

1. Suppose you have a sample of 100 heights of individuals from a specific population. For this question, let’s assume the standard deviation of the **population** is 1 cm. You have found that the **sample mean** of these 100 individuals is 175cm. Suppose you want to build a confidence interval with 99% of confidence level.

1 / 1 point

What expression describes the margin of error for this specific task?

- ☐ $z_{0.99} \cdot \frac{1}{10}$
- ☐ $z_{0.495} \cdot \frac{1}{100}$
- ☒ $z_{0.495} \cdot \frac{1}{10}$
- ☐ $z_{0.99} \cdot \frac{1}{100}$

✔ Correct

Correct! As you’ve seen in the lectures, the formula for the margin of error is $z_{\alpha/2} \cdot \frac{\sigma}{\sqrt{n}}$.

2. The real number z_{β} represents the value for which the area under the curve between 0 and z_{β} is equal to β . For example, if $\alpha = 0.5$, $z_{0.5}$ is the real number such that the area between 0 and $z_{0.5}$ is 0.5. Since the Standard Normal Distribution is symmetric about 0, this implies that the area between $-z_{0.2}$ and $z_{0.2}$ is 0.4, which accounts for 40% of the distribution's total area.

1 / 1 point

To determine the precise value of z_{β} , you can utilize Python or any other software that includes a statistical library. Alternatively, you can refer to the z -tables, which provide manual lookup for these values. Although the use of z -tables has diminished due to advancements in technology, they still find relevance in certain situations, such as Statistics exams that only permit basic calculators.

You can find one such example [here](#) [↗](#). So to find the z value for $\beta = 0.17$ we just lookup in the table for the closest value to 0.17 and look at the respective z . In this case, $z_{0.17} = 0.44$.

Given that, the value for $z_{0.4949}$ is:

- ☒ 2.57
- ☐ 2.5
- ☐ 2.07
- ☐ 2.7

✔ Correct

Correct! By following the columns, you can easily get the result.

3. You have a sample of size 20 from a population with unknown mean and standard deviation. You measured that the **sample mean** $\overline{X} = 50$ and the **sample standard deviation** is $s = 10$. A confidence interval of 95% of confidence level is given by:

1 / 1 point

Hint: $t_{0.475} = 2.093$

- ☐ (48.95, 51.05)
- ☒ (45.32, 54.68)
- ☐ (45.2, 54.8)
- ☐ (48.9, 51.1)

✔ Correct

Correct. Applying the formula $\left(\overline{X} - t_{\alpha/2} \cdot \frac{s}{\sqrt{n}}, \overline{X} + t_{\alpha/2} \cdot \frac{s}{\sqrt{n}}\right)$, you get the result.