

## 1. INTRODUCTION

**Definition 2.** A *(nonarchimedean) local field* is a field complete with respect to a discrete valuation and with finite residue field.

**Definition 3.** A *mixed characteristic local field* is a finite field extension of the field  $\mathbb{Q}_p$  of  $p$ -adic numbers, for some prime  $p$ .

**Definition 4.** An *equal characteristic local field* is a finite field extension of the field  $\mathbb{F}_p((X))$ , for some prime  $p$ .

**Lemma 5.** *A mixed characteristic local field is a local field.*

**Lemma 6.** *An equal characteristic local field is a local field.*

**Definition 7.** A local field is a field

*Proof.* Omitted, but it uses [Ser67] and also [Ser68]. □

## REFERENCES

- [Ser67] Jean-Pierre Serre. Local class field theory. In *Algebraic Number Theory (Proc. Instructional Conf., Brighton, 1965)*, pages 128–161. Thompson, Washington, D.C., 1967.
- [Ser68] Jean-Pierre Serre. *Corps locaux*. Hermann, Paris, 1968. Deuxième édition.