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## Rubin Observatory's Survey Strategy Performance for Tidal Disruption Events

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#### Abstract

Tidal disruption events (TDEs) are rare transients, which are considered as promising tools for probing supermassive black holes in quiescent galaxies. The majority of the  $\approx$ 60 known TDEs have been discovered with time-domain surveys in the last two decades. Currently,  $\approx$ 10 TDEs are discovered per year, and this number will increase with the Legacy Survey of Space and Time (LSST) at the Rubin Observatory. This work evaluates LSST survey strategies in view of their performance in identifying TDEs. We assume that TDEs can be identified photometrically based on their colors, particularly in the u band, and will be scientifically useful if we can detect the light-curve peak to derive physical quantities. We define the requirements for the Rubin light curves that are needed to achieve this (detections prepeak, postpeak, and in different bands to measure color). We then inject model light curves into the Operations Simulator and calculate the fractions of TDEs passing our requirements for several strategies. We find that under the baseline strategy,  $\approx$ 1.5% of simulated TDEs fulfill our detection criteria, while this number increases when more time is devoted to u-band observations. An ideal observing strategy for the photometric identification of TDEs would have longer u-band exposures, which should not come at the expense of fewer u-band visits. A filter distribution weighted toward more observing time in bluer bands, intranight visits in different filters, and strategies with frequent sampling leading to higher-quality light curves are preferred. We find that these strategies benefiting TDE science do not impact significantly other science cases.

Unified Astronomy Thesaurus concepts: Tidal disruption (1696); Surveys (1671); Black holes (162)

### 1. Introduction

Tidal disruption events (TDEs) are relatively rare transients (~100 Gpc<sup>-3</sup> yr<sup>-1</sup>; van Velzen 2018; Stone et al. 2020), which occur when a star is tidally disrupted by a supermassive black hole (SMBH), causing a bright flare of light from the nucleus of a galaxy that may be otherwise quiescent (Rees 1988; Evans & Kochanek 1989). Their observed emission depends on parameters such as the black hole mass and spin, the stellar mass, radius, and structure, and the pericenter distance of the encounter (e.g., Kochanek 1994; Gomboc & Cadez 2005; Guillochon & Ramirez-Ruiz 2013; Mockler et al. 2019). TDEs hence offer a unique opportunity to measure the masses and spins of dormant SMBHs and to probe stellar populations and dynamics in galactic centers.

A few dozen TDEs have been observed to date, with the majority discovered by wide-field optical surveys in the past decade (see van Velzen et al. 2020; Gezari 2021, for recent reviews). TDE light curves tend to show a rise on a timescale of a month, followed by a decay from peak that is often consistent with  $t^{-5/3}$ , as expected from bound matter returning toward the SMBH, and a late-time power-law decline consistent with accretion disk emission. However, several TDEs with faster rising and fading times that deviate from the  $t^{-5/3}$  decline have also been found. The peak UV/optical absolute magnitudes cluster around -20 mag, but TDEs generally sample a couple of orders of magnitude spread in peak luminosity. Another

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characteristic typical of TDEs is their blue color, indicating high blackbody temperatures ( $T_{\rm BB} \approx 2 \times 10^4$  K).

Many uncertainties remain in our understanding of TDEs. While the X-ray emission detected in some TDEs can be explained by an accretion disk, our knowledge about the origin of the UV/optical emission is incomplete. It has been suggested that the UV/optical light originates either from a reprocessing layer, where X-ray photons from the disk are reprocessed and reemitted at longer wavelengths (e.g., Guillochon & Ramirez-Ruiz 2013; Roth et al. 2016), or from shocks caused by stream-stream collisions (e.g., Piran et al. 2015; Bonnerot et al. 2017), or from some combination of both effects (Lu & Bonnerot 2020). To get a more complete picture of TDEs, we need a larger sample, and early detections during the phase in which the complicated debris geometry is still forming. Currently, we are discovering TDEs at a rate of  $\sim$ 10 per year, mostly with wide-field optical surveys, such as, for example, the All-Sky Automated Survey for Supernovae (Shappee et al. 2014), the Asteroid Terrestrial-impact Last Alert System (Tonry et al. 2018), and the Zwicky Transient Facility (Bellm et al. 2019).

The upcoming optical Legacy Survey of Space and Time (LSST) at the Vera C. Rubin Observatory (Rubin; Ivezić et al. 2019) will be one of the most important projects in ground-based optical astronomy in the next decade. Its goal is to conduct a 10 yr long survey to map  $18,000 \, \text{deg}^2$  of the sky and observe billions of astronomical objects. One of the key scientific areas the LSST will explore is the observation of the transient sky. With its combination of a wide field and deep imaging, relatively fast cadence (on the order of  $\sim 3 \, \text{days}$ ), and real-time data analysis, the LSST will provide a unique

opportunity for discovering tens of thousands of new transients every night.

We expect that the Rubin LSST will detect  $\sim \! 1000$  TDEs per year (van Velzen et al. 2011; Bricman & Gomboc 2020). This will enable statistical studies of SMBH masses, accretion efficiency, and TDE rates as a function of redshift and host galaxy type, etc. To make this possible, however, TDEs will need to be identified from the much larger sample of transients observed by Rubin (e.g., the supernova, or SN, rate is  $\sim \! 1000$  times higher).

Some transients can act as TDE impostors (Zabludoff et al. 2021): they exhibit similar properties in their light curves, e.g., similar rise times or prepeak optical colors (such as Type Ia SNe) or can be mistaken for TDEs due to their location in the host galaxy (mainly active galactic nucleus, or AGN, flares). Current classification methods for distinguishing between SNe, AGNs, and TDEs rely on spectroscopic observation, however, spectra will not be available for the majority of faint events detected by the Rubin LSST. Thus, a reliable photometric identification will be required for the majority of TDEs.

In comparison to more common transient types, such as SNe and AGNs, TDEs differ most markedly in their color evolution. They are bluer (g-r<0, u-g<0) and tend to remain blue for months after the peak (e.g., van Velzen et al. 2011, 2020; Hung et al. 2017). For photometric identification with Rubin, it will be essential that the observed light curves have sufficient multiband coverage to allow color evolution measurements, especially in bluer bands (u, g, r). We emphasize that observations in u band are crucial to discern between SNe and TDEs—SNe populate the u-g range between 0 mag and 2 mag, while TDEs are found to have a mean u-g color in the decay phase between -0.5 and 0 (van Velzen et al. 2011).

The exact observing strategy of the Rubin LSST survey has not yet been selected. Some baseline properties of the observing strategy are determined, but many parameters of the strategy are relatively open and can be tuned appropriately to maximize the scientific output of the survey. To satisfy the scientific requirements of the survey (see Ivezić et al. 2019 and Bianco et al. 2022 for details), the LSST will continuously monitor an area of approximately 18,000 deg<sup>2</sup> of the sky and each field in the sky will be visited about 800 times in all six bands (u, g, r, i, z, and y) together over the 10 yr of survey duration, with a mean cadence between 3 and 4 days (in any of the filters). The Rubin LSST project has simulated a variety of proposed observing strategies, which address the modifications to this so-called baseline scanning law of the telescope. These strategies modify a variety of survey parameters, such as the footprint definition, the time devoted for observations in a certain filter, the exposure time per visit, and the time difference between two subsequent observations of the same field in the sky, etc. The strategies are simulated using the Operations Simulator (Delgado et al. 2014) and its outputs are analyzed and visualized with the Metrics Analysis Framework (MAF; Jones et al. 2014).

As discussed in the opening of this focus issue (Bianco et al. 2022), the observing strategy decision is largely inclusive of community input. As members of the LSST Transient and Variable Stars Science Collaboration, we explore how different parameters of the survey strategy impact the observations of TDEs with Rubin and the possibility of their photometric identification based on the colors measured from the multiband light curves. In this work, we use recent<sup>6</sup> observing strategy

simulations from feature-based scheduled (FBS) v1.5 and v1.7 survey strategy releases and develop new MAF-generated TDEspop metrics to evaluate the performance of different strategies for TDEs and to assess which parameters of the observing strategy impact TDE observations most significantly. At this stage of the process toward the observing strategy decision, the metrics have to be relatively simple, such that they can be executed efficiently for many different survey strategies. A full investigation into the efficiency and purity of machine-learning methods for transient classification is not possible at this stage (e.g., this would require retraining the classifiers for each survey strategy). Such an investigation is currently ongoing—but only for the baseline v2.1 cadence—in the ELAsTiCC<sup>7</sup> challenge.

