

SuperSecureComputationalDevice Project - Description

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El Gamal keys

- $\{Pk, Sk\}$ El Gamal for MPC computation
- $\{CPk, CSk\}$ El Gamal clients keys

What Players Have

P1 : OT $\{b_0^{p1}, b_1^{p1}, b_2^{p1}, b_3^{p1}\}$, b_c^{p2} , c^{p1} , and $\text{Enc}_{pk}(m_1)$

P2 : OT $\{b_0^{p2}, b_1^{p2}, b_2^{p2}, b_3^{p2}\}$, b_c^{p1} , c^{p2} , and $\text{Enc}_{pk}(m_2)$

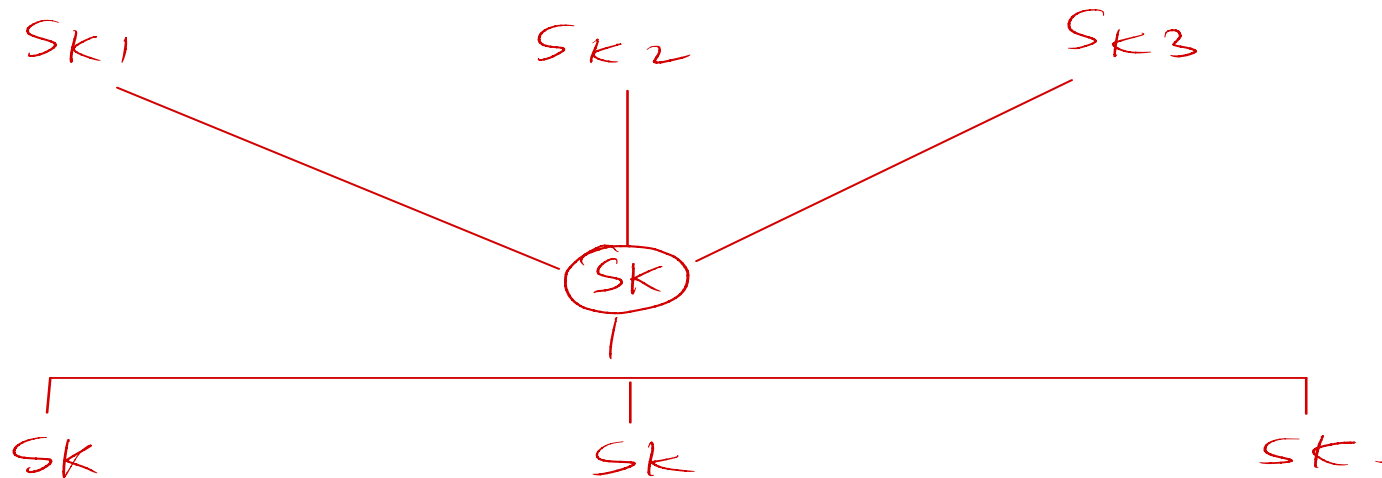
P3 : $\text{Enc}_{pk}(m_3)$

MPC

P_1 P_2 P_3
 $\rightarrow \text{Enc}_{PK}(m_1)$ $\text{Enc}_{PK}(m_2)$ $\text{Enc}_{PK}(m_3)$

$$P_i \rightarrow m_i = \underbrace{\overset{P_1}{\delta_1} + \overset{P_2}{\delta_2} + \underbrace{m_i - \delta_1 - \delta_2}_{P_3}}_{\delta_i \in R.}$$

