## Canonical form?

**Definition 1.1** (Simplest form). Let  $\{C_k\}_{k=0}^{\infty}$  be a chain complex, with some basis  $\{e_k^i\}$ . Then we say that  $\{C_k\}_{k=0}^{\infty}$  is in it simplest form if,  $de_k^i$  is either 0 or another generator.

**Definition 1.2** (Complex with ordered generators). Let  $\{C_k\}_{k=0}^{\infty}$  be a chain complex, with some basis  $\{e_k^i\}$ . Then we say that  $\{C_k\}_{k=0}^{\infty}$  has ordered generators if there a fixed order in for every  $\{C_k\}$ .

**Remark.** A complex with ordered generators gives naturally a filtration on the complex.