This paper is organized as follows. In Section 2, we describe the methods we used to construct the TDEspop metrics. In Section 3, we present the outputs of the metric, discuss our results, and highlight which parameters of the observing strategy impact the TDE observations with Rubin the most. Finally, we provide our conclusions in Section 4.

#### 2. Methods

The survey strategy simulations in this cadence note are evaluated with the MAF TDEspop family of metrics (described in Section 2.3), which is available in the GitHub repository in the sims\_maf\_contrib. The metrics take as an input a sample of light curves (at different redshifts) and the TDE rate.

## 2.1. Input TDE Light Curves

The TDEspop metric takes as an input a set of TDE light curves. We obtained the light curves of two known events, PS1-10jh (Gezari et al. 2012) and iPTF16fnl (Blagorodnova et al. 2017). PS1-10jh is considered to be a normal TDE with typical temporal evolution, with a rise e-folding time of ≈30 days and a decay consistent with a power-law index of  $\approx -1.5$ . The characteristic decay timescale for PS1-10jh was ≈42 days (van Velzen et al. 2019) and its peak absolute magnitude in g band -19.6 mag. iPTF16fnl, on the other hand, is the dimmest and the fastest-evolving TDE observed so far, with a rise e-folding time of  $\approx 10$  days, a decay consistent with a power-law index of  $\approx -2.1$ , and a characteristic decay timescale of ≈22 days (van Velzen et al. 2019). Its peak absolute magnitude in g band was -17.2 mag. These two events are good representatives of a normal and a faster TDE (peak luminosities and decay rates for several TDEs were also reported in Hinkle et al. 2020).

To produce continuously sampled light curves in the Rubin LSST filters, we first fitted publicly available observational data of both events with the Modular Open Source Fitter for Transients (MOSFiT; Guillochon et al. 2018). The fitting process returns a set of parameters of the event (e.g., black hole mass and impact parameter, etc.), which are given in Table 1 and are in line with results from Mockler et al. (2019) and Nicholl et al. (2022). We then use MOSFiT again to generate mock light curves of both events in the LSST ugrizy bands, using the parameters obtained in the previous step. The light curves were generated at three different redshifts—z = 0.05,

 $<sup>^{6}</sup>$  At the time when most of the work for the papers in this focus issue was performed.

https://portal.nersc.gov/cfs/lsst/DESC\_TD\_PUBLIC/ELASTICC/

https://github.com/LSST-nonproject/sims\_maf\_contrib

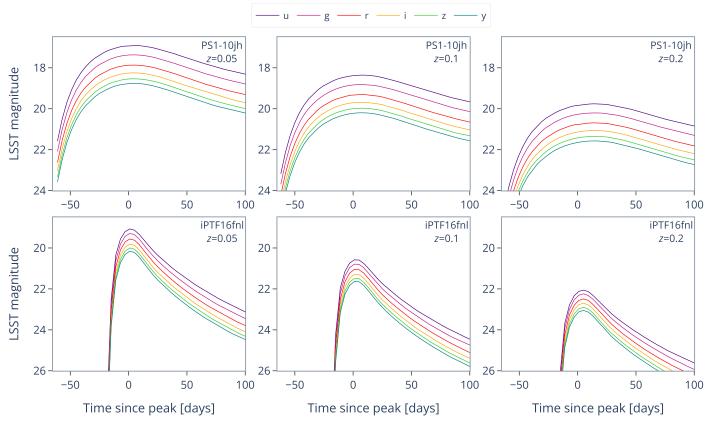


Figure 1. Sample input TDE light curves for the TDEs\_pop metric. Rubin LSST magnitudes are plotted for PS1-10jh (top panels) and iPTF16fnl (bottom panels), at redshifts of z = 0.05 (left), z = 0.1 (center), and z = 0.2 (right). The LSST single-epoch flux limit in the r band is  $\approx 24.5$ . As such, each of these light curves can in principle be detected for a few months.

Table 1
The Parameters Obtained in MOSFiT Fits to PS1-10jh and iPTF16fnl Light Curves and Used for the Generation of Sample Input TDE Light Curves

Parameter	PS1-10jh	iPTF16fnl
Black hole mass $M_{\rm BH}$ [ $10^6 M_{\odot}$ ]	17	1.7
Stellar mass $M_*$ [ $M_{\odot}$ ]	0.4	0.1
Scaled impact parameter b	0.997	1
Impact parameter $\beta$	0.899	1.85
Viscous delay $T_{\text{viscous}}$ [days]	0.08	0.04
Efficiency $\eta$	0.09	0.007
Days since the first detection $t_{firstfallback}$ [days]	-12	0
Photosphere power-law exponent l	1.44	1.7
Normalization photospheric radius $R_{\text{ph,0}}$	6.3	10.0

z = 0.1, and z = 0.2—and a *K*-correction was applied during the generation process. The continuously sampled light curves of both events in LSST filters are shown in Figure 1.

## 2.2. TDE Rates

TDEs in our metric were distributed uniformly over the sky and over 10 yr of survey duration, with a rate of  $\approx$ three TDEs per day. We also chose uniformly between both events (PS1-10jh and iPTF16fnl) and placed TDEs uniformly in all three redshift bins ( $z=0.05,\ 0.1,\$ and 0.2). The assumed rate is conservative when compared to the rates reported in Bricman & Gomboc (2020), where the authors assumed the TDE rate per galaxy per year was  $10^{-5}$  (as shown in van Velzen et al. 2011 and Holoien et al. 2016) and found that between 10 and 20 TDEs could be observed per day. Furthermore, the TDE rate

assumed in this work is even more conservative, since recent estimates show that, after accounting for the steep slope of the TDE optical luminosity function, the TDE rate is actually closer to  $10^{-4}$  galaxy<sup>-1</sup> yr<sup>-1</sup> (e.g., Hung et al. 2017; van Velzen 2018). The sources with a low optical luminosity (such as iPTF16fnl) dominate the volumetric rate, while for a fluxlimited sample (such as detected in the LSST), the observed rate as a function of luminosity is roughly constant (van Velzen 2018). However, our goal here is not to accurately predict the absolute number of TDEs observed by Rubin, but to evaluate the scientific performance of Rubin for TDE studies, including the quality of the light curves for identifying and understanding the detected TDEs. The output of the metric is in any case the fraction of injected TDEs that pass our criteria (defined in Section 2.3), and this fraction is not influenced by the order of magnitude difference between the per galaxy rates reported above.

## 2.3. Metrics

TDE observations with the Rubin LSST are synthesized with MAF for a given observing strategy and the simulated light curves are analyzed to determine what fractions of events meet each of three identification criteria. The criteria for the number of detections in a certain time interval of the light curve listed here represent different levels of scientific utility of Rubin data. In each of them, we assume that a TDE is identified if the following minimum requirements are met:

 prepeak: there are at least two detections before the peak of the light curve;

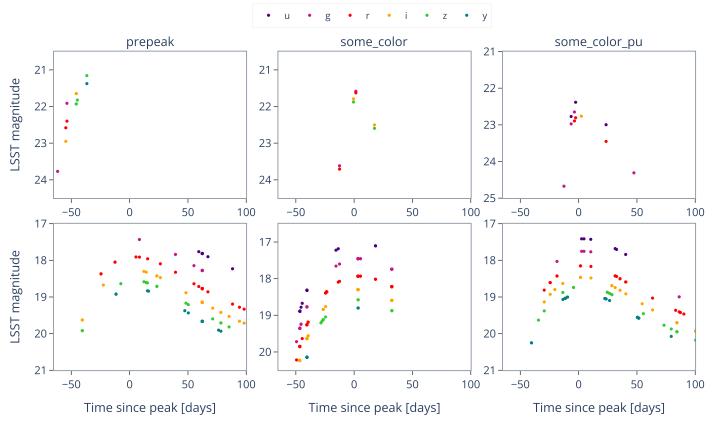


Figure 2. Recovered TDE light curves simulated with the observing strategy baseline\_nexp2\_v1.7\_10yrs. Each column shows two examples of light curves, which passed the metric requirements of the prepeak (left), some\_color (center), and some\_color\_pu (right) metrics. The upper row shows the "worst" light curve of all the recovered light curves, with the lowest light-curve quality score (i.e., the number of data points in a time interval between 30 days before and 100 days after the peak), while the bottom row shows the "best" example, with the highest light-curve quality score. For example, the light-curve quality scores of the "bad" light curve detected with the some\_color\_pu metric is 0.085, with an average time interval between two observations of 23 days, while the light-curve quality score of the "good" TDE detected with the some\_color\_pu metric is 0.67, with an average time between two subsequent observations of 3 days.

