Pre-Calculus Exam 3 version 1

name:

1. suppose A lies between 0 and 90° and

$$\sec A + \tan A = 4$$

determine $\cos(A)$

A

$$\frac{5}{11}$$

В

 $\frac{5}{13}$

C none of these

2. Suppose we know a triangle has $A=36^{o},\,b=23,\,C=49^{o}$,

Solve the missing items, $[B^o, a, c]$.

A [95°, 6.5940, 0.93994]

- $\boxed{\mathbf{B}} [95^o, 13.571, 17.425]$
- C no real triangles
- D none of these
- 3. Suppose we know a triangle has $A=40^{o}$, c=31, a=43, solve the missing items, $[b,C^{o},B^{o}]$,
 - A [75.4541, '14.1224°', '144.878°']
 - B [61.8517, '27.6070°', '112.393°']

- C [2.28322, '150.294°', '1.70628°'] or [64.8208, '29.7063°', '122.294°']
- D [65.4834, '19.8609°', '134.139°']
- E none of these
- 4. Suppose we know a triangle has $c=14,\,b=5,\,a=12$, WHICH application of the LAW of COSINES would result in an equation with only ONE unknown quantity?
- $\begin{array}{|c|c|c|c|c|}\hline A & c^2 = b^2 + a^2 2ba\cos(C) \\\hline C & 1^2 & 2 + 2ab\cos(C) \\\hline \end{array}$
- $\boxed{\mathbf{B}} \quad a^2 = b^2 + c^2 2bc\cos(A)$
- $C \quad b^2 = a^2 + c^2 2ab\cos(B)$
- $\boxed{\mathbf{D}} c^2 = b^2 + a^2 2ba\cos(A)$

5. Consider the following trigonometric equation

$$2\cos(3x) - 5 = 0$$

the equation has no real solutions

B the identity

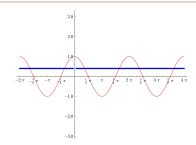
$$\cos(2x) = 2\cos^2(x) - 1$$

is helpful in solving this equation

C none of these

6. One solution to the equation

 $\frac{2}{5} = \cos(x)$ is approx 66.422°



- A $x = 293.58^{\circ}$
- $B x = 360^{\circ} 66.422^{\circ}$
- 156.42^{o}
- $\overline{\mathbf{D}} \quad x = -113.58^{\circ}$
- $\boxed{\mathbf{E}} \quad x = 246.42^{o}$

- **F** *a*
- $x = 66.422 + 180^{\circ}$
- G none of these

What is the NEXT real solution to the right?

7.

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Suppose we know a triangle has $A=79^o,\,b=10,\,c=7,$ Solve the triangle:

- A [B, a, C]=['104.5°', 6.639, '35.52°']
- B [B, a, C]=['25.30°', 13.00, '18.70°']
- C [B, a, C]=['62.58°', 11.06, '38.42°']
- 8. (Assume none of the quantities are zero) Suppose we know

$$\frac{A}{B} = \frac{X}{Y}$$

Select variations of the same statement as above [i.e. equivalent statements.]

A

$$A = \frac{BX}{Y}$$

 $oxed{B}$ A is to B as X is to Y.

 \mathbf{C}

$$\frac{B}{A} = \frac{Y}{X}$$

 $\overline{\mathbf{D}}$ X is to Y as A is to B

 \mathbf{E}

$$AY = BX$$

F

$$\frac{Y}{X} = \frac{B}{A}$$

G

$$\frac{BX}{A} = Y$$

H | none of these

9. Consider the following trigonometric equation

$$\sin(x) = 4\sin^2(x)$$

- $oxed{A}$ it has the same solutions as the equation $1=4\sin(x)$
 - B the equation has no real solutions
- C none of these

10. Consider the following trigonometric equation

$$2\cos(3x) + \cos(2x) + 1 = 0$$

B the equation has the same solutions as the equation

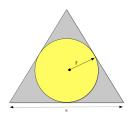
$$2(4\cos^3(x) - 3\cos(x)) + 2\cos^2(x) - 1 + 1 = 0$$

C the identity

$$\cos(2x) = 2\cos^2(x) - 1$$

- is helpful in solving this equation
- D none of these
- 11. Suppose a circle is inscribed in an equilateral triangle. Find the radius r if the side is s=8

the equation has no real solutions



12. Consider the following trigonometric equation

$$\sin(x) = \frac{1}{\sqrt{3}}$$

A it has the same solutions as the equation $\sin^2(x) = \frac{1}{3}$

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B the equation has no real solutions

C none of these