

Respuesta en Frecuencia.

$$\bar{A}_v = \frac{R'_c}{r'_e + R_{E1}}$$

$R'_c = R_c \parallel R_L$
 \hookrightarrow si R_E no tiene capacitor //

$$R'_c = R_c \parallel R_L$$

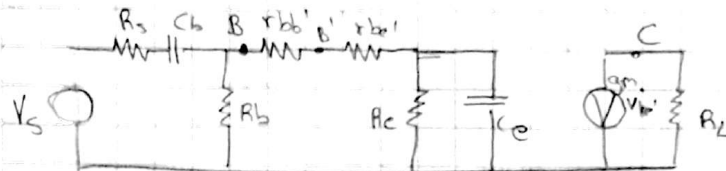
$$r'_e = \frac{25 \text{ mV}}{I_E}$$

$$V_{BB} = V_{CC} \frac{R_2}{R_1 + R_2}$$

$$V_E = V_{BB} - 0.7$$

$$I_E = \frac{V_E}{R_E}$$

* Baja Frecuencia



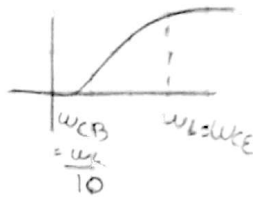
$$r_{bb'} = r_x \approx 10 \text{ a } 50 \Omega$$

$$r_{be'} = r_{ie} = r_{e'} \cdot \beta = \frac{h_{FE}}{\beta_m}$$

Determinado por C_E

$$f_L = \frac{1}{2\pi \cdot R_{eq1} \cdot C_E}$$

$$R_{eq1} = R_E \parallel \left[\frac{(r_{bb'} + r_{be'}) + (R_s \parallel R_b)}{h_{FE} + 1} \right]$$



ce = abierto

Cb = corto

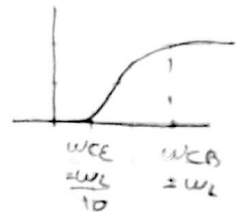
$$W_{CB} = \frac{W_L}{10} = \frac{1}{R_{eq2} \cdot C_B}$$

$$R_{eq2} = (R_s + R_b) \parallel [r_{bb'} + r_{be'} + R_E(h_{FE} + 1)]$$

Determinado por C_B

$$f_L = \frac{1}{2\pi \cdot R_{eq1} \cdot C_B}$$

$$R_{eq1} = (R_s + R_b) \parallel [r_{bb'} + r_{be'}]$$



ce = cable (corto)

Cb = abierto

$$W_{CE} = \frac{W_L}{10} = \frac{1}{R_{eq2} \cdot C_E}$$

$$R_{eq1} = R_E \parallel \left[\frac{r_{bb'} + r_{be'} + R_b}{h_{FE} + 1} \right]$$