- 2. some\_color: there is at least one detection prepeak  $(t < t_{\text{peak}} 10 \text{ days})$ , at least three detections in at least three different filters within 10 days of the peak, and at least two detections in at least two different filters between 10 and 30 days after the peak;
- 3. some\_color\_pu: there is at least one detection prepeak  $(t < t_{\text{peak}} 10 \text{ days})$ , at least one detection in u band and at least one detection in another filter within 10 days of the peak, and at least one detection in u band and at least one detection in another filter between 10 and 30 days after the peak.

The prepeak metric simply reflects how many TDEs are observed before the peak. Detecting events prepeak is crucial for fitting light-curve models to derive physical quantities. However, light curves passing only this metric (and not the other two metrics) are typically sampled quite sparsely (see the upper-left panel of Figure 2) and are not particularly useful for photometric identification. Nevertheless, we include it here for illustrative purposes.

Light curves passing the some\_color and some\_color\_pu metric requirements should, on the other hand, be more suitable for the photometric identification of TDEs. The color metrics defined above require a data point at  $t < t_{\rm peak} - 10$  days, which is important for accurately determining the peak time of the light curve, the peak magnitude, and the rise to peak timescale. The requirement to determine the

peak time to within 10 days is the bare minimum for a reliable estimate of the black hole mass. From Kepler's law, the most bound debris returns to pericenter on a timescale  $t=1/\sqrt{2}\,\pi(GM_*/R_*^3)^{-1/2}(M_{\rm BH}/M_*)^{1/2}$ , which to first order determines the rise time of the light curve. Thus, for a typical black hole of  $10^6\,M_\odot$ , an uncertainty of 10 days in peak time corresponds to an uncertainty in mass of  $5\times10^5\,M_\odot$ , i.e., 50%. Detections between 10 and 30 days after peak will allow a measurement of the rate of fading, a proxy for the fallback rate that also encodes the mass of the star and impact parameter (Guillochon & Ramirez-Ruiz 2013).

The additional requirements in the some\_color metric allow for sufficient measurement of the color evolution of the event during the early phase of the light curve (e.g., within  $\sim$ 1 month after the first observation). TDEs show almost no change in g-r color during this phase, whereas SNe redden by  $\approx$ 0.01–0.04 mag per day (see van Velzen et al. 2021, Figure 1). Although studied mainly in g-r to date, the lack of color evolution in TDEs is true for arbitrary bands, as it relates to the lack of photospheric temperature evolution (SNe cool down, whereas TDEs do not). A transient with apparent magnitude  $m\approx$  24 (23) is detected by Rubin with an uncertainty of  $\sim$ 0.04 (0.02) mag in each band. If the color is measured between observations  $\sim$ 5 days apart, a change in color of  $g-r\sim$ 0.02 (the average for an SN, discriminating it from a TDE) is detected with a signal-to-noise ratio of  $\approx$ 2 (4).

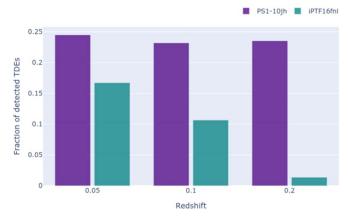
The most relevant set of requirements is encompassed by the some\_color\_pu metric, which in addition to measuring the color evolution and event properties, is also sensitive to *u*-band observations. As discussed earlier, these will be crucial for the photometric recognition of TDEs, since a sufficient number of observations in bluer bands should allow for a TDE identification based on Rubin photometric data only. A caveat of this metric, however, is that it is very sensitive to detections in *u* band at certain and limited intervals of time after the peak of the light curve. Due to this requirement, some bright events might not pass the metric, although we could expect that they would be recognized otherwise simply due to their brightness and longer duration.

For each set of identification requirements, the output metric values (i.e., the fraction of identified TDEs) is calculated for each observing strategy and for each field in the sky. The median over all metric values (i.e., over all visited fields in the sky) serves as a parameter for evaluating the performance of a certain observing strategy. The higher its value, the better a particular survey strategy is for identifying TDEs.

There are two additional metrics we constructed—the socalled TDEQuality metrics, which measure the light-curve quality of identified TDEs. To each TDE passing the some\_color or some\_color\_pu requirements, separately, we assign a "score," accounting for how well a light curve is sampled. If the TDE does not meet the color requirements set by our two original metrics, the score is automatically 0. If it does pass the color metric, then we count the number of detected data points in the light curve. The number of data points is then divided by a user-defined time interval, in which it is specifically important for parameter extraction, modelfitting, and interpolation purposes that the light curves are covered well. By default, this time interval is defined as -30days  $< t_{\text{peak}} < 100$  days (which includes most detection baselines above the flux limit; see Figure 1). Since the LSST's design by default takes visits in a pair to the same given field on the sky in the same night, this means that if the light-curve quality score is equal to 1, then the TDE is, on average, observed every second night. Lower scores mean that the cadence is more sparse, and higher scores mean that the TDE is observed more often than every other night, e.g., a TDE within one of the Deep Drilling Fields (DDFs, which are observed more often than every other night) can have a score higher than 1. The scores of all TDEs that passed the color requirements are then averaged over the whole survey footprint and survey duration, resulting in one number, which is an estimate for how well the light curves are covered for a certain observing strategy. Most of the resulting values for different observing strategies lie between 0 and 1. Individual TDEs with lightcurve quality scores higher than 1 are rare and do not significantly affect the final average over all TDEs.

#### 3. Results and Discussion

The TDEspop metrics can, in general, generate three outputs: (i) the recovered light curves of events simulated with a certain observing strategy; (ii) the fraction of input TDEs that satisfied the metric requirements; and (iii) the light-curve quality score averaged over TDEs that passed one of the color metrics. In the following sections, we present our results on the metric outputs and comment on which survey strategy parameters impact the Rubin TDE performance the most. Particular emphases are given to the changes of survey strategy



**Figure 3.** Fraction of TDEs passing the some\_color metrics in the baseline\_nexp2\_v1.7\_10yrs observing strategy by their type ("fast and faint" TDE or iPTF16fnl and "normal" TDE or PSI-10jh) and redshift.

parameters, which were presented in the Cadence Notes (see Bianco et al. 2022 for more details).

## 3.1. Recovered Light Curves

Figure 2 shows six examples of recovered TDE light curves, simulated with the baseline observing strategy baseline\_nexp2\_v1.7\_10yrs. We show two light curves for each of the TDEspop metrics: prepeak, some\_color, and some\_color\_pu. The light curve in the upper panel is an example of a "worst" candidate, and the light curve in the bottom panel represents the "best" TDE. The majority of light curves passing the prepeak metric are sparsely sampled and close to the worst-case light curve, while prepeak TDEs that are sampled more frequently usually also pass (one of) the color metrics.

From Figure 2, it is important to note that a TDE passing the basic metric requirements listed above still might not be sufficient for identification, due to sparse sampling of the light curve. However, with the bare minimum requirements, we should be able to measure the color of the transient. The color information could be very useful in making decisions about triggering follow-up observations.

To fully exploit the Rubin data, on the other hand, light curves such as those in the bottom panels of Figure 2 are far more useful. Not only would these events be photometrically classified earlier, they are also very well sampled, which is important for the model-fitting approach of extracting parameters.

## 3.2. Fraction of Identified TDEs by TDE Type and Redshift

Our input light curves represent two TDEs types: a "fast and faint" TDE (iPTF16fnl) and a "normal" TDE (PS1-10jh), placed at three different redshifts. In Figure 3, we show the fraction of TDEs that passed the <code>some\_color</code> metric in the "main survey" (the Wide-Fast-Deep, or WFD, fields) of the <code>baseline\_nexp2\_v1.7\_10yrs</code> observing strategy (i.e., TDEs "detected" by this metric) by their type and redshift. We show the fraction of detected TDEs compared to all detected TDEs (both types and all redshifts), since the absolute numbers are less useful for comparison purposes with other metrics.

