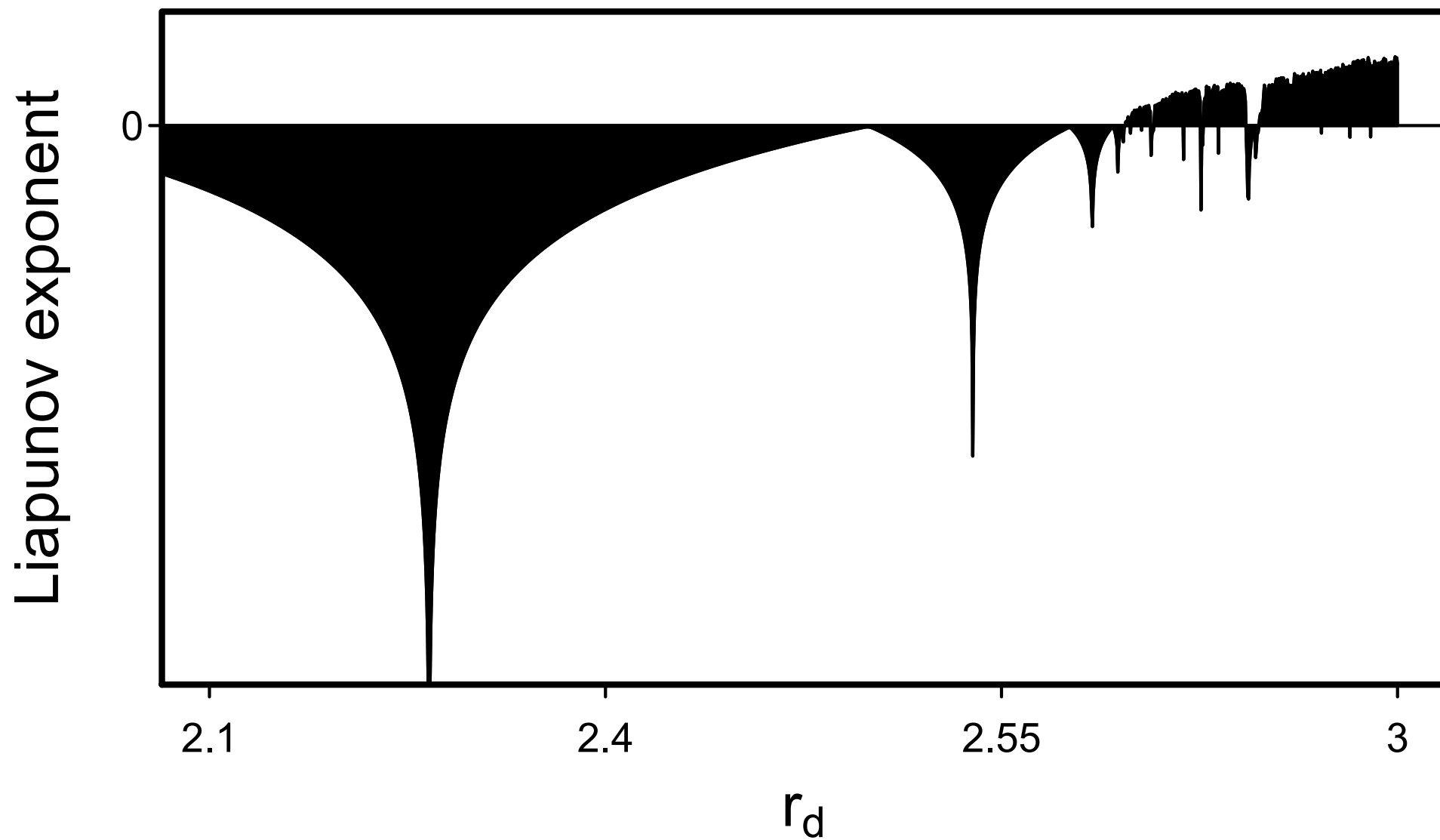
