

# Linear momentum in more than one dimension

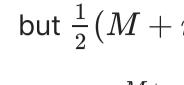
## Inelastic collisions

## Ballistic Pendulum

the height that the bullet

$$mv = (M+m)v'$$

$$\frac{1}{2}mv^2 \neq \frac{1}{2}(M+m)v'^2$$



## Multidimensional

The equation of conservation of momentum is a

Therefore if we have

$$m_A v_{Ax} + m_B v_{Bx} = m_A v'_{Ax} + m_B v'_{Bx}$$

## Perfectly Elastic Collisions in 2 dimensions

If a collision is perfectly elastic we can

$$m_A v_{Ay} + m_B v_{By} = m_A v'_{Ay} + m_B v'_{By}$$

$$\frac{1}{2}m_A v_A^2 + \frac{1}{2}m_B v_B^2 = \frac{1}{2}m_A v_A'^2 + \frac{1}{2}m_B v_B'^2$$

## Billiards Question

A small thumbnail image labeled "elasticsearch1.gif" located in the top-left corner of the slide.

However we know already from experience after a collision? If one ball hits another

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same

equation in collisions collision two  
0 : a lie  $a^2$  quite



$v'_B$	$v_A^2$	the	extremes	$+ 2v_y$	collis	or	New	In	place	...
$v'_B$	$- 2v_A$	two	we	$= 4v'$	Howe	any	Sec	integral	the	discu
$v'_B$	$- v_{Ax}^2$	object	have	$v'$	there	extende	Law	form	origin	abov