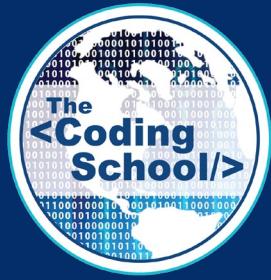




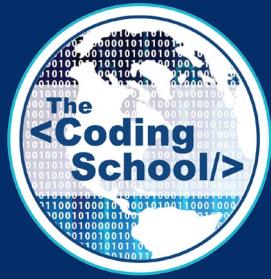
INTRO TO QUANTUM  
COMPUTING  
LECTURE #22



# Quantum Hardware

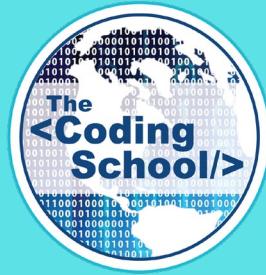
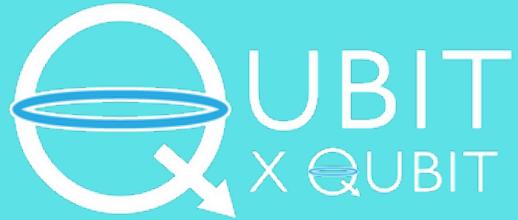
Amir Karamlou

04/18/2021



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# ANNOUNCEMENTS

## Welcome Back!

# QUANTUM HARDWARE LECTURE SERIES

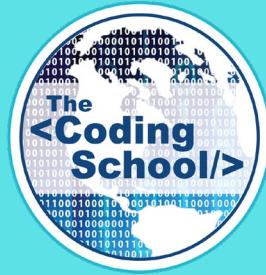
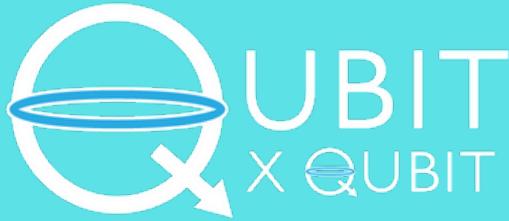
Lecture 1 - Conditions and metrics for building a quantum computer

*What systems can be used for quantum computing?*

*How do we compare different quantum processors?*

Lecture 2 - Quantum hardware implementations

*What are different ways to build qubits and quantum processors*



A few frequently asked questions compiled by Akshay:

1. Are the different qubit types meant for different applications?
2. Are electrons and photons qubits?
3. How are gates physically applied to qubits?
4. Is the Bloch sphere 'real'?
5. What does it look like physically when we entangle qubits? How is entanglement actually implemented?

# THE QUANTUM ALGOS LANDSCAPE

## Deutsch -Jozsa

First theoretical demonstration of quantum advantage!



Uses an Oracle

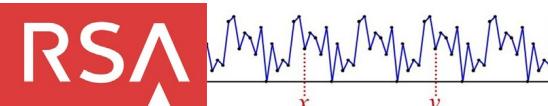
$$O(1) \ll O(2^n)$$

Exponential Quantum Speedup!

QUANTUM ADVANTAGE

## Shor's Algorithm

Super-polynomial speedup for factoring using the QFT!



Cracking RSA Requires Factoring & Period Finding



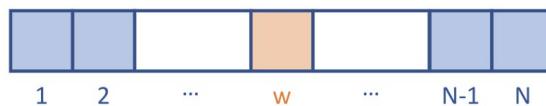
The Quantum Fourier Transform Encodes Frequency in Phase

$$O(\log(n)^3) \ll O(n^{1.9})$$

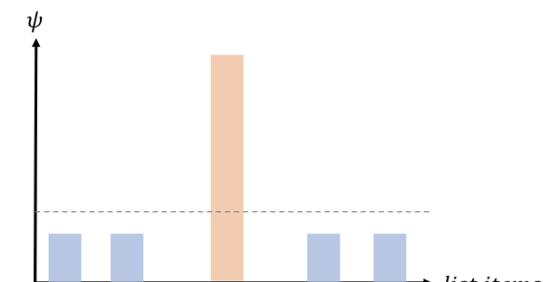
Super-Polynomial Quantum Speedup!

## Grover Search

Quadratic speedup for search using amplitude amplification!



Unstructured Search



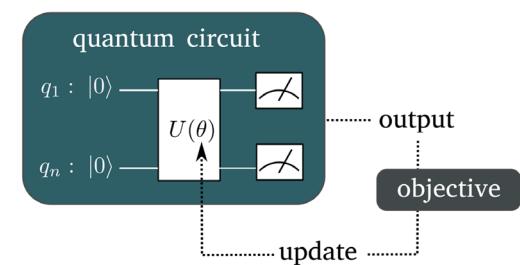
Leverages Amplitude Amplification

$$O(\sqrt{n}) \ll O(n)$$

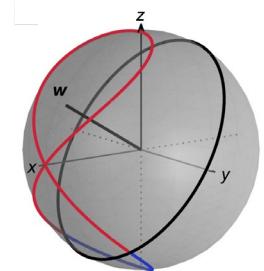
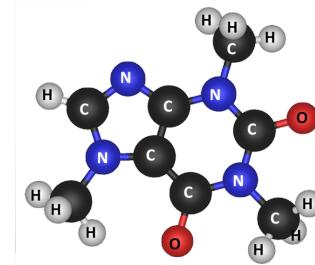
Quadratic Quantum Speedup!

## Near-Term Algos

Applications of noisy, small available quantum devices!

