

# ELECTRONICA APLICADA I

Prof. Adj. Ing. Fernando Cagnolo

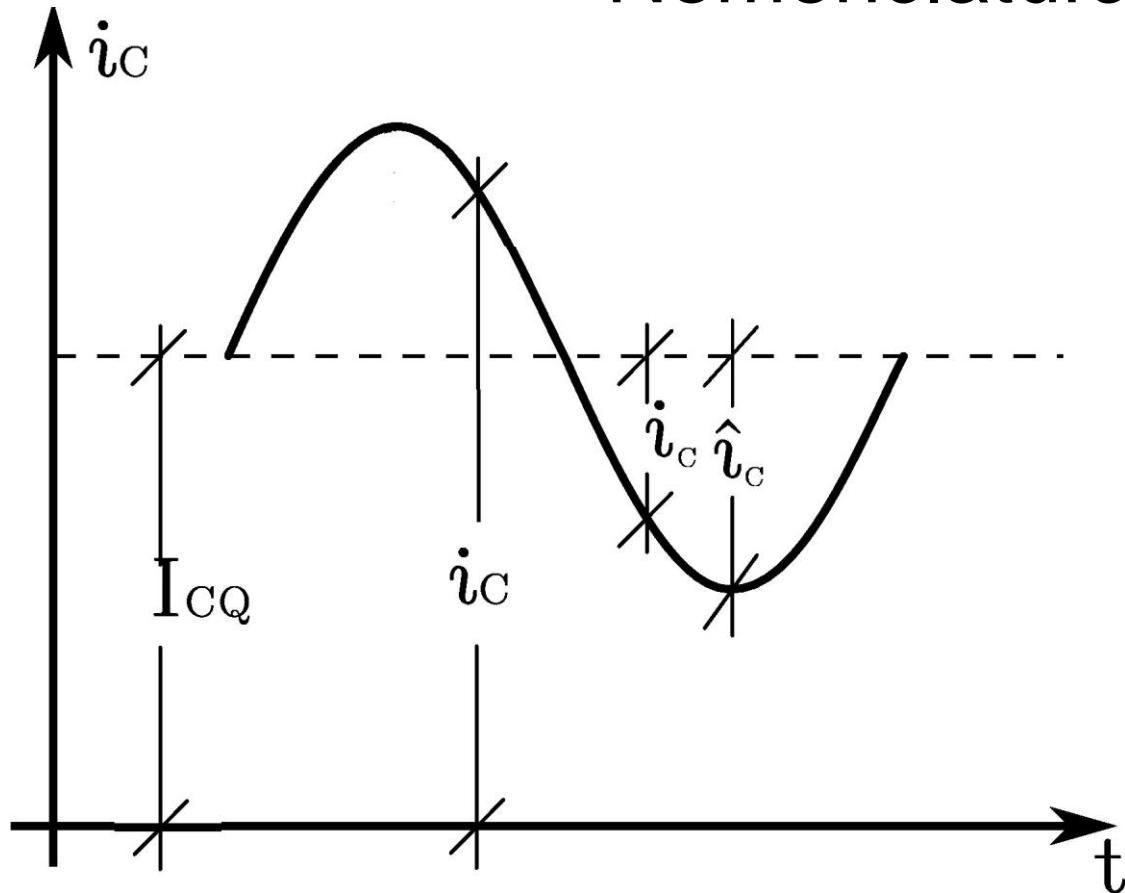
## • EL DIODO

Estas diapositivas están basadas en las clases dictadas por el Profesor Ing. Alberto Muhana.

Agradezco el trabajo realizado y facilitado por el Sr. Joaquín Ponce en la generación de los gráficos empleados en el desarrollo de estas diapositivas y al Sr. Mariano Garino por la facilitación del manuscrito tomado en clase.

Por ultimo agradezco la predisposición y colaboración de Ing, Federico Linares en el trabajo de recopilación y armado de estas diapositivas.

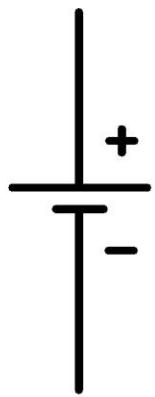
# Nomenclatura



$$\dot{i}_c = \hat{i}_c \sin(\omega t)$$

$$i_C = I_{CQ} + i_c = I_{CQ} + \hat{i}_c \sin(\omega t)$$

# Fuentes



Fuente de tensión



Fuente de corriente

# Símbolos de tensión y corriente

Para el caso de la fuente de tensión:

$V_{BB}$  : Tensión de base.

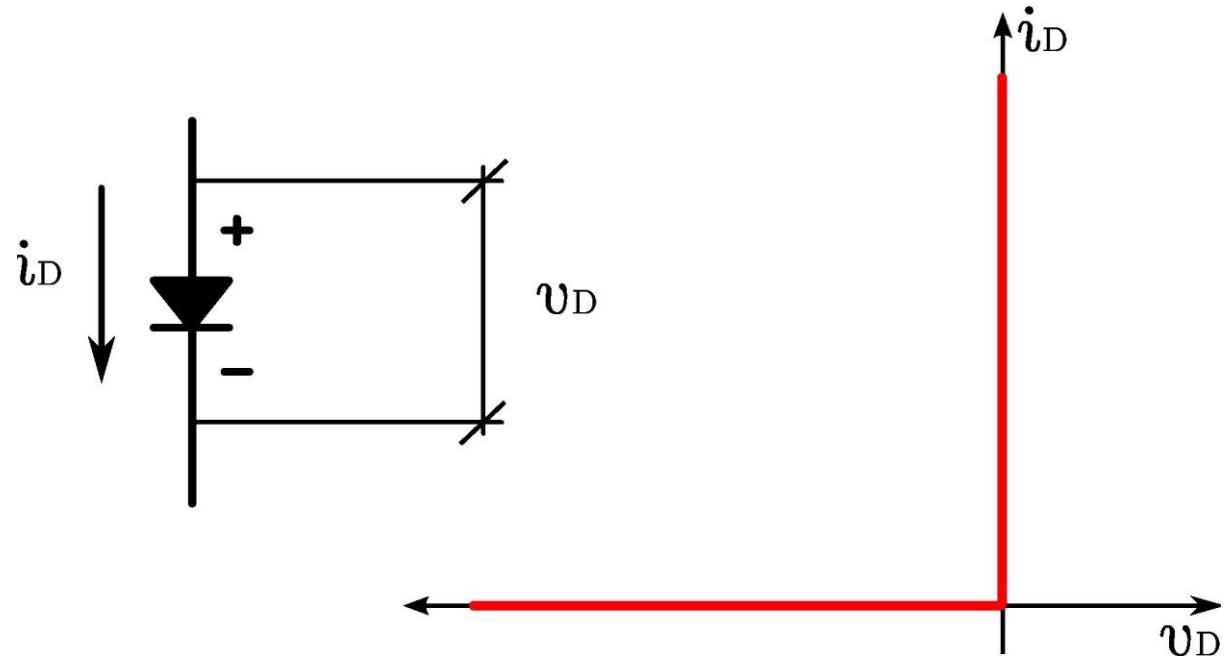
$V_{CC}$  : Tensión de colector.

$V_{DD}$  : Tensión de drenador.

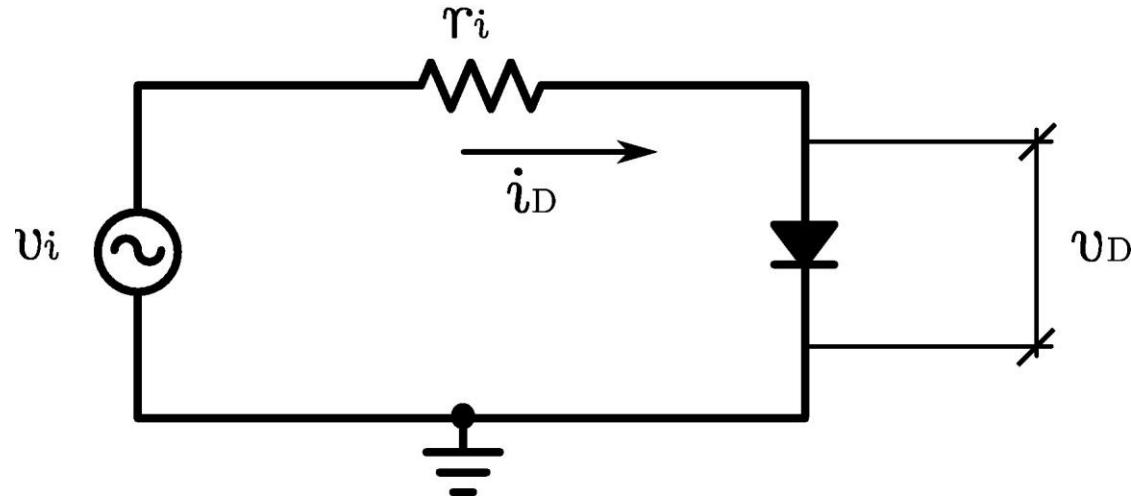
Para el caso de la fuente de corriente:

$I_{BB}$  : Corriente de base.

# El diodo ideal



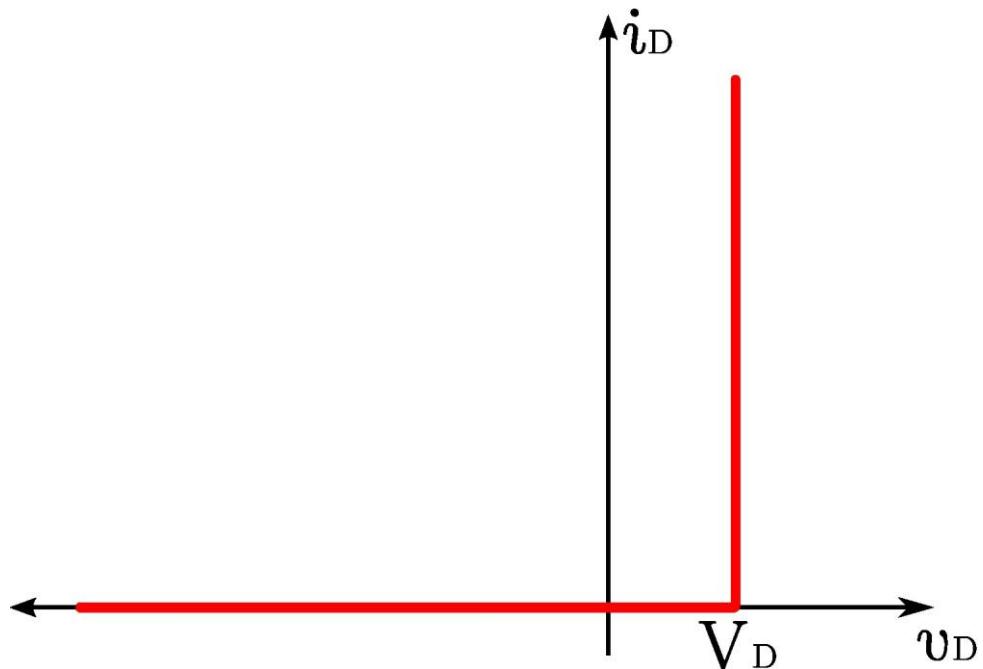
# El diodo como llave



$$v_i \leq 0 \Rightarrow i_D = 0 \text{ y } v_D = v_i$$

$$v_i > 0 \Rightarrow i_D \neq 0 \text{ y } v_D = 0$$

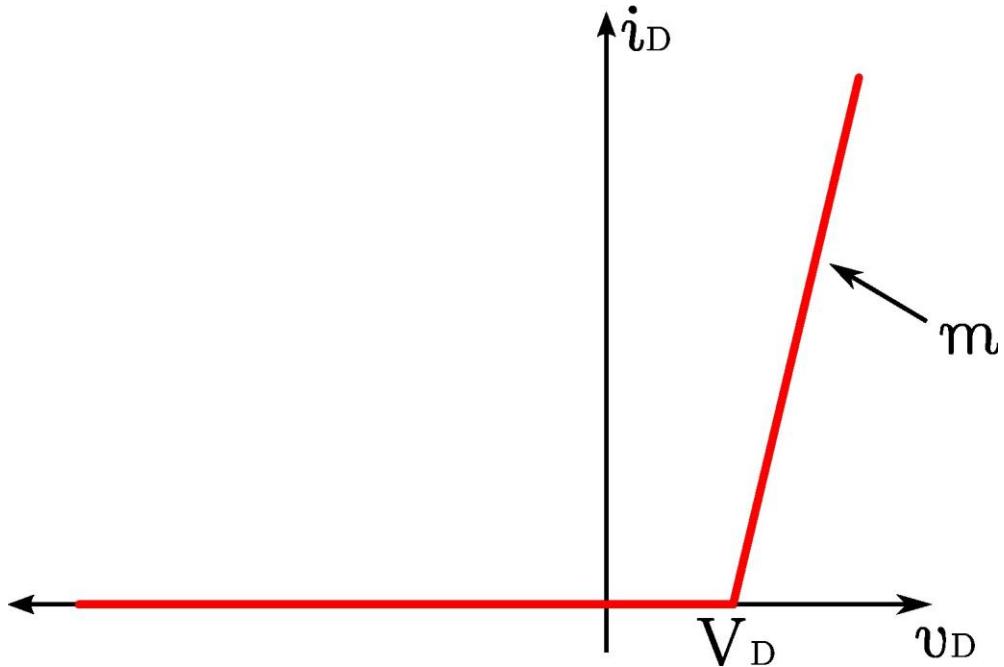
## El diodo como llave (cont.)



$$v_D = 0.2(Ge)$$

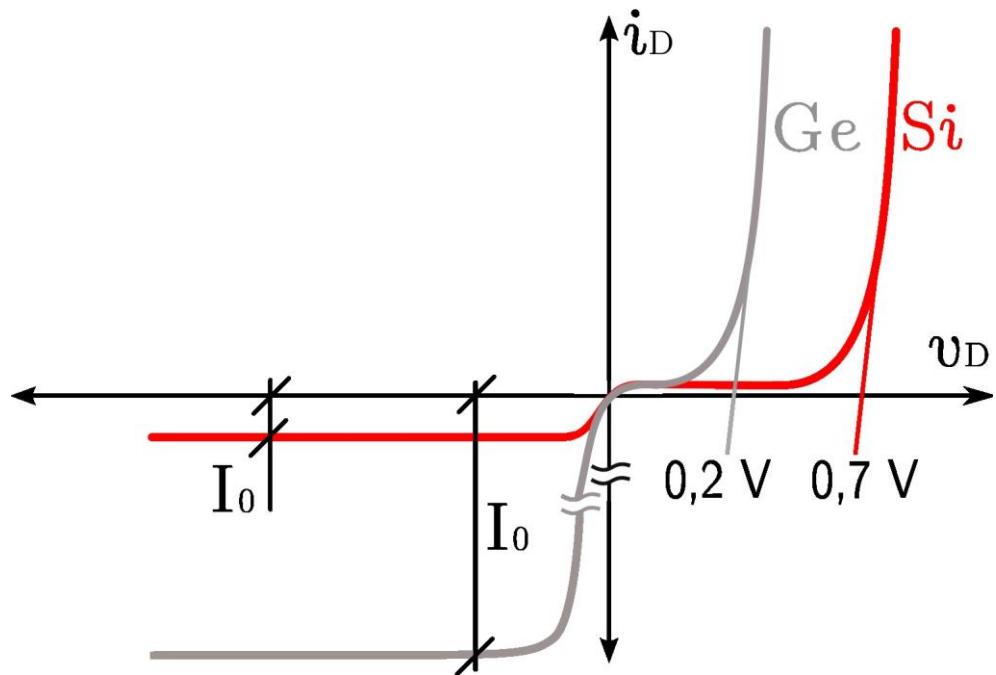
$$v_D = 0.7(Si)$$

# El diodo con resistencia interna



$$r_D \neq 0 \text{ donde } m = \frac{1}{r_D}$$

# El diodo real



# Ecuación del diodo

$$i_D = I_0(e^{\frac{q.v_D}{m.k.T}} - 1)$$

$i_D$  = Corriente en el diodo [A]

$v_D$  = Tension en el diodo [V]

$I_0$  = Corriente de saturacion inversa [A]

$q$  = Carga del electron [C]

$k$  = Constante de Boltzman  $1.38 \times 10^{-23} \left[ \frac{J}{^{\circ}K} \right]$

$T$  = Temperatura Absoluta [ $^{\circ}$ K]

$m$  = Constante empirica  $1 < m < 2$

# Ecuación del diodo (cont.)

- A temperatura ambiente

$$T = 300^{\circ}K \text{ y } m = 1$$

donde,

$$\frac{m.k.T}{q} = 25mV$$

$$i_D = I_0(e^{\frac{q.v_D}{m.k.T}} - 1)$$

$i_D$  = Corriente en el diodo [A]

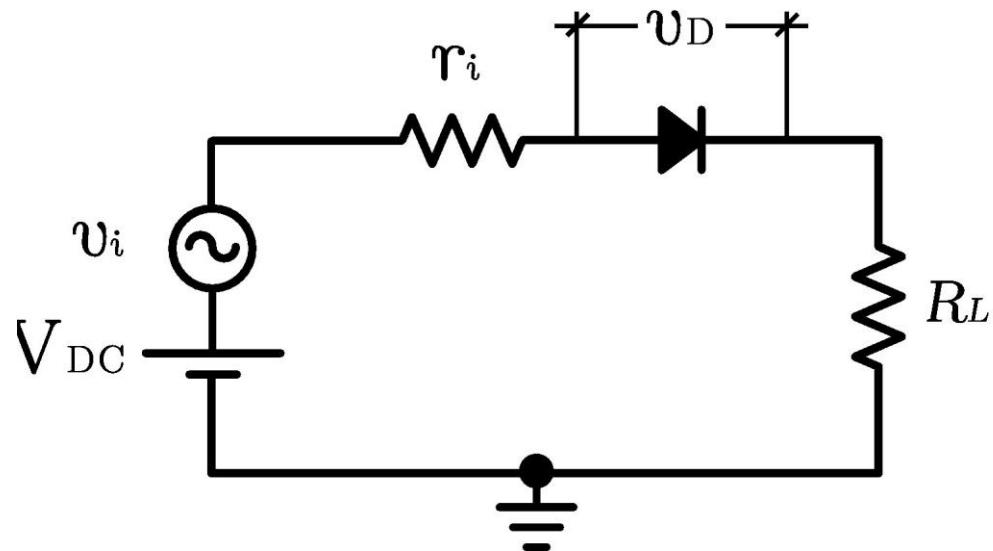
# Ecuación del diodo (cont.)

$$\text{Si } v_D > 0 \quad |v_D| \gg \frac{m.k.T}{q} \Rightarrow i_D = I_0 e^{\frac{V_D}{m.k.T}}$$

$$\text{Si } v_D < 0 \quad |v_D| \gg \frac{m.k.T}{q} \Rightarrow i_D = -I_0$$

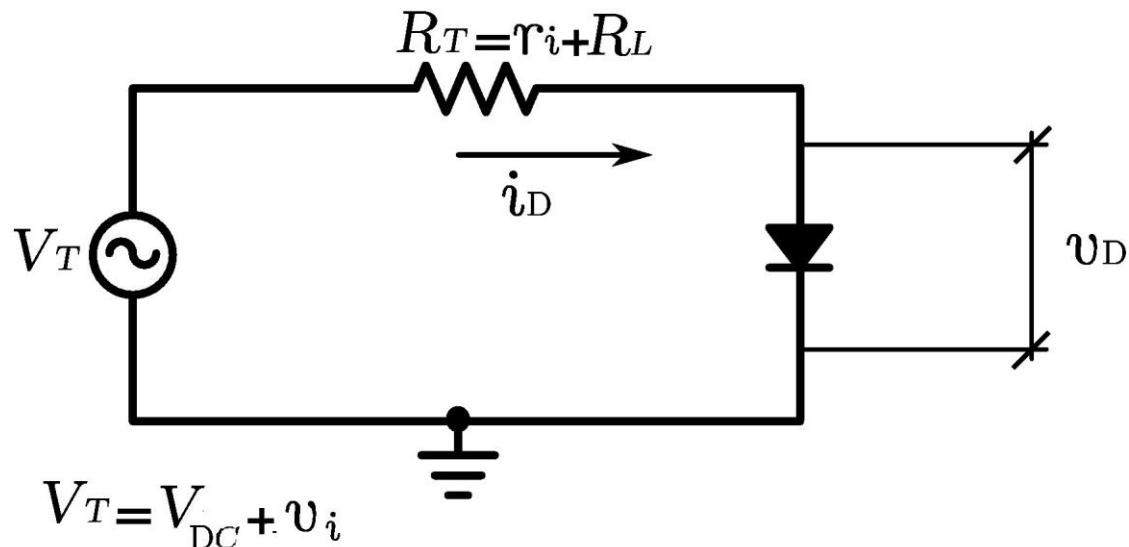
# Análisis de los circuitos simples con diodos.

- Recta de Carga



# Análisis de los circuitos simples con diodos (Cont.)

Aplicando Thevenin



# Análisis grafico

*Ecuacion no lineal(Diodo)  $\Rightarrow i_D = f(v_D)$*

*Ecuacion Lineal (Thevenin)  $\Rightarrow v_T = i_D \cdot R_T + v_D$*

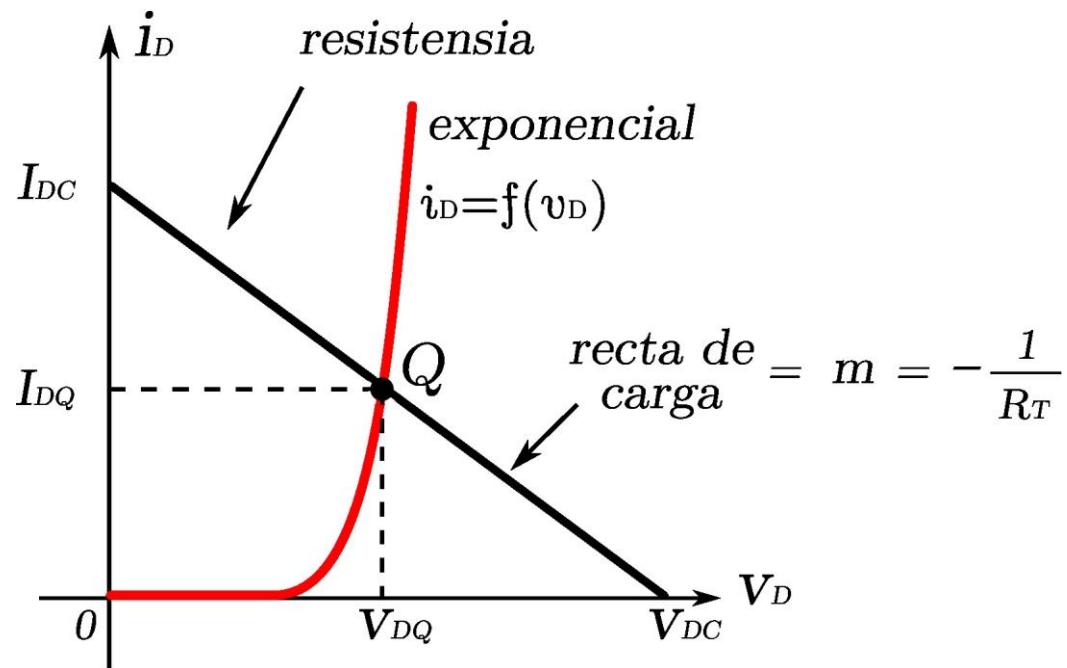
$$i_D = -\frac{v_D}{R_T} + \frac{V_T}{R_T} = -\frac{1}{R_T} v_D + \frac{V_T}{R_T}$$

$$y = m \quad x + b$$

$$m = -\frac{1}{R_T} \quad b = \frac{V_T}{R_T}$$

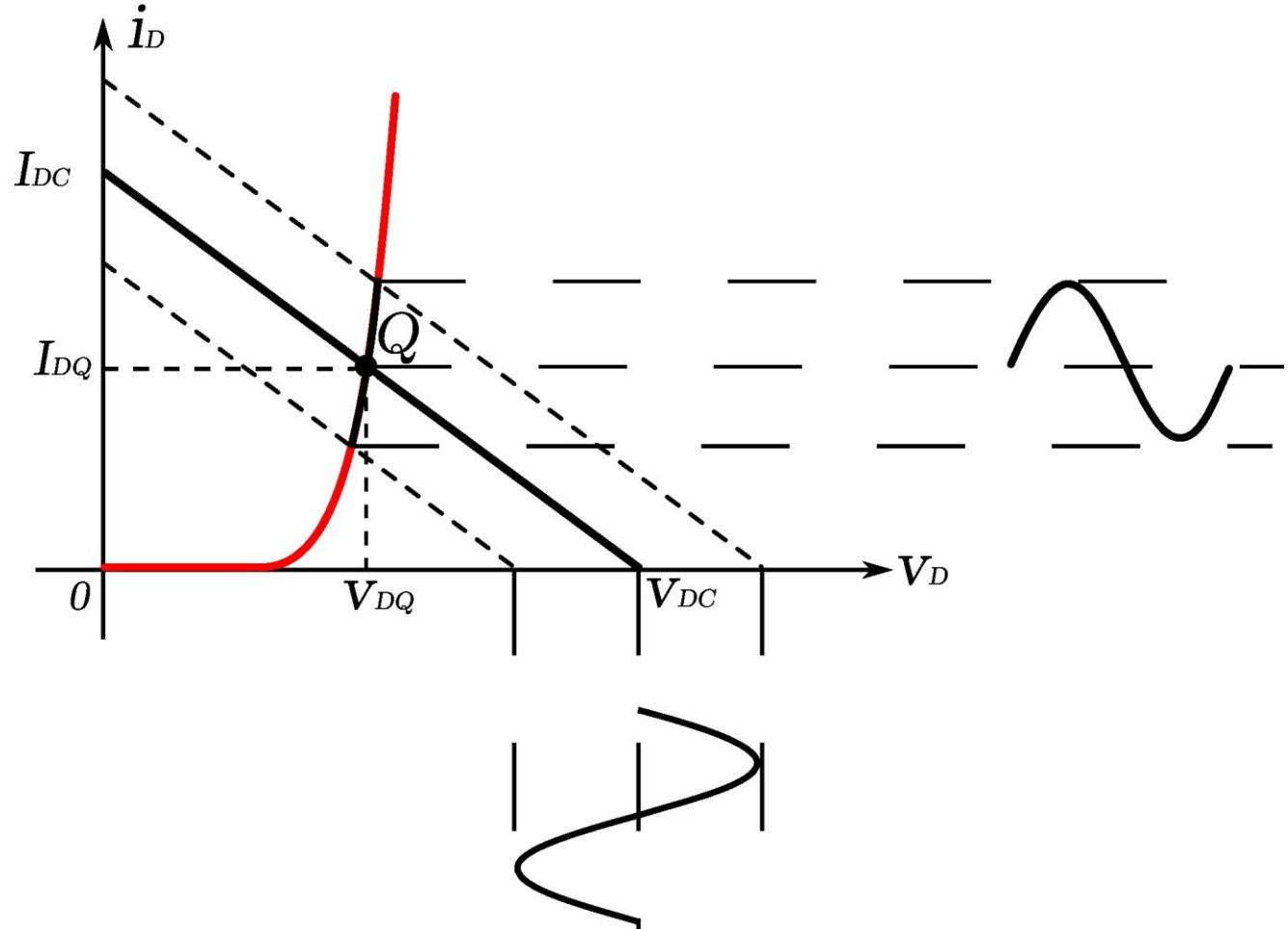
# Análisis grafico(Cont.)

- Trazado de recta de carga (sin señal)



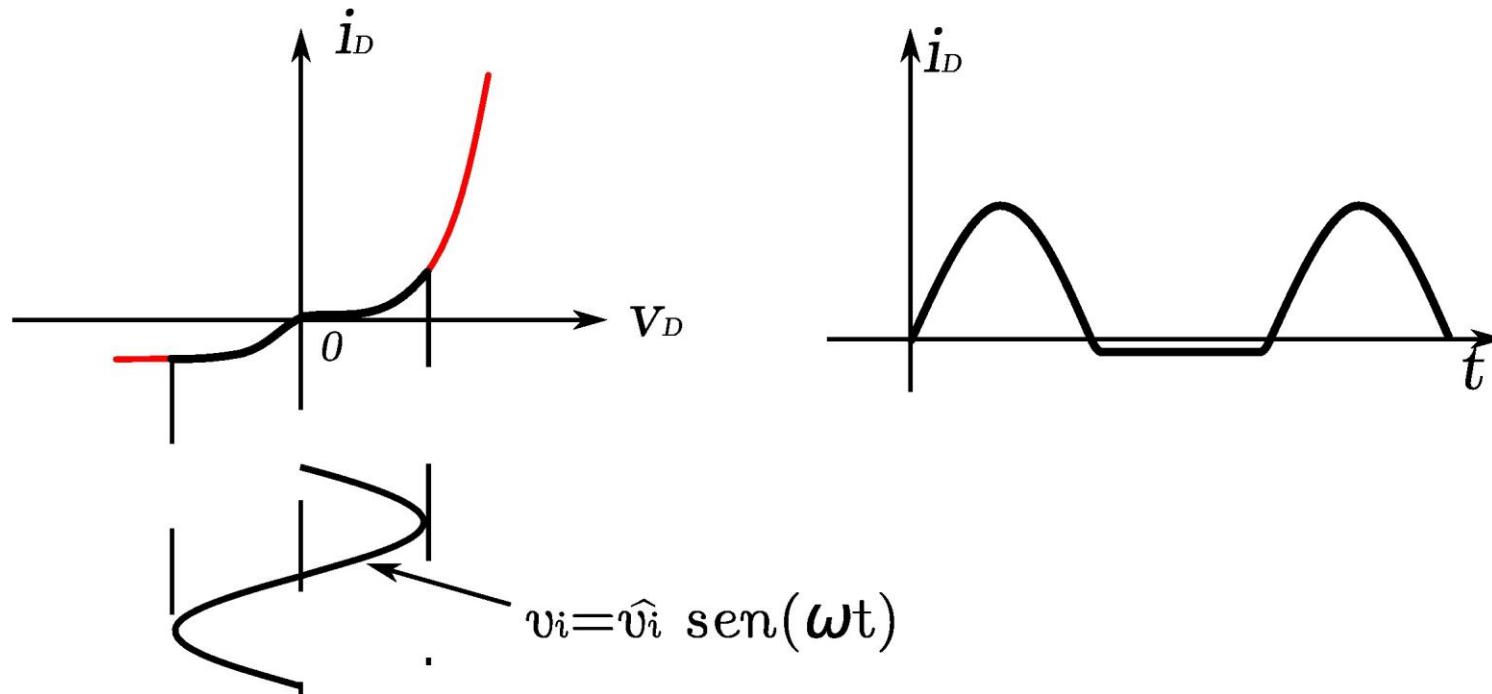
## Análisis grafico (Cont.)

- Trazado de recta de carga (con señal C.C y C.A).



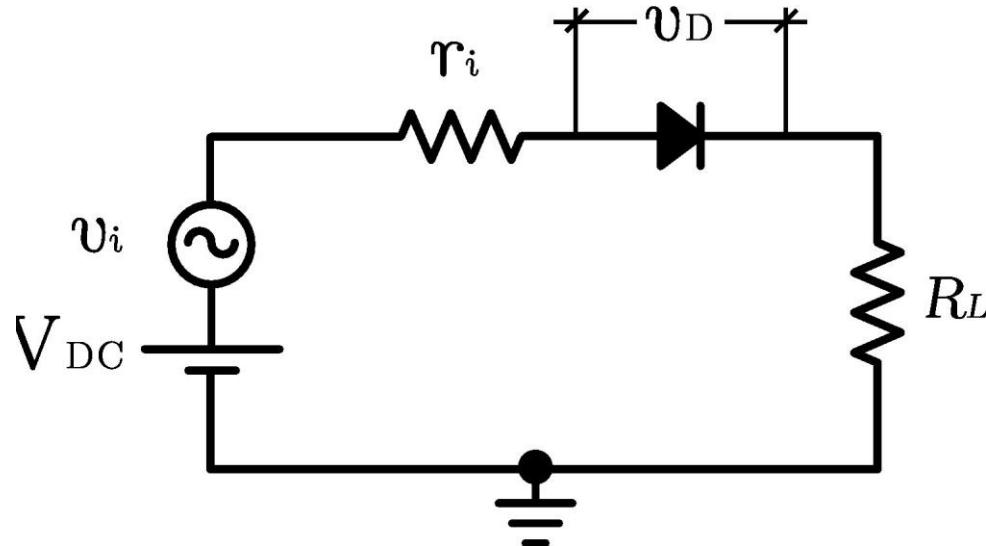
# Análisis grafico (Cont.)

Trazado de recta de carga (con señal C.A solamente).



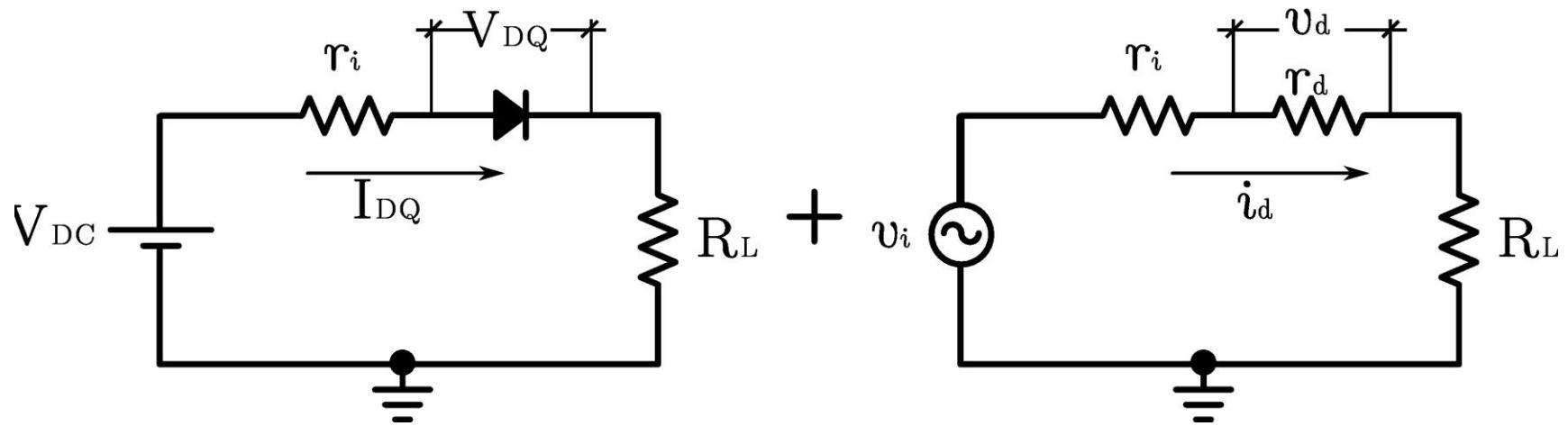
# Análisis de señal Débil

- Concepto de Resistencia Dinámica



# Análisis de señal Débil

- Desdoblamiento en dos circuitos.



$$I_{DQ} = \frac{V_{DC} - V_{DQ}}{r_i + R_L}$$

$$v_i = V_{im} \operatorname{sen}(\omega t)$$

$$i_d = \frac{V_{im}}{r_i + R_L + r_d} \operatorname{sen}(\omega t)$$

# Análisis de señal Débil (Cont.)

$$i_D = I_{DQ} + i_d = \frac{V_{DC} - V_{DQ}}{r_i + R_L} + \frac{V_{im}}{r_i + R_L + r_d} \operatorname{sen}(\omega t)$$

# Desarrollo en Serie de Taylor

$$i_D = I_{DQ} + i_d = f(v_D) \quad v_D = V_{DQ} + v_d$$

$$\left. \begin{array}{l} |i_d| \ll I_{DQ} \\ |v_d| \ll V_{DQ} \end{array} \right\} \text{Señal Debil}$$

$$f(x + \Delta x) = f(x) + \Delta x \cdot f'(x)$$

$$x = V_{DQ} \quad \Delta x = v_d$$

# Desarrollo en Serie de Taylor (Cont.)

$$i_D = I_{DQ} + i_d = f(V_{DQ} + v_d) = f(V_{DQ}) + v_d \frac{di_D}{dv_D}$$

$$I_{DQ} = f(V_{DQ})$$

$$i_d = v_d \left. \frac{di_D}{dv_D} \right|_Q$$

$$r_d = \frac{1}{m} = \frac{1}{\frac{di_D}{dv_D}} = \frac{v_d}{i_d} \quad v_d = i_d r_d$$

# Calculo de la resistencia dinámica

$$i_D = I_0 \left( e^{\frac{v_D}{m.k.T}} - 1 \right)$$

Pero si  $|v_D| \gg \frac{m.k.T}{q}$

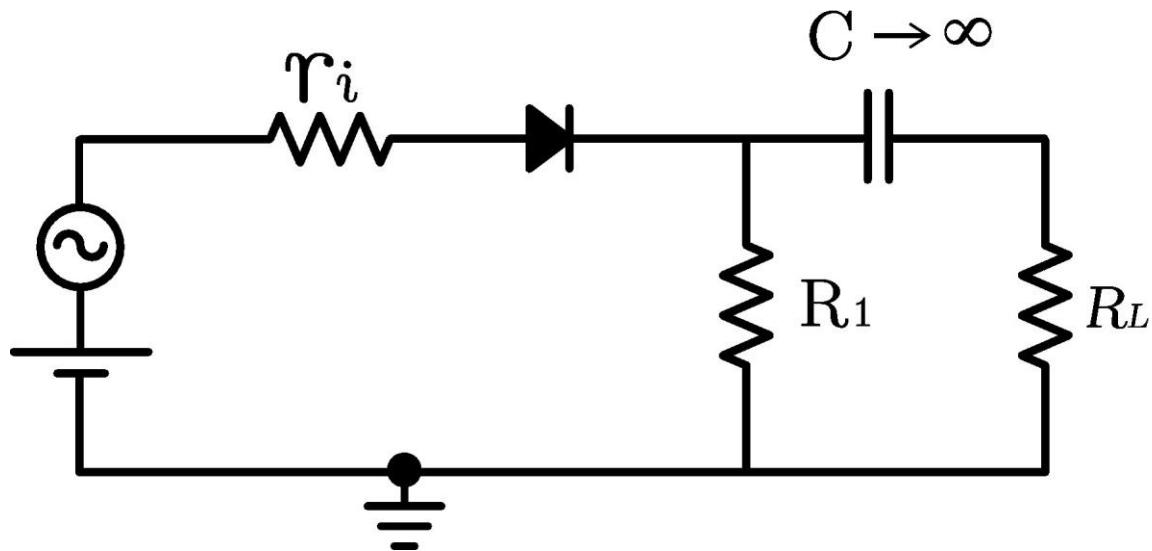
$$i_D = I_0 \cdot e^{-\frac{q}{m.k.T}}$$

$$\left. \frac{di_D}{dv_D} \right|_Q = \underbrace{I_0 \cdot e^{-\frac{q}{m.k.T}}}_{I_{DQ}} \cdot \frac{q}{m.k.T} = \frac{1}{r_d} = I_{DQ} \cdot \frac{q}{m.k.T}$$

$$r_d = \frac{m.k.T}{q} \cdot \frac{1}{I_{DQ}} = \frac{25mV}{I_{DQ}}$$

$$v_L = i_D \cdot R_L = \frac{V_{DC} - V_{DQ}}{r_i + R_L} \cdot R_L + \frac{V_{im}}{r_i + R_L + r_d} \cdot R_L \cdot \operatorname{sen}(\omega t)$$

# Circuito con elementos reactivos



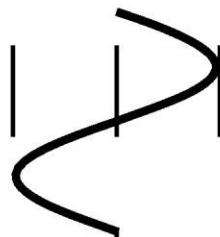
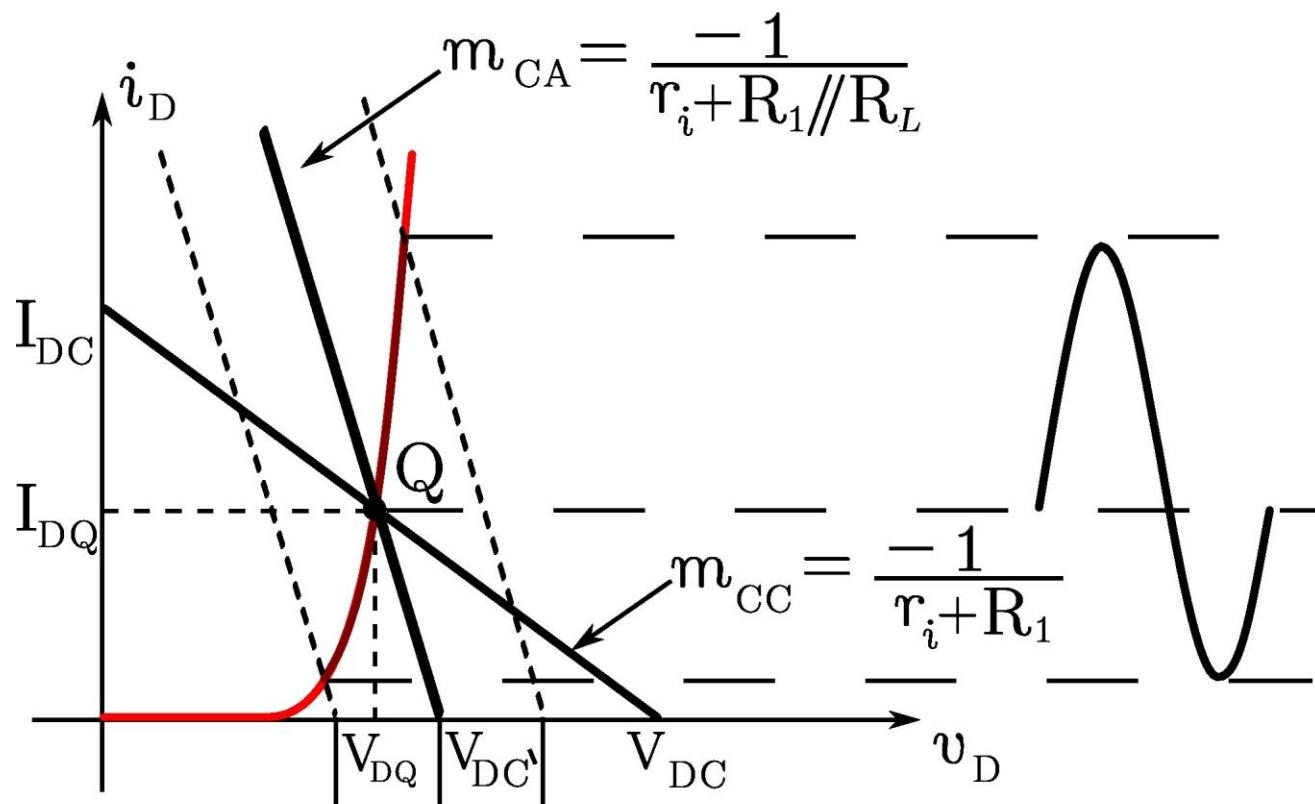
$$R_{T_{CC}} = r_i + R_1$$

$$R_{T_{CA}} = r_i + R_1 // R_L$$

$$R_{T_{CA}} < R_{T_{CC}}$$

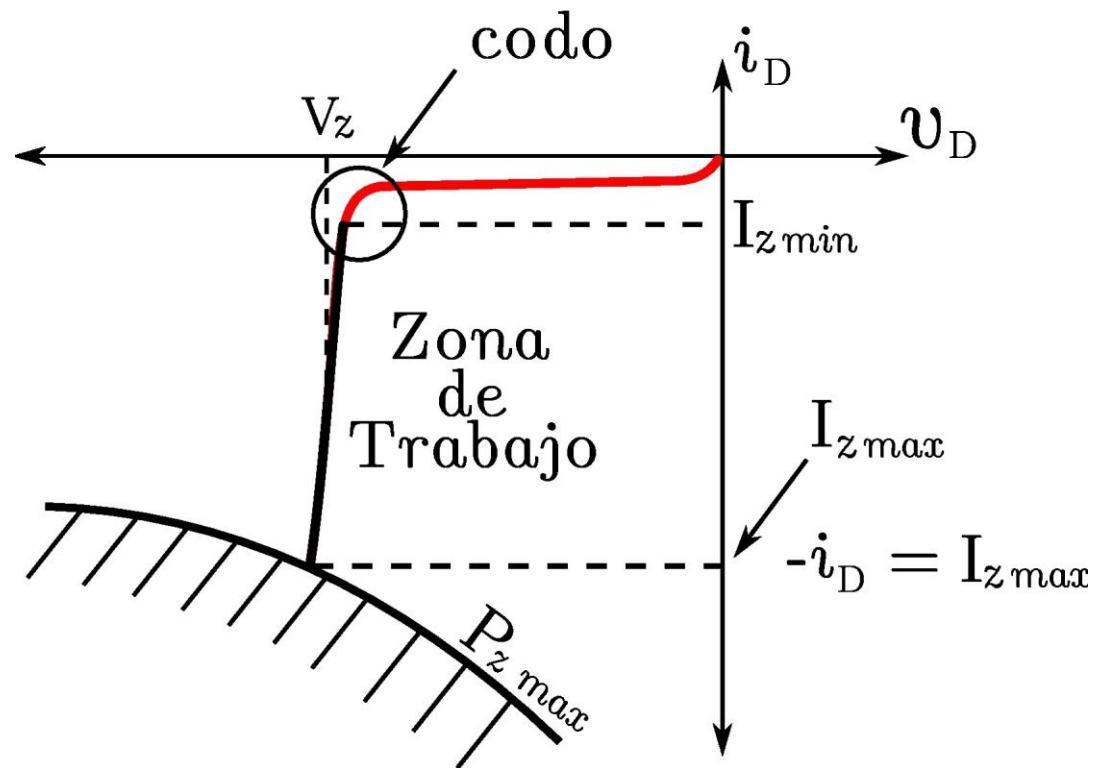
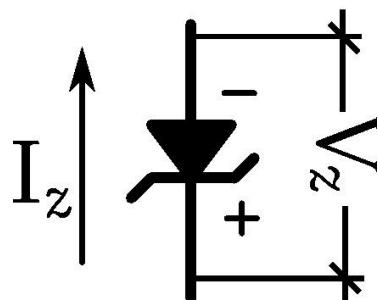
$$m_{CA} > m_{CC}$$

# Circuito con elementos reactivos (Cont.)



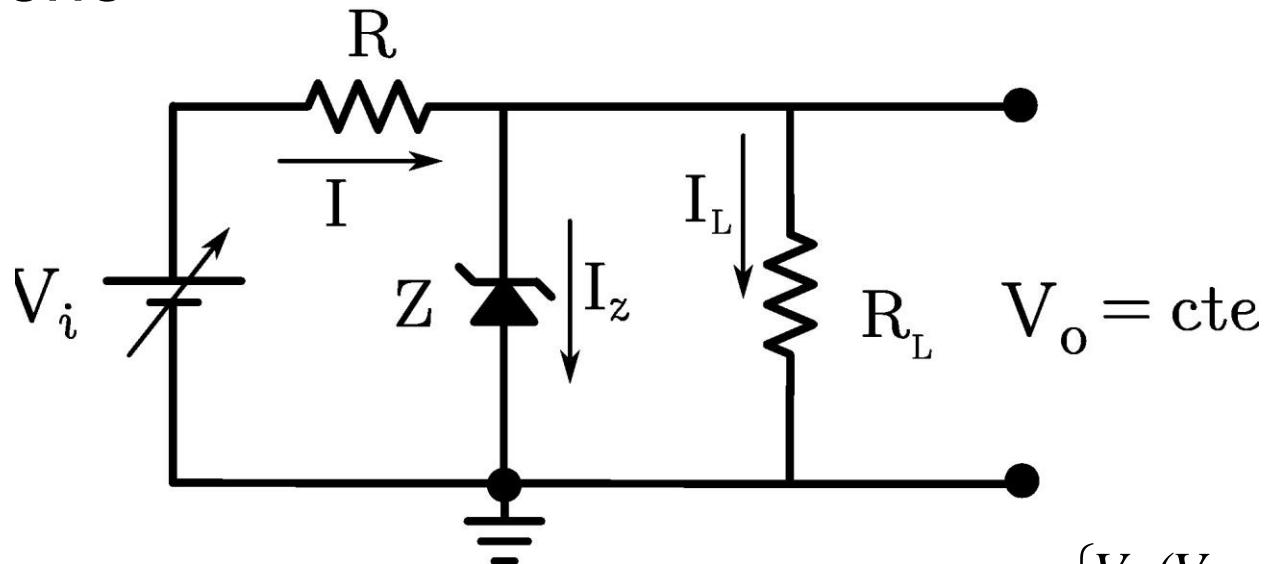
# Diodo Zener

- Símbolo.



# Diodo Zener (Cont.)

- Circuito básico estabilizador de tensión
- Diseño



*Datos*  $\begin{cases} V_Z = V_o = \text{cte} \\ P_{Z\max} \\ I_{Z\min} \text{ si no esta especificado } I_{Z\min} = \frac{1}{10} I_{Z\max} \end{cases}$       *Puede Variar*  $\begin{cases} V_i (V_{i\max}; V_{i\min}) \\ R_L \\ I_L (I_{L\max}; I_{L\min}) \end{cases}$

# Diodo Zener (Cont.)

- Ecuaciones de diseño

$$I = I_Z + I_L$$

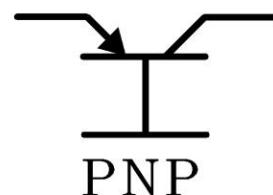
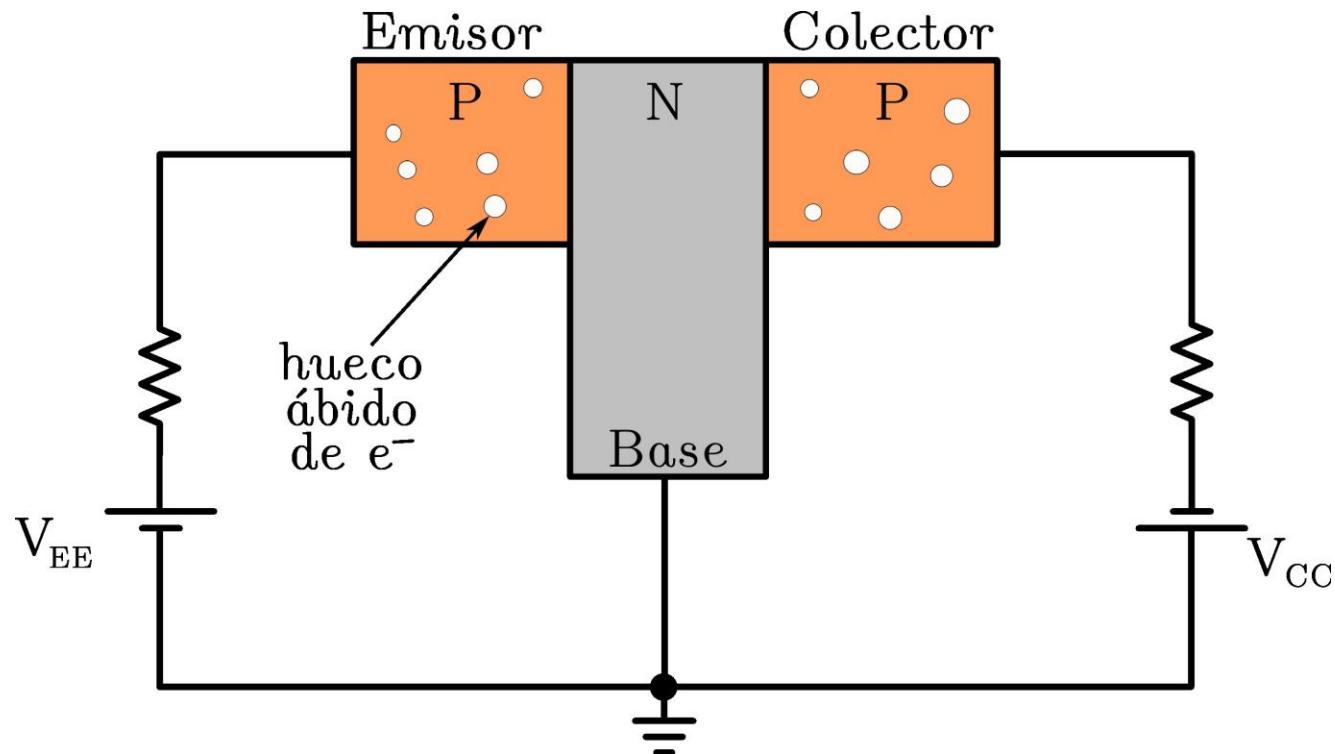
$$I_Z = I - I_L$$

$$I = \frac{V_i - V_Z}{R}$$

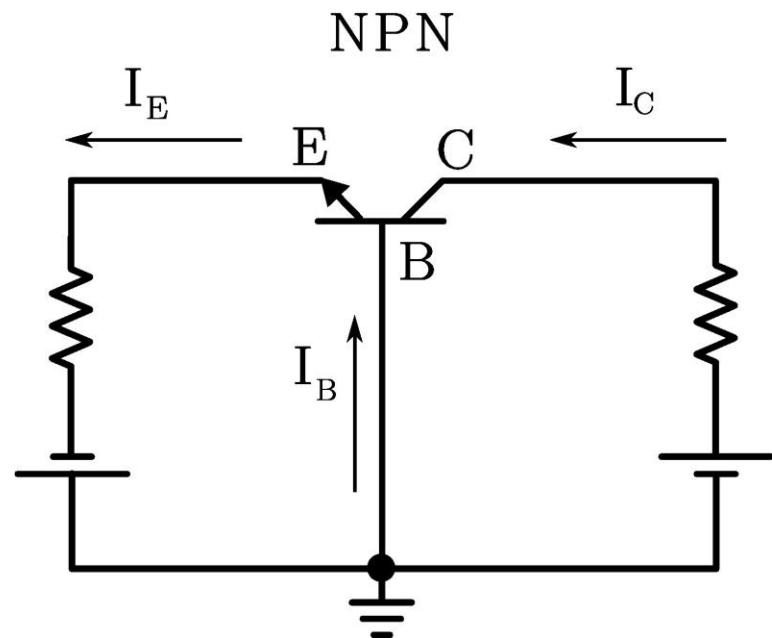
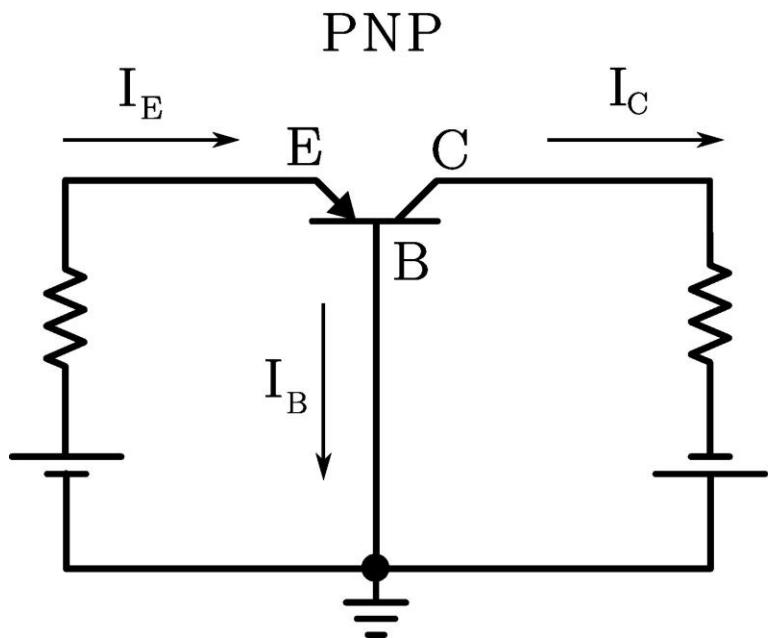
$$I_Z = \frac{V_i - V_Z}{R} - I_L$$

$$\left. \begin{aligned} I_{Z\max} &= \frac{V_{i\max} - V_Z}{R_{\min}} - I_{L\min} \Rightarrow R_{\min} = \frac{V_{i\max} - V_Z}{I_{Z\max} + I_{L\min}} \\ I_{Z\min} &= \frac{V_{i\min} - V_Z}{R_{\max}} - I_{L\max} \Rightarrow R_{\max} = \frac{V_{i\min} - V_Z}{I_{Z\min} + I_{L\max}} \end{aligned} \right\} R = \frac{R_{\max} + R_{\min}}{2}$$

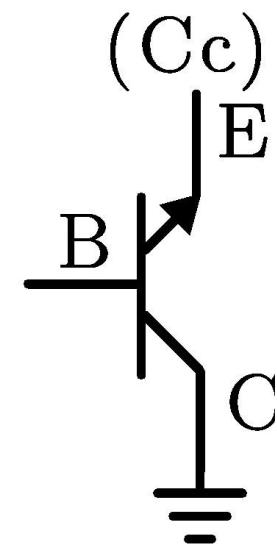
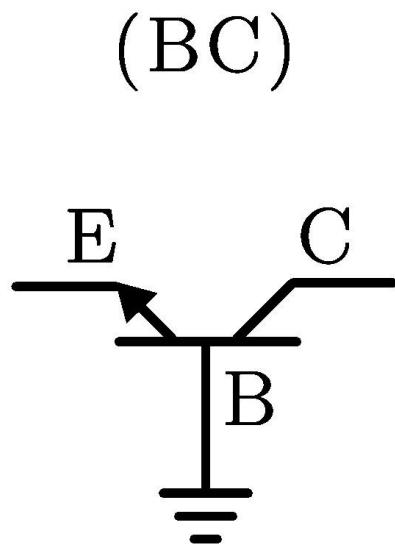
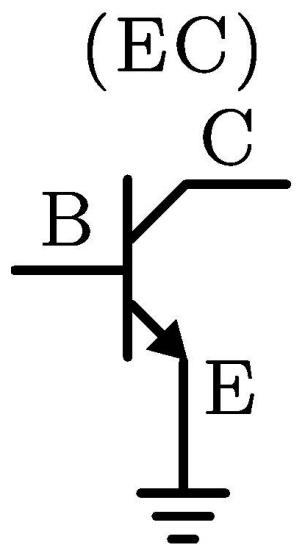
# Transistores



# Transistores PNP y NPN



# Transistores: Configuraciones



# Corrientes en el transistor

$$0,9 < \alpha < 0,995$$

$$\alpha < 1 \quad \text{siempre}$$

$$I_C = \alpha I_E + I_{CB0} \quad (1)$$

$$\alpha I_E \gg I_{CB0}$$

$$\alpha = \left. \frac{I_C}{I_E} \right|_{I_{CB0}=0} \quad \text{Ganancia Corriente en BC en CC}$$

$$I_E = I_C + I_B \quad (2)$$

$$I_{CB0} = I_C \Big|_{I_E=0}$$

$$\beta = \frac{I_C}{I_B} \quad \text{Ganancia Corriente en EC en CC}$$

# Corrientes en el transistor (Cont.)

- Relación entre  $\alpha$  y  $\beta$

$$\alpha = \frac{I_C}{I_E} = \frac{I_C}{I_C + I_B} = \frac{I_C / I_B}{I_C / I_B + I_B / I_B} = \frac{\beta}{\beta + 1}$$

$$\beta = \frac{I_C}{I_B} = \frac{I_C}{I_E - I_C} = \frac{I_C / I_E}{I_E / I_E - I_C / I_E} = \frac{\alpha}{1 - \alpha}$$

# Corrientes en el transistor (Cont.)

*de (2) despejamos  $I_B$*

$$I_B = I_E - I_C$$

*reemplazo (1) en la ecuacion anterior*

$$I_B = I_E - \alpha I_E - I_{CB0} = \textcolor{red}{I_E}(1 - \alpha) - I_{CB0}$$

