCH4)
print("yH2O=",yH2O)
print("yCO=",yCO)
print("yH2=",yH2)
print("yCO2=",yCO2)
print("yCH3OH=",yCH3OH)

```

FunctionEquilibrium(250,7.5*10**6)

Results

```

Kp3= 0.0022808615438347207
Kp3Calc= 0.0022808615438381676
Kp2= 0.011702947213532435
Kp2Calc= 0.011702947219362441
n3= 691772.1094997011 mol/h
n2= -136729.42694177618 mol/h
yCH4= 0.04495200874942499
yH2O= 0.06157499373570149
yCO= 0.08135547325883788
yH2= 0.5282789410323186
yCO2= 0.00011097447518828214
yCH3OH= 0.2837276087485287

```

How do I know if these mole fraction values are correct? I can know this thanks to the values of Kp2Calc and Kp3Calc, which are very close to the real values of Kp2 and Kp3. In conclusion I was able to successfully find the values of the mole fractions for each component in the equilibrium state

2-2) r をリサイクルフローの比率(リサイクルされるガス流量の原料ガス流量に対する比率)、 p をパージの比率(パージされるガス流量のリサイクルされるガス流量に対する比率)とする。

2-1)と同様に合成ガスを供給した場合の、 r の変化に対する p 、合成されるメタノールの流量、の変化を図示せよ。ただし、フラッシュ分離では液化した CH_3OH 、 H_2O に他の成分は溶解しないと仮定する。

実際のプラントでは r は 7.8 程度に設定されている。その理由について考察せよ。

I first find the vapor pressures of methanol $P_{\text{CH}_3\text{OHvap}}$ [Pa] and water $P_{\text{H}_2\text{Ovap}}$ [Pa]. For this we use Antoine's equation with their respective numerical constants A, B and C; for a Flash separation temperature $T_s = 35 + 273.15$ [$^{\circ}\text{C}$]. Also the total pressure of the system for this operation is $P_{\text{total}} = 7.5 \times 10^6$ [Pa]

$$P_{\text{CH}_3\text{OHvap}} = \exp(A_{\text{CH}_3\text{OH}} - B_{\text{CH}_3\text{OH}} / (C_{\text{CH}_3\text{OH}} + T_s))$$

$$P_{\text{H}_2\text{Ovap}} = \exp(A_{\text{H}_2\text{O}} - B_{\text{H}_2\text{O}} / (C_{\text{H}_2\text{O}} + T_s))$$

Second, I create the “FunctionEquilibrium (T, P, p)” function, like the previous problem, this depends on the reaction temperature T [$^{\circ}\text{C}$] and reaction pressure P [Pa]. Inside of the function T_e symbolizes reaction temperature in Kelvin grades and P_e symbolizes reaction pressure in atm; thought these values I calculated K_{p3} and K_{p2} . In addition a new variable “p” is added which shows Purge ratio.

$$K_{p3} = \exp(21.225 + 9143.6/T_e - 7.492 \ln T_e + 4.076 \times 10^{-3} T_e - 7.161 \times 10^{-8} T_e^2)$$

$$K_{p2} = \exp(13.148 - 5639.5/T_e - 1.077 \ln T_e - 5.44 \times 10^{-4} T_e + 1.125 \times 10^{-7} T_e^2 + 49170/T_e^2)$$

Third, to express the molar flow of each component for each stage of the process, we will use the notation F_{YX} , where X (= CO, H_2 , CH_3OH , H_2O , CO_2) shows a specific component portion. Y (= 1, 2, 3, 4, 5, 6, 7, 8) shows the stage where the components are found. Y is declared as written in Figure 2.

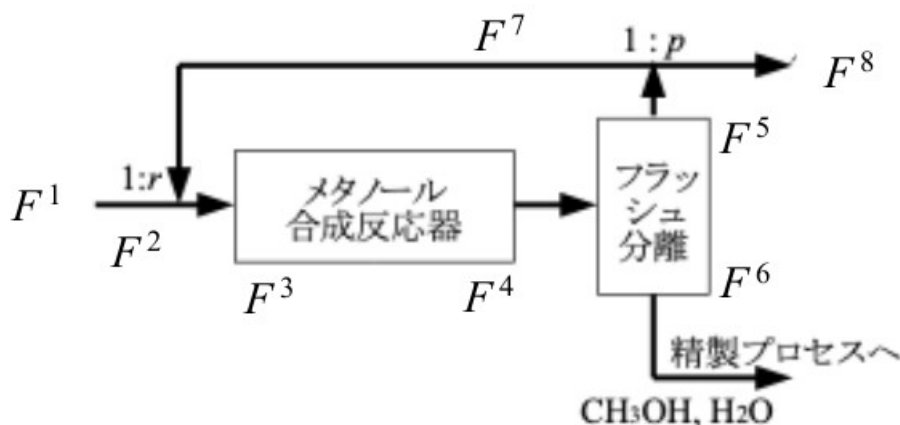


Figure 2: Position of molar flows for different stages

I am not going to use F_1 at all, it is assumed that this is the same as F_2 . F_2 molar flows have the same initial composition as in the previous problem. In addition F_i symbolizes the iterative molar flows for the different components. By condition of the problem this is equal to 0 for all F_i .

$F_{2CH_4}=109.6 \cdot 10^3 \text{ mol/h}$
 $F_{2H_2O}=13.4 \cdot 10^3 \text{ mol/h}$
 $F_{2CO}=753.4 \cdot 10^3 \text{ mol/h}$
 $F_{2H_2}=2808.3 \cdot 10^3 \text{ mol/h}$
 $F_{2CO_2}=137.0 \cdot 10^3 \text{ mol/h}$
 $F_{2CH_3OH}=0 \text{ mol/h}$

$F_{i7CH_4}=0 \text{ mol/h}$
 $F_{i7H_2O}=0 \text{ mol/h}$