The "normal" TDE type (PS1-10jh) has approximately the same number of detected candidates at each redshift applied. The "fast and faint" TDE type (iPTF16fnl) has the highest number of detected candidates at the closest redshift, and their

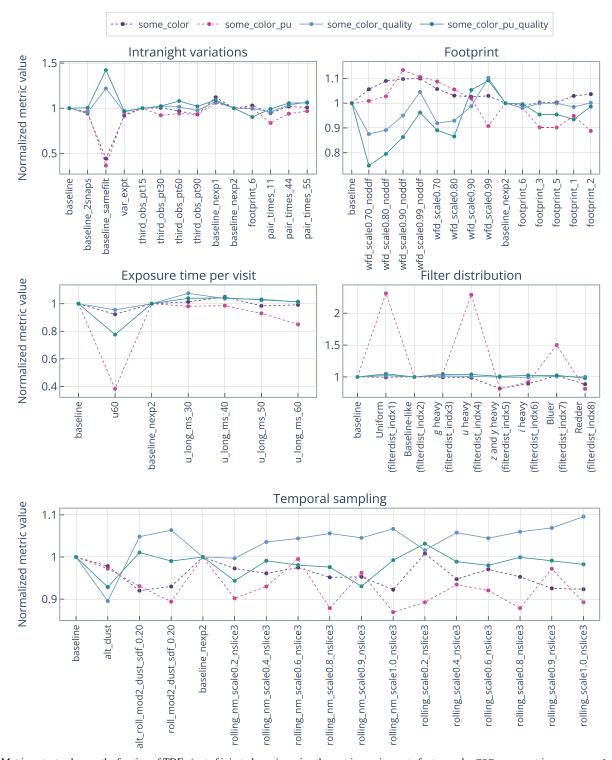


Figure 4. Metric output values or the fraction of TDEs (out of injected ones) passing the metric requirements for two-color TDEspop metrics: some\_color (purple), some\_color\_pu (pink), and the quality metric output for the some\_color\_quality (blue) and some\_color\_pu\_quality (green) metrics are shown for a variety of observing strategies. We show results for survey strategy simulations that are part of the FBS v1.5 (baseline, var\_expt, third\_obs, wfd\_scale, footprint, u60, alt, roll\_mod2) and FBS v1.7 (baseline\_nexp, pair\_times, footprint1-8, u\_long, rolling) releases. The metric outputs are normalized to the baseline observing strategy of the corresponding survey strategy release. The lines connecting the values of each metric are shown for representative purposes only and do not imply any trend from one strategy to another.

number rapidly decreases with larger redshift. This implies that normal events are expected to be more easily identified at all three redshifts, while the majority of the sample of the detected faster events will constitute events at lower redshifts. The distribution shown in Figure 3 looks similar if instead of the some\_color\_pu metric is used.

## 3.3. Fraction of Identified TDEs and Quality of Their Light Curves

Figure 4 shows the metric outputs, or the fraction of input TDEs that satisfied the metric requirements, for the TDEspop color metrics some\_color and some\_color\_pu. We do

Metric	baseline Observing Strategy <sup>a</sup>
some_color metric value	0.075
some_color_quality metric value	0.37
Average internight cadence for some color TDEs	5.4 days
some_color_pu metric value	0.015
some_color_pu_quality metric value	0.4
Average internight cadence for some color_pu TDEs	5 days

Note. The metric values (i.e., the fractions of TDEs passing the metric requirements) of both color metrics (some\_color and some\_color\_pu), the light-curve quality scores (i.e., the some\_color\_quality and some\_color\_pu\_quality metric values), and the average internight cadence for identified TDEs with both color metrics are reported for the baseline observing strategy.

<sup>a</sup> The FBS v1.5 baseline strategy is named baseline in Figure 4 and the FBS v1.7 baseline strategy is named baseline\_nexp2 in Figure 4. The metric values for both baselines are similar.

not include results for the prepeak metric, since, as mentioned above, light curves passing this metric are not particularly useful for photometric identification. We also show results for the quality metrics <code>some\_color\_quality</code> and <code>some\_color\_pu\_quality</code>. The metric values are shown for a variety of observing strategies, in which different survey parameters are changed with respect to the baseline. We sample several strategies from the survey strategy simulation releases of FBS v1.5 and FBS v1.7. For comparison purposes, we chose a subset of survey strategies presented in Jones et al. (2020). More information about each individual survey strategy shown in Figure 4 can be found in the Appendix.

The metric values are normalized to the corresponding baseline strategy of the same simulation release, in order to assess how changing a certain strategy parameter impacts the fraction of detected TDEs and the quality of the light curves with respect to the baseline strategy.

The fraction of TDEs satisfying each of the metric requirements can also be linked to the number of TDEs satisfying certain metric requirements per year (since the input is always 1000 per year), while the light-curve quality score is related to the mean time interval between two subsequent observations in the light curve (or the internight cadence). For the baseline observing strategy, we report the metric values together with the fractions of TDEs passing each metric requirement, the light-curve quality scores, and the internight cadence in Table 2.

## 3.3.1. Intranight Cadence Variations

The upper-left panel of Figure 4 shows results for simulations varying the intranight cadence. By default, two visits are obtained per night per field in two different filters separated by 22 minutes. The intranight variations address the impact of either having a visit composed of  $2 \times 15$  s exposures or  $1 \times 30$  s exposure (baseline, baseline\_2snaps, baseline\_nexp1, baseline\_nexp2), performing both visits to a given field in the sky in the same filter (baseline\_samefilt), adding an additional visit to the field during the night (third obs), or separating the two

visits per field by different time intervals (from 11 to 55 minutes in pair\_times).

We find that the effect of adding the third visit or separating the two visits for more/less than 22 minutes generally reduces the efficiency of TDE detection. The baselines with  $2\times15\,\mathrm{s}$  exposures are generally performing worse, since the total number of visits per field is reduced when compared to the  $1\times30\,\mathrm{s}$  baseline strategies (due to a 2 s readout time between the two exposures). Performing both visits to a given field in the sky in the same filter severely decreases the metric values of both color TDE metrics. The cadence of the baseline\_samefilt strategy is too low to provide two pairs of visits in 10 days around the peak, in different filters, which severely reduces our ability to measure the color of the event in the most important part of the light curve.

Here, we would also like to make the point that pairs of visits in the same night are not strictly necessary for light-curve classification for "slow" transients such as TDEs. While it is useful to measure a color from a pair of observations in different filters in a single night, it is also possible to measure the color from a model that fits the light curve in those particular filters as a function of time. Another possibility is to train machine-learning classification to work with nonsimultaneous flux measurements in different filters. Strict pairs are therefore not necessary, but observations in different bands do need to be close in time to avoid excessive extrapolation. For TDEs, getting two observations in different filters in two to five nights would be acceptable. We showed in Section 2.3 that observations within  $\approx 5$  days are sufficient to measure the color evolution that separates SNe from TDEs. However, if observations in different filters are too widely separated in time, evolution in luminosity can be confused for evolution in color. One can mitigate this by fitting models to the light curve, though we then need to worry about extrapolation errors. If observations in different filters are separated by N days, an extrapolation error of ≈0.01 mag per day becomes a magnitude error of  $0.01\sqrt{N}$ , which exceeds the average color evolution per day of an SN after ≈5 days. With such relatively loose limits on the time range between two observations in different filters, our metric allows for more flexibility than many other metrics, which require visits in different filters to be taken within the same night.

The light-curve quality is similarly not affected much by the intranight changes. The peak of the light-curve quality score for baseline\_samefilt is due to the smaller overall number of TDEs detected: among them, there is a larger fraction of TDEs in DDFs (which are visited more often and give better sampled light curves), which leads to a higher score (>1). However, the coverage of TDEs outside DDFs remains approximately the same.

## 3.3.2. Survey Footprint Variations

The upper-right panel of Figure 4 shows results for simulations varying the footprint of the survey. Typically, the survey footprint of the baseline strategies is ≈18,000 deg², where 90% of the time is devoted to WFD observations. The wfd\_scale family devotes from 70% to 99% of the observing time to the main WFD survey, while the rest is devoted to mini-surveys. If DDFs are included, they are allocated 5% of the available survey time. The footprint family of strategies explores the effects of extending the WFD area beyond the baseline strategy footprint (simulations

footprint\_1, footprint\_3, footprint\_5, and footprint\_6), including high-dust-extinction regions. The number of visits to a given field in the sky drops by  $\approx 10\%$  in these simulations. Strategy footprint\_2 has a reduced WFD area with respect to baseline.