*de (1) despejamos  $I_E$  y la reemplazamos en la ecuacion anterior*

$$I_E = \frac{I_C - I_{CB0}}{\alpha}$$

$$I_B = \frac{I_C - I_{CB0}}{\alpha}(1 - \alpha) - I_{CB0}$$

# Corrientes en el transistor (Cont.)

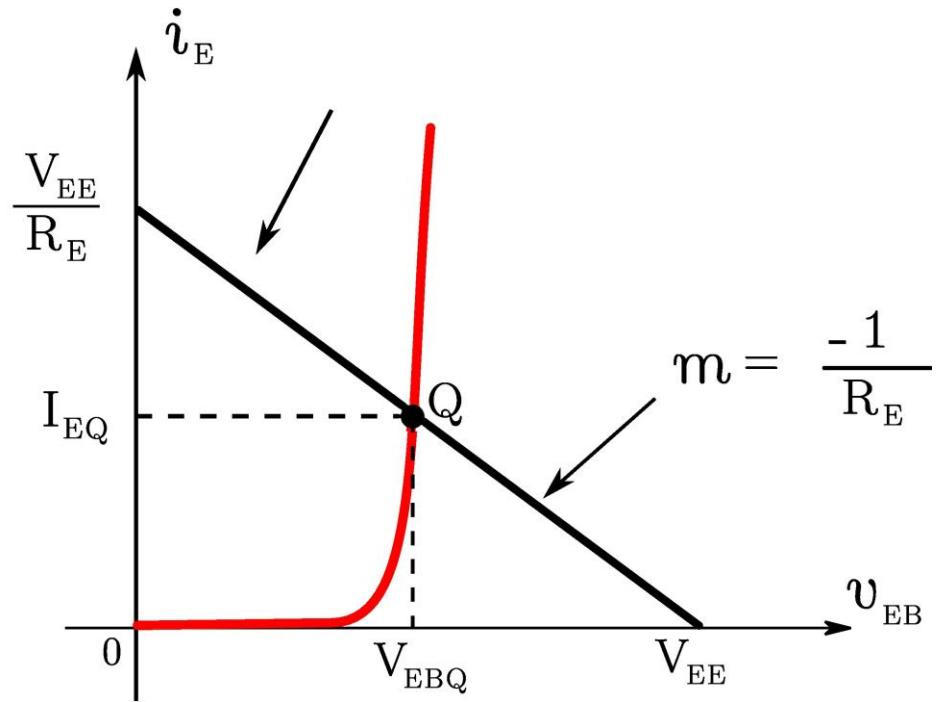
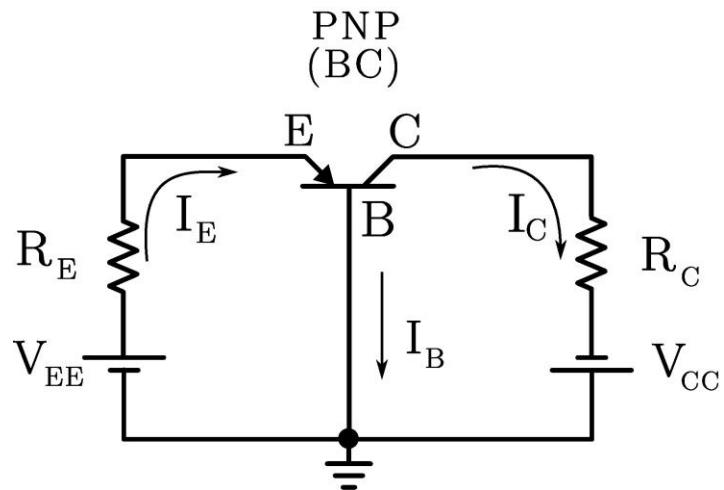
$$I_B = \frac{1-\alpha}{\alpha} I_C - \frac{1-\alpha}{\alpha} I_{CB0} - I_{CB0}$$

$$I_B = \frac{1-\alpha}{\alpha} I_C - I_{CB0} \left( \frac{1-\alpha}{\alpha} + 1 \right)$$

$$I_B = \frac{1-\alpha}{\alpha} I_C - \frac{I_{CB0}}{\alpha} \quad \text{pero } \frac{1-\alpha}{\alpha} = \frac{1}{\beta}$$

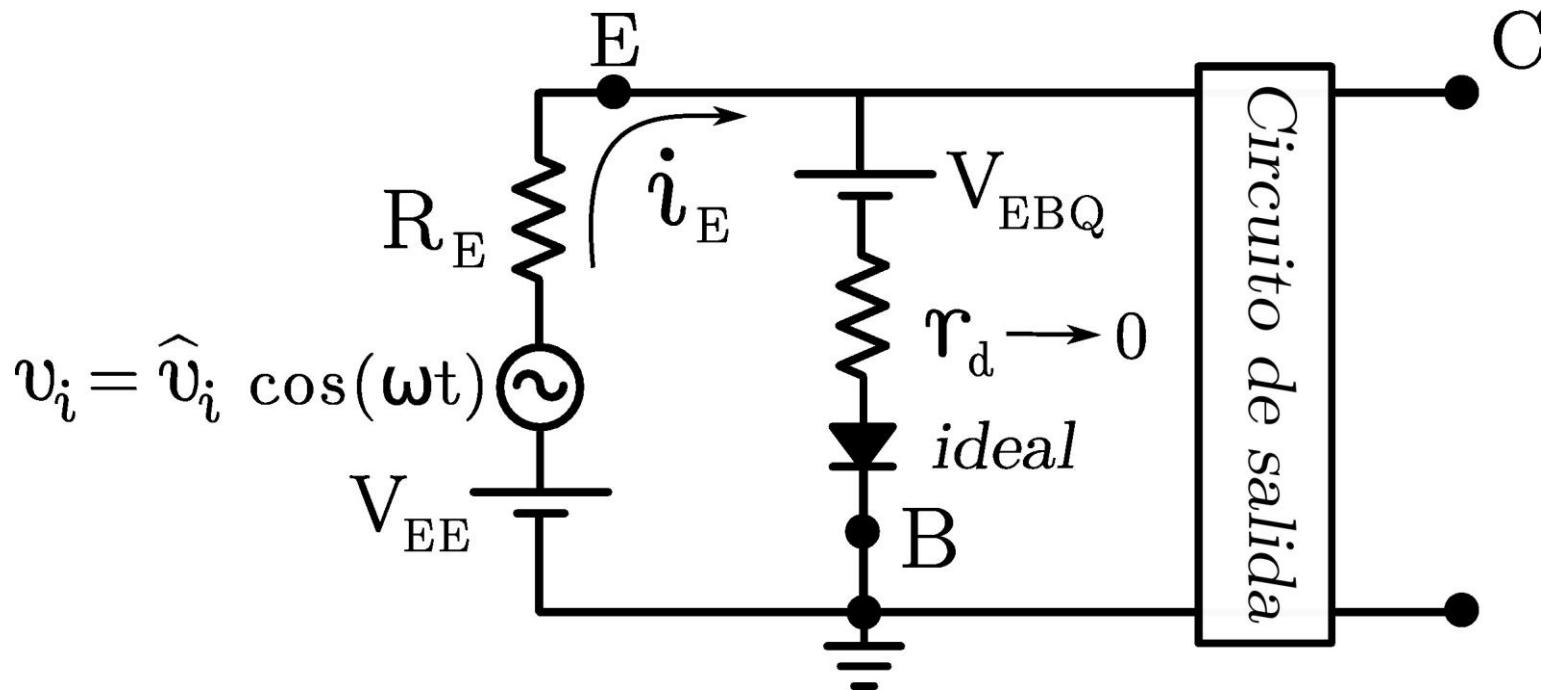
$$I_B = \frac{I_C}{\beta} - \frac{I_{CB0}}{\alpha} \quad (3)$$

# La juntura de entrada (juntura E-B)



$$I_{EQ} = \frac{V_{EE} - V_{EBQ}}{R_E}$$

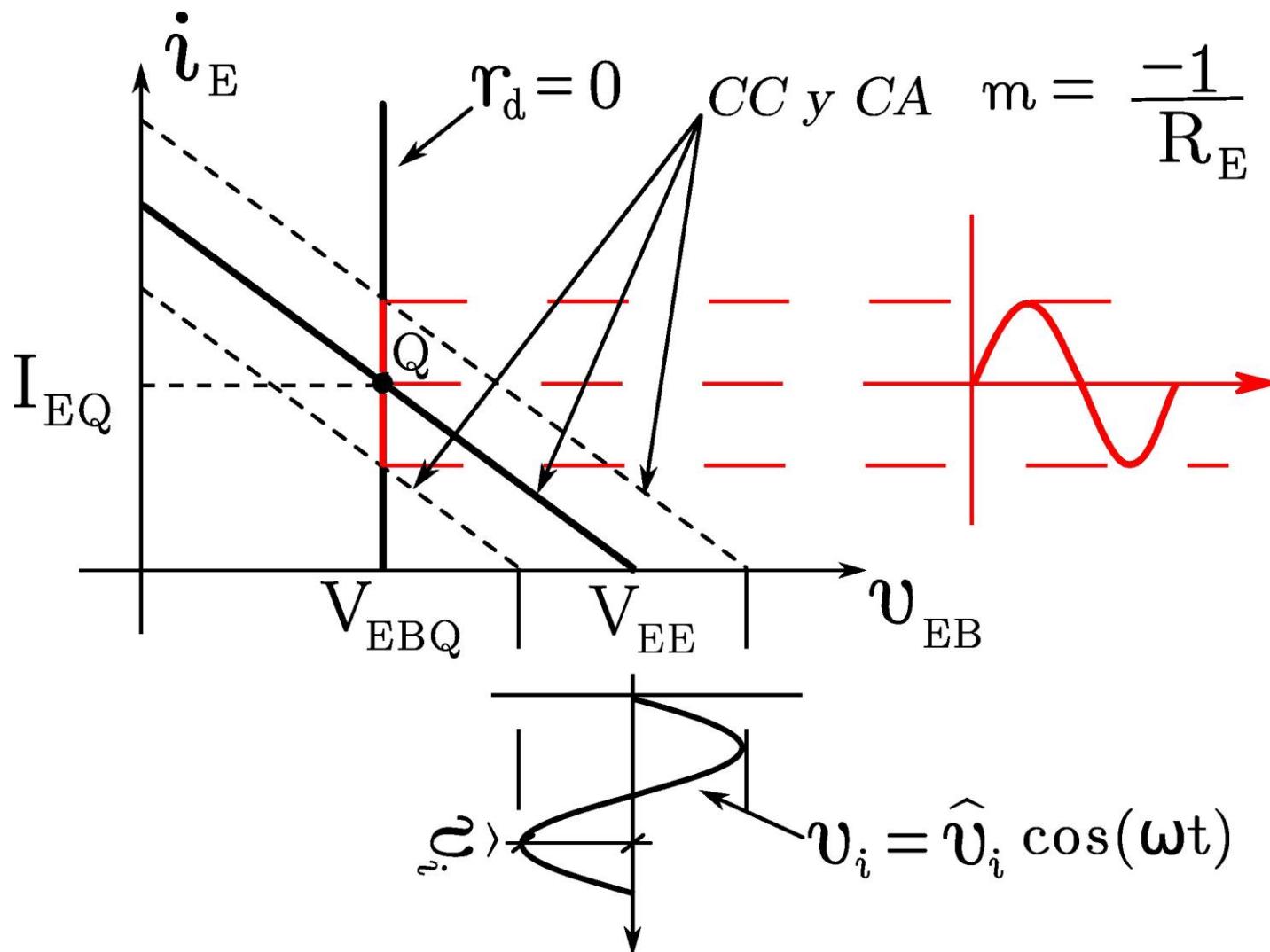
# La juntura de entrada (juntura E-B)(Cont.)



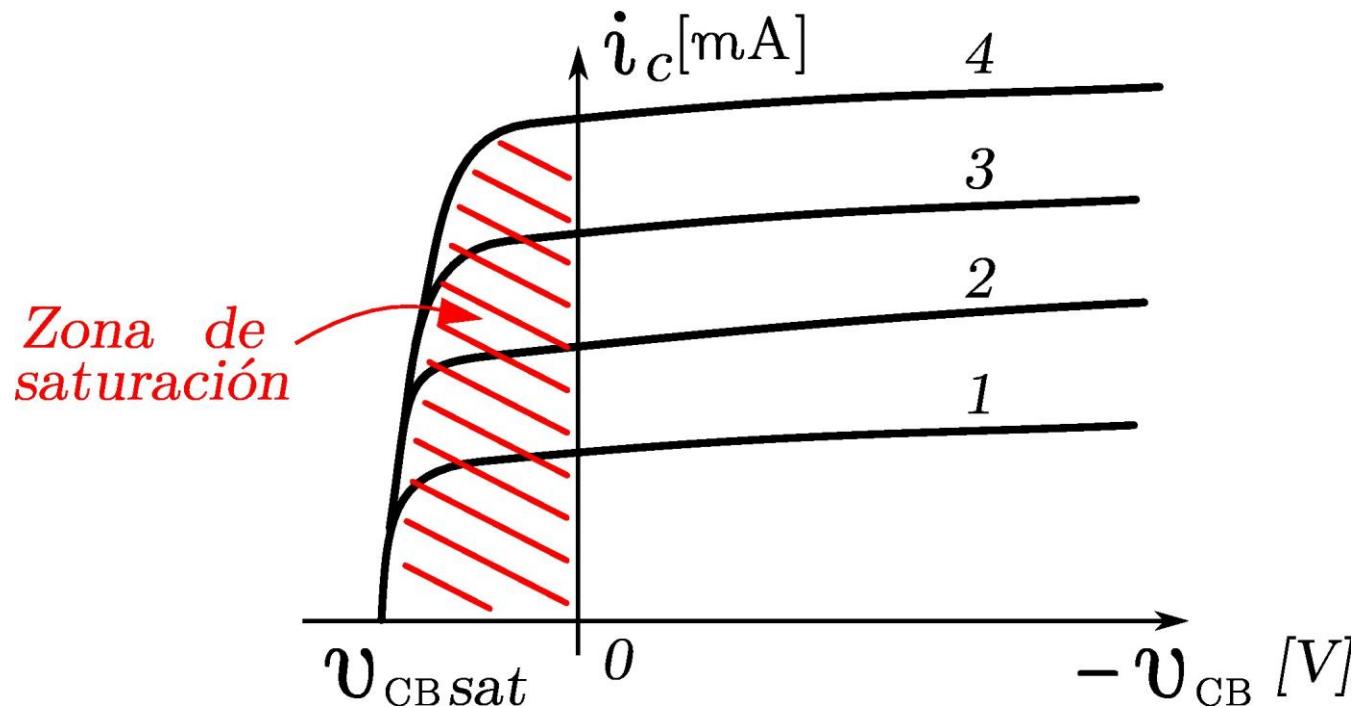
$$i_E = I_{EQ} + i_e$$

$$i_E = \frac{V_{EE} - V_{EBQ}}{R_E} + \frac{V_{im} \operatorname{sen} \omega t}{R_E} \quad (V_{EE} - V_{im}) \geq V_{EBQ}$$

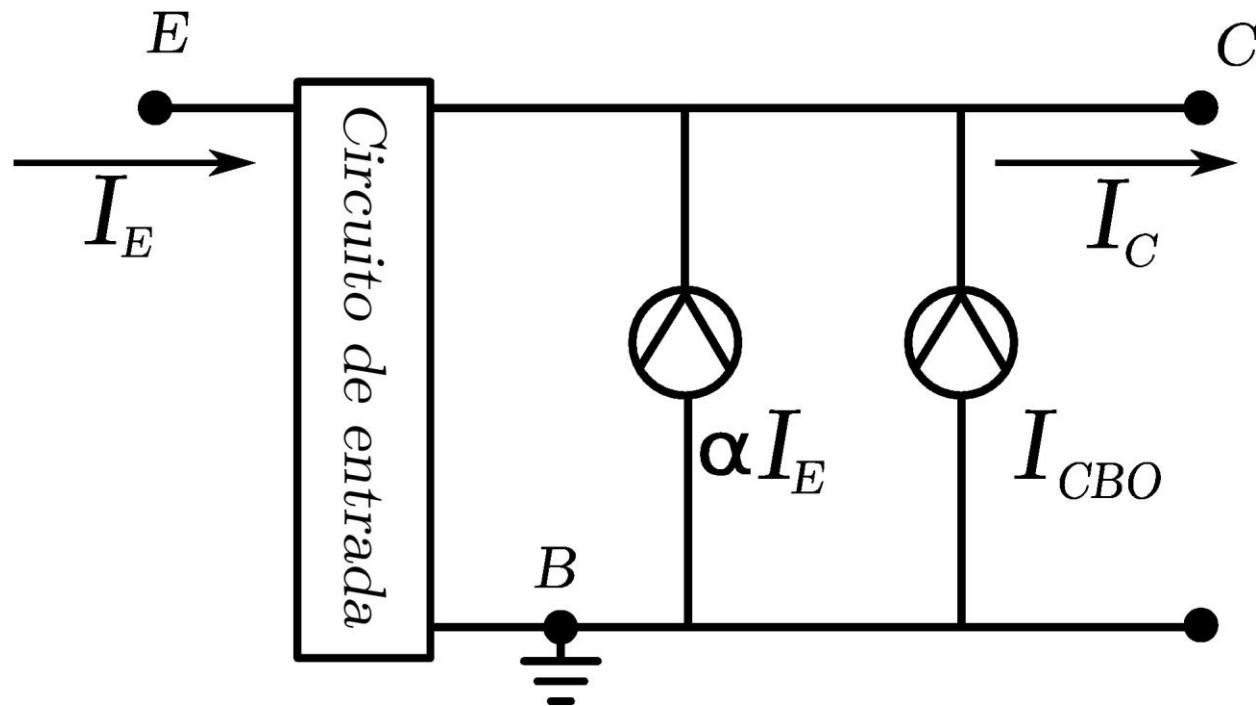
# La juntura de entrada (juntura E-B)(Cont.)



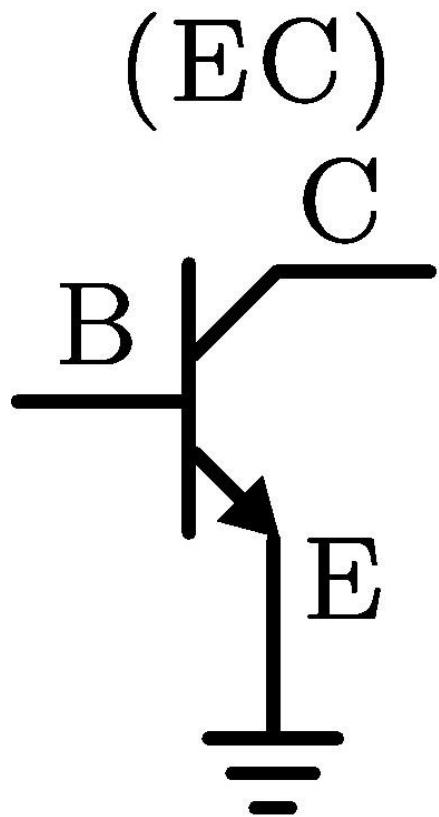
# La juntura salida (juntura C-B)



# La juntura salida (juntura C-B) (Cont.)



# Ganancia de corriente en Continua y Alterna para emisor común



$$\beta = \frac{I_{CQ}}{I_{BQ}} = h_{FE} \text{ (de continua)}$$

$$h_{fe} = \frac{i_c}{i_b} \text{ (en alterna)}$$

$$i_C = f(\beta, i_B) = \beta i_B$$

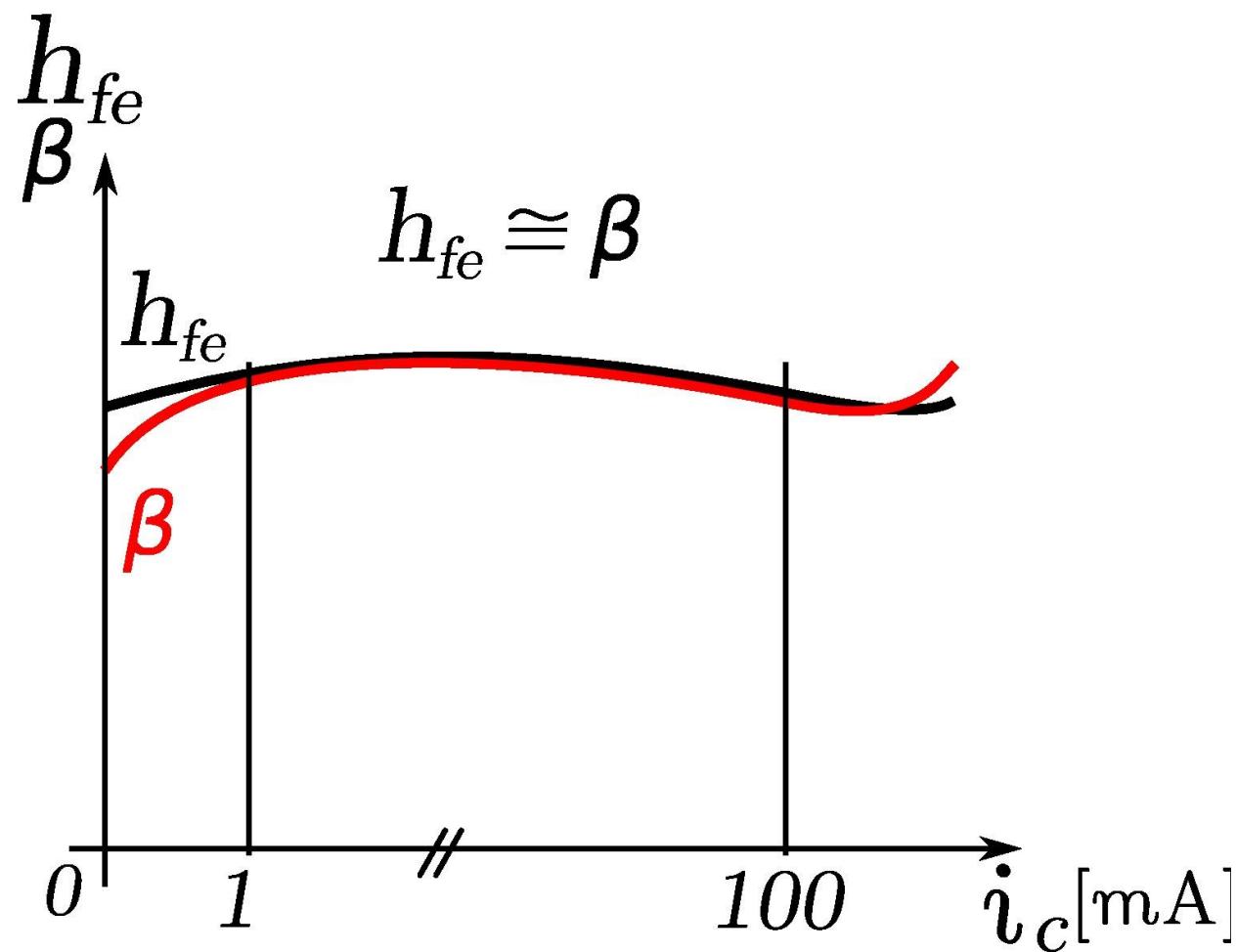
$$h_{fe} = \frac{i_c}{i_b} = \frac{\Delta i_C}{\Delta i_B} = \beta \frac{\Delta i_B}{\Delta i_B} + \frac{\Delta \beta}{\Delta i_B} i_B$$

$$= \beta + \frac{\Delta \beta}{\Delta i_B} i_B$$

Si  $\frac{\Delta \beta}{\Delta i_B} i_B$  es pequeña comparado con  $\beta$ , se tendrá

$$h_{fe} \approx \beta \equiv h_{FE}$$

# Ganancia de corriente en Continua y Alterna para emisor común (Cont.)



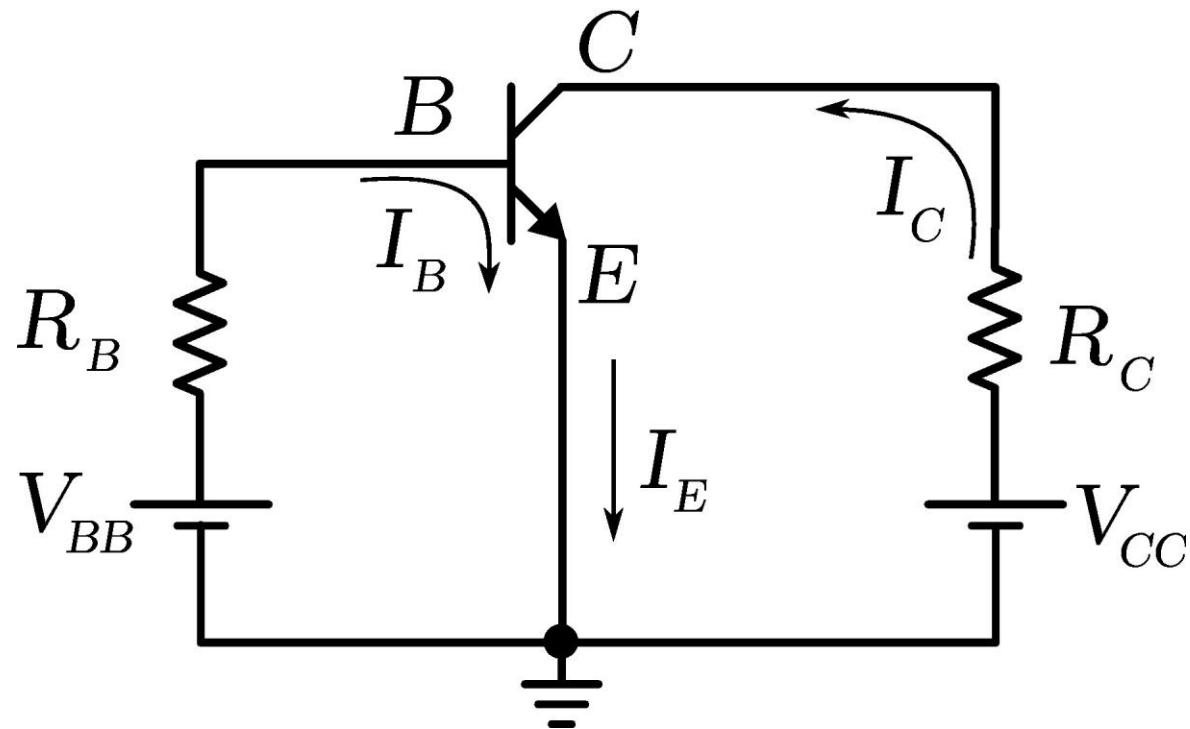
# Polarización- El amplificador básico (para E-C)

- Definiciones

"Polarizar es energizar con CC la salida y la entrada".

Para transistores en CC, análisis es hallar el punto Q teniendo todos los valores de los elementos como datos; diseño, es hallar todos los valores del circuito teniendo como dato el punto Q.

# Polarización- El amplificador básico (para E-C) (Cont.)



# Polarización- El amplificador básico (para E-C) (Cont.)

*Analisis :*

*Ecuacion de entrada (por Kirchoff) :*

$$V_{BB} = I_{BQ}R_B + V_{BEQ} \quad \text{Donde} \begin{cases} 0,7(Si) \\ 0,2(Ge) \end{cases}$$

$$I_{BQ} = \frac{V_{BB} - V_{BEQ}}{R_B} \quad (1)$$

$$\beta = \frac{I_{CQ}}{I_{BQ}} \Rightarrow I_{CQ} = \beta I_{BQ} \quad (2)$$

*Ecuacion de salida :*

$$V_{CC} = I_{CQ}R_C + V_{CEQ}$$

$$V_{CEQ} = V_{CC} - I_{CQ}R_C = V_{CC} - \beta I_{BQ}R_C \quad (3)$$

# Polarización- El amplificador básico (para E-C) (Cont.)

*Diseño:*

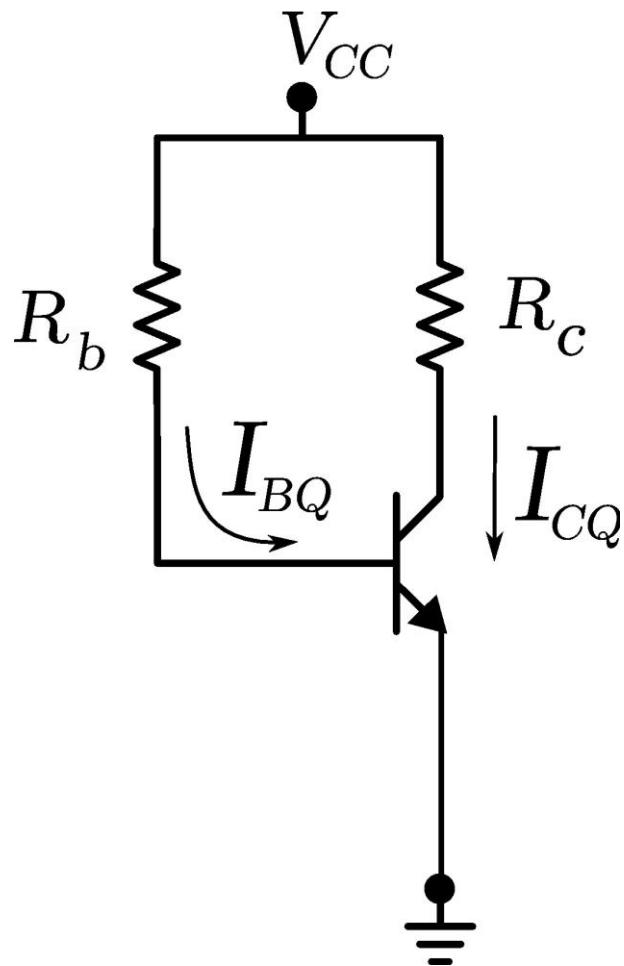
*dado el punto Q, hay que hallar los Resistores de (1):*

$$R_B = \frac{V_{BB} - V_{BEQ}}{I_{BQ}}$$

*de (3):*

$$R_C = \frac{V_{CC} - V_{CEQ}}{I_{CQ}}$$

# Circuito con una fuente y dos resistencias



$$I_{BQ} = \frac{V_{CC} - V_{BEQ}}{R_b}$$

$$I_{CQ} = \beta I_{BQ}$$

$$V_{CEQ} = V_{CC} - I_{CQ} R_c$$

$$R_c = \frac{V_{CC} - V_{CEQ}}{I_{CQ}}$$

$$R_b = \frac{V_{CC} - V_{BEQ}}{I_{BQ}}$$

# Circuito con una fuente y tres resistencias

$R_E$  estabiliza el punto Q ante variaciones de  $\beta$

Analisis

Entrada :

$$V_{CC} = \frac{I_{CQ}}{\beta} R_b + V_{BE} + I_{CQ} R_E$$

$$I_{CQ} = \frac{V_{CC} - V_{BE}}{R_E + \frac{R_b}{\beta}}$$

Si,  $R_E \gg \frac{R_b}{\beta} \Rightarrow$  si varia  $\beta$  no influye mucho.

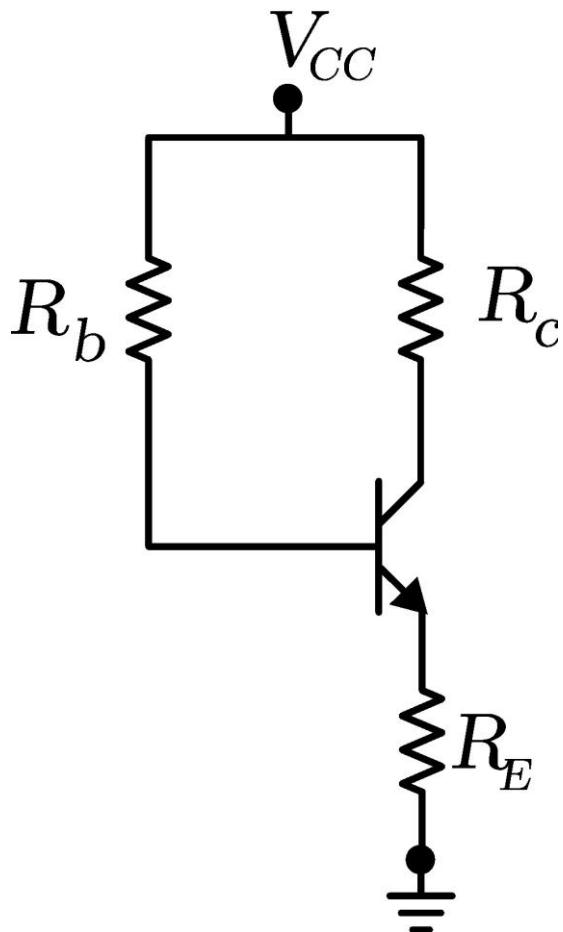
Si hacemos

$$R_E = 10 \frac{R_b}{\beta} \quad \text{Criterio de estabilidad}$$

$$R_b = \frac{\beta}{10} R_E$$

Salida :

$$V_{CEQ} = V_{CC} - I_{CQ}(R_C + R_E)$$



# Circuito con una fuente y tres resistencias (Cont.)

Diseño

Entrada :

$$\begin{aligned}V_{CC} &= \frac{I_{CQ}}{\beta} R_b + V_{BEQ} + I_{CQ} R_E \\&= \frac{I_{CQ}}{\beta} \frac{\beta' R_E}{10} + V_{BEQ} + I_{CQ} R_E \\&= 1,1(I_{CQ} R_E) + V_{BEQ} \Rightarrow R_E = \frac{V_{CC} - V_{BEQ}}{1,1I_{CQ}}\end{aligned}$$

Salida :

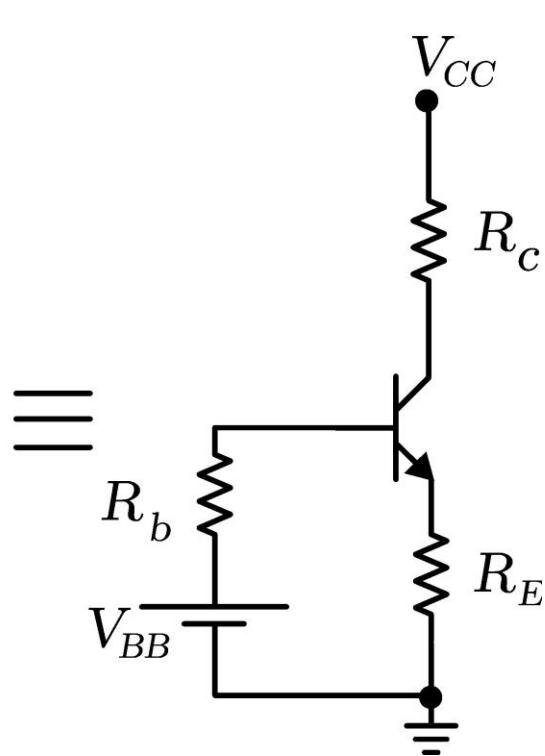
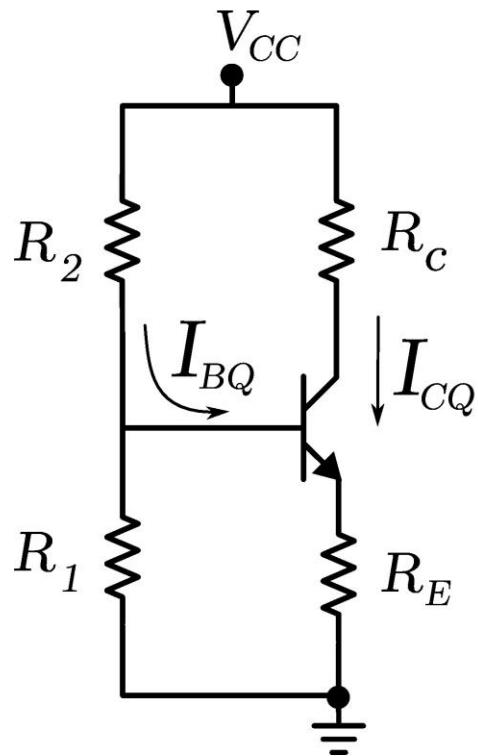
$$V_{CC} = V_{CEQ} + I_{CQ}(R_C + R_E)$$

$$R_C = \frac{V_{CC} - V_{CEQ}}{I_{CQ}} - R_E$$

En el Diseño si no importa la estabilidad  
se toma  $100\Omega < R_E < 2K\Omega$

$$V_{CC} = \frac{I_{CQ}}{\beta} R_b + V_{BEQ} + I_{CQ} R_E \Rightarrow R_b = \beta \left[ \frac{V_{CC} - V_{BEQ}}{I_{CQ}} - R_E \right]$$

# Circuito fundamental



$$R_b = \frac{R_1 R_2}{R_1 + R_2} \quad (1)$$

$$V_{BB} = \frac{V_{CC}}{R_1 + R_2} R_1 \quad (2)$$

$$V_{BB} = \frac{I_{CQ}}{\beta} R_b + V_{BE} + I_{CQ} R_E$$

$$I_{CQ} = \frac{V_{BB} - V_{BE}}{\frac{R_b}{10} + R_E}$$

$$V_{CEQ} = V_{CC} - I_{CQ} (R_C + R_E)$$

# Circuito fundamental (Cont.)

Diseño

Datos: Punto Q

Transistor ( $i_{C(\max)}; BV_{CE}; \beta; V_{BE}$ )

$$i_{C(\max)} \geq 2I_{CQ} \quad V_{CC} < BV_{CE}$$

despejando (1) y (2)

$$\frac{R_1}{R_1 + R_2} = \frac{R_b}{R_2} = \frac{V_{BB}}{V_{CC}} = \frac{R_1}{R_1 + R_2} \Rightarrow \boxed{R_2 = \frac{V_{CC}}{V_{BB}} R_b}$$

de (2)

$$R_1 + R_2 = \frac{V_{CC}}{V_{BB}} R_1$$

$$R_1 \left[ 1 - \frac{V_{CC}}{V_{BB}} \right] = -\frac{V_{CC}}{V_{BB}} R_b$$

$$R_1 = \begin{cases} \left( \frac{V_{CC}}{V_{BB}} R_b \right) \\ \left( \frac{V_{CC}}{V_{BB}} - \frac{V_{BB}}{V_{BB}} \right) \end{cases} \Rightarrow \boxed{R_1 = \frac{R_b}{1 - \frac{V_{BB}}{V_{CC}}}}$$

# Condensadores de acoplamiento y desacoplamiento.

- Recta de Carga C.A y Máxima Excusión Simétrica.

$C_1$  acopla la etapa anterior con la etapa en cuestión en C.A.

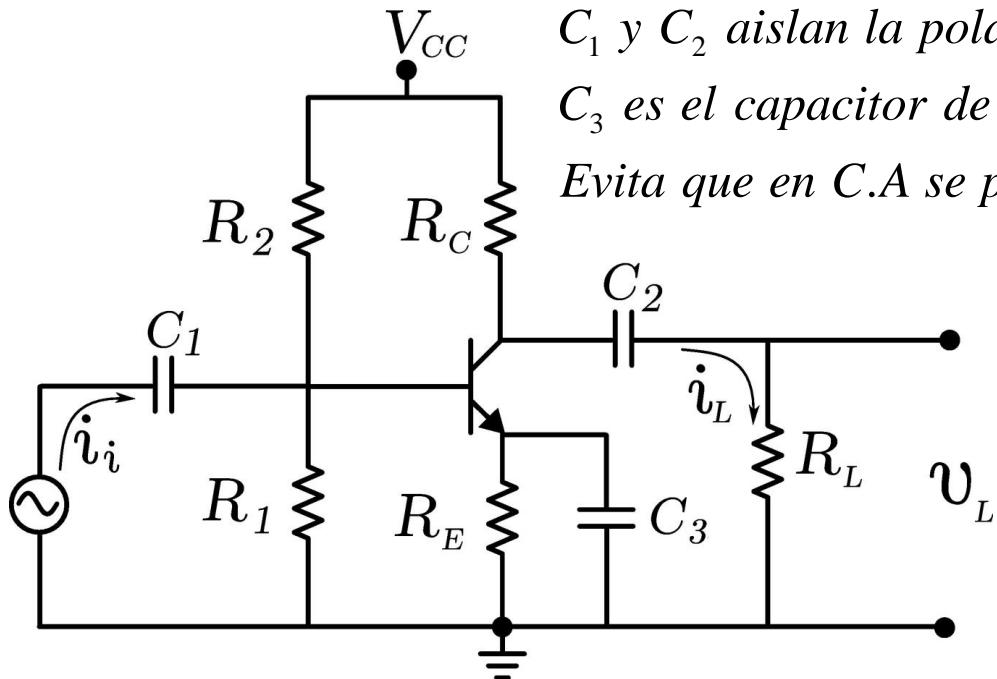
$C_2$  acopla la etapa presente con la siguiente, también en C.A.

$C_1$  y  $C_2$  son como cables para la C.A.

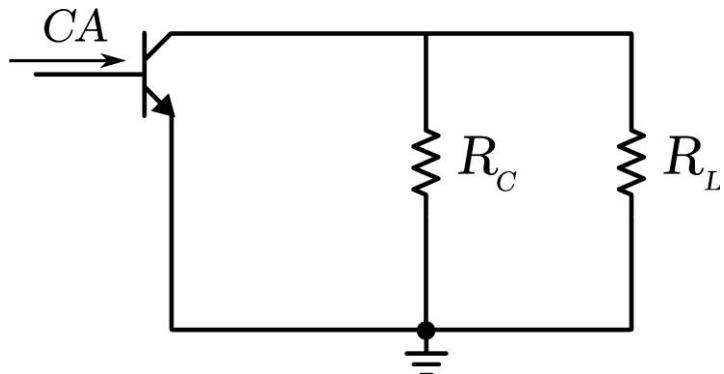
$C_1$  y  $C_2$  aislan la polarización de etapas en C.C.

$C_3$  es el capacitor de desacoplamiento en C.A.

Evita que en C.A se pierda energía inutilmente en  $R_E$



# Recta de carga de C.A



$$\dot{i_c} = I_{CQ} + \frac{V_{CEQ}}{R_{CA}}$$

$i_c$

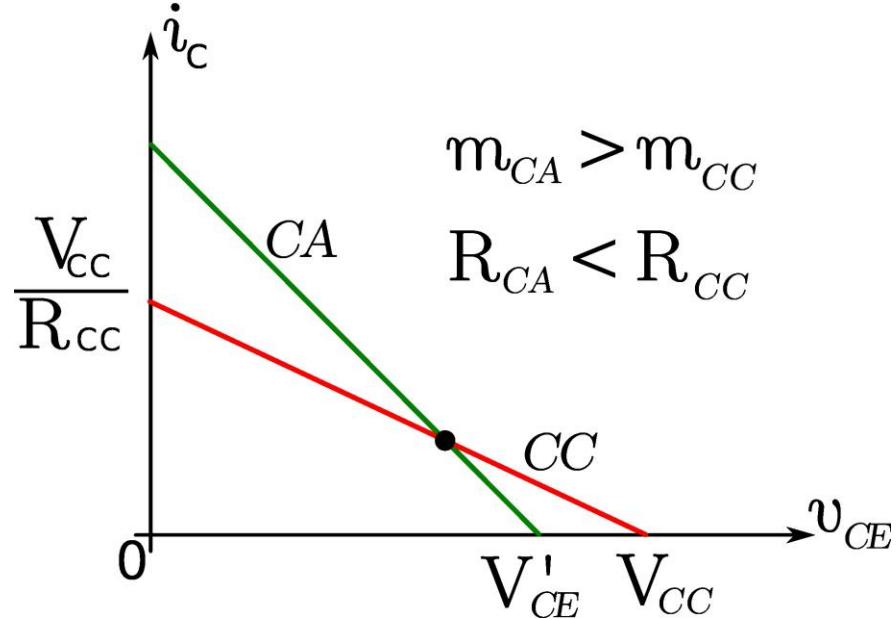
$$\dot{v_{ce}} = V_{CEQ} + \underbrace{I_{CQ} R_{CA}}_{v_{ce}}$$

$R_{CC}$  : Resistencia del circuito de salida a la C.C.

$$R_{CC} = R_C + R_E$$

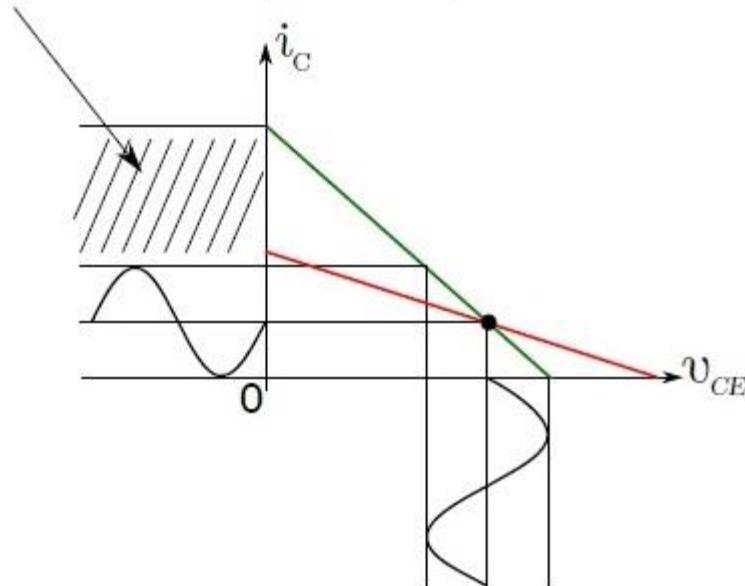
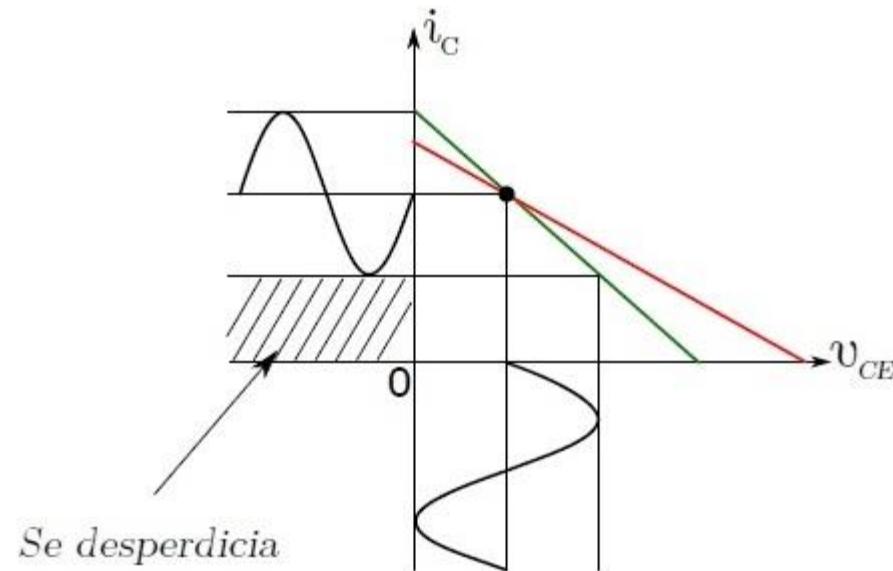
$R_{CA}$  : Resistencia del circuito de salida a la C.A.

$$R_{CA} = R_C // R_L$$

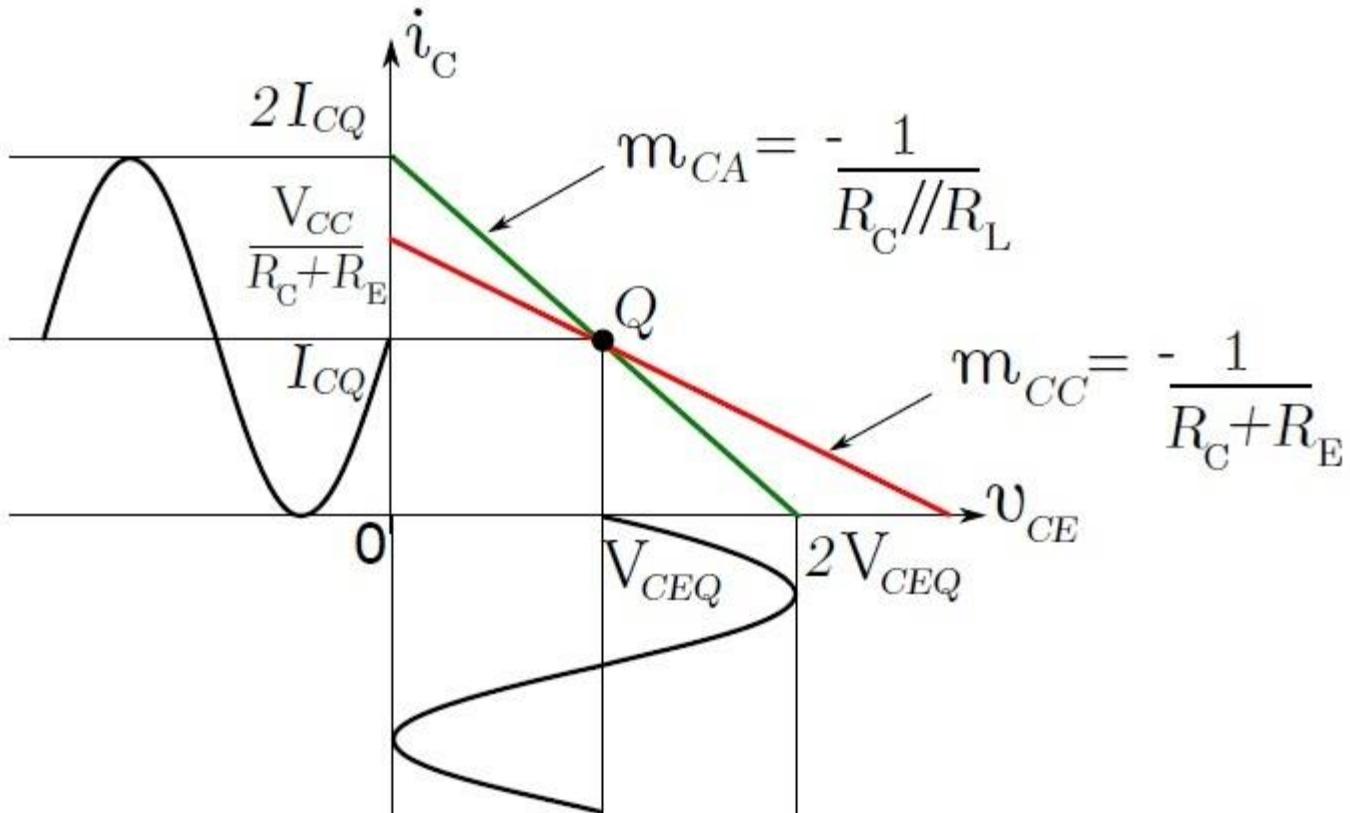


Cuando el punto Q esta en el medio de la recta de C.A, el punto Q esta en maxima excursion simetrica.

# Máxima excursión simétrica



# Máxima excusión simétrica (Cont.)



# Máxima excursión simétrica (Cont.)

*La ecuacion de la recta de carga de C.A*

$$i_c = -\frac{1}{R_C // R_L} v_{ce}$$

$$i_c - I_{CQ} = -\frac{1}{R_C // R_L} (v_{CE} - V_{CEQ})$$

$$\text{Cuando } v_{CE} = 0 \Rightarrow i_{C,\max} = I_{CQ} + \frac{V_{CEQ}}{R_C // R_L} \quad (1)$$

*Para obtener MES el pto Q debe estar en el centro de la recta de carga de C.A de modo que:*

$$i_{C,\max} = 2I_{CQ} \quad (2)$$

*Igualando (1) y (2)*

$$2I_{CQ} = I_{CQ} + \frac{V_{CEQ}}{R_C // R_L}$$

$$I_{CQ} = \frac{V_{CEQ}}{R_C // R_L} \Rightarrow V_{CEQ} = I_{CQ} (R_C // R_L) \quad (3)$$

# Máxima excursión simétrica (Cont.)

*La ecuación de la recta de carga de C.C*

$$V_{CC} = V_{CEQ} + I_{CQ} (R_L + R_E)$$

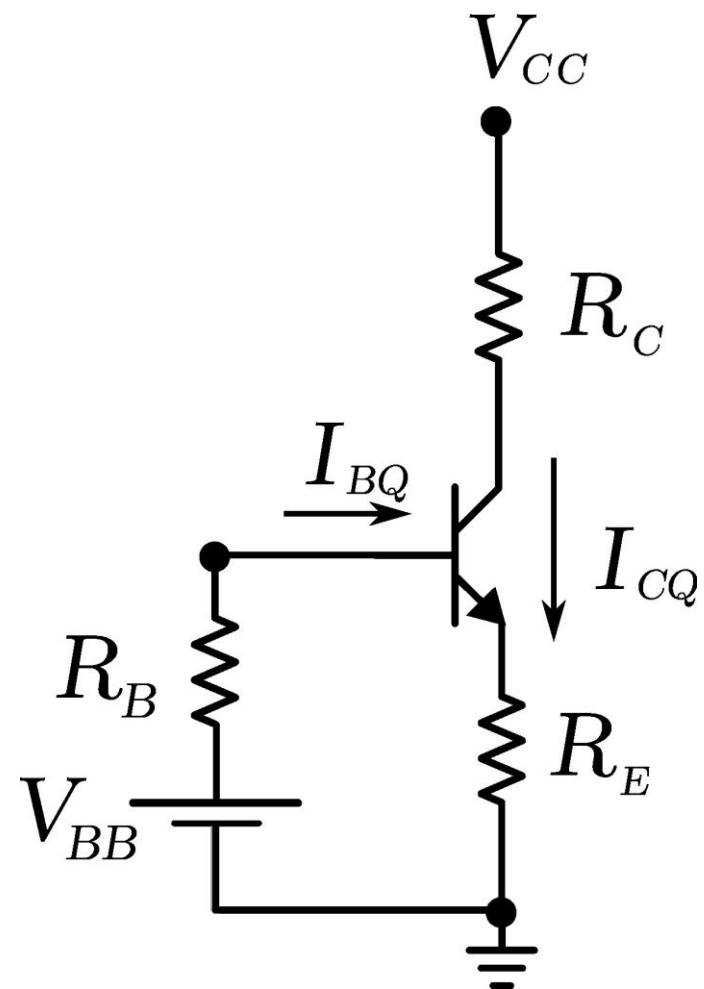
*Reemplazando (3) en la ecuación anterior*

$$V_{CC} = I_{CQ} \left( R_C // R_L \right) + I_{CQ} (R_E + R_C)$$

$$V_{CC} = I_{CQ} \left\{ (R_E + R_C) + \left( R_C // R_L \right) \right\}$$

$$I_{CQ(MES)} = \frac{V_{CC}}{(R_E + R_C) + \left( R_C // R_L \right)}$$

# Análisis de Potencia



# Potencia Media suministrada por cualquier dispositivo lineal o no.

$$P = \frac{1}{T} \int_0^T V(t) I(t) dt$$

$$V(t) = V_{AV} + v(t)$$

$$I(t) = I_{AV} + i(t)$$

Suponemos:  $v(t)$  y  $i(t)$  periodicas y simetricas

$$\begin{aligned} &= \frac{1}{T} \int_0^T [V_{AV} + v(t)][I_{AV} + i(t)] dt \\ &= \frac{1}{T} \int_0^T V_{AV} I_{AV} dt + \overbrace{\frac{1}{T} \int_0^T V_{AV} i(t) dt}^{=0} + \overbrace{\frac{1}{T} \int_0^T v(t) I_{AV} dt}^{=0} + \frac{1}{T} \int_0^T v(t) i(t) dt \end{aligned}$$

$$P = \frac{1}{T} \int_0^T V_{AV} I_{AV} dt + \frac{1}{T} \int_0^T v(t) i(t) dt$$

$$P = V_{AV} I_{AV} + \frac{1}{T} \int_0^T v(t) i(t) dt$$

# Potencia Media suministrada por la fuente P<sub>CC</sub>:

$$P_{CC} = \frac{1}{T} \int_0^T V_{CC} i_C dt \quad \text{donde} \quad \begin{cases} i_C = I_{CQ} + i_c \\ i_c = \hat{i}_c \cos \omega t \end{cases}$$

Entonces:

$$P_{CC} = V_{CC} I_{CQ} + 0 \Rightarrow I_{CQ} = \frac{P_{CC}}{V_{CC}}$$

Se tiene para MES

$$I_{CQ} = \frac{V_{CC}}{2(R_L + R_E)}, \text{ igualando y despejando}$$

$$P_{CC(MAX)} = \frac{V_{CC}^2}{2(R_L + R_E)}$$

$$\boxed{Si R_E \ll R_L \Rightarrow P_{CC(MAX)} = \frac{V_{CC}^2}{2R_L}}$$

# Potencia Media disipada en la carga en C.A

$$\begin{aligned} P_{L(CA)} &= \frac{1}{T} \int_0^T i_c^2 R_L dt = \frac{1}{T} \int_0^T (\hat{i}_c^2 \cos^2 \omega t) R_L dt \\ &= \frac{\hat{i}_c^2 R_L}{T} \int_0^T \cos^2 \omega t dt \\ &= \frac{\hat{i}_c^2 R_L}{T} \int_0^T \left( \frac{1 + \cos 2\omega t}{2} \right) dt \end{aligned}$$

$$P_{L(CA)} = \frac{1}{2} \hat{i}_c^2 R_L$$

Para MES y  $R_E \ll R_L$

$$I_{CQ} = \frac{V_{CC}}{2R_L} = \hat{i}_c$$

Entonces

$$P_{L(MAX)} = \frac{1}{2} \frac{V_{CC}^2}{4R_L} \cancel{R_L} = \frac{1}{8} \frac{V_{CC}^2}{R_L} \Rightarrow \boxed{P_{L(MAX)} = \frac{V_{CC}^2}{8R_L}}$$

# Potencia Media disipada en el colector

$$\begin{aligned} P_C &= \frac{1}{T} \int_0^T v_{CE} i_C dt \begin{cases} v_{CE} = V_{CC} - i_C (R_L + R_E) \\ i_C = I_{CQ} + i_c = I_{CQ} + \hat{i}_c \cos \omega t \end{cases} \\ &= \frac{1}{T} \int_0^T [V_{CC} - i_C (R_L + R_E)] i_C dt \\ &= \frac{1}{T} \int_0^T [V_{CC} i_C - i_C^2 (R_L + R_E)] dt \\ P_C &= \underbrace{\frac{1}{T} \int_0^T V_{CC} i_C dt}_{P_{CC}} - (R_L + R_E) \underbrace{\frac{1}{T} \int_0^T i_C^2 dt}_{P_L + P_E} \end{aligned}$$

# Potencia Media disipada en el colector (Cont.)

*Tambien*

$$\frac{1}{T} \int_0^T i_c^2 dt = \frac{1}{T} \int_0^T (I_{CQ} + \hat{i}_c \cos \omega t)^2 dt = I_{CQ}^2 + \frac{\hat{i}_c^2}{2}$$