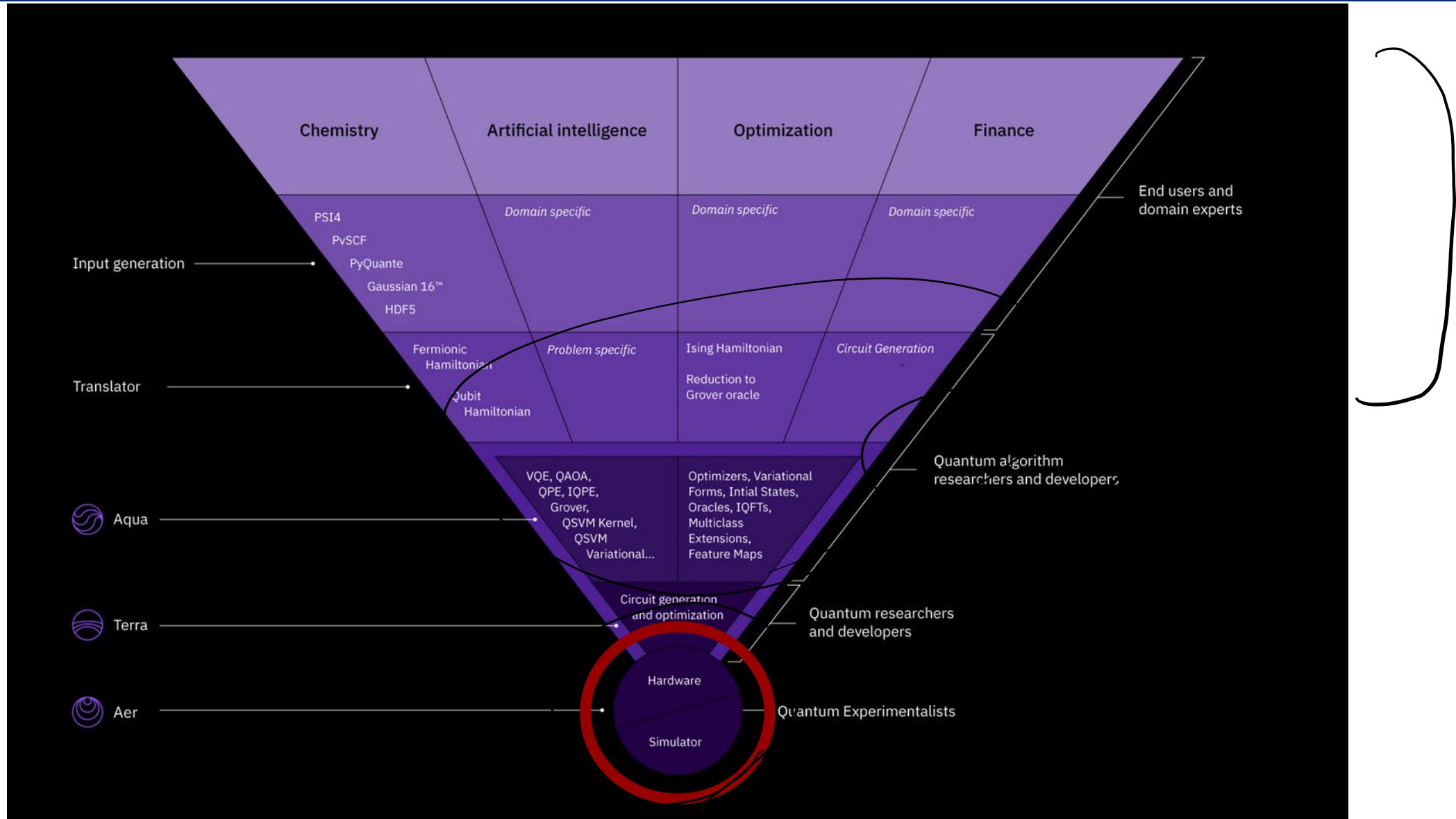


Hybrid Quantum-Classical Algos



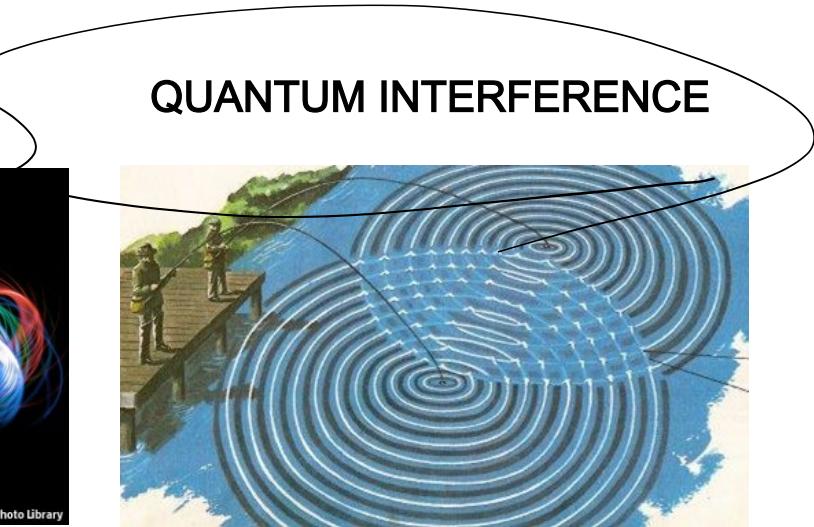
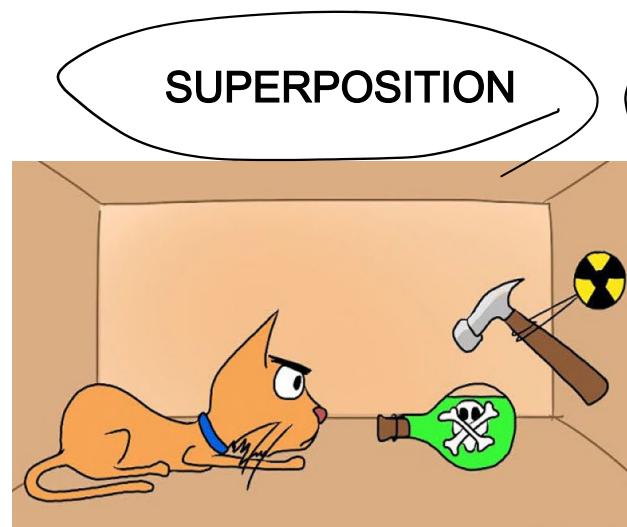
Using Quantum to Solve Important Problems!

# Quantum Stack



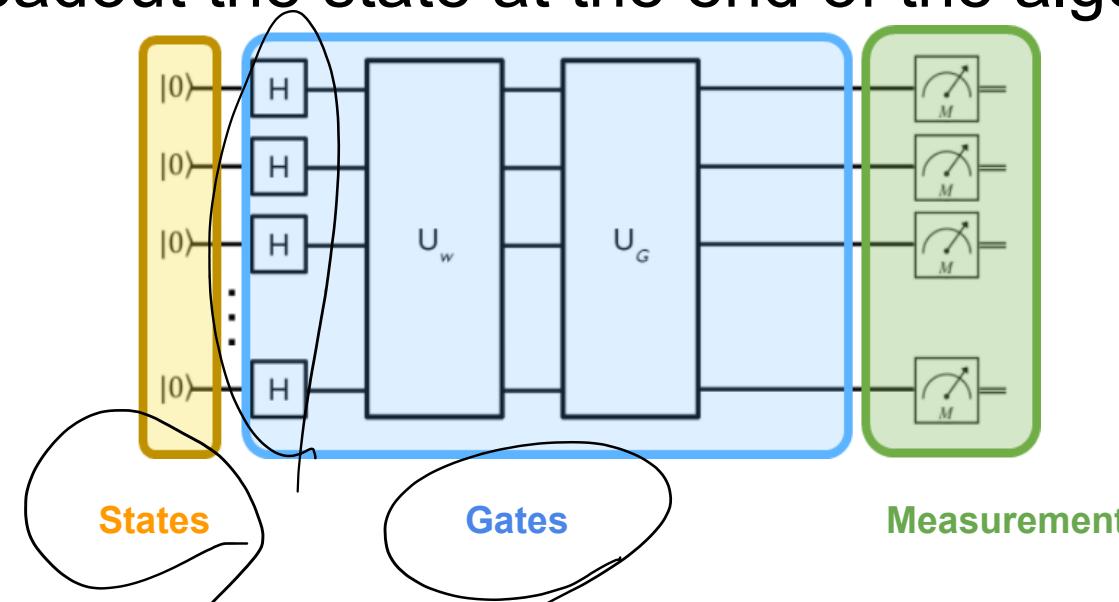
# What do we need for running algorithms

- Many qubits
- Either with no noise (error), or error-corrected
- And:



# Properties of a Quantum Computer

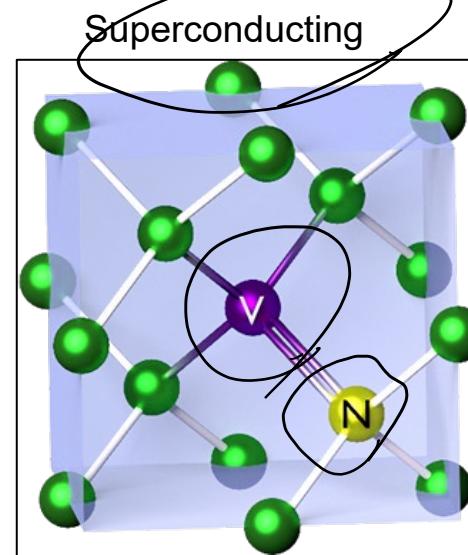
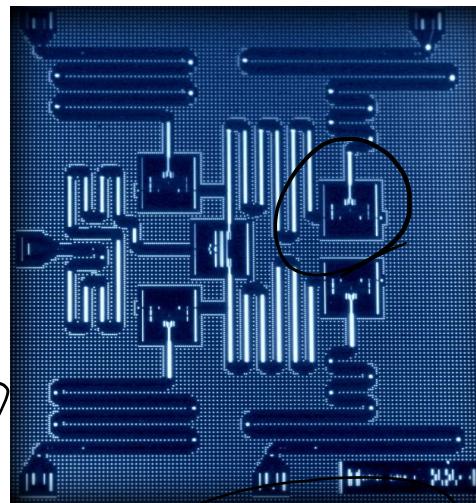
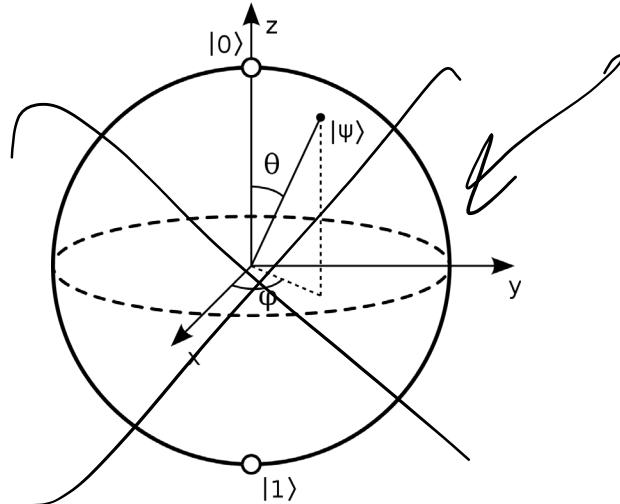
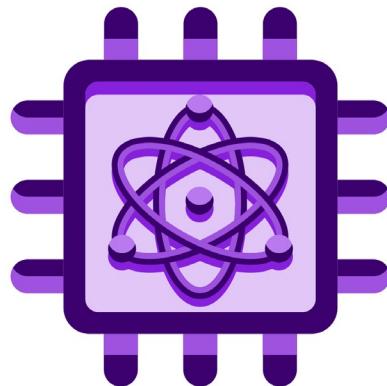
- Enough\* qubits to run algorithms
- A way to fix errors if they occur
- A set of gates that are “universal”
- Capability to readout the state at the end of the algorithm



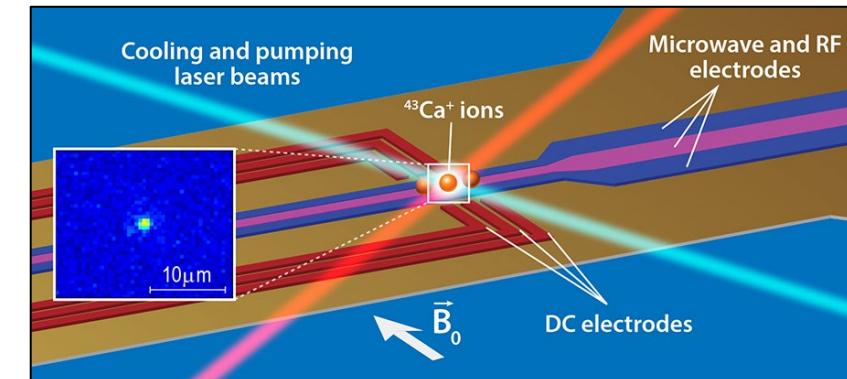
# Quantum Hardware Platforms

What will be the ‘ *quantum transistor* ’?

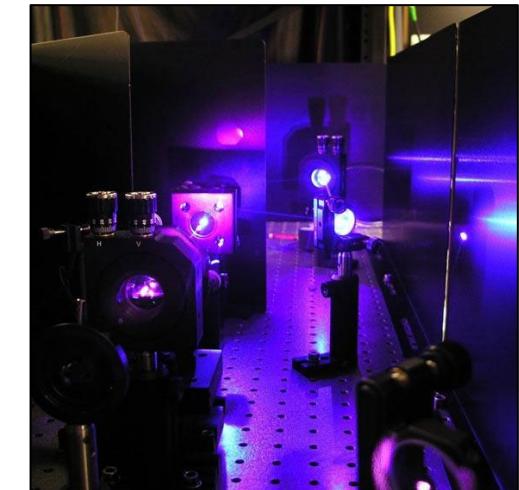
Are we still in the ‘ *quantum vacuum tube* ’ era ?



Diamond NV Centers

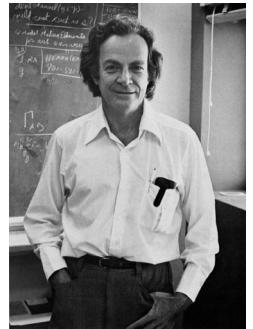


Trapped Ion



Photonics

# Quantum Computer Past, Present, Future

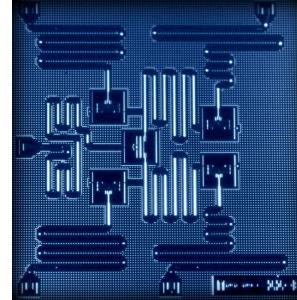


Peter Shor shows that quantum computers can factorize large integers efficiently.

1981



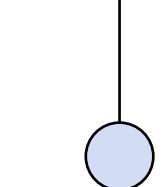
Few-qubit processors & error detection



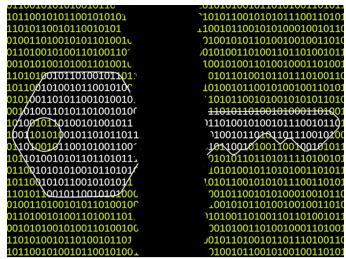
Quantum Supremacy

2017

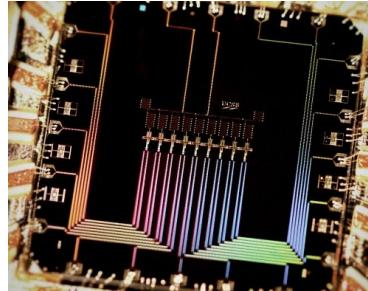
2019



Feynman proposes a framework for simulating the evolution of quantum systems.



First experimental demonstration of a quantum algorithm. A working 2-qubit NMR quantum computer.



Cloud-based Quantum Computing



# Why can't we run grover's on a meaningful dataset today?

- No enough qubits
- Noisy qubits
- Imperfect gates

# Learning objectives

- So far we have assumed a perfect quantum computer. How to decide  
What systems are capable of performing quantum computation?
- How do we decide how good is a given quantum computer?

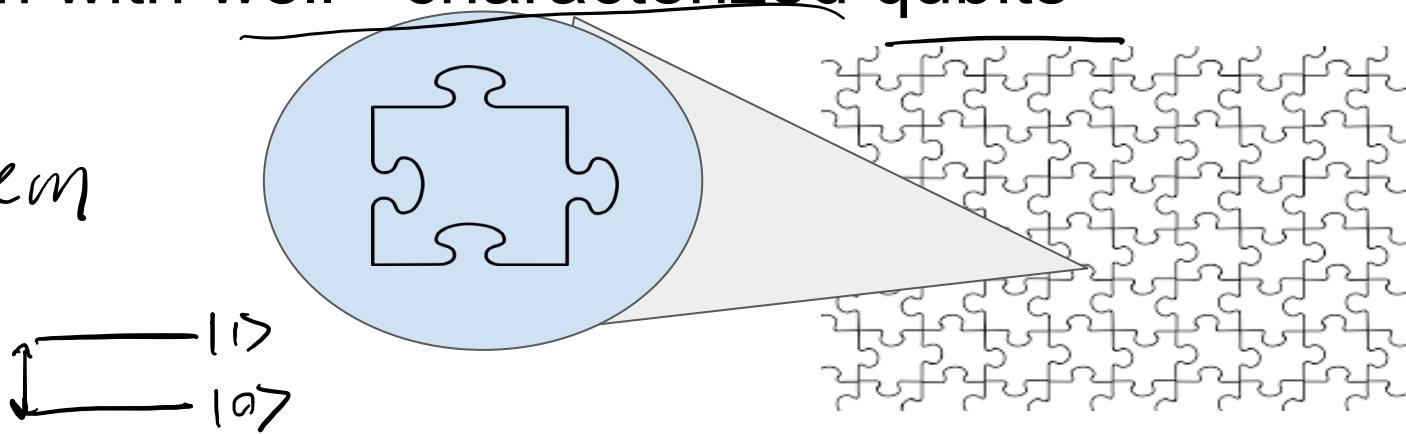
# DiVincenzo criteria

Set of five basic conditions for the physical realization of a quantum computer

# DiVincenzo criteria

1. A scalable physical system with well -characterized qubits

qubits two-level system



well - characterized: good grasp of the properties of the system. i.e. energy difference between  $|0\rangle$  and  $|1\rangle$

