

6.16)

- a.  $EMP\_WORKS10 \leftarrow (EMPLOYEE \bowtie_{Ssn=Essn} (\sigma_{Hours > 10}(WORKS\_ON)))$   
 $EMP\_WORKS10\_PRODX \leftarrow (\sigma_{Pname='ProductX'}(PROJECT)) \bowtie_{Pnumber=Pno}(EMP\_WORKS10)$   
 $RESULT \leftarrow (\pi_{Fname,Lname}(\sigma_{Dno=5}(EMP\_WORKS10\_PRODX)))$

| Fname | Lname   |
|-------|---------|
| John  | Smith   |
| Joyce | English |

- b.  $EMP\_W\_DEP \leftarrow (EMPLOYEE \bowtie_{Ssn=Essn}(DEPENDENT))$   
 $RESULT \leftarrow (\pi_{Fname,Lname}(\sigma_{Fname=Dependent\_name}(EMP\_W\_DEP)))$

| Fname | Lname |
|-------|-------|
|       |       |

- c.  $WONG\_SSN \leftarrow \pi_{Ssn}(\sigma_{Fname='Franklin',Lname='Wong'}(EMPLOYEE))$   
 $RESULT \leftarrow \pi_{Fname,Lname}(EMPLOYEE \bowtie_{Superssn=Ssn}(WONG\_SSN))$

| Fname  | Lname   |
|--------|---------|
| John   | Smith   |
| Ramesh | Narayan |
| Joyce  | English |

- d.  $PROJ\_SUM\_HOURS \leftarrow \rho_{R(Pno,Total\_hours)}(Pno \bowtie_{SUM\ Hours}(WORKS\_ON))$   
 $RESULT \leftarrow \pi_{Pname,Total\_hours}(PROJ\_SUM\_HOURS \bowtie_{Pnumber=Pno}(PROJECT))$

| Pname           | Total_hours |
|-----------------|-------------|
| ProductX        | 52.5        |
| ProductY        | 37.5        |
| ProductZ        | 50.0        |
| Computerization | 55.0        |
| Reorganization  | 25.0        |
| Newbenefits     | 55.0        |

- e.  $EMP\_PNOS \leftarrow \rho_{R(Pno,Ssn)}(\pi_{Pno,Essn}(WORKS\_ON))$   
 $ALL\_PNOS \leftarrow \rho_{R(Pno)}(\pi_{Pnumber}(PROJECT))$   
 $EMP\_ALL\_PNOS \leftarrow EMP\_PNOS \div ALL\_PNOS$   
 $RESULT \leftarrow \pi_{Fname,Lname}(EMP\_ALL\_PNOS * EMPLOYEE)$

| Fname | Lname |
|-------|-------|
|       |       |

- f.  $EMPS \leftarrow \pi_{Ssn}(EMPLOYEE)$   
 $EMPS\_WORK \leftarrow \rho_{R(Ssn)}(\pi_{Essn}(WORKS\_ON))$   
 $RESULT \leftarrow \pi_{Fname,Lname}(EMPLOYEE * (EMPS - EMPS\_WORK))$

| Fname | Lname |
|-------|-------|
|       |       |

- g.  $DEPT\_AVG \leftarrow \rho_{R(Dnumber, Avg\_sal)}(\mathfrak{S}_{AVG\ Salary}(EMPLOYEE))$   
 $RESULT \leftarrow \pi_{Dname, Avg\_sal}(DEPARTMENT * DEPT\_AVG)$

| Dname          | Avg_sal |
|----------------|---------|
| Research       | 33250   |
| Administration | 31000   |
| Headquarters   | 55000   |

