

## 2020/03/27 Discussion

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## 1 Discussion 1

### 1.1 Based on the requirements, set correct value in the sample code

- Output data rate: 100Hz
- $\pm 2g$
- Convert LSB to G (by using SCALE\_MULTIPLIER)

```
# set value
ADXL345_SCALE_MULTIPLIER= ???
ADXL345_BW_RATE_100HZ   = 0x???
ADXL345_MEASURE           = 0x???
```

#### 1.1.1 ADXL345\_SCALE\_MULTIPLIER

The value of the ADXL345\_SCALE\_MULTIPLIER is  $1/\text{SENSITIVITY}$ . According to the datasheet, the value of the sensitivity is 256 LSB/g. Therefore, the value of the ADXL345\_SCALE\_MULTIPLIER is  $1/256=0.00390625$ .

Parameter	Test Conditions	Min	Typ <sup>1</sup>	Max	Unit
SENSITIVITY	Each axis				
Sensitivity at $X_{out}$ , $Y_{out}$ , $Z_{out}$	All g-ranges, full resolution	230	256	282	LSB/g
	$\pm 2g$ , 10-bit resolution	230	256	282	LSB/g

#### 1.1.2 ADXL345\_BW\_RATE\_100HZ

The value of the ADXL345\_BW\_RATE\_100Hz is a 8-bit integer value. According to the datasheet, we can find the rate code is 1010 if we want the output data rate is 100Hz. Therefore, the value of the ADXL345\_BW\_RATE\_100HZ is 0x0A.

Output Data Rate (Hz)	Bandwidth (Hz)	Rate Code	I <sub>DD</sub> (μA)
3200	1600	1111	140
1600	800	1110	90
800	400	1101	140
400	200	1100	140
200	100	1011	140
100	50	1010	140
50	25	1001	90
25	12.5	1000	60

### 1.1.3 ADXL345\_MEASURE

The value of the ADXL345\_MEASURE is to set the ADXL345 into measure mode. According to the datasheet, we can set the POWER\_CTL register into 00001000. Therefore, we will set the ADXL345 into measure mode.

**Register 0x2D—POWER\_CTL (Read/Write)**

D7	D6	D5	D4	D3	D2	D1	D0
0	0	Link	AUTO_SLEEP	Measure	Sleep	Wakeup	

## 1.2 Continuously measurement

```

3     while True:
4         getX()
5         getY()
6         getX()
7         print value
8         time.sleep(0.1)

```

The sample code can only output the value once. If we want to measure continuously, we can put the sample code into a while loop with a sleep statement.

### 1.3 Calibrate your sensor

Set all the offsets value into zero and output the value read from sensor.

```

pi@raspberrypi:~$ python3 1acc.py
x = -0.043 G, y = -0.144 G, z = 1.055 G
x = -0.043 G, y = -0.144 G, z = 1.055 G
x = -0.043 G, y = -0.144 G, z = 1.055 G
x = -0.043 G, y = -0.144 G, z = 1.055 G
x = -0.043 G, y = -0.144 G, z = 1.055 G
x = -0.043 G, y = -0.144 G, z = 1.055 G

```

The value read from the sensor should be (0, 0, 1) theoretically, so we need to set the offsets to make the value into correct ones.

```

4     self.Xoffset = 0.043
5     self.Yoffset = 0.144
6     self.Zoffset = -0.055

```

After we set the offset value, the output will close to (0, 0, 1).

```
pi@raspberrypi:~$ python3 lacc.py
x = -0.001 G, y = 0.001 G, z = 1.000 G
x = -0.001 G, y = 0.001 G, z = 1.000 G
x = -0.001 G, y = 0.001 G, z = 1.000 G
x = -0.001 G, y = 0.001 G, z = 1.000 G
x = -0.001 G, y = 0.001 G, z = 1.000 G
x = -0.001 G, y = 0.001 G, z = 1.000 G
x = -0.001 G, y = 0.001 G, z = 1.000 G
```

## 2 Discussion 2

### 2.1 Based on the requirements, set correct value in the sample code

- Data rate: 100Hz, cut-off = 12.5
- Full Scale selection = 250 dps
- Set Sensitivity for 250 dps (by using SCALE\_MULTIPLIER)

```
# set value
self.gain_std = ??      # dps/digit

self.write_byte(L3G4200D_CTRL_REG1, 0x??)
self.write_byte(L3G4200D_CTRL_REG4, 0x??)
```

#### 2.1.1 gain\_std

Since the sensitivity is 8.75 mdps/digit, the value of the gain\_std will be  $8.75 \times 10^{-3} = 0.00875$ .

### 2.1.2 L3G4200D\_CTRL\_REG1

Table 20. CTRL\_REG1 register

DR1	DR0	BW1	BW0	PD	Zen	Yen	Xen
-----	-----	-----	-----	----	-----	-----	-----

Table 2. Operating mode selection

Operating mode	PD	Zen	Yen	Xen
Power down	0	-	-	-
Sleep	1	0	0	0
Normal mode	1	-	-	-

Table 3. Data rate configuration

DR <1:0>	BW <1:0>	ODR [Hz]	Cut-off LPF1 [Hz]	Cut-off LPF2 [Hz]
00	00	100		12.5
00	01	100	32	25
00	10	100		25
00	11	100		25
01	00	200	54	12.5
01	01	200		25
01	10	200		50
01	11	200		70
10	00	400	78	20
10	01	400		25
10	10	400		50
10	11	400		110
11	00	800	93	30
11	01	800		35
11	10	800		50
1	11	800		110

According to the datasheet, we need to set L3G4200