# DiVincenzo criteria

## 2. The ability to initialize the state of the qubits

We usually start with qubits in  $|0\rangle$



# DiVincenzo criteria

3. Long relevant decoherence\* times, much longer than the gate operation time

decoherence times: The amount of time that the qubits preserves its quantum properties



# DiVincenzo criteria

## 4. A “universal” set of quantum gates

$$\{ H, T, CNOT \}$$

$$T = \sqrt{S}$$

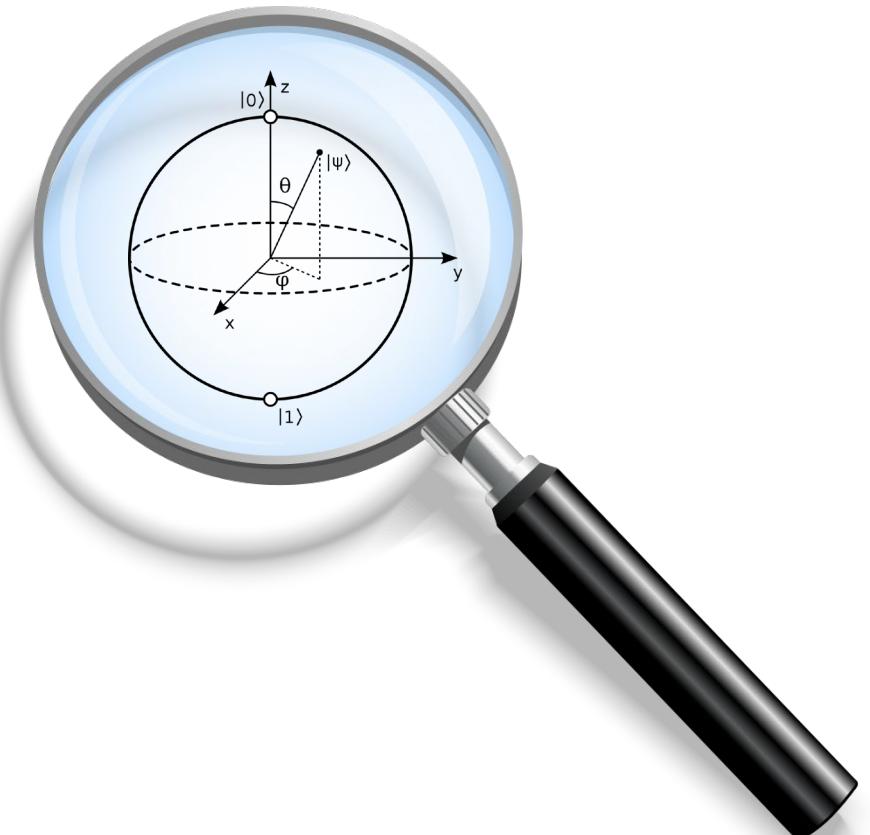
$$e^{i \frac{\pi}{8} Z} \quad (R_z(\pi/4))$$

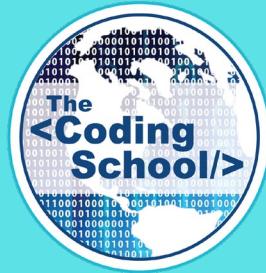
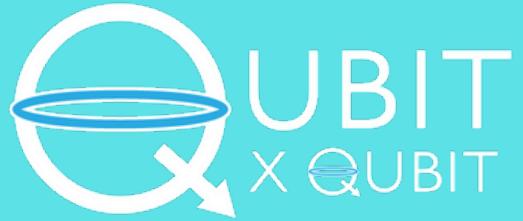
$$S = \sqrt{Z}$$



# DiVincenzo criteria

## 5. A qubit -specific measurement capability





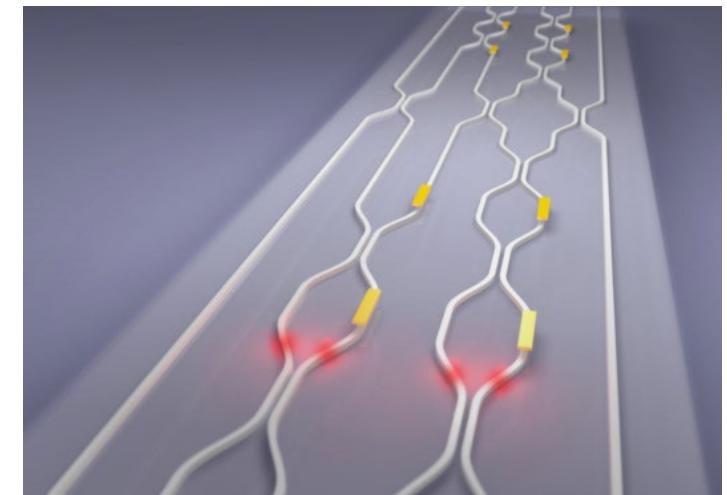
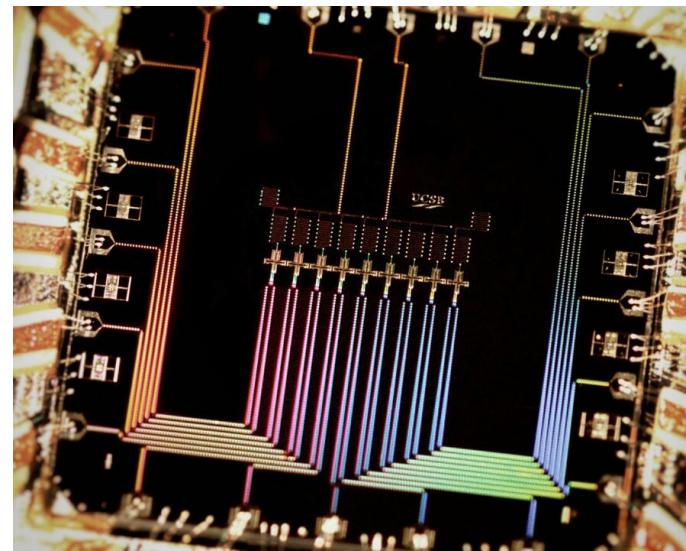
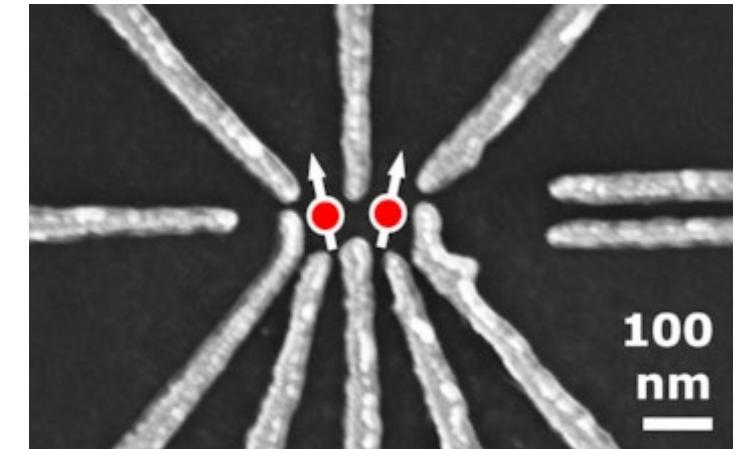
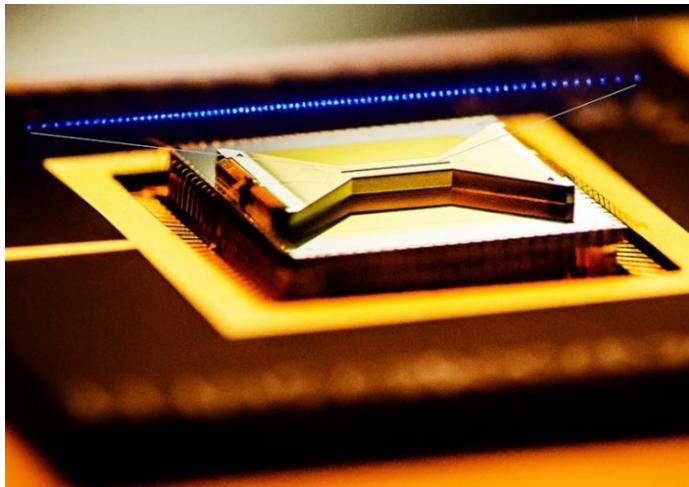
# 10 MIN BREAK!