*Luego*

$$P_C = P_{CC} - (R_L + R_E) I_{CQ}^2 - (R_L + R_E) \frac{\hat{i}_c^2}{2}$$

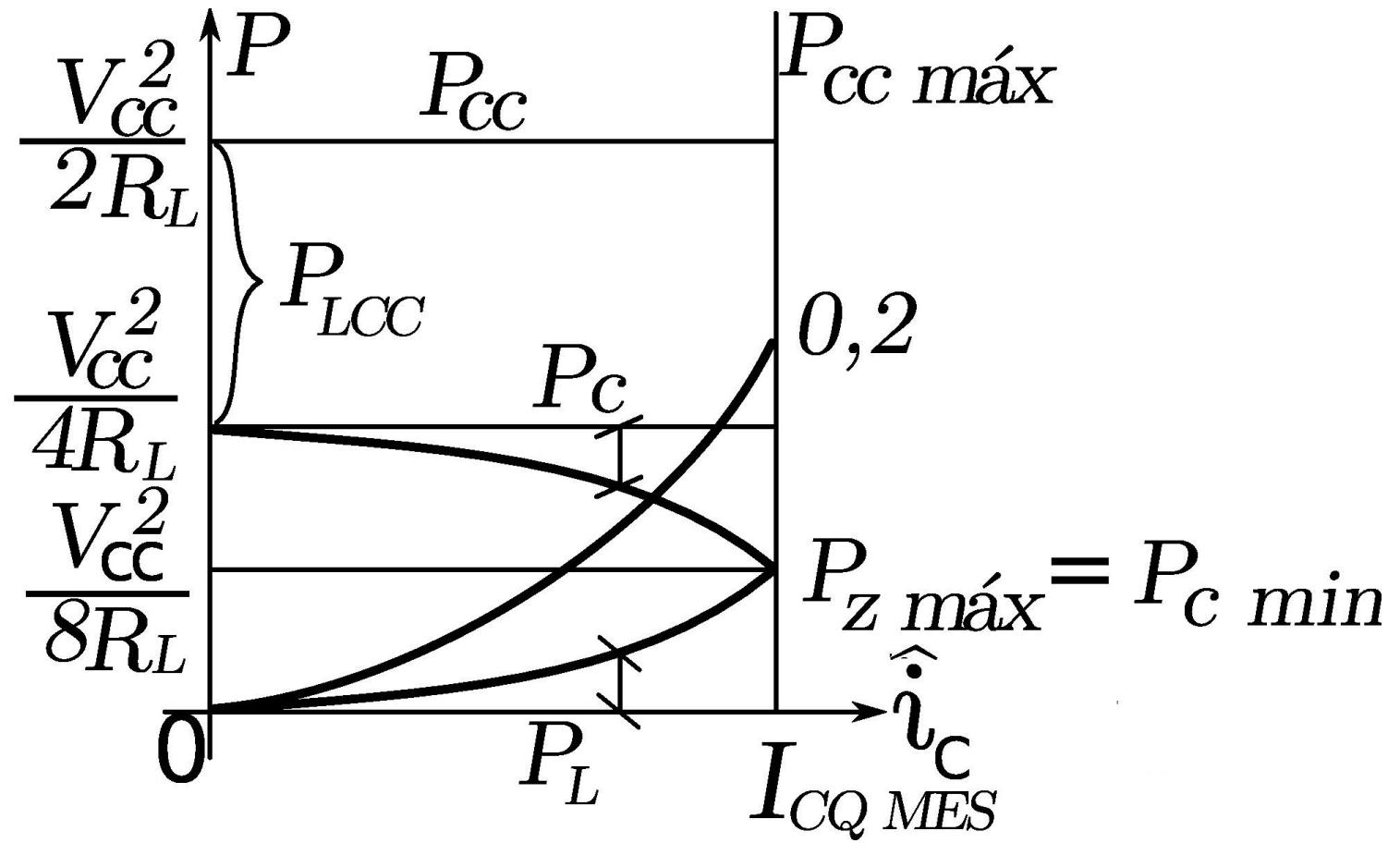
*En ausencia de señal :*

$$P_{C(\max)} = P_{CC} - (R_L + R_E) I_{CQ}^2 \Rightarrow \boxed{P_{C(\max)} = \frac{V_{CC}^2}{4(R_L + R_E)} \cong \frac{V_{CC}^2}{4R_L}}$$

*Con maxima señal :*

$$P_{C(\min)} = P_C \Big|_{\hat{i}_c = I_{CQ}} \Rightarrow \boxed{P_{C(\min)} = \frac{V_{CC}^2}{8R_L}}$$

# Potencia Media disipada en el colector (Cont.)



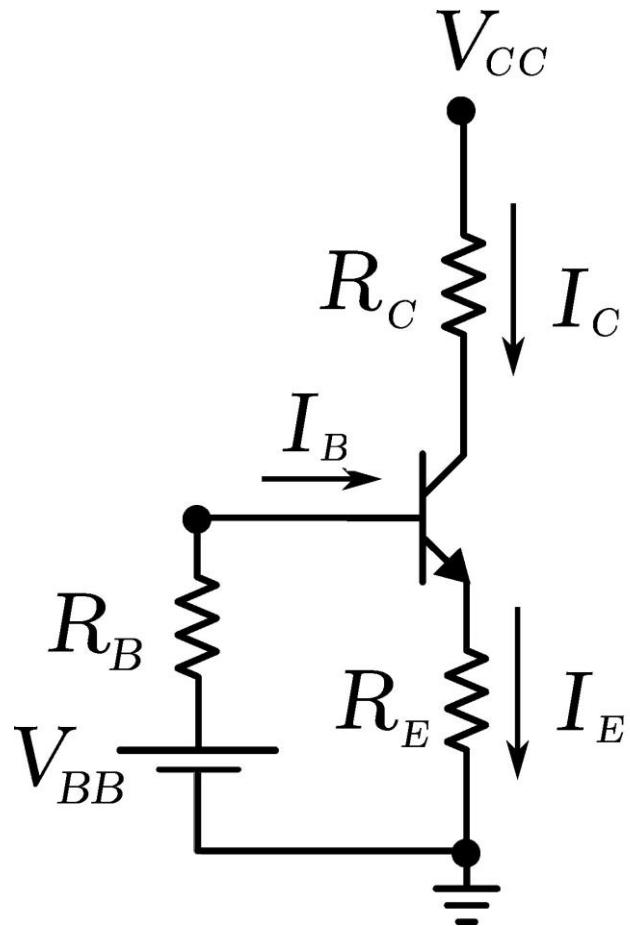
# Rendimiento y Factor de Merito

$$\eta = \frac{P_{L(CA)}}{P_{CC}}$$

$$\eta_{(MAX)} = \frac{P_{L(MAX)}}{P_{CC(MAX)}} = \frac{\frac{V_{CC}^2}{8R_L}}{\frac{V_{CC}^2}{2R_L}} = \frac{1}{4} \Rightarrow \eta_{(MAX)} = 25\%$$

$$FM = \frac{P_{C(MAX)}}{P_{L(MAX)}} = \frac{V_{CC}^2 / 4R_L}{V_{CC}^2 / 8R_L} = 2$$

# Estabilidad de la Polarización



$$I_C = \alpha I_E + I_{CBO} \quad (1)$$

$$I_B = (1 - \alpha) I_E - I_{CBO} \quad (2)$$

$$\beta = \frac{\alpha}{1 - \alpha} \quad \alpha = \frac{\beta}{\beta + 1}$$

$$V_{BB} = I_B R_B + V_{BE} + I_E R_E \quad (3)$$

Reemplazamos (2) en (3)

$$\begin{aligned} V_{BB} &= [(1 - \alpha) I_E - I_{CBO}] R_B + V_{BE} + I_E R_E \\ &= (1 - \alpha) I_E R_B - I_{CBO} R_B + V_{BE} + I_E R_E \\ &= I_E [(1 - \alpha) R_B + R_E] - I_{CBO} R_B + V_{BE} \end{aligned} \quad (4)$$

# Estabilidad de la Polarización (Cont.)

De (1)

$$I_E = \frac{I_C - I_{CBO}}{\alpha} \quad (5)$$

Reemplazamos (5) en (4) y ordenamos

$$\begin{aligned} V_{BB} - V_{BE} &= \left( \frac{I_C - I_{CBO}}{\alpha} \right) \left[ (1 - \alpha) R_B + R_E \right] - I_{CBO} R_B \\ &= \left( \frac{I_C}{\alpha} - \frac{I_{CBO}}{\alpha} \right) \left[ (1 - \alpha) R_B + R_E \right] - I_{CBO} R_B \\ &= \frac{I_C}{\alpha} \left[ (1 - \alpha) R_B + R_E \right] - \frac{I_{CBO}}{\alpha} \left[ (1 - \alpha) R_B + R_E \right] - I_{CBO} R_B \\ &= \frac{I_C}{\alpha} \left[ (1 - \alpha) R_B + R_E \right] - \frac{I_{CBO}}{\alpha} \left[ (1 - \alpha) R_B + R_E + \alpha R_B \right] \end{aligned}$$

# Estabilidad de la Polarización (Cont.)

$$V_{BB} - V_{BE} = \frac{I_C}{\alpha} [(1-\alpha)R_B + R_E] - \frac{I_{CBO}}{\alpha} [R_B - \alpha R_B + R_E + \alpha R_B]$$

$$= \frac{I_C}{\alpha} [(1-\alpha)R_B + R_E] - \frac{I_{CBO}}{\alpha} [R_E + R_B]$$

$$V_{BB} - V_{BE} + \frac{I_{CBO}}{\alpha} [R_E + R_B] = \frac{I_C}{\alpha} [(1-\alpha)R_B + R_E]$$

$$\alpha(V_{BB} - V_{BE}) + I_{CBO} [R_E + R_B] = I_C [(1-\alpha)R_B + R_E]$$

$$I_{CQ} = \frac{\alpha[V_{BB} - V_{BE}] + I_{CBO}[R_E + R_B]}{(1-\alpha)R_B + R_E} \quad \text{ecuacion general}$$

Si  $\alpha \approx 1$

$$I_{CQ} = \frac{V_{BB} - V_{BE}}{R_E} + I_{CBO} \left( 1 + \frac{R_B}{R_E} \right) \quad (6)$$

Si  $I_{CBO} \approx 0$

$$I_{CQ} = \frac{V_{BB} - V_{BE}}{R_E}$$

# Estabilidad de la Polarización (Cont.)

De la ecuación general si  $I_{CBO} \cong 0$

$$I_{CQ} = \frac{\alpha [V_{BB} - V_{BE}]}{(1-\alpha)R_B + R_E}$$

$$I_{CQ} = \frac{V_{BB} - V_{BE}}{\frac{(1-\alpha)}{\alpha}R_B + \frac{R_E}{\alpha}} = \frac{V_{BB} - V_{BE}}{\frac{R_B}{\beta} + \frac{R_E}{\alpha}}$$

$$I_{CQ} = f(\underbrace{V_{BE}, I_{CBO}, \beta, \dots}_{Son\ f(T)})$$

$$\Delta V_{BE} = V_{BE2} - V_{BE1} = -k(T_2 - T_1) = -k\Delta T$$

donde  $k = 2,5 \text{ mV/}^\circ\text{C}$

$$I_{CBO(2)} = I_{CBO(1)} e^{K\Delta T} \quad \text{donde } K = 0,07 \text{ } ^\circ\text{C}$$

$$\Delta I_{CBO} = \Delta I_{CBO(2)} - \Delta I_{CBO(1)} = I_{CBO}(e^{K\Delta T} - 1)$$

# Estabilidad de la Polarización (Cont.)

$$\frac{\Delta I_{CQ}}{\Delta T} = \frac{\Delta I_{CQ}}{\Delta V_{BE}} \cdot \frac{\Delta V_{BE}}{\Delta T} + \frac{\Delta I_{CQ}}{\Delta I_{CBO}} \cdot \frac{\Delta I_{CBO}}{\Delta T} + \frac{\Delta I_{CQ}}{\Delta \beta} \cdot \frac{\Delta \beta}{\Delta T}$$

$$\Delta I_{CQ} = \frac{\Delta I_{CQ}}{\Delta V_{BE}} \Delta V_{BE} + \frac{\Delta I_{CQ}}{\Delta I_{CBO}} \Delta I_{CBO} + \frac{\Delta I_{CQ}}{\Delta \beta} \Delta \beta$$

*Si tengo  $\Delta T$ ; tengo  $\Delta V_{BE}$ ,  $\Delta I_{CBO}$  y  $\Delta \beta$*

*Factores de estabilidad :*

$$S_V = \frac{\Delta I_{CQ}}{\Delta V_{BE}}$$

$$S_I = \frac{\Delta I_{CQ}}{\Delta I_{CBO}}$$

$$S_\beta = \frac{\Delta I_{CQ}}{\Delta \beta}$$

*Entonces :*

$$\boxed{\Delta I_{CQ} = S_V \Delta V_{BE} + S_I \Delta I_{CBO} + S_\beta \Delta \beta}$$

# Estabilidad de la Polarización (Cont.)

Partiendo de (6):  $I_{CQ} = \frac{V_{BB} - V_{BE}}{R_E} + I_{CBO} \left( 1 + \frac{R_B}{R_E} \right)$

$$S_V = \frac{\Delta I_{CQ}}{\Delta V_{BE}} = -\frac{1}{R_E}$$

$$S_I = \frac{\Delta I_{CQ}}{\Delta I_{CBO}} = 1 + \frac{R_B}{R_E}$$

$$\Delta I_{CQ} = -\frac{1}{R_E} (-k\Delta T) + \left( 1 + \frac{R_B}{R_E} \right) I_{CBO} (e^{K\Delta T} - 1) + \dots$$

$$= \frac{k\Delta T}{R_E} + \left( 1 + \frac{R_B}{R_E} \right) I_{CBO} (e^{K\Delta T} - 1) + \dots$$

$$S_\beta = \frac{\Delta I_{CQ}}{\Delta \beta}$$

# Estabilidad de la Polarización (Cont.)

$$I_{CQ} = \frac{\alpha [V_{BB} - V_{BE}]}{(1-\alpha)R_B + R_E} =$$

$$\text{Como } \alpha = \frac{\beta}{\beta+1}$$

$$I_{CQ} = \frac{\beta(V_{BB} - V_{BE})}{(\beta+1)(1-\alpha)R_B + (\beta+1)R_E}$$

$$\text{Como } \alpha = \frac{\beta}{\beta+1} \Rightarrow \beta+1 = \frac{\beta}{\alpha}$$

$$\text{Como } \beta = \frac{\alpha}{1-\alpha} \Rightarrow 1-\alpha = \frac{\alpha}{\beta}$$

$$\text{Entonces } (\beta+1)(1-\alpha) = \frac{\beta}{\alpha} \frac{\alpha}{\beta} = 1$$

$$I_{CQ} = \frac{\beta(V_{BB} - V_{BE})}{R_B + (\beta+1)R_E}$$

# Estabilidad de la Polarización (Cont.)

Si  $\beta_1 = \text{initial}$  y  $\beta_2 = \text{final}$

$$I_{CQ1} = \frac{\beta_1(V_{BB} - V_{BE})}{R_B + (\beta_1 + 1)R_E} \quad I_{CQ2} = \frac{\beta_2(V_{BB} - V_{BE})}{R_B + (\beta_2 + 1)R_E}$$

$$\frac{I_{CQ2}}{I_{CQ1}} = \frac{\beta_2[R_B + (\beta_1 + 1)R_E]}{\beta_1[R_B + (\beta_2 + 1)R_E]}$$

$$\frac{\Delta I_{CQ}}{I_{CQ1}} = \frac{I_{CQ2} - I_{CQ1}}{I_{CQ1}} = \frac{I_{CQ2}}{I_{CQ1}} - 1$$

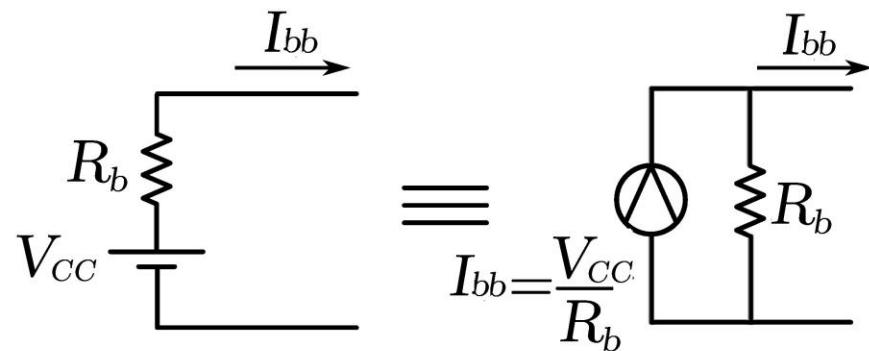
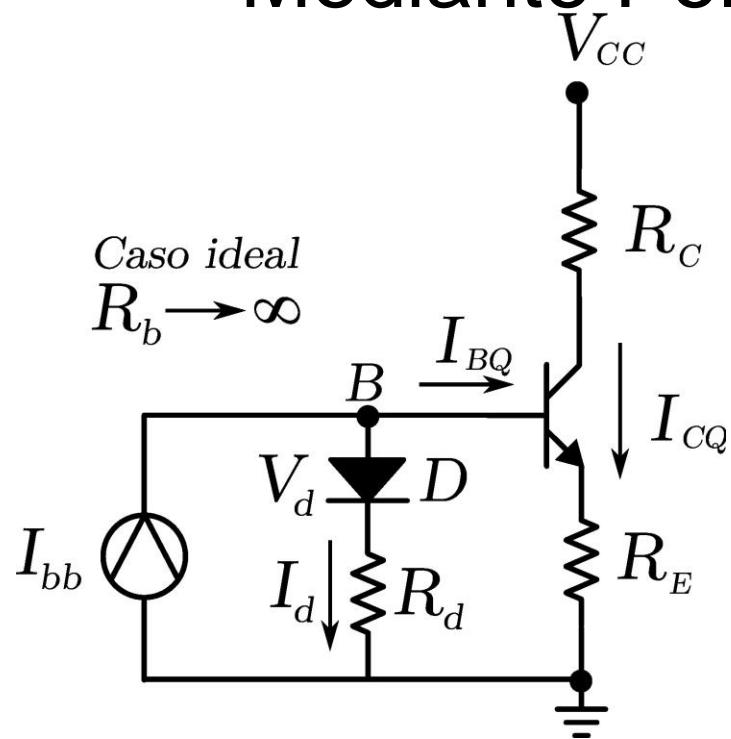
# Estabilidad de la Polarización (Cont.)

$$\begin{aligned}
 \frac{\Delta I_{CQ}}{I_{CQ1}} &= \frac{\beta_2 [R_B + (\beta_1 + 1)R_E]}{\beta_1 [R_B + (\beta_2 + 1)R_E]} - 1 \\
 &= \frac{\beta_2 [R_B + (\beta_1 + 1)R_E] - \beta_1 [R_B + (\beta_2 + 1)R_E]}{\beta_1 [R_B + (\beta_2 + 1)R_E]} \\
 &= \frac{\beta_2 R_B + \beta_2 \beta_1 R_E + \beta_2 R_E - \beta_1 R_B - \beta_1 \beta_2 R_E - \beta_1 R_E}{\beta_1 [R_B + (\beta_2 + 1)R_E]} \\
 &= \frac{R_B(\beta_2 - \beta_1) + R_E(\beta_2 - \beta_1)}{\beta_1 [R_B + (\beta_2 + 1)R_E]} \\
 &= \frac{\Delta \beta (R_B + R_E)}{\beta_1 [R_B + (\beta_2 + 1)R_E]} \Rightarrow \\
 S_\beta &= \frac{\Delta I_{CQ}}{\Delta \beta} = \frac{I_{CQ1}(R_B + R_E)}{\beta_1 [R_B + (\beta_2 + 1)R_E]}
 \end{aligned}$$

Finalmente

$$\begin{aligned}
 \Delta I_{CQ} &= S_V \Delta V_{BE} + S_I \Delta I_{CBO} + S_\beta \Delta \beta + \dots \\
 \Delta I_{CQ} &= \left( -\frac{1}{R_E} \right) \Delta V_{BE} + \left( 1 + \frac{R_B}{R_E} \right) \Delta I_{CBO} + \frac{I_{CQ1}(R_B + R_E)}{\beta_1 [R_B + (\beta_2 + 1)R_E]} \Delta \beta + \dots
 \end{aligned}$$

# Estabilidad Mediante la Compensación $\Delta T$ Mediante Polarización por Diodo.



# Estabilidad Mediante la Compensación $\Delta T$ Mediante Polarización por Diodo.

Para este circuito:  $\frac{\Delta V_D}{\Delta T} = \frac{\Delta V_{BE}}{\Delta T}$

Del circuito ideal:  $I_{bb} = I_d + I_{BQ} = I_d + \frac{I_{EQ}}{\beta + 1}$

$$I_{EQ} = (I_{bb} - I_d)(\beta + 1) \quad (1)$$

$$V_B = V_d + I_d R_d = V_{BEQ} + I_{EQ} R_E$$

$$I_d = \frac{V_{BEQ} + I_{EQ} R_E - V_d}{R_d} \quad (2)$$

reemplazamos (2) en (1)

$$I_{EQ} = \left( \frac{I_{bb} R_d}{R_d} + \frac{-V_{BEQ} - I_{EQ} R_E + V_d}{R_d} \right) (\beta + 1)$$

$$I_{EQ} R_d = (I_{bb} R_d - V_{BEQ} + V_d)(\beta + 1) - I_{EQ} R_E (\beta + 1)$$

$$I_{EQ} \left[ \frac{R_d + R_E (\beta + 1)}{(\beta + 1)} \right] = I_{bb} R_d - V_{BEQ} + V_d$$

# Estabilidad Mediante la Compensación $\Delta T$ Mediante Polarización por Diodo.

$$I_{EQ} = \frac{I_{bb}R_d + V_d - V_{BEQ}}{\frac{R_d}{\beta+1} + R_e} \cong I_{CQ}$$

$$\frac{\Delta I_{CQ}}{\Delta T} = \frac{\frac{\Delta V_d}{\Delta T} - \frac{\Delta V_{BEQ}}{\Delta T}}{\frac{R_d}{\beta+1} + R_e} = 0$$

Por lo tanto, la  $I_{CQ}$  es insensible a las variaciones de temperatura.

# Estabilidad Mediante la Compensación $\Delta T$ Mediante Polarización por Diodo o Transistor

Ahora le agregamos  $R_b \neq \infty$

$$I_{bb} = \frac{V_b}{R_b} + \frac{V_b - V_d}{R_d} + \cancel{\chi_{BQ}}$$

*se desprecia*

Elegimos

$$\begin{cases} R_b \Rightarrow I_{BQ} \ll \frac{V_b}{R_b} \\ R_d \Rightarrow I_{BQ} \ll \frac{V_b - V_d}{R_d} \end{cases}$$

$$I_{bb} = \frac{V_b}{R_b} + \frac{V_b}{R_d} - \frac{V_d}{R_d} = V_b \left( \frac{1}{R_b} + \frac{1}{R_d} \right) - \frac{V_d}{R_d} = V_b \left( \frac{R_d + R_b}{R_b R_d} \right) - \frac{V_d}{R_d}$$

$$I_{bb} + \frac{V_d}{R_d} = V_b \left( \frac{R_d + R_b}{R_b R_d} \right)$$

$$V_b = \left( I_{bb} + \frac{V_d}{R_d} \right) \left( \frac{R_d R_b}{R_b + R_d} \right) = \overline{\frac{I_{bb} R_b R_d}{R_b + R_d}} + V_d \frac{R_b}{R_b + R_d}$$

$$I_{EQ} = \frac{V_b - V_{BE}}{R_e} = \frac{1}{R_e} \left( \frac{V_{cc} R_d}{R_b + R_d} + V_d \frac{R_b}{R_b + R_d} - V_{BE} \right) \cong I_{CQ}$$

# Estabilidad Mediante la Compensación $\Delta T$ Mediante Polarización por Diodo o Transistor

Tenemos que :

$$\frac{\Delta V_d}{\Delta T} = \frac{\Delta V_{BE}}{\Delta T} = -k$$

$$\frac{\Delta I_{CQ}}{\Delta T} = \frac{1}{R_e} \left( \frac{R_b}{R_d + R_b} \frac{\Delta V_d}{\Delta T} - \frac{\Delta V_{BE}}{\Delta T} \right) = \frac{1}{R_e} \left( k - \frac{R_b}{R_d + R_b} k \right)$$

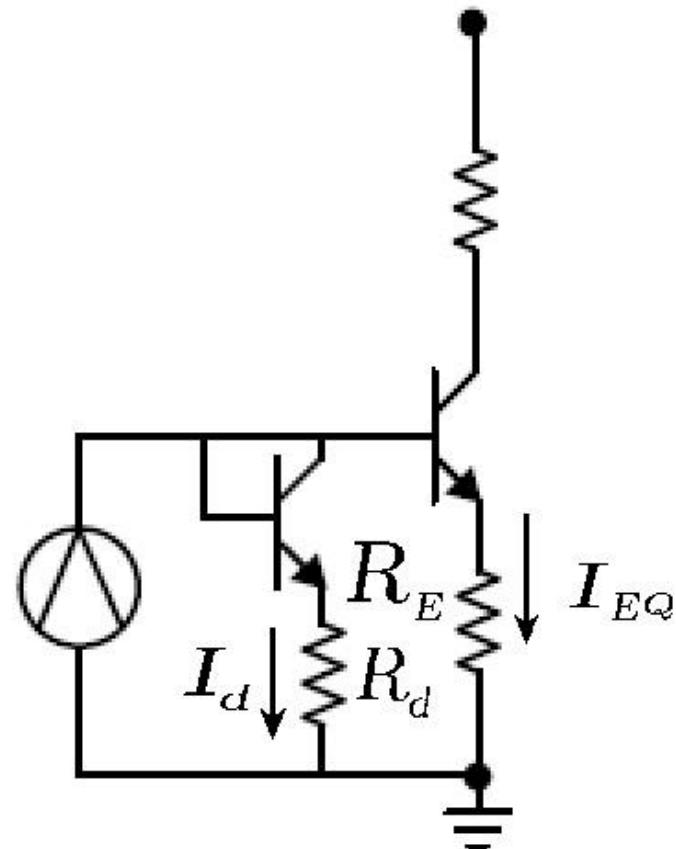
$$= \frac{k}{R_e} \left( \frac{R_b + R_d - R_b}{R_b + R_d} \right)$$

$$\frac{\Delta I_{CQ}}{\Delta T} = \frac{k}{R_e} \left( \frac{1}{1 + \frac{R_b}{R_d}} \right)$$

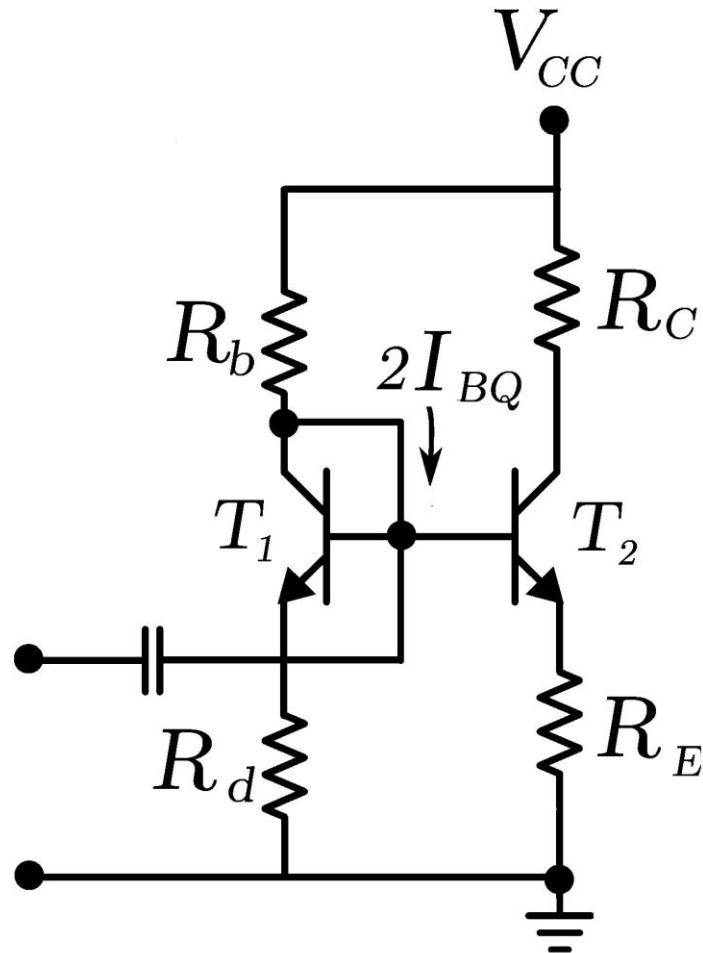
# Estabilidad Mediante la Compensación $\Delta T$ Mediante Polarización por Diodo o Transistor

*Podemos reemplazar el diodo por un transistor.*

*Se usa en circuitos integrados.*



# Polarización Balanceada- Polarización por Diodo o Transistor- “Espejo de Corriente”.



*Condición de espejo de corriente:*

$$R_d = R_E$$

*Iguales transistores, igual  $\beta$ .*

# Polarización Balanceada- Polarización por Diodo o Transistor- “Espejo de Corriente”.(Cont.)

$$V_{CC} = \left( I_{CQ} + 2 \frac{I_{CQ}}{\beta} \right) R_b + V_{BE} + I_{CQ} R_E$$

$$I_{CQ} = \frac{V_{CC} - V_{BE}}{\left( 1 + \frac{2}{\beta} \right) R_b + R_E}$$

$$= \frac{V_{CC} - V_{BE}}{\left( \frac{\beta + 2}{\beta} \right) R_b + R_E}$$

Para  $\beta \gg 2$

$$I_{CQ} = \frac{V_{CC} - V_{BE}}{R_b + R_E}$$

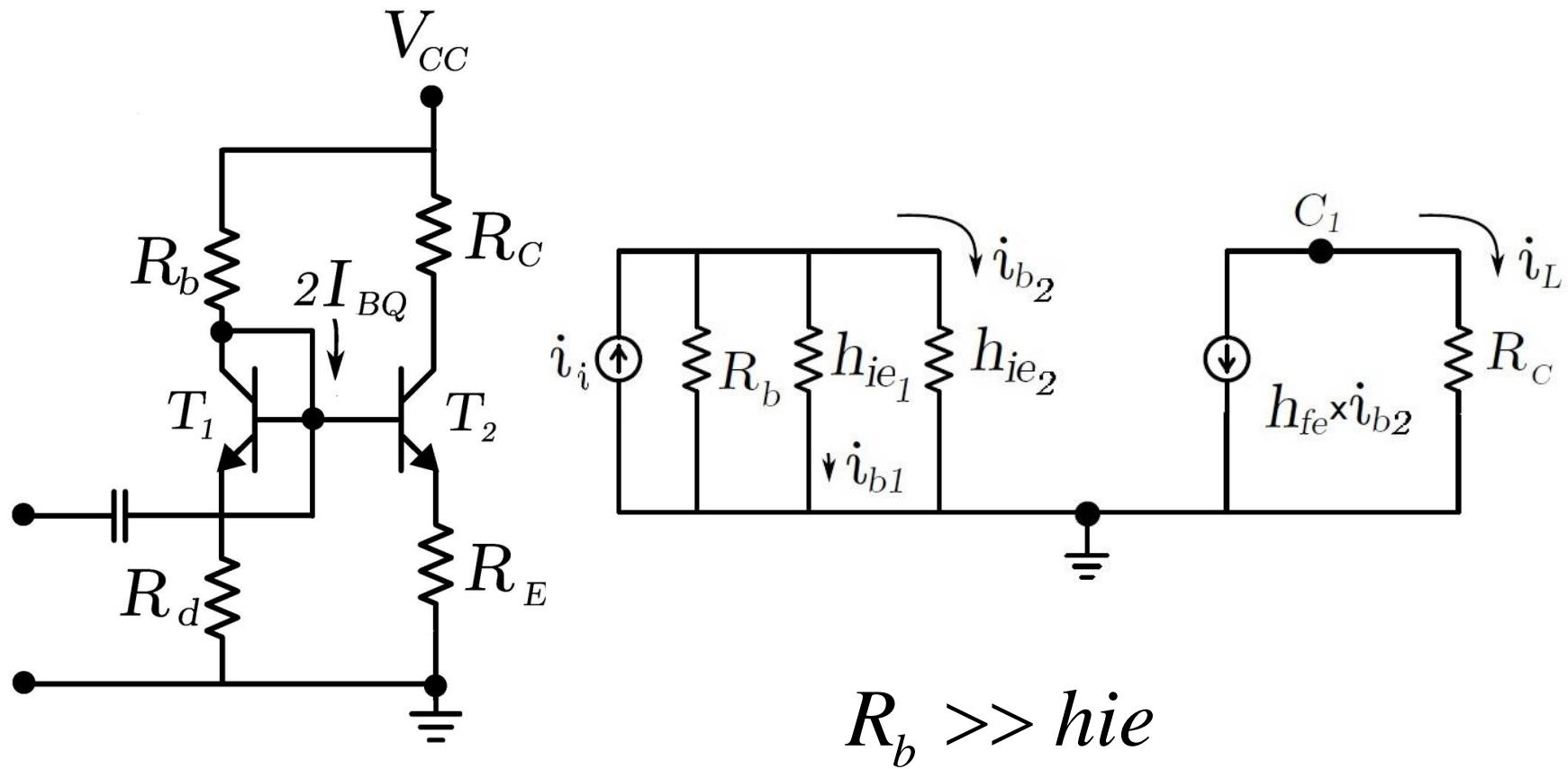
$$\frac{\Delta I_{CQ}}{\Delta T} = \frac{k}{R_b + R_E}$$

Ahora con  $R_d = R_e = 0$  (es común para los CI, evita el capacitor de desacople).

$$I_{CQ} = \frac{V_{CC} - V_{BE}}{R_b} \quad \frac{\Delta I_{CQ}}{\Delta T} = \frac{k}{R_b}$$

# Polarización Balanceada- Polarización por Diodo o Transistor- “Espejo de Corriente”.(Cont.)

*Para alterna tenemos:*



# Polarización Balanceada- Polarización por Diodo o Transistor- “Espejo de Corriente”.(Cont.)

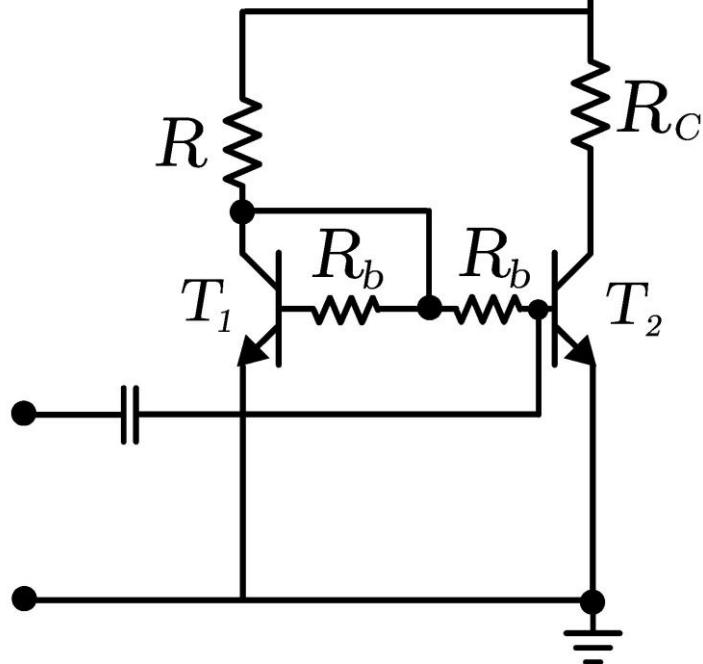
$$i_L = -hfe \cdot i_{b2} \Rightarrow \boxed{\frac{i_L}{i_{b2}} = -hfe}$$

$$i_{b2} = i_i \frac{hie_1 hje_2}{hie_1 + hie_2} \frac{1}{hje_2} \quad Si \ hie_1 = hie_2$$

$$\frac{i_{b2}}{i_i} = \frac{hie}{2hie} \Rightarrow \boxed{\frac{i_{b2}}{i_i} = \frac{1}{2}}$$

$$|A_i| = \frac{i_L}{i_i} = \frac{i_L}{i_{b2}} \frac{i_{b2}}{i_i} = \frac{hfe}{2}$$

# Polarización Balanceada- Polarización por Diodo o Transistor- “Espejo de Corriente”.(Cont.)



$$V_{CC} = \left( I_{CQ} + 2 \frac{I_{CQ}}{\beta} \right) R + \frac{I_{CQ}}{\beta} R_b + V_{BE}$$

$$V_{CC} - V_{BE} = I_{CQ} R + I_{CQ} 2 \frac{R}{\beta} + I_{CQ} \frac{R_b}{\beta}$$

$$= I_{CQ} \left( R + R \frac{2}{\beta} + \frac{R_b}{\beta} \right)$$

$$I_{CQ} = \frac{V_{CC} - V_{BE}}{R \left( 1 + \frac{2}{\beta} \right) + \frac{R_b}{\beta}} = \frac{V_{CC} - V_{BE}}{\left( \frac{\beta + 2}{\beta} \right) R + \frac{R_b}{\beta}}$$

si  $\beta \gg 2$

$$I_{CQ} = \frac{V_{CC} - V_{BE}}{\frac{R_b}{\beta} + R}$$

# Polarización Balanceada- Polarización por Diodo o Transistor- “Espejo de Corriente”.(Cont.)

$$I_{CQ} = \frac{V_{CC} - V_{BE}}{\frac{R_b}{\beta} + R}$$

$$si \quad \frac{R_b}{\beta} \ll R$$

$$I_{CQ} = \frac{V_{CC} - V_{BE}}{R}$$

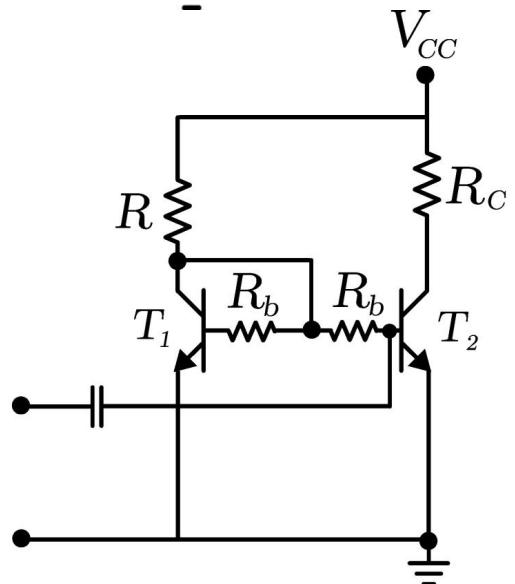
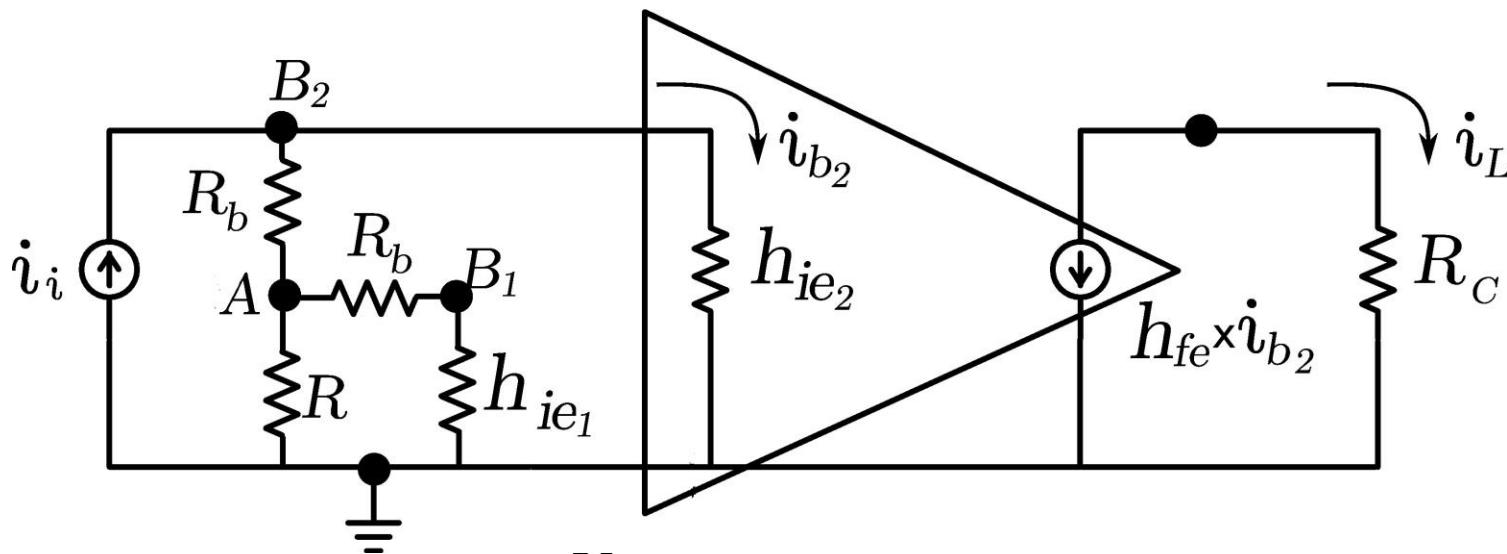
$$\frac{\Delta I_{CQ}}{\Delta T} = -\frac{1}{R} \frac{\Delta V_{BE}}{\Delta T}$$

$$Como: \quad \frac{\Delta V_{BE}}{\Delta T} = -k$$

$$\frac{\Delta I_{CQ}}{\Delta T} = -\frac{1}{R} \times (-k) = \frac{k}{R}$$

$$\frac{\Delta I_{CQ}}{\Delta T} = \frac{k}{R}$$

# Polarización Balanceada- Polarización por Diodo o Transistor- “Espejo de Corriente”.(Cont.)



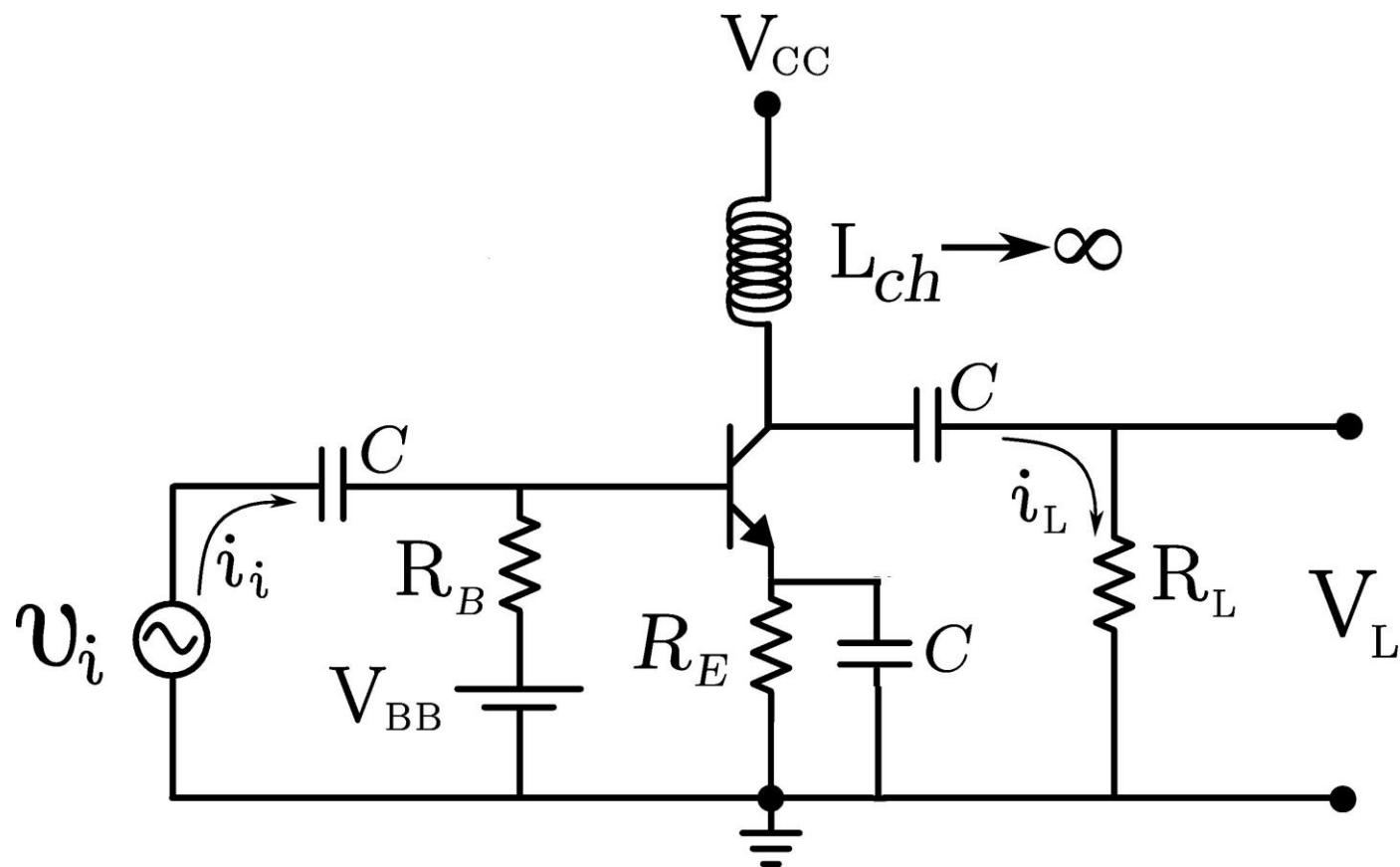
$$\text{Si } R_b \gg h_{ie} \Rightarrow i_i \approx i_{b2}$$

$$i_L = -h_{fe} \cdot i_{b2}$$

$$|A_i| = \frac{i_L}{i_i} = \frac{h_{fe} \cdot i_{b2}}{i_{b2}} = h_{fe}$$

$$|A_i| = 2 |A_i|$$

# Amplificador de Potencia Clase A



# Amplificador de Potencia Clase A (Cont.)

*Emisor Comun con acoplamiento por inductor (L-C)*

$$I_{CQ} = \frac{V_{BB} - V_{BE}}{\frac{R_b}{\beta} + R_E}$$

$$V_{CEQ} = V_{CC} - I_C R_E$$

$$R_{CC} = R_E \quad R_{CA} = R_L$$

$$\text{si } R_E \rightarrow 0: V_{CEQ} \cong V_{CC} \quad R_{CC} \cong 0$$

$$I_{CQ_{MES}} = \frac{V_{CC}}{R_{CC} + R_{CA}} = \frac{V_{CC}}{R_L} \cong \frac{V_{CEQ}}{R_L}$$

# Amplificador de Potencia Clase A (Cont.)

*Ecuacion de la recta*

$$V_{CEQ} = V_{CC} - I_{CQ}R_E$$

$$= V_{CC} - \frac{V_{CC}}{R_L} R_E$$

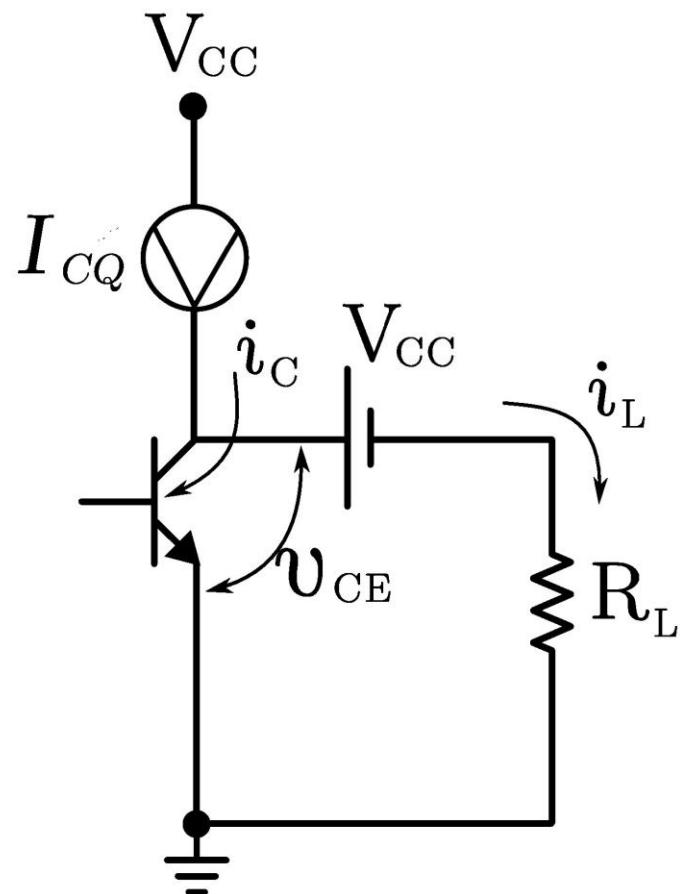
$$= V_{CC} \left( 1 - \frac{R_E}{R_L} \right)$$

Si  $R_E \approx 0$

$$V_{CEQ} \approx V_{CC}$$

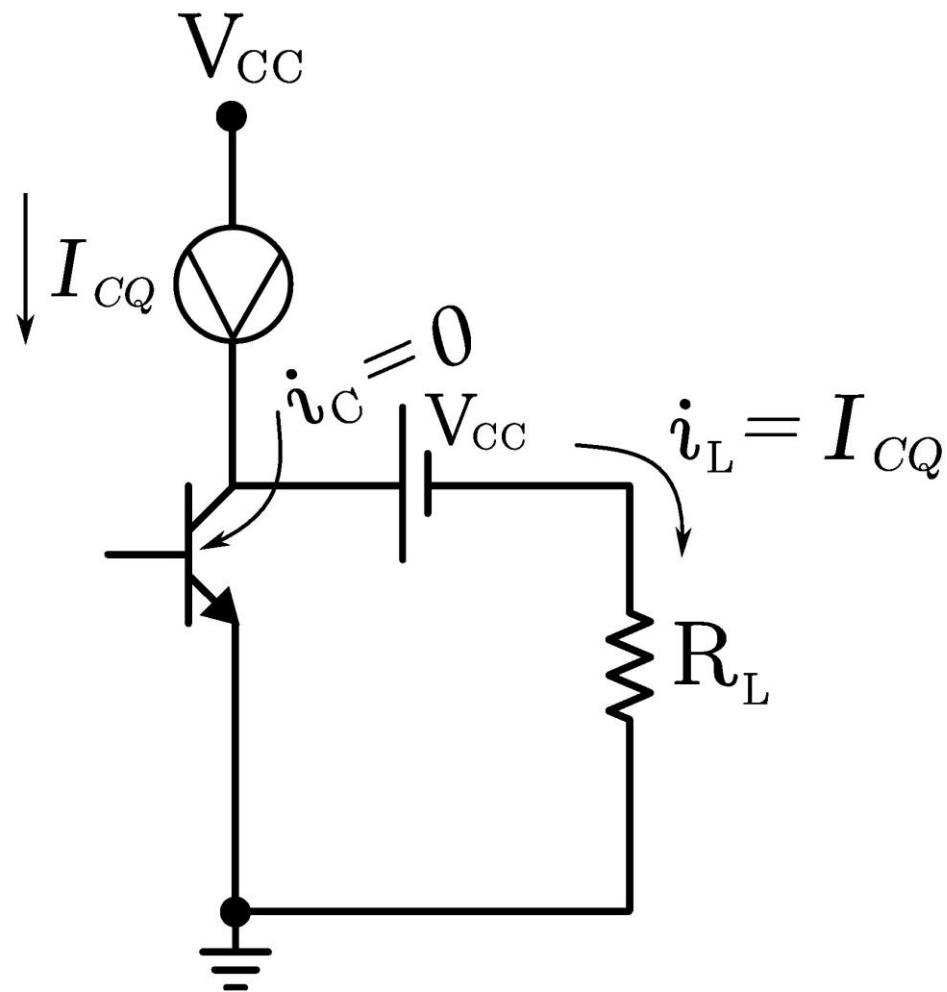
# Amplificador de Potencia Clase A (Cont.)

## *Circuito General*



# Amplificador de Potencia Clase A (Cont.)

1º Caso



## Amplificador de Potencia Clase A (Cont.)

$$v_{CE} = V_{CC} + i_L R_L$$

$$= V_{CC} + I_{CQ} R_L$$

$$= V_{CC} + V_{CC}$$

$$v_{CE} = 2V_{CC}$$

Cuando  $i_C = I_{CQ} + i_c = 0$

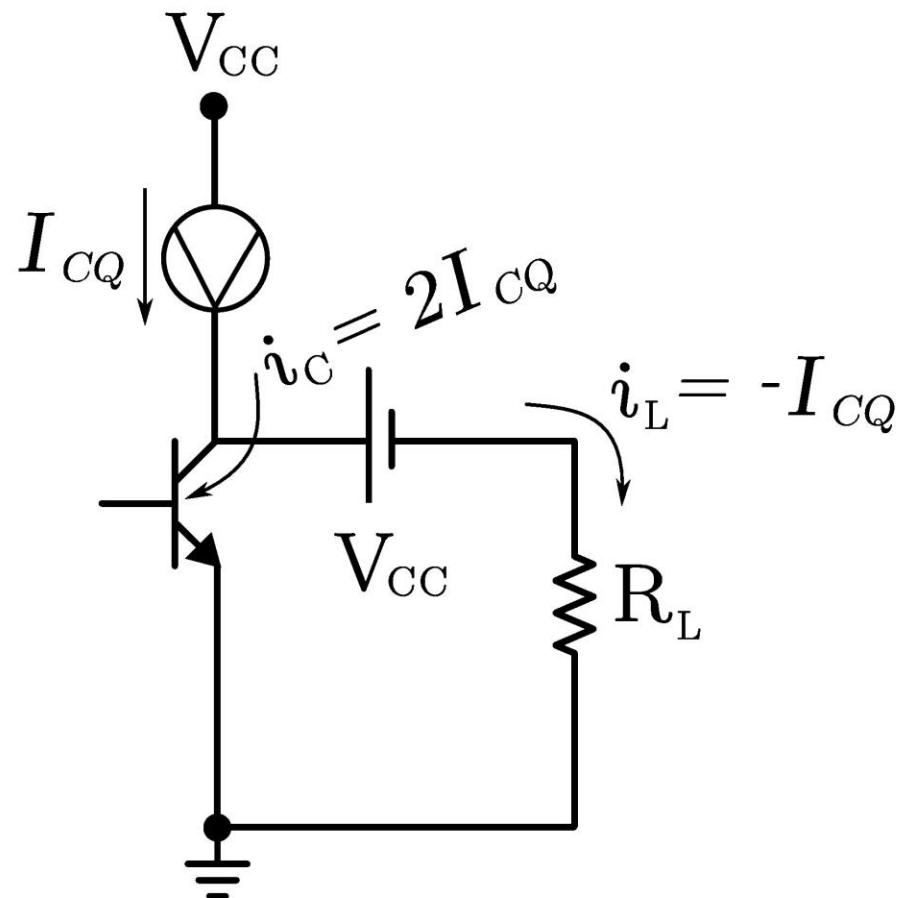
el  $T_R$  soporta  $2V_{CC}$

hay que tener esto en cuenta a la hora de elegir el  $T_R$ .

$$2V_{CC} \leq BV_{CEO}$$

# Amplificador de Potencia Clase A (Cont.)

*2º Caso*



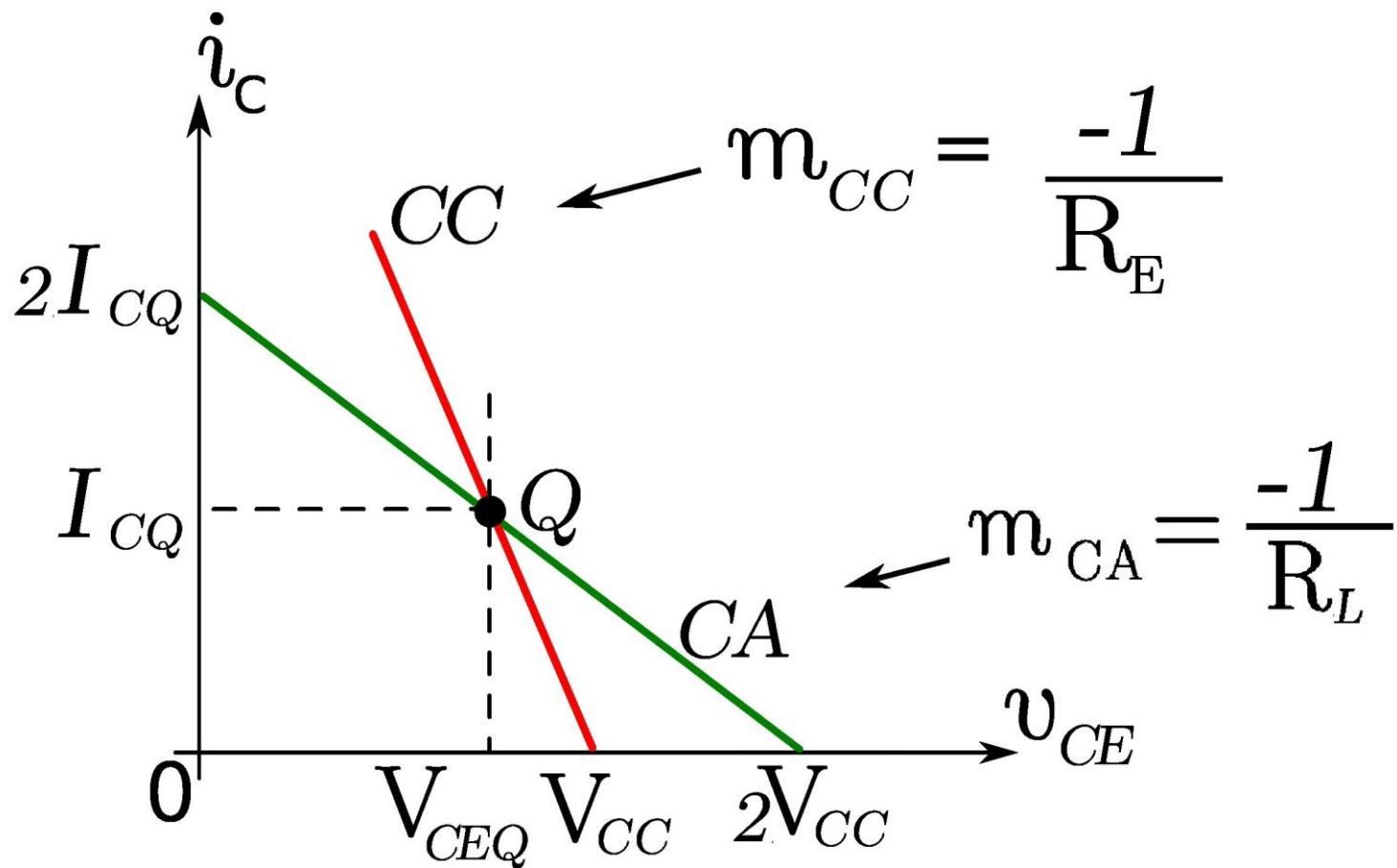
## Amplificador de Potencia Clase A (Cont.)

$$v_{CE} = V_{CC} + i_L R_L$$

$$= V_{CC} - I_{CQ} R_L = V_{CC} - V_{CC}$$

$$v_{CE} = 0$$

## Amplificador de Potencia Clase A (Cont.)



# Análisis de Potencia

$$R_E \rightarrow 0 \quad o \quad R_E \ll R_L$$

*Sin choque:*

$$P_{CC(\max)} = \frac{V_{CC}^2}{2R_L} \quad P_{L(\max)} = \frac{V_{CC}^2}{8R_L}$$

$$P_{C(\max)} = \frac{V_{CC}^2}{4R_L} \quad \eta = \frac{1}{4} \quad FM = 2$$

*Con choque:*

$$P_{CC(\max)} = V_{CC} I_{CQ} = V_{CC} \frac{V_{CC}}{R_L} = \frac{V_{CC}^2}{R_L}$$

$$P_L = i_L^2 R_L = i_c^2 R_L \quad i_L = i_c$$

$$= \left( \frac{\hat{i}_c}{\sqrt{2}} \right)^2 R_L = \frac{\hat{i}_c^2}{2} R_L$$

# Análisis de Potencia (Cont.)

$$P_{L(\max)} = \frac{1}{2} I_{CQ}^2 R_L = \frac{1}{2} \frac{V_{CC}^2}{R_L^2} \quad R_L = \frac{V_{CC}^2}{2R_L}$$

$$P_{C(\max)} = P_{CC} - P_L = P_{CC(\max)} - 0 = \frac{V_{CC}^2}{R_L}$$

$$P_{C(\min)} = P_{CC(\max)} - P_{L(\max)} = \frac{V_{CC}^2}{R_L} - \frac{V_{CC}^2}{2R_L} = \frac{V_{CC}^2}{2R_L}$$

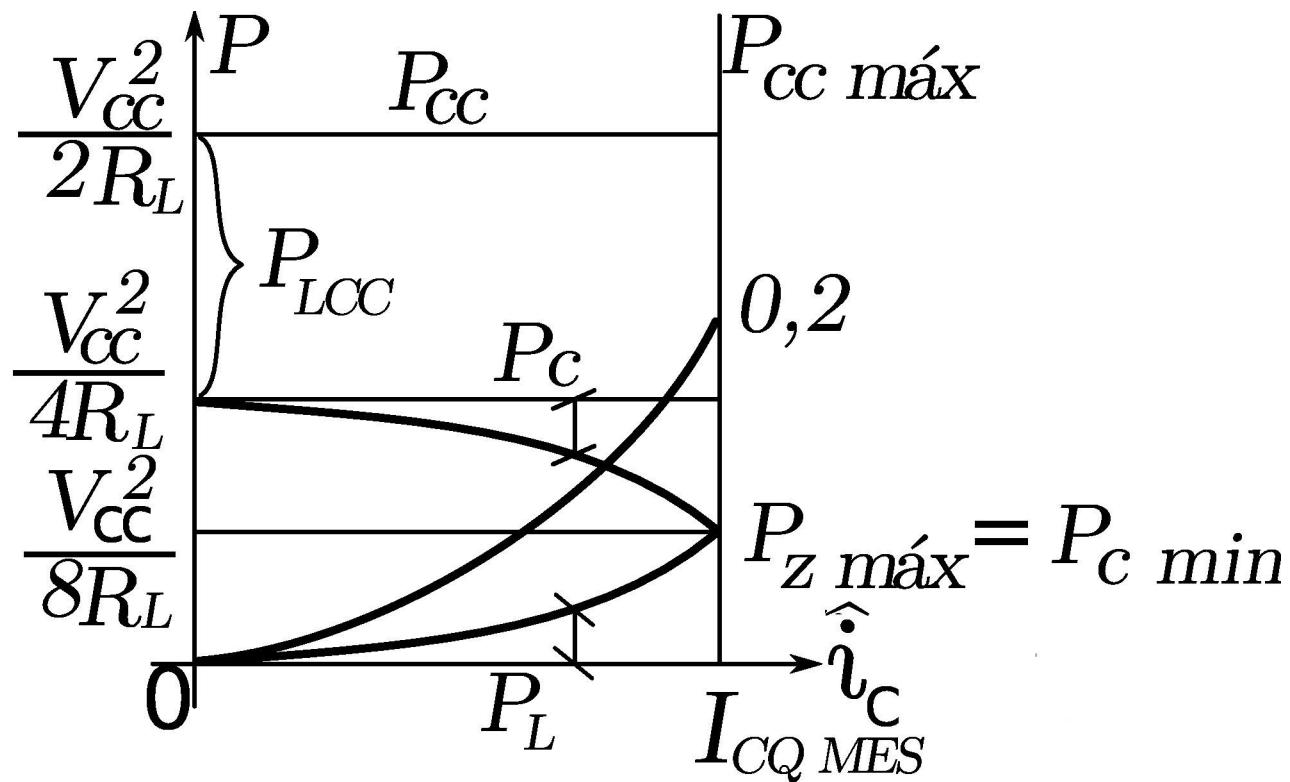
## Análisis de Potencia (Cont.)

$$\eta_{(\max)} = \frac{P_{L\max}}{P_{CC\max}} = \frac{\frac{V_{CC}^2}{2R_L}}{\frac{V_{CC}^2}{R_L}} = \frac{1}{2} = 50\%$$

$$FM = \frac{P_{C\max}}{P_{L\max}} = \frac{\frac{R_L}{V_{CC}^2}}{\frac{2R_L}{V_{CC}^2}} = 2$$

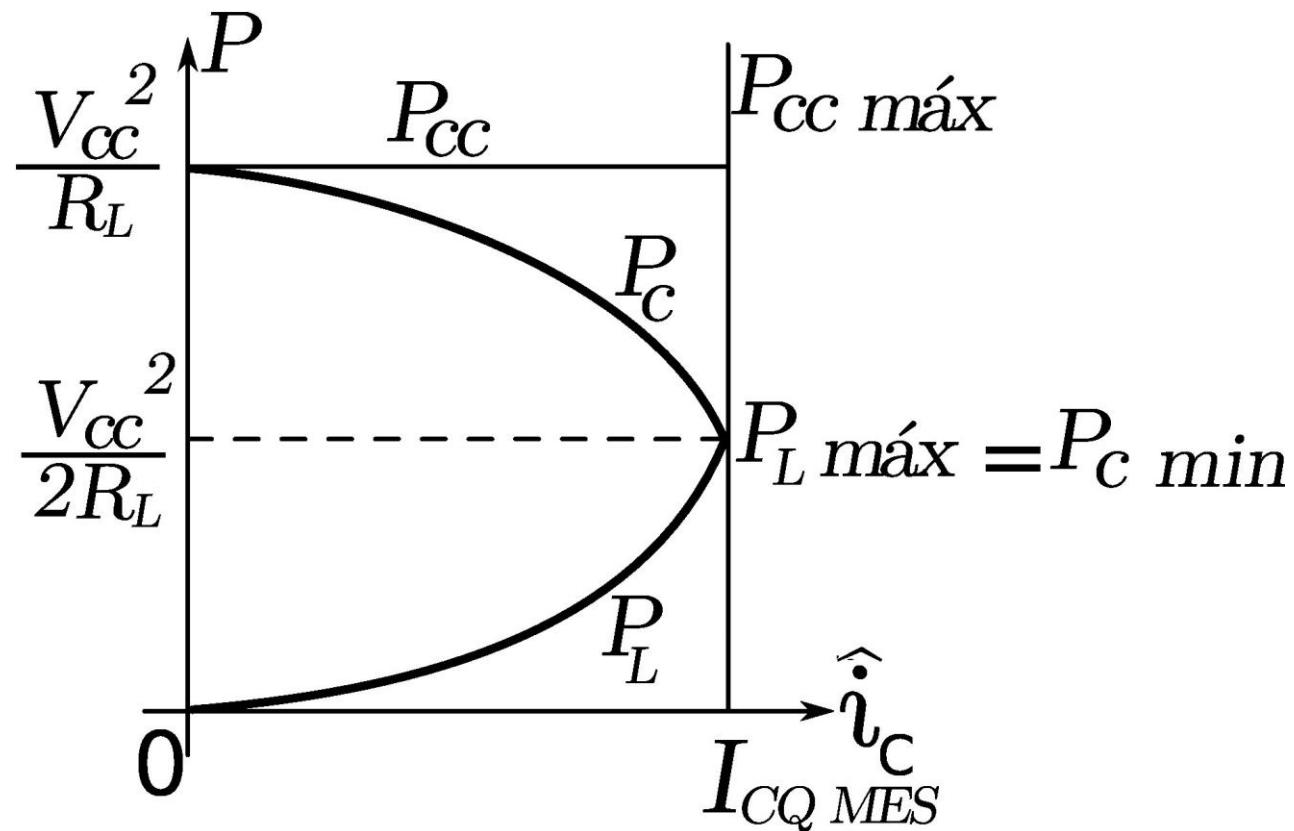
# Análisis de Potencia (Cont.)