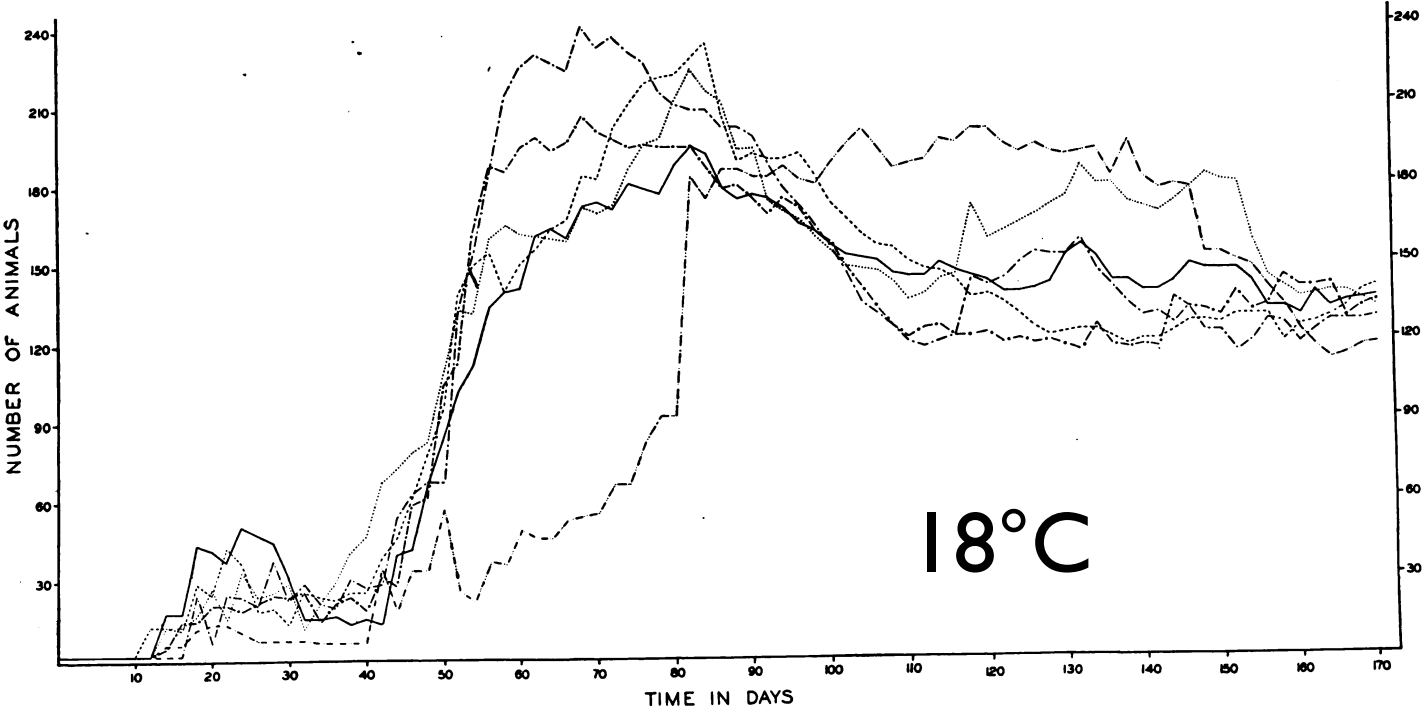


