$$\prod_{n} \prod_{g} p(i_{ng}|\beta, z_n) \prod_{n} \prod_{d} p(w_{nd}|i_{ng}, f, l_d)$$

$$\binom{n}{n} \binom{1}{d}^{p}$$

From Kim et al. (NIPS, 2015)

 $Pr(\{y_g, \gamma_g, t_{gk}, \beta_{gk}, l_d, f_g, z_n, i_{ng}\} | \{w_{nd}\}) = \prod p(y_g | \rho) p(\gamma_g | \sigma) p(f_g | \alpha).$

 $[\prod p(t_{gk}|\gamma_g)p(\beta_{gk}|t_{gk},y_g)]p(\kappa|\alpha)\prod p(l_d|\kappa)p(\pi|\alpha)\prod p(z_n|\pi)$