Circ. AC de entrada

$$f_L = f_{C(entrada)} = \frac{1}{2\pi \cdot R_{ent} \cdot C_E}$$

\hookrightarrow C del emisor

$$R_{ent} = R_1 \parallel R_2 \parallel [B(r'_e + R_E)]$$

\hookrightarrow si $R_E \gg r'_e$ \approx $r'_e \parallel C$ //

Circ. AC de salida

$$f_{L(sal)} = \frac{1}{2\pi(R_c + R_L)C_c}$$

\hookrightarrow C de acoplamiento

Circ. AC de puente

$$f_{L3(puente)} = \frac{1}{2\pi(R_{ente} \parallel R_E)C_E}$$

\hookrightarrow C de puente

$$R_{ente} = r'_e + \frac{R_{unibid}}{\beta}$$

$$R_{unibid} = R_3 \parallel R_1 \parallel R_2$$

Alta Frecuencia

Teorema de miller

$$C_{int} = C_{bc} (A_v + 1)$$

$$C_{out} = C_{bc} \left(\frac{A_v + 1}{A_v} \right) \approx C_{bc}$$

$$\omega_T = \frac{g_m}{C_{\pi} + C_{bc}}$$

$$C_{bc} = C_{\mu}$$

$$C_{be} = C_{\pi} = \frac{q}{kT} I_E$$

$$g_m = 40 I_E$$

Circ. AC de entrada

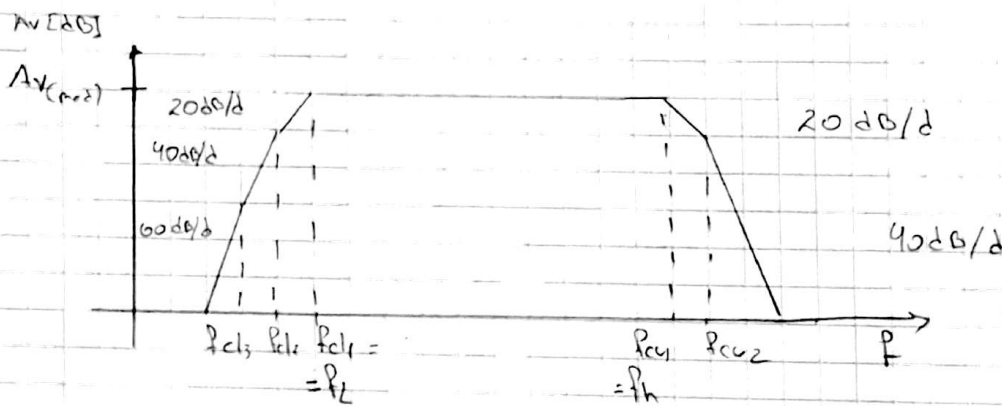
$$P_h = P_{cu, (ent)} = \frac{1}{2\pi \cdot R_{ent}(f) \cdot C_{int}(f)}$$

$$R_{ent}(f) = R_1 \parallel R_2 \parallel R_3 \parallel R_{bc}$$

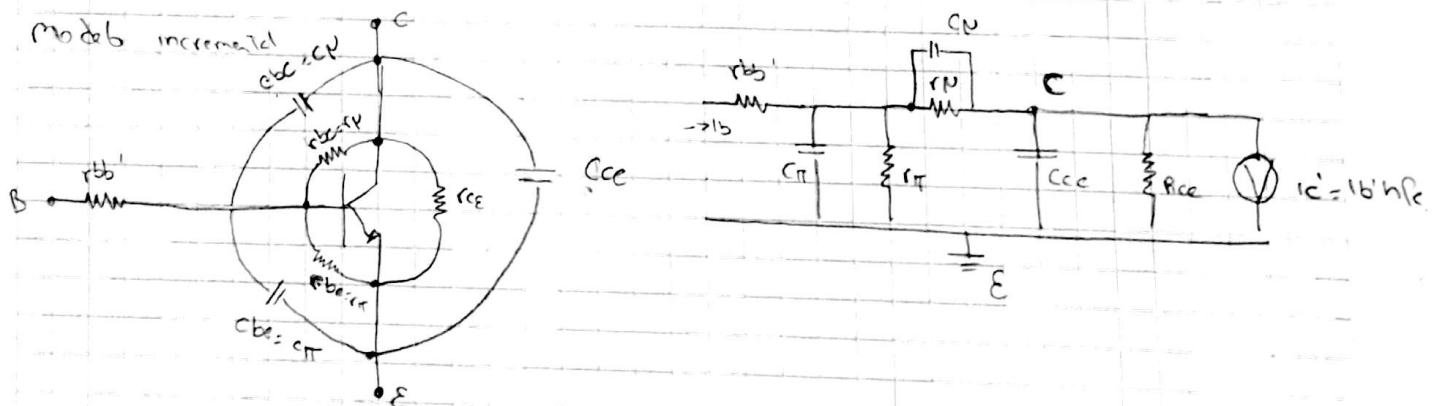
$$C_{int}(f) = C_{int} + C_{bc}$$

Circ. AC de salida

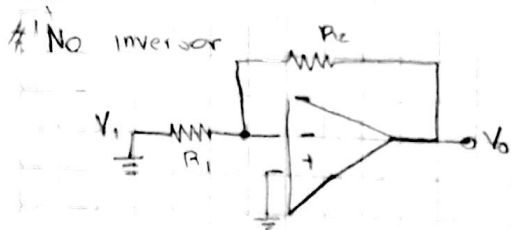
$$P_{cu, (sal)} = \frac{1}{2\pi \cdot R_o \cdot C_{out}}$$