 $F_{i7CO}=0 \text{ mol/h}$
 $F_{i7H_2}=0 \text{ mol/h}$
 $F_{i7CO_2}=0 \text{ mol/h}$
 $F_{i7CH_3OH}=0 \text{ mol/h}$

Like the previous problem, I will use loops with the name "while". The first "while True" will serve to converge the value of $F_{i7total}$. Also, as shown in Figure 2, F_3 is the sum of the molar flows F_2 and F_7 , but I will use F_{i7} instead of F_7 since this will help me find the value of the true F_7 .

$F_{i7total}=F_{i7CH_4}+F_{i7CO}+F_{i7CO_2}+F_{i7H_2}+F_{i7H_2O}+F_{i7CH_3OH}$
 basicis

$F_{3CH_4}=F_{i7CH_4}+F_{2CH_4}$
 $F_{3H_2O}=F_{i7H_2O}+F_{2H_2O}$
 $F_{3CO}=F_{i7CO}+F_{2CO}$
 $F_{3H_2}=F_{i7H_2}+F_{2H_2}$
 $F_{3CO_2}=F_{i7CO_2}+F_{2CO_2}$
 $F_{3CH_3OH}=F_{i7CH_3OH}+F_{2CH_3OH}$

What follows is exactly the same as the previous problem with the two "while" loops. The only difference is that F and F_0 from the previous problem become F_4 and F_3 molar fluxes respectively. In addition, "y" from the above problem becomes "y4" mole fraction. Despite the redundancy, it is necessary to use well the limits of molar flows n_2 and n_3 . Since n_3 depends on n_2 . (look problem number 2-1) for more detailed explanation about this last two while loops).

$n_{2min}=-F_{3CO_2}$
 $n_{2max}=F_{3H_2O}$

 $n_{3min}=0$
 $n_{3max}=F_{3CO}-n_2$

We are still inside the "while True" loop. After the F_4 is obtained, it goes through an フラッシュ分離 process, obtaining F_5 for the volatile part and F_6 for the heavy part which only contains methanol and water. To obtain equations of F_{5H_2O} and F_{5CH_3OH} I used the following relation:

$P_{H_2Ovap} : P_{CH_3OHvap} : P_{total} =$
 $F_{5H_2O} : F_{5CH_3OH} : (F_{5H_2O}+F_{5CH_3OH}+F_{5CH_4}+F_{5CO}+F_{5CO_2}+F_{5H_2})$

$F_{5CH_4}=F_{4CH_4}$
 $F_{5CO}=F_{4CO}$
 $F_{5CO_2}=F_{4CO_2}$
 $F_{5H_2}=F_{4H_2}$
 $F_{5H_2O}=(F_{5CH_4}+F_{5CO}+F_{5CO_2}+F_{5H_2}) \cdot P_{H_2Ovap} / (P_{total}-P_{H_2Ovap}-P_{CH_3OHvap})$

$$F5CH3OH=(F5CH4+F5CO+F5CO2+F5H2)*PCH3OHvap/(Ptotal-PH2Ovap-PCH3OHvap)$$

$$F6CH4=0$$

$$F6CO=0$$

$$F6CO2=0$$

$$F6H2=0$$

$$F6H2O=F4H2O-F5H2O$$

$$F6CH3OH=F4CH3OH-F5CH3OH$$

As seen in Figure 2, the flow F5 is equal to the sum of F7 and F8. Furthermore there is a relation of F7: F8 = 1: p, where p is the purge rate.

$$F7CH4=F5CH4/(1+p)$$

$$F7CO=F5CO/(1+p)$$

$$F7CO2=F5CO2/(1+p)$$

$$F7H2=F5H2/(1+p)$$

$$F7H2O=F5H2O/(1+p)$$

$$F7CH3OH=F5CH3OH/(1+p)$$

$$F7total=F7CH4+F7CO+F7CO2+F7H2+F7H2O+F7CH3OH$$

$$F8CH4=F5CH4*p/(1+p)$$

$$F8CO=F5CO*p/(1+p)$$

$$F8CO2=F5CO2*p/(1+p)$$

$$F8H2=F5H2*p/(1+p)$$

$$F8H2O=F5H2O*p/(1+p)$$

$$F8CH3OH=F5CH3OH*p/(1+p)$$

From this total F7, I compare it with the first total Fi7. For the system to be in a steady state. F7 must be the same as Fi7. For that I use the "if" condition

$$\text{if } \text{abs}(F7total-Fi7total) > 10^{-6}$$

If this condition is fulfilled then F7 is updated or converted to Fi7 as shown in the following equations:

$$Fi7CH4=F7CH4$$

$$Fi7H2O=F7H2O$$

$$Fi7CO=F7CO$$

$$Fi7H2=F7H2$$

$$Fi7CO2=F7CO2$$

$$Fi7CH3OH=F7CH3OH$$

Then the "while True" loop will start over with a new Fi7. This loop will end when the "else" case occurs. I mean when

$$\text{abs}(F7total-Fi7total) < 10^{-6}$$

Then I can calculate r, the reclying flow rate as

$$r=(F7CH4+F7CO+F7CO2+F7H2+F7H2O+F7CH3OH)/(F2CH4+F2CO+F2CO2+F2H2+F2H2O+F2CH3OH)$$

Finall, I print The following results FunctionEquilibrium(250,7.5*10**6,0.01), p=0.01