The metric values of our color metrics are typically slightly higher when compared to the baseline, if more time is devoted to WFD observations and there are no DDFs observed, since the total number of visits to a given field in the sky is increased. The effect of a larger WFD is not reflected in our TDE color metrics, since they only measure the fraction of TDEs that satisfy the minimum identification requirements.

The changes in the light-curve quality are more apparent if the footprint or time devoted to WFD observations is changed. The light-curve quality increases if more time is devoted to WFD observations. The light-curve quality score decreases if the WFD area is increased, and it has a similar value to the baseline value if the WFD area is reduced.

We expect that a smaller footprint would still be more beneficial, since it would provide denser sampling of the light curves, which would enable observations of structures in the light curves (that might be missed otherwise), discoveries of fast-evolving TDEs, and a more accurate determination of their physical parameters (such as black hole mass and stellar mass, etc.).

According to estimates of the current system performance, there might be additional observing time (as much as 10% of the survey time) available for visits to mini-surveys and DDFs or for other scientific use. We stress that more time for DDFs or mini-surveys would not necessarily benefit transient science, unless the mini-surveys are especially dedicated to transient searches, such as, for example, multimessenger target of opportunity observations. The best use of this extra 10% of time is to skew the filter weights more toward the blue end. As shown in Figure 19 of Jones et al. (2020), reproduced below (Figure 6), there is an enormous increased return for transient science by adding more weight to the blue end. This is most clearly seen in the TDE metric, but the SN Ia metric also shows a positive response, albeit with smaller amplitude (this could reflect the fact that this metric is optimized for detections, but not for photometric typing). Finally, we note that based on the investigation of photometric typing efficiency by Villar et al. (2018), we can be certain that bluer weighting also helps in identifying—and, crucially, inferring physical parameters for transients that are not included in the current metrics, in particular superluminous SNe. This is also likely true of the emerging class of "rapidly evolving" or "fast, blue" transients (Drout et al. 2014; Margutti et al. 2019).

#### 3.3.3. U-band Exposure Time

Since FBS v1.7, a visit in the baseline observing strategy is defined as  $2 \times 15$  s exposures (in previous simulation runs, the default visit consisted of  $1 \times 30$  s exposure).  $2 \times 15$  s exposures are more efficient at detecting cosmic rays and the rapid variability of objects and will be adopted by the survey at least in the commissioning phase. A possible exception for this visit definition is the u band, for which the combination of the camera readout noise and the low sky background argues for longer exposures. Changing the u-band exposure time to  $1 \times 50$  s exposure would result in 0.5 mag deeper limiting magnitudes, which would improve the photometric redshift and

Table 3
Fraction of Observing Time Allocated per Filter in filterdist (indx1-8)
Survey Strategy Simulations

Strategy	и	g	r	i	z	у
Uniform (indx1)	0.16	0.16	0.16	0.17	0.17	0.18
Baseline-like (indx2)	0.06	0.09	0.22	0.22	0.20	0.20
g-heavy (indx3)	0.06	0.19	0.20	0.19	0.18	0.18
u-heavy (indx4)	0.16	0.09	0.19	0.19	0.18	0.18
z- and y-heavy (indx5)	0.05	0.07	0.17	0.17	0.26	0.26
<i>i</i> -heavy (indx6)	0.06	0.08	0.20	0.29	0.18	0.18
Bluer (indx7)	0.09	0.12	0.20	0.20	0.18	0.19
Redder (indx8)	0.06	0.08	0.20	0.22	0.21	0.22

photometric metallicity measurements, as well as transient classification.

The center-left panel of Figure 4 shows results for varying the *u*-band exposure time due to readout noise. The baseline assumes  $1 \times 30 \, \mathrm{s}$  exposure in *u* band, while the baseline\_nexp2 assumes  $2 \times 15 \, \mathrm{s}$  exposures. The u\_long simulations increase the exposure time in *u* band from  $1 \times 30 \, \mathrm{s}$  to  $1 \times 60 \, \mathrm{s}$ , while retaining a similar number of visits to a field in *u* band. The u60 simulations have a  $1 \times 60 \, \mathrm{s}$  exposure, but cut the number of *u*-band observations in half.

The effects of changing the *u*-band exposure time on the some\_color metric are minor, but they become more obvious in the case of the some\_color\_pu metric, which is by definition very sensitive to the number of visits in *u* band. Because for longer *u*-band exposure times, the overall number of visits in *u* band is reduced, this affects the some\_color\_pu metric values. The metric values are particularly low for u60 simulation, due to a significantly lower number of total *u*-band visits.

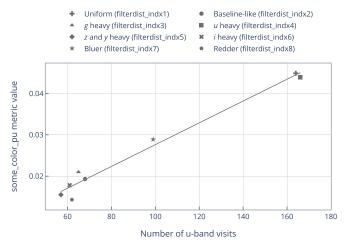
The light-curve quality is not particularly affected by the *u*-band exposure time. The minimum for the <code>some\_color\_-pu\_quality</code> is not attributed to the light-curve coverage, but rather again to a small sample of TDEs that passed the <code>some\_color\_pu</code> metric requirements.

We stress here that in order to reduce the effect of the *u*-band readout noise, it is beneficial to increase the *u*-band exposure time, but for transient identification purposes the number of *u*-band visits should be kept the same.

## 3.3.4. Filter Distribution among Visits

The center-right panel of Figure 4 shows the results for changing the filter distribution among visits. In the baseline observing strategies, the following fractions of observing time are allocated per band: 0.07, 0.10, 0.22, 0.22, 0.19, and 0.19 in u, g, r, i, z, and y, respectively (Ivezić & The LSST Science Collaboration 2018). The filterdist\_v1.5 simulations vary the distribution of filter weights (i.e., the observing time allocated per band). The fractions of observing times allocated per filter for these simulations are shown in Table 3. The filterdist family of survey strategy simulations has a different footprint than the baseline, therefore the metric outputs shown in Figure 4 are normalized against filterdist\_indx2 (not against the baseline), which has a similar filter distribution as the baseline strategy.

We find that the some\_color metric values slightly decrease for strategies with more observing time in redder bands (i.e., the strategies named *z*- and *y*-heavy, *i*-heavy, and redder). The change in the some\_color\_pu metric, however,



**Figure 5.** some\_color\_pu metric value as a function of number of u-band visits in the filterdist family of survey strategy simulations. The metric value scales linearly with the number of observations in u band.

is very substantial. Strategies with heavier weights on u-band observations perform significantly better than those with more observations in redder bands. For example, the uniform, u-heavy, and bluer simulations (or filterdist\_indx1, filterdist\_indx4, and filterdist\_indx7, respectively) yield a 1.5–2.3 times larger number of identified TDEs with the some\_color\_pu metric solely by allowing for more observations in u band. The metric values scale linearly with the number of observations in u band (see Figure 5).

From these simulations, we expect that observing strategies with more u-band observations are significantly better for the photometric identification of TDEs. We also investigated how a larger number of u-band observations influences other science cases. A set of the most important science-related metrics was described in Jones et al. (2020). We chose 12 of those metrics, which evaluate observing strategies for different science cases: the median number of visits to a given field (fON), the median proper-motion error (proper motion), the median parallax error (parallax), trans-Neptunian object population completeness due to discovery with the LSST after 10 yr (TNO), faint near-Earth object (NEO) population completeness due to discovery with the LSST after 10 yr (NEO\_faint), the number of stars detected at the  $5\sigma$  level in *i* band (N\_stars), the number of galaxies observed across the entire survey footprint (N galaxies), the discovery rate of fast microlensing events (FastMicroL),  $3 \times 2$ figure of merit for weak-lensing and large-scale structures, which measures shear-shear, galaxy-shear, and galaxy-galaxy correlations (3  $\times$  2 FoM), mean number of visits per pointing across the extragalactic footprint to estimate weak-lensing systematics (WL), the some\_color\_pu TDE metric (TDE), and the SN Ia metric, which measures how well the SNe alerts, which can act as follow-up triggers, are produced (SNe Ia). We obtained the metric values for all 12 cases from the publicly available database of all observing strategies and the corresponding metric outputs. By comparing these metric values together with the results for TDEs, we could assess the impact of the filter distributions on each science case. We show these results in Figure 6.

