

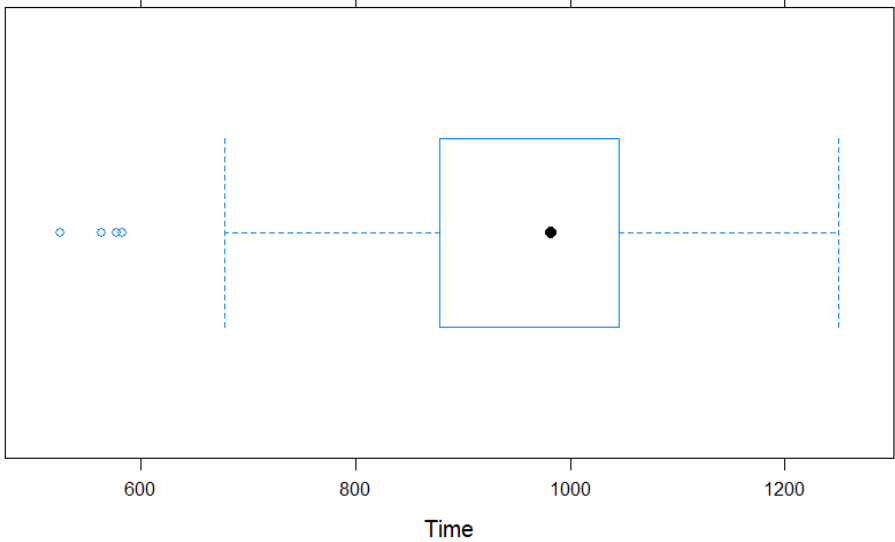
NAME: _____

Set: _____

MATH 1350

Statistics for Information Technology**Lab # 3 – Boxplots and Probability Basics**

Answer/Grading Sheet

Step :	Answer (if requested)	Mar k	
5	<ul style="list-style-type: none"> Load the mosaic library 		/1
7	<ul style="list-style-type: none"> Import commands for the data file 		/1
10-11	<ul style="list-style-type: none"> Modified bwplot command that includes graph title option Copy and paste the boxplot of all times here <p style="text-align: center;">Times Boxplot</p> 		/1 /1
13-14	<ul style="list-style-type: none"> Modified command for horizontally or vertically stacked boxplots, WITH axis labels and graph title Copy and paste the boxplot of times by set here 		/2 /1

Step :	Answer (if requested)	Mar k	
	<p style="text-align: center;">Times Boxplot</p>		
15	<ul style="list-style-type: none"> Which set do you feel was faster? EXPLAIN. <p>By examination of the box plots, I would say B is only slightly faster. They both seems to be close, but B has more of their times at or above ~900 whereas Set A has a wider range. However, with the favstats cmd, it is shown that Set A has a higher average.</p>		/ 2
17	<ul style="list-style-type: none"> Paste the mean payout value for the cointoss game here: <pre>mean(payout) [1] 0.504</pre>		/ 1
18	<pre>n <- 1:20000 cards <- sample(c(1,2,3,4,5,6,7,8,9,10,11,12,13), length(n),replace=TRUE) dierolls <- sample(c(1,2,3,4,5,6), length(n),replace=TRUE) payout <- 0 #let a 0 represent a heads up coin, a 1 represent a tails up coin for (i in n) { if (cards[i] < 5) {</pre>		/ 4

Step :	Answer (if requested)	Mark	
	<pre> payout[i]<- 5*dierolls[i] } else { payout [i] <- dierolls[i] } } </pre>		
19	<ul style="list-style-type: none"> Paste the mean payout value for the card & dieroll game here: <pre>> mean(payout)</pre> <pre>[1] 7.807135</pre> What is your estimate of the “break even” price to play my new game? My estimate break even price would be around \$7.8. 		/ 1

R script

Paste your R script here. Make sure that it contains ALL of the elements worth points listed above.

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# Lab 3
# Markus Afonso

library(mosaic)

gametimes <- read.delim("C:/Users/Markus/OneDrive -
BCIT/Desktop/Term2/MATH 1350 Statistics for IT/Week3/lab3.txt",
comment.char="#")

bwplot(~Time,data=gametimes, main='Times Boxplot')

bwplot(Time~Set,data=gametimes, main='Times Boxplot', ylab='Set',
xlab='Time')

favstats(Time~Set,data=gametimes)