*Sin choque:*

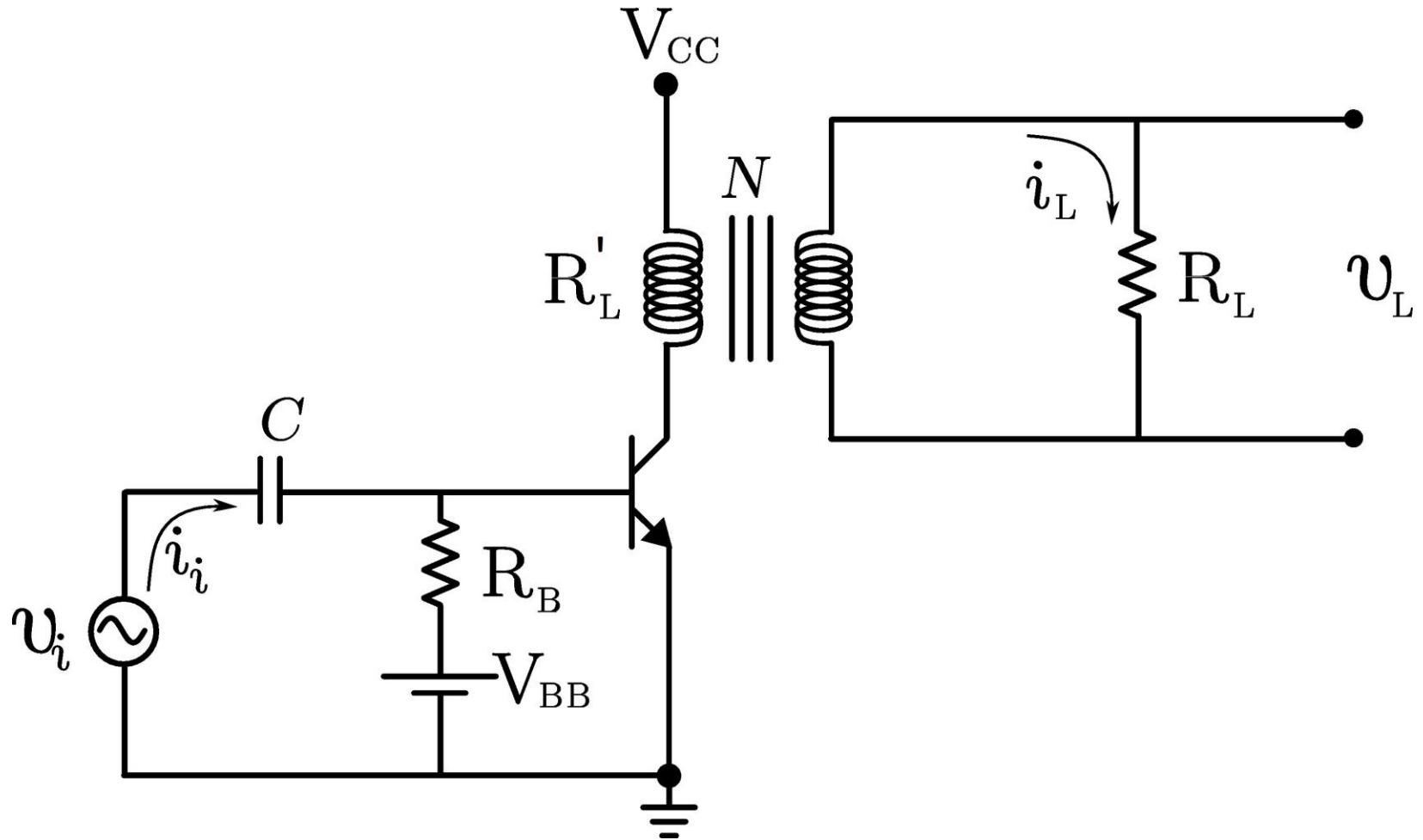


# Análisis de Potencia (Cont.)

*Con choque:*



# Amplificador de Potencia Clase A, con acoplamiento por transformador.



# Amplificador de Potencia Clase A, con acoplamiento por transformador (Cont.).

$$R_{CC} = 0 \quad R_{CA} = R_L'$$

$$N = \frac{N_P}{N_S} = \frac{v_P}{v_S} = \frac{i_S}{i_P} = \sqrt{\frac{Z_P}{Z_S}} \quad \text{Propias del transformador.}$$

$$Z_S = R_L \quad Z_P = R_L'$$

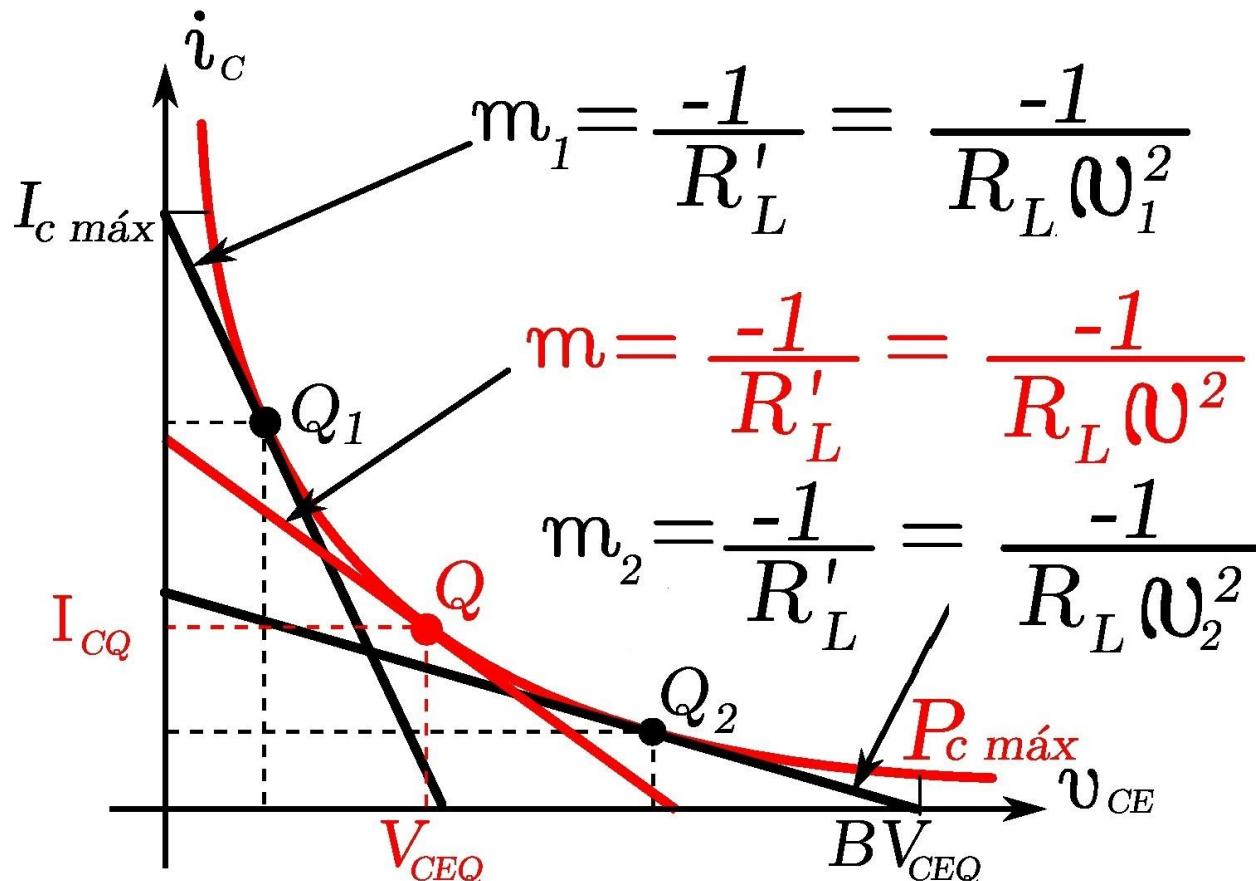
$$N = \sqrt{\frac{R_L'}{R_L}}$$

$$R_L' = N^2 R_L$$

$$I_{CQ} = \frac{V_{CC}}{R_L'} = \frac{V_{CC}}{N^2 R_L} \quad (\text{vemos que } I_{CQ} = f_{(N)})$$

$$N_{\min} < N < N_{\max}$$

# Amplificador de Potencia Clase A, con acoplamiento por transformador (Cont.).



Datos :

$$R_L$$

$$P_{L_{\max}} \rightarrow P_{C_{\max}}$$

$$FM = \frac{P_{C_{\max}}}{P_{L_{\max}}}$$

$$P_{C_{\max}} = FM \cdot P_{L_{\max}}$$

Para este circuito

$$FM = 2$$

$$P_{C_{\max}} = 2P_{L_{\max}}$$

$$\left. \begin{array}{l} N_1 = N_{\min} \\ N_2 = N_{\max} \end{array} \right\} N = \frac{N_{\min} + N_{\max}}{2}$$

# Amplificador de Potencia Clase A, con acoplamiento por transformador (Cont.).

$$2I_{CQ} \leq i_{c(\max)} \quad 2V_{CEQ} = 2V_{CC} \leq BV_{CEO}$$

$$\text{Clase A} \begin{cases} \text{Sin choque: } V_{CC} \leq BV_{CEO} \\ \text{Con choque o trafo: } 2V_{CC} \leq BV_{CEO} \end{cases}$$

$$P_C = v_{CE} i_C \quad i_C = I_{CQ} + i_c$$

$P_{C(\max)}$  se da cuando no hay señal:  $i_c = 0$

$$P_{C(\max)} = v_{CEQ} I_{CQ} \quad \Rightarrow I_{CQ} = \frac{P_{C(\max)}}{v_{CEQ}}$$

$$I_{CQ} = \frac{P_{C(\max)}}{I_{CQ} R_L} = \frac{P_{C(\max)}}{I_{CQ} N^2 R_L}$$

# Amplificador de Potencia Clase A, con acoplamiento por transformador (Cont.).

$$I_{CQ}^2 = \frac{P_{C(\max)}}{N^2 R_L}$$

$$I_{CQ} = \frac{1}{N} \sqrt{\frac{P_{C(\max)}}{R_L}} = \frac{1}{N} \sqrt{\frac{2P_{L(\max)}}{R_L}} \quad (1)$$

$$V_{CEQ} = I_{CQ} R_L = \frac{1}{N} \sqrt{\frac{2P_{L(\max)}}{R_L}} N^2 R_L$$

$$= N \sqrt{\frac{2P_{L(\max)} R_L^2}{R_L}}$$

$$V_{CEQ} = N \sqrt{2P_{L(\max)} R_L} \quad (2)$$

# Amplificador de Potencia Clase A, con acoplamiento por transformador (Cont.).

$$I_{CQ1} = \frac{1}{N_1} \sqrt{\frac{2P_{L(\max)}}{R_L}} \quad N_1 = N_{\min}$$

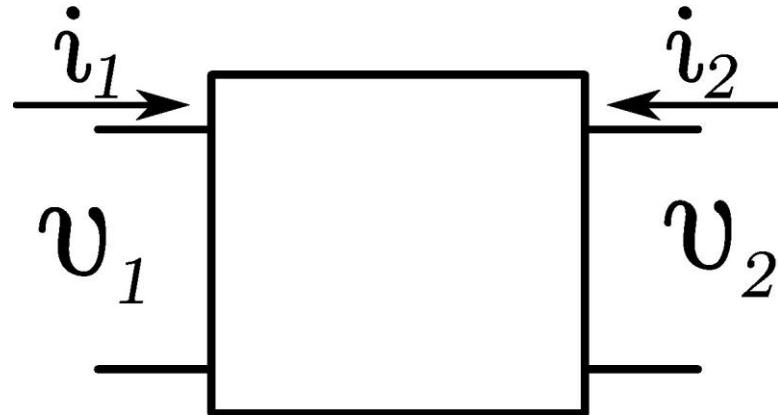
$$N_{\min} = \frac{1}{I_{CQ1}} \sqrt{\frac{2P_{L(\max)}}{R_L}} \quad I_{CQ1} = \frac{i_{C(\max)}}{2}$$

$$N_{\max} = N_2 = \frac{V_{CEO}}{\sqrt{2P_{L(\max)} R_L}} \quad V_{CEO} = \frac{BV_{CEO}}{2}$$

$$N = \frac{N_{\min} + N_{\max}}{2}$$

# Parámetros Híbridos

*Se parte de la teoría del cuadripolo o redes de dos pares de terminales:*



*En general:*

$$v_1 = h_{11}i_1 + h_{12}v_2$$

$$i_2 = h_{21}i_1 + h_{22}v_2$$

*Para transistores:*

$$v_1 = h_i i_1 + h_r v_2$$

$$i_2 = h_f i_1 + h_o v_2$$

# Parámetros Híbridos (Cont.)

$i$  : entrada       $r$  : reverso

$f$  : directa       $o$  : salida

$h_i$  : impedancia de entrada.

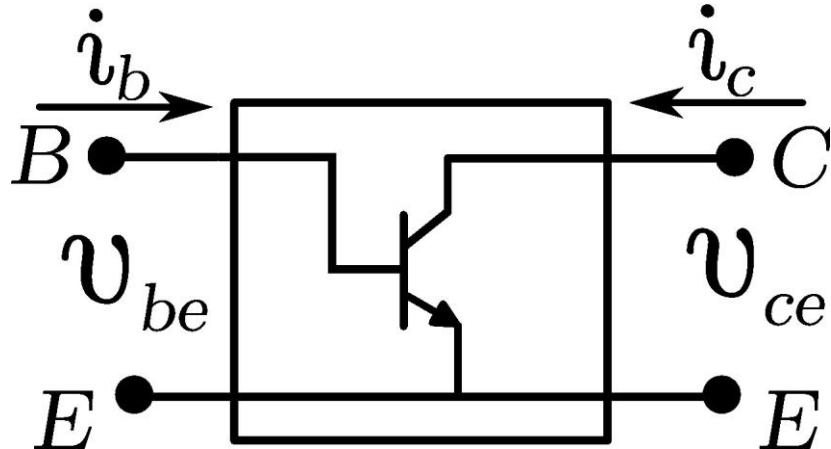
$h_r$  : ganancia inversa de voltaje.

$h_f$  : ganancia directa de corriente.

$h_o$  : admitancia de salida.

# Parámetros Híbridos.

## Configuración Emisor Común.



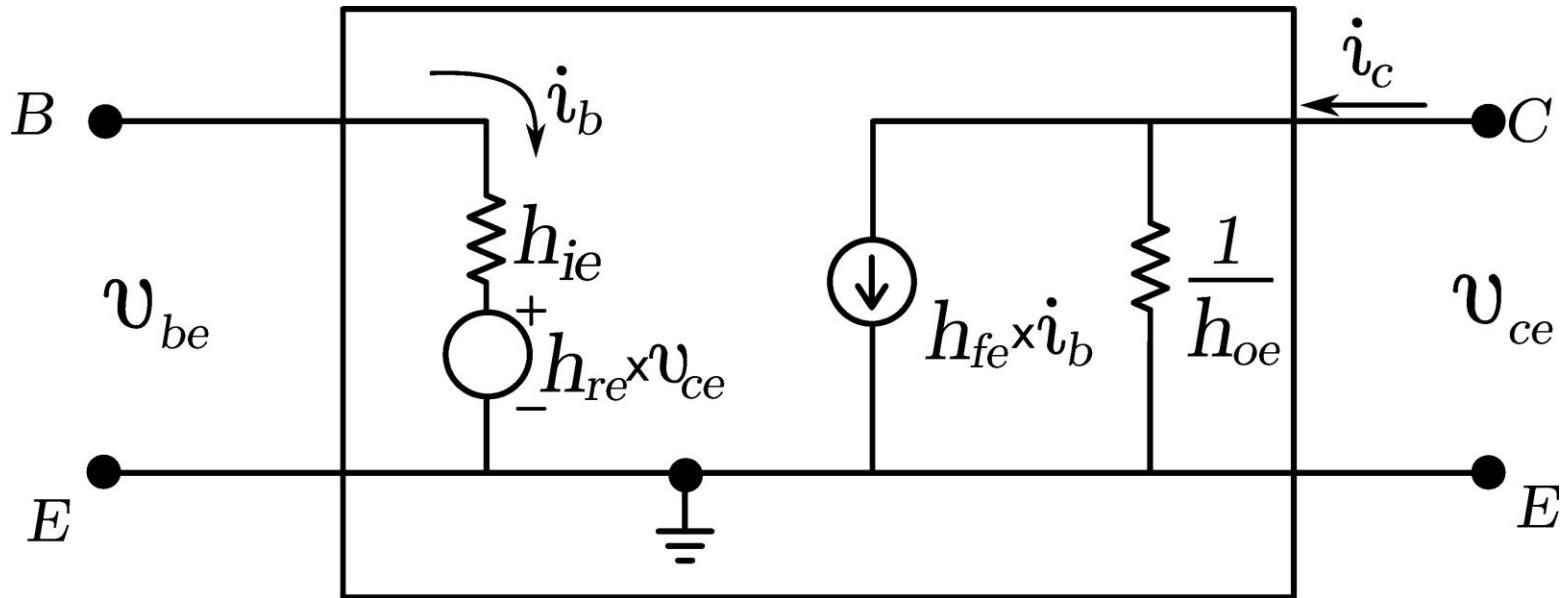
$$i_1 = i_b$$

$$i_2 = i_c \quad \text{Ley de Kirchoff de voltaje:} \quad v_{be} = h_{ie} i_b + h_{re} v_{ce}$$

$$v_1 = v_{be} \quad \text{Ley de Kirchoff de corriente:} \quad i_c = h_{fe} i_b + h_{oe} v_{ce}$$

$$v_2 = v_{ce}$$

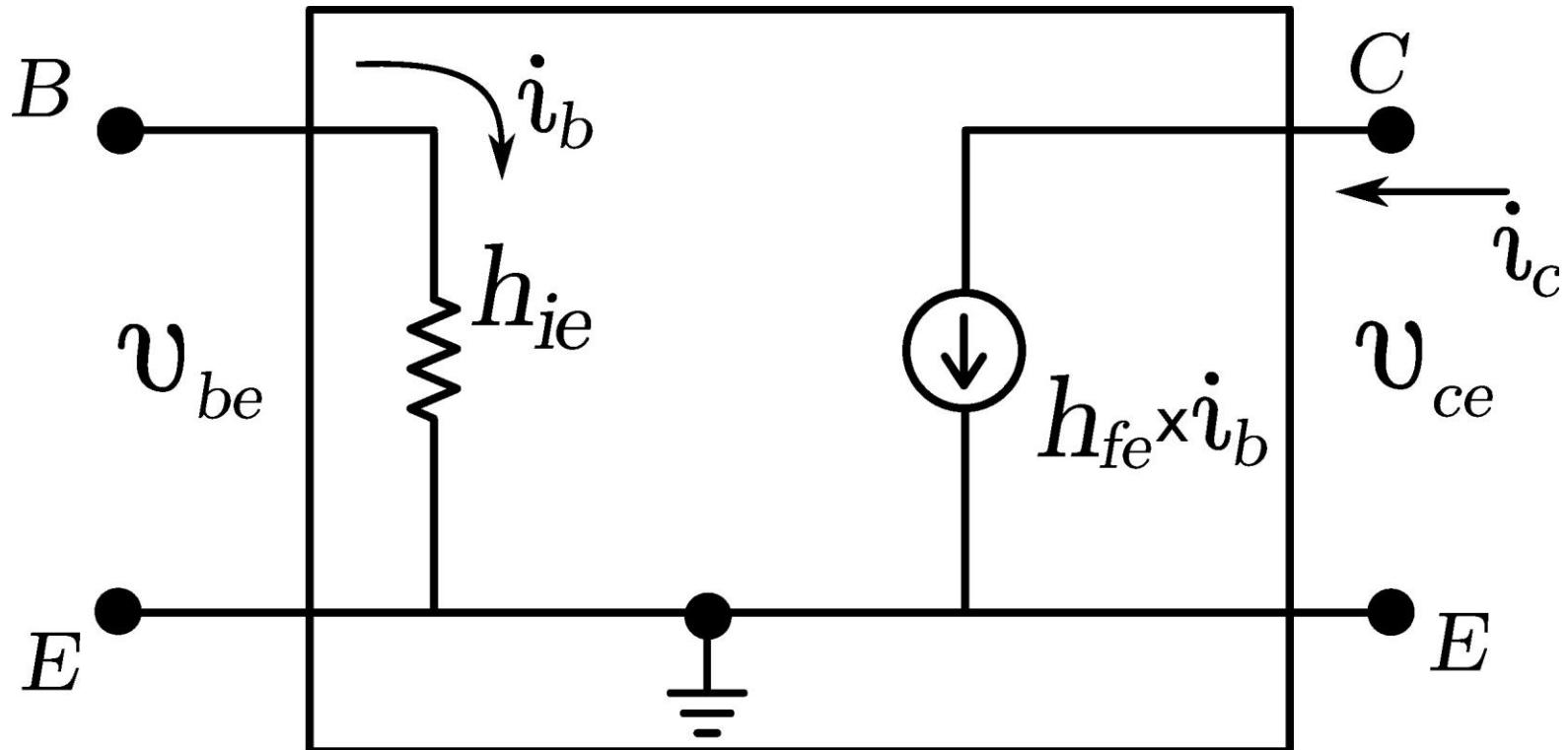
# Parámetros Híbridos Modelo Completo



$$h_{oe} \rightarrow 10^{-4} S \text{ a } 10^{-6} S$$

$$\frac{1}{h_{oe}} \rightarrow 10^4 \Omega \text{ a } 10^6 \Omega \rightarrow \text{circuito abierto}$$

# Parámetros Híbridos-Modelo Simplificado



# Parámetros Híbridos (Cont.)

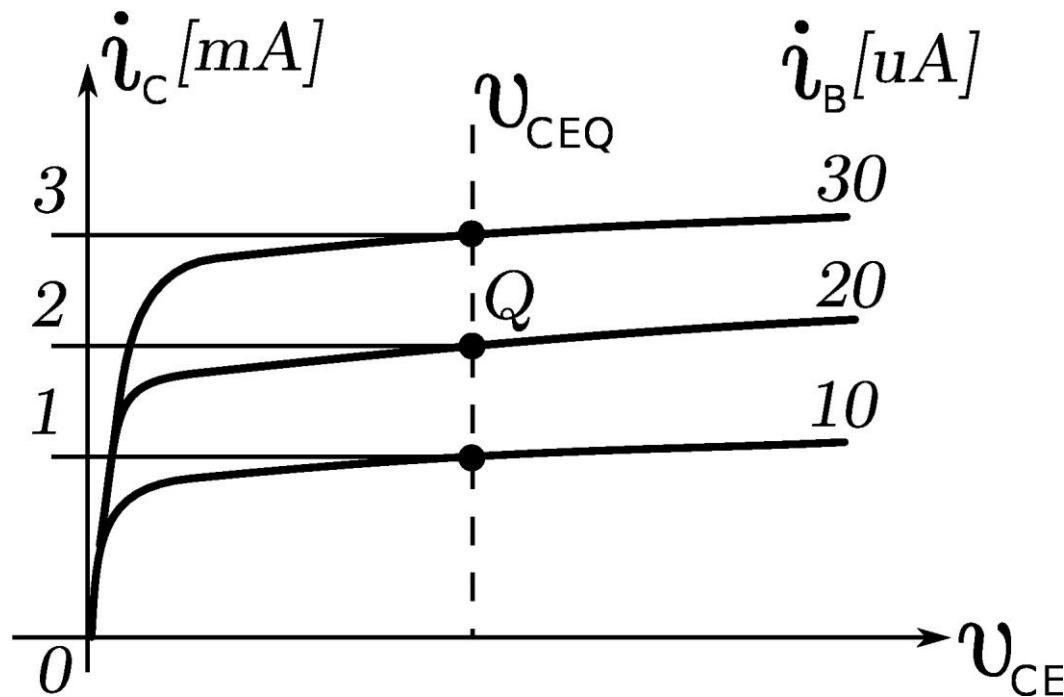
$$h_{ie} = \left. \frac{v_{be}}{i_b} \right|_{\begin{subarray}{l} v_{ce}=0 \\ V_{CEQ}=cte \end{subarray}} \quad \left\{ \begin{array}{l} \text{impedancia de entrada del TR en E.C} \\ \text{con la salida en cortocircuito.} \end{array} \right.$$

$$h_{re} = \left. \frac{v_{be}}{v_{ce}} \right|_{\begin{subarray}{l} i_b=0 \\ I_{BQ}=cte \end{subarray}} \quad \left\{ \begin{array}{l} \text{ganancia inversa de Voltaje con la} \\ \text{entrada abierta en E.C.} \end{array} \right.$$

$$h_{fe} = \left. \frac{i_c}{i_b} \right|_{\begin{subarray}{l} v_{ce}=0 \\ V_{CEQ}=cte \end{subarray}} \quad \left\{ \begin{array}{l} \text{ganancia de corriente en E.C con la} \\ \text{salida en cortocircuito para C.A.} \end{array} \right.$$

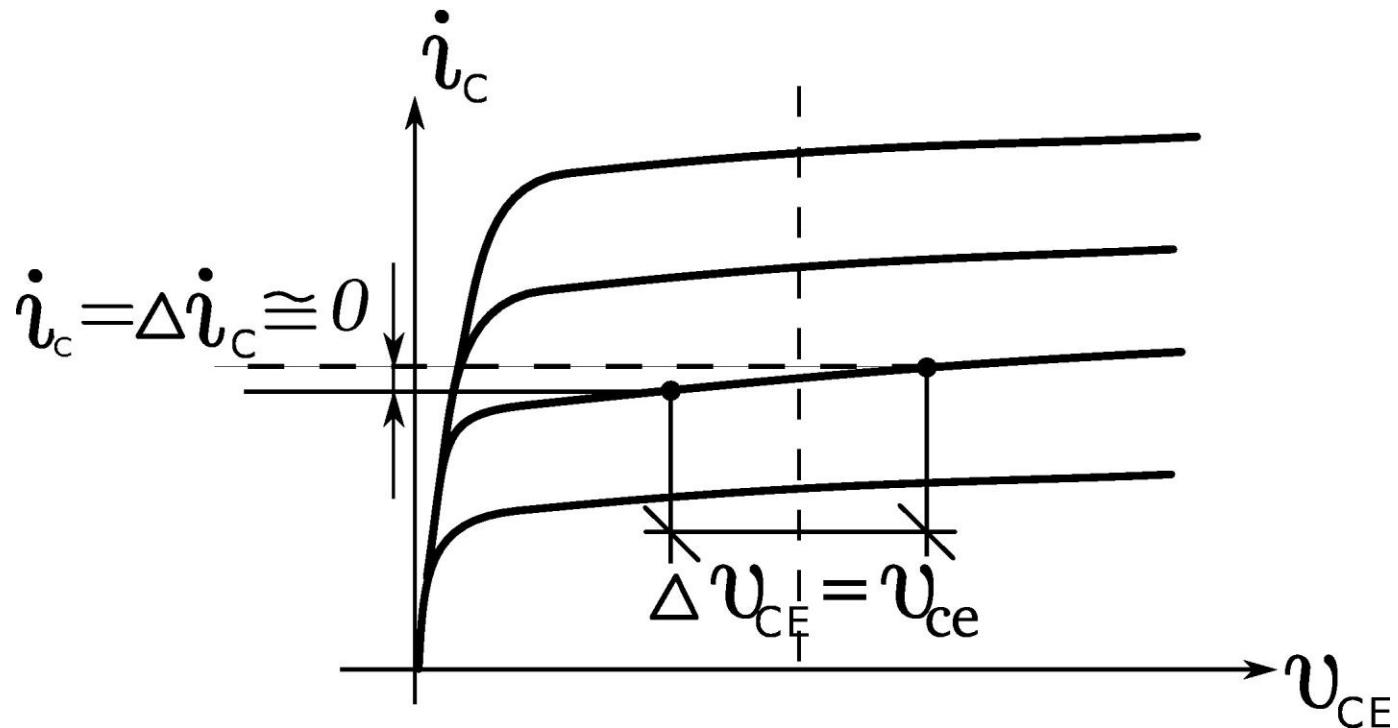
$$h_{oe} = \left. \frac{i_c}{v_{ce}} \right|_{\begin{subarray}{l} i_b=0 \\ I_{BQ}=cte \end{subarray}} \quad \left\{ \begin{array}{l} \text{admitancia de salida en E.C con la} \\ \text{entrada abierta.} \end{array} \right.$$

# Parámetros Híbridos. Valor de h<sub>fe</sub> a partir de las características i-v



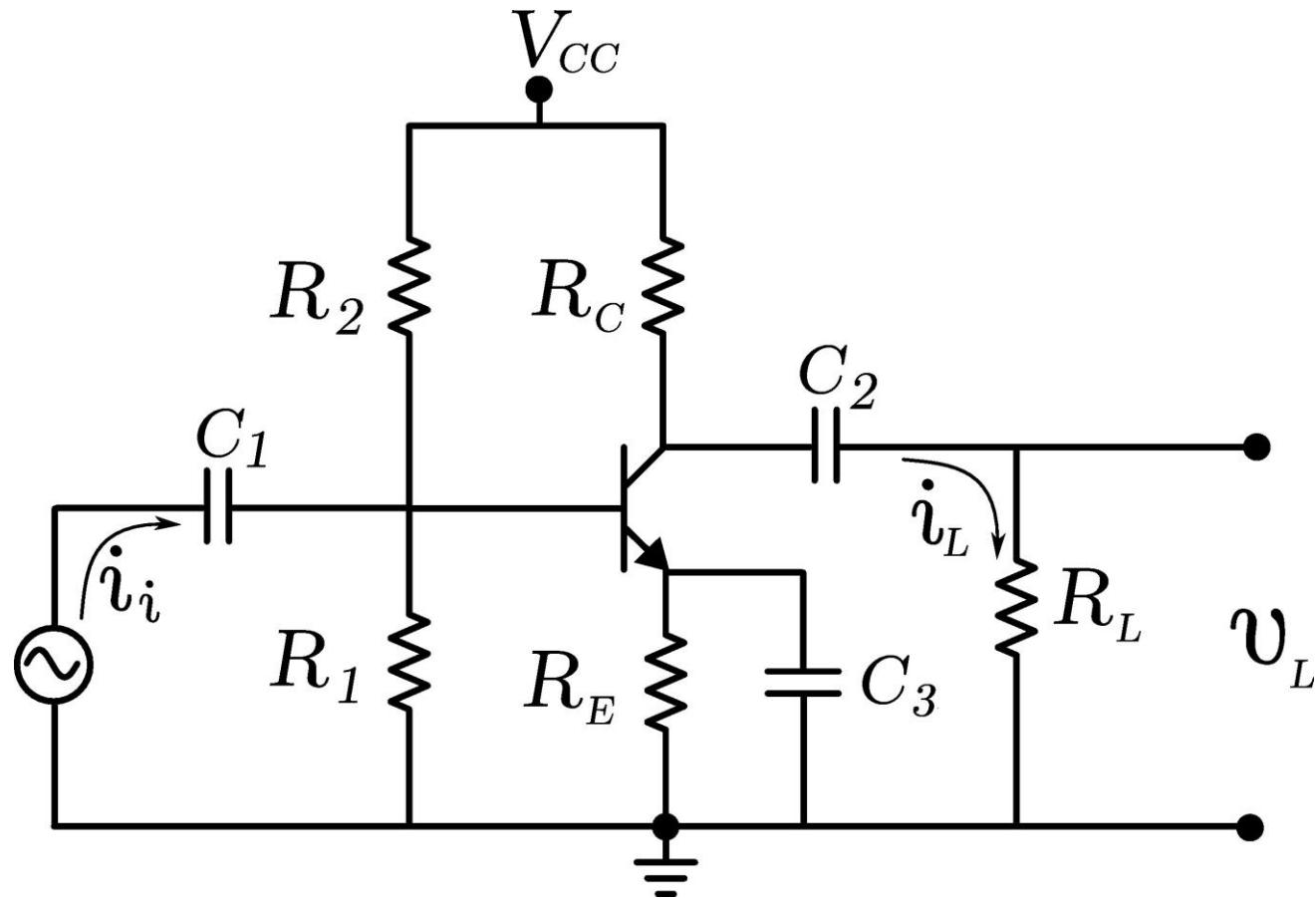
$$h_{fe} = \left. \frac{\Delta i_C}{\Delta i_B} \right|_Q = \frac{3mA - 1mA}{30\mu A - 10\mu A} = 100$$

# Parámetros Híbridos- Valor de hoe a partir de las características i-v

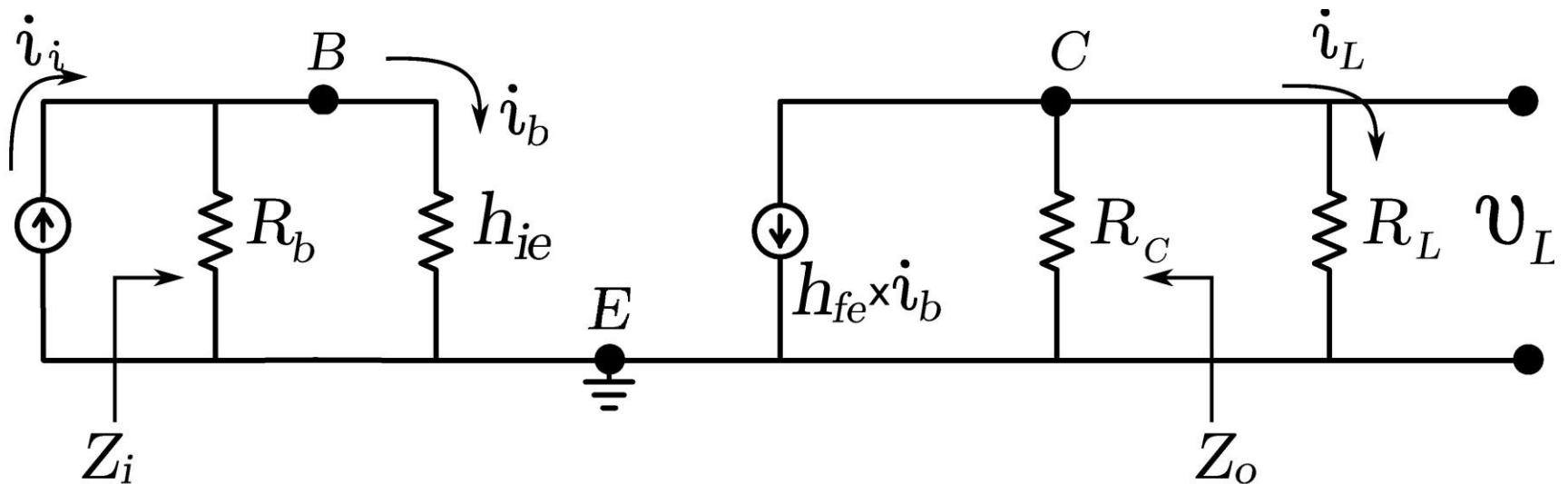


$$h_{oe} = \frac{\Delta i_c}{\Delta v_{CE}} \Big|_Q \quad h_{ie} = \frac{25 \text{ mV}}{I_{BQ}} = \frac{25 \text{ mV}}{\frac{I_{CQ}}{h_{fe}}} = h_{fe} \frac{25 \text{ mV}}{I_{CQ}}$$

# Etapa Amplificadora Emisor Común



# Etapa Amplificadora Emisor Común. Circuito Equivalente.



$$Z_i = R_b // h_{ie}$$

$$Z_o = R_c$$

# Etapa Amplificadora Emisor Común. Ganancia de Corriente.

$$A_i = \frac{i_L}{i_i} = \frac{i_L}{i_b} \times \frac{i_b}{i_i}$$

$$i_L = \frac{v_L}{R_L} = \frac{-h_{fe} i_b R_C // R_L}{R_L} = -h_{fe} i_b \frac{R_C \cancel{R}_L}{R_C + R_L} \frac{1}{\cancel{R}_L}$$

$$\frac{i_L}{i_b} = -h_{fe} \frac{R_C}{R_C + R_L}$$

$$i_b = \frac{v_i}{h_{ie}} = i_i \frac{R_b \cancel{h}_{ie}}{R_b + h_{ie}} \frac{1}{\cancel{h}_{ie}} = i_i \frac{R_b}{R_b + h_{ie}}$$

$$\frac{i_b}{i_i} = \frac{R_b}{R_b + h_{ie}}$$

$$A_i = -h_{fe} \frac{R_C}{R_C + R_L} \frac{R_b}{R_b + h_{ie}}$$

$$Si \begin{cases} R_L \ll R_C \\ h_{ie} \ll R_b \end{cases} \Rightarrow A_i = -h_{fe} \frac{\cancel{R}_C}{\cancel{R}_C} \frac{\cancel{R}_b}{\cancel{R}_b} \cong -h_{fe}$$

# Etapa Amplificadora Emisor Común. Ganancia de tensión.

$$A_V = \frac{v_L}{v_i} = \frac{i_L}{i_i} \frac{R_L}{Z_i}$$

$$A_V = A_i \frac{R_L}{Z_i} = -h_{fe} \frac{R_C}{R_C + R_L} \frac{R_b}{R_b + h_{ie}} \frac{R_L}{\frac{R_b \times h_{ie}}{R_b + h_{ie}}} = -h_{fe} \frac{R_C \times R_L}{R_C + R_L} \frac{1}{h_{ie}}$$

$$A_V = -h_{fe} \frac{R_C // R_L}{h_{ie}}$$

Si  $R_L \ll R_C$ :

$$A_V \approx -h_{fe} \frac{R_C \times R_L}{R_C} \frac{1}{h_{ie}} \approx -h_{fe} \frac{R_L}{h_{ie}} = -\frac{R_L}{h_{ie}/h_{fe}} = -\frac{R_L}{h_{ib}}$$

$$A_V = -\frac{1}{h_{ib}} R_L$$

# Etapa Amplificadora Emisor Común. Ganancia de Potencia.

$$A_P = \frac{P_L}{P_i} = \frac{v_L}{v_i} \times \frac{i_L}{i_i} = A_V \times A_i$$

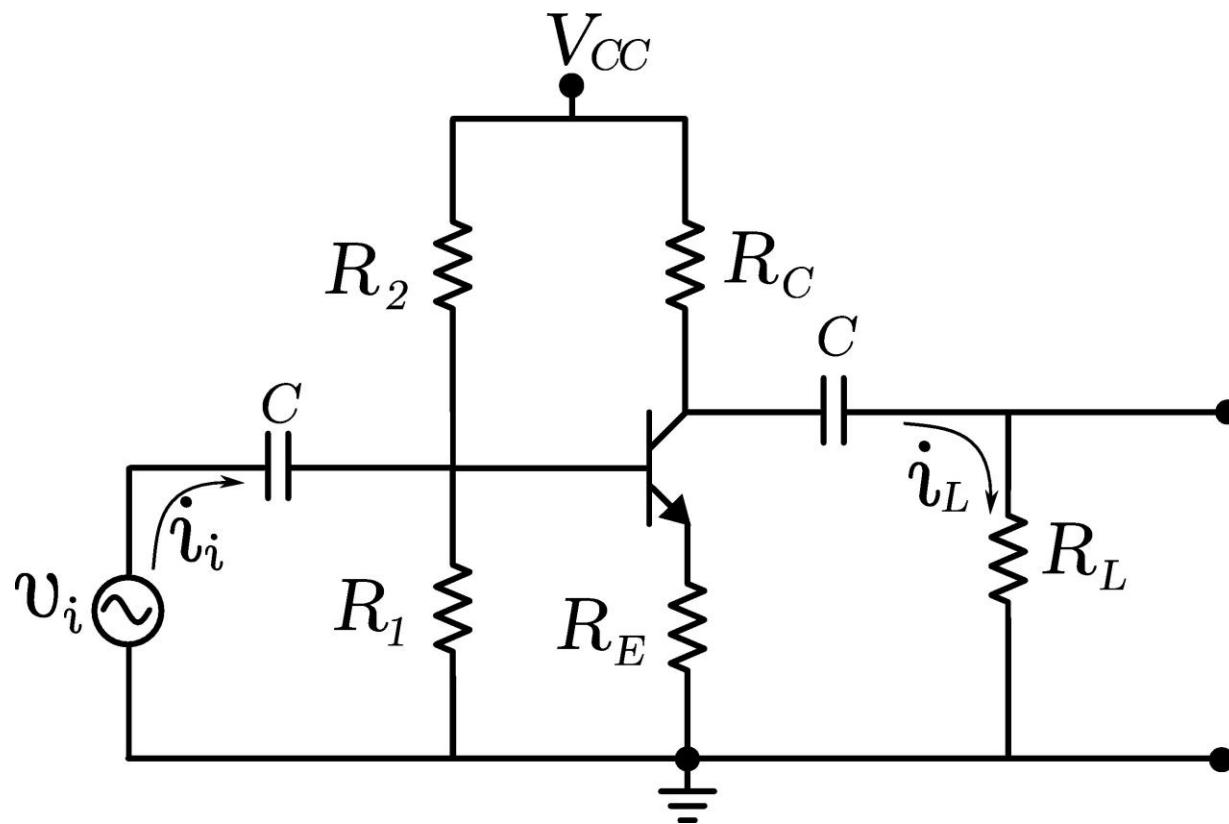
$$\text{Como: } A_V = A_i \frac{R_L}{Z_i}$$

$$A_P = A_i \frac{R_L}{Z_i} A_i = A_i^2 \frac{R_L}{Z_i}$$

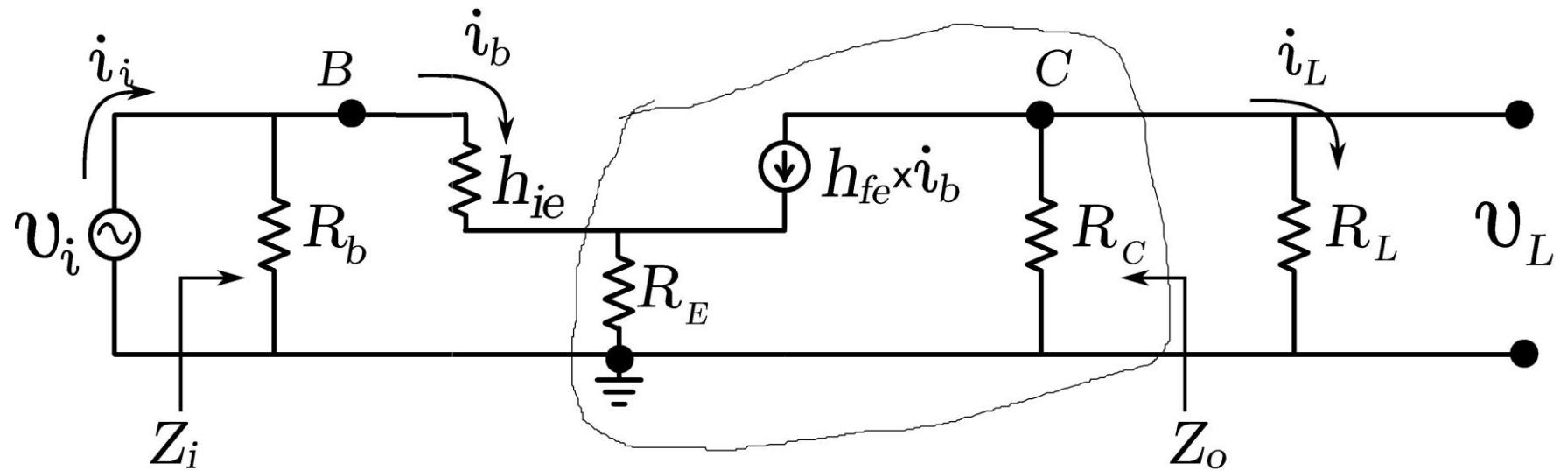
$$\text{Como: } A_i = A_V \frac{Z_i}{R_L}$$

$$A_P = A_V A_V \frac{Z_i}{R_L} = A_V^2 \frac{Z_i}{R_L}$$

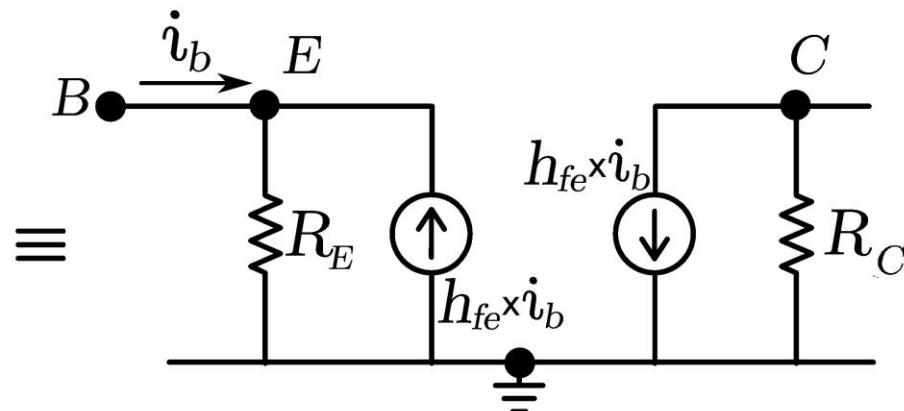
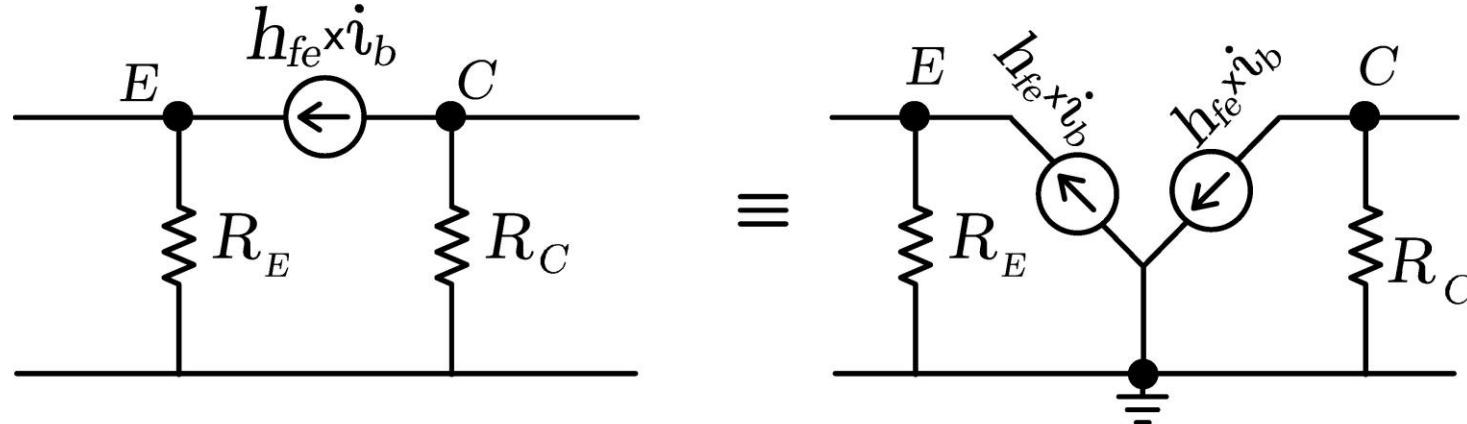
# Etapa Amplificadora E.C sin capacitor de desacople. Reflexión de impedancia.