back @ 2:41 pm EST

# DiVincenzo criteria

## DiVincenzo's criteria

- Scalable two-level quantum system
- Initializable
- Long relevant decoherence time
- Universal set of gates
- Efficiently measurable

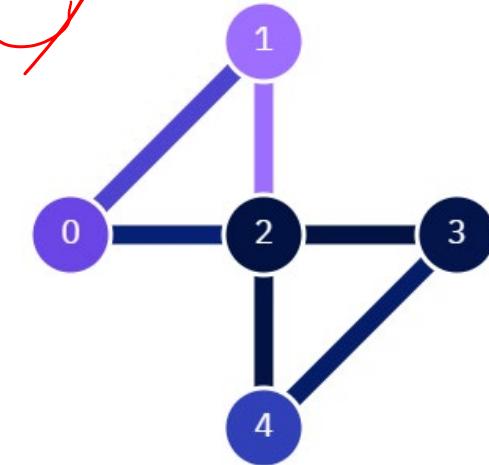


# Quantum Hardware Spec Sheet

What are some metrics that can tell us about the quality of the quantum hardware

# Which processor is better?

1) ibmq\_5\_yorktown



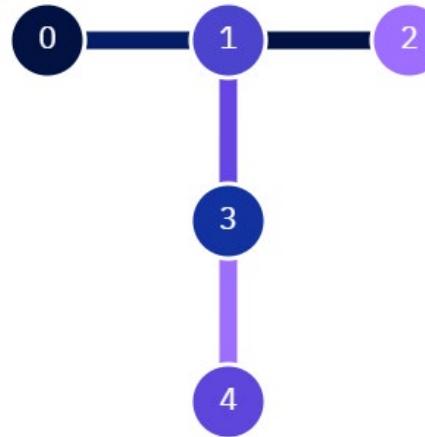
Avg. CNOT Error: 2.726e-2

Avg. Readout Error: 6.916e-2

Avg. T1: 53.74 us

Avg. T2: 33.09 us

2) ibmq\_belem



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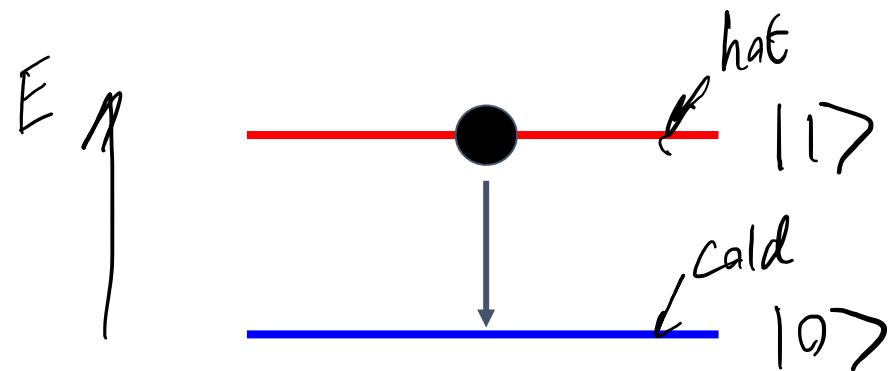
# Qubit relaxation

Physical systems tend to dump energy into their surrounding

example:



hot coffee getting cold

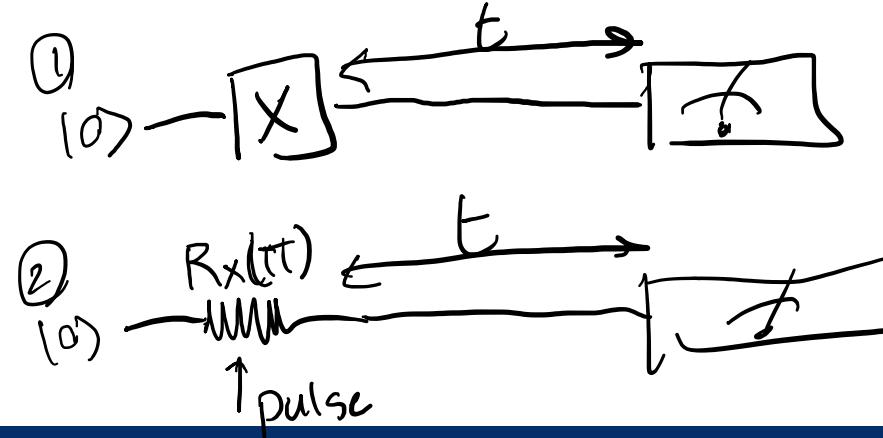
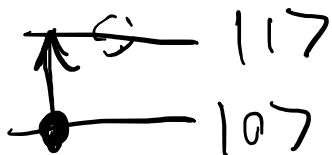


qubit decaying to lower energy state

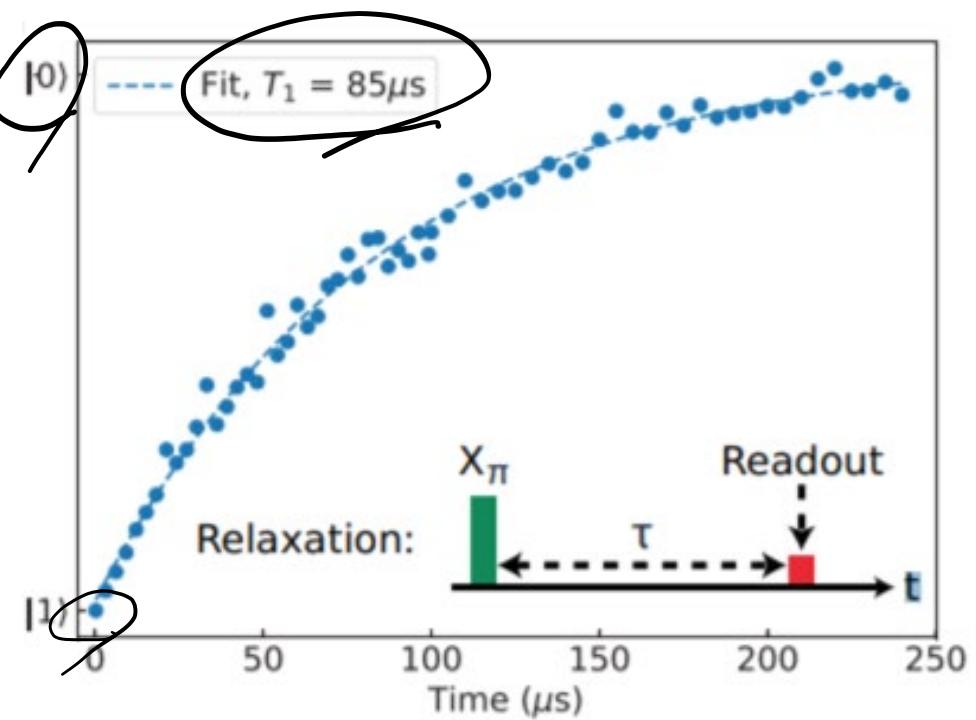
# Qubit relaxation

The qubit state decays from  $|1\rangle$  to  $|0\rangle$  over time

relaxation time:  $T_1$

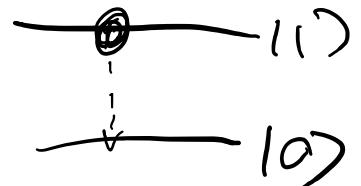


$$p(|1\rangle) = e^{-t/T_1}$$



# How to make better

- Qubits that are more isolated from the environment
  - Better material
  - Reduce loss mechanisms
- Make transition from 1 to 0 more difficult