```
print("Kp3=",Kp3)
print("Kp3Calc=",Kp3Calc)
print("Kp2=",Kp2)
print("Kp2Calc=",Kp2Calc)
print("n3=",n3,"mol/h")
print("n2=",n2,"mol/h")
print("p=",p)
print("F6CH3OH=",F6CH3OH)
print("r=",r)
```

```
return p,F6CH3OH,r
```

```
break
```

FunctionEquilibrium(250,7.5*10**6,0.01)

COMPLETE CODE

```
import numpy as np
import matplotlib.pyplot as plt
import math
```

```
Ts=35+273.15
ACH3OH = 23.48027002
BCH3OH = 3626.55
CCH3OH = -34.29
PCH3OHvap=math.exp(ACH3OH-BCH3OH/(CCH3OH+Ts))
AH2O = 23.19637
BH2O = 3816.44
CH2O = -46.13
PH2Ovap=math.exp(AH2O-BH2O/(CH2O+Ts))
Ptotal=7.5*10**6
print("PCH3OHvap=",PCH3OHvap,"Pa")
print("PH2Ovap=",PH2Ovap,"Pa")
```

```
def FunctionEquilibrium(T,P,p):
```

```
    Te=T+273.15
    Pe=P/101325
```

```
    Kp3=math.exp(21.225+9143.6/Te-7.492*math.log(Te)+4.076*10**-3*Te-7.161*10**-8*Te**2)
    Kp2=math.exp(13.148-5639.5/Te-1.077*math.log(Te)-5.44*10**-4*Te+1.125*10**-
7*Te**2+49170/Te**2)
```