# Circuito equivalente para señal débil.



# Desdoblamos la fuente de corriente



$$\begin{aligned}v_e &= (i_b + h_{fe} i_b) R_E \\&= i_b (h_{fe} + 1) R_E \\&= i_b [R_E (h_{fe} + 1)]\end{aligned}$$

# Circuito equivalente para señal débil con Re reflejada a la base

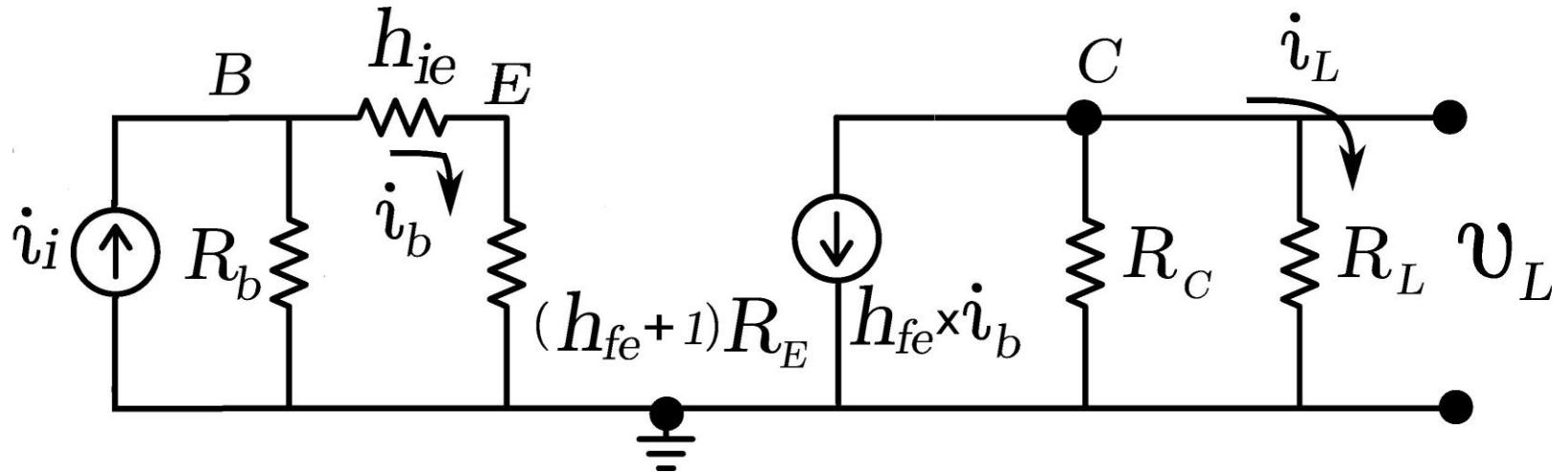
La combinación de  $R_E$  en // con  $h_{fe} i_b$  es

reemplazada por la resistencia reflejada  $(h_{fe} + 1)R_E$

$$v_e = (i_b + h_{fe} i_b) R_E$$

$$= i_b (h_{fe} + 1) R_E$$

$$= i_b [R_E (h_{fe} + 1)]$$



# Calculo de impedancias y ganancias

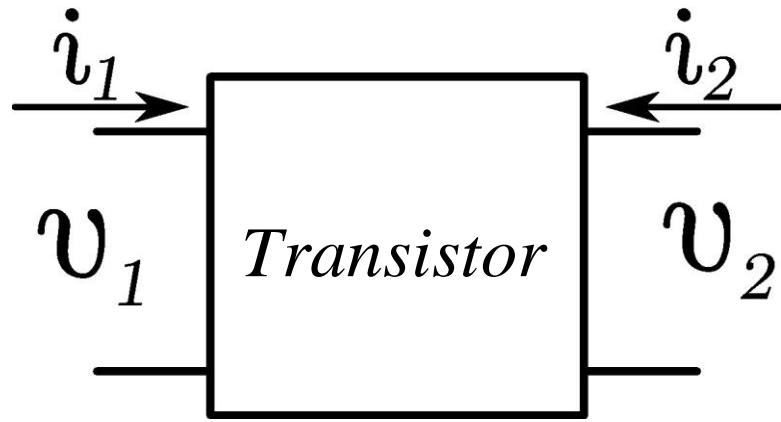
$$Z_i = R_b // \left[ h_{ie} + R_e(h_{fe} + 1) \right] \quad \uparrow$$

$$Z_o = R_C \quad =$$

$$A_i = -h_{fe} \frac{R_C}{R_C + R_L} \frac{R_b}{R_b + h_{ie} + R_e(h_{fe} + 1)} \quad \downarrow$$

$$A_V = A_i \frac{R_L}{Z_i} \quad \downarrow \downarrow$$

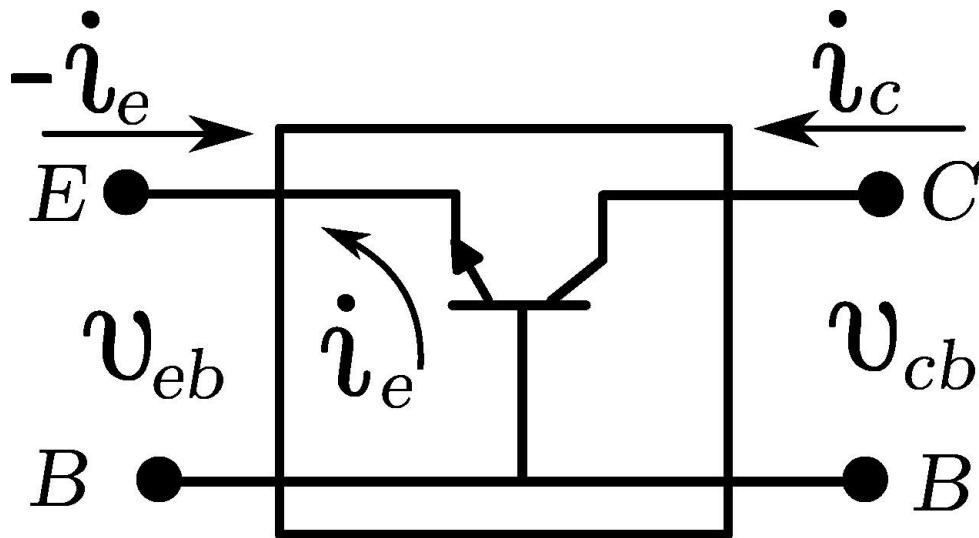
# Parámetros Internos para Base Común.



$$v_i = h_i i_1 + h_r v_2$$

$$i_2 = h_f i_1 + h_o v_2$$

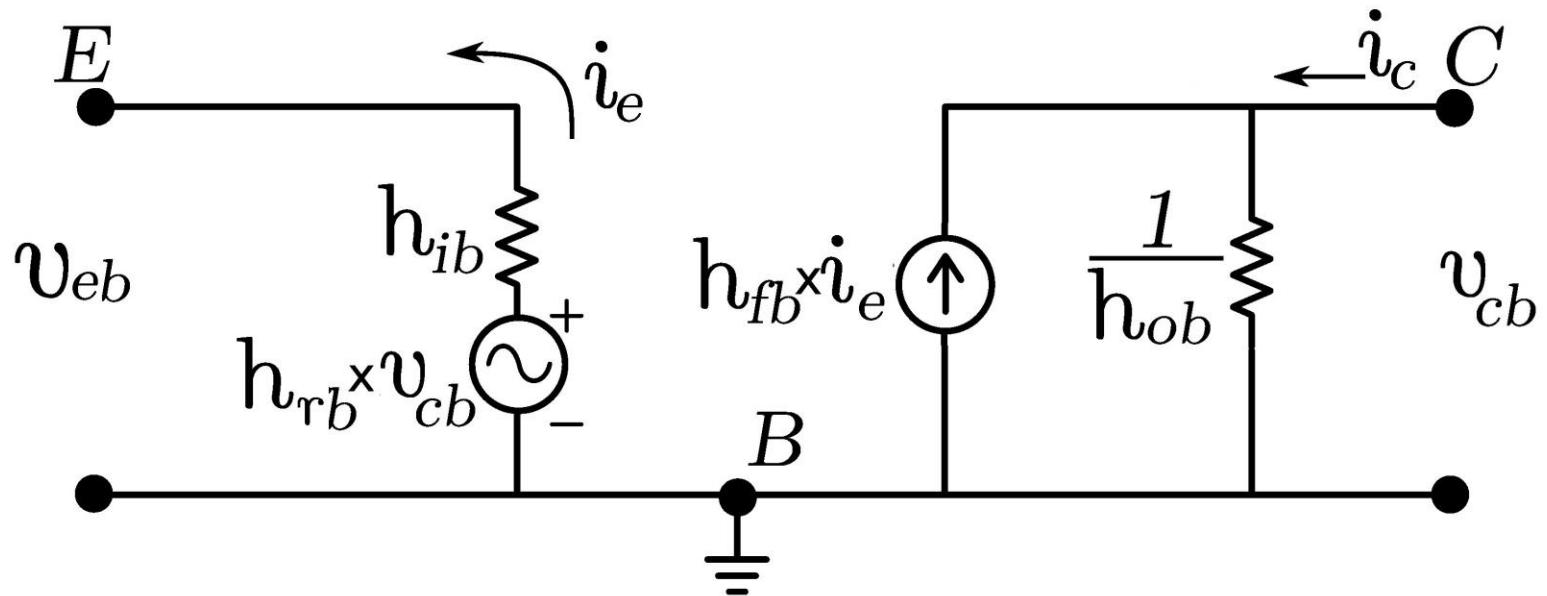
# Parámetros Internos para Base Común (Cont.)



$$v_{eb} = h_{ib}(-i_e) + h_{rb}v_{cb}$$

$$i_c = h_{fb}(-i_e) + h_{ob}v_{cb}$$

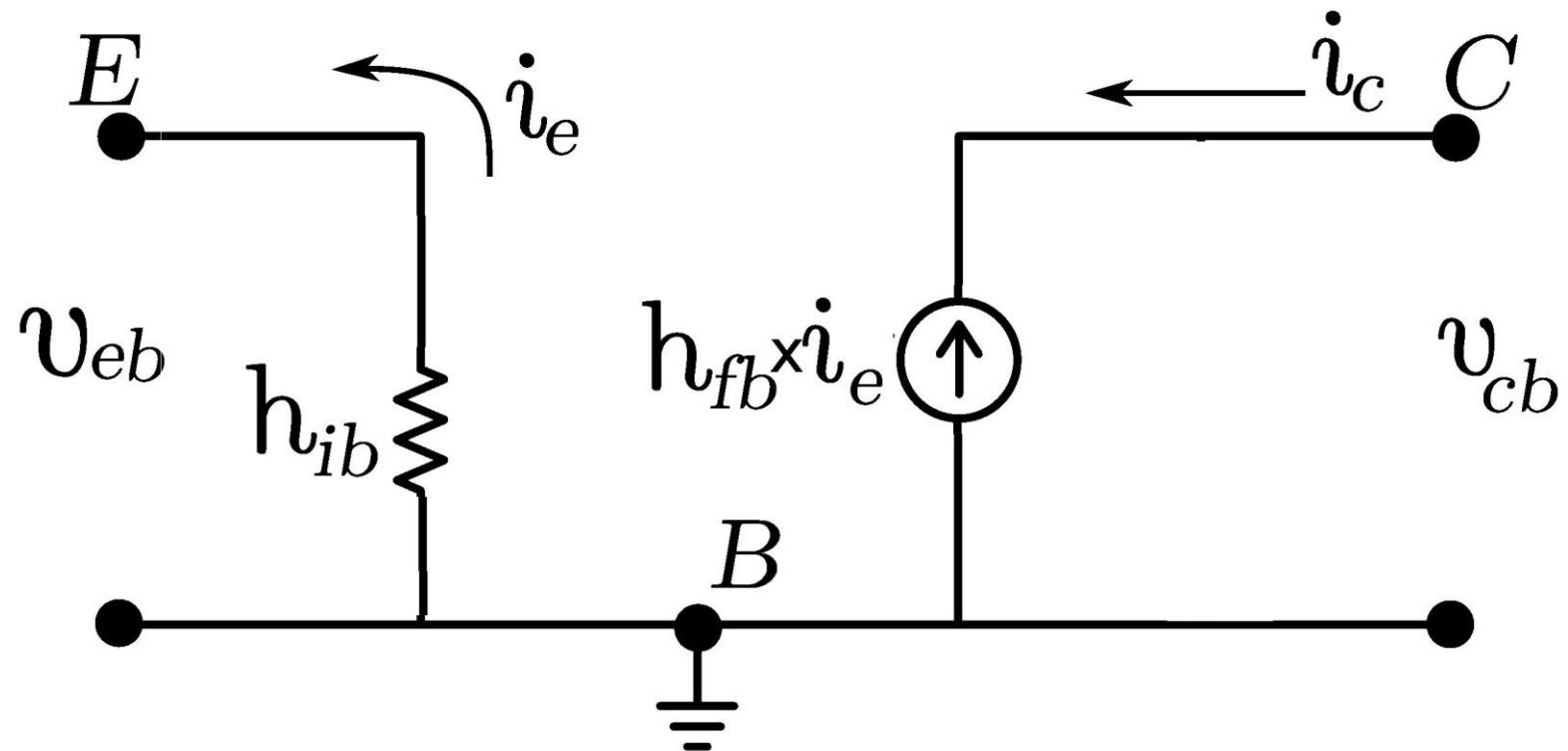
# Circuito equivalente completo.



$$h_{rb} \rightarrow 0 \Rightarrow h_{rb} v_{cb} \rightarrow 0$$

$$h_{ob} \rightarrow 0 \Rightarrow \frac{1}{h_{ob}} \begin{pmatrix} \text{da un valor muy alto} \\ \text{se puede despreciar.} \end{pmatrix}$$

# Circuito equivalente simplificado.



# Definición de los parámetros híbridos.

$$v_{eb} = h_{ib}(-i_e) + h_{rb}v_{cb}$$

$$i_c = h_{fb}(-i_e) + h_{ob}v_{cb}$$

$$h_{ib} = \frac{v_{eb}}{-i_e} \Bigg|_{v_{cb}=0}$$

$$h_{rb} = \frac{v_{eb}}{v_{cb}} \Bigg|_{i_e=0}$$

$$h_{fb} = \frac{i_c}{-i_e} \Bigg|_{v_{cb}=0}$$

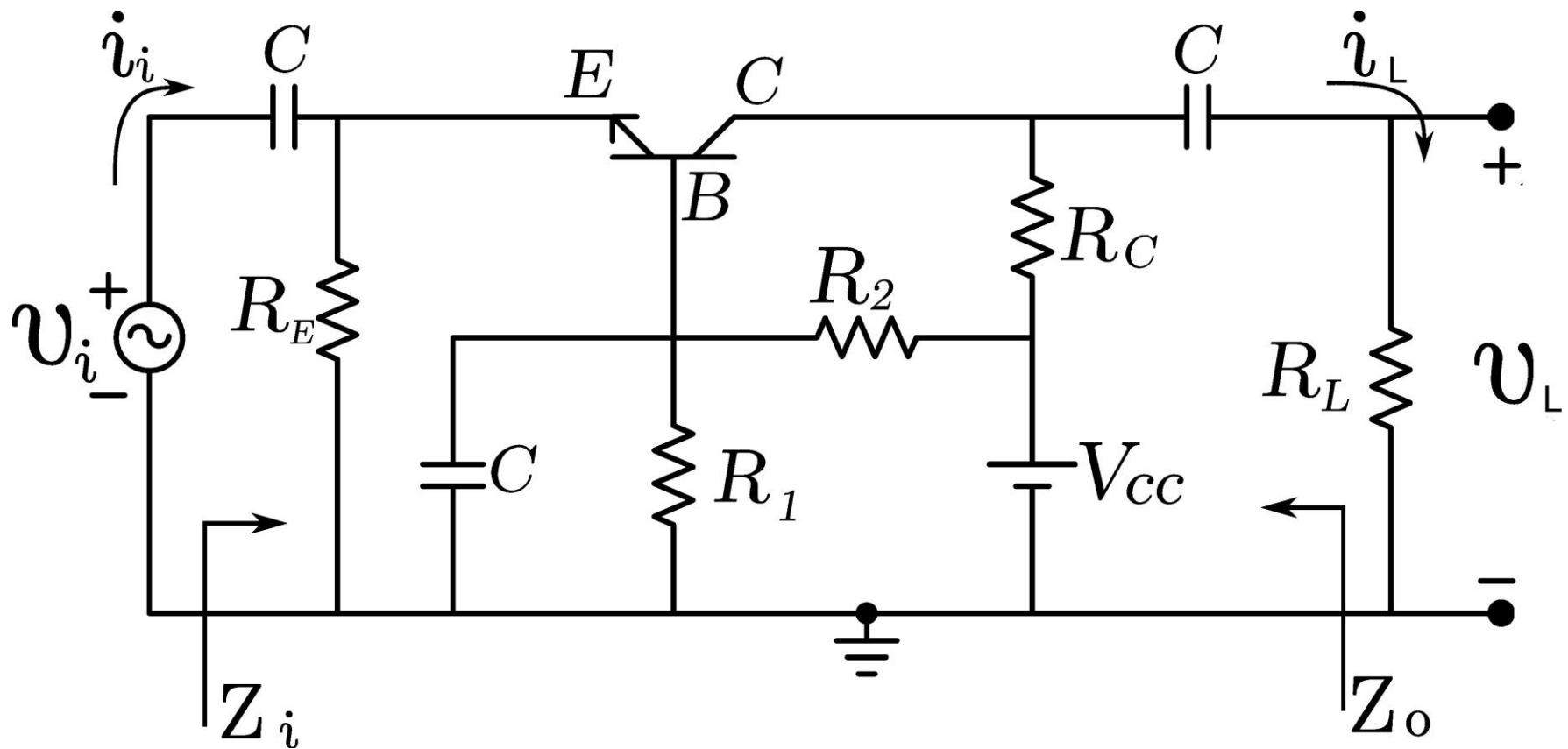
$$h_{ob} = \frac{i_c}{v_{cb}} \Bigg|_{i_e=0}$$

# Relación de los parámetros híbridos de B.C y E.C

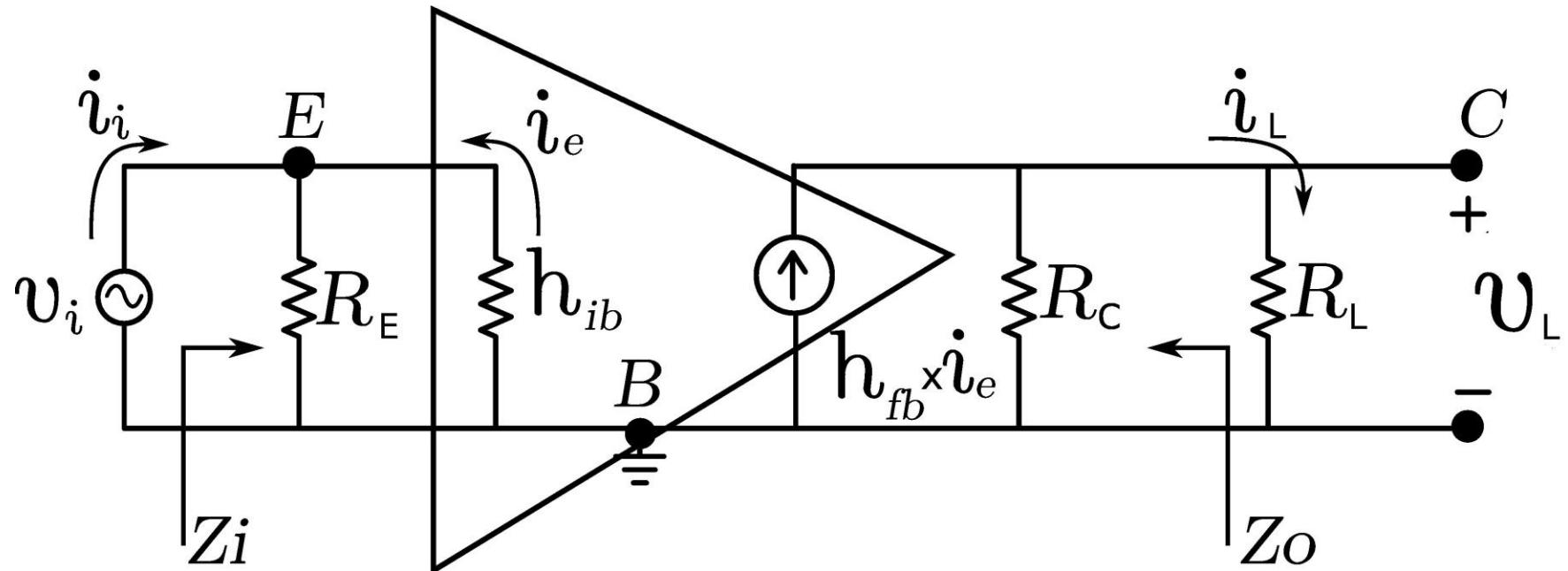
$$h_{ib} = \frac{v_{eb}}{-i_e} = \frac{-i_b h_{ie}}{-i_e} = \frac{-j_b h_{ie}}{-j_b (h_{fe} + 1)} = \frac{h_{ie}}{(h_{fe} + 1)}$$

$$h_{fb} = \frac{i_c}{-i_e} = \frac{j_b h_{fe}}{-j_b (h_{fe} + 1)} = -\frac{h_{fe}}{(h_{fe} + 1)} \cong -1$$

# Etapa Amplificadora Base Común



# Etapa Amplificadora Base Común (Cont.)



$$h_{ib} = \frac{h_{ie}}{h_{fe} + 1} = \frac{25mV}{I_{CQ}} \frac{\kappa_{fe}}{\kappa_{fe}} \frac{1}{\kappa_{fe}} = \frac{25mV}{I_{CQ}}$$

$$Z_i = R_E / / h_{ib} \quad Z_o = R_C$$

# Cálculo de la Ganancia de Corriente (Ai).

$$A_i = \frac{\dot{i}_L}{\dot{i}_i} = \frac{\dot{i}_L}{\dot{i}_e} \frac{\dot{i}_e}{\dot{i}_i}$$

$$\dot{i}_L = h_{fb} \dot{i}_e \frac{R_C \cancel{R_L}}{R_C + R_L} \frac{1}{\cancel{R_L}} \quad \Rightarrow \quad \frac{\dot{i}_L}{\dot{i}_e} = h_{fb} \frac{R_C}{R_C + R_L}$$

$$\dot{i}_e = -\dot{i}_i \frac{R_E \cancel{h}_{ib}}{R_E + h_{ib}} \frac{1}{\cancel{h}_{ib}} \quad \Rightarrow \quad \frac{\dot{i}_e}{\dot{i}_i} = -\frac{R_E}{R_E + h_{ib}}$$

# Cálculo de la Ganancia de Corriente (Ai)(Cont.).

$$A_i = -h_{fb} \frac{R_C}{R_C + R_L} \times \frac{R_e}{R_e + h_{ib}}$$

$$A_i = -(-1) \frac{R_C}{R_C + R_L} \times \frac{R_e}{R_e + h_{ib}}$$

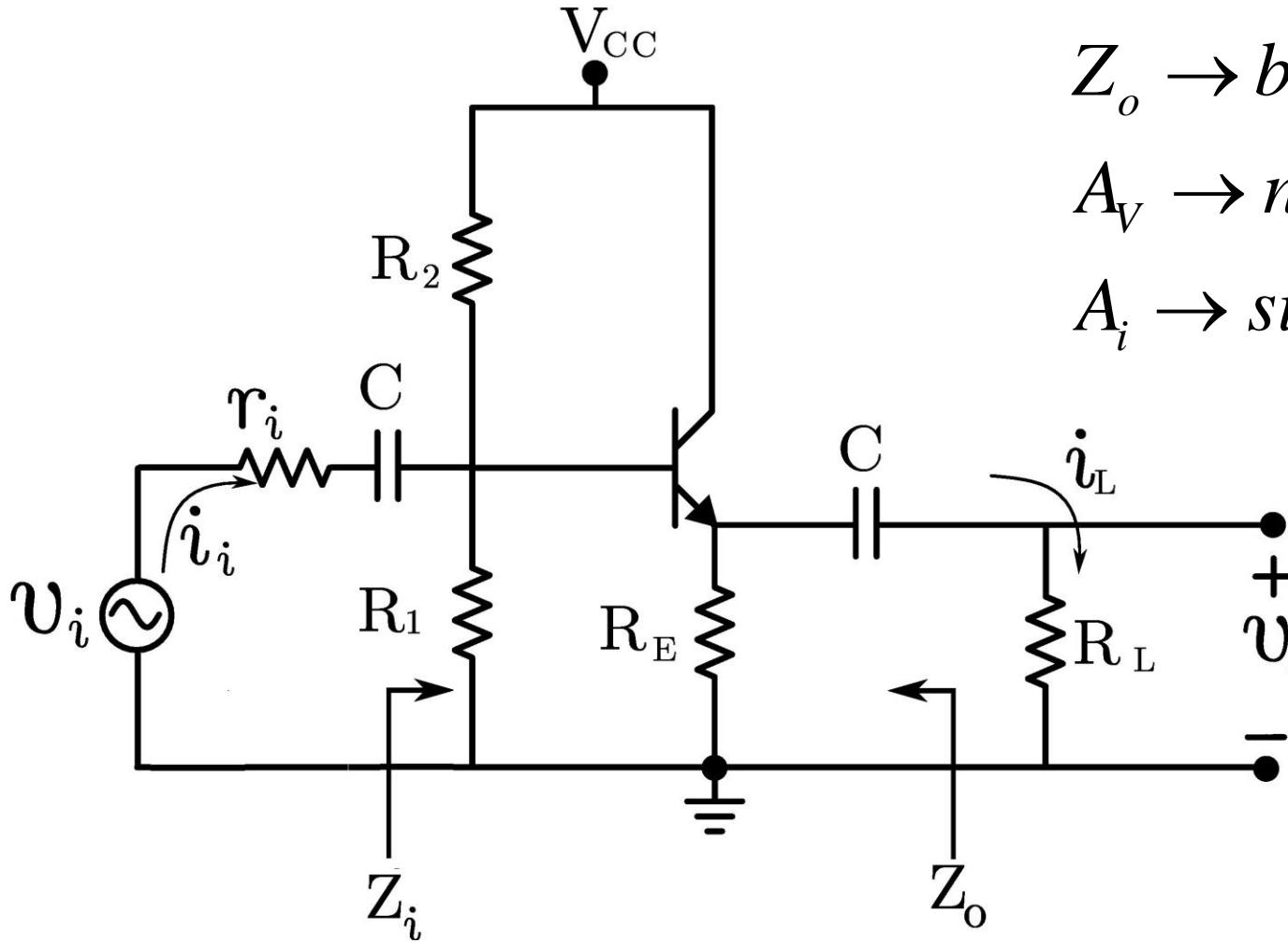
$$A_i = \frac{R_C}{R_C + R_L} \times \frac{R_e}{R_e + h_{ib}} < 1$$

# Cálculo de la Ganancia de Tensión (Av).

$$A_V = \frac{v_L}{v_i} = \frac{i_L R_L}{i_i Z_i} = A_i \frac{R_L}{Z_i} = -h_{fb} \frac{R_C}{R_C + R_L} \times \frac{R_e}{R_e + h_{ib}} \times \frac{\frac{R_L}{R_e h_{ib}}}{R_e + h_{ib}}$$

$$A_V = \frac{R_C // R_L}{h_{ib}}$$

# Etapa Amplificadora Colector Común



$Z_i \rightarrow$  alta

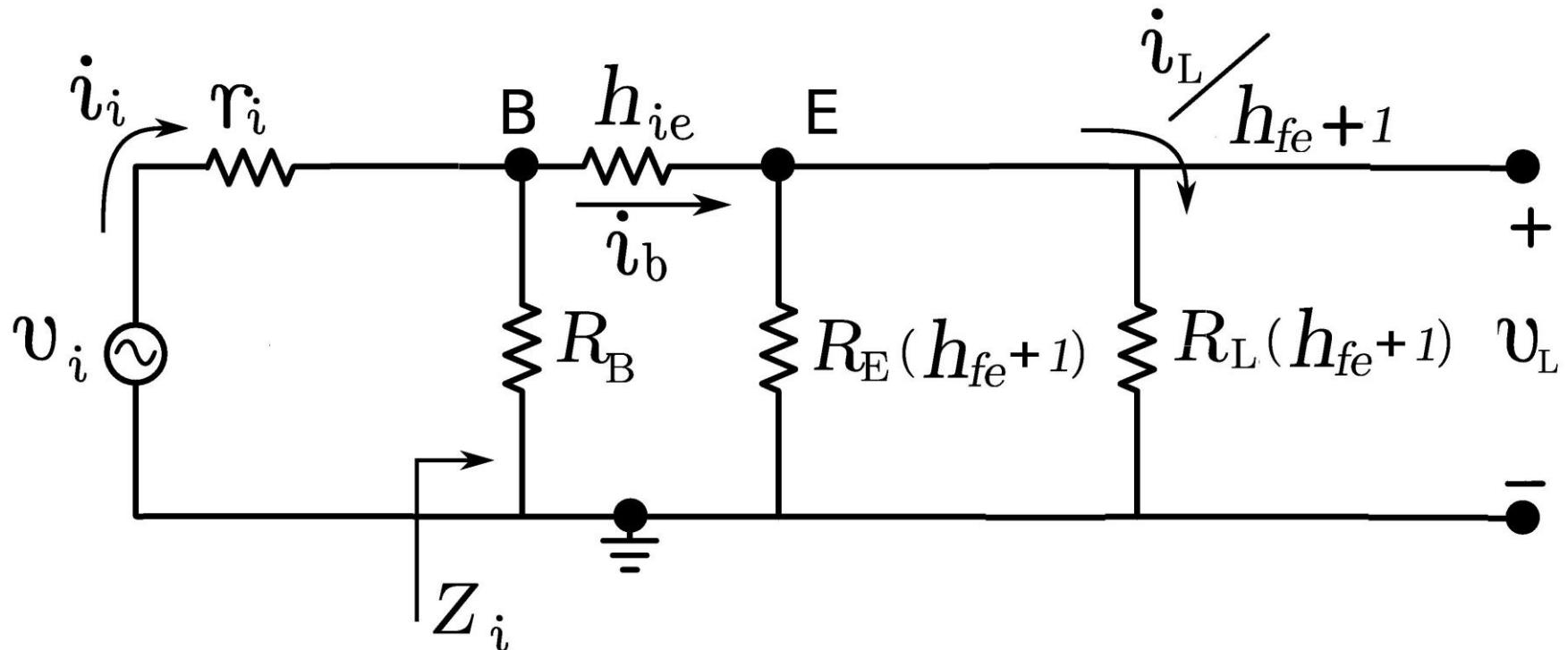
$Z_o \rightarrow$  baja

$A_V \rightarrow$  no

$A_i \rightarrow$  si

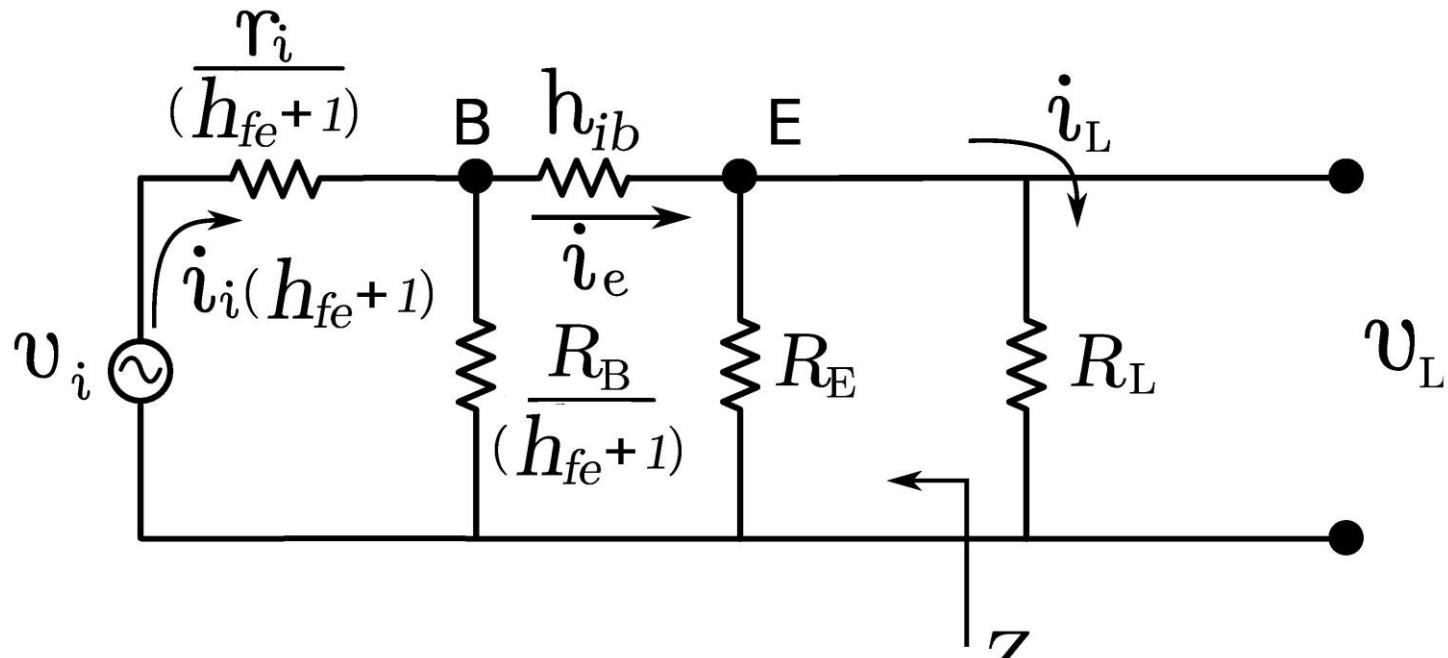
Circuito equivalente para pequeña señal.

Reflejando el emisor hacia la base.



$$Z_i = R_b // \left[ h_{ie} + (R_E // R_L)(h_{fe} + 1) \right]$$

Circuito equivalente para pequeña señal.  
Reflejando la base hacia el emisor.



$$Z_o = R_E // \left[ h_{ib} + \frac{\left( r_i // R_b \right)}{h_{fe} + 1} \right]$$

$$\text{Si } r_i = 0 \Rightarrow Z_o = R_E // h_{ib}$$

# Ganancia de tensión Av.

$$A_V = \frac{v_L}{v_i} = \frac{v_L}{i_e} \frac{i_e}{i_i} \frac{i_i}{v_i}$$

$$v_L = i_e (R_E // R_L) \Rightarrow \frac{v_L}{i_e} = R_E // R_L$$

$$i_e = \frac{i_i h_{fe} \left[ \frac{R_B}{h_{fe}} // (h_{ib} + R_E // R_L) \right]}{h_{ib} + R_E // R_L}$$

$$\frac{i_e}{i_i} = \cancel{h_{fe}} \frac{\cancel{R_B} \times (h_{ib} + R_E // R_L)}{\cancel{h_{fe}} + (h_{ib} + R_E // R_L)} \frac{1}{h_{ib} + R_E // R_L}$$

$$\frac{i_e}{i_i} = \frac{R_B}{\cancel{R_B} + (h_{ib} + R_E // R_L)}$$

# Ganancia de tensión Av (Cont.).

$$i_i h_{fe} = \frac{v_i}{z'}$$

$$\frac{i_i}{v_i} = \frac{1}{h_{fe} z'} = \frac{1}{h_{fe} \left[ \frac{r_i}{h_{fe}} + \frac{R_B}{h_{fe}} // (h_{ib} + R_E // R_L) \right]}$$

Suponiendo  $r_i = 0$

$$A_V = (R_E // R_L) \times \frac{\frac{R_B}{h_{fe}} + (h_{ib} + R_E // R_L)}{\frac{R_B}{h_{fe}} + (h_{ib} + R_E // R_L)} \times \frac{1}{\frac{\frac{R_B}{h_{fe}} \times (h_{ib} + R_E // R_L)}{\frac{R_B}{h_{fe}} + (h_{ib} + R_E // R_L)}} \times \frac{1}{h_{fe}}$$

$$A_V = \frac{R_E // R_L}{h_{ib} + R_E // R_L} < 1 \text{ Siempre}$$

# Ganancia de Corriente Ai.

$$A_i = \frac{i_L}{i_i} = \frac{i_L}{i_e} \frac{i_e}{i_i}$$

$$i_L = i_e \frac{R_E R_L}{R_E + R_L} \times \frac{1}{R_L} \Rightarrow \frac{i_L}{i_e} = \frac{R_E}{R_E + R_L}$$

$$i_e = i_i h_{fe} \frac{\frac{R_B}{h_{fe}} \times (h_{ib} + R_E // R_L)}{\frac{R_B}{h_{fe}} + h_{ib} + R_E // R_L} \times \frac{1}{h_{ib} + R_E // R_L}$$

$$\frac{i_e}{i_i} = \frac{R_B}{\frac{R_B}{h_{fe}} + h_{ib} + R_E // R_L}$$

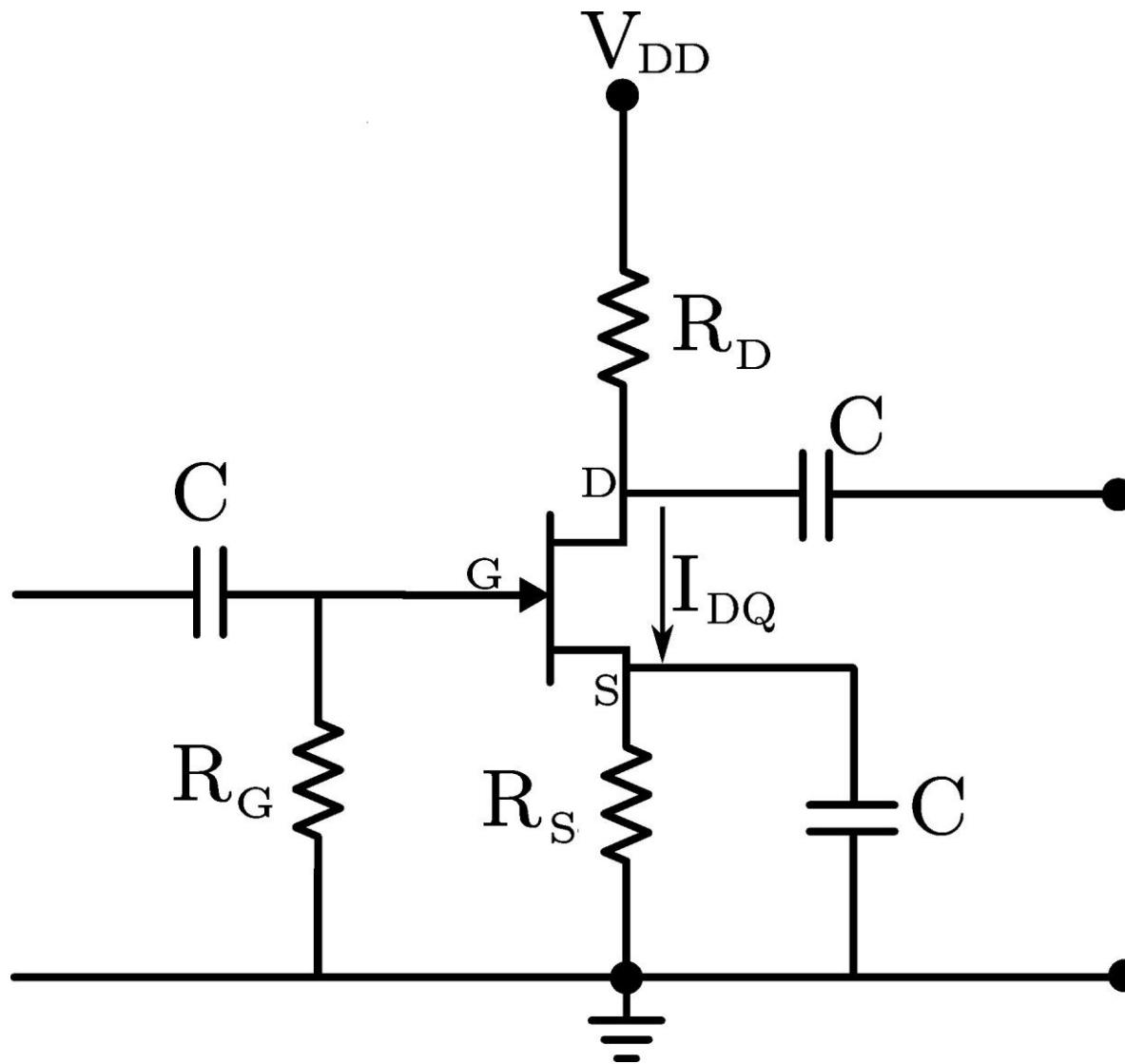
$$A_i = \frac{R_E}{R_E + R_L} \times \frac{R_B}{\frac{R_B}{h_{fe}} + h_{ib} + R_E // R_L}$$

# Ganancia de Potencia (Ap)

$$A_p = A_V A_i$$

*Bipolares → Reflexion de impedancias → entre Base y Emisor.*

# Etapa Amplificadora con FET

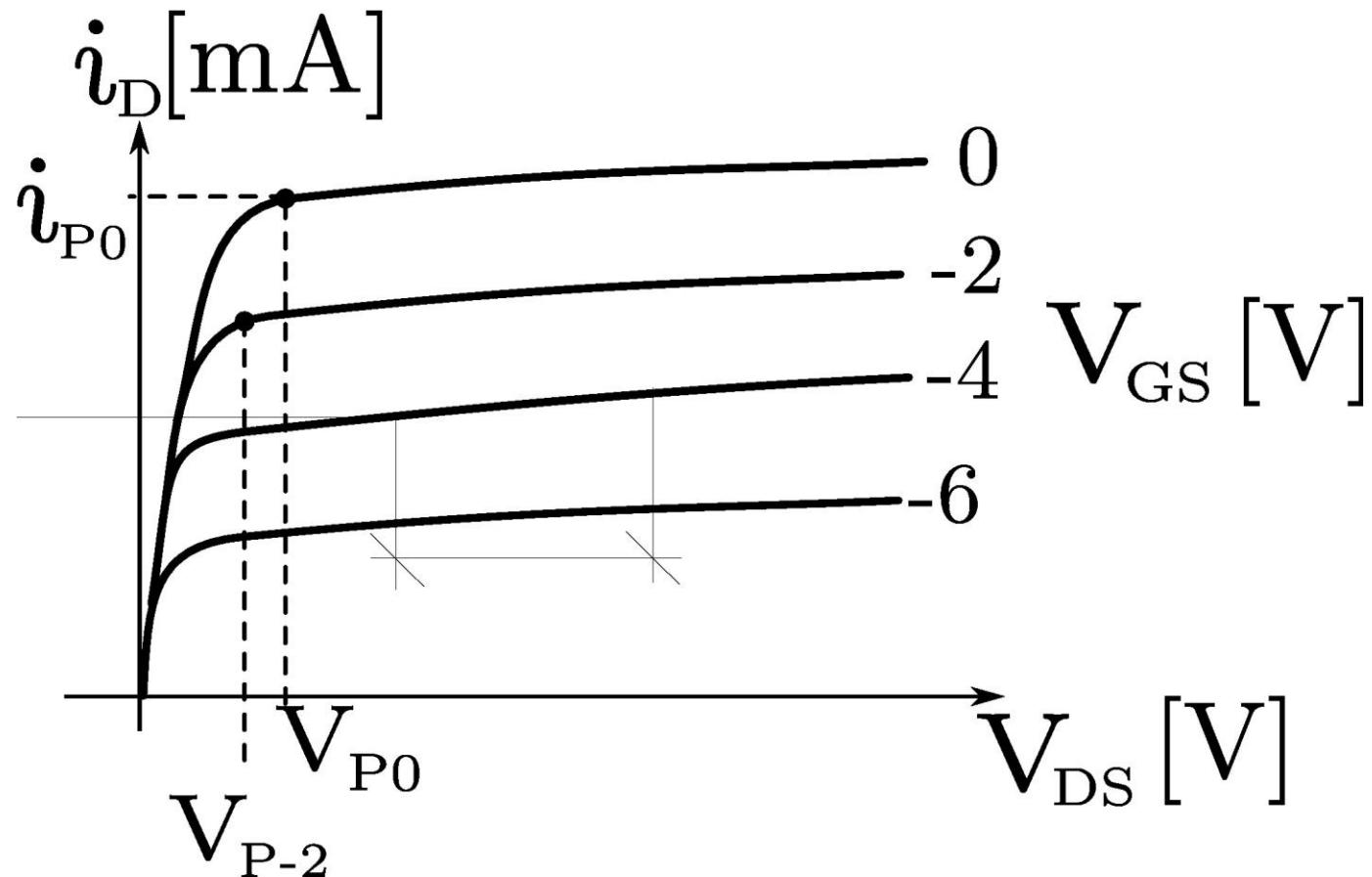


# Etapa Amplificadora con FET (Cont.)

$$JFET \rightarrow i_D = f(v_{GS})^{3/2} \quad i_D = I_{PO} \left[ 1 + 3 \frac{v_{GS}}{v_{PO}} + 2 \left( -\frac{v_{GS}}{v_{PO}} \right)^{3/2} \right]$$

$$MOSFET \rightarrow i_D = f(v_{GS})^2 \quad i_D = I_{PO} \left( 1 + \frac{v_{GS}}{v_{PO}} \right)^2$$

# Características v-i del FET



# Tensión de estrangulamiento, Voltaje de ruptura y corriente de saturación

$$v_{DS} (\text{estriction}) = V_p = V_{po} + v_{GS}$$

$$\text{Cuando } v_{GS} = 0 \Rightarrow V_p = V_{po}$$

$$BV_{DSX} \cong BV_{DSO} + V_{GS}$$

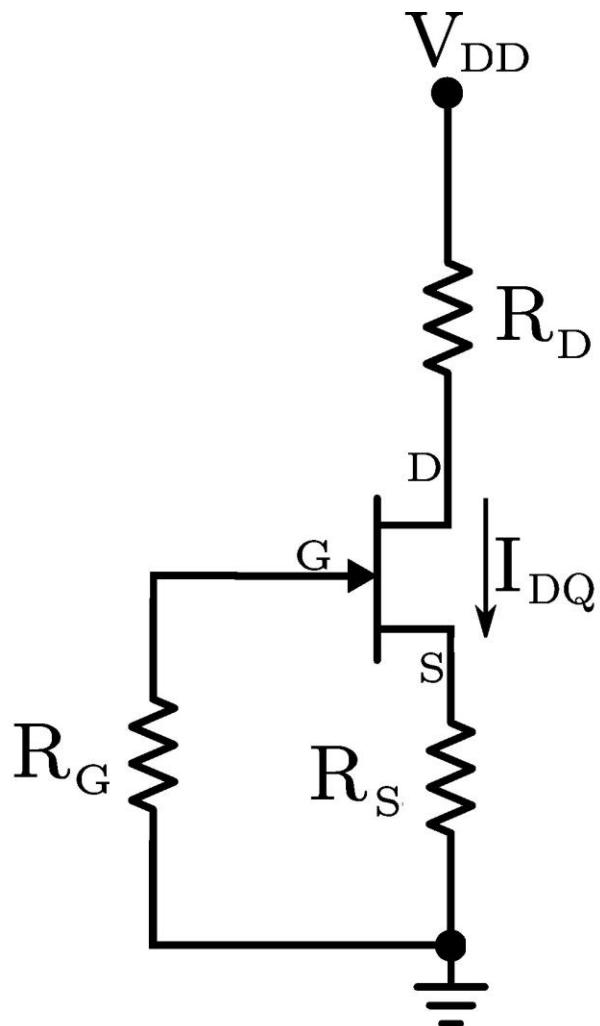
Donde  $BV_{DSO}$  es la tensión de ruptura para  $V_{GS} = 0$

$$I_{PO} \propto T^{-3/2}$$

$$I_{PO} = I'_{PO} \left( \frac{T_0}{T} \right)^{3/2}$$

$$\text{Donde } I'_{PO} = I_{PO} \Big|_{\substack{v_{GS}=0 \\ T=T_0}}$$

# Polarización del JFET



*Ecuacion de entrada :*

$$V_{GSQ} = V_{GQ} - V_{SQ}$$

$$V_{GQ} = 0$$

$$V_{SQ} = I_{DQ} R_S$$

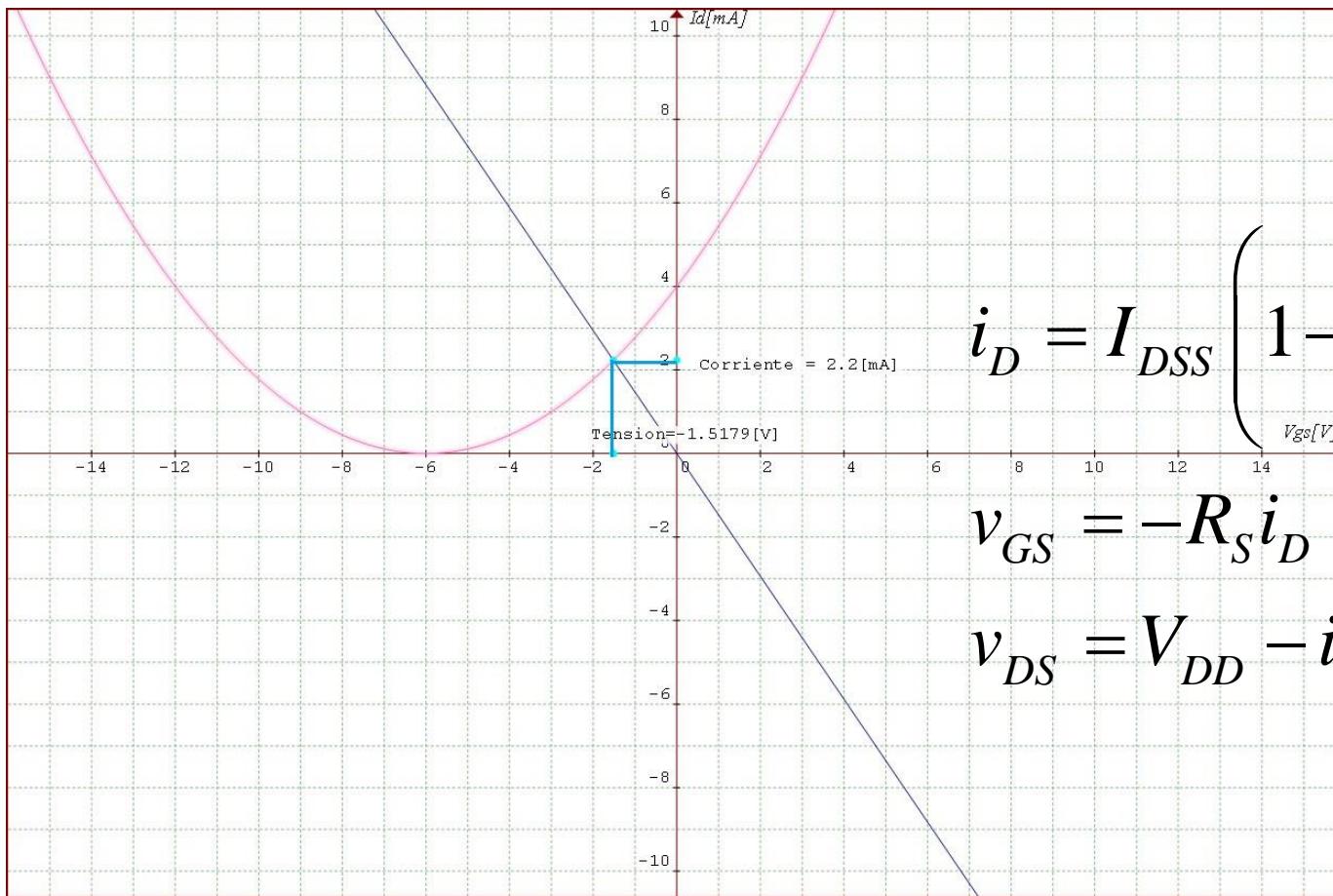
$$V_{GSQ} = 0 - I_{DQ} R_S = -I_{DQ} R_S$$

*Ecuacion de salida :*

$$V_{DD} = V_{DSQ} + I_{DQ} (R_D + R_S)$$

# Análisis del JFET

- Método Grafico (Graphmatica):



$$i_D = I_{DSS} \left( 1 - \frac{v_{GS}}{v_{GS(off)}} \right)^2$$

$$v_{GS} = -R_S i_D$$

$$v_{DS} = V_{DD} - i_D (R_S + R_D)$$

# Análisis del JFET

- Método Analítico:

$$i_D = I_{DSS} \left( 1 - \frac{v_{GS}}{v_{GS(off)}} \right)^2$$

$$v_{GS} = -R_S i_D$$

$$i_D = I_{DSS} \left( 1 - \frac{-R_S i_D}{v_{GS(off)}} \right)^2$$

$$A i_D^2 + B i_D + C \Rightarrow i_{D(1,2)} = \frac{-B \pm \sqrt{B^2 - 4AC}}{2A}$$

$$v_{DS} = V_{DD} - i_D (R_S + R_D)$$

# Diseño del JFET (Cont.)

- Para MES:

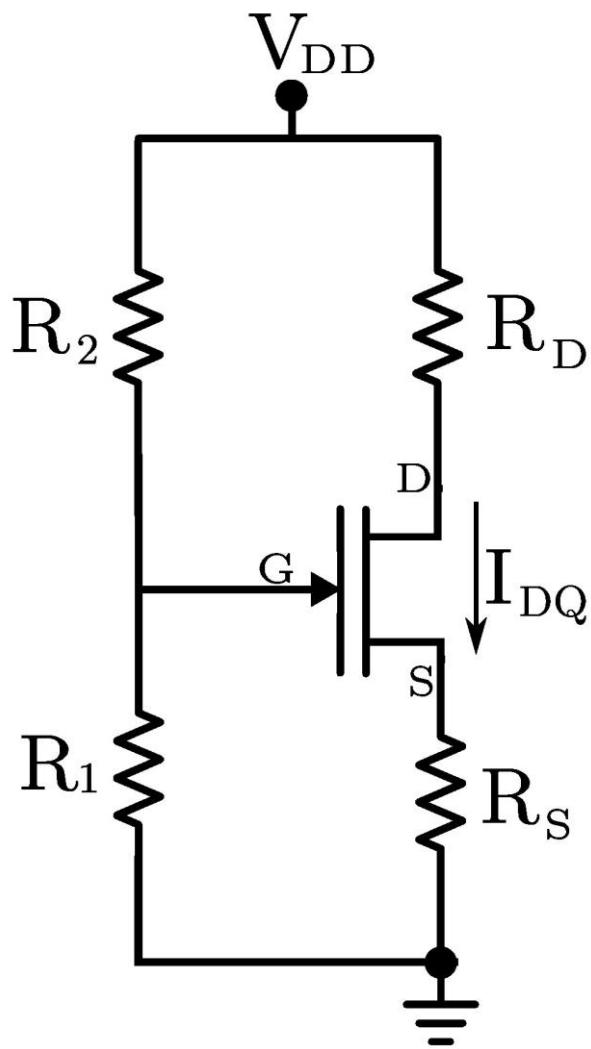
$$I_{DQ(MES)} = \frac{V_{DD}}{R_S + R_D + R_D // R_L}$$

$$i_D = I_{DSS} \left( 1 - \frac{v_{GS}}{v_{GS(off)}} \right)^2 \Rightarrow v_{GS} = v_{GS(off)} \left( 1 - \sqrt{\frac{i_D}{I_{DSS}}} \right)$$

$$R_S = -\frac{V_{GSQ}}{I_{DQ}}$$

$$v_{DS} = V_{DD} - i_D (R_S + R_D)$$

# Polarización del MOSFET

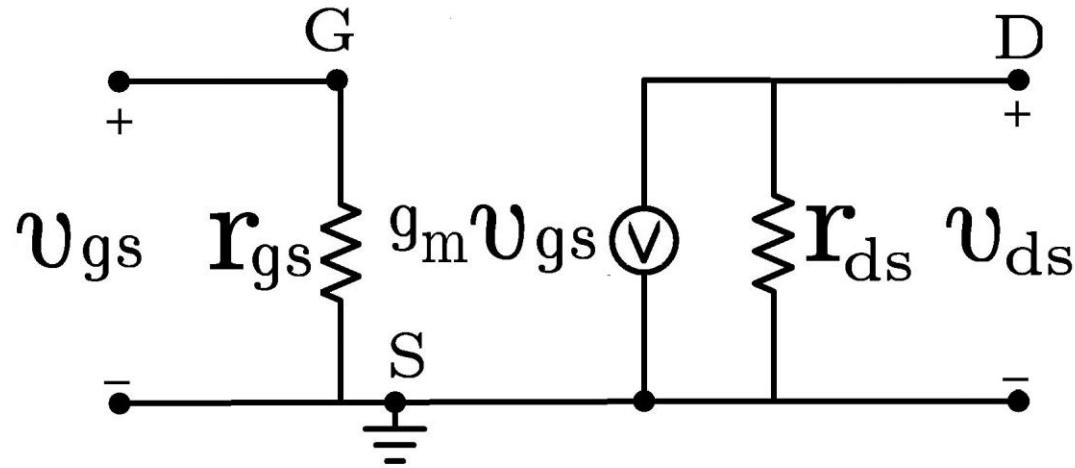
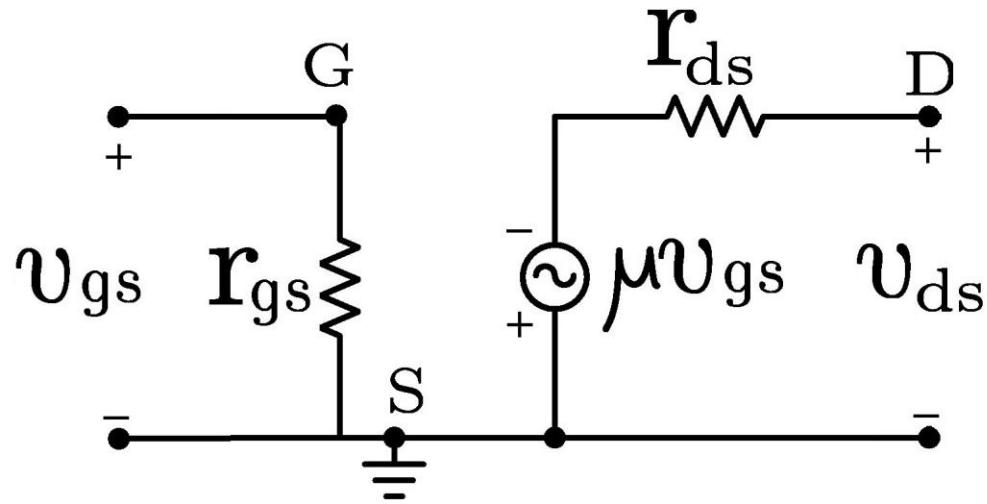


$$V_{GG} = \frac{V_{DD}}{R_1 + R_2} \times R_1$$

$$V_{GS} = V_{GG} - I_D R_S$$

$$V_{DD} = V_{DS} + I_D (R_D + R_S)$$

# Circuito Equivalente FET



# Parámetros Internos del FET

*Impedancia de entrada:*  $r_{gs} = \frac{\Delta v_{GS}}{\Delta i_G} = \left. \frac{v_{gs}}{i_g} \right|_{Punto\ Q} \rightarrow \infty$

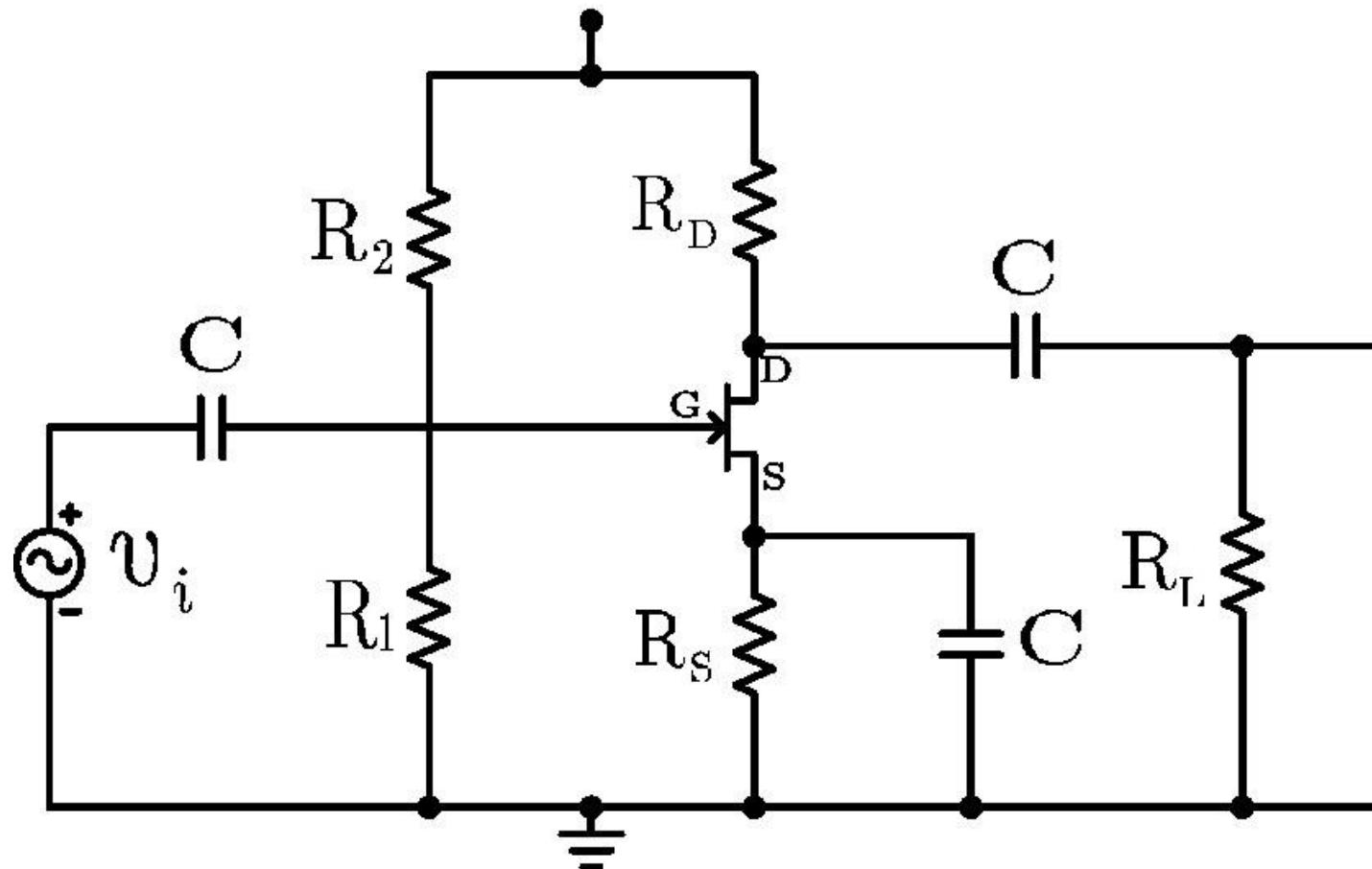
*Ganancia de voltaje:*  $\mu = \frac{\Delta v_{DS}}{\Delta v_{GS}} = \left. \frac{v_{ds}}{v_{gs}} \right|_{I_{DQ} = cte}$

*Impedancia de salida:*  $r_{ds} = \frac{\Delta v_{DS}}{\Delta i_D} = \left. \frac{v_{ds}}{i_d} \right|_{V_{GSQ} = cte}$

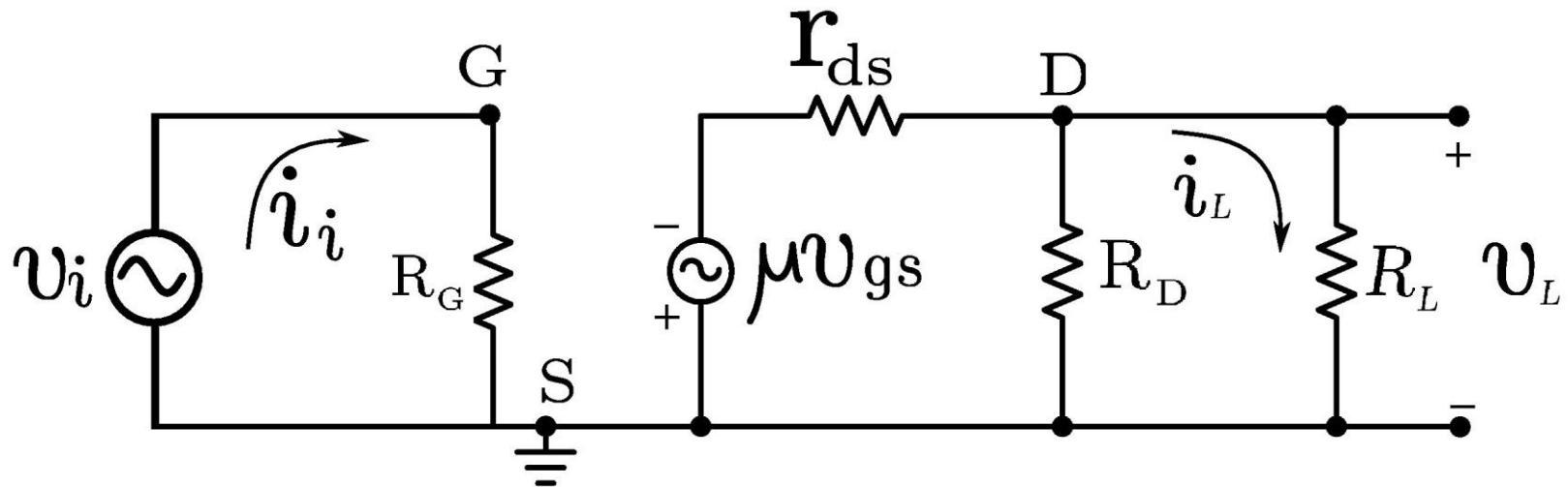
*Transconductancia:*  $g_m = \frac{\Delta i_D}{\Delta v_{GS}} = \left. \frac{i_d}{v_{gs}} \right|_{V_{DSQ} = cte}$

$$\mu = r_{ds} g_m$$

# Etapa amplificadora surtidor Común.



# Circuito Equivalente Amplificador Surtidor Común



$$Z_i = R_G = R_1 // R_2$$

$$Z_o = R_D // r_{ds}$$

# Ganancia tensión en surtidor común

$$A_V = \frac{v_L}{v_i} = \frac{v_L}{v_{gs}} \frac{v_{gs}}{v_i}$$

$$v_L = \frac{-\mu v_{gs}}{r_{ds} + R_D // R_L} \times R_D // R_L \Rightarrow \frac{v_L}{v_{gs}} = \frac{-\mu}{r_{ds} + R_D // R_L} \times R_D // R_L$$

$$v_{gs} = v_i \Rightarrow \frac{v_{gs}}{v_i} = 1$$

$$A_V = \frac{-\mu}{r_{ds} + R_D // R_L} \times R_D // R_L \times 1 = \frac{-\mu}{r_{ds} + R_D // R_L} \times R_D // R_L$$