# Qubit decoherence

Quantum systems lose their coherence as a result of interacting with the environment

- Quantum superposition turns into a classical probability distribution
- Lose the ability of quantum interference

# Qubit decoherence

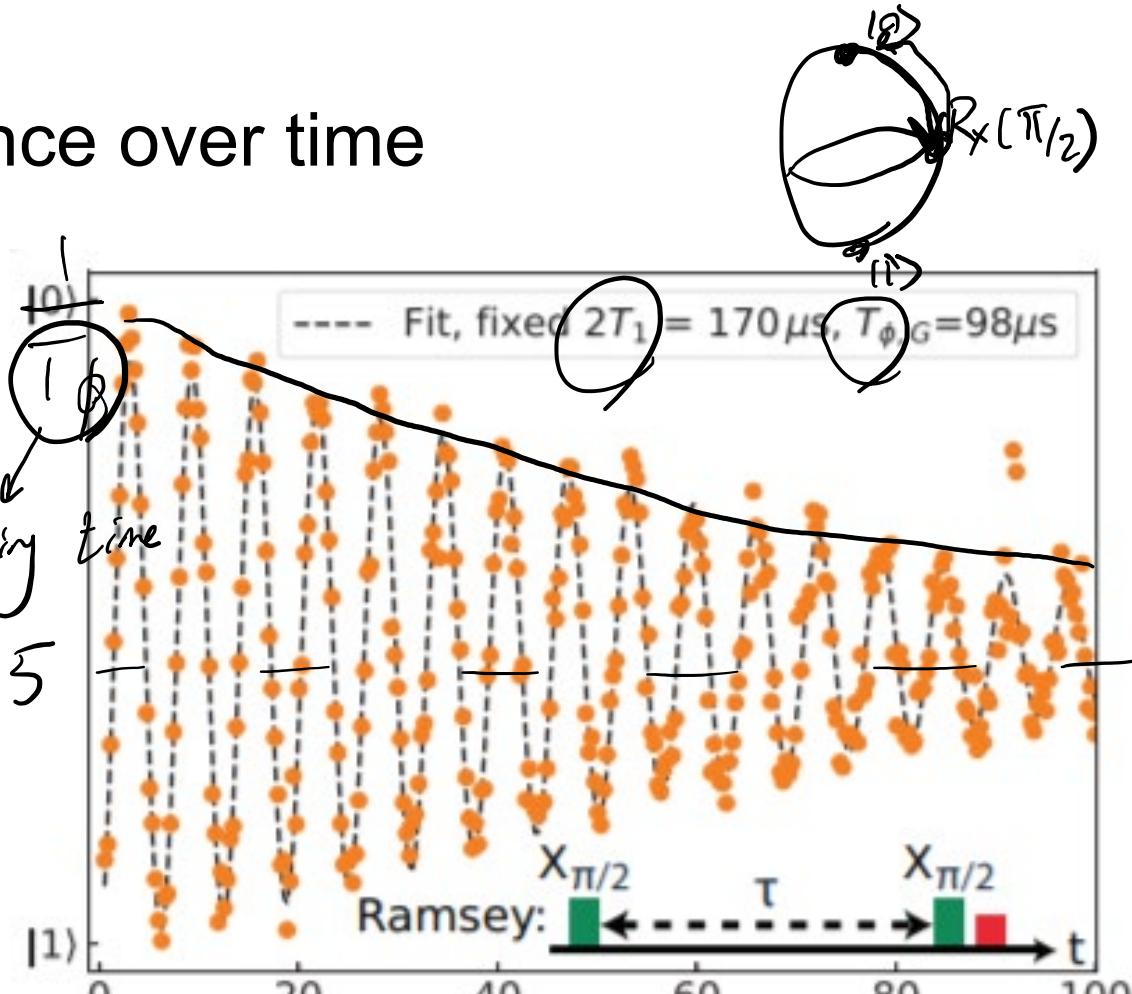
The qubit loses it's quantum coherence over time

decoherence time:  $T_2$

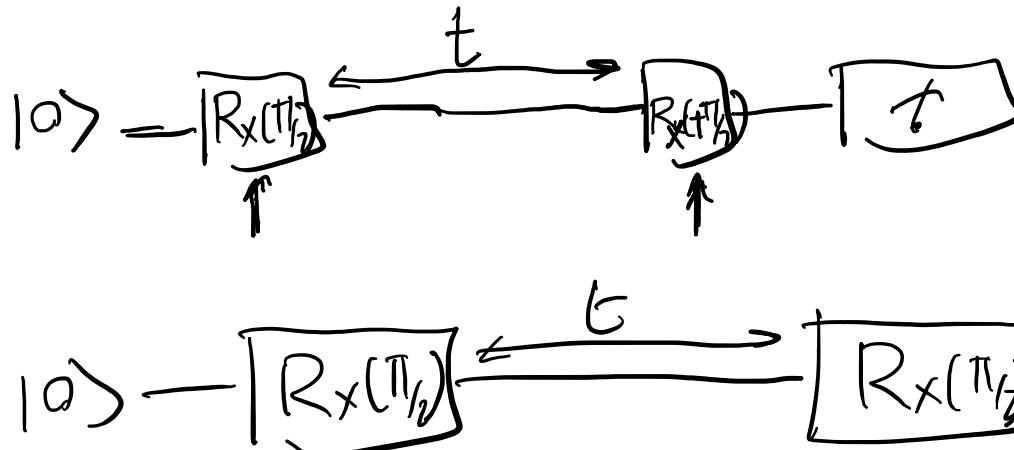
$$\frac{1}{T_2}$$

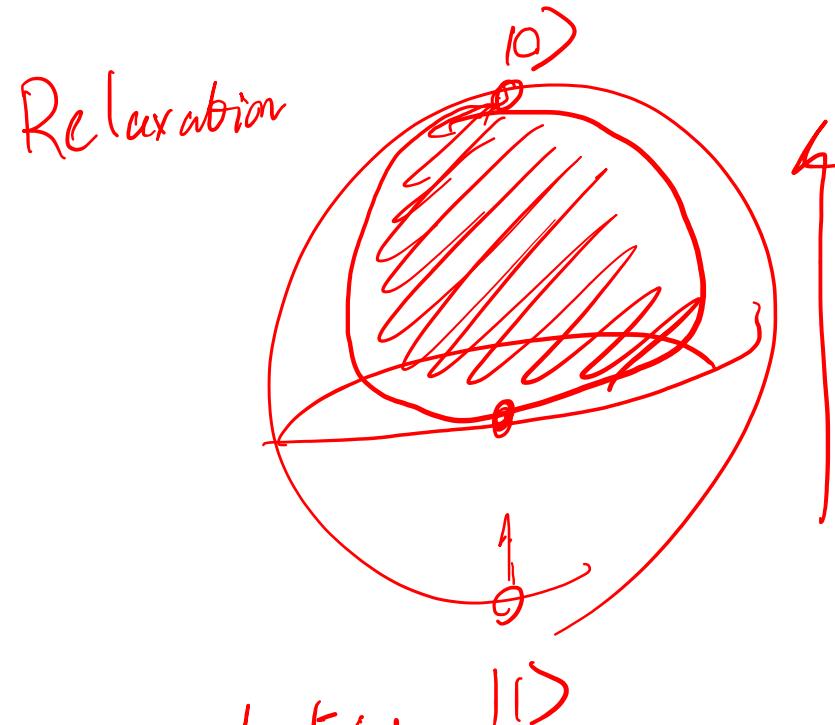
$$= \frac{1}{2T_1} + \frac{1}{T_\phi}$$

dephasing time



Ramsey experiment:

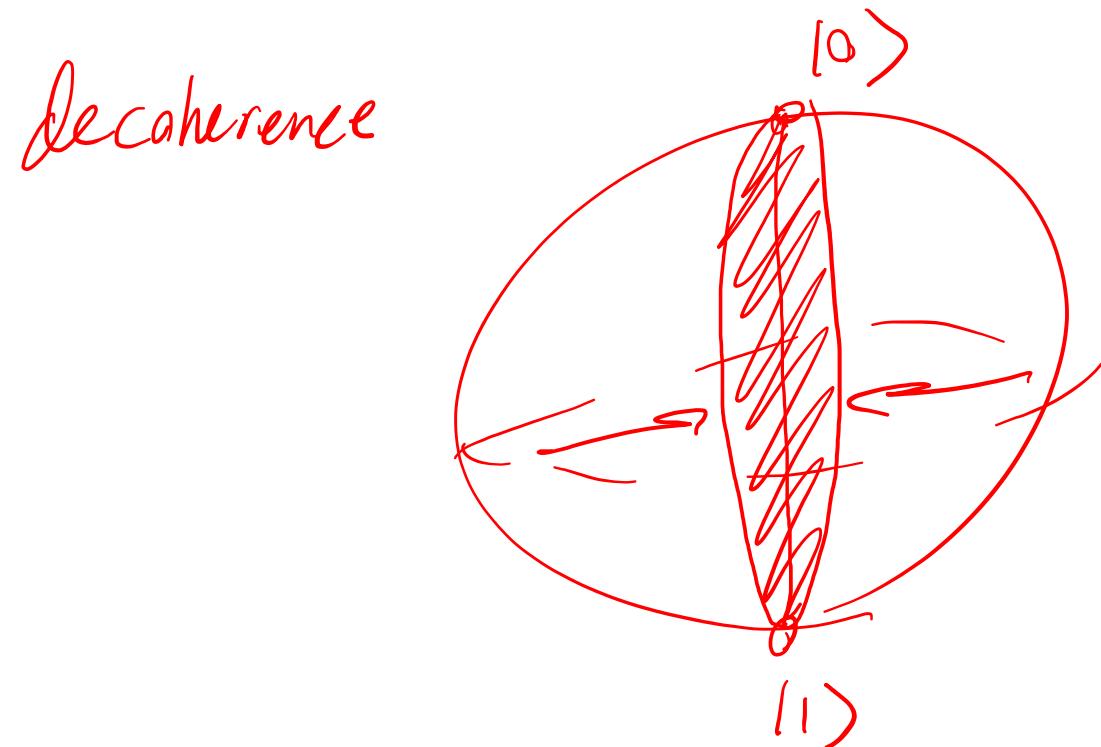




superconducting  
1-qubit :  $\sim 10\text{ ns}$  99.99 %.

2-qubit :  $\sim 10\text{ ns} - 200\text{ ns}$  99.  $\rightarrow$  99.5 % on processor

$T_1, T_2 \sim 100\mu\text{s}$  for quantum processors



# How to make better

- Qubits that are more isolated from the environment
  - Reduce the environment noise
  - Make qubits less susceptible to noise
- ~~Make transition from 1 to 0 more difficult~~

# Real life example

Article | Published: 26 August 2020

## Impact of ionizing radiation on superconducting qubit coherence

Antti P. Vepsäläinen , Amir H. Karamlou, John L. Orrell , Akshunna S. Dogra, Ben Loer, Francisca Vasconcelos, David K. Kim, Alexander J. Melville, Bethany M. Niedzielski, Jonilyn L. Yoder, Simon Gustavsson, Joseph A. Formaggio, Brent A. VanDevender & William D. Oliver

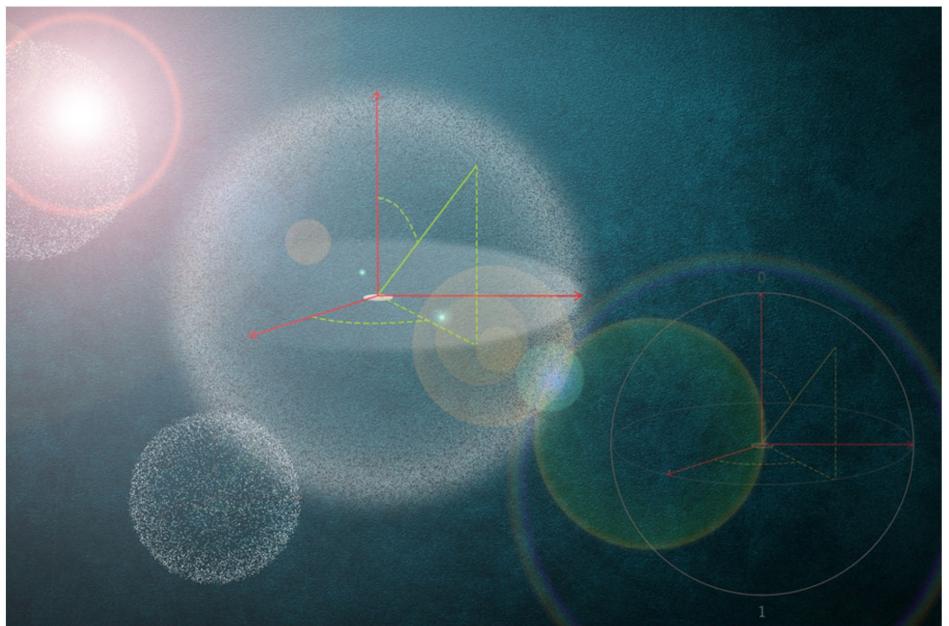
*Nature* **584**, 551–556(2020) | Cite this article

8105 Accesses | 10 Citations | 526 Altmetric | Metrics

## Cosmic rays may soon stymie quantum computing

Building quantum computers underground or designing radiation-proof qubits may be needed, researchers find.

Jennifer Chu | MIT News Office  
August 26, 2020



# Quantum gates

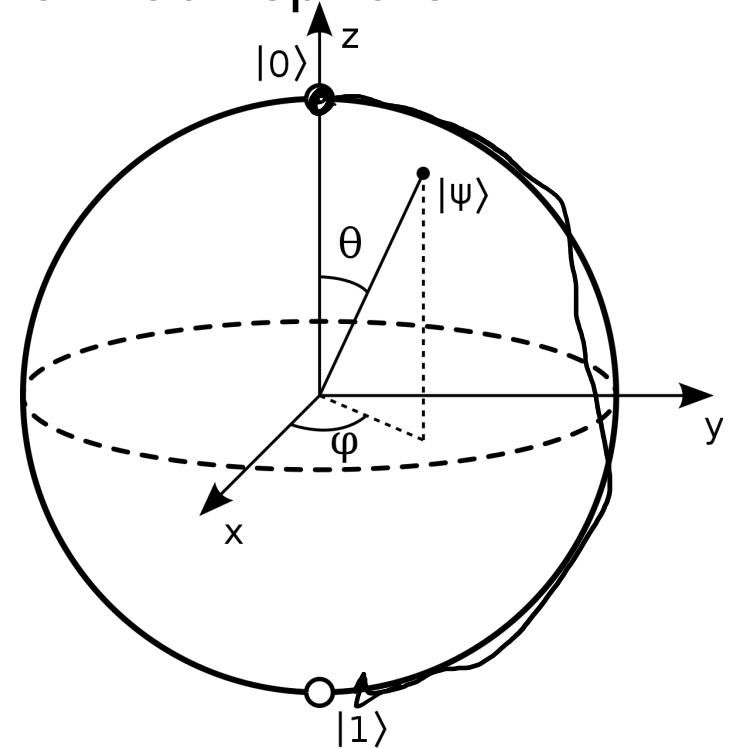
What are some metrics that can tell us about the quality of the quantum hardware

# How good are our gates?

Quantum control is hard!