```
    F2CH4=109.6*10**3
    F2H2O=13.4*10**3
    F2CO=753.4*10**3
    F2H2=2808.3*10**3
    F2CO2=137.0*10**3
    F2CH3OH=0
```

Fi7CH4=0
Fi7H2O=0
Fi7CO=0
Fi7H2=0
Fi7CO2=0
Fi7CH3OH=0

while True:

Fi7total=Fi7CH4+Fi7CO+Fi7CO2+Fi7H2+Fi7H2O+Fi7CH3OH

F3CH4=Fi7CH4+F2CH4
F3H2O=Fi7H2O+F2H2O
F3CO=Fi7CO+F2CO
F3H2=Fi7H2+F2H2
F3CO2=Fi7CO2+F2CO2
F3CH3OH=Fi7CH3OH+F2CH3OH

n2min=-F3CO2
n2max=F3H2O

while n2max-n2min>10**(-6):
n2=(n2min+n2max)/2

n3min=0
n3max=F3CO-n2

while n3max-n3min>10**(-6):
n3=(n3max+n3min)/2

F4CO=F3CO-n3-n2
F4H2O=F3H2O-n2
F4H2=F3H2-2*n3+n2
F4CH3OH=F3CH3OH+n3
F4CO2=F3CO2+n2
F4CH4=F3CH4
F4total=F4CH4+F4H2O+F4CO+F4H2+F4CO2+F4CH3OH

y4CH4=F4CH4/F4total
y4H2O=F4H2O/F4total
y4CO=F4CO/F4total
y4H2=F4H2/F4total
y4CO2=F4CO2/F4total
y4CH3OH=F4CH3OH/F4total

Kφ3=1.0
Kp3Calc=y4CH3OH/(y4CO*y4H2**2)/Pe**2*Kφ3

Kφ2=1.0
Kp2Calc=y4CO2*y4H2/(y4CO*y4H2O)*Kφ2

if Kp3Calc>Kp3:

```
n3max=n3  
else:  
n3min=n3
```

```
if Kp2Calc>Kp2:  
n2max=n2  
else:  
n2min=n2
```

```
F5CH4=F4CH4  
F5CO=F4CO  
F5CO2=F4CO2  
F5H2=F4H2  
F5H2O=(F5CH4+F5CO+F5CO2+F5H2)*PH2Ovap/(Ptotal-PH2Ovap-PCH3OHvap)  
F5CH3OH=(F5CH4+F5CO+F5CO2+F5H2)*PCH3OHvap/(Ptotal-PH2Ovap-PCH3OHvap)
```

```
F6CH4=0  
F6CO=0  
F6CO2=0  
F6H2=0  
F6H2O=F4H2O-F5H2O  
F6CH3OH=F4CH3OH-F5CH3OH
```

```
F7CH4=F5CH4/(1+p)  
F7CO=F5CO/(1+p)  
F7CO2=F5CO2/(1+p)  
F7H2=F5H2/(1+p)  
F7H2O=F5H2O/(1+p)  
F7CH3OH=F5CH3OH/(1+p)  
F7total=F7CH4+F7CO+F7CO2+F7H2+F7H2O+F7CH3OH
```

```
F8CH4=F5CH4*p/(1+p)  
F8CO=F5CO*p/(1+p)  
F8CO2=F5CO2*p/(1+p)  
F8H2=F5H2*p/(1+p)  
F8H2O=F5H2O*p/(1+p)  
F8CH3OH=F5CH3OH*p/(1+p)
```

```
if abs(F7total-Fi7total)>10**-6:  
Fi7CH4=F7CH4  
Fi7H2O=F7H2O  
Fi7CO=F7CO  
Fi7H2=F7H2  
Fi7CO2=F7CO2  
Fi7CH3OH=F7CH3OH
```

```
else:
```

```
r=(F7CH4+F7CO+F7CO2+F7H2+F7H2O+F7CH3OH)/(F2CH4+F2CO+F2CO2+F2H2+F2H2O+F  
2CH3OH)
```

```
print("Kp3=",Kp3)
```

```

print("Kp3Calc=",Kp3Calc)
print("Kp2=",Kp2)
print("Kp2Calc=",Kp2Calc)
print("n3=",n3,"mol/h")
print("n2=",n2,"mol/h")
print("p=",p)
print("F6CH3OH=",F6CH3OH,"mol/h")
print("r=",r)
print("F7total=",F7total,"mol/h")
print("Fi7total=",Fi7total,"mol/h")
return p,F6CH3OH,r

```