While the TDE metric values peak for bluer simulations, we see that strategies with a larger number of u-band observations

perform well for other science cases as well. However, if the strategies prefer more observations in redder filters, the TDE metric values are considerably lower in comparison with the other science cases. This is where we can make big gains. Bluer weighting, more *u*-band- or *g*-band-heavy, is very helpful for TDE science. But stronger *g*-band weighting is better for many other science cases as well.

The quality of the light curves is not affected by changing the distribution of filter weights among the visits and remains roughly constant for all filterdist observing strategies.

#### 3.3.5. Rolling Cadence

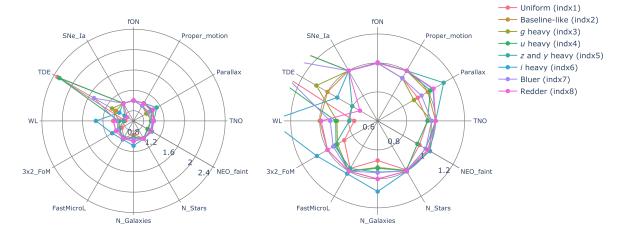
Rolling observing strategies limit the visits to smaller regions of the sky. The Alt Scheduler algorithm (alt strategies in Figure 4) chooses a northern or southern region of the sky to observe each night, which results in a larger portion of visits to a field being separated by two nights (while longer time gaps are reduced). The rolling cadences enhance the number of visits to a chosen area on the sky (typically, the sky is divided into several decl. bands) in a given year, which results in a shorter revisit time to a field in the same year, at the expense of a longer revisit time in other years. This results in fewer transients being detected, because they are missed, when the field is not "active," but during the active periods, the light curves are more densely sampled.

In the bottom panel of Figure 4, we show the results for the rolling cadences. As mentioned, the alt strategies add a nightly modulation to observations, varying between the northern and southern portions of the sky. The alt roll adds a two-strip rolling cadence. The rolling\_mod2 strategy is a "normal" rolling cadence without the northernsouthern nightly modulation and it devotes 6 yr to obtaining a higher number of observations in two strips on the sky. The rest of the rolling observing strategies in the bottom panel of Figure 4 devote the first and the last 1.5 yr of survey time to uniform coverage of the sky (as in the baseline), and in the remaining time the sky is split into three decl. bands. These strips are covered every third year. In some simulations, the strips are further split into two bands in the north and the south, and an every-other-night modulation between the northern and southern band is added. Simulations starting with rolling nm (nm = no modulation) do not add this modulation. The weight of the rolling cadence varies from 20% (scale 0.2) to 100% (scale 1.0), where a larger weight results in more visits in the emphasized decl. band and fewer visits outside this band.

Our results show that the effect of rolling or varying the observations between the northern/southern portions of the sky is not reflected in the fraction of detected TDEs with the some\_color and some\_color\_pu metrics, since they do not scale with the number of data points in the light curve. We see a trend toward worse performance, if the rolling is included, since this reduces the number of detected transients.

The light-curve quality scores, however, certainly benefit from the rolling cadence. Except for the alt\_dust strategy (which is actually not rolling, but just observes either a southern or northern region of the sky each night), the light-curve quality score is either not changed much or is increased. This is a perfect example of the trade-off between the number of detected TDEs (or the fraction, which is reduced) and the light-curve quality (which is higher), if the temporal sampling is more frequent. A rolling cadence should therefore be better for transient science; we get better sampling over a smaller

http://astro-lsst-01.astro.washington.edu:8081/



**Figure 6.** Metric values for 12 science cases as a function of filterdist family simulations. In the left panel, we plot the metric values normalized to filterdist\_indx2, to show the significant effect of a larger number of u-band observations on the TDE some\_color\_pu metric. In the right plot, we show the same values, but zoomed in, to make the variations between metrics more obvious (similar to Figure 19 in Jones et al. 2020). We see a very large increase of the detection efficiency for TDEs (and other blue transients), compared to a much smaller change for the metrics of the other science cases.

area. If a 10% decrease in the number of detected TDEs results in a 10% increase in the light-curve score, we can treat this as a desirable trade.

As mentioned at the end of Section 3.3.1, an increase in the light-curve quality score does not always imply a better quality of data, as in the case of the baseline\_samefilt observing strategy. When the light-curve quality score increases, we can differentiate between two different scenarios: (i) the light-curve quality score increased because the TDEs became better sampled; and (ii) the light-curve quality score increased because most of the TDEs that were missed were the ones that have the lowest light-curve quality scores before and, on average, the remaining TDEs have a higher light-curve quality score. In the case of rolling cadences, the number of light-curve points increases for a given TDE, which represents a genuine improvement in data quality rather than the fake improvement seen in baseline\_samefilt.

#### 4. Conclusions

The potential of Rubin for TDE observations is very promising, but we expect that identifying TDEs from a large number of transients will be challenging. In this work, we have used a sample of TDE light curves and simulated their observations with different observing strategies of the LSST using the MAF TDEspop metrics family. The metrics return as an output the recovered light curves and four different metric values: some\_color, which measures how effectively the color evolution of a TDE can be followed; some color pu, which is in addition sensitive to observations in u band, which are important for the photometric identification of TDEs; and some\_color\_quality and some\_color\_\_pu\_quality, which measure how well the light curves that passed the metric requirements of the some\_color and some\_color pu metrics are sampled in time. With these output metric values, we investigate how varying a certain survey strategy parameter of Rubin's observing strategy impacts the observations of TDEs. Our main findings are:

1. From the recovered light curves and light-curve quality scores, we find that events that passed our color metrics

- will generally be sparsely sampled. In the baseline observing strategies, we can expect, on average, one data point every four to five days. The light-curve quality score does not vary significantly between different observing strategies and is at most improved by 10%.
- 2. Pairs of visits to the same field on the sky in a single night are not strictly necessary for the identification of TDEs, since colors (important for classification) can also be measured from fitting models to nonsimultaneous flux measurements in different filters. Since the visit pairs are important for solar system science and fast transients, we realize they will most likely be adopted in the survey and stress that, in that case, pairs should be taken in different filters, otherwise it is impossible to measure colors near the peak of the light curve. Having a reliable color measurement near the peak of the light curve is important for the classification of all extragalactic transients.
- 3. A smaller footprint of the survey (or a reduction in the time allocated to mini-surveys not focused on transients) would provide denser temporal sampling, which is important for observing characteristics in light curves and for determining physical parameters of TDEs through model fitting.
- 4. The increase of *u*-band exposure time is beneficial to reducing the effect of the readout noise, but we stress that, in that case, the longer *u*-band exposures should not come at a cost of lowering the number of *u*-band visits per field. As we have shown, this would be disastrous for TDE photometric identification relying on *u*-band observations.
- 5. It is certainly beneficial for TDEs and most other extragalactic transients if the filter weight distribution is skewed more toward bluer bands, since strategies with uniform filter distribution among visits or strategies with heavier weights on bluer filters will be significantly better for photometric identification of TDEs. Furthermore, including more observations in the *u* and *g* bands does not negatively impact other science cases.
- 6. Rolling cadences provide better temporal sampling of TDEs and at the same time only decrease the number of

detected TDEs by  $\approx 10\%$ . Having slightly fewer TDEs with good light-curve coverage is certainly better than having a large number of poorly sampled TDEs.

To conclude, we summarize what we consider to be the best Rubin cadence for TDEs. An ideal survey would prioritize a rolling cadence to get denser sampling, with intranight observations taken in different filters. A smaller footprint would be preferred, to save observing time, and the increase in the observing time could be used to increase the number of observations in the *u* and *g* bands. The longer *u*-band exposures of the cadence should not come at the expense of a reduced *u*-band cadence.

In this work, we have not explicitly differentiated the contribution to the metric from the faint/fast TDE (iPTF16fnl) or the "normal" TDE light curve that we simulated (PS-10jh). For a flux-limited survey such as the LSST, the fainter TDEs only contribute to the source counts at lower redshift; in our analysis, we have no iPTF16fnl detections above redshift 0.2. A more detailed analysis of how certain survey strategies are biased toward different types of events at different redshifts would need to include a broader ensemble of different TDE types and a finer redshift grid. Such work is beyond the scope of this paper.

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Facility: Rubin.

Software: LSST Metrics Analysis Framework (Jones et al. 2014), MOSFiT (Guillochon et al. 2018), Python packages numpy (Harris et al. 2020) and plotly (https://plot.ly).

