

Why do Americans Work So Much More than Europeans?

How Plausible is Prescott (2004) Story?

- ▶ What does government do with tax revenue?
- ▶ How much does labor supply respond to tax changes?

Role of Government Spending

What does government do with tax revenue?

allows for balanced growth path

- ▶ Income and substitution effects
 - ▶ With log utility from consumption, effects offset
- ▶ Different types of government spending
 1. Lump-sum transfer
 2. Throw revenue away
 3. Subsidy on consumption
 4. Subsidy on leisure

} transfer individual gets from govt not affected by decision of how much to work

} transfer from govt implicitly or explicitly affected by how much work

Role of Government Spending

Program 1: Lump-sum transfer

$$y = Ah, A=1 \rightarrow w=1$$

► Consumer

$$\begin{aligned} & \max \log c + v(1-h) \\ \text{s.t. } & c = (1-\tau)h + T \end{aligned}$$

some generic
 $v(\cdot)$
function

$$\rightarrow \log((1-\tau)h + T) + v(1-h)$$

► Government

$$\begin{aligned} T &= \tau h \\ \frac{1-\tau}{(1-\tau)h + T} - v'(1-h) &= 0 \\ \rightarrow \frac{1-\tau}{h} &= v'(1-h) \end{aligned}$$

$$\text{suppose } v(i-h) = \alpha \log(i-h) \rightarrow v'(i-h) = \frac{\alpha}{i-h}$$

$$\rightarrow \frac{1-\tau}{h} = \frac{\alpha}{i-h} \rightarrow 1-\tau = \alpha \frac{h}{i-h}$$

$$\tau \uparrow \rightarrow 1-\tau \downarrow \rightarrow \text{LHS} \downarrow \rightarrow \text{RHS} \downarrow \rightarrow h \downarrow \rightarrow i-h \uparrow$$
$$\rightarrow \tau \uparrow \rightarrow h \downarrow$$

Defining feature : perfect substitute for private consumption

Examples : education, health services

Role of Government Spending

Program 2: Throw revenue away

► Consumer

$$\begin{aligned} & \max \log c + v(1-h) \\ \text{s.t. } & c = (1-\tau)h \end{aligned}$$

$$\log((1-\tau)h) + v(1-h)$$

► Government

$$c_g = \tau h \quad \frac{\cancel{1-\tau}}{(1-\cancel{c})h} - v'(1-h) = 0$$

offsetting income &
substitution effects

$$\frac{1}{h} = v'(1-h)$$

$c \downarrow$ no effect on h

variations on this policy:

- gov't produces something that's of no value to agent
 - —
valued but doesn't affect MU of private consumption

Example: military spending

Role of Government Spending

Program 3: Subsidize consumption

► Consumer

$$\log \left[\frac{(1-\tau)}{(1-s)} h \right] + v(1-h) \rightarrow \frac{1}{\left(\frac{(1-\tau)}{(1-s)} h \right)^h} \left(\frac{(1-\tau)}{1-s} \right) - v'(1-h) = 0$$

$$\max \log c + v(1-h)$$

s.t. $(1-s)c = (1-\tau)h$

$$\rightarrow \frac{1}{h} = v'(1-h)$$

$$c = \frac{(1-\tau)h}{(1-s)}$$

no effect on h
or c

► Government

$$sc = \tau h$$

Intuition: in a single good model a subsidy on c is like a subsidy on h

Examples:
childcare,
elderly care

Role of Government Spending

Program 4: Subsidize leisure

$$\log((1-\tau)h + s(1-h)) + v(1-h)$$

► Consumer

$$\frac{1-\tau-s}{(1-\tau)h+s(1-h)} - v'(1-h) = 0$$

$$\begin{aligned} \max & \log c + v(1-h) \\ \text{s.t. } & c = (1-\tau)h + s(1-h) \end{aligned}$$

$$\rightarrow \frac{1-\tau-s}{h} = v'(1-h)$$

► Government

$$s(1-h) = \tau h$$

like having
even bigger tax
rate than in
lump sum
scenario

Examples:

unemployment insurance

social security

$$\tau \uparrow \rightarrow h \downarrow \downarrow$$

Is Scandinavia an Outlier?