$$\lambda = \frac{\ln \left(\frac{|\Delta_t|}{|\Delta_0|} \right)}{t}$$

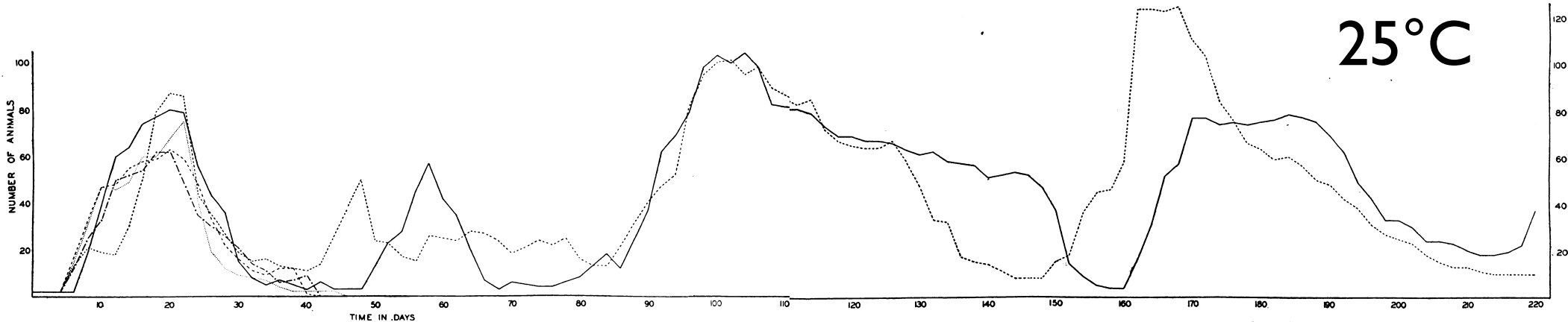


ANALYSIS OF POPULATION DEVELOPMENT IN DAPHNIA AT DIFFERENT TEMPERATURES

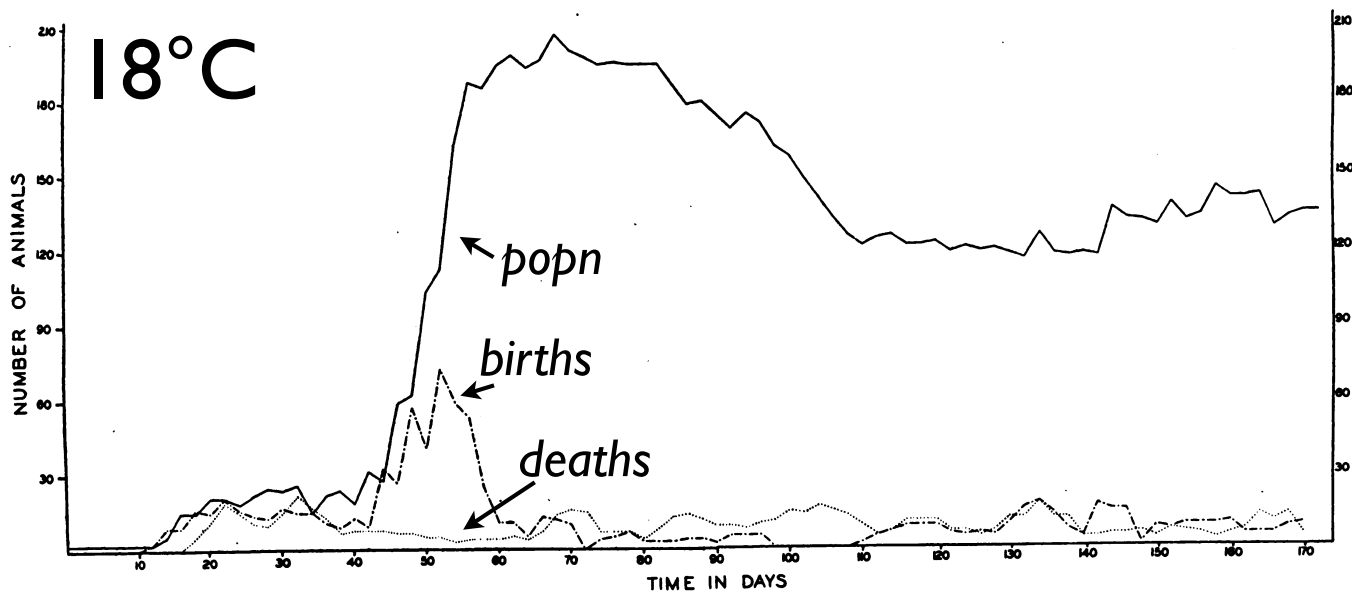
DAVID M. PRATT



GRAPH II. Population development at 18° C. (Series C.)