- h.  $RESULT \leftarrow \rho_{R(Avg\_sal)}(\mathfrak{S}_{AVG\ Salary}(\sigma_{Sex='F'} EMPLOYEE))$

| Avg_sal |
|---------|
| 31000   |

- i.  $HOUSTON\_PROJ \leftarrow \rho_{R(Pname, Pno, Plocation, Dnum)}(\sigma_{Plocation='Houston'}(PROJECT))$   
 $EMP\_HOUSTON\_PROJ \leftarrow \rho_{R(Ssn)}(\pi_{Essn}(WORKS\_ON * HOUSTON\_PROJ))$   
 $DEPT\_NOT\_HOUSTON \leftarrow \rho_{R(Dno)}(\pi_{Dnumber}(\sigma_{Dlocation \neq 'Houston'}(DEPARTMENT)))$   
 $EMP\_NOT\_HOUSTON \leftarrow \pi_{Ssn}(EMPLOYEE * DEPT\_NOT\_HOUSTON)$   
 $RESULT \leftarrow \pi_{Fname, Lname, Address}(EMPLOYEE * (EMP\_HOUSTON\_PROJ - EMP\_NOT\_HOUSTON))$

| Fname    | Lname   | Address                 |
|----------|---------|-------------------------|
| Jennifer | Wallace | 291 Berry, Bellaire, TX |

- j.  $DEPT\_MANG \leftarrow \rho_{R(Ssn)}(\pi_{Mgrssn}(DEPARTMENT))$   
 $EMP\_W\_DEP \leftarrow \rho_{R(Ssn)}(\pi_{Essn}(DEPENDENT))$   
 $RESULT \leftarrow \pi_{Fname, Lname}(EMPLOYEE * (DEPT\_MANG - EMP\_W\_DEP))$

| Fname | Lname |
|-------|-------|
| James | Borg  |

6.17)

- a)  $DEPART \leftarrow \rho_{Flight\_number}(\mathfrak{S}_{MIN\ Leg\_number}(FLIGHT\_LEG))$   
 $ARRIVE \leftarrow \rho_{Flight\_number}(\mathfrak{S}_{MAX\ Leg\_number}(FLIGHT\_LEG))$   
 $DEPART\_AIRPORT \leftarrow \pi_{Flight\_number, Departure\_airport\_code}(DEPART * FLIGHT\_LEG)$   
 $ARRIVE\_AIRPORT \leftarrow \pi_{Flight\_number, Arrival\_airport\_code}(ARRIVE * FLIGHT\_LEG)$   
 $RESULT \leftarrow (DEPART * ARRIVE)$
- b)  $DEPART\_HOUSTON \leftarrow \sigma_{Departure\_airport\_code='IAH'}(FLIGHT\_LEG)$   
 $ARRIVE\_LA \leftarrow \sigma_{Arrival\_airport\_code='LAX'}(FLIGHT\_LEG)$   
 $RESULT \leftarrow \pi_{Flight\_number, Weekdays}(FLIGHT * (DEPART\_HOUSTON * ARRIVE\_LA))$
- c)  $DEPART\_HOUSTON \leftarrow \sigma_{Departure\_airport\_code='IAH'}(FLIGHT\_LEG)$   
 $ARRIVE\_LA \leftarrow \sigma_{Arrival\_airport\_code='LAX'}(FLIGHT\_LEG)$   
 $RESULT \leftarrow \pi_{Flight\_number, Departure\_airport\_code, Scheduled\_departure\_time, Arrival\_airport\_code, Scheduled\_arrival\_time, Weekdays}(FLIGHT * (DEPART\_HOUSTON * ARRIVE\_LA))$
- d)  $RESULT \leftarrow \sigma_{Flight\_number='C0197'}(FARE)$

e)  $RESULT \leftarrow \pi_{\text{Number\_of\_available\_seats}}(\sigma_{\text{Flight\_number}='C0197' \text{ AND Date}='2009-10-09'}(LEG\_INSTANCE))$

6.18)