# Appendix Variations of Observing Strategies

A starting point of all survey strategy simulations is the baseline observing strategy, which serves as a reference strategy. The baseline strategy is driven by the basic LSST science goals (see Ivezić et al. 2019 and Bianco et al. 2022) and it consists of the main survey (WFD) and four mini-surveys: the DDF mini-survey, the Galactic plane mini-survey, the North Ecliptic Spur mini-survey, and the South Celestial Pole mini-survey (Ivezić et al. 2019). The most important survey for TDEs is the main survey, hence we mostly explore variations to the WFD in this work.

The WFD typically covers  $\sim$ 18,000 deg<sup>2</sup> of the sky between declinations of  $-62^{\circ}$  < decl. <  $+2^{\circ}$ , excluding the central portion of the Galactic plane. Each night, two visits are acquired per field (of size 9.6 deg<sup>2</sup>), where a visit is defined either as two exposures of 15 s each or one exposure of 30 s, depending on the FBS version of the baseline strategy. The pair of visits is typically obtained in two different filters (the combinations are typically in adjacent filters: u-g, g-r, r-i, i-z, z-y, and y-y) and the visits are separated by 22 minutes. This allows for the identification of moving objects, fast transients, and improves the performance of the alert system. Visit pairs are then repeated every three to four nights (when the field is visible) and each field receives about 800 visits in 10 yr, summed in all six filters. The fractions of observing time allocated per band are 0.06, 0.09, 0.22, 0.22, 0.20, and 0.21 in u, g, r, i, z, and y, respectively (Ivezić & The LSST Science Collaboration 2018).

The baseline observing strategy serves as a starting point in the choice for the observing plan of Rubin. Various modifications to the baseline can lead to an increase of the scientific output of the survey, while the modified survey at the same time still obeys the defined scientific requirements it needs to meet. In Table 4, we briefly describe what modifications were applied to each of the observing strategies we show in Figure 4. More information about all available observing strategies can be found in Jones et al. (2020), at the Vera C. Rubin Observatory LSST Community pages, 10 and at the LSST Project Science Team's GitHub pages.

<sup>10</sup> https://community.lsst.org/

<sup>11</sup> https://github.com/lsst-pst

 Table 4

 Descriptions of Survey Strategy Variations Shown in Figure 4

Survey Strategy	FBS Version	Description
baseline	1.5	A visit to a given field in the sky is defined as $1 \times 30$ s exposure, which is a default visit for all FBS 1.5 strategies unless stated otherwise.
baseline_2snaps	1.5	Instead of $1 \times 30$ s exposure per visit, the visit consists of $2 \times 15$ s exposures.
baseline_samefilt	1.5	The two visits per field in a given night are obtained in the same filter.
var_expt	1.5	The exposure times in a visit are varied based on the observing conditions. In good conditions, a visit is defined as $1 \times 20$ s exposure, while in poor conditions it can be extended up to $1 \times 100$ s. The mean visit time is 32.2 s, which results in 6% fewer overall visits when compared to the baseline.
third_obs_pt15	1.5	A third visit to a given field in WFD is added at the end of the night, in the $g$ , $r$ , $i$ , or $z$ filters. The time dedicated for obtaining the third visit is 15 minutes per night.
third_obs_pt30	1.5	A third visit to a given field in WFD is added at the end of the night, in the $g$ , $r$ , $i$ , or $z$ filters. The time dedicated for obtaining the third visit is 30 minutes per night.
third_obs_pt60	1.5	A third visit to a given field in WFD is added at the end of the night, in either the <i>g</i> , <i>r</i> , <i>i</i> , or <i>z</i> filters. The time dedicated for obtaining the third visit is 60 minutes per night.
third_obs_pt90	1.5	A third visit to a given field in WFD is added at the end of the night, in the $g$ , $r$ , $i$ , or $z$ filters. The time dedicated for obtaining the third visit is 90 minutes per night.
wfd_scale0.70_noddf	1.5	The fraction of time dedicated to the WFD area is 70% (i.e., the number of visits per field in the WFD is changed). DDF mini-surveys are excluded, therefore the time allocated for WFD observations is increased by 5% when compared to the baseline.
wfd_scale0.80_noddf	1.5	The fraction of time dedicated to the WFD area is 80%. DDF mini-surveys are excluded, therefore the time allocated for WFD observations is increased by 5% when compared to the baseline.
wfd_scale0.90_noddf	1.5	The fraction of time dedicated to the WFD area is 90%. DDF mini-surveys are excluded, therefore the time allocated for WFD observations is increased by 5% when compared to the baseline.
wfd_scale0.99_noddf	1.5	The fraction of time dedicated to the WFD area is 99%. DDF mini-surveys are excluded, therefore the time allocated for WFD observations is increased by 5% when compared to the baseline.
wfd_scale0.70	1.5	The fraction of time dedicated to the WFD area is 70%. DDF mini-surveys are included.
wfd_scale0.80	1.5	The fraction of time dedicated to the WFD area is 80%. DDF mini-surveys are included.
wfd_scale0.90	1.5	The fraction of time dedicated to the WFD area is 90%. DDF mini-surveys are included.
wfd_scale0.99	1.5	The fraction of time dedicated to the WFD area is 99%. DDF mini-surveys are included.
u60	1.5 1.5	The default visit in <i>u</i> band consists of 1 × 60 s exposure, which results in reducing the total number of <i>u</i> -band visits to a given field in the sky by 50%.  The distribution of absorbing time ellected per head is uniform.
Uniform (filterdist_indx1) Baseline-like (filterdist_indx2)	1.5	The distribution of observing time allocated per band is uniform.  The distribution of observing time allocated per band is similar to the baseline strategy.
g-heavy (filterdist_indx3)	1.5	An additional 10% of observing time is allocated for observations in $g$ band, at the expense of reduced time allocated for observations in the $r$ , $i$ , $z$ , and $y$ bands when compared to the baseline.
<pre>u-heavy (filterdist_indx4)</pre>	1.5	An additional 10% of observing time is allocated for observations in $u$ band, at the expense of reduced time allocated for observations in the $r$ , $i$ , $z$ , and $y$ bands when compared to the baseline.
<pre>z- and y-heavy (filterdist_indx5)</pre>	1.5	An additional 6% of observing time is allocated for observations in $z$ and $y$ bands, respectively, at the expense of reduced time allocated for observations in the $u$ , $g$ , $r$ , and $i$ bands when compared to the baseline.
<pre>i-heavy (filterdist_indx6)</pre>	1.5	An additional 7% of observing time is allocated for observations in $i$ band, at the expense of reduced time allocated for observations in the $g$ , $r$ , $z$ , and $y$ bands when compared to the baseline.
Bluer (filterdist_indx7)	1.5	An additional 3% of observing time is allocated for observations in $u$ and $g$ bands, respectively, at the expense of reduced time allocated for observations in the $r$ , $i$ , $z$ , and $y$ bands when compared to the baseline.
Redder (filterdist_indx8)	1.5	An additional 1% of observing time is allocated for observations in $z$ band and an additional 2% of observing time is allocated for observations in $y$ band, keeping the time allocated for observations in $i$ band the same as in the baseline. When compared to the baseline, the time allocated for observations in the $g$ and $r$ bands is decreased.
alt_dust	1.5	Visits alternate between northern and southern portions of the sky in the WFD on a nightly basis. This adds a night-long gap between revisits to a field.
alt_roll_mod2_dust_sdf_0.20	1.5	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into two decl. bands and a total of 6 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands). An every-other-night modulation between the northern and the southern subsection of each decl. band is added.
roll_mod2_dust_sdf_0.20	1.5	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into two decl. bands and a total of 6 yr are devoted for rolling (i.e., for obtaining a
		higher number of observations in the two decl. bands).
baseline_nexp1	1.7	Instead of $2 \times 15$ s exposures per visit, the visit consists of $1 \times 30$ s exposure.
baseline_nexp2	1.7	A visit to a given field in the sky is defined as $2 \times 15$ s exposures, which is a default visit for all FBS 1.7
		strategies unless stated otherwise.
pair_times_11	1.7	The time between pairs of visits in a night is 11 minutes instead of 22 minutes.