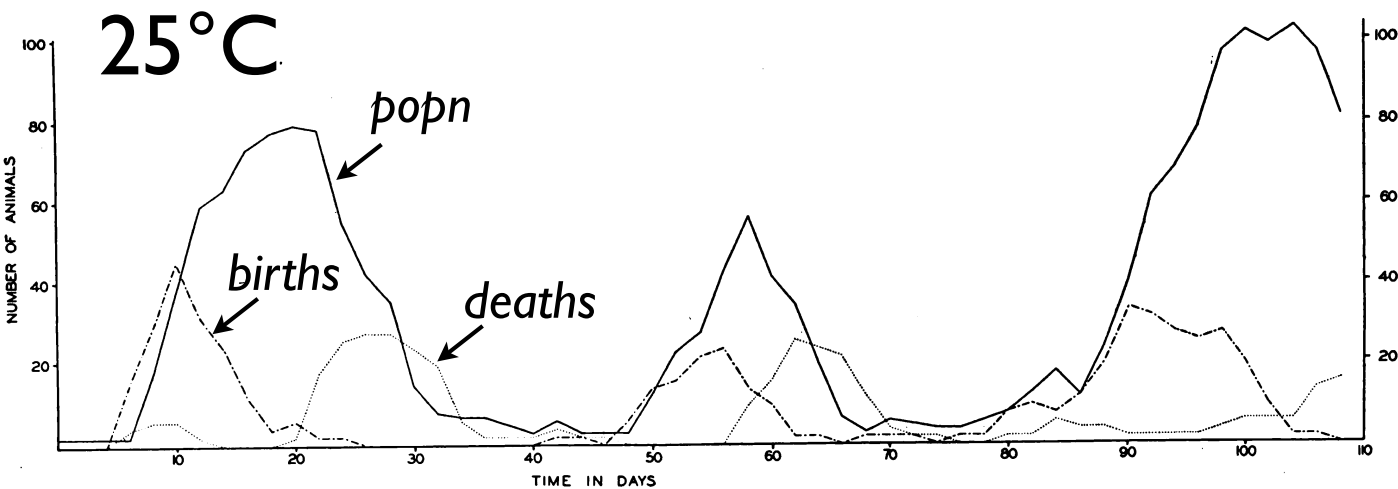


GRAPH I. Population development at 25° C. (Series C.)



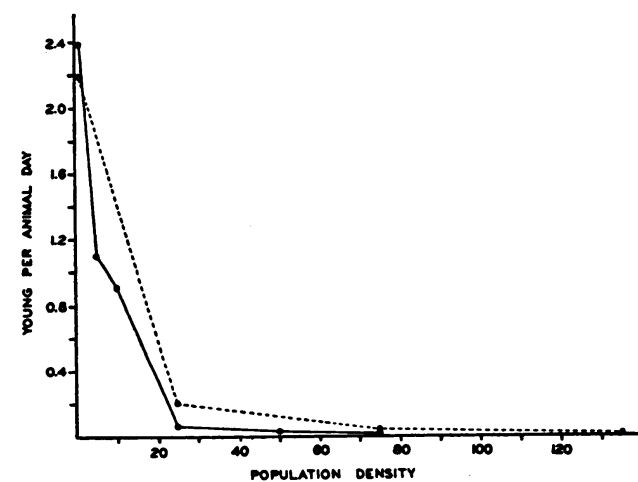
GRAPH IV. Mechanism of oscillation at 18° C.