# Ganancia tensión en surtidor común (Cont.)

Si  $r_{ds} \ll R_D // R_L \Rightarrow A_V \cong -\mu$

$$|A_V| < \mu$$

Si  $r_{ds} \gg R_D // R_L \Rightarrow A_V \cong -\frac{\mu}{r_{ds}} \times R_D // R_L$

$$A_V \cong -g_m \times R_D // R_L$$

Si  $R_L \ll R_d$

$$A_V = -g_m R_L$$

# Ganancia corriente en surtidor común

$$A_i = A_V \frac{Z_i}{R_L} = -\mu \frac{R_D // R_L}{r_{ds} + R_D // R_L} \times \frac{R_G}{R_L}$$

$$= -\mu \frac{R_D R_G}{r_{ds} + R_D // R_L} \times \frac{1}{R_D + R_L}$$

Si  $R_D // R_L \ll r_{ds}$

$$R_L \ll R_D$$

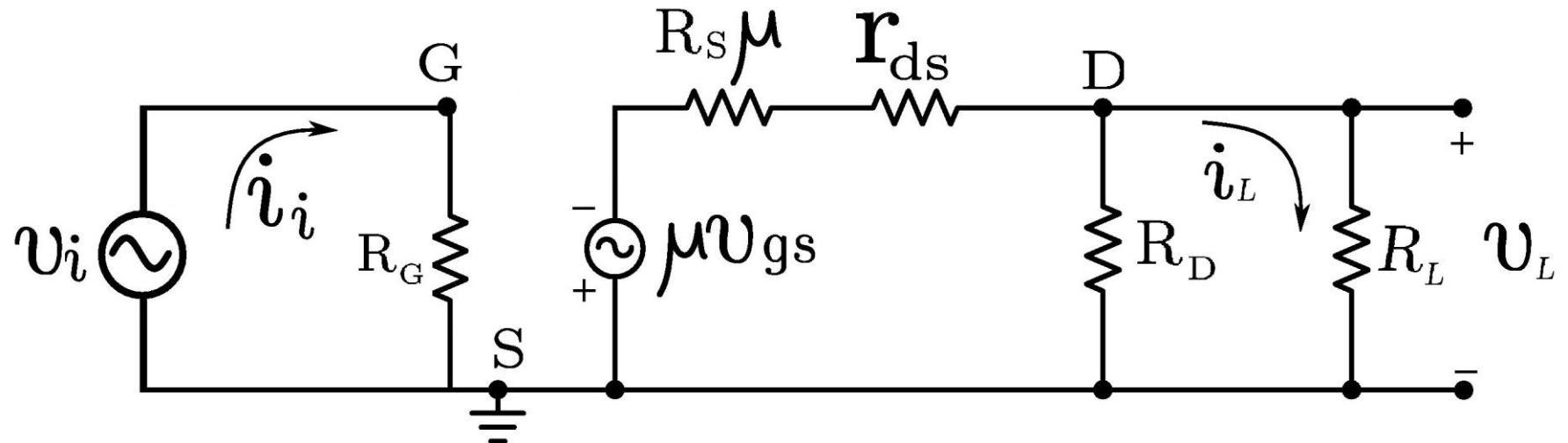
$$A_i \cong -g_m R_G$$

# Reflexión de impedancia en transistores Bipolares y FET.

- Comparativa

Reflexión		
Bipolares	$E - B$ $i_e \gg i_b$ $h_{fe} + 1$	$v = cte = \frac{I}{R}$ $(h_{ie} \text{ esta en } B)$
FET	$D - S$ $v_d \gg v_s$ $\mu + 1$	$i = cte = \frac{V}{R}$ $(r_{ds} \text{ esta en } D)$

# Surtidor Común Sin Capacitor de Desacople. Impedancias de Entrada y Salida.



$$Z_i = R_G$$

$$Z_o = R_d // [r_{ds} + \mu R_S]$$

# Surtidor Común Sin Capacitor de Desacople. Ganancia de Tensión y Corriente.

$$A_V = \frac{v_L}{v_i}$$

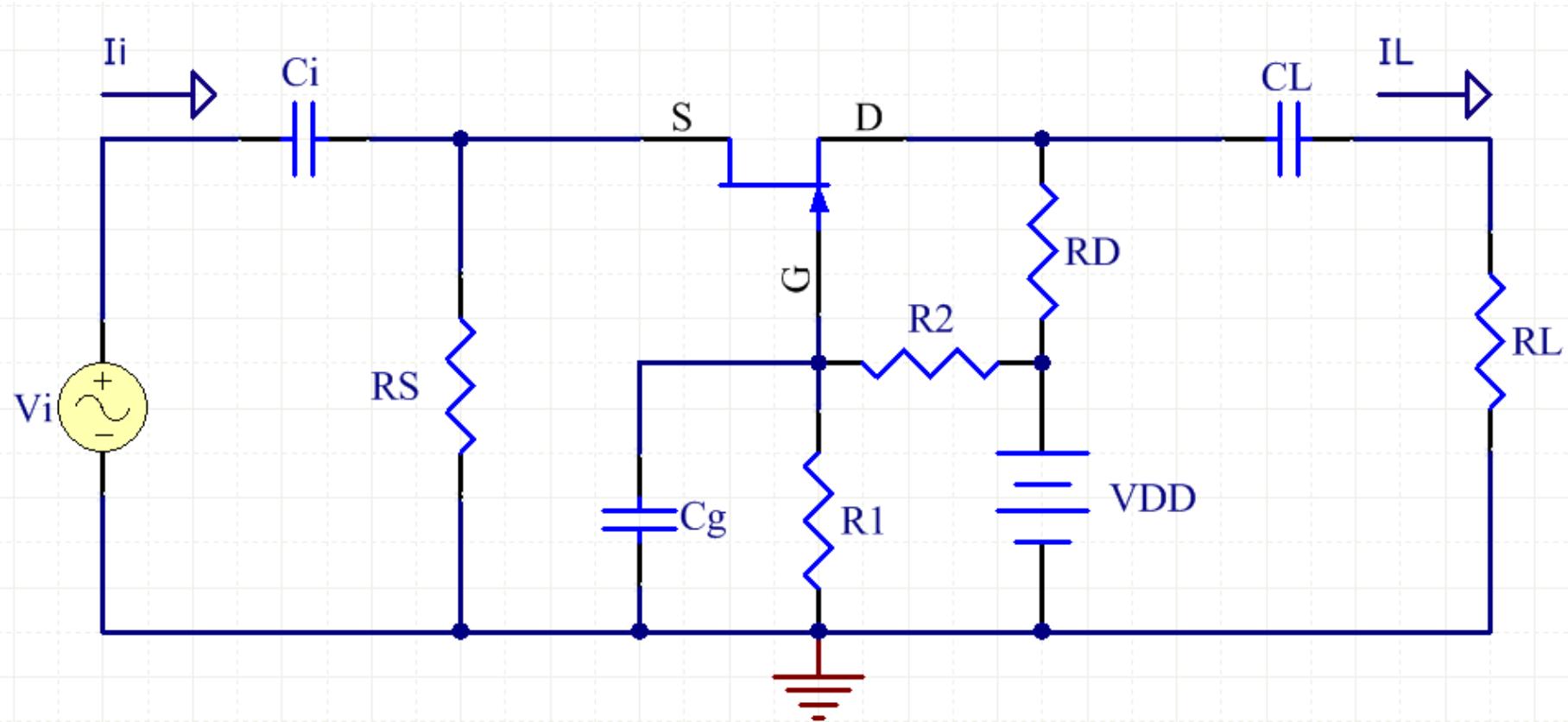
$$v_L = \frac{-\mu v_{gs}}{\mu R_S + r_{ds} + R_D // R_L} \times R_D // R_L \Rightarrow \frac{v_L}{v_{gs}} = -\mu \times \frac{R_D // R_L}{\mu R_S + r_{ds} + R_D // R_L}$$

como  $v_{gs} = v_i$

$$A_V = -\mu \times \frac{R_D // R_L}{\mu R_S + r_{ds} + R_D // R_L}$$

$$A_i = \frac{i_L}{i_i} = \frac{\underline{R_L}}{\underline{v_i}} = \frac{v_L}{R_L} \frac{z_i}{v_i} = \frac{v_L}{v_i} \frac{z_i}{R_L} = A_V \frac{z_i}{R_L}$$

# Etapa amplificadora con FET. Compuerta Común.



# Etapa amplificadora con FET. Compuerta Común. Ecuaciones de C.C

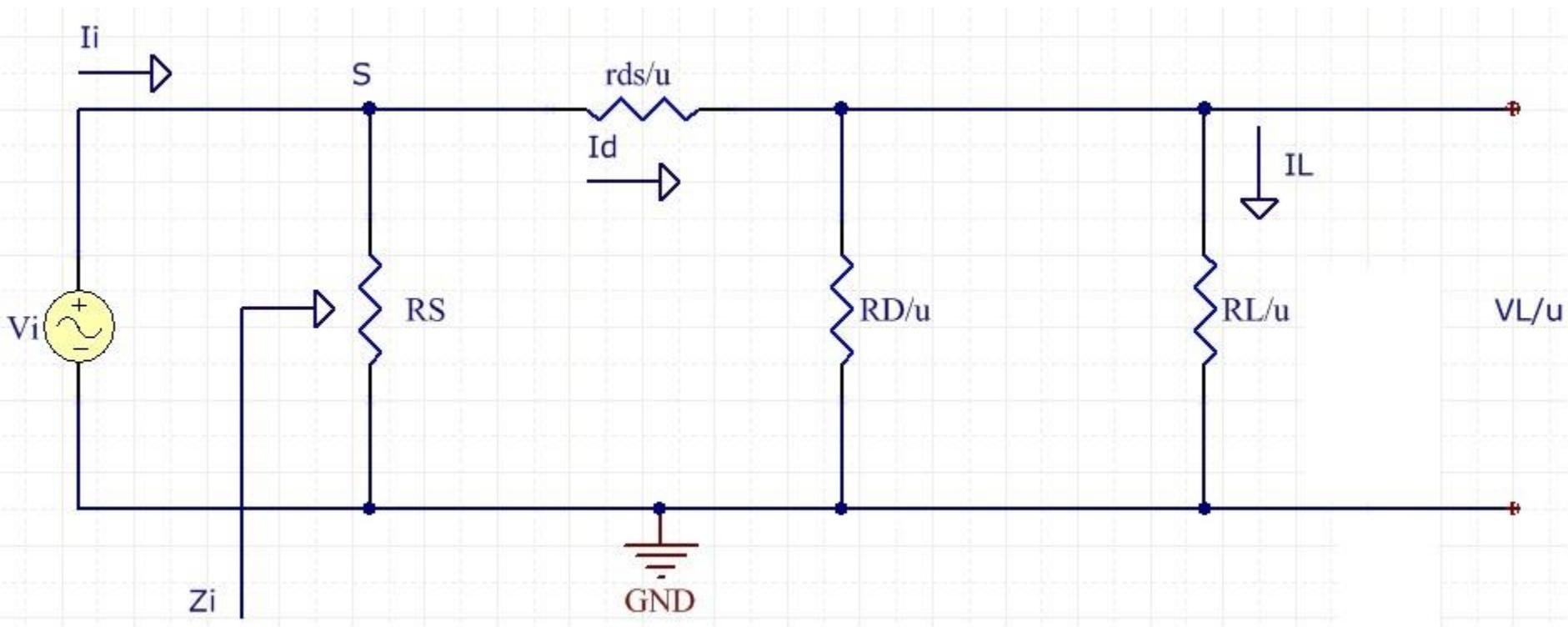
$$I_{DQ(MES)} = \frac{V_{DD}}{R_D + R_S + R_D // R_L + R_S}$$

$$V_{DSQ} = V_{DD} - I_{DQ}(R_D + R_S)$$

$$V_{GSQ} = V_{GG} - I_{DQ}R_S$$

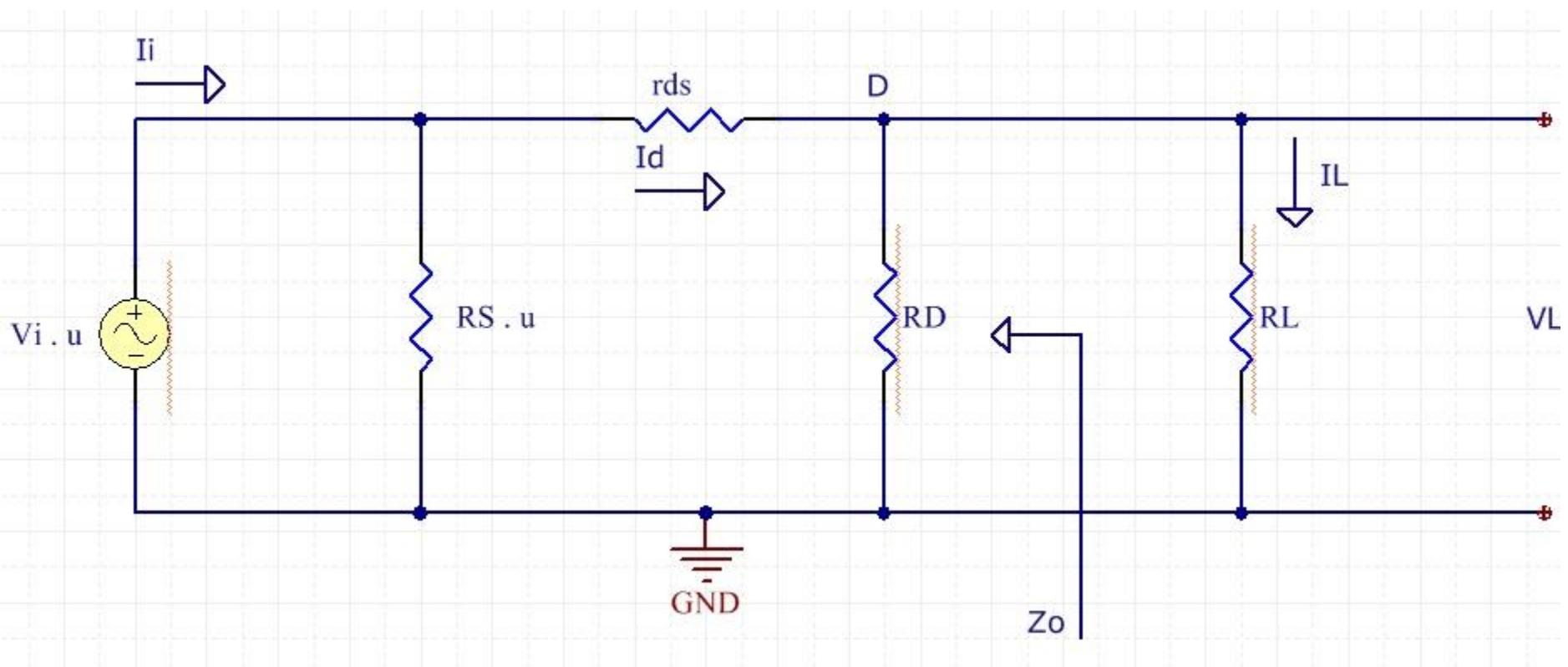
Donde  $V_{GG} = \frac{V_{DD}}{R_1 + R_2} R_1$

# Circuito Equivalente de Amplif. Compuerta Común. Reflejado al Surtidor.



$$Z_i = R_S // \left( \frac{r_{ds} + R_D // R_L}{\mu} \right)$$

# Circuito Equivalente de Ampl. Compuerta Común. Reflejado al Drenador.



$$\text{Sin } r_i : Z_o = R_D // r_{ds}$$

$$\text{Con } r_i : Z_o = R_D // \left[ (R_S // r_i) \mu + r_{ds} \right]$$

# Etapa amplificadora con FET. Compuerta Común. Ganancia de Corriente

$$A_i = \frac{i_L}{i_i} = \frac{i_L}{i_d} \frac{i_d}{i_i}$$

$$i_L = i_d \frac{R_D R_L}{R_D + R_L} \frac{1}{R_L} \Rightarrow \frac{i_L}{i_d} = \frac{R_D}{R_D + R_L}$$

$$i_d = i_i \frac{\mu R_S \times (r_{ds} + R_D // R_L)}{\mu R_S + r_{ds} + R_D // R_L} \times \frac{1}{(r_{ds} + R_D // R_L)} \Rightarrow \frac{i_d}{i_i} = \frac{\mu R_S}{\mu R_S + r_{ds} + R_D // R_L}$$

$$A_i = \frac{R_D}{R_D + R_L} \times \frac{\mu R_S}{R_S \mu + r_{ds} + R_D // R_L}$$

$$A_i < 1$$

# Etapa amplificadora con FET. Ganancia de Tensión

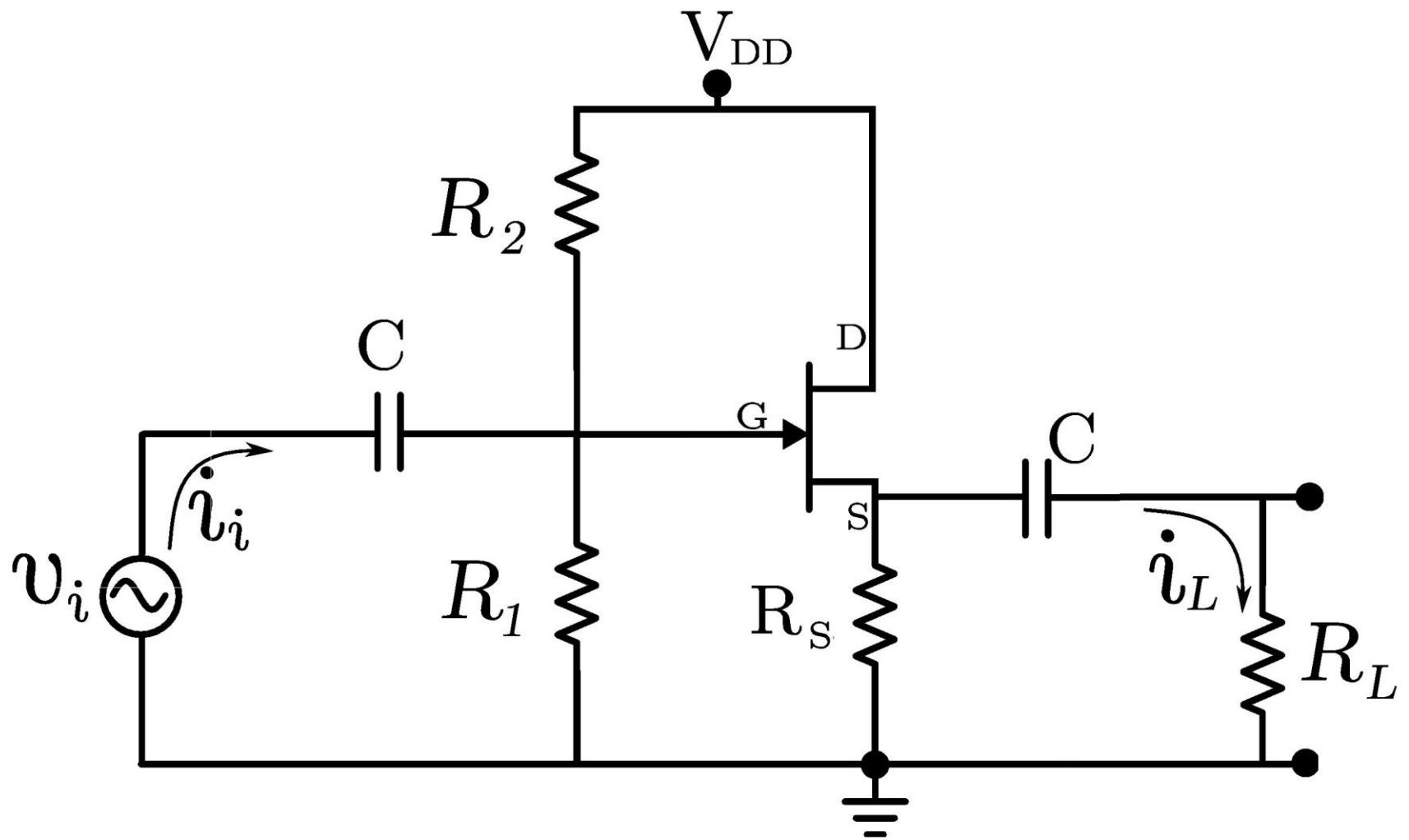
$$A_V = \frac{v_L}{v_i} = \frac{i_L R_L}{i_i Z_i} = A_i \frac{R_L}{Z_i}$$

$$A_V = \frac{R_D}{R_D + R_L} \times \frac{\mu R_S}{R_S \mu + r_{ds} + R_D // R_L} \times \frac{R_L}{Z_i}$$

$$A_V = \frac{R_D}{R_D + R_L} \times \frac{\mu R_S}{R_S \mu + r_{ds} + R_D // R_L} \times \frac{R_L}{R_S // \left( \frac{r_{ds} + R_D // R_L}{\mu} \right)}$$

$$\begin{aligned} A_V &= \frac{R_D}{R_D + R_L} \times \frac{\mu R_S}{R_S \mu + r_{ds} + R_D // R_L} \times \frac{R_L}{R_S \times \mu \left( \frac{r_{ds} + R_D // R_L}{\mu} \right)} \\ &\quad \frac{R_L}{R_S \mu + \mu \left( \frac{r_{ds} + R_D // R_L}{\mu} \right)} \\ &= \frac{R_D // R_L}{r_{ds} + R_D // R_L} \mu \end{aligned}$$

# Etapa amplificadora Drenador Común



# Diseño para M.E.S

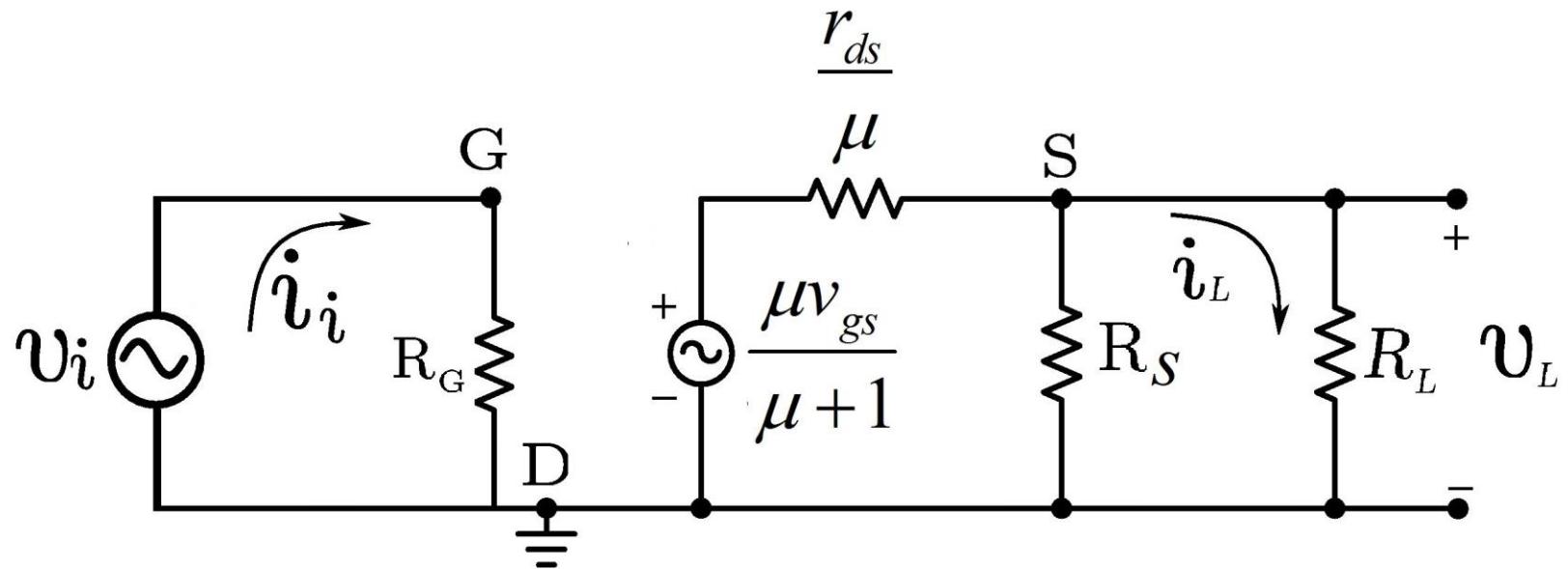
$$I_{DQ(MES)} = \frac{V_{DD}}{R_S + R_S // R_L}$$

$$V_{DD} = V_{DSQ} + I_{DQ} R_S$$

$$V_{GSQ} = V_{GG} - I_{DQ} R_S$$

Donde,  $V_{GG} = \frac{V_{DD}}{R_1 + R_2} \times R_1$

# Circuito Equivalente



$$Z_i = R_G$$

$$Z_o = R_S // \frac{r_{ds}}{\mu}$$

# Ganancia de tensión

$$A_V = \frac{v_L}{v_i} = \frac{v_L}{v_{gs}} \frac{v_{gs}}{v_i}$$

$$v_L = \frac{v_{gs}}{\frac{r_{ds}}{\mu} + R_S // R_L} \times R_S // R_L \Rightarrow \frac{v_L}{v_{gs}} = \frac{R_S // R_L}{\frac{r_{ds}}{\mu} + R_S // R_L}$$

$$v_{gs} = v_i \Rightarrow \frac{v_{gs}}{v_i} = 1$$

$$A_V = \frac{R_S // R_L}{\frac{r_{ds}}{\mu} + R_S // R_L}$$

# Ganancia de Corriente y Potencia

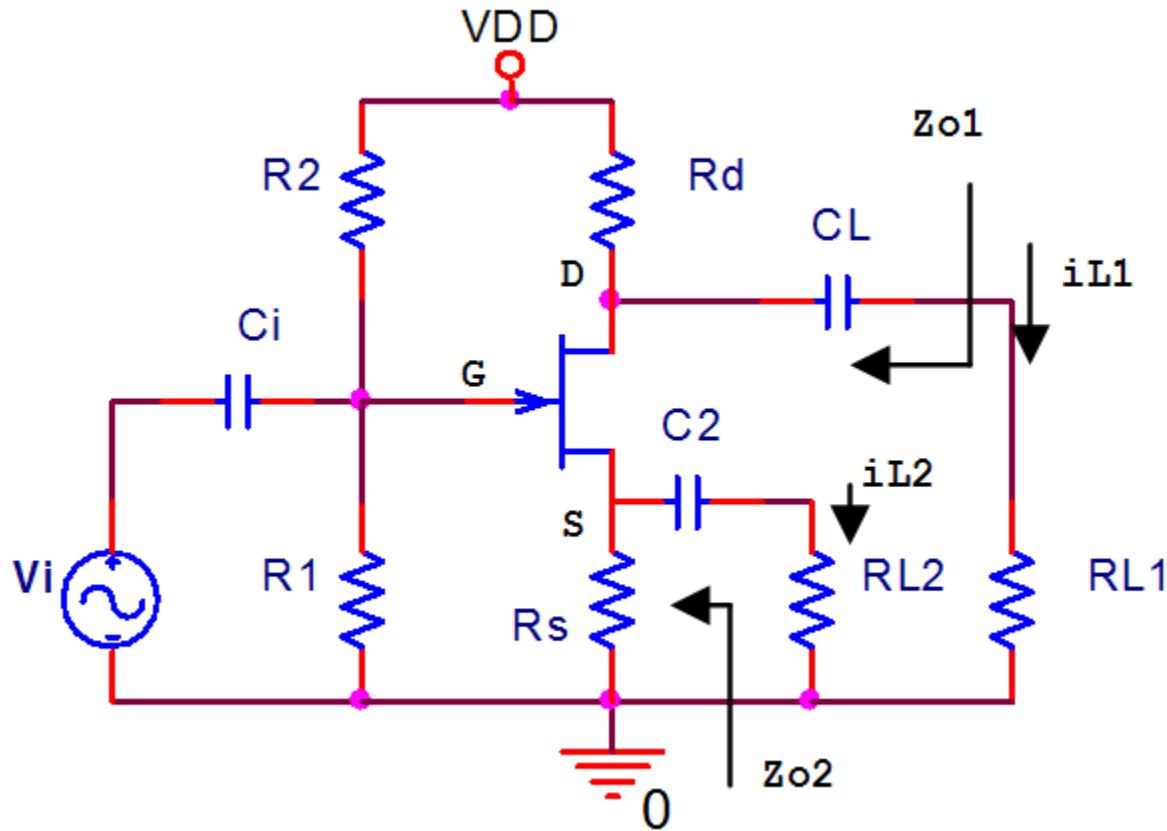
$$A_i = \frac{i_L}{i_i} = \frac{\frac{v_L}{R_L}}{\frac{v_i}{Z_i}} = \frac{v_L}{R_L} \frac{Z_i}{v_i} = \frac{v_L}{v_i} \frac{Z_i}{R_L} = A_V \frac{Z_i}{R_L}$$

$$A_i = \frac{R_S // R_L}{\frac{r_{ds}}{\mu} + R_S // R_L} \frac{R_G}{R_L}$$

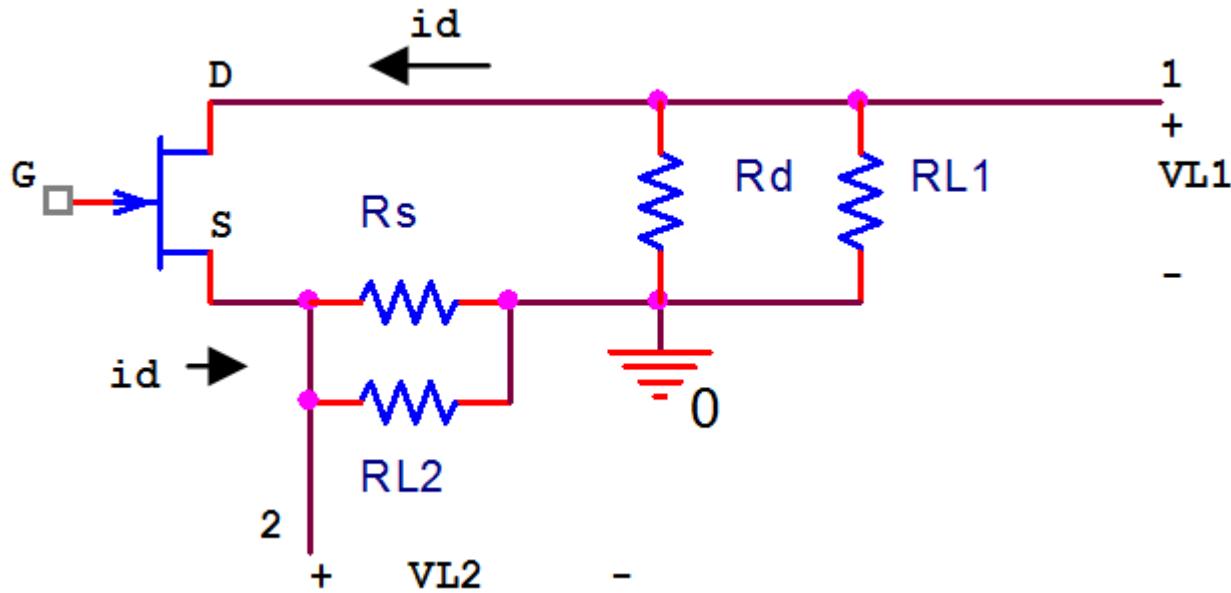
$$A_P = A_V A_i$$

# Circuito Inversor de Fase

Tiene dos salidas de igual amplitud pero opuestas en fase.



# Circuito para señal alterna.



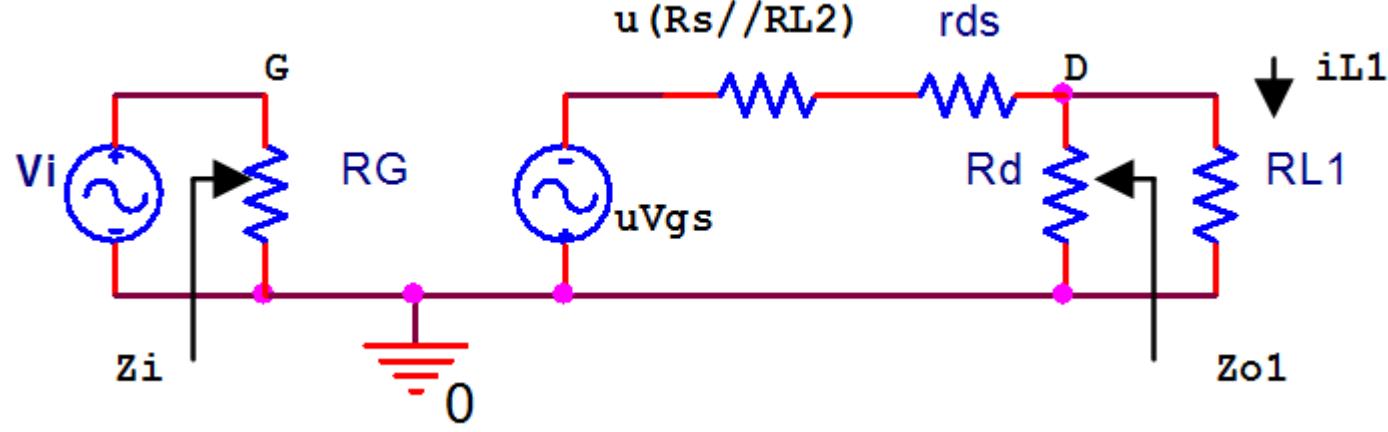
$$v_{L_1} = -i_d (R_D // R_{L_1})$$

$$v_{L_2} = i_d (R_S // R_{L_2})$$

$v_{L_2} = -v_{L_1} \Rightarrow INVERSOR.$

$R_D // R_{L_1} = R_S // R_{L_2}$  Condicion de inversor de fase.

# Circuito Equivalente reflejado en el Drenador



$$Z_i = R_G$$

$$Z_{o1} = R_D // \left[ r_{ds} + \mu(R_S // R_{L_2}) \right]$$

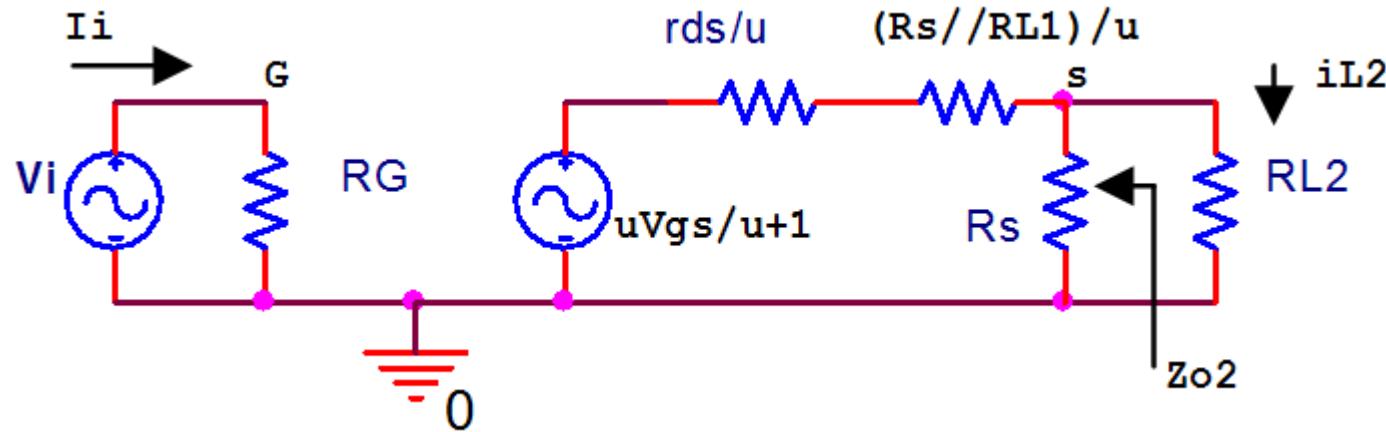
# Ganancia de tensión Av1.

$$A_{V_1} = \frac{v_{L_1}}{v_i} = \frac{v_{L_1}}{v_{gs}} \frac{v_{gs}}{v_i}$$

$$v_{L_1} = \frac{-\mu v_{gs}}{(R_S // R_{L_2})\mu + r_{ds} + R_D // R_{L_1}} \times R_D // R_{L_1}$$

$$A_{V_1} = \frac{-\mu(R_D // R_{L_1})}{(R_S // R_{L_2})\mu + r_{ds} + R_D // R_{L_1}} < 1$$

# Circuito Equivalente reflejado en el Surtidor



$$Z_{O_2} = R_s / / \left[ \frac{r_{ds} + (R_D / / R_{L_1})}{\mu} \right]$$

# Ganancia de tensión Av2.

$$A_{V_2} = \frac{v_{L_2}}{v_{gs}} = \frac{1}{\frac{r_{ds}}{\mu} + \frac{R_s // R_{L_2}}{\mu} + R_s // R_{L_2}} (R_s // R_{L_2})$$

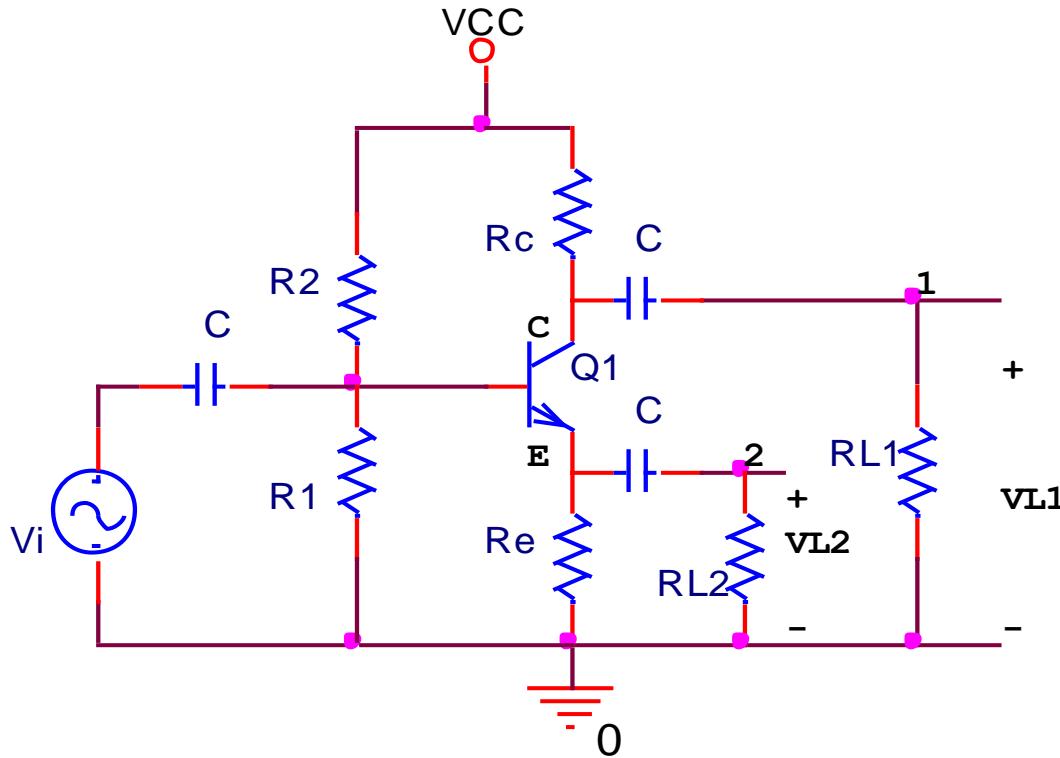
$$A_{V_2} = \frac{\mu(R_s // R_{L_2})}{r_{ds} + R_s // R_{L_2} + \mu(R_s // R_{L_2})}$$

# Comparativa de Ganancias

$$A_{V_1} = \frac{-\mu(R_D // R_{L_1})}{(R_S // R_{L_2})\mu + r_{ds} + R_D // R_{L_1}}$$

$$A_{V_2} = \frac{\mu(R_S // R_{L_2})}{(R_S // R_{L_2})\mu + r_{ds} + R_S // R_{L_2}}$$

# Inversor de Fase con Transistor Bipolar



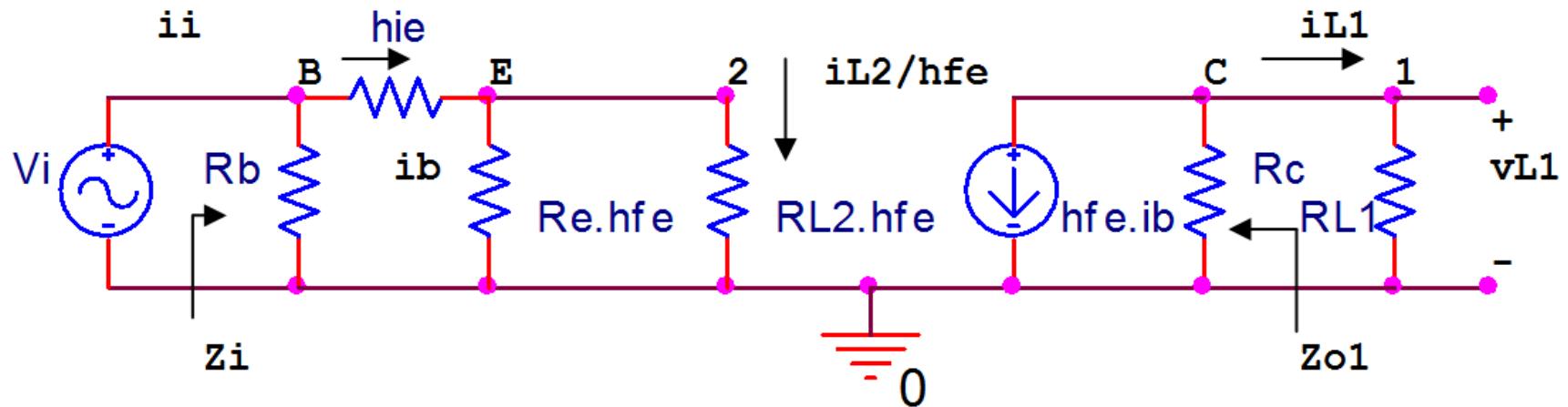
*Condicion de inversor :*

$$R_C // R_{L_1} = R_E // R_{L_2}$$

$$v_{L_1} = -v_{L_2}$$

$$i_C(R_C // R_{L_1}) = -i_C(R_E // R_{L_2})$$

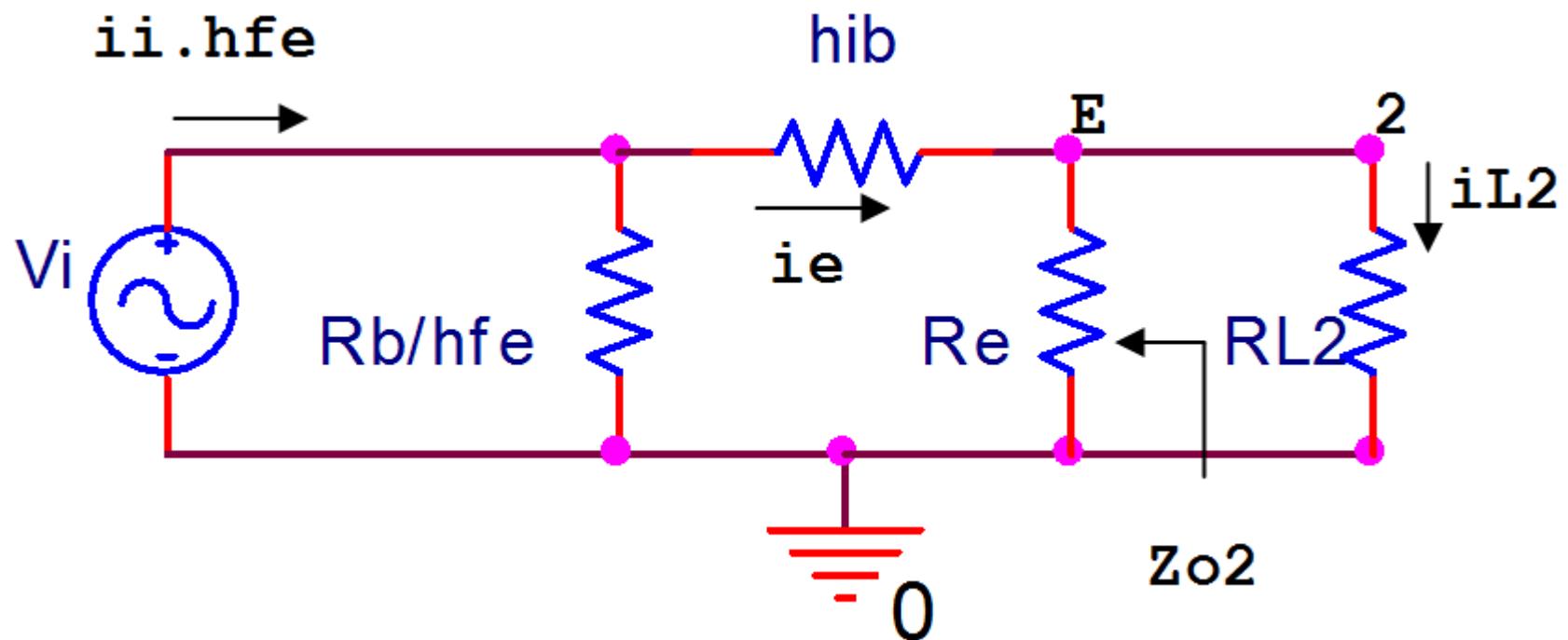
# Inversor de Fase con Transistor Bipolar



$$Z_i = R_B // \left[ h_{ie} + (R_E // R_{L_2}) h_{fe} \right]$$

$$Z_{O1} = R_C$$

# Inversor de Fase con Transistor Bipolar



$$Z_{O2} = R_E // h_{ib}$$

# Inversor de Fase con Transistor Bipolar

$$A_{V_1} = \frac{v_{L_1}}{v_i} = \frac{v_{L_1}}{i_b} \frac{i_b}{v_i}$$

$$v_{L_1} = -i_b h_{fe} \frac{R_C R_{L_1}}{R_C + R_{L_1}} \Rightarrow \frac{v_{L_1}}{i_b} = -h_{fe} \frac{R_C R_{L_1}}{R_C + R_{L_1}}$$

$$i_b = \frac{v_i}{h_{ie} + (R_e // R_{L_2}) h_{fe}} \Rightarrow \frac{i_b}{v_i} = \frac{1}{h_{ie} + (R_e // R_{L_2}) h_{fe}}$$

$$A_{V_1} = -h_{fe} \frac{R_C R_{L_1}}{R_C + R_{L_1}} \times \frac{1}{h_{ie} + (R_e // R_{L_2}) h_{fe}}$$

# Inversor de Fase con Transistor Bipolar

$$A_{V_2} = \frac{v_{L_2}}{v_i}$$

$$v_{L_2} = \frac{v_i}{h_{ie} + (R_e // R_{L_2}) h_{fe}} \times (R_e // R_{L_2}) h_{fe} \Rightarrow$$

$$\frac{v_{L_2}}{v_i} = \frac{(R_e // R_{L_2}) h_{fe}}{h_{ie} + (R_e // R_{L_2}) h_{fe}}$$

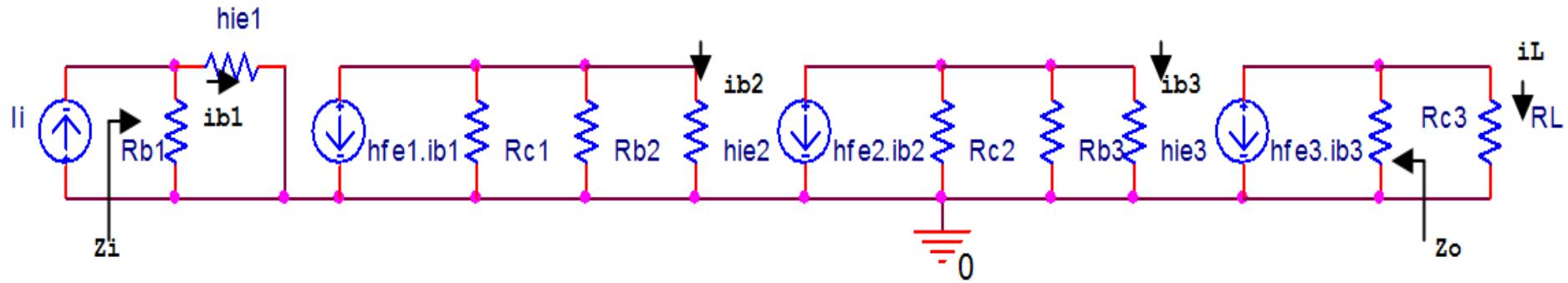
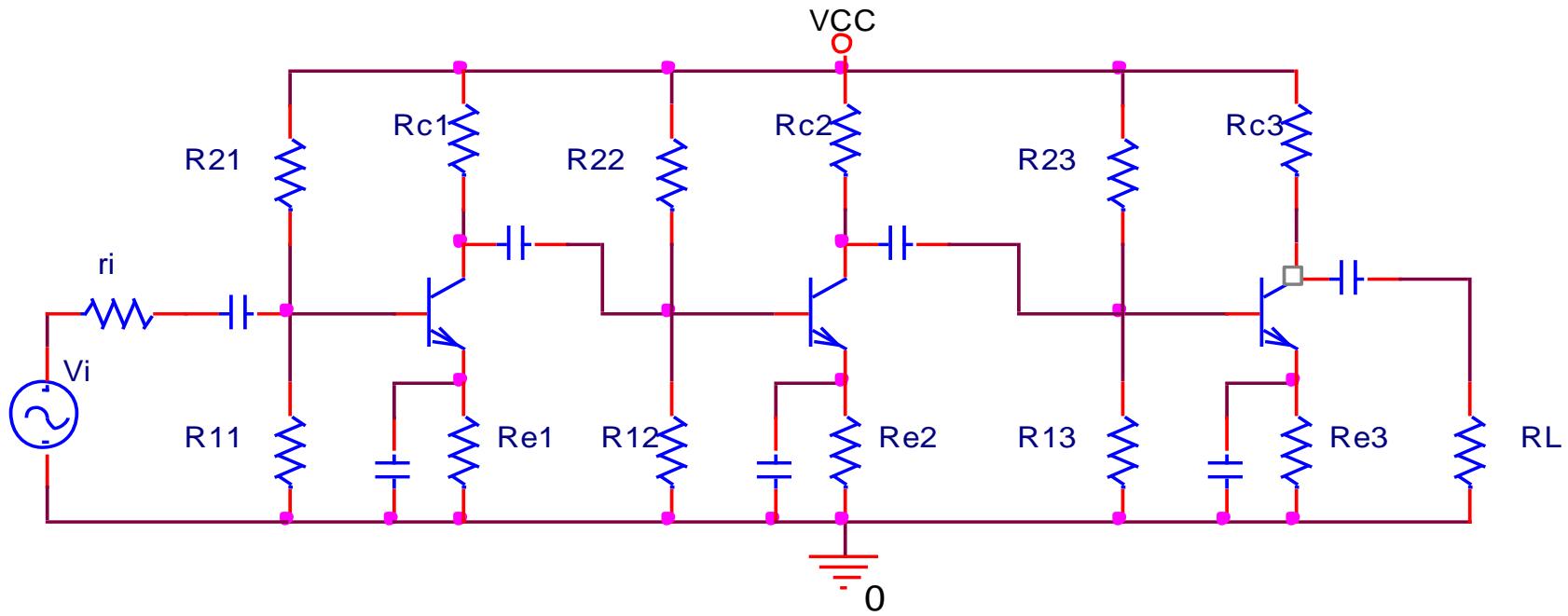
$$A_{V_2} = h_{fe} \frac{R_e R_{L_2}}{R_e + R_{L_2}} \times \frac{1}{h_{ie} + (R_e // R_{L_2}) h_{fe}}$$

# Comparativa de Ganancias

$$A_{V_1} = -h_{fe} \frac{R_C R_{L_1}}{R_C + R_{L_1}} \times \frac{1}{h_{ie} + (R_e // R_{L_2}) h_{fe}}$$

$$A_{V_2} = h_{fe} \frac{R_e R_{L_2}}{R_e + R_{L_2}} \times \frac{1}{h_{ie} + (R_e // R_{L_2}) h_{fe}}$$

# Amplificador Multietapas



# Amplificador Multietapas

$$A_i = \frac{i_L}{i_{b_3}} \frac{i_{b_3}}{i_{b_2}} \frac{i_{b_2}}{i_{b_1}} \frac{i_{b_1}}{i_i}$$

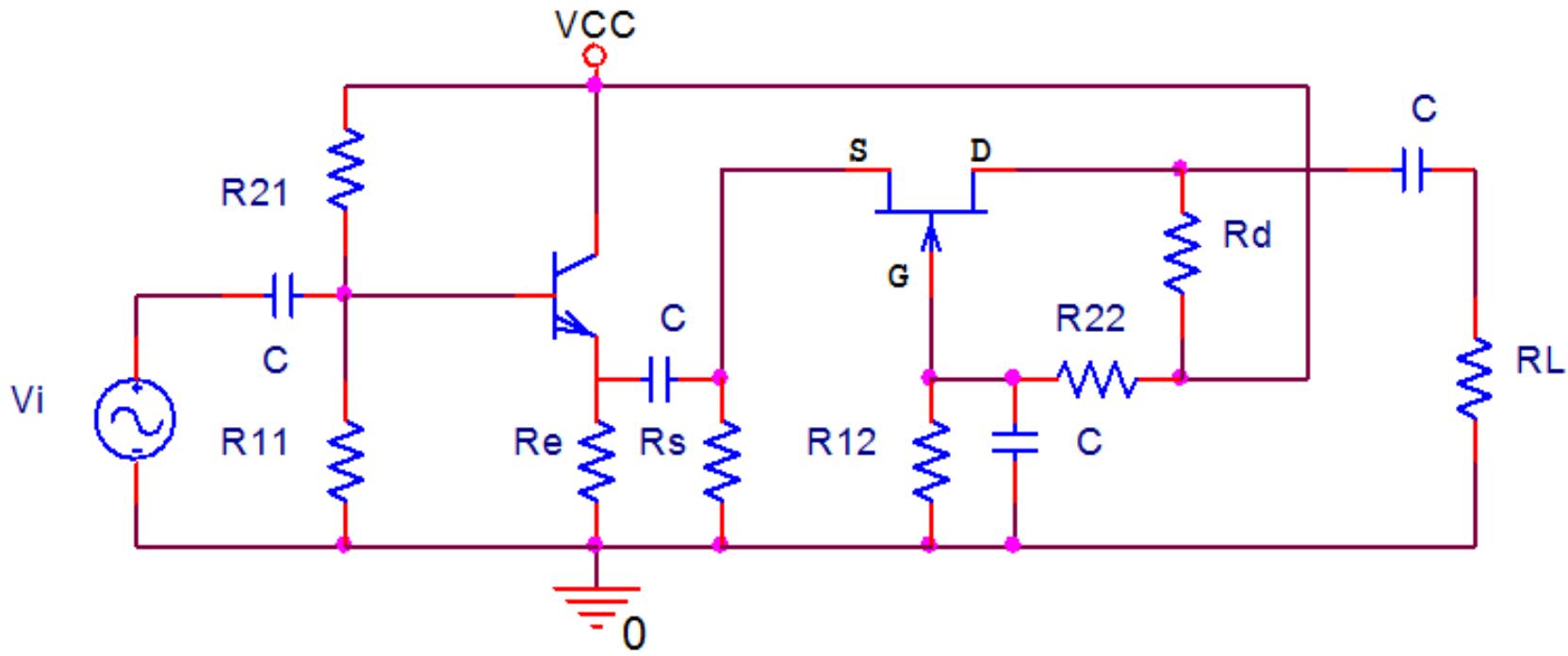
$$= (-h_{fe3}) \frac{R_{C_3}}{R_{C_3} + R_L} (-h_{fe2}) \frac{R'_{b3}}{R'_{b3} + h_{ie3}} (-h_{fe1}) \frac{R'_{b2}}{R'_{b2} + h_{ie2}} \frac{R_{b1}}{R_{b1} + h_{ie1}}$$

$$Si \begin{cases} R_L \ll R_{C_3} \\ h_{ie3} \ll R'_{b3} \\ h_{ie2} \ll R'_{b2} \\ h_{ie1} \ll R_{b1} \end{cases} \Rightarrow A_i = (-h_{fe})^n \begin{cases} \text{si } n \text{ es par } A_i = h_{fe}^n \\ \text{si } n \text{ es impar } A_i = -h_{fe}^n \end{cases}$$

