



## Assignment

### Rules and regulations

- This assignment consists of six problems related to the data structures discussed earlier in the course, which are (Linked Lists, Stacks, Queues).
- **Assignment submission is due Friday 29th of April at 11:55PM, any submission after that wouldn't be considered.**
- **Plagiarism won't be tolerated. any sign of plagiarism would result in a zero grade for both students.**
- You can use the code of (Linked List, Stack, Queue) classes that were discussed in the labs.
- For linked list problems, implement the required functions as member functions of the linked list class.
- For Stack and Queue problems, use Stack and Queue as a black box, don't modify anything in it.
- If you have any question, send an email to one of the following emails:
  - [mohamed1989877@gmail.com](mailto:mohamed1989877@gmail.com)
  - [alyhassan62@yahoo.com](mailto:alyhassan62@yahoo.com)

## Problem 1:

### Problem definition:

Given the head of a linked list consists of **zeros and ones only**, which makes it looks like a binary number.

The head pointer points to **the most significant bit (the leftmost bit)**.

Convert the binary number represented by this linked list to its decimal representation.

### Constraints:

$$1 \leq ListSize \leq 60$$

$$ListElements \in \{0, 1\}$$

### Example:

Input: 0 0 1 1 1

Output: 7

## Problem 2:

### Problem definition:

Given the head of a linked list, rotate the list to the right by  $k$  places.

Note:  $k$  could be larger than the size of the list, which means you would rewind the list again.

### Constraints:

$$1 \leq \text{ListSize} \leq 10^5$$

$$1 \leq k \leq 10^9$$

### Example:

Input: *List*: [ 1 → 2 → 3 → 4 → 5 → *NULL* ],  $k = 3$

Output: *List*: [ 3 → 4 → 5 → 1 → 2 → *NULL* ]

### Problem 3:

#### Problem definition:

Given the head of a linked list, split it into two new linked lists, the first one contains the first half of elements, the second one contains the rest of the linked list.

Note: if the number of nodes is **odd**, make the first list contain more elements.

#### Constraints:

$$1 \leq ListSize \leq 10^6$$

#### Examples:

Input: [ 1 -> 2 -> 3 -> 4 -> 5 -> 6 -> *NULL* ]

Output: [ 1 -> 2 -> 3 -> *NULL* ], [ 4 -> 5 -> 6 -> *NULL* ]

Input: [ 1 -> 2 -> 3 -> 4 -> 5 -> 6 -> 7 -> *NULL* ]

Output: [ 1 -> 2 -> 3 -> 4 -> *NULL* ], [ 4 -> 5 -> 6 -> *NULL* ]

## Problem 4:

### Problem definition:

Given a stack and a queue, exchange their content but keep the default retrieve order as it is.

For example, if the stack content is [1, 2, 3, 4, 5] , 1 is the top of the stack, then the first element of the queue must be 1, making the queue content is [1, 2, 3, 4, 5].

if the queue content is [1, 2, 3, 4, 5] , 1 is the start of the queue, then the top element of the stack must be 1, making the stack content is [1, 2, 3, 4, 5].

### Constraints:

$1 \leq \textit{StackSize} \leq 1000$

$1 \leq \textit{QueueSize} \leq 1000$

### Example:

Input: *Stack* = [1, 2, 3, 4, 5], *Queue* = [6, 7, 8, 9, 10]

Output: *Stack* = [6, 7, 8, 9, 10], *Queue* = [1, 2, 3, 4, 5]

## Problem 5:

### Problem definition:

Our college's cafeteria offers two types of sandwiches at lunch break, (beef and chicken) referred to by the numbers (0 and 1) respectively.

All students stand in a queue. Each student either prefers beef or chicken sandwiches.

The number of sandwiches in the cafeteria is equal to the number of students. The sandwiches are placed in a **stack**. At each step:

- If the student at the front of the queue prefers the sandwich on the top of the stack, they will **take it** and **leave the queue**.
- Otherwise, they will **leave it** and go to the **queue's end**.

This continues until none of the queue students want to take the top sandwich and are thus unable to eat.

You are given a stack representing the sandwiches in the cafeteria, and a queue representing the preferred sandwich of each student in the queue initially.

Calculate the number of students that are unable to have lunch.

### Constraints:

$1 \leq \text{number of students} \leq 100$

*sandwich types: 0 for beef, 1 for chicken.*

*all students prefer either beef or chicken.*

### Example:

Input: *students*: [1, 1, 0, 0], *sandwiches*: [0, 1, 0, 1]

Output: 0

## Problem 6:

### Problem definition:

Some of your friends are playing a basketball game with strange rules against a team from another university. You are responsible for recording the score of your friends' team. At the beginning of the game you have an **empty record**.

Given a list of strings representing the operations you would take to record the scores, where each operation is one of the following:

1. An integer  $x$  -> record a **new score**  $x$ .
2. " + " -> record a **new score** that is the sum of the previous two scores. it is guaranteed there will always be two previous scores.
3. "D" -> **Discard the previous score** and remove it from the record. it is guaranteed there will always be a previous score.

Calculate the sum of all scores on the record.

### Constraints:

$1 \leq \text{number of operations} \leq 1000$

$-1000 \leq x \leq 1000$

### Example:

Input: *operations* = ["15", "10", " + ", "6", "D", "5"]

Output: 55

Explanation:

- After operation 1, record = [15]
- After operation 2, record = [15, 10]
- After operation 3, record = [15, 10, 25]
- After operation 4, record = [15, 10, 25, 6]
- After operation 5, record = [15, 10, 25]
- After operation 6, record = [15, 10, 25, 5], so output =  $15 + 10 + 25 + 5 = 55$ .