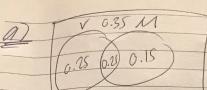


a) 

- i) $P(V \cap M) = 0.06$
- ii) $P(V \cap M') = 0.35$
- iii) $P(V \cup M) = 0.25$
- iv) $P(M \mid V) = 0.25 / 0.4 = 0.625$

b)

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graph LR
    A((A)) -- "0.4" --> P((P))
    P -- "0.9" --> B((B))
    P -- "0.1" --> F((F))
    B -- "0.6" --> F
    F -- "0.06" --> A
    F -- "0.94" --> B
  
```

- i) $P(F) = 0.06 + 0.06$
 $= 0.12$
 $= 12\%$
- ii) $P(F \mid AF) = 0.06 / 0.12$
 $= 0.5$
 $= 50\%$
- iv) $D(F \mid AP) = \frac{0.9}{1-0.9}$
 $= 1:1$

v) Events A and B are independent if $P(ANB) = P(A) \cdot P(B)$

- i) A = call first
- ii) B = made by machine A

$$0.06 = 0.12 \times 0.4$$

$$0.06 \neq 0.048$$

hence, call the first and made by machine A are not independent events

c) i)

- Poisson distribution
- how many times event (unphysical creature) occur in time period
- occurring called in a set time period ("given time period")
- event does independently ("creatures independently captured")
- events occur are at a time ("only one at a time")

- i) $P(X=9) = \frac{\mu^9 e^{-\mu}}{9!}$
- ii) $P(X=5) = \frac{4.9^5 e^{-4.9}}{5!}$
- iii) $D(X) = 0.1708$
- iv) $\sqrt{\mu_X} = \sigma_X$
 $\sigma_X = \sqrt{4.9}$
 $= 2.1213$

IV —

- i) $E(\bar{X}) = \frac{E(X)}{n}$
- ii) $E(\bar{X}) = \frac{1}{100} \times (0 \times 34 + 1 \times 60 + \dots + 9 \times 6)$
 $E(\bar{X}) = 1.8$
- iii) $E(\bar{P}) = \frac{18}{6}$
 $= 0.45$
- iv) $P(X=x) = \binom{n}{x} p^x q^{n-x} e^{-\mu} \frac{\mu^x}{x!}$

$$P(X=3) = \binom{4}{3} * 0.45^3 * 0.55^1$$

$$P(X=3) = \frac{\binom{4}{3}}{3!1!} * 0.45^3 * 0.55^1$$

$$P(X=3) = 0.2005$$

x	0	1	2	3	4
e_i	18.3	59.9	73.5	40.1	8.2

$$\chi^2 = \sum_{i=0}^n \frac{(f_i - e_i)^2}{e_i}$$

$$\chi^2 = \frac{(34 - 18.3)^2}{18.3} + \frac{(40 - 59.9)^2}{59.9} + \frac{(6 - 8.2)^2}{8.2}$$

$$\chi^2 = 28.203$$

$$V = k - 1 - n \checkmark \text{no. of parameters}$$

$$V = 3 - 1 - 1$$

$$V = 3$$

$$\chi^2_{0.05} = 7.81$$

$\chi^2 > \chi^2_{0.05} \therefore$ the poisson distribution is not an appropriate distribution for the model