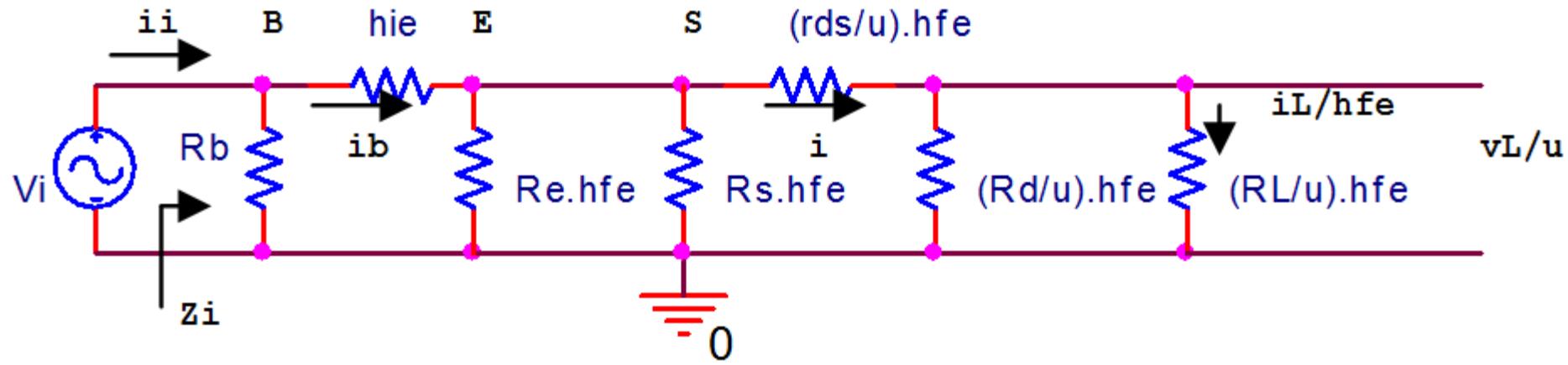
$$Z_o = R_{C_3}$$

$$Z_i = R_{b1} / h_{ie1}$$

# Colector Común-Compuerta Común

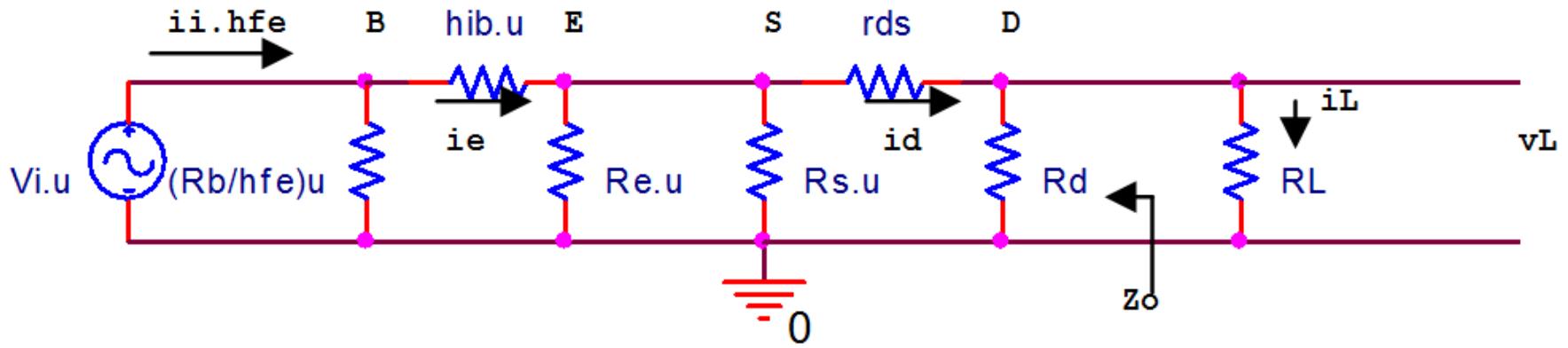


# Circuito Equivalente Reflejado en la Base



$$Z_i = R_b // \left\{ h_{ie} + \left[ \left( R_e // R_S \right) h_{fe} // \left( \frac{r_{ds} + R_d // R_L}{\mu} \right) h_{fe} \right] \right\}$$

# Circuito Equivalente reflejado en el Drenador



$$Z_O = R_d // \left[ r_{ds} + (R_e // R_S) \mu // \frac{h_{ie}}{h_{fe}} \mu \right]$$

Con  $r_i$

$$Z_O = R_d // \left[ r_{ds} + (R_e // R_S) \mu // \left( \frac{h_{ie}}{h_{fe}} \mu + \frac{r_i // R_b}{h_{fe}} \mu \right) \right]$$

# Ganancia de Corriente

$$A_i = \frac{i_L}{i_i} = \frac{i_L}{i_d} \frac{i_d}{i_e} \frac{i_e}{i_i}$$

$$i_L = i_d \frac{R_d R_L}{R_d + R_L} \frac{1}{R_L} \Rightarrow \frac{i_L}{i_d} = \frac{R_d}{R_d + R_L}$$

$$i_d = i_e \frac{\left[ (R_e // R_S) \mu \right] / / \left[ r_{ds} + (R_d // R_L) \right]}{r_{ds} + (R_d // R_L)} \Rightarrow \frac{i_d}{i_e} = \frac{\left[ (R_e // R_S) \mu \right] / / \left[ r_{ds} + (R_d // R_L) \right]}{r_{ds} + (R_d // R_L)}$$

$$i_e = i_i h_{fe} \frac{\frac{R_b}{h_{fe}} \mu / / \left\{ h_{ib} \mu + \left[ (R_e // R_S) \mu / / (r_{ds} + R_d // R_L) \right] \right\}}{\left\{ h_{ib} \mu + \left[ (R_e // R_S) \mu / / (r_{ds} + R_d // R_L) \right] \right\}}$$

$$\frac{i_e}{i_i} = h_{fe} \frac{\frac{R_b}{h_{fe}} \mu / / \left\{ h_{ib} \mu + \left[ (R_e // R_S) \mu / / (r_{ds} + R_d // R_L) \right] \right\}}{\left\{ h_{ib} \mu + \left[ (R_e // R_S) \mu / / (r_{ds} + R_d // R_L) \right] \right\}}$$

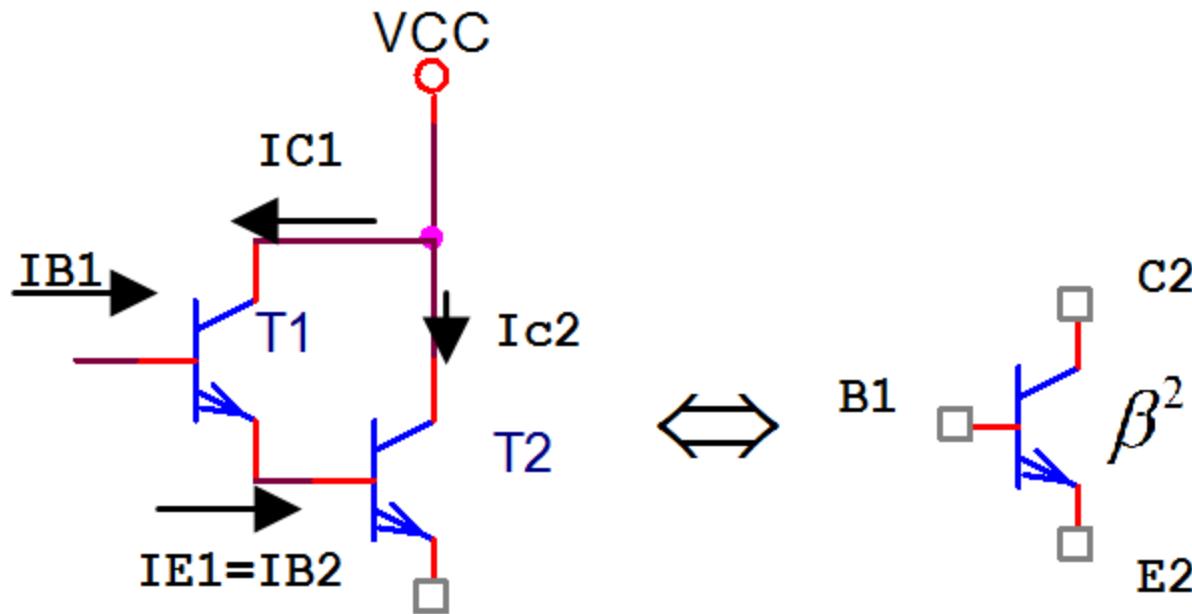
# Ganancias de Ai, Av y Ap

$$A_i = \frac{R_d}{R_d + R_L} \frac{\left[ (R_e // R_S) \mu \right] / / \left[ r_{ds} + (R_d // R_L) \right]}{r_{ds} + (R_d // R_L)} h_{fe} \frac{\frac{R_b}{h_{fe}} \left\{ h_{ib} \mu + \left[ (R_e // R_S) \mu / / (r_{ds} + R_d // R_L) \right] \right\}}{\left\{ h_{ib} \mu + \left[ (R_e // R_S) \mu / / (r_{ds} + R_d // R_L) \right] \right\}}$$

$$A_V = \frac{v_L}{v_i} = \frac{i_L R_L}{i_i Z_i} = A_i \frac{R_L}{Z_i}$$

$$A_P = A_V A_i$$

# Par Darlington



$$I_{E_1} \cong I_{C_1} \cong I_{B_2}$$

$$\text{En C.C: } I_{C_2} \cong \beta_1 \beta_2 I_{B_1}$$

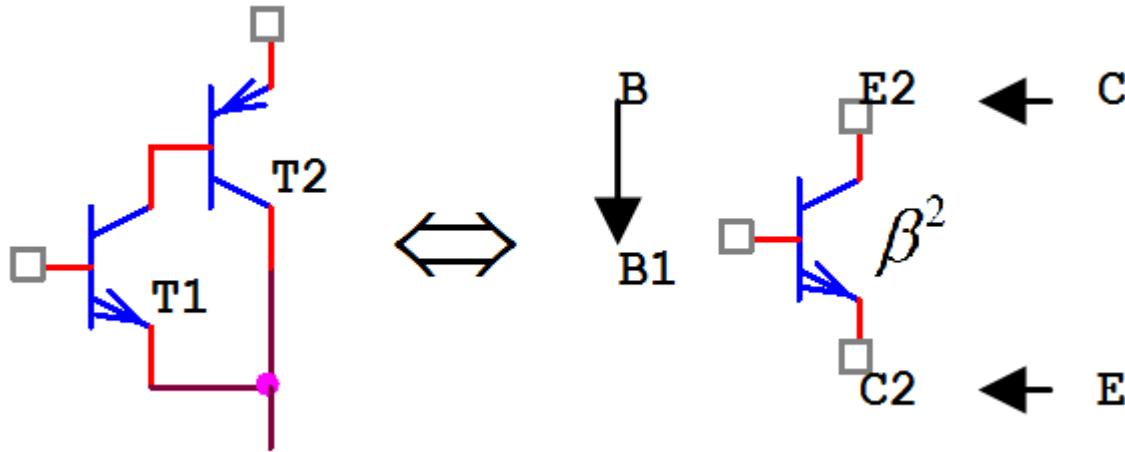
$$\text{En C.A: } i_{c_2} \cong h_{fe1} h_{fe2} i_{b_1}$$

*Si T1 y T2 son iguales:*

$$\text{En C.C: } I_{C_2} \cong \beta^2 I_{B_1}$$

$$\text{En C.A: } i_{c_2} \cong h_{fe}^2 i_{b_1}$$

# Par Complementario (PNP y NPN)



*Conexiones :*

$$C_1 = B_2$$

$$E_1 = C_2$$

*Corrientes :*

$$\text{En C.C : } I_{C_2} = \beta^2 I_{B_1}$$

$$\text{En C.A : } i_{c_2} = h_{fe}^2 i_{b_1}$$

# Amplificador Darlington. Salida por Colector

Analisis :

$$I_{CQ_2} = \frac{V_{BB} - 2V_{BE}}{\frac{R_b}{\beta^2} + R_e}$$

$$I_{BQ_2} = I_{CQ_1} = \frac{I_{CQ_2}}{\beta}$$

$$I_{BQ_1} = \frac{I_{CQ_1}}{\beta} = \frac{I_{CQ_2}}{\beta^2}$$

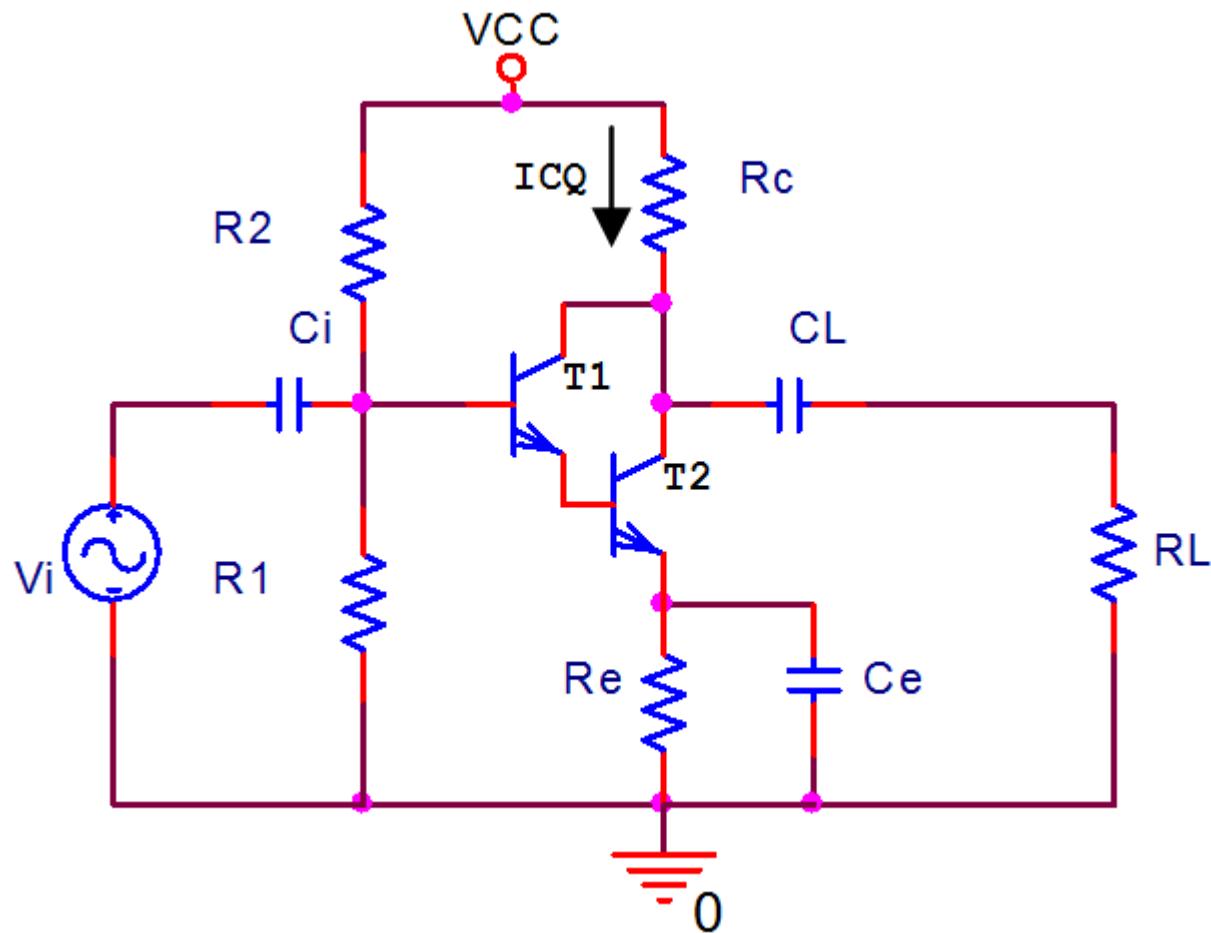
$$V_{CEQ_2} = V_{CC} - I_{CQ_2} (R_C + R_e)$$

$$V_{CEQ_1} = V_{CEQ_2} - V_{BE}$$

Diseño :

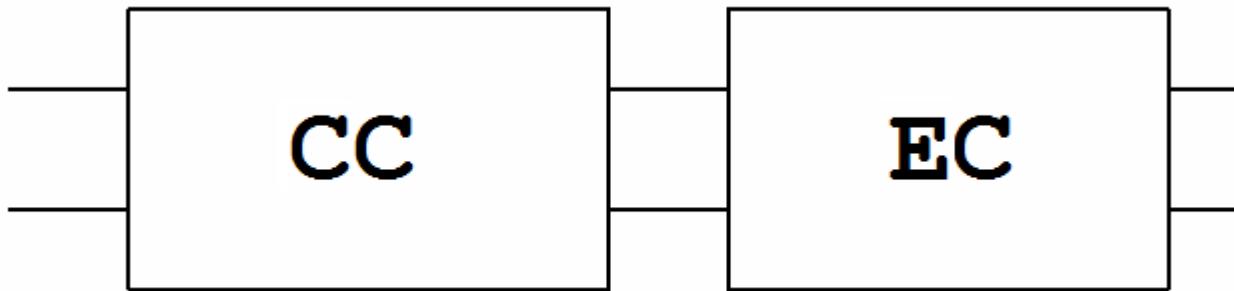
$$R_b = \frac{\beta^2 R_e}{10}$$

$$V_{BB} = \frac{I_{CQ_2}}{\beta^2} R_b + 2V_{be} + I_{CQ_2} R_e$$



# Amplificador Darlington. Salida por Colector

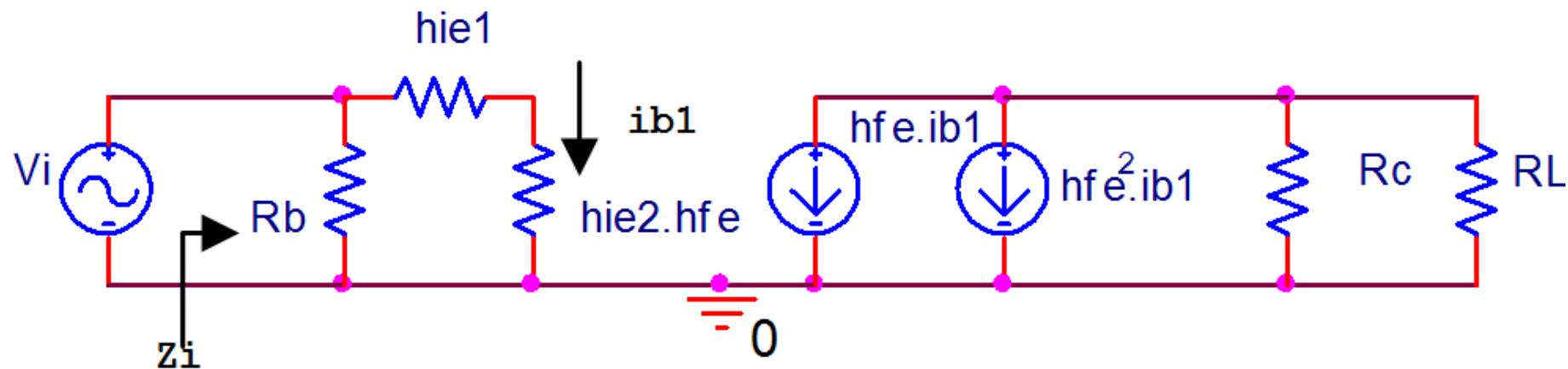
*Para alterna tenemos:*



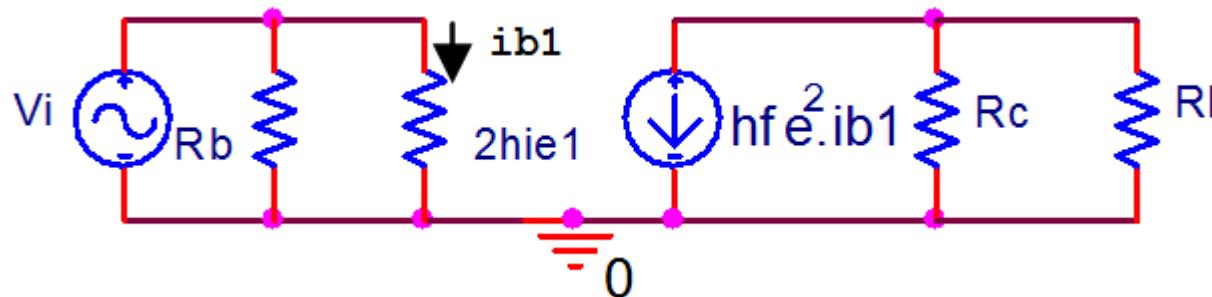
*Tiene ganancia de corriente  
pero no de tension.*

*Tiene ganancia de corriente  
y de tension.*

# Circuito Equivalente para C.A



$$h_{ie_1} = \frac{25mV \cdot h_{fe}}{I_{CQ_1}} = \frac{25mV \cdot h_{fe}}{\frac{I_{CQ_2}}{h_{fe}}} = \underbrace{\frac{25mV \cdot h_{fe}}{I_{CQ_2}}}_{h_{ie_2}} h_{fe} = h_{ie_2} h_{fe}$$



# Zi, Zo, Ai y Av

$$Z_i = R_b / 2h_{ie_1}$$

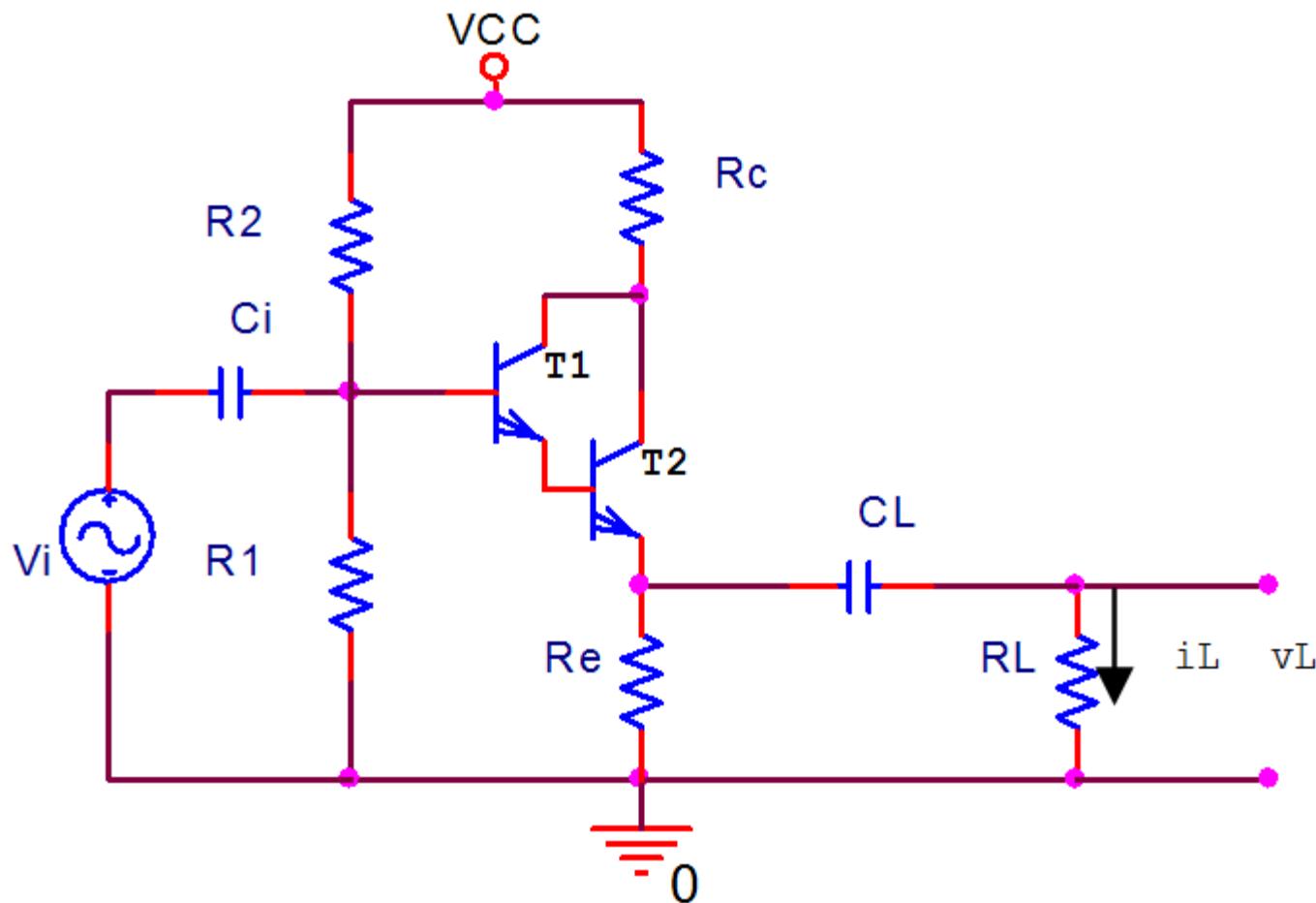
$$Z_o = R_C$$

$$A_i = \frac{i_L}{i_i} = \frac{i_L}{i_{b_1}} \frac{i_{b_1}}{i_i} = -h_{fe}^2 \frac{R_C}{R_C + R_L} \frac{R_b}{R_b + 2h_{ie_1}}$$

$$A_V = A_i \frac{R_L}{Z_i} = -h_{fe}^2 \frac{R_C}{R_C + R_L} \frac{R_b}{R_b + 2h_{ie_1}} \frac{\frac{R_L}{R_b \times 2h_{ie_1}}}{R_b + 2h_{ie_1}}$$

$$A_V = -h_{fe}^2 \frac{R_C}{R_C + R_L} \frac{R_L}{2h_{ie_1}}$$

# Amplificador Darlington. Salida por Emisor



# Amplificador Darlington. Salida por Emisor

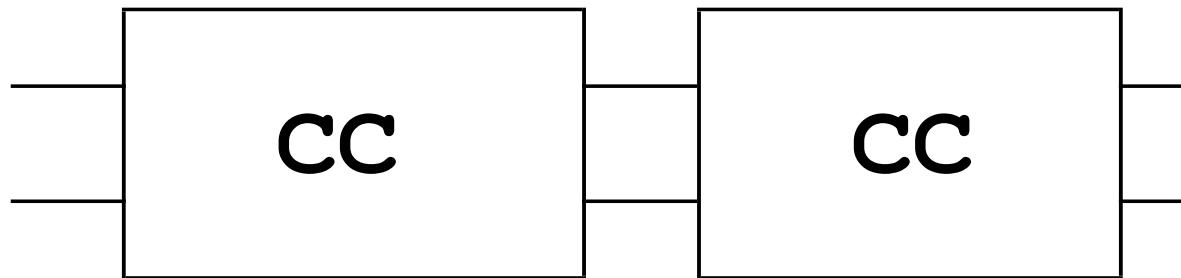
*$I_{CQ}$  para Maxima Excursion Simetrica.*

$$I_{CQ,MES} = \frac{V_{CC}}{2R_C + R_E + R_E // R_L}$$

$$I_{CQ,MES} = \frac{V_{CC}}{\underbrace{R_C + R_E}_{R_{CC}} + \underbrace{R_C + (R_E // R_L)}_{R_{CA}}}$$

# Amplificador Darlington. Salida por Emisor

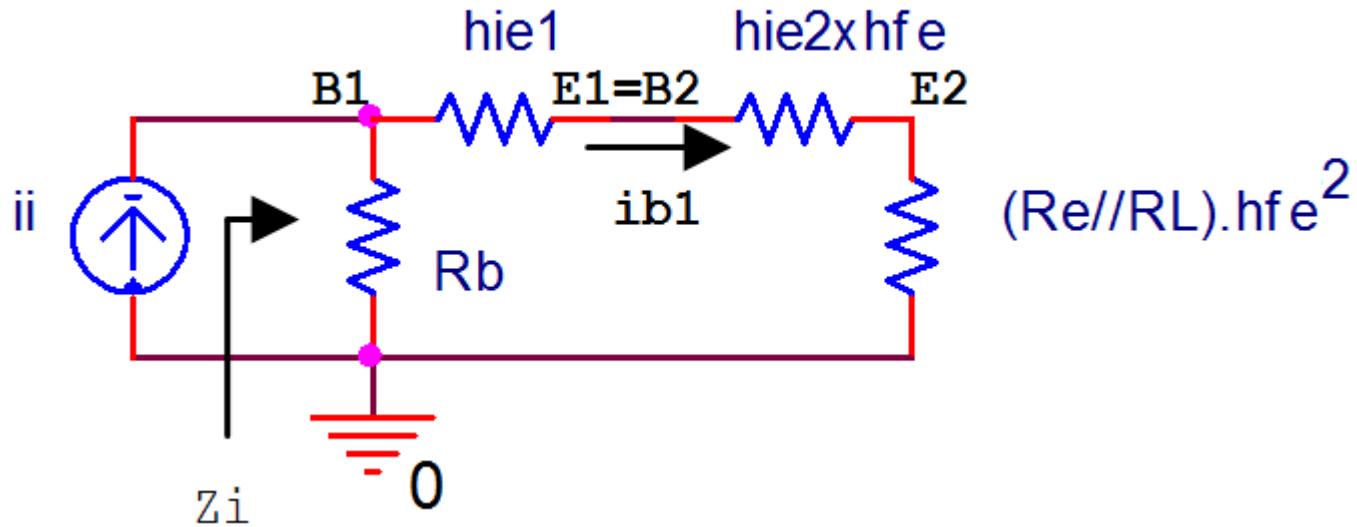
*Para alterna tenemos:*



*Tiene ganancia de corriente  
pero no de tensión.*

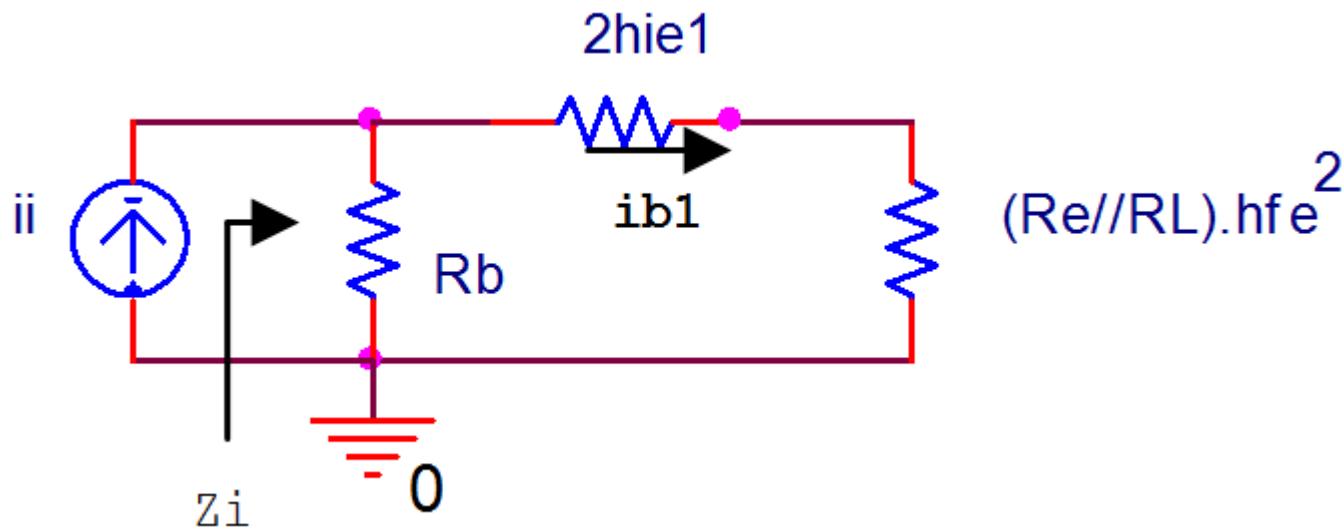
*Tiene ganancia de corriente  
pero no de tensión.*

# Circuito Equivalente para C.A para calcular Zi



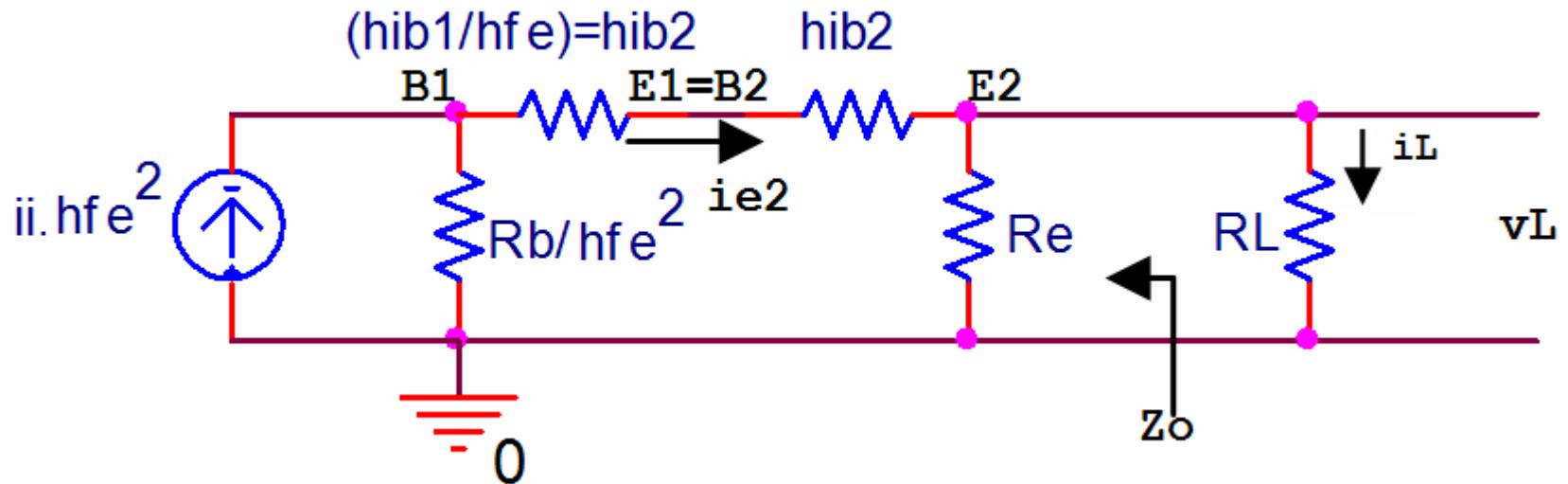
$$h_{ie1} = h_{fe} \frac{25mV}{I_{CQ1}} = h_{fe} \frac{25mV}{I_{CQ2}} = \frac{h_{ie2} \times h_{fe}}{h_{fe}}$$

# Circuito Equivalente para C.A para calcular Zi



$$Z_i = R_b // \left[ 2.h_{ie1} + (R_E // R_L)h_{fe}^2 \right]$$

# Circuito Equivalente para C.A para calcular $Z_o$



$$h_{ib2} = \frac{25mV}{I_{CQ2}} = \frac{25mV}{I_{CQ1}h_{fe}} = \frac{h_{ib1}}{h_{fe}}$$

$$Z_o = R_e // \left( 2h_{ib2} + \frac{R_b}{h_{fe}^2} \right)$$

# Ganancia de Corriente Ai

$$A_i = \frac{i_L}{i_i} = \left( \frac{i_L}{i_{e_2}} \right) \left( \frac{i_{e_2}}{i_i} \right) = \left( \frac{R_E}{R_E + R_L} \right) \left( h_{fe}^2 \frac{\frac{R_b}{h_{fe}^2}}{\frac{R_b}{h_{fe}^2} + 2h_{ib2} + R_E // R_L} \right)$$

$$Si: \frac{R_b}{h_{fe}^2} \gg 2h_{ib2} + R_E // R_L$$

$$A_i = \left( \frac{R_E}{R_E + R_L} \right) h_{fe}^2$$

# Ganancia de Tensión Av

$$A_V = A_i \frac{R_L}{Z_i} = \frac{(R_e // R_L) h_{fe}^2}{\left\{ \frac{R_b [2h_{ie1} + (R_e // R_L) h_{fe}^2]}{R_b + 2h_{ie1} + (R_e // R_L) h_{fe}^2} \right\}} \frac{R_b}{R_b + \underbrace{2h_{ib2} h_{fe}^2}_{2h_{ie1}} + (R_E // R_L) h_{fe}^2}$$

$$A_V = \frac{h_{fe}^2 (R_e // R_L)}{(R_e // R_L) h_{fe}^2 + 2h_{ie1}} < 1$$

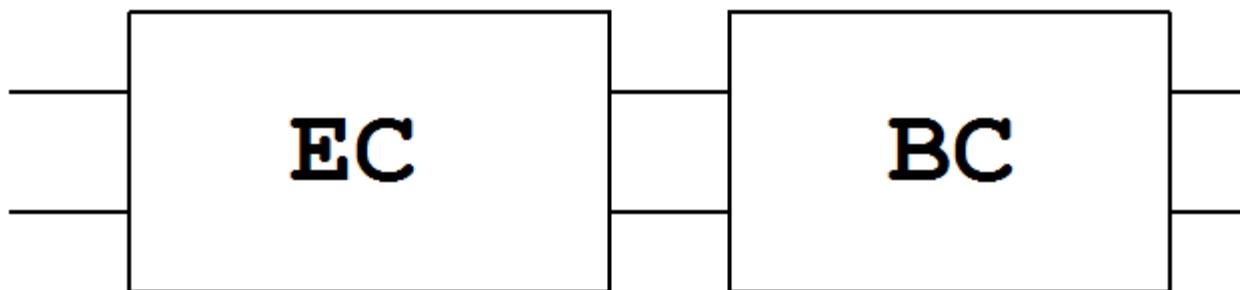
# Amplificador Cascodo.

*Cascodo Como Amplificador, mejora el ancho del banda.*

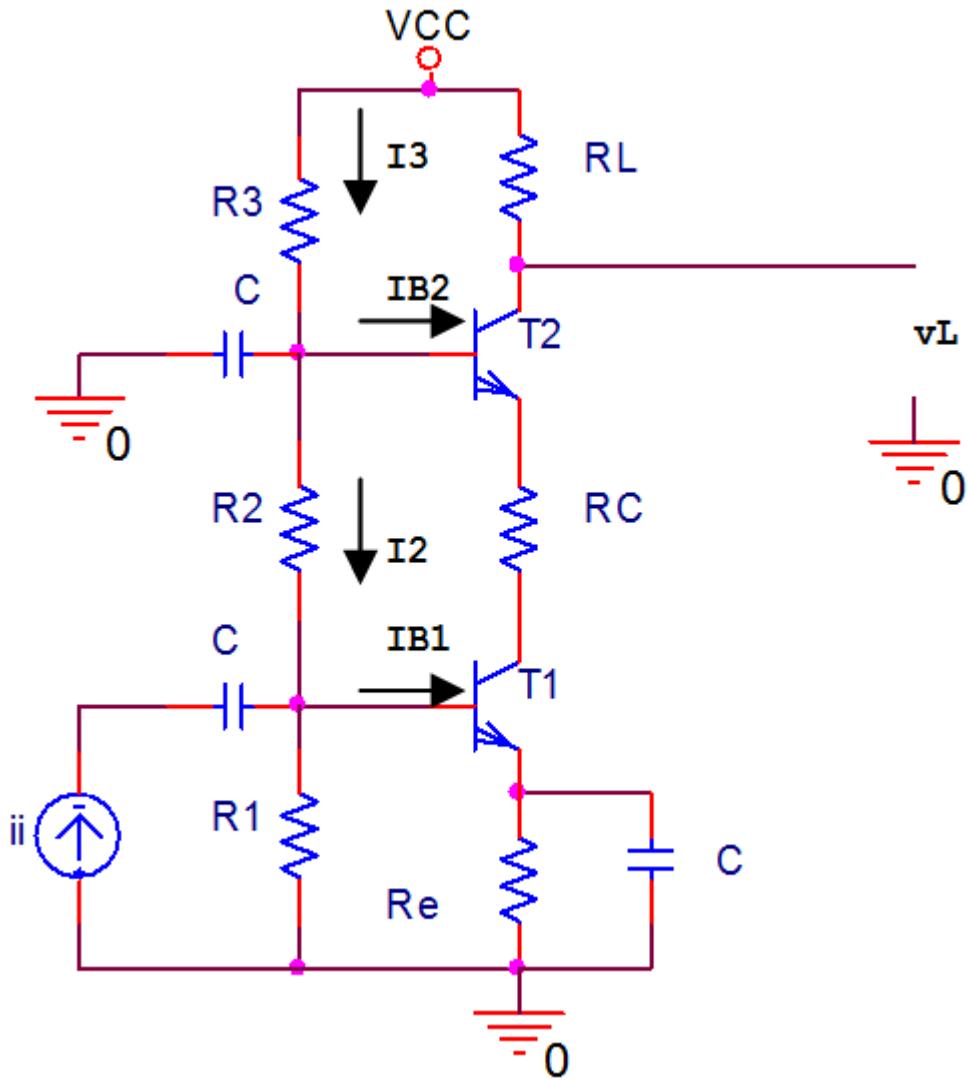
*Evita disminucion de ganancia por realimentacion.*

*Cascodo Como Desplazador de nivel de C.C, sin variacion de la ganancia de tension  $A_v$*

*Version Amplificador*



# Amplificador Cascodo.



$$I_{B_2} \ll I_3$$

$$I_{B_1} \ll I_2$$

$$V_{B_2} = \frac{V_{CC}}{R_1 + R_2 + R_3} \times (R_1 + R_2)$$

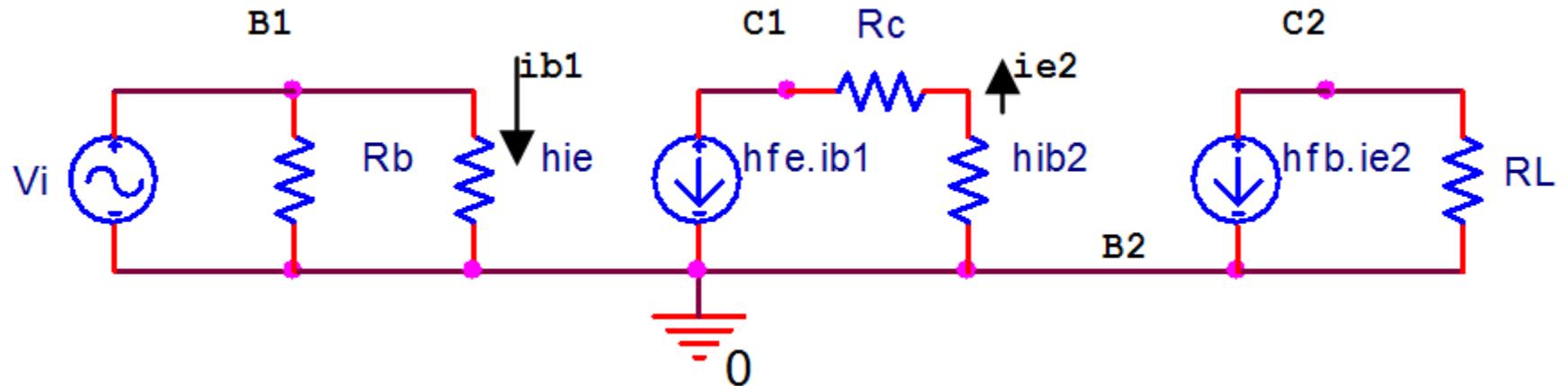
$$V_{B_1} = \frac{V_{B_2}}{R_1 + R_2} \times R_1$$

$$I_{CQ_1} \cong \frac{V_{B_1} - V_{BE_1}}{R_E} = I_{CQ_2}$$

$$V_{CEQ_1} = V_{B_2} - V_{BE_2} - I_{CQ_1} (R_C + R_E)$$

$$V_{CEQ_2} = V_{CC} - V_{CEQ_1} - I_{CQ_1} (R_L + R_C + R_E)$$

# Circuito Equivalente para pequeña señal

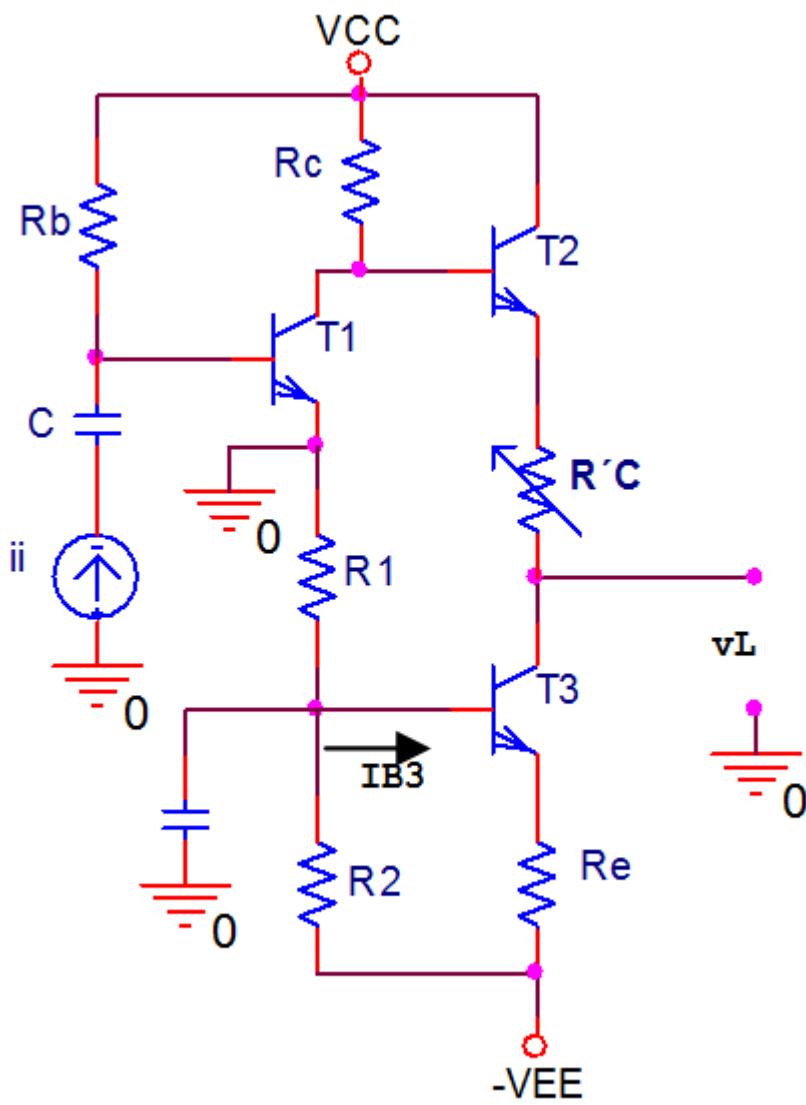


$$A_i = \frac{i_L}{i_i} = \frac{i_L}{i_{e_2}} \frac{i_{e_2}}{i_{b_1}} \frac{i_{b_1}}{i_i} = (-h_{fb}) h_{fe} \frac{R_b}{R_b + h_{ie_1}} \cong -h_{fe} \frac{R_b}{R_b + h_{ie_1}}$$

$$BW = f \left( \frac{1}{C_M} \right) \quad \begin{cases} C_M : \text{Capacidad de Miller} \\ (\text{de realimentacion}). \end{cases}$$

$$C_M = C_{bc} (1 + g_m R_L) \quad (R_L \text{ equivale a } h_{ib_2})$$

# Cascodo como desplazador de nivel.



$$I_{B_3} \approx 0$$

$$V_{B_3} = -\frac{V_{EE}}{R_1 + R_2} R_1$$

$$V_{E_3} = V_{B_3} - V_{BE}$$

$$I_{EQ_3} = \frac{V_{E_3} - (-V_{EE})}{R_e}$$

$$I_{EQ_3} = \frac{V_{E_3} + V_{EE}}{R_e}$$

$$V_{E_2} = I_{EQ_3} R_C + V_L$$

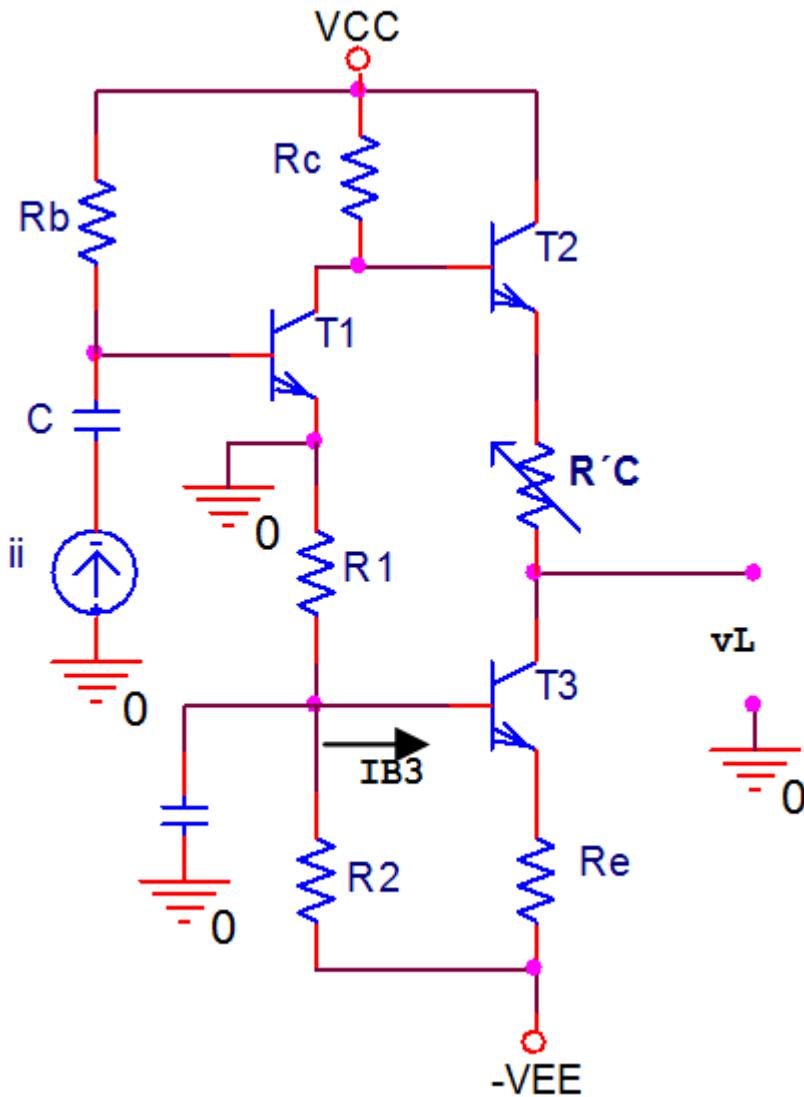
$$V_{B_2} = V_{E_2} + V_{BE}$$

$$I_{CQ_1} = \frac{V_{CC} - V_{B_2}}{R_C}$$

$$I_{BQ_1} = \frac{I_{CQ_1}}{\beta_1}$$

$$R_b = \frac{V_{CC} - V_{BE}}{I_{BQ_1}}$$

# Cascodo como desplazador de nivel.



Suponemos que  $R_b$  es fija y varia  $\bar{R}_C$ :

$$I_{BQ_1} = \frac{V_{CC} - V_{BE}}{R_b}$$

$$I_{CQ_1} = \beta_1 I_{BQ_1}$$

$$V_{B_2} = V_{CC} - I_{CQ_1} R_C$$

$$V_{E_2} = V_{B_2} - V_{BE}$$

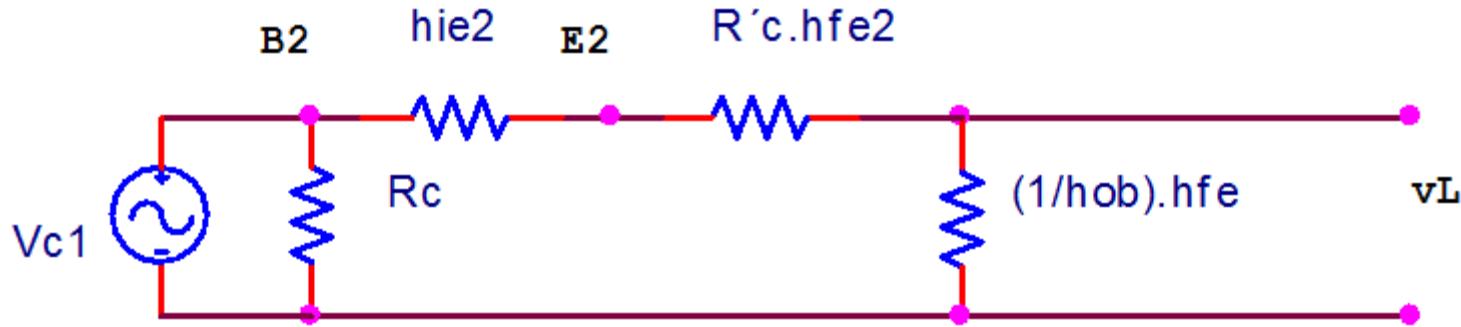
$$I_{EQ_3} = \frac{V_{E_2} - V_L}{\bar{R}_C} \quad \Rightarrow \quad \bar{R}_C = \frac{V_{E_2} - V_L}{I_{EQ_3}}$$

$$V_{B_3} = \frac{-V_{EE}}{R_1 + R_2} R_1$$

$$V_{E_3} = V_{B_3} - V_{BE}$$

$$I_{EQ_3} = \frac{V_{E_3} + V_{EE}}{R_e}$$

# Cascodo como desplazador de nivel

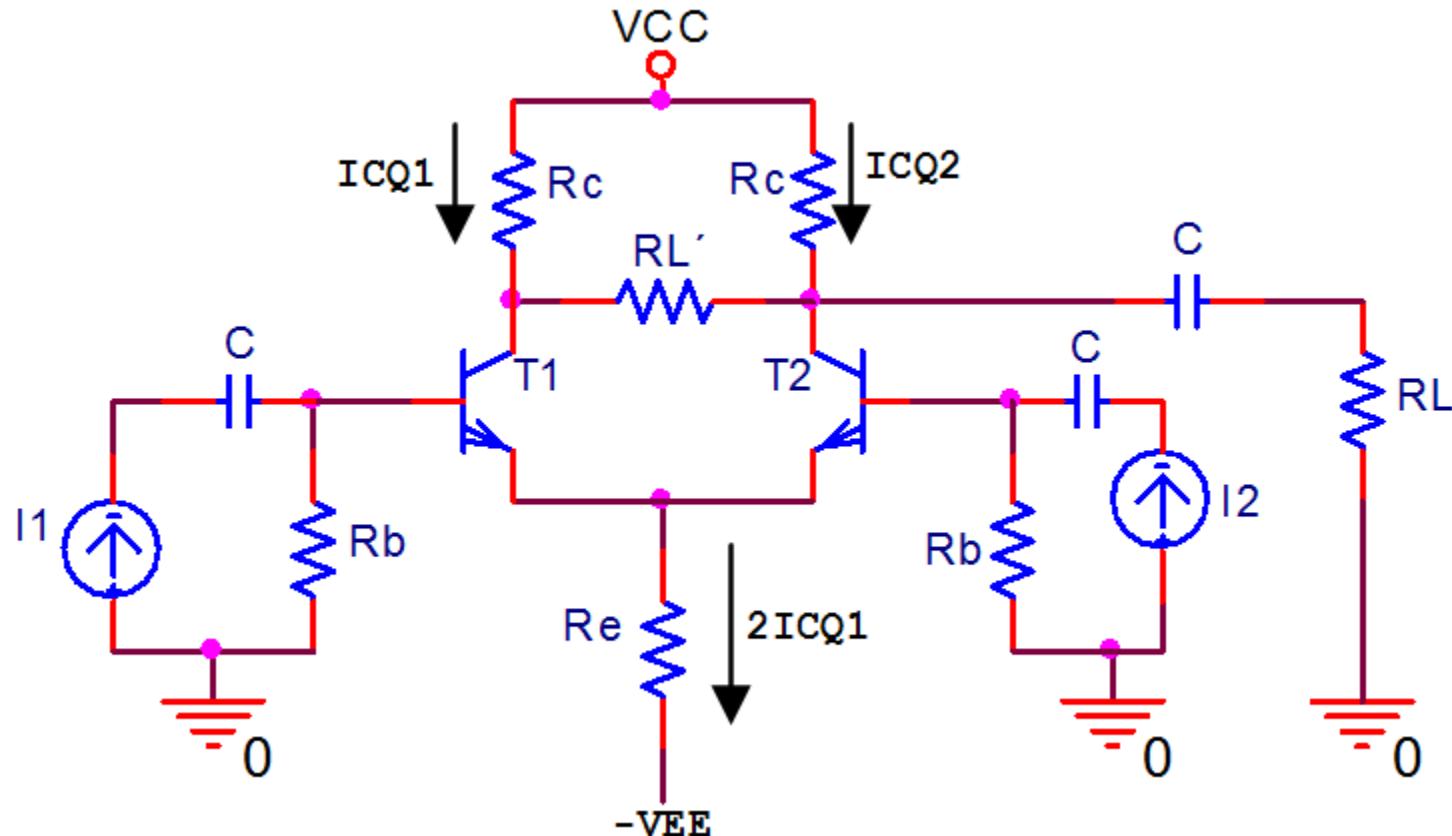


$$v_L = \frac{v_{c_1}}{\underbrace{h_{ie_2} + R_C h_{fe_2}}_{despreciando} + \frac{h_{fe}}{h_{ob}}} \frac{h_{fe}}{h_{ob}} \cong v_{c_1}$$

$$A_V = \frac{v_L}{v_{c_1}} \cong 1$$

# Amplificador Diferencial.

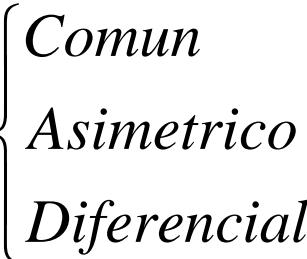
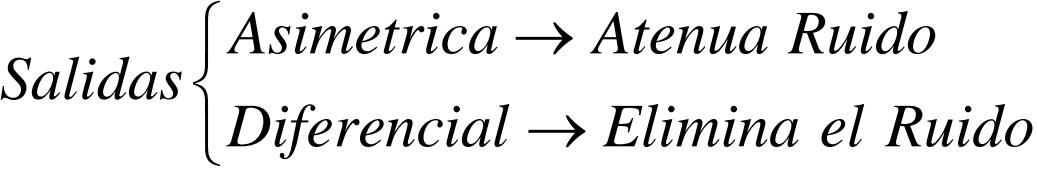
Elimina o atenua los ruidos de origen externo presentes en las entradas.



$$T_1 = T_2$$

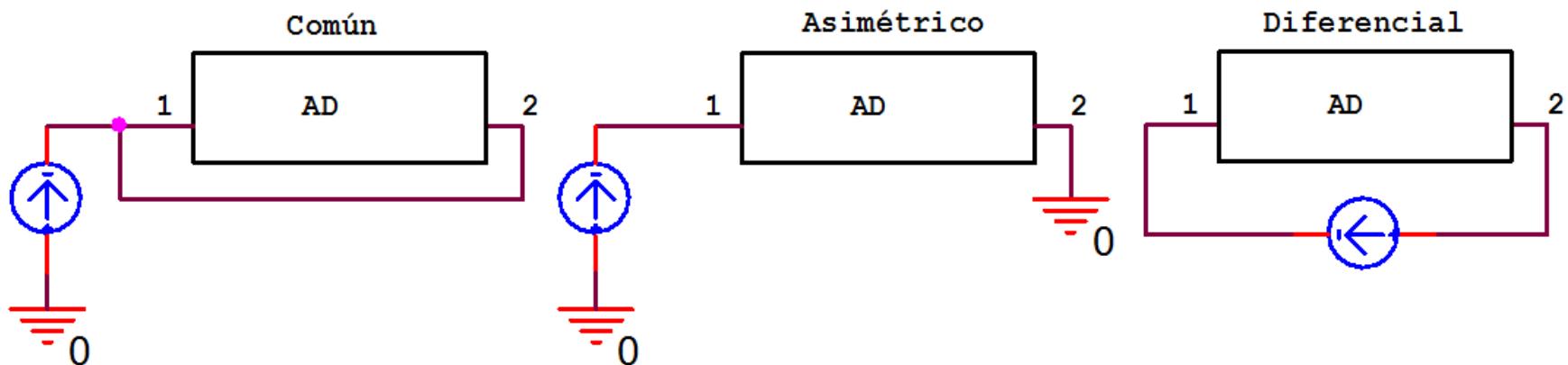
$$I_{CQ_1} = I_{CQ_2}$$

# Amplificador Diferencial.

*Entradas*  *Salidas* 

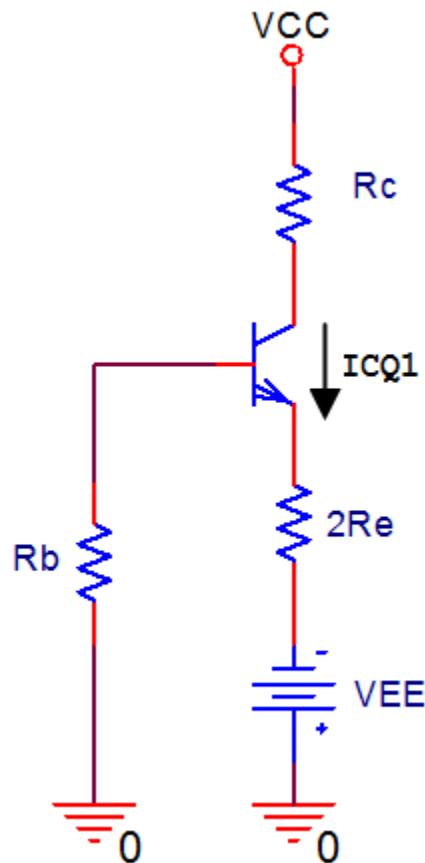
*Comun*  
*Asimetrico*  
*Diferencial*

*Asimetrica*  $\rightarrow$  Atenua Ruido  
*Diferencial*  $\rightarrow$  Elimina el Ruido



# Amplificador Diferencial.

*Analisis de punto de reposo*



$$V_{R_e} = 2I_{CQ_1}R_e = I_{CQ_1}2R_e$$

$$I_{CQ_1} = \frac{V_{EE} - V_{BE}}{R_b + 2R_e} = I_{CQ_2}$$

$$\begin{aligned} V_{CEQ_1} &= V_{CC} - (-V_{EE}) - I_{CQ_1}(R_C + 2R_e) \\ &= V_{CC} + V_{EE} - I_{CQ_1}(R_C + 2R_e) \\ &= V_{CEQ_2} \quad (\text{Si } R_C \text{ son iguales}) \end{aligned}$$

# Amplificador Diferencial.

*Definiciones :*

*Corriente en modo comun :*  $i_c = \frac{i_1 + i_2}{2}$

*Corriente en modo diferencial :*  $i_d = i_2 - i_1$

*Ganancia en modo comun :*  $A_c = \left. \frac{i_L}{i_c} \right|_{i_d=0}$

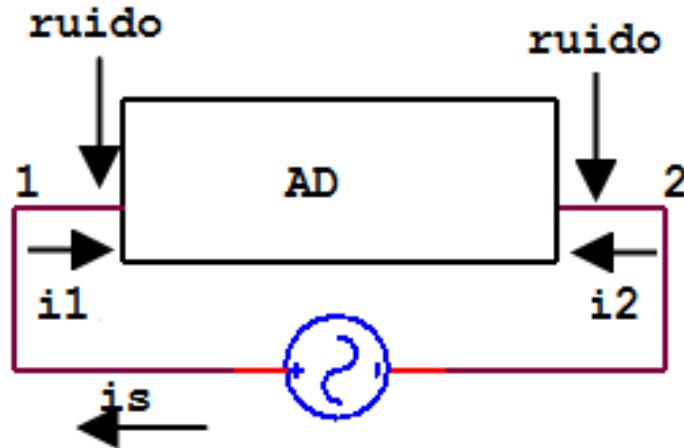
*Ganancia en modo diferencial :*  $A_d = \left. \frac{i_L}{i_d} \right|_{i_c=0}$

*Corriente de salida :*  $i_L = \underbrace{A_c i_c}_{\text{Ruido}} \pm \underbrace{A_d i_d}_{\text{Señal}}$

$A_d \gg A_c$  (es deseable).