Legend: population size —
 deaths *
 births * - - -



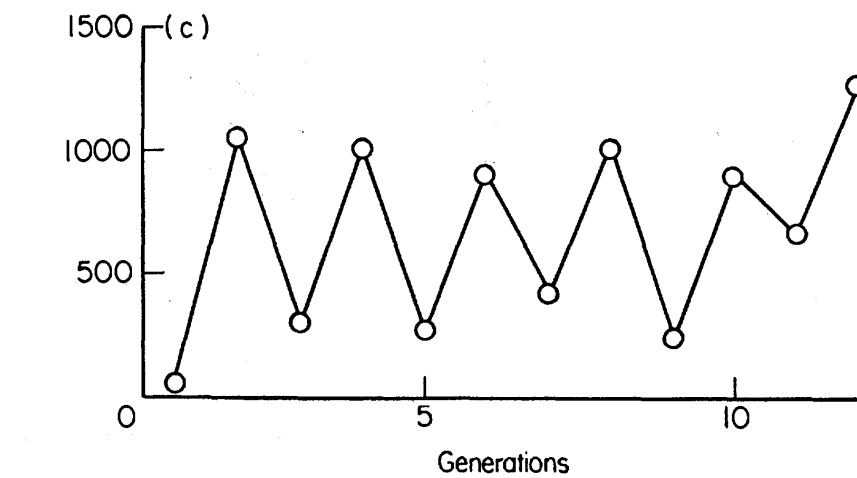
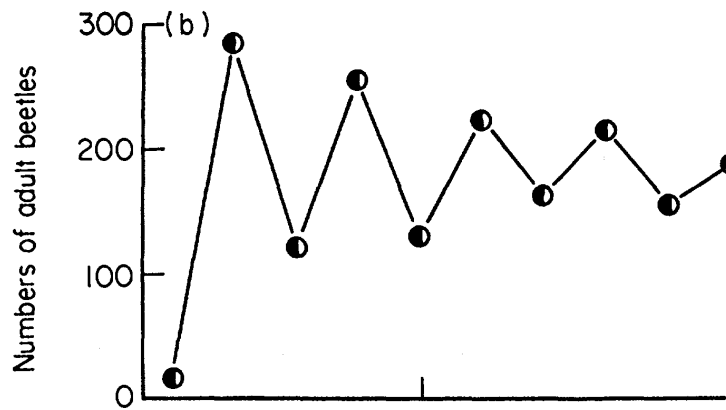
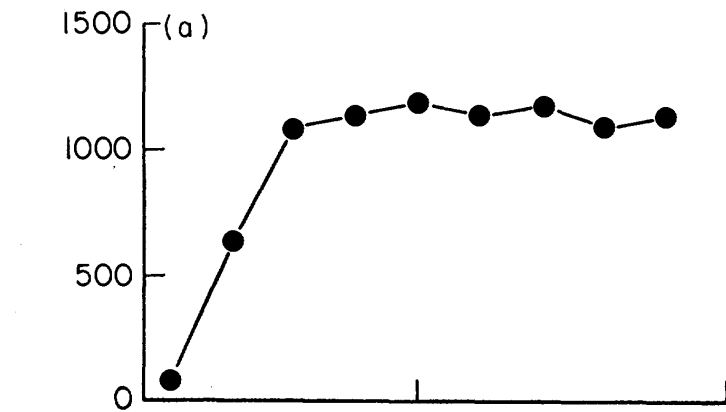
GRAPH III. Mechanism of oscillation at 25° C.

Legend: population size —
 deaths *
 births * - - -



Population density and reproductive rate.