- a)  $LOST\_TRIBE \leftarrow \sigma_{\text{Title}='The Lost Tribe'}(BOOK)$   
 $SHARPSTOWN \leftarrow \sigma_{\text{Branch\_name}='Sharpstown'}(LIBRARY\_BRANCH)$   
 $RESULT \leftarrow \pi_{\text{No\_of\_copies}}((LOST\_TRIBE * BOOK\_COPIES) * SHARPSTOWN)$
- b)  $LOST\_TRIBE \leftarrow \sigma_{\text{Title}='The Lost Tribe'}(BOOK)$   
 $RESULT \leftarrow \pi_{\text{Title, Brance\_name, No\_of\_copies}}((LOST\_TRIBE * BOOK\_COPIES) * LIBRARY\_BRANCH)$
- c)  $LOANED \leftarrow \pi_{\text{Card\_no}}(BOOK\_LOANS)$   
 $MEMBERS \leftarrow \pi_{\text{Card\_no}}(BORROWER)$   
 $RESULT \leftarrow \pi_{\text{Name}}(BORROWER * (MEMBERS - LOANED))$

This relational algebra is assuming that you can sign-up to be a borrower but not have borrowed a book and that after books are returned the entry is removed from BOOK\_LOAN.

- d)  $SHARPSTOWN \leftarrow \sigma_{\text{Branch\_name}='Sharpstown'}(LIBRARY\_BRANCH)$   
 $DUE\_TODAY \leftarrow \sigma_{\text{Due\_date}='2017-03-22'}(BOOK\_LOANS)$   
 $DUE\_TODAY\_SHARPSTOWN \leftarrow ((SHARPSTOWN * DUE\_TODAY) * BOOK)$   
 $RESULT \leftarrow \pi_{\text{Title, Name, Address}}(DUE\_TODAY\_SHARPSTOWN * BORROWER)$

This relational algebra is using today's actual date (03/22/2017) as the Due\_date of today and the date format is assumed from 6.17) e).

- e)  $LOAN\_COUNT \leftarrow \rho_{R(\text{Branch\_id, Loan\_count})}(\text{Branch\_id} \bowtie \text{COUNT Book\_id}(BOOK\_LOANS))$   
 $RESULT \leftarrow \pi_{\text{Branch\_name, Loan\_count}}(LOAN\_COUNT * LIBRARY\_BRANCH)$
- f)  $LOAN\_COUNT \leftarrow \rho_{R(\text{Card\_no, Loan\_count})}(\text{Card\_no} \bowtie \text{COUNT Book\_id}(BOOK\_LOANS))$   
 $LOAN\_COUNT\_5 \leftarrow \sigma_{\text{Loan\_count} > 5}(LOAN\_COUNT)$   
 $RESULT \leftarrow \pi_{\text{Name, Address, Loan\_count}}(BORROWER * LOAN\_COUNT\_5)$
- g)  $CENTRAL \leftarrow \sigma_{\text{Branch\_name}='Central'}(LIBRARY\_BRANCH)$   
 $KING \leftarrow \sigma_{\text{Author\_name}='Stephen King'}(BOOK\_AUTHORS)$   
 $KING\_BOOKS \leftarrow KING * BOOK$   
 $RESULT \leftarrow \pi_{\text{Title, No\_of\_copies}}((BOOK\_COPIES * CENTRAL) * KING\_BOOKS)$

6.21)

- a)  $SMITH \leftarrow \pi_{\text{Ssn}}(\sigma_{\text{Name}='John Smith'}(STUDENT))$   
 $SMITH\_COURSES \leftarrow SMITH * ENROLL$   
 $SMITH\_COURSE\_COUNT \leftarrow \rho_{R(\text{Quarter, Course\_count})}(\text{Quarter} \bowtie \text{COUNT Course\#}(SMITH\_COURSES))$   
 $RESULT \leftarrow \pi_{\text{Course\_count}}(\sigma_{\text{Quarter}='W09'}(SMITH\_COURSE\_COUNT))$
- b)  $CS\_COURSES \leftarrow \sigma_{\text{Dept}='CS'}(COURSE)$   
 $CS\_COURSES\_BOOKS \leftarrow ((CS\_COURSES * BOOK\_ADOPTION) * TEXT)$   
 $CS\_BOOKS\_COUNT \leftarrow \rho_{R(\text{Course\#, Book\_title, Book\_Count})}(\text{Course\#, Book\_title} \bowtie \text{COUNT Book\_isbn}(CS\_COURSES\_BOOKS))$   
 $CS\_BOOKS\_COUNT\_INFO \leftarrow CS\_BOOKS\_COUNT * TEXT$   
 $RESULT \leftarrow \pi_{\text{Course\#, Book\_isbn, Book\_title}}(\sigma_{\text{Book\_count} > 2}(CS\_BOOKS\_COUNT\_INFO))$