There are a continuous set of possible position on the Bloch sphere!

Lots of room for error



# How good are our gates?

We quantify quantum gates using gate *fidelity*

Perfect gate have a fidelity of 1 (100%)

$$f = \underline{1 - \text{error rate}}$$

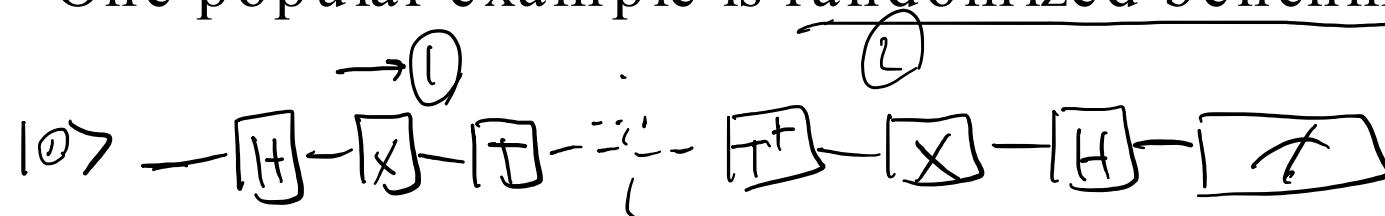
How do we measure the gate fidelity?

That's an active research question!

# How good are our gates?

We quantify quantum gates using gate fidelity

One popular example is randomized benchmarking:



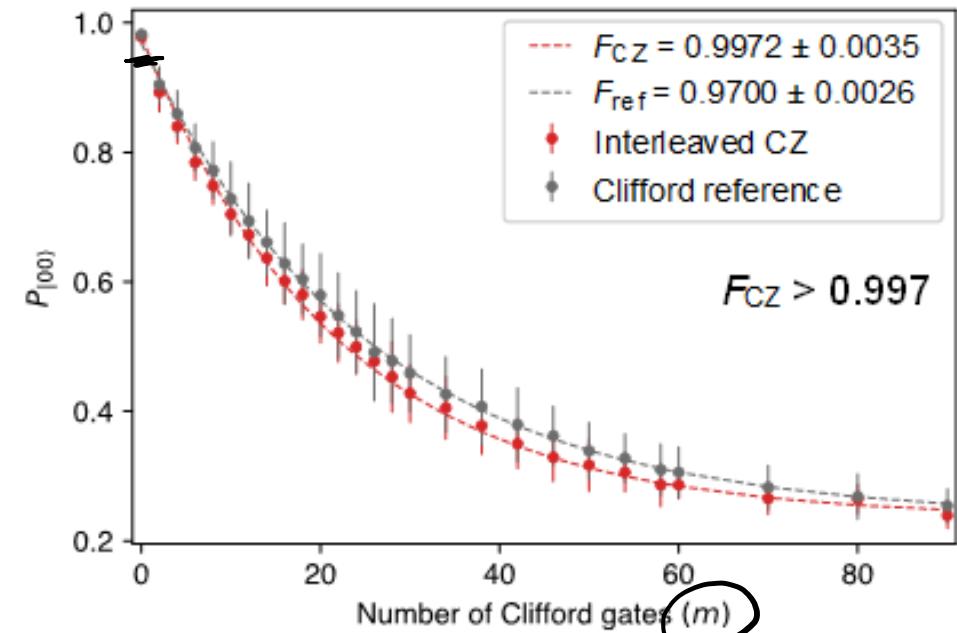
$$\{\text{H}, \text{T}, \text{X}\}$$

$$\text{H}\text{H} = \mathbb{I} \quad \text{TT}^\dagger = \mathbb{I}$$

$$\text{XX} = \mathbb{J}$$

$m$  is # of gates

ideally  
error  
 $\leq$   
 $F_C^m$   
fidelity



# How good are our gates?

A .995 (99.5%) gate fidelity sound good! (or does it?)

What if we have a circuit with 200 of these gates?

$$\text{Overall fidelity of the circuit} = (0.995)^{200} = 0.367 \text{ (or } 36.7\%)$$

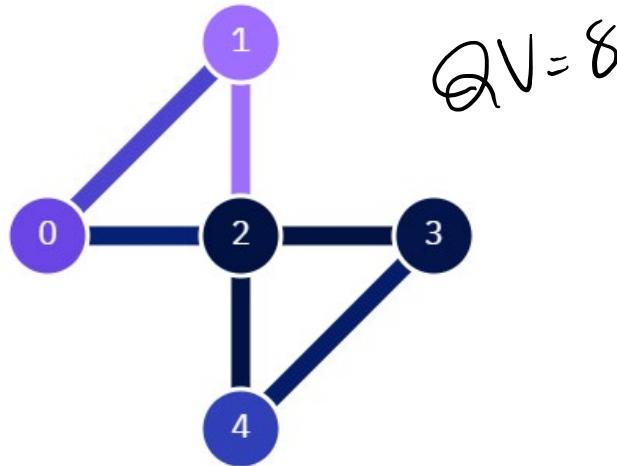
(we want  $> 0.66$ )

what if we had .999 (99.9%) fidelity?

$$(0.999)^{200} = 0.819 \text{ (81.9%)}$$

# Which processor is better?

1) ibmq\_5\_yorktown



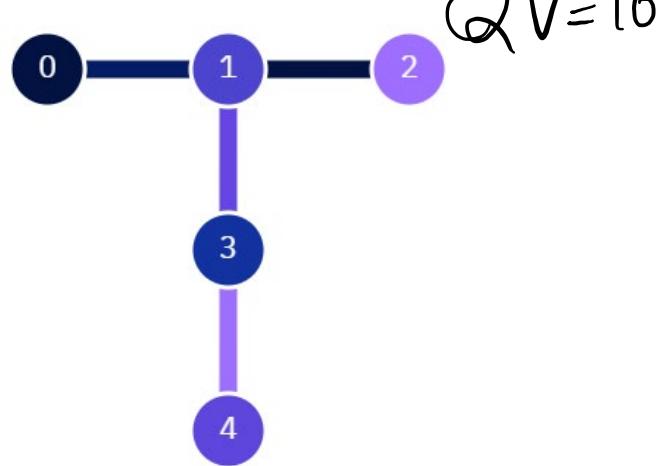
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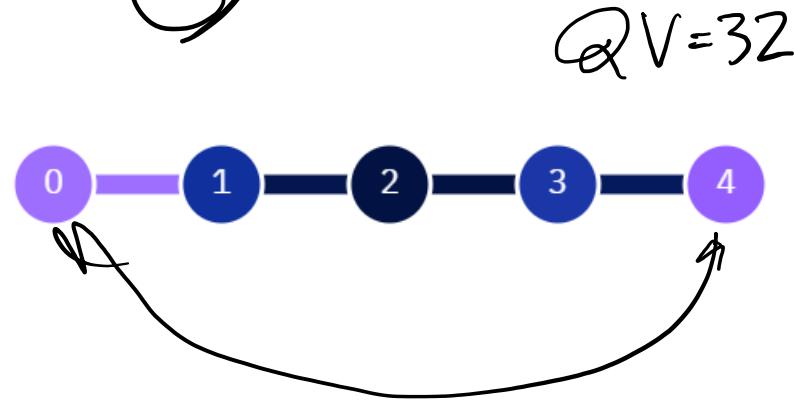
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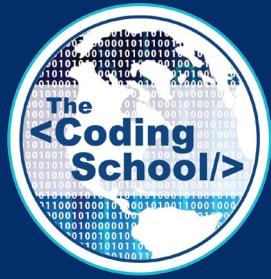
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Avg. T1: 128.51 us

Avg. T2: 171.52 us

Quantum Volume?



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