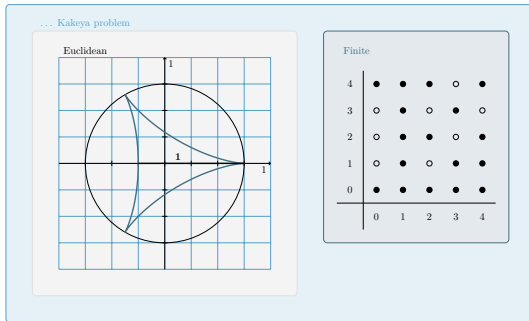


# This is my presentation

## A template for presentations



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May 4, 2024

# Overview

- ① Notations and Definitions
- ② Results
  - Ⓐ Orbit-Stabilizer Theorem
  - Ⓑ Burnside Lemma

# A tasty slide!

## Definition: Group action

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*reads as ...*

$$e \cdot x = x$$

$$g \cdot (h \cdot x) = (gh) \cdot x$$

*reads as ...*

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# Improvements?

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Feel free to adapt/polish this template in any way you like. I am happy to discuss ideas and suggestions for general improvement of this template!