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```
% TTK4135 - Helicopter lab
% Hints/template for problem 2.
% Updated spring 2018, Andreas L. Flåten
```

Initialization and model definition

```
close
clear
init_simulator; % Change this to the init file corresponding to your
helicopter
% Continous model
delta_t = 0.25; % sampling time
Ac = [0 \ 1 \ 0]
                                             0;
       0 0 -K_2
                        0
                                   0
                                              0;
         0 0
                        1
       0 0 -K_1*K_pp -K_1*K_pd 0
                                              0;
       0 0 0
                        0
                                              1;
       0 0 0
                        0
                                   -K 3*K ep -K 3*K ed];
Bc = [0]
                0;
       0
                 0;
       0
                 0;
       K_1*K_pp 0;
                 0;
                 K_3*K_ep];
% Number of states and inputs
mx = size(Ac, 2); % Number of states (number of columns in A)
mu = size(Bc,2); % Number of inputs(number of columns in B)
% Discrete time system model. x = [lambda r p p_dot]'
A1 = eye(mx) + delta_t*Ac;
B1 = Bc*delta_t;
q1 = 1;
q2 = 0;
```

```
q3 = 0;
q4 = 0;
q5 = 0;
q6 = 0;
Q = diag([q1, q2, q3, q4, q5, q6]);
R = diag([1 1]);
[\sim,P] = dlgr(Al,Bl,Q,R);
K = 1\R * B1'*P*((eye(mx)+B1*(1\R)*B1'*P)\A1);
% Initial values
x1 0 = pi;
                                        % Lambda
x2_0 = 0;
                                       % r
x3 0 = 0;
                                       % p
x4_0 = 0;
                                       % p_dot
x5_0 = 0;
                                       % e
x6_0 = 0;
                                       % e_dot
x0 = [x1_0 \ x2_0 \ x3_0 \ x4_0 \ x5_0 \ x6_0]'; % Initial values
% Time horizon and initialization
N = 40;
                                         % Time horizon for states
M = N;
                                       % Time horizon for inputs
z = zeros(N*mx+M*mu,1);
                                       % Initialize z for the whole
horizon
z0 = zi
                                      % Initial value for
optimization
% Bounds
ul = -Inf*ones(mu,1);
                                     % Lower bounds on control
      = Inf*ones(mu,1);
                                     % Upper bounds on control
ul(1) = -pi/6;
                                % First lower bound on control
                                % First upper bound on control
uu(1) = pi/6;
                                       % Lower bound on states (no
xl
      = -Inf*ones(mx,1);
bound)
xu = Inf*ones(mx,1);
                                      % Upper bound on states (no
bound)
x1(3)
      = ul(1);
                                          % Lower bound on state x3
xu(3) = uu(1);
                                          % Upper bound on state x3
% x1(2) = -pi/6;
% x1(6) = -pi/6;
% xu(2) = pi/6;
% xu(6) = pi/6;
% Generate constraints on measurements and inputs
[vlb,vub]
               = gen_constraints(N,M,xl,xu,ul,uu); % hint:
gen constraints
vlb(N*mx+M*mu) = 0;
                                      % We want the last input to be
zero
vub(N*mx+M*mu) = 0;
                                      % We want the last input to be
zero
```

```
Q1 = gen_q(Q,R,N,M); % Generate Q, hint: gen_q
```

Generate system matrixes for linear model

Solve QP problem with linear model

```
f = @(X) X'*Q1*X;
options = optimoptions('fmincon','Algorithm','sqp');
tic
z = fmincon(f,z0,[],[],Aeq,beq,vlb,vub, @constraint, options);
t1=toc;
% Calculate objective value
phi1 = 0.0;
PhiOut = zeros(N*mx+M*mu,1);
for i=1:N*mx+M*mu
   phi1=phi1+Q1(i,i)*z(i)*z(i);
   PhiOut(i) = phi1;
end
```

Extract control inputs and states

```
u1 = [z(N*mx+1:mu:end); z(N*mx+M*mu-1)];
                                                         % Control
 input from solution
u2 = [z(N*mx+2:mu:end); z(N*mx+M*mu)];
                                                       % Control input
 from solution
x1 = [x0(1); z(1:mx:N*mx)];
                                        % State x1 from solution
x2 = [x0(2); z(2:mx:N*mx)];
                                       % State x2 from solution
x3 = [x0(3);z(3:mx:N*mx)];
                                      % State x3 from solution
x4 = [x0(4);z(4:mx:N*mx)];
                                       % State x4 from solution
x5 = [x0(5);z(5:mx:N*mx)];
                                       % State x5 from solution
x6 = [x0(6);z(6:mx:N*mx)];
                                      % State x6 from solution
num_variables = 5/delta_t;
zero_padding = zeros(num_variables,1);
unit_padding = ones(num_variables,1);
     = [zero_padding; u1; zero_padding];
u1
u2 = [zero padding; u2; zero padding];
x1 = [pi*unit_padding; x1; zero_padding];
x2 = [zero_padding; x2; zero_padding];
x3 = [zero padding; x3; zero padding];
x4 = [zero_padding; x4; zero_padding];
x5 = [zero_padding; x5; zero_padding];
```

```
x6 = [zero_padding; x6; zero_padding];
t = 0:delta_t:(N+2*num_variables)*delta_t;
x_ref = [t' x1 x2 x3 x4 x5 x6];
%save('x_ref.mat', 'x_ref')
u = [t' u1 u2];
```

Plotting

```
figure(2)
subplot(421)
stairs(t,u1),grid
ylabel('u1')
subplot(422)
stairs(t,u2),grid
ylabel('u2')
subplot(423)
plot(t,x1,'m',t,x1,'mo'),grid
ylabel('lambda')
subplot(424)
plot(t,x2,'m',t,x2','mo'),grid
ylabel('r')
subplot(425)
plot(t,x3,'m',t,x3,'mo'),grid
ylabel('p')
subplot(426)
plot(t,x4,'m',t,x4','mo'),grid
xlabel('tid (s)'),ylabel('pdot')
subplot(427)
plot(t,x5,'m',t,x5,'mo'),grid
ylabel('e')
subplot(428)
plot(t,x6,'m',t,x6','mo'),grid
xlabel('tid (s)'),ylabel('edot')
```

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