#Stage 2 - Probability Experiments in R
n <- 1:20000
cointosses <- sample(c(0,1), length(n),replace=TRUE)
payout <- 0*n
#let a 0 represent a heads up coin, a 1 represent a tails up coin
for (i in n) {
  if (cointosses [i]==1) {

```

Step :	Answer (if requested)	Mark	
	<pre> payout [i] <- 1 } else { payout [i] <- 0 } } mean(payout) ## Cards n <- 1:20000 cards <- sample(c(1,2,3,4,5,6,7,8,9,10,11,12,13), length(n),replace=TRUE) dierolls <- sample(c(1,2,3,4,5,6), length(n),replace=TRUE) payout <- 0 <i>#let a 0 represent a heads up coin, a 1 represent a tails up coin</i> for (i in n) { if (cards[i] < 5) { payout[i]<- 5*dierolls[i] } else { payout [i] <- dierolls[i] } } mean(payout) </pre>		
	Paper and Pencil problem #1 (this is just a space for your marks)		/ 3

Step :	Answer (if requested)	Mark	
	<p><u>mean</u></p> $\frac{3.9 + 4.0 + 4.1 + 4.2 + 4.5 + 4.7 + 4.8 + 5.0 + 5.1 + 5.1}{10} = 45.4$ $\frac{45.4}{10} = 4.54$ $\frac{1.6 + 2.8 + 3.2 + 3.6 + 4.1 + 5.1 + 5.1 + 5.9 + 6.7 + 7.7}{10} = 45.8$ $\frac{45.8}{10} = 4.58$ <p style="text-align: center;"> ← Trump ← Trudeau </p> $4.58 - 4.54 = 0.04$ <p><u>median</u></p> $\frac{4.5 + 4.7}{2} = 4.6$ $\frac{4.1 + 5.1}{2} = 4.6$ <p style="text-align: center;">} same median</p> <p><u>Standard deviation</u></p> <p>Trudeau $S = \sqrt{\frac{(3.9 - 4.54)^2 + (4.0 - 4.54)^2 + (4.1 - 4.54)^2 + (4.2 - 4.54)^2 + (4.5 - 4.54)^2 + (4.7 - 4.54)^2 + (4.8 - 4.54)^2 + (5.0 - 4.54)^2 + (5.1 - 4.54)^2 + (5.1 - 4.54)^2}{10 - 1}}$</p> $S = \sqrt{\frac{1.944}{9}}$ $S = 0.46425$ <p>Trump</p> $S = \sqrt{\frac{(1.6 - 4.58)^2 + (2.8 - 4.58)^2 + (3.2 - 4.58)^2 + (3.6 - 4.58)^2 + (4.1 - 4.58)^2 + (5.1 - 4.58)^2 + (5.1 - 4.58)^2 + (5.9 - 4.58)^2 + (6.7 - 4.58)^2 + (7.7 - 4.58)^2}{10 - 1}}$ $S = \sqrt{\frac{31.656}{9}}$ $S = 1.8755$ <p style="text-align: center;">Trump has a much larger sd.</p>		

Step :	Answer (if requested)	Mark	
	<p><u>deviation coefficient</u></p> $CV = \frac{s}{\bar{x}} \times 100$ <p><u>trudeau</u></p> $CV = \frac{0.46475}{4.54} \times 100$ $CV = 10.237\%$ <p><u>Trump</u></p> $CV = \frac{1.8755}{4.58} \times 100$ $CV = 40.95\%$ <p>By calculating the difference between the average times we found that Trudeau has a 0.04s faster line, but Trump has a much larger variance. But, with a large enough sample, I believe that the times would be basically the same.</p>		
	<p>Paper and Pencil problem #2</p> <p>2) By using the equation $CV = \frac{s}{\bar{x}} \times 100$ we can find the coefficient of variance.</p> <p><u>Sandi</u></p> $CV = \frac{1.21}{23} \times 100$ $CV = 8.3043\%$ <p><u>cameron</u></p> $CV = \frac{2.12}{41} \times 100$ $CV = 5.1707\%$ <p>$8.3043\% > 5.1707\%$</p> <p>\therefore cameron has a more consistent reading speed.</p>		/ 2
	Paper and Pencil problem #3		/ 3

Step :	Answer (if requested)	Mar k	
	<p>3) a) using combination</p> $n = 52$ $r = 2$ $\frac{n!}{(n-r)! r!}$ $\frac{52!}{(52-2)! 2!}$ $\frac{52 \times 51 \times \cancel{50!}}{\cancel{50!} \cdot 2}$ $\frac{52 \times 51}{2}$ $= 1326$ <p>b) # of Ace pairs</p> $= {}_4C_2$ $\frac{4!}{(4-2)! 2!}$ $\frac{4 \times 3 \times \cancel{2!}}{\cancel{2!} \cdot 2!}$ $\frac{12}{2!}$ $= 6 \text{ different pairs}$		

Step :	Answer (if requested)	Mar k	
	<p>c) # of possible pairs</p> ${}_{52}C_2$ $\frac{52!}{(52-2)! 2!}$ $\frac{52 \times 51 \times \cancel{50!}}{\cancel{50!} 2!}$ $\frac{2652}{2!}$ $= 1326$ $P(\text{\# of acc pairs}) = \frac{\text{\# of acc pairs}}{\text{\# of possible pairs}}$ $= \frac{6}{1326}$ $= 0.00452 \quad \text{or} \quad 0.452\%$		
	Paper and Pencil problem #4		/3

Step :	Answer (if requested)	Mark
	<p>4) <u>Dice Rolls</u></p> <p>b) possible times \times amount</p> <p>\rightarrow all cards under 5</p> <p>$9(5 + 10 + 15 + 20 + 25 + 30) + 9(1 + 2 + 3 + 4 + 5 + 6)$ \rightarrow all cards above 5</p> <p>\rightarrow the values of dice for each count</p> <p>$420 + 189$</p> <p>$= 609$</p> <p>c) $\frac{\text{total amount}}{\text{possible times}}$</p> <p>$= \frac{609}{78}$</p> <p>$= 7.80??$</p> <p>it is the same or very close to the number found in stage 2.</p> <p> Hand 4 (Kohlitz)</p>	