```
break
```

```
FunctionEquilibrium(250,7.5*10**6,0.01)
```

RESULTS

```

PCH3OHvap= 27942.941714247885 Pa
PH2Ovap= 5602.213021928711 Pa
Kp3= 0.0022808615438347207
Kp3Calc= 0.002280861543852358
Kp2= 0.011702947213532435
Kp2Calc= 0.011702947563299782
n3= 889095.9790590436 mol/h
n2= -136999.9618111735 mol/h
p= 0.01
F6CH3OH= 885338.4994786554 mol/h
r= 26.389379297544643
F7total= 100852290.86142637 mol/h
Fi7total= 100852290.86142565 mol/h
(0.01, 885338.4994786554, 26.389379297544643)

```

So, from this result, I can verify that the code worked well, since the Kp3Calc, Kp2Calc and F7total values converge to the Kp3, Kp2 and Fi7total values.

Next, I am going to use the recently created function FunctionEquilibrium (250,7.5 * 10 ** 6, p), for "p" that varies between (0.01, 0.02, ... 0.10) to find the values of "F6CH3OH" and "r" respective.

```

Purge value is equal to FunctionEquilibrium(250,7.5*10**6,p)[0]
F6CH3OH value is equal to FunctionEquilibrium(250,7.5*10**6,p)[1]
Recycle flow ratio value is equal to FunctionEquilibrium(250,7.5*10**6,p)[2]

```

All this I do as shown in the following plotting codes:

CODE for F6CH3OH vs Recycle flow ratio figure 3

```

import numpy as np
import matplotlib.pyplot as plt
import math

```

```

i=0
r=[]
F6CH3OH=[]
while i<10:
    i=i+1
    p=i/100

    r.append(FunctionEquilibrium(250,7.5*10**6,p)[2])
    F6CH3OH.append(FunctionEquilibrium(250,7.5*10**6,p)[1]/1000)

plt.figure(figsize=(8,8))
plt.plot(r,F6CH3OH,'bo')

plt.grid()
plt.title('F6CH3OH vs Recycle flow ratio', fontsize=25)
plt.xlabel('Recycle flow ratio r [-]', fontsize=20)
plt.ylabel('F6CH3OH [kmol/h]', fontsize=20)
plt.show()

```

CODE for 'Purge ratio vs Recycle flow ratio' figure 4

```

import numpy as np
import matplotlib.pyplot as plt
import math

i=0
r=[]
purge=[]
while i<10:
    i=i+1
    p=i/100

    r.append(FunctionEquilibrium(250,7.5*10**6,p)[2])
    purge.append(FunctionEquilibrium(250,7.5*10**6,p)[0])

plt.figure(figsize=(8,8))
plt.plot(r,purge,'bo')