Modelo incremental



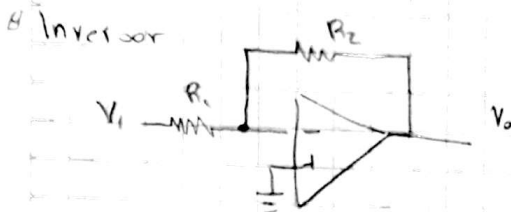
Amplificadores Operacionales



$$A_v = \frac{R_2}{R_1} + 1$$

$$V_o = V_i \left(\frac{R_2}{R_1} + 1 \right) \quad \text{Ganancia}$$

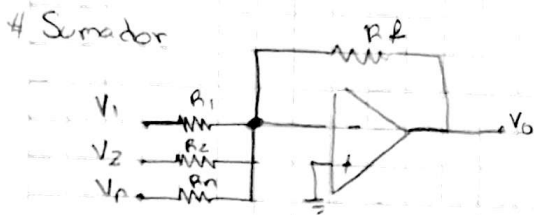
$$Z_i = \infty$$



$$A_v = -\frac{R_2}{R_1}$$

$$V_o = -V_i \frac{R_2}{R_1}$$

$$Z_i = R_1$$



$$V_o = -R_f \left(\frac{V_1}{R_1} + \frac{V_2}{R_2} + \dots + \frac{V_n}{R_n} \right)$$

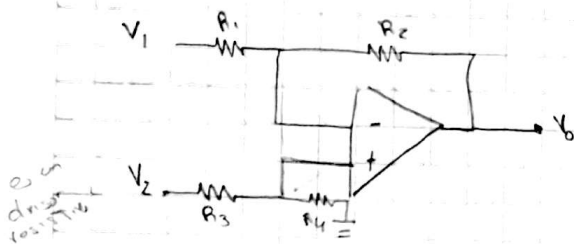
$$Z_i = R_1$$

$$Z_2 = R_2 \quad Z_n = R_n$$

$$S: R_1, R_2, R_n = R_f$$

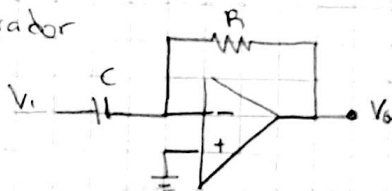
$$V_o = -(V_1 + V_2 + V_n)$$

Restador (diferencial)



$$V_o = \left(1 + \frac{R_2}{R_1} \right) \cdot \left(\frac{R_4}{R_3 + R_4} \right) V_2 - \left(\frac{R_2}{R_1} \right) V_1$$

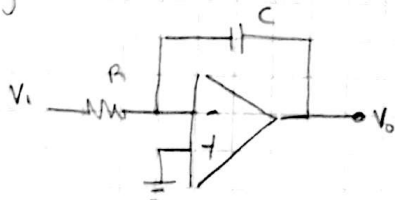
Derivador



$$V_o = -R \cdot C \left(\frac{dV_i}{dt} \right)$$

Triangular a cuadrada

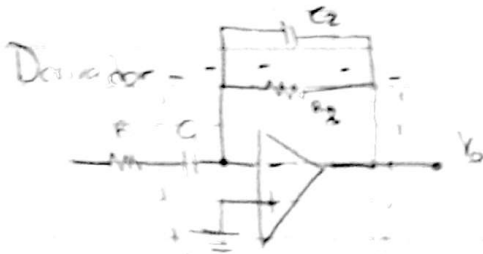
Integrador



$$V_o = \left[-\frac{V_i}{R \cdot C} \int_0^{t_2} dt \right] + V(t_0)$$

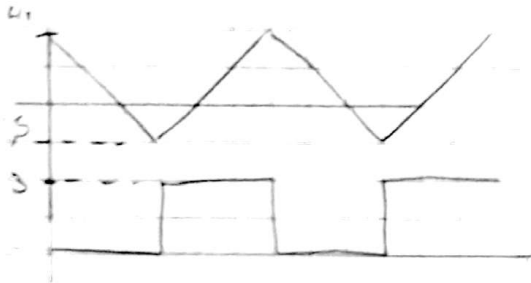
cuadrada a triang

Análisis de integrador y derivador (parte 1)



