

# Inequality, Household Behavior and the Macroeconomy (*Wealth Taxation and MPCs*)

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## Last time

- Optimal taxation in a representative agent economy
  - ▶ Taxes introduce distortions  $\Rightarrow$  non-trivial trade-offs
  - ▶ Capital income taxes are usually bad
- Optimal taxation in heterogeneous agent settings
  - ▶ Distributional effects matter for welfare
  - ▶ Very different quantitative results from representative agent framework

Ignored the difference between capital and wealth taxes.

# Today

- When is wealth tax different from capital income tax? Guvenen et al (2023)

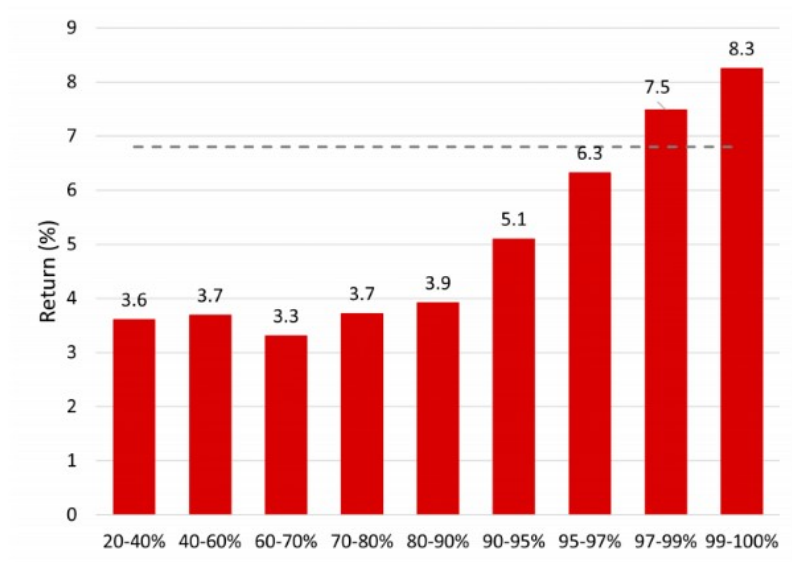
# Today

- When is wealth tax different from capital income tax? Guvenen et al (2023)
- Talk about MPC [marginal propensity to consume] and why it is important

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- 1 Wealth and capital income tax
- 2 Marginal Propensity to Consume

## Average return on wealth by percentile of wealth, USA (SCF data)



## Reminder: When are capital income and wealth taxes equivalent?

As long as a tax is proportional to savings, it does not matter if it is written as a

- capital income tax:  $\tau_t^a r_{i,t} a_{i,t}$
- or before-return wealth tax  $\tau_t^w a_{i,t}$
- or after-return wealth tax  $\hat{\tau}_t^w (1 + r_{i,t}) a_{i,t}$

as long as **everybody earns the same return**, so  $r_{i,t}$  is constant in  $i$ .

For example, given  $\tau_t^a$ , replacing capital income tax with a before-return wealth tax equal to  $\tau_t^w = \tau_t^a r_t$  results in identical allocations.

This is **not** true if people earn different returns! More on this next lecture. Today we skip wealth taxes.

# Return Heterogeneity: A Simple Example

- One-period model.
- Government taxes to finance  $G = \$50$ .
- Two brothers, Fredo and Mike, each with \$1000 of wealth.
- Key heterogeneity: investment/entrepreneurial ability.
  - (Fredo) Low ability: earns  $r_f = 0\%$  net return.
  - (Mike) High ability: earns  $r_m = 20\%$  net return.



# Capital Income vs. Wealth Tax

	Capital income tax		Wealth tax (on book value!)	
	$a_{i,\text{after-tax}} = a_i + (1 - \tau_k)r_i a_i$		$a_{i,\text{after-tax}} = (1 - \tau_a)a_i + r_i a_i$	
	Fredo ( $r_f = 0\%$ )	Mike ( $r_m = 20\%$ )	Fredo ( $r_f = 0\%$ )	Mike ( $r_m = 20\%$ )
Wealth	\$1000	\$1000	<b>\$1000</b>	<b>\$1000</b>
Before-tax Income	0	<b>\$200</b>	0	\$200
		$\tau_k = 25\% (= \frac{50}{200})$		$\tau_a = 2.5\% (= \frac{50}{2000})$
Tax liability	0	\$50	\$25	\$25
After-tax return	0%	15% ( $= \frac{200-50}{1000}$ )	-2.5% ( $= \frac{0-25}{1000}$ )	17.5% ( $= \frac{200-25}{1000}$ )
After-tax wealth ratio		<b>1.15</b> ( $= 1150/1000$ )		<b>1.20</b> ( $\approx 1175/975$ )

Replacing  $\tau_k$  with  $\tau_a \rightarrow$  **reallocates** capital to more productive agents + **increases dispersion** in after-tax returns ( $\rightarrow$  endogenous savings response in a dynamic model).