Additive Sharing



m_1 m_2 m_3

multiplication^{*}
gadget

* no
libs used

$$\gamma \quad x = \frac{x_1 + x_2}{y_1}$$

$$\begin{array}{c} \xleftarrow{y_1} \\ \xrightarrow{x_2} \end{array}$$

$$y = \frac{y_1 + y_2}{x_2}$$

$$\gamma + (x_1 \cdot x_2)$$

$$\gamma + (x_1 + 1) x_2$$

$$\gamma + x_2 (x_2 + 1)$$

$$\gamma + (x_2 + 1)(x_2 + 1)$$

Proc
computed
1-4-OT

$$\leftarrow b$$

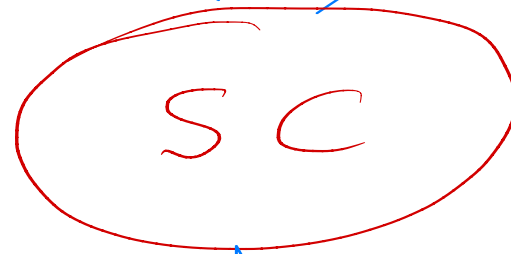
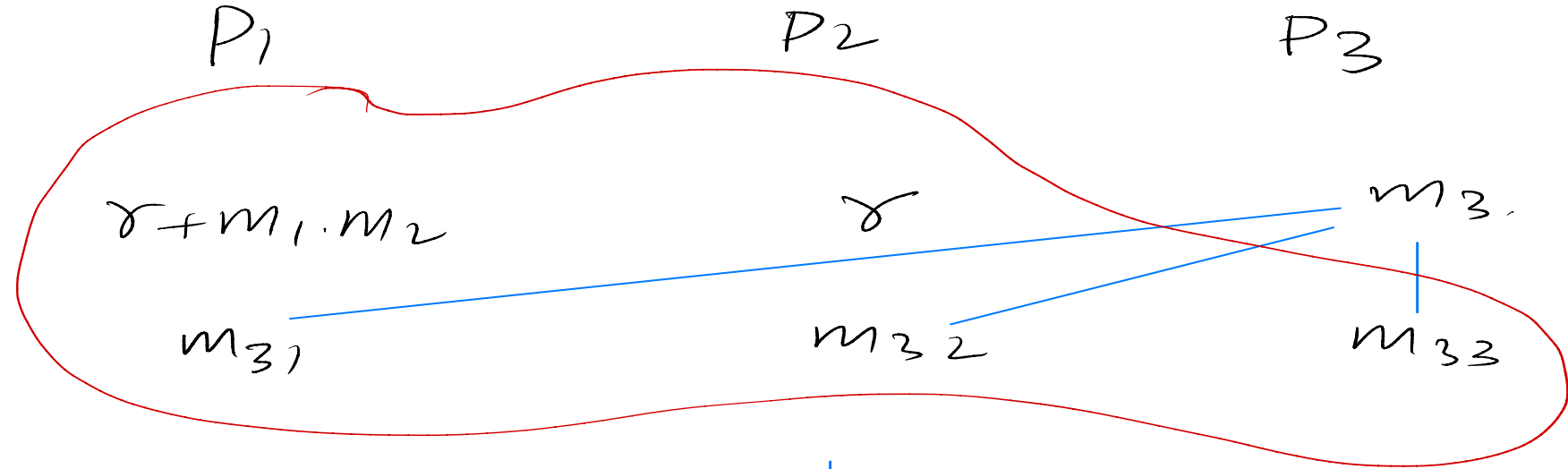
$$\rightarrow$$

b	y_1	y_2
0	0	0
1	0	1
2	1	0
3	1	1

$$\gamma$$

$$\gamma + x$$

$$\underline{s_1 s_2 = \sum_{i \leq 2} \sum_{j \leq 2} s_i s_j}$$



CLIENT. $\{CSK, CPK\}$

Specifications

- Before the start of the main protocol, Client generates and reveals his public key.
- Each party at the end of our protocol sends $(g^y, m * h^y)$ to the client/ posts it on the ledger.
- Once the Encrypted shares are posted on the ledger, we will consider our protocol done as only client will have the ability to decrypt those shares.
- Since, the ledger is public, Client will be able to access this ledger and then get the values.

Goals achieved -

- Only client can know the computed value, ONLY if he pays 10000 ALGOS and no one else can (even anyone amongst the players).
- Only encrypted values will be on the ledger.
- In case any party crashes, the client gets his 10000ALGOS back.
- $M = \{7, 2, 1\}$
- Ps computations (sent securely to client)- $\{2, 13, 0\} = 15 = 7 * 2 + 1$