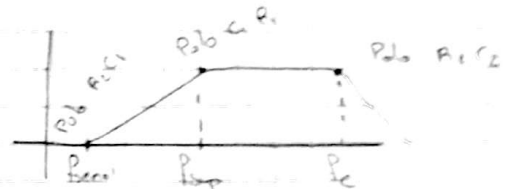
$$V_o = -f_2 C_1 \frac{dV_i}{dt}$$

Datos:
 $f = 430$
 $V_{opp} = 1,5V$ ($V_{opp} = 3V$)
 precisión = 99%



Para $v_{opp} \Rightarrow V_i = a \leq b = 150000 \cdot 1,5$

$$\therefore \frac{dV_i}{dt} = 150000$$



1) Si $C_2 = 100p$ $V_{opp} = 1,5$

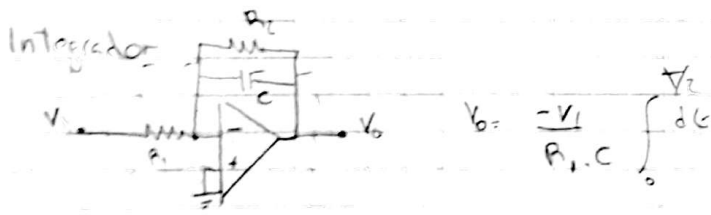
$$R_2 = \frac{V_o}{C_1 \frac{dV_i}{dt}} = 100k \rightarrow R_2 = 100k\Omega$$

2) P/ precisión = 99% $P_{(sup)} = 10 \cdot P_{(total)} \rightarrow P_{sup} = 43m$

$$P_{sup} = \frac{1}{2\pi R_1 C_1} \rightarrow R_1 = \frac{1}{2\pi C_1 P_{sup}} = 37k \rightarrow R_1 = 37k\Omega$$

3) Si $P_{total} = 45m$

$$P_c = \frac{1}{2\pi R_2 C_2} \rightarrow C_2 = \frac{1}{2\pi R_2 P_c} = 35p \rightarrow C_2 = 35pF$$



$$V_o = -\frac{V_i}{R_1 C} \int dt$$

Datos:
 $f = 430$
 $V_{opp} = 5,5V$
 $V_{app} = 2,5V$
 $T = 23256 \mu s$

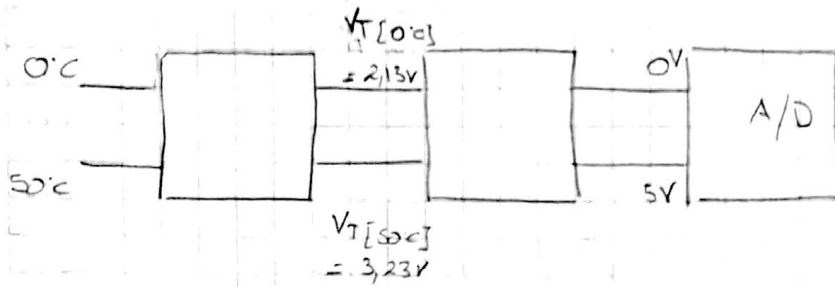
1) Si $A_v = 1$ $C = 1p$
 $A_v = \frac{T}{2 \cdot R_1 C} \rightarrow R_1 = \frac{T}{2 C A_v} = 100 \rightarrow R_1 = 100\Omega$

2) P/ precisión 99%
 $P_{inP} = \frac{P}{10} \rightarrow P_{inP} = 430$

$$S_1: P_{inP} A_v (1-P) = A_v (1-P) \cdot P \rightarrow A_v (1-P) = \frac{A_v (1-P) \cdot P}{P_{inP}} = 10$$