Using an estimated model similar (but more elaborated) to Cagetti and De Nardi (2006). Key differences:

- Much more elaborate process for entrepreneurial talent - more than one non-zero level
- Entrepreneurial and corporate sectors are not so detached (more efficient entrepreneurs means higher wages)
- Labor supply

Note: credit constraints and positive autocorrelation in returns to wealth (within and across generations) are essential to these results.

# Results

Replacing the capital income tax with a wealth tax in a revenue-neutral fashion

- delivers a significantly higher average lifetime utility to a newborn (about 7.5% in consumption-equivalent terms).
- more productive entrepreneurs have more wealth!
- but more dispersion!
- Lower tax burden on the wealthy: less incentive to hide wealth

## Results - OWT

Compute optimal wealth tax and labor income tax

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- capital stock is barely lower

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- 13.6% capital income **subsidy** is optimal
- Contrasts Domeij and Heathcote! Due to return heterogeneity!
- In this framework, capital income is more distortive, since it makes capital allocation more inefficient

# Compare welfare

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- result survives in transition

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- On book value or market value?

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# Macroeconomic policy - big picture

Why do governments care about economic policy?

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- The desire to redistribute wealth across agents in the economy

That's not all!

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- The need for financing government expenditures
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That's not all!

We are missing stabilization! Why haven't we talked about this? Solving models with aggregate shocks AND heterogeneity is super hard.

# Countercyclical policy

The idea is that business cycles are costly.

⇒ The government tries to dampen the effects! In bad times give money to households and firms.

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Why to give money to households?

- ① Help them avoid too low consumption levels
- ② Encourage consumption → feedback effects (to firm revenues and labor earnings)

Shouldn't give money if people don't spend it: would lead to inflation with no benefit.

# Countercyclical policy

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# Countercyclical policy

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- ① Pretty obvious: giving money to the most vulnerable has even more positive welfare effects than usually
- ② Depends on how households react to receiving extra wealth  $\Rightarrow$  **Let's take a look at this!**

# MPC

MPC = marginal propensity to consume: Getting a unit of extra income, which fraction of it you spend now (in the current period)?

$$MPC = \frac{C(coh + extra) - C(coh)}{extra}$$

having cash-on-hand =  $coh$  before the intervention, consumption grows by  $C(coh + extra) - C(coh)$  as a result of getting  $extra$  as additional income

MPC depends on:

- length of time-period considered (usually people care about yearly or quarterly figures)
- size of  $extra$  (taking the limit  $extra \rightarrow 0$  defines MPC as a derivative)

# MPC - empirics

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(Was sufficiently unexpected)
- Evidence is noisy, but estimates are usually around 20-50%



## MPC - theory

First lecture: optimal consumption with no borrowing limits or uncertainty:

$$c_t = \tilde{R} \left[ w_0 + \sum_{s=0}^T \frac{y_s}{(1+r)^s} \right] \quad \forall t \in \{0, 1, 2, \dots, T\}$$

where

$$\frac{1}{\tilde{R}} = \sum_{s=0}^T \frac{1}{(1+r)^s} = \frac{1 - \left(\frac{1}{1+r}\right)^{T+1}}{1 - \frac{1}{1+r}}$$

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If  $T$  is large (young agent or cares about child), then

$$\tilde{R} \approx r$$

and hence

$$MPC \approx r$$

This is a magnitude lower than empirical estimates! But this is what any representative agent model would give us!

## MPC under incomplete markets

Do income risk and borrowing limits help match empirical estimates? Yes!

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- This works for the very poor only... Still not enough to match data.
- Solution: Rich hand-to-mouth: Lots of assets are illiquid (you don't always sell your house if you are fired) Kaplan, Moll, Violante (2014)

# Conclusion

We have seen that incomplete markets and idiosyncratic risk enable us to discuss

- inequality
- welfare effects of income redistribution

In addition, we cannot even get the effect of helicopter money right in a representative agent economy!