Legend: 18° C. - - -
 25° C. —



Callosobruchus chinensis



Callosobruchus maculatus



○ Blowflies

PATTERNS OF DYNAMICAL BEHAVIOUR IN SINGLE-SPECIES POPULATIONS

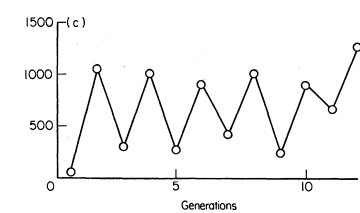
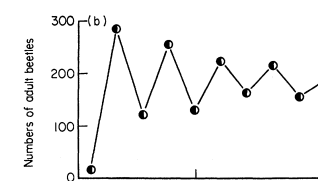
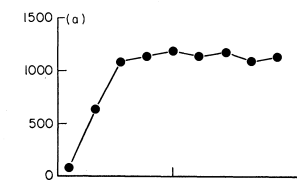
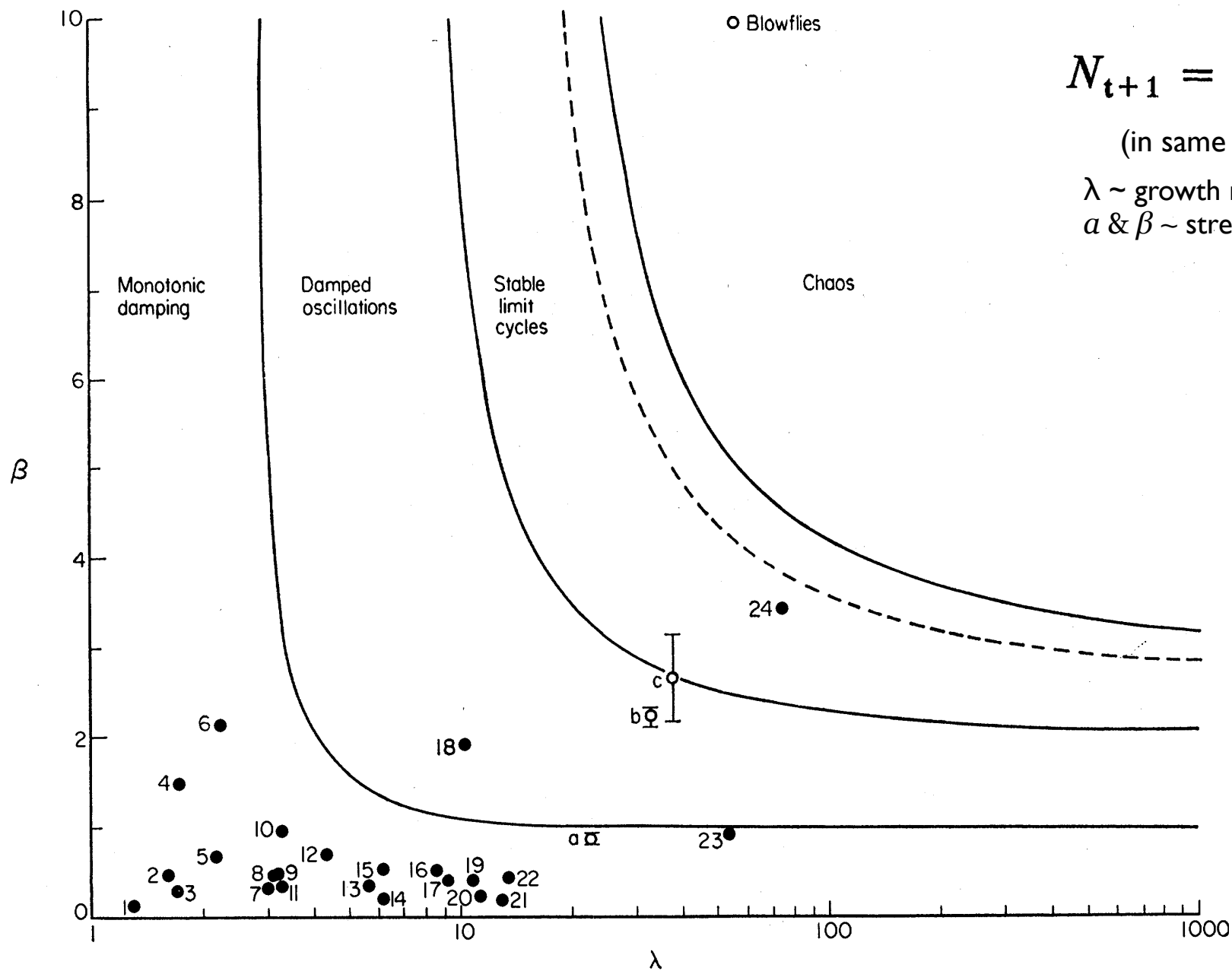
By M. P. HASSELL,* J. H. LAWTON† AND R. M. MAY‡