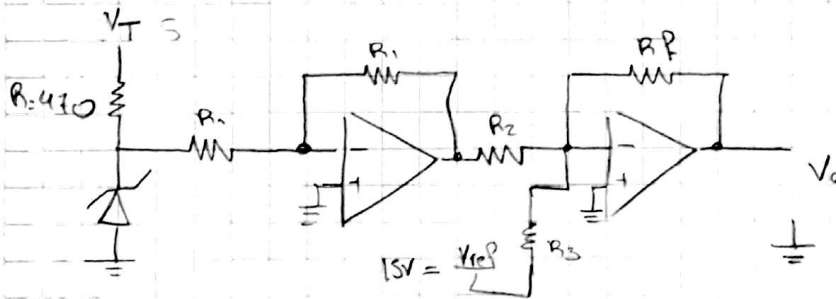
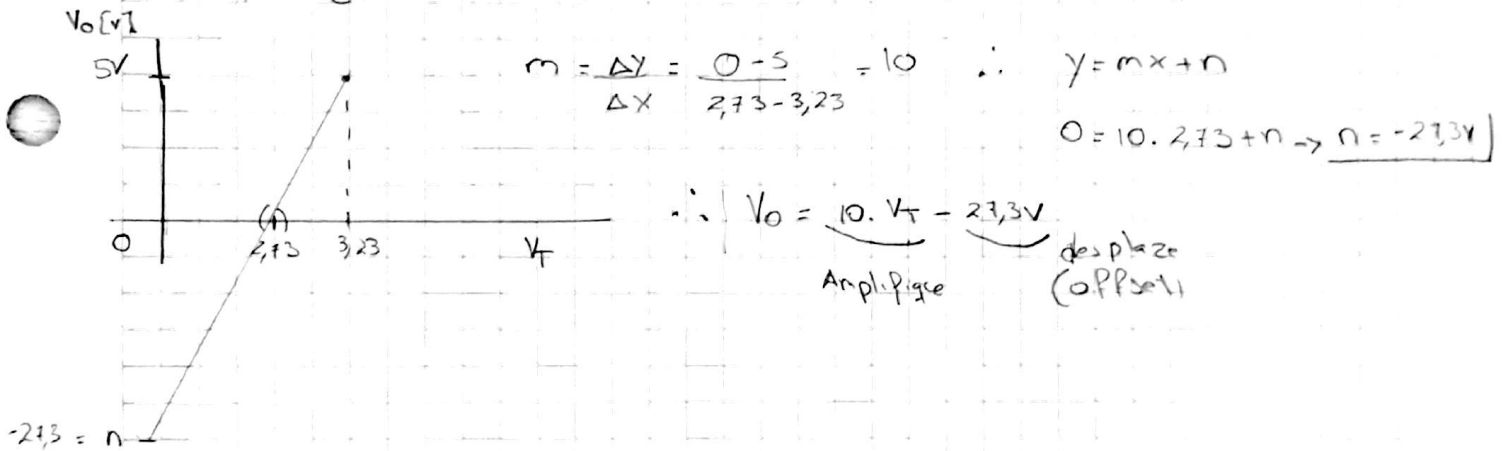
$$A_v (1-P) = \frac{R_2}{R_1} \rightarrow R_2 = A_v (1-P) R_1 \rightarrow R_2 = 1,1k\Omega$$

CAS



$$V_T [^\circ\text{C}] = \frac{10\text{mV}}{1^\circ\text{C}} \cdot \text{temp } ^\circ\text{C}$$

$$V_T [^\circ\text{C}] = 10\text{mV} \cdot \text{temp } ^\circ\text{C} + 2,73\text{V}$$



$$V_O = \left(-\frac{R_1}{R_2}\right) \cdot \left(-\frac{R_P}{R_3}\right) \cdot V_T - V_{ref} \cdot \left(\frac{R_P}{R_3}\right)$$

$$S_1 \quad R_1 = 10\text{k}\Omega \quad R_P = 100\text{k}\Omega$$

$$\frac{R_P}{R_2} = 10 \rightarrow R_2 = \frac{R_P}{10} = 10\text{k}\Omega$$

$$\frac{R_P}{R_3} \cdot V_{ref} = 27,3 \rightarrow R_3 = \frac{R_P \cdot V_{ref}}{27,3} = 59,94\text{k}\Omega$$

$$V_O [0^\circ\text{C}] = 0\text{V}$$

$$V_O [50^\circ\text{C}] = 5\text{V}$$