

Problem Set 3

Applied Stats/Quant Methods 1

Due: November 12, 2021

Instructions

- Please show your work! You may lose points by simply writing in the answer. If the problem requires you to execute commands in **R**, please include the code you used to get your answers. Please also include the **.R** file that contains your code. If you are not sure if work needs to be shown for a particular problem, please ask.
- Your homework should be submitted electronically on GitHub in **.pdf** form.
- This problem set is due before class on Friday November 12, 2021. No late assignments will be accepted.
- Total available points for this homework is 80.

In this problem set, you will run several regressions and create an add variable plot (see the lecture slides) in **R** using the `incumbents_subset.csv` dataset. Include all of your code.

Question 1

We are interested in knowing how the difference in campaign spending between incumbent and challenger affects the incumbent's vote share.

1. Run a regression where the outcome variable is `voteshare` and the explanatory variable is `difflog`.

Create object `votesharedifflog` from regression on `voteshre` and `difflog`

Use `lm` function. Code is as follows....

```
- votesharedifflog <- lm(incumbents dollar sign voteshare ~ incumbents dollar sign difflog)
- votesharedifflog
```

Intercept = 0.58, slope = 0.04

2. Make a scatterplot of the two variables and add the regression line.

Use `plot()` and `abline` functions in R

```
- plot(votesharedifflog)
- abline(votesharedifflog)
```

Moderately positive/null relation observed in plot

3. Save the residuals of the model in a separate object.

Use residuals() function in R on votesharedifflog

- residuals1 \leftarrow residuals(votesharedifflog)

Print residuals1

- residuals1

4. Write the prediction equation.

Equation = intercept + slope multiplied by random x value

E.g. use 15 as random x value

- $0.58 + 0.04 \cdot 15$

Predicted value is 1.18

Question 2

We are interested in knowing how the difference between incumbent and challenger's spending and the vote share of the presidential candidate of the incumbent's party are related.

1. Run a regression where the outcome variable is **presvote** and the explanatory variable is **difflog**.

Create object `difflogpresvote` from regression of `presvote` and `difflog`

Use `lm` function for regression

- `difflogpresvote <- lm(incumbentspresvote ~ incumbentsdifflog)`

Print `difflogpresvote`

Intercept = 0.51, slope = 0.02

2. Make a scatterplot of the two variables and add the regression line.

Make scatterplot of `difflogpresvote` and add regression line using `plot` and `abline` functions in R

- `plot(difflogpresvote)`

- `abline(difflogpresvote)`

Moderately positive/null relation observed in plot

3. Save the residuals of the model in a separate object.

Save residuals of model in sperate object residuals2

- residuals2 :- residuals(difflogpresvote)

Print residuals2 - residuals2

4. Write the prediction equation.

Equation = intercept + slope multiplied by random x value

E.g. use 5 as random x value

- $0.51 + 0.02 \cdot 5$

Predicted y value is 0.61

Question 3

We are interested in knowing how the vote share of the presidential candidate of the incumbent's party is associated with the incumbent's electoral success.

1. Run a regression where the outcome variable is **voteshare** and the explanatory variable is **presvote**.

Create object `presvotevoteshare` from regression on `presvote` and `voteshare`

Use `lm` function for regression in R

```
- presvotevoteshare <- lm(incumbentspresvote incumbentsvoteshare)
```

Print `presvotevoteshare`

```
- presvotevoteshare
```

2. Make a scatterplot of the two variables and add the regression line.

Use `plot` and `abline` functions in R

```
- plot(presvotevoteshare)
```

```
- abline(presvotevoteshare)
```

Moderately positive/null relation observed in plot

3. Write the prediction equation.

Equation is $y = 0.2036 \text{ (intercept)} + 0.5304 \text{ (slope)} * \text{random } x$

E.g. X value = 9

- $0.2036 + 0.5304 \times 9$

Predicted y value = 4.9772

Question 4

The residuals from part (a) tell us how much of the variation in **voteshare** is *not* explained by the difference in spending between incumbent and challenger. The residuals in part (b) tell us how much of the variation in **presvote** is *not* explained by the difference in spending between incumbent and challenger in the district.

1. Run a regression where the outcome variable is the residuals from Question 1 and the explanatory variable is the residuals from Question 2.

Run regression between outcome var residuals1 and explanatory var residuals2

Create object combresiduals from regression

Code is as follows...

```
- combresiduals <- lm(residuals1 ~ residuals2)
```

Print combresiduals

```
- combresiduals
```

Intercept = 4.498, slope = 6.866

2. Make a scatterplot of the two residuals and add the regression line.

Use plot and abline functions on combresiduals

- plot(combresiduals)

- abline(combresiduals)

Strongly positive relation between residuals indicated by plot

3. Write the prediction equation.

Add intercept and slope and multiply slope by random x value (i.e. residual2 value)

E.g. X value = 20

- $4.498 + 6.866 \cdot 20$

Predicted y value when x is 20 = 141.818

Question 5

What if the incumbent's vote share is affected by both the president's popularity and the difference in spending between incumbent and challenger?

1. Run a regression where the outcome variable is the incumbent's `voteshare` and the explanatory variables are `difflog` and `presvote`.

Multi-Variate Regression

Create object `votesharediffpresvote` from regression.

Use `lm` function. Use `+` sign to add on a second predictor (or `x`) variable

- `votesharediffpresvote` :- `lm(voteshare ~ difflog+presvote, data=incumbents)`

Print `votesharediffpresvote`

- `votesharediffpresvote`

Intercept = 0.44864, slopes = 0.03554 and 0.25688

2. Write the prediction equation.

Use `x` values from sample. E.g. First `difflog` value 0.570 and first `presvote` value 0.527

- $0.459 + 0.036 \cdot 0.570 + 0.257 \cdot 0.527$

Predicted `y` value = 0.615

3. What is it in this output that is identical to the output in Question 4? Why do you think this is the case?