# Table 4 (Continued)

Survey Strategy	FBS Version	Description
pair_times_44	1.7	The time between pairs of visits in a night is 44 minutes instead of 22 minutes.
pair_times_55	1.7	The time between pairs of visits in a night is 55 minutes instead of 22 minutes.
footprint_1	1.7	The traditional WFD footprint is increased to $-70.2^{\circ}$ < decl. < $7.8^{\circ}$ (by approximately 2000 deg <sup>2</sup> ) in order to cover the galactic bulge and Magellanic clouds. The northern and southern limits are set by dust extinction, while the coverage on the remaining sky is varied.
footprint_2	1.7	The traditional WFD footprint is increased to $-67.4^{\circ}$ < decl. < 8° (by approximately 2000 deg <sup>2</sup> ) in order to cover the galactic bulge and Magellanic clouds. The northern and southern limits are set by dust extinction, while the coverage on the remaining sky is varied.
footprint_3	1.7	The traditional WFD footprint is increased to $-67.4^{\circ}$ < decl. < $8^{\circ}$ (by approximately 2000 deg <sup>2</sup> ) in order to cover the galactic bulge and Magellanic clouds. The northern and southern limits are set by dust extinction, while the coverage on the remaining sky is varied. An additional 20° band in decl. is added to WFD to cover a bridge across the Galactic plane at higher galactic latitudes.
footprint_5	1.7	The traditional WFD footprint is increased to $-67.4^{\circ}$ < decl. < $8^{\circ}$ (by approximately 2000 deg <sup>2</sup> ) in order to cover the galactic bulge and Magellanic clouds. The northern and southern limits are set by dust extinction, while the coverage on the remaining sky is varied. An additional 20° band in decl. is added to WFD to cover a bridge across the Galactic plane at higher galactic latitudes.
footprint_6	1.7	The traditional WFD footprint is increased to $-67.4^{\circ}$ < decl. < $8^{\circ}$ (by approximately 2000 deg <sup>2</sup> ) in order to cover the galactic bulge and Magellanic clouds. The northern and southern limits are set by dust extinction, while the coverage on the remaining sky is varied. An additional 20° band in decl. is added to WFD to cover a bridge across the Galactic plane at higher galactic latitudes.
u_long_ms_30	1.7	The default visit in $u$ band consists of $1 \times 30$ s exposure, while the number of $u$ -band visits is left unchanged. This results in reducing the total number of visits in the remaining bands.
u_long_ms_40 u_long_ms_50	1.7 1.7	The default visit in $u$ band consists of $1 \times 40$ s exposure, while the number of $u$ -band visits is left unchanged. This results in reducing the total number of visits in the remaining bands. The default visit in $u$ band consists of $1 \times 50$ s exposure, while the number of $u$ -band visits is left
u_long_ms_60	1.7	unchanged. This results in reducing the total number of visits in the remaining bands.  The default visit in $u$ band consists of $1 \times 60$ s exposure, while the number of $u$ -band visits is left
rolling_nm_scale0.2_nslice3	1.7	unchanged. This results in reducing the total number of visits in the remaining bands.  The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number
		of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 1.2 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands). An every-other-night modulation between the northern and the southern subsections of each decl. band is added.
rolling_nm_scale0.4_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 2.4 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands). An every-other-night modulation between the northern and the southern subsections of each decl. band is added.
rolling_nm_scale0.6_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 3.6 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands). An every-other-night modulation between the northern and the southern subsections of each decl. band is added.
rolling_nm_scale0.8_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 4.8 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands). An every-other-night modulation between the northern and the southern subsections of each decl. band is added.
rolling_nm_scale0.9_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 5.4 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands). An every-other-night modulation between the northern and the southern subsections of each decl. band is added.
rolling_nm_scale1.0_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 6 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands). An every-other-night modulation between the northern and the southern subsections of each decl. band is added.
rolling_scale0.2_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 1.2 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands).

## Table 4 (Continued)

Survey Strategy	FBS Version	Description
rolling_scale0.4_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 2.4 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands).
rolling_scale0.6_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 3.6 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands).
rolling_scale0.8_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 4.8 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands).
rolling_scale0.9_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 5.4 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands).
rolling_scale1.0_nslice3	1.7	The survey is executed in a nonuniform manner, where some regions of the sky receive a higher number of visits over a defined season, followed by a lower number of visits in the next season. The sky in this strategy is split into three and a total of 6 yr are devoted for rolling (i.e., for obtaining a higher number of observations in the two decl. bands).

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#### References

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Bellm, E. C., Kulkarni, S. R., Barlow, T., et al. 2019, PASP, 131, 068003
Bianco, F. B., Ivezić, Ž., Jones, R. L., et al. 2022, ApJS, 258, 1
Blagorodnova, N., Gezari, S., Hung, T., et al. 2017, ApJ, 844, 46
Bonnerot, C., Rossi, E. M., & Lodato, G. 2017, MNRAS, 464, 2816
Bricman, K., & Gomboc, A. 2020, ApJ, 890, 73
Delgado, F., Saha, A., Chandrasekharan, S., et al. 2014, Proc. SPIE, 9150,
  915015
Drout, M. R., Chornock, R., Soderberg, A. M., et al. 2014, ApJ, 794, 23
Evans, C. R., & Kochanek, C. S. 1989, ApJL, 346, L13
Gezari, S. 2021, ARA&A, 59, 21
Gezari, S., Chornock, R., Rest, A., et al. 2012, Natur, 485, 217
Gomboc, A., & Čadež, A. 2005, ApJ, 625, 278
Guillochon, J., Nicholl, M., Villar, V. A., et al. 2018, ApJS, 236, 6
Guillochon, J., & Ramirez-Ruiz, E. 2013, ApJ, 767, 25
Harris, C. R., Millman, K. J., van der Walt, S. J., et al. 2020, Natur, 585, 357
Hinkle, J. T., Holoien, T. W. S., Shappee, B. J., et al. 2020, ApJL, 894, L10
Holoien, T. W. S., Kochanek, C. S., Prieto, J. L., et al. 2016, MNRAS,
Hung, T., Gezari, S., Blagorodnova, N., et al. 2017, ApJ, 842, 29
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Ivezić, Ž. & The LSST Science Collaboration 2018, LSST Science
  Requirements Document LPM-17, http://ls.st/LPM-17
Jones, R. L., Yoachim, P., Chandrasekharan, S., et al. 2014, Proc. SPIE, 9149,
  91490B
Jones, R. L., Yoachim, P., Ivezić, Ž, Nielsen, E. H., & Ribeiro, T. 2020, Survey
   Strategy and Cadence Choices for the Vera C. Rubin Observatory Legacy
  Survey of Space and Time (LSST), v1.2, Zenodo, doi:10.5281/zenodo.
  4048838
Ivezić, Ž, Kahn, S. M., Tyson, J. A., et al. 2019, ApJ, 873, 111
Kochanek, C. S. 1994, ApJ, 422, 508
Lu, W., & Bonnerot, C. 2020, MNRAS, 492, 686
Margutti, R., Metzger, B. D., Chornock, R., et al. 2019, ApJ, 872, 18
Mockler, B., Guillochon, J., & Ramirez-Ruiz, E. 2019, ApJ, 872, 151
Nicholl, M., Lanning, D., Ramsden, P., et al. 2022, MNRAS, 515, 5604
Piran, T., Svirski, G., Krolik, J., Cheng, R. M., & Shiokawa, H. 2015, ApJ,
  806, 164
Rees, M. J. 1988, Natur, 333, 523
Roth, N., Kasen, D., Guillochon, J., & Ramirez-Ruiz, E. 2016, ApJ, 827, 3
Shappee, B. J., Prieto, J. L., Grupe, D., et al. 2014, ApJ, 788, 48
Stone, N. C., Vasiliev, E., Kesden, M., et al. 2020, SSRv, 216, 35
Tonry, J. L., Denneau, L., Heinze, A. N., et al. 2018, PASP, 130, 064505
van Velzen, S. 2018, ApJ, 852, 72
van Velzen, S., Farrar, G. R., Gezari, S., et al. 2011, ApJ, 741, 73
van Velzen, S., Gezari, S., Cenko, S. B., et al. 2019, ApJ, 872, 198
van Velzen, S., Gezari, S., Hammerstein, E., et al. 2021, ApJ, 908, 4
van Velzen, S., Holoien, T. W. S., Onori, F., Hung, T., & Arcavi, I. 2020,
   SSRv, 216, 124
Villar, V. A., Nicholl, M., & Berger, E. 2018, ApJ, 869, 166
Zabludoff, A., Arcavi, I., La Massa, S., et al. 2021, SSRv, 217, 54
```