Introduction

- ▶ Scandinavia used as critique against Prescott (2004)
 - ▶ Higher taxes than continental Europe
 - ▶ Higher hours worked than continental Europe
- ▶ But what government does with tax revenue matters

Is Scandinavia an Outlier?

Quantitative Example

- ▶ Compare alternative government spending programs quantitatively
 - ▶ Assume preferences

$$\alpha \log c + (1 - \alpha) \log(1 - h)$$

- ▶ Calibrate α so that when $\tau = 0.4$ $h = 1/3$

Is Scandinavia an Outlier?

Quantitative Example

- ▶ Compare Programs 1 and 4 (all spending of one type)

mump sum transfer

subsidy on leisure

Table 2		
τ	Hours Relative to $\tau = .40$	Program 4
.40	1.00	1.00
.45	.94	.92
.50	.88	.83
.55	.82	.75
.60	.75	.67
.65	.68	.58

From Rogerson (2007)

Is Scandinavia an Outlier?

Quantitative Example

- ▶ Take as baseline economy with $\tau = 0.4$ and then raise taxes and vary spending patterns
- ▶ Compare mix of Programs 3 and 4 and Programs 2 and 4

Table 3					
Effects of Variations in Spending					
Programs 3 and 4			Programs 2 and 4		
τ_3	τ_4	h/h^{US}	τ_2	τ_4	h/h^{US}
.00	.25	.58	.00	.25	.58
.05	.20	.67	.05	.20	.62
.10	.15	.75	.10	.15	.66
.15	.10	.83	.15	.10	.71
.20	.05	.92	.20	.05	.77
.25	.00	1.00	.25	.00	.84

interaction
effect of
of policies

From Rogerson (2007)

Is Scandinavia an Outlier?

What's special about Scandinavia?

- ▶ A prominent difference in spending patterns between Scandinavia and continental Europe is that Scandinavian governments spend much more on family services
 - ▶ In particular, childcare and elderly care
- ▶ To capture this, write down simple multi-sector model like in Rogerson (2007)

Is Scandinavia an Outlier?

Multi-Sector Model

$$W = 1$$

utility $\alpha_c \log c + \alpha_s \log s + (1 - \alpha_c - \alpha_s) \frac{(1 - h)^{1-\gamma}}{1 - \gamma}$

consumption
family services
leisure

$c + m = (1 - \tau)h_m + T$

market input into family services

$h = h_m + h_s$

home hours

$s = [a(m + G)^\rho + (1 - a)h_s^\rho]^{1/\rho}$

parameter

lump sum transfer

governs substitutability between m and h_s

$T + G = \tau h_m$

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Quantitative Assessment of Multi-Sector Model

- ▶ Benchmark is US calibration with $\tau = 0.4$ and $G = 0$ (lump-sum transfer)
 - ▶ Set $\rho = 0.8$
 - ▶ Pick α , α_c and α_s to match $h_m = 1/3$, $h_s = 0.08$, and $m/(c + m) = 0.05$

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Quantitative Assessment of Multi-Sector Model

- ▶ Behavior of multi-sector model when raise labor tax rate
 - ▶ For now, assume $G = 0$

Table 4						
Effects of Taxes Relative to $\tau = .4$, With $G = 0$						
τ	h_m	h_s	$h_m + h_s$	m	c	s
.40	1.00	1.00	1.00	1.00	1.00	1.00
.50	.86	1.21	.93	.49	.88	1.02
.60	.71	1.40	.84	.18	.74	1.05
.70	.56	1.54	.75	.05	.59	1.10

From Rogerson (2007)

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Quantitative Assessment of Multi-Sector Model

Scandinavia

- ▶ Now, allow $G > 0$
- ▶ Compare $\tau = 0.6$ relative to $\tau = 0.4$ for different values of G

Table 5				
Effects of G With $\tau = .60$ Relative to $\tau = .40$				
	$G = .00$	$G = .01$	$G = .02$	$G = .03$
h_m	.71	.74	.77	.80
h_s	1.40	1.26	1.09	.95
$h_m + h_s$.84	.84	.83	.83
$m + G$.18	.61	1.21	1.82
c	.74	.74	.75	.75
s	1.05	1.05	1.10	1.13

From Rogerson (2007)