plt.grid()
plt.title('Purge ratio vs Recycle flow ratio', fontsize=25)
plt.xlabel('Recycle flow ratio r [-]', fontsize=20)
plt.ylabel('Purge ratio [-]', fontsize=20)
plt.show()

```

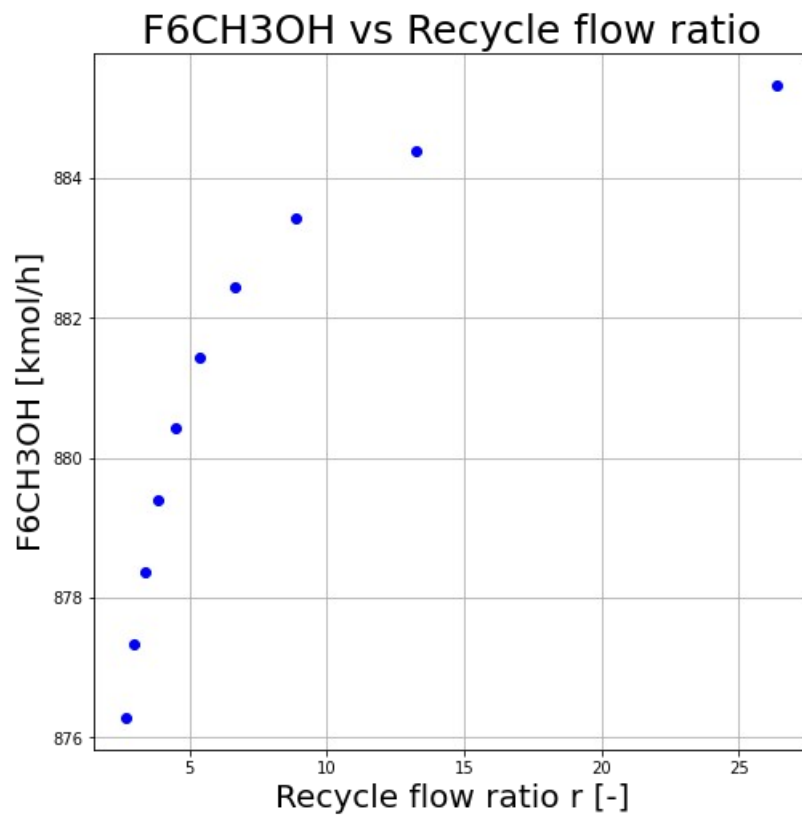


Figure 3: F6CH3OH vs Recycle flow ratio

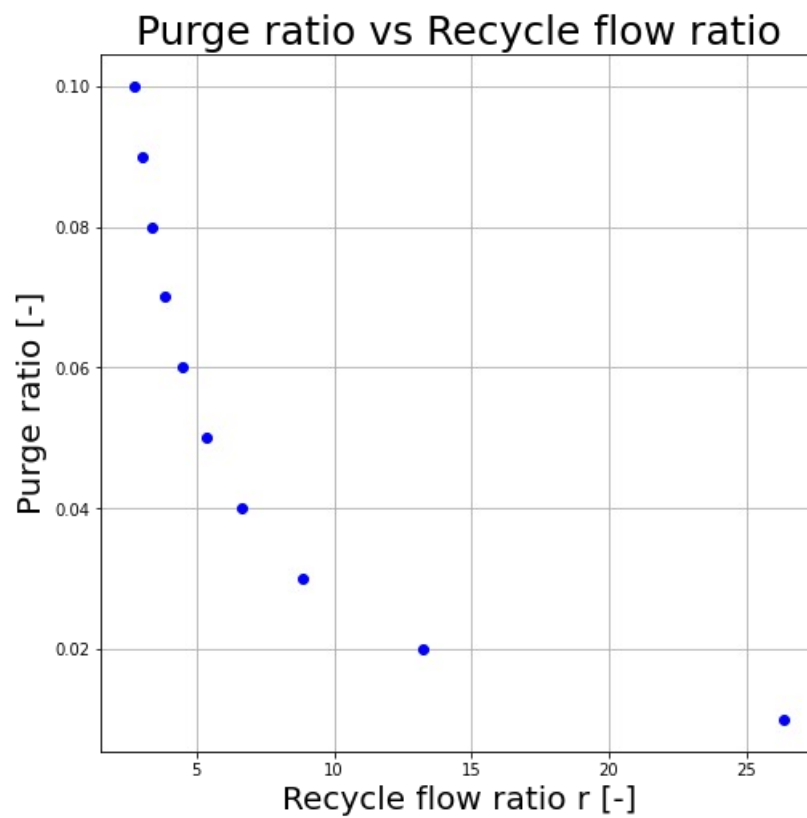


Figure 4: Purge ratio vs Recycle flow ratio

The data in Figures 3 and 4 can be grouped in Table 1.

Table 1: p vs r vs $F6CH3OH$

p [-]	r [-]	$F6CH3OH$ [kmol/h]
0.01	26.3894	885.3385
0.02	13.2318	884.3875
0.03	8.8463	883.4195
0.04	6.6539	882.4359
0.05	5.3387	881.4380
0.06	4.4621	880.4272
0.07	3.8360	879.4048
0.08	3.3666	878.3720
0.09	3.0015	877.3299
0.10	2.7096	876.2797

As can be seen in figure 3, the methanol $F6CH3OH$ obtained grows when r increases. However, there is not much methanol growth for an r greater than 10. So that so much energy is not spent in the process, it would be advisable and efficient for r to be between 5 and 10. From figure 4 we observe that there are "purge "Very large for r less than 7. Then it can be concluded that a good r for this system would be one that is between the values of 7 and 10, to be more precise a value of $r = 7.8$ would give us a very efficient process for a low purge and a good yield of methanol $F6CH3OH$.

Here I share my code on the github platform.

<https://github.com/marcelo1356/-1-3/blob/main/PROCESS%20HOMEWOK%202.ipynb>