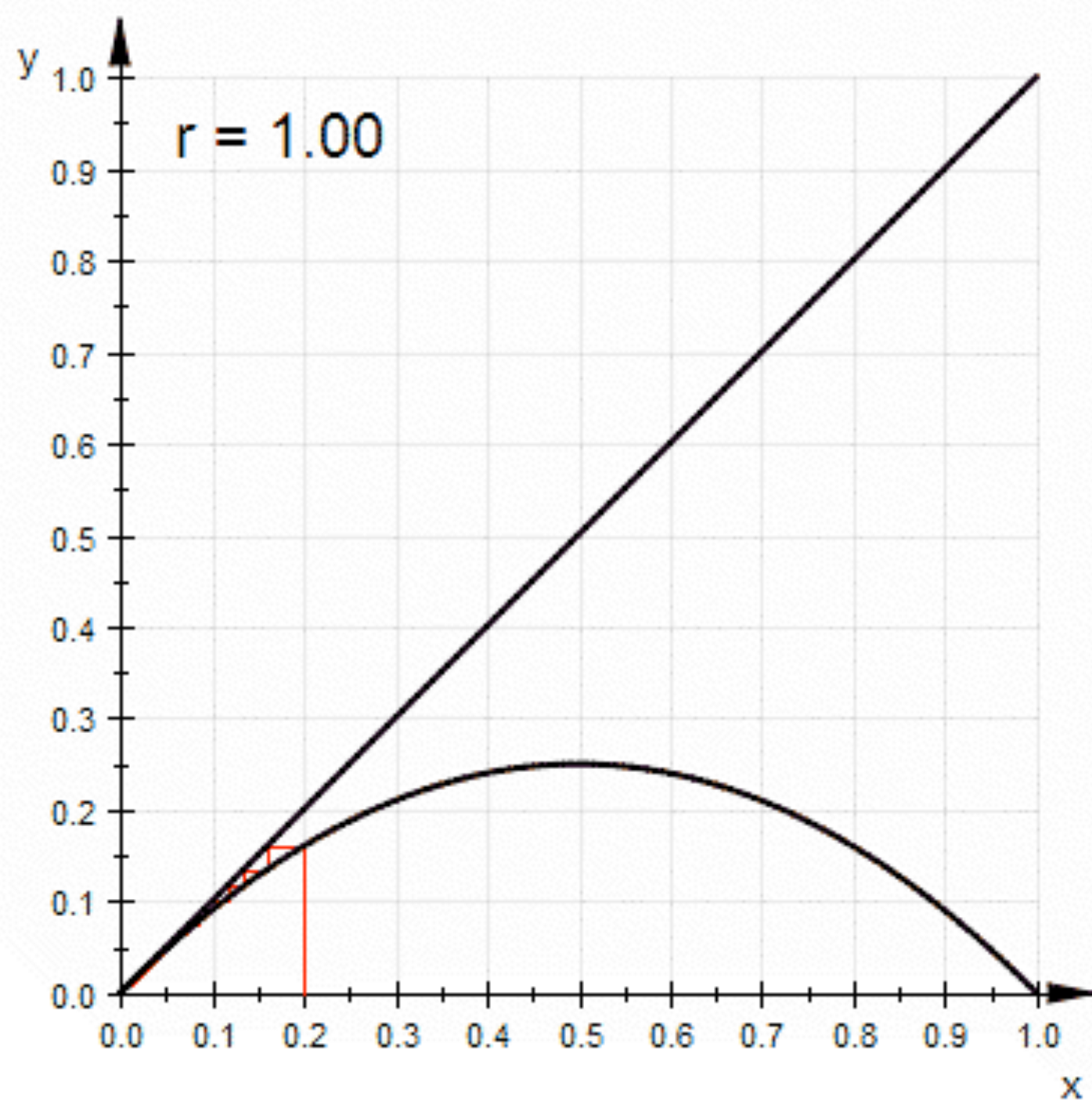
$$N_{t+1} = \lambda N_t (1 + a N_t)^{-\beta}$$