*Relacion de rechazo a modo comun :*  $RRMC = \frac{A_d}{A_c} \rightarrow \infty$

# Amplificador Diferencial.



Corrientes de entrada con entrada diferencial.

$$i_1 = i_s + i_r$$

$$i_2 = -i_s + i_r$$

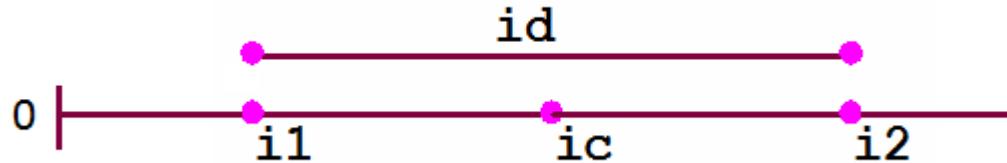
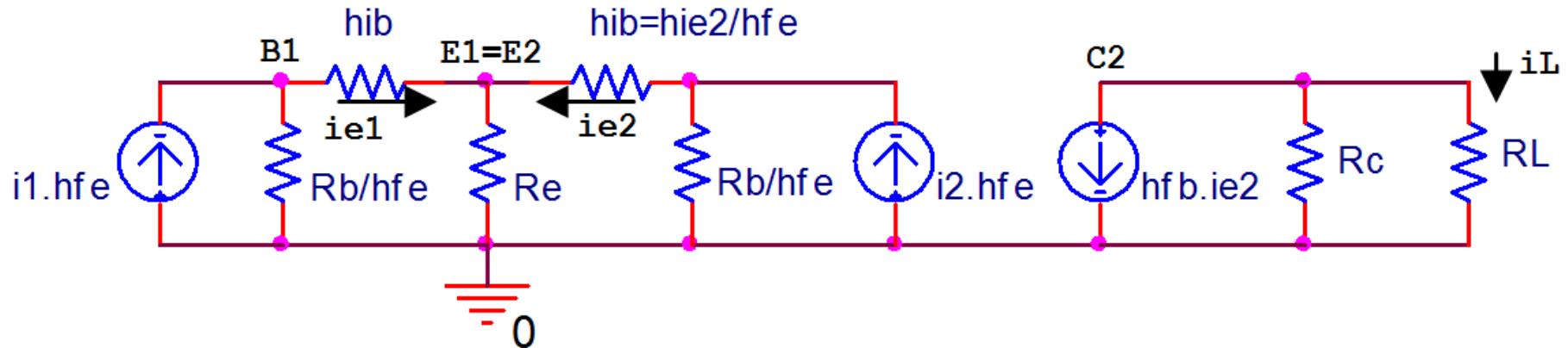
$$i_s = \text{señal} \quad i_r = \text{ruido}$$

$$i_c = \frac{i_s + i_r - i_s + i_r}{2} = \frac{2i_r}{2} = i_r$$

$$i_d = -i_s + i_r - i_s - i_r = -2i_s \Rightarrow i_s = -\frac{i_d}{2}$$

# Amplificador Diferencial.

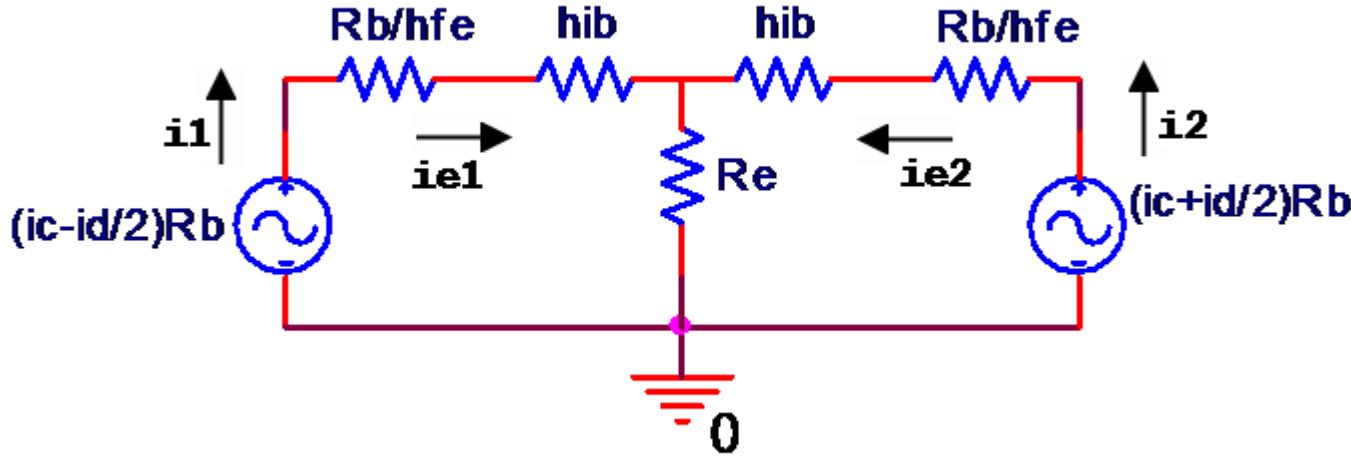
Circuito equivalente reflejado al emisor.



$$i_1 = i_c - \frac{i_d}{2}$$

$$i_2 = i_c + \frac{i_d}{2}$$

# Amplificador Diferencial.



$$Si \begin{cases} i_1 = i_2 \Rightarrow i_d = 0 \Rightarrow i_{e_1} = i_{e_2} \\ i_1 = -i_2 \Rightarrow i_c = 0 \Rightarrow \begin{cases} i_d = 2i_1 = -2i_2 \\ i_{e_1} = -i_{e_2} \end{cases} \end{cases}$$

# Amplificador Diferencial.

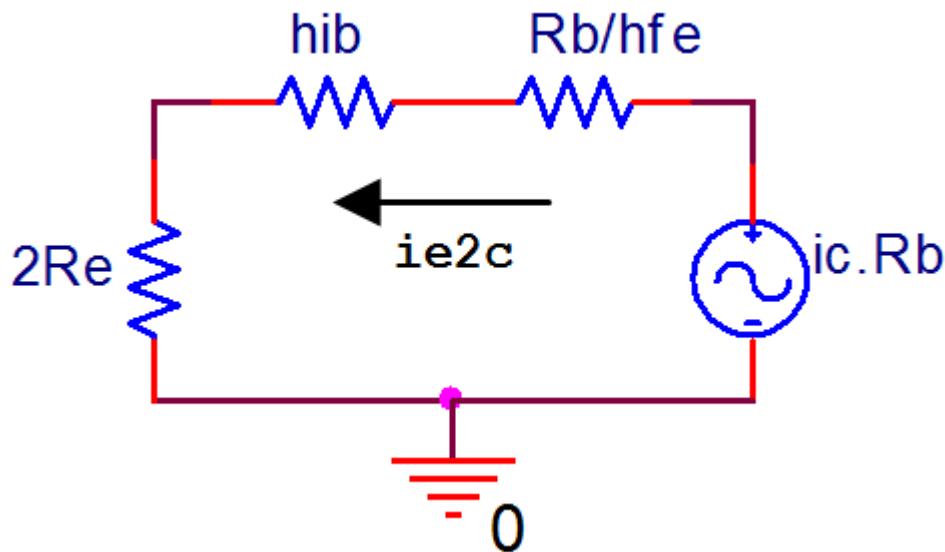
En la malla de salida vemos que:

$$i_L = f(i_{e_2})$$

$$i_{e_2} = f(i_c; i_d)$$

Caso si:  $i_1 = i_2 = i_c$ ;  $i_d = 0$

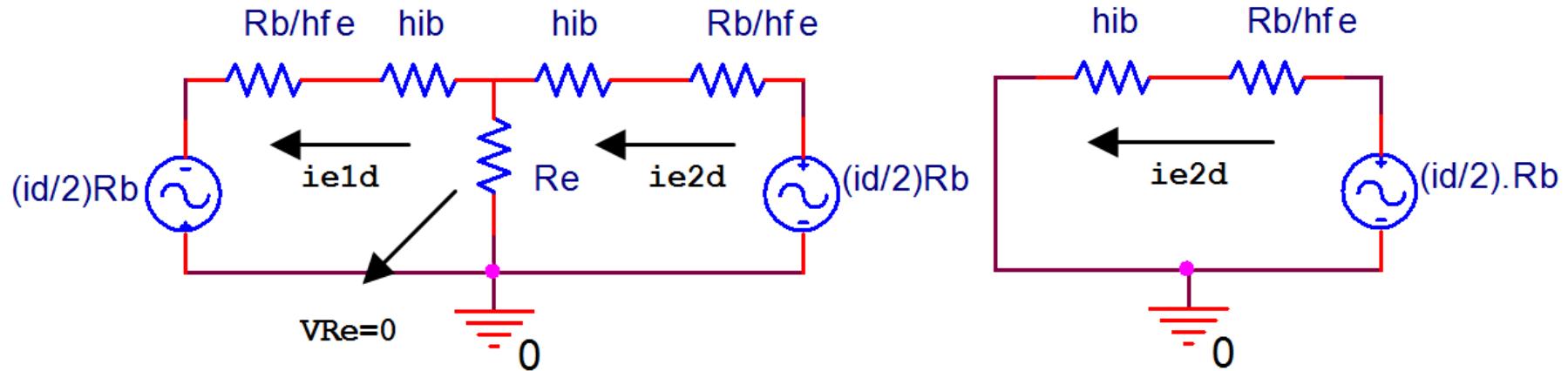
$$v_e = 2i_{e_{2c}} R_e$$



$$i_{e_{2c}} = \frac{R_b}{2R_e + h_{ib} + \frac{R_b}{h_{fe}}} i_c$$

# Amplificador Diferencial.

Caso si:  $i_1 = -i_2$ ;  $i_c = \frac{-i_2 + i_2}{2} = \frac{0}{2} = 0$



$$i_{e_{2d}} = \frac{R_b}{2 \left( h_{ib} + \frac{R_b}{h_{fe}} \right)} i_d$$

# Amplificador Diferencial.

$$i_{e_2} = i_{e_{2c}} + i_{e_{2d}}$$

$$= \frac{R_b i_c}{2R_e + h_{ib} + \frac{R_b}{h_{fe}}} + \frac{R_b i_d}{2\left(h_{ib} + \frac{R_b}{h_{fe}}\right)}$$

$$i_L = -h_{fb} i_{e_2} \frac{R_c}{R_c + R_L}$$

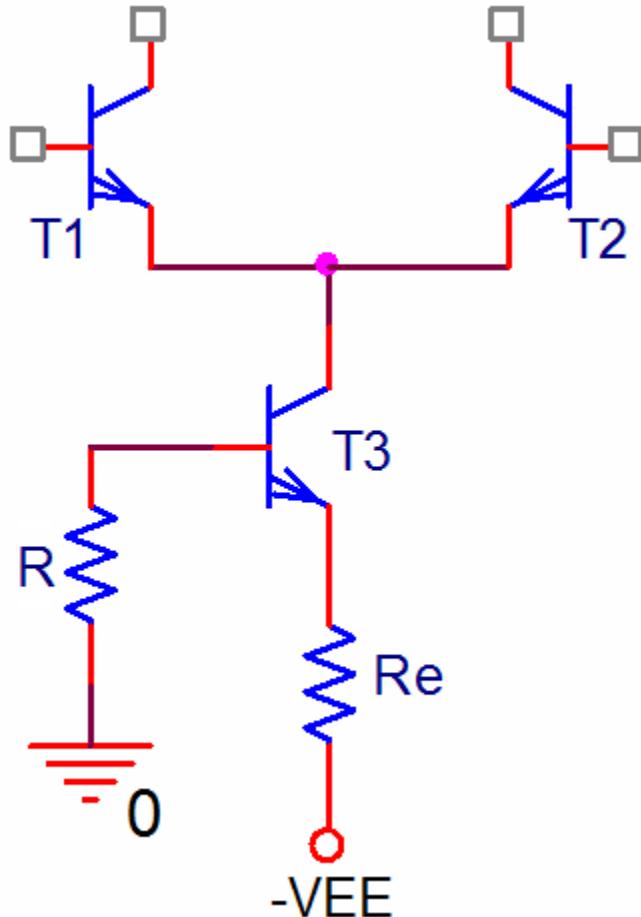
$$i_L = \left( -h_{fb} \frac{R_c}{R_c + R_L} \right) \frac{R_b}{2R_e + h_{ib} + \frac{R_b}{h_{fe}}} i_c + \left( -h_{fb} \frac{R_c}{R_c + R_L} \right) \frac{R_b}{2\left(h_{ib} + \frac{R_b}{h_{fe}}\right)} i_d$$

$$RRMC = \frac{A_d}{A_c} = \frac{2R_e + h_{ib} + \frac{R_b}{h_{fe}}}{2\left(h_{ib} + \frac{R_b}{h_{fe}}\right)}$$

$$Si: R_e \gg h_{ib} + \frac{R_b}{h_{fe}} \Rightarrow RRMC = \frac{R_e}{h_{ib} + \frac{R_b}{h_{fe}}}$$

# Amplificador Diferencial.

*Fuente de corriente constante:*



$$R_e \rightarrow \frac{1}{h_{oe}}$$

# Amplificador Diferencial.

*Analisis en corriente continua :*

$$I_{CQ_3} = \frac{V_{EE} - V_{BE}}{\frac{R}{\beta_3} + R_e} = 2I_{CQ_1} = 2I_{CQ_2}$$

$$V_{E_1} = V_{E_2} = -V_{BE} - \frac{I_{CQ_1}}{\beta} R_b$$

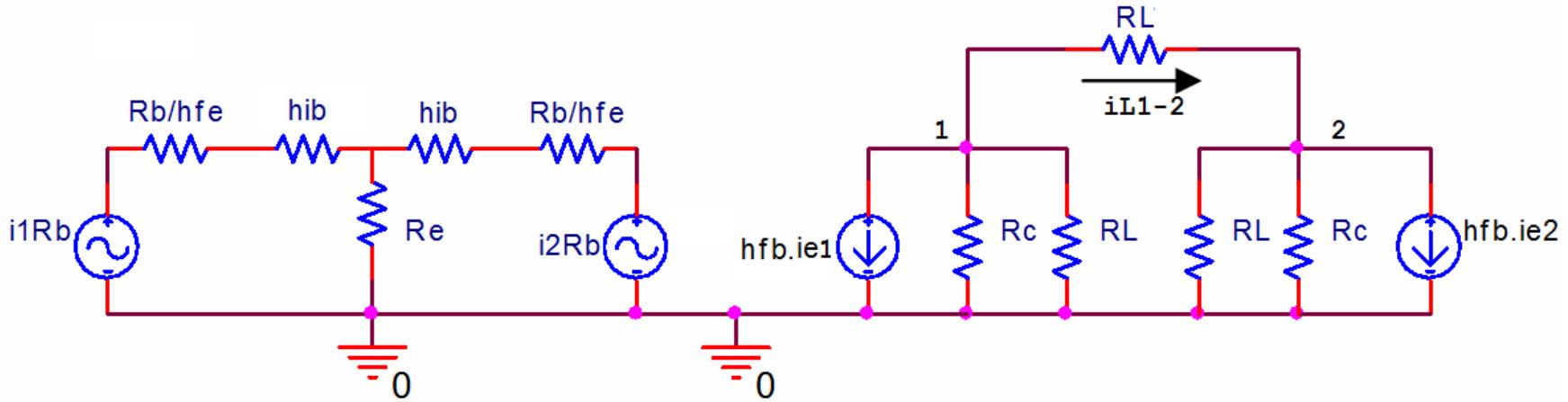
$$V_{C_1} = V_{CC} - I_{CQ_1} R_C$$

$$\begin{aligned} V_{CEQ_1} &= V_{C_1} - V_{E_1} = V_{CC} - I_{CQ_1} R_C + V_{BE} + \frac{I_{CQ_1}}{\beta} R_b \\ &= V_{CEQ_2} \quad \left( Si \ R_{C_1} = R_{C_2} = R_C \right) \end{aligned}$$

$$\begin{aligned} V_{CEQ_3} &= V_{E_1} - I_{CQ_1} 2R_e + V_{EE} \\ &= -V_{BE} - \frac{I_{CQ_1}}{\beta} R_b - I_{CQ_3} R_e + V_{EE} \end{aligned}$$

# Amplificador Diferencial.

*Circuito Equivalente :*



$$i_{e_1} = \frac{R_b}{2R_e + h_{ib} + \frac{R_b}{h_{fe}}} i_c - \frac{R_b}{2\left(h_{ib} + \frac{R_b}{h_{fe}}\right)} i_d$$

$$i_{e_2} = \frac{R_b}{2R_e + h_{ib} + \frac{R_b}{h_{fe}}} i_c + \frac{R_b}{2\left(h_{ib} + \frac{R_b}{h_{fe}}\right)} i_d$$

# Amplificador Diferencial.

*Salida Asimetrica :*

$$i_{L_{Asim}} = -h_{fb} \frac{R_C}{R_C + R_L} i_{e_2} = \left( -h_{fb} \frac{R_C}{R_C + R_L} \right) \frac{R_b}{2R_e + h_{ie} + \frac{R_b}{h_{fe}}} i_c$$

$$+ \left( -h_{fb} \frac{R_C}{R_C + R_L} \right) \frac{R_b}{2 \left( h_{ib} + \frac{R_b}{h_{fe}} \right)} i_d$$

$i_{L_{Asim}} = A_c i_c - A_d i_d$  Cuando la salida es por T<sub>1</sub>

$i_{L_{Asim}} = A_c i_c + A_d i_d$  Cuando la salida es por T<sub>2</sub>

# Amplificador Diferencial.

*Salida Diferencial :*

$$i_{L(1-2)} = h_{fb} i_{e_2} \frac{R_C}{2R_C + R_L} + \dots \text{ (pasivando la fuente 1)}$$

$$= h_{fb} i_{e_2} \frac{R_C}{2R_C + R_L} - h_{fb} i_{e_1} \frac{R_C}{2R_C + R_L}$$

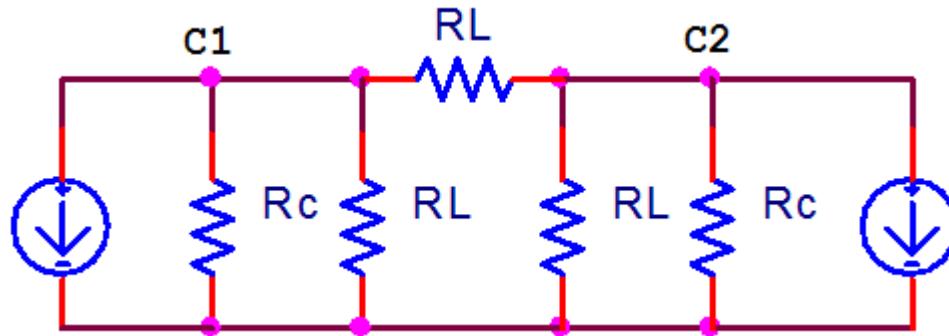
$$= h_{fb} \frac{R_C}{2R_C + R_L} (i_{e_2} - i_{e_1})$$

$$= h_{fb} \underbrace{\frac{R_C}{2R_C + R_L} \frac{R_d}{h_{ib} + \frac{R_b}{h_{fe}}}}_{A'_d} i_d$$

$$i_{L(1-2)} = A'_d i_d \rightarrow A'_c = 0 \Rightarrow RRMC = \infty$$

# Amplificador Diferencial.

*Impedancia de Salida.*



*Salida Asimetrica*

$$Z_o = R_c$$

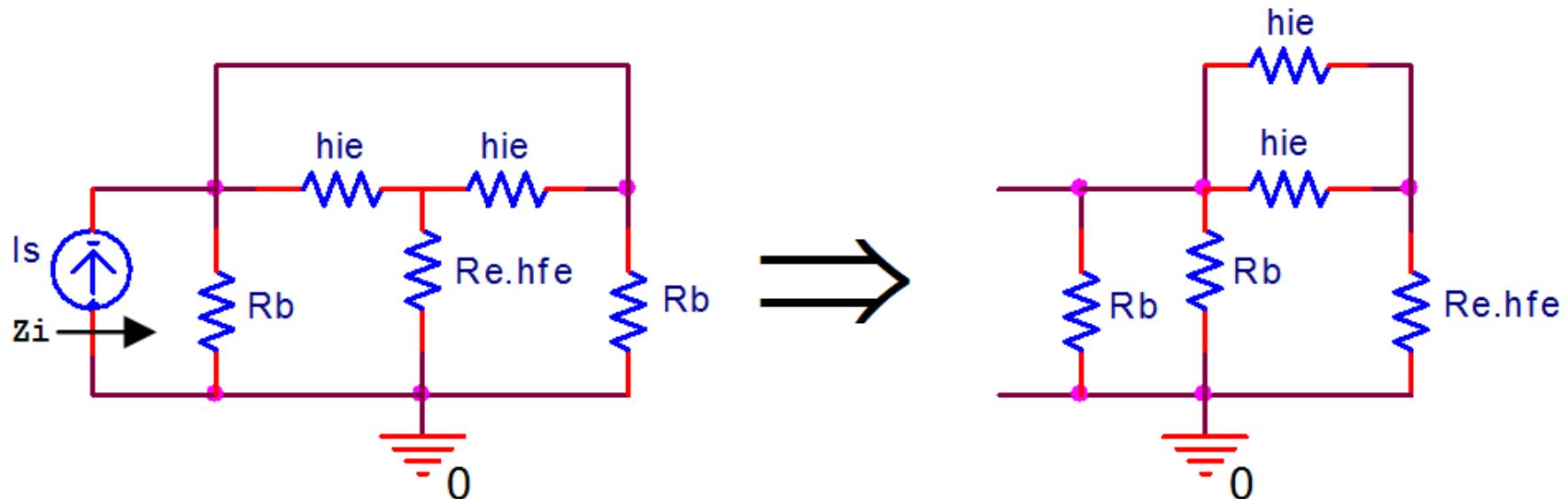
*Salida Simetrica o Diferencial*

$$Z_o = 2R_c$$

# Amplificador Diferencial.

*Impedancia de entrada*

*Entrada común:*



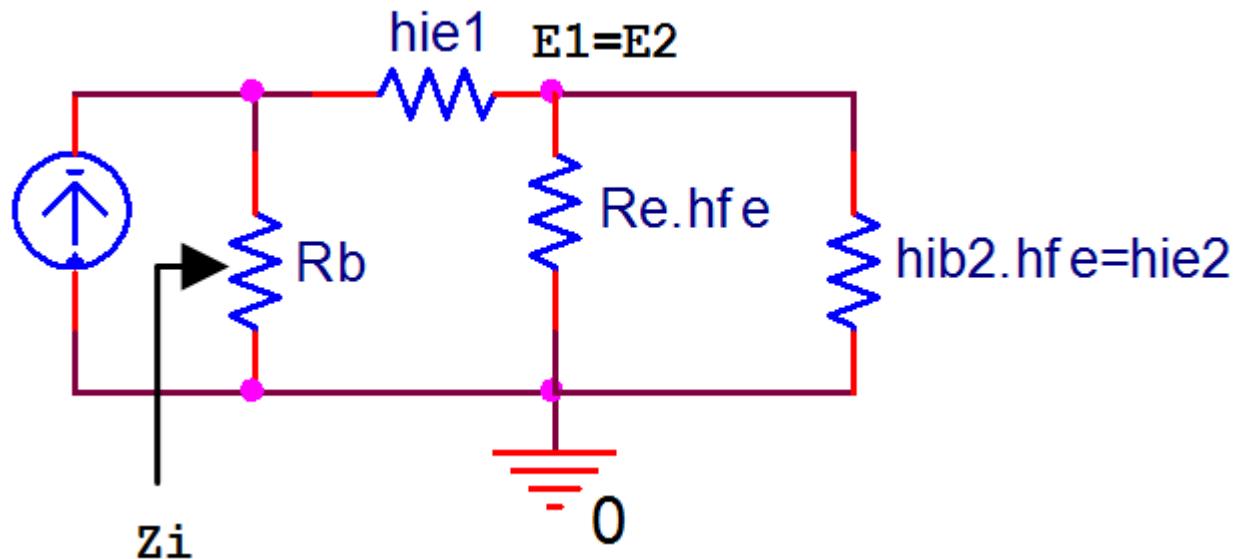
$$Z_i = \frac{R_b}{2} / \left( \frac{h_{ie}}{2} + R_e h_{fe} \right)$$

$$\left. \begin{aligned} R_e h_{fe} &>> \frac{h_{ie}}{2} \\ R_e h_{fe} &>> \frac{R_b}{2} \end{aligned} \right\} Z_i = \frac{R_b}{2}$$

# Amplificador Diferencial.

*Impedancia de entrada*

*Entrada Asimetrica*



$$Z_i = R_b // \left[ h_{ie} + \left( h_{ie} // R_e h_{fe} \right) \right]$$

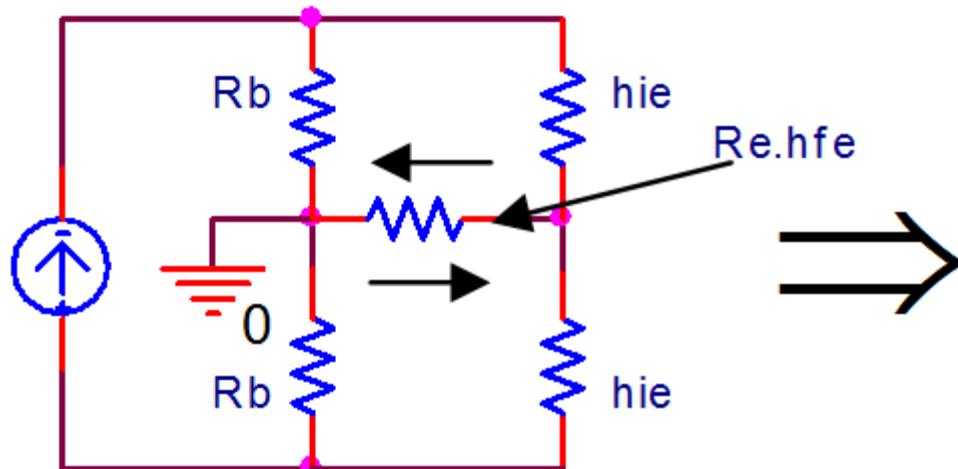
$$\text{Si: } R_e h_{fe} \gg h_{ie} \Rightarrow Z_i = R_b // 2h_{ie}$$

$$\text{Si: } 2h_{ie} \ll R_b \Rightarrow Z_i = 2h_{ie}$$

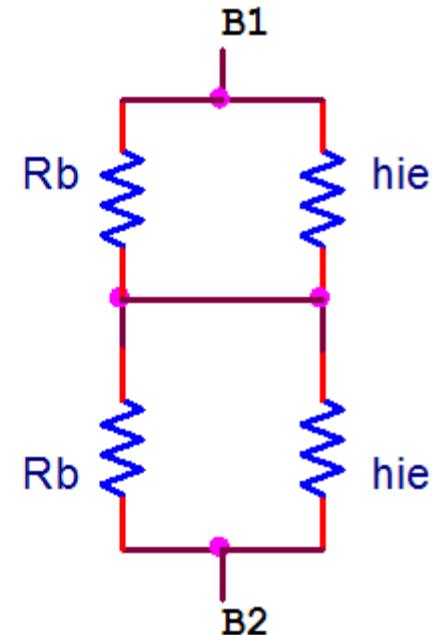
# Amplificador Diferencial.

*Impedancia de entrada*

*Entrada diferencial*



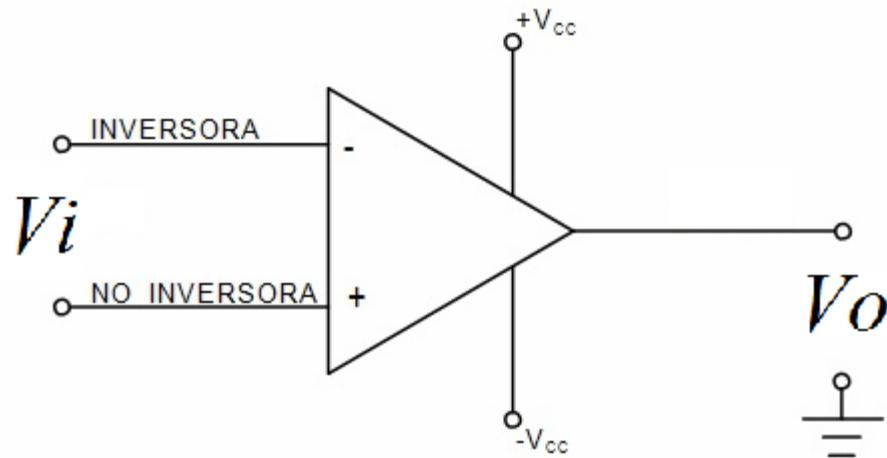
$$V_{R_e} = 0$$



$$Z_i = 2(R_b // h_{ie})$$

# El Amplificador Operacional.

Realiza operaciones matemáticas analógicas, se lo encuentra como un circuito integrado.

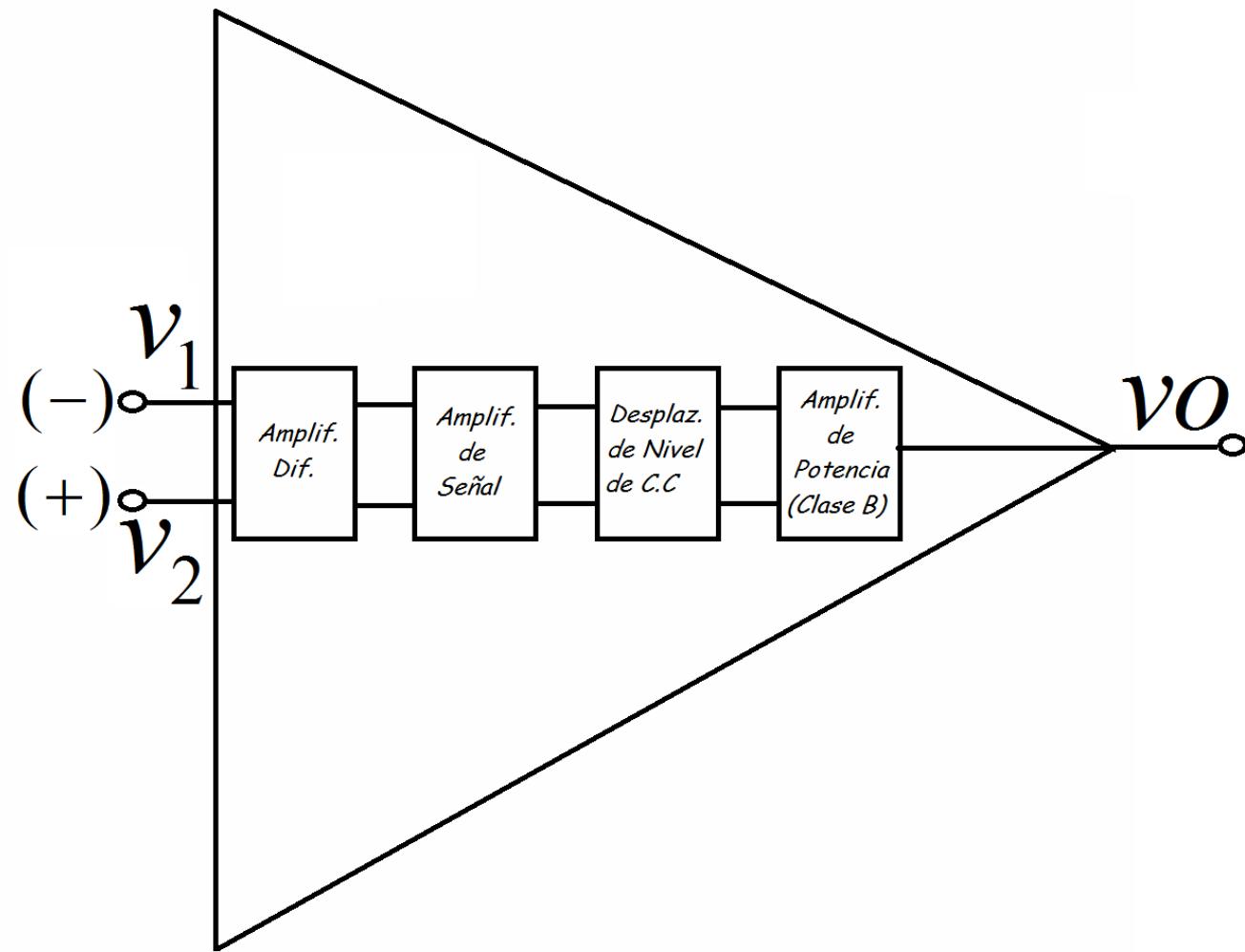


Por la entrada inversora si se introduce una señal, a la salida saldrá invertida.

La tensión entre los terminales de entrada es *v<sub>i</sub>* y la salida es *v<sub>o</sub>*.

# El Amplificador Operacional.

CIRCUITO INTERNO:



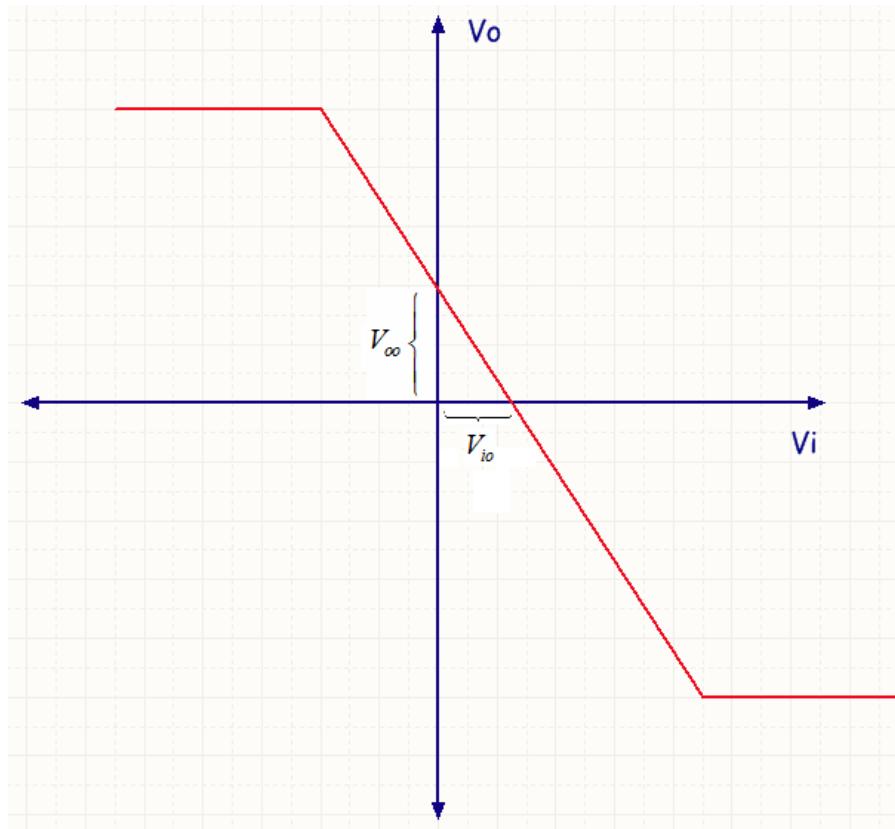
# El Amplificador Operacional.

## CARACTERÍSTICAS IDEALES:

- Ganancia de tensión infinita.
- Ancho de banda infinito.
- Impedancia de entrada infinita.
- RRMC infinita.
- Impedancia de salida nula.
- Ruido nulo.
- Corriente de polarizacion nula.
- Tiempo Crecimiento nulo

# El Amplificador Operacional.

- Tensión de offset nulo (es la tensión de salida para cuando la entrada es cero, se denomina  $V_{oo}$ ).
- Voltaje de entrada de offset, es la tensión que hay en la entrada cuando la tensión a la salida es cero, se denomina  $V_{io}$ .



# El Amplificador Operacional.

*El corto circuito virtual se basa en:*

$$Z_i = \infty$$

$$A_V = \infty$$

*Si suponemos:*

$$v_o \neq 0$$

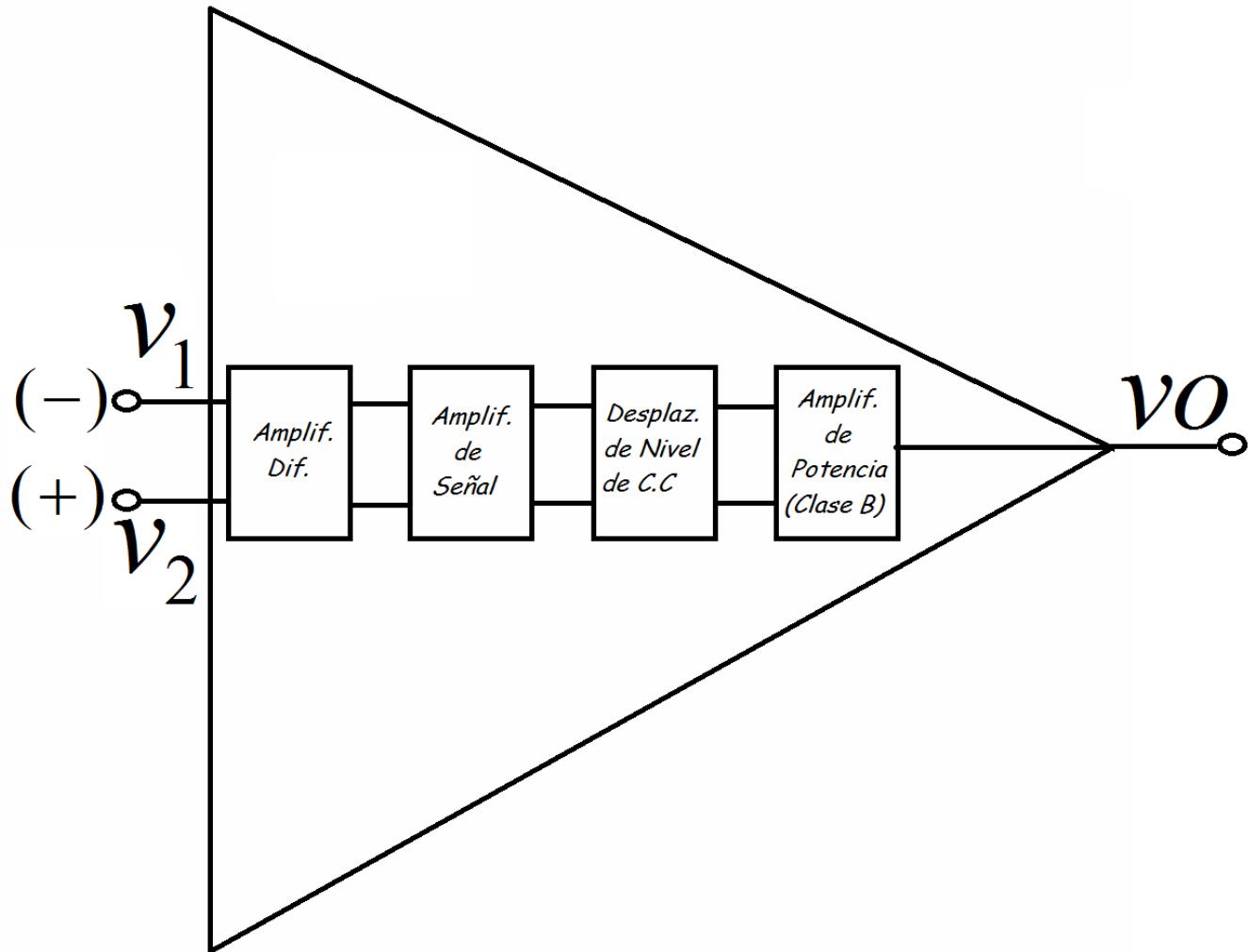
$$A_V = \frac{v_o}{v_i}$$

$$v_i = \frac{v_o}{A_V} = \frac{v_0}{\infty} = 0$$

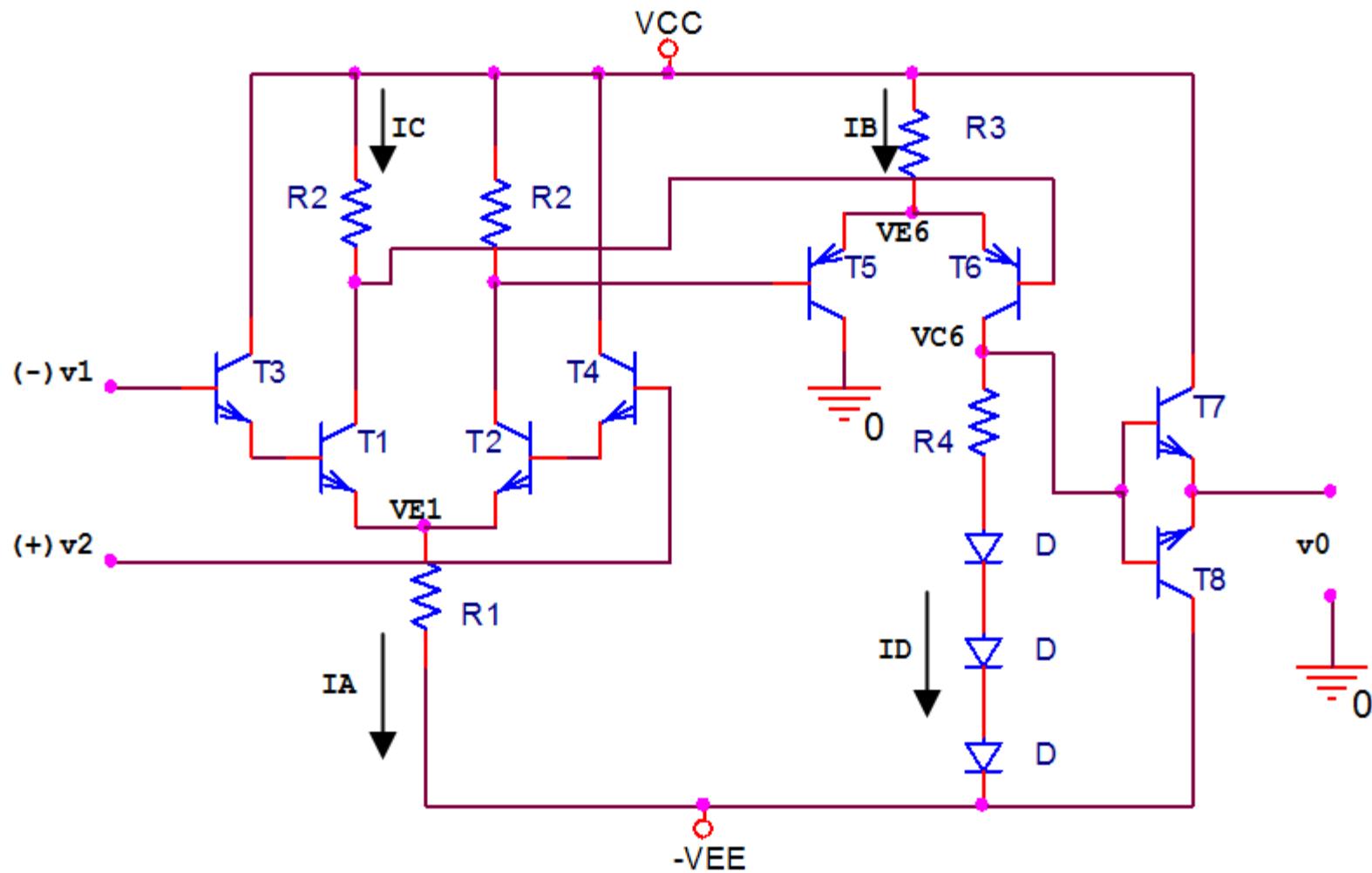
# El Amplificador Operacional.

- La ganancia de voltaje infinita es a lazo abierto.
- Si ponemos un voltaje en una entrada, en la otra entrada tenemos la misma tensión.
- La tensión de ambas entradas es la misma debido a que tenemos una alta impedancia de entrada.
- Si en un terminal, hay masa, en el otro hay masa virtual, ya que si fuera real su corriente se iría directamente a masa.

# El Amplificador Operacional.



# Estructura interna del Amplificador Operacional.



Le agregamos un par Darlington para aumentar la impedancia de entrada.  
Buscamos la relacion de resistencia para que las salida sea cero.

# Estructura interna del Amplificador Operacional.

$$\left. \begin{array}{l} v_1 = 0 \\ v_2 = 0 \end{array} \right\} v_o = 0 \quad \left| \begin{array}{l} I_b \ll I_C \cong I_E \\ V_{BE} = V_D \\ V_{CC} = V_{EE} \end{array} \right.$$

$$V_{E_1} = -2V_D$$

$$I_A = \frac{V_{EE} - 2V_D}{R_1} = 2I_C$$

$$I_C = \frac{I_A}{2} = \frac{V_{EE} - 2V_D}{2R_1}$$

$$V_{C_1} = V_{CC} - I_C R_2 = V_{CC} - \frac{V_{EE}}{2R_1} R_2 + \frac{\cancel{2}V_D}{\cancel{2}R_1} R_2$$

$$V_{E_6} = V_{CC} - \frac{V_{EE}}{2R_1} R_2 + \frac{R_2}{R_1} V_D + V_D$$

# Estructura interna del Amplificador Operacional.

$$I_B = \frac{V_{CC} - V_{E_6}}{R_3} = \frac{V_{CC}}{R_3} - \frac{V_{CC}}{R_3} + V_{EE} \frac{R_2}{2R_1 R_3} - \frac{R_2}{R_1 R_3} V_D - \frac{V_D}{R_3}$$

$$I_{C_6} = \frac{I_B}{2} = \frac{R_2}{2R_1 2R_3} V_{EE} - \frac{R_2 V_D}{2R_1 R_3} - \frac{V_D}{2R_3} = \frac{R_2}{2R_1 2R_3} V_{EE} - \frac{V_D}{2R_3} \left( \frac{R_2}{R_1} + 1 \right)$$

$$V_{C_6} = I_{C_6} R_4 + 3V_D - V_{EE} = \frac{R_2 R_4}{2R_1 2R_3} V_{EE} - \frac{R_4}{2R_3} \frac{R_2 + R_1}{R_1} V_D + 3V_D - V_{EE} = V_0 = 0$$

Sacamos factor común:

$$V_{C_6} = V_{EE} \left[ \frac{R_2 R_4}{2R_1 2R_3} - 1 \right] + V_D \left[ -\frac{R_2 R_4}{2R_1 R_3} - \frac{R_4}{2R_3} + 3 \right] = 0$$

[ ] = [ ] = 0 (nos independizamos de  $V_{EE}$  y  $V_D$ )

$$\left. \begin{array}{l} \frac{R_2 R_4}{4R_1 R_3} = 1 \\ \frac{R_2 R_4}{2R_1 R_3} + \frac{R_4}{2R_3} = 3 \end{array} \right\} \text{Deben cumplirse estas dos condiciones.}$$

# Estructura interna del Amplificador Operacional.

$$Si: h_{fe} = 100$$

$$R_3 = R_1 = 5K\Omega$$

$$R_4 = R_2 = 10K\Omega$$

$$\frac{R_2 R_4}{4R_1 R_3} = 1$$

$$\frac{10K\Omega \times 10K\Omega}{4 \times 5K\Omega \times 5K\Omega} = 1$$

$$\frac{100K\Omega}{100K\Omega} = 1$$

$$1 = 1$$

$$\frac{R_2 R_4}{2R_1 R_3} + \frac{R_4}{2R_3} = 3$$

$$\frac{10K\Omega \times 10K\Omega}{2 \times 5K\Omega \times 5K\Omega} + \frac{10K\Omega}{2 \times 5K\Omega} = 3$$

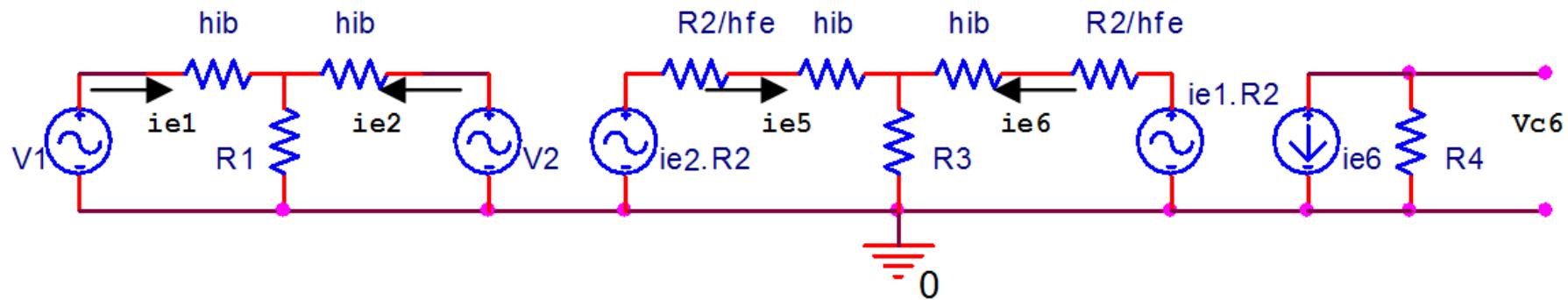
$$\frac{100K\Omega}{50K\Omega} + \frac{10K\Omega}{10K\Omega} = 3$$

$$2+1=3$$

$$3=3$$

# Estructura interna del Amplificador Operacional.

- Circuito Equivalente para C.A.



- No consideramos en el circuito híbrido al par Darlington, debido a que no dan ganancia al circuito.
- Despreciamos en el híbrido las resistencias dinámicas de los diodos, debido a que  $R_4$  es mucho mayor.

# Estructura interna del Amplificador Operacional.

$$v_c = \frac{v_1 + v_2}{2} \quad i_{e_1} = \frac{v_c}{2R_1 + h_{ib}} - \frac{v_d}{2h_{ib_1}}$$

$$v_d = v_2 - v_1 \quad i_{e_1} = \frac{v_c}{2R_1 + h_{ib}} - \frac{v_d}{2h_{ib_1}}$$

$$\frac{i_{e_1} + i_{e_2}}{2} = \frac{\cancel{v_c}}{2R_1 + h_{ib}} \frac{1}{\cancel{2}} = \frac{v_c}{2R_1 + h_{ib}}$$

$$i_{e_2} - i_{e_1} = \frac{2v_d}{2h_{ib}} = \frac{v_d}{h_{ib}}$$

$$v'_c = \left( \frac{i_{e_1} + i_{e_2}}{2} \right) R_2 = \frac{v_c R_2}{2R_1 + h_{ib}}$$

$$v'_d = (i_{e_1} - i_{e_2}) R_2 = \frac{v_d R_2}{h_{ib}}$$

$$v'_c - \frac{v'_d}{2} = \frac{v_c R_2}{2R_1 + h_{ib}} - \frac{v_d R_2}{2h_{ib}}$$

$$v'_c + \frac{v'_d}{2} = \frac{v_c R_2}{2R_1 + h_{ib}} + \frac{v_d R_2}{2h_{ib}}$$

# Estructura interna del Amplificador Operacional.

Nos interesa sacar  $i_{e_6}$ :

$$i_{e_6} = i_{e_{6c}} + i_{e_{6d}} = \frac{R_2 \times v_c}{2R_1 + h_{ib}} \frac{1}{2R_3 + h_{ib_6} + \frac{R_2}{h_{fe}}} + \frac{R_2 \times v_d}{h_{ib_1}} \frac{1}{2 \left( h_{ib_6} + \frac{R_2}{h_{fe}} \right)}$$

$$v_o \cong v_{c_6} = i_{e_6} R_4 = \underbrace{\frac{R_2 R_4}{\left( 2R_1 + h_{ib_1} \right) \left( 2R_3 + h_{ib_6} + \frac{R_2}{h_{fe}} \right)}}_{A_c} v_c + \underbrace{\frac{R_2 R_4}{2h_{ib_1} \left( h_{ib_6} + \frac{R_2}{h_{fe}} \right)}}_{A_d} v_d$$

$$v_0 = A_c v_c + A_d v_d$$

$$RRMC = \frac{A_d}{A_c} = \frac{\left( 2R_1 + h_{ib_1} \right) \left( 2R_3 + h_{ib_6} + \frac{R_2}{h_{fe}} \right)}{2h_{ib_1} \left( h_{ib_6} + \frac{R_2}{h_{fe}} \right)}$$

# Estructura interna del Amplificador Operacional

Si:  $h_{fe} = 100$

$$R_3 = R_1 = 5K\Omega$$

$$R_4 = R_2 = 10K\Omega$$

$$V_{CC} = V_{EE} = 12V$$

$$V_D = V_{BE} = 0.7V$$

Reemplazamos en las y nos da:

$$I_A = 2.25mA \quad V_{C_1} = 0.7V \quad V_{C_6} = 0$$

$$I_{C_1} = 1.13mA \quad V_{E_6} = 1.4V \quad h_{ie_6} = 2.35K\Omega$$

$$h_{ie_1} = 2.21K\Omega \quad I_B = 2.12mA \quad h_{ib_6} = 0.023K\Omega$$

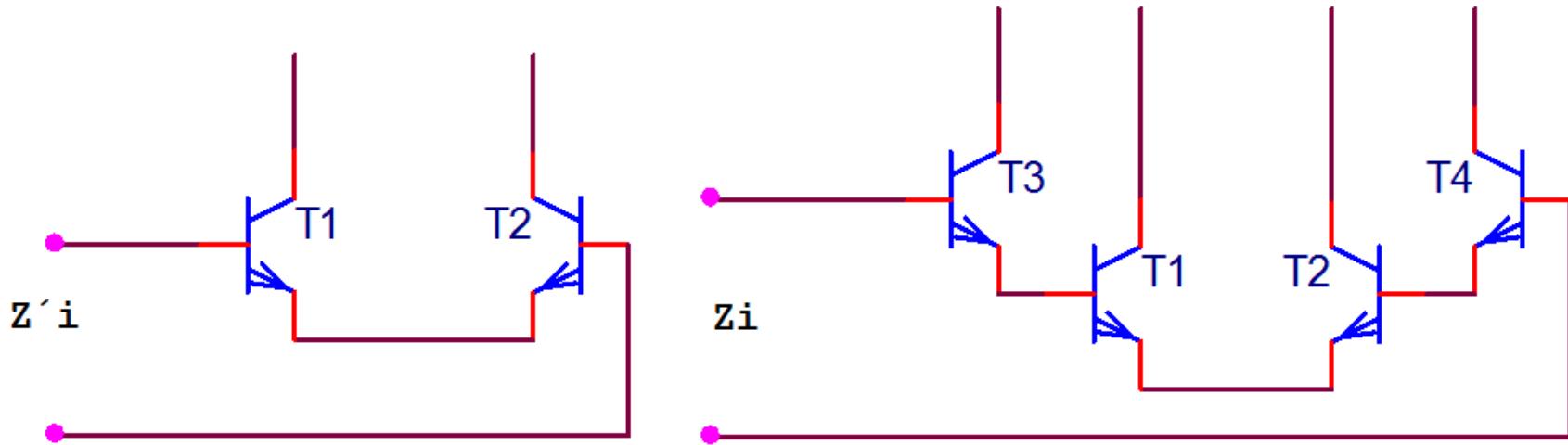
$$h_{ib_1} = 0.0221K\Omega \quad I_{C_6} = 1.06mA$$

Con estos datos la RRMC es igual a 18745,  
en decibeles, la  $RRMC = 20\log 18745 = 85dB$

# Estructura interna del Amplificador Operacional.

- Impedancia de entrada:

Vemos la diferencia en la impedancia de entrada de entrada al agregar el par Darlington.



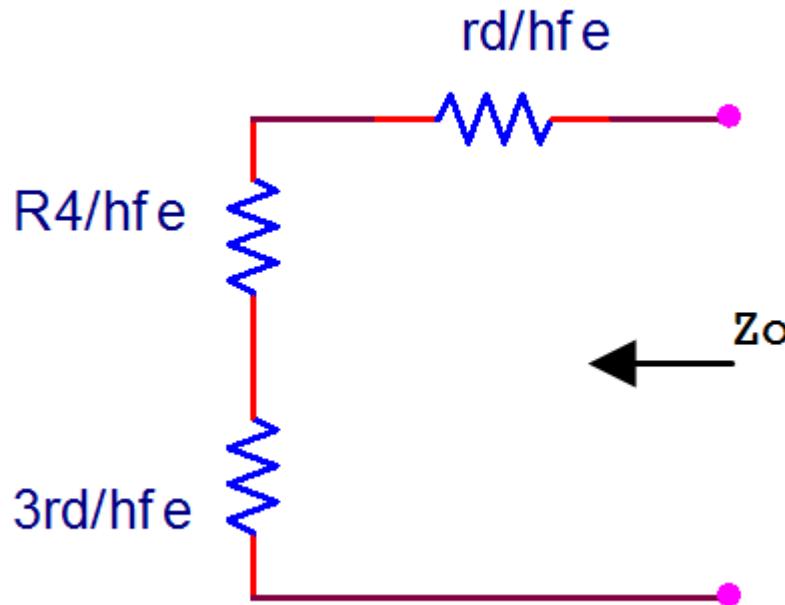
$$Z'_i = 2h_{ie} \approx 4.42K$$

$$Z_i = 2h_{ie_3} + 2h_{ie_1}h_{fe} = 4h_{ie_3} = 4h_{ie_1}h_{fe} = 2 \times 4.42K\Omega \times 100 = 884K\Omega$$

Con el par Darlington logramos aumentar 200 veces la impedancia de entrada.

# Estructura interna del Amplificador Operacional.

- Impedancia de salida:



$$Z_o = \frac{R_4}{h_{fe}} + \frac{4r_d}{h_{fe}} \cong \frac{R_4}{h_{fe}} = \frac{10K}{100} = 100\Omega$$

La impedancia de salida varia normalmente entre 80 y 200 Ohms