- c)  $\text{NOT\_PEARSON} \leftarrow \sigma_{\text{Publisher} \neq \text{'Pearson Publishing'}}(\text{TEXT})$   
 $\text{NOT\_PEARSON\_DEPT} \leftarrow \pi_{\text{Dept}}((\text{PEARSON} * \text{BOOK\_ADOPTION}) * \text{COURSE})$   
 $\text{ALL\_DEPT} \leftarrow \pi_{\text{Dept}}(\text{BOOK\_ADOPTION} * \text{COURSE})$   
 $\text{RESULT} \leftarrow \text{ALL\_DEPT} - \text{NOT\_PEARSON\_DEPT}$

6.23)

- a)  $\text{JANE} \leftarrow \sigma_{\text{Name} = \text{'Jane Doe'}}(\text{SALESPERSON})$   
 $\text{RESULT} \leftarrow \pi_{\text{Serial\#,Manufacturer,Sale\_price}}((\text{JANE} * \text{SALE}) * \text{CAR})$
- b)  $\text{CAR\_W\_OPTIONS} \leftarrow \pi_{\text{Serial\#,Model}}(\text{CAR} * \text{OPTION})$   
 $\text{ALL\_CARS} \leftarrow \pi_{\text{Serial\#,Model}}(\text{CAR})$   
 $\text{RESULT} \leftarrow \text{ALL\_CARS} - \text{CAR\_W\_OPTIONS}$
- c) The left outer join ( $\text{SALESPERSON} \bowtie \text{SALE}$ ) will result in any SALESPERSON that didn't make a sale to be padded for Serial\_no, Date, Sale\_price.

EXAMPLE:

| Salesperson_id | Name       | Phone      | Serial_no | Date       | Sale_price |
|----------------|------------|------------|-----------|------------|------------|
| 1              | John Smith | 4445556666 | 01        | 2016-04-10 | 30000      |
| 2              | Jane Doe   | 2223334444 | NULL      | NULL       | NULL       |

- d)  $\text{SALESPERSON\_SALE} \leftarrow \pi_{\text{Serial\_no}}(\text{SALESPERSON} * \text{SALE})$   
 $\text{CAR\_W\_OPTIONS} \leftarrow \pi_{\text{Serial\_no}}(\text{CAR} * \text{OPTION})$   
 $\text{RESULT} \leftarrow \text{SALESPERSON\_SALE} \cap \text{CAR\_W\_OPTIONS}$

English: List all the Cars that were sold that had options.

6.32)

- A.  $\text{RESULT} \leftarrow \pi_{\text{Fname,Lname}}(\sigma_{\text{Dno} = \text{MAX Salary}(\text{EMPLOYEE})}(\pi_{\text{Dno}}(\sigma_{\text{Salary} = \text{MAX Salary}(\text{EMPLOYEE})}(\text{EMPLOYEE}))))$
- B.  $\text{RESULT} \leftarrow \pi_{\text{Fname,Lname}}(\sigma_{\text{Superssn} = \text{SSN}(\sigma_{\text{Superssn} = \text{'888665555'}}(\text{EMPLOYEE}))}(\text{EMPLOYEE}))$
- C.  $\text{RESULT} \leftarrow \pi_{\text{Fname,Lname}}(\sigma_{\text{Salary} \geq 1000 + \text{MIN Salary}(\text{EMPLOYEE})}(\pi_{\text{Salary}}(\sigma_{\text{Salary} = \text{MIN Salary}(\text{EMPLOYEE})}(\text{EMPLOYEE}))))$