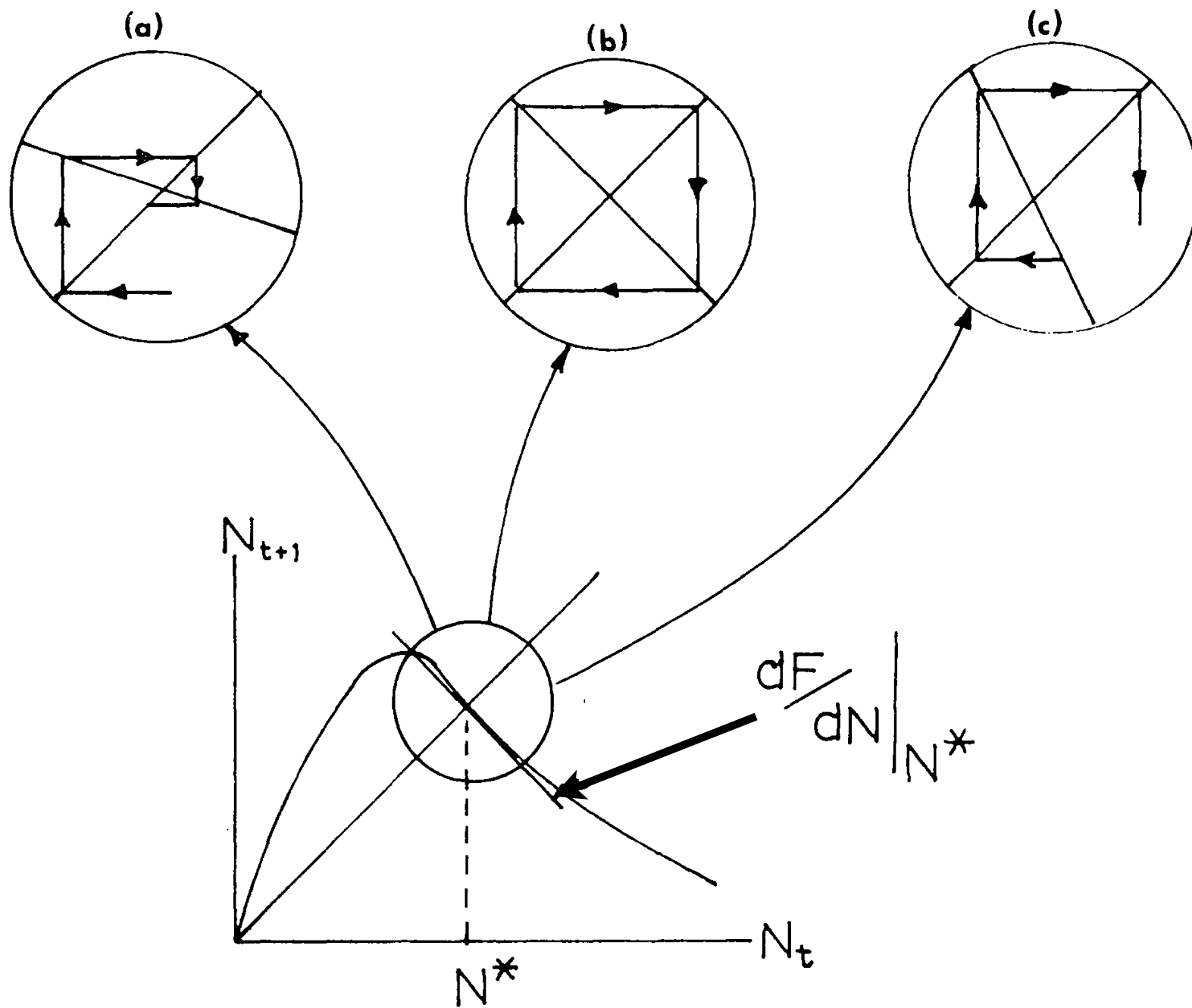
(in same family as logistic)

$\lambda \sim$ growth rate (like r_d)

a & $\beta \sim$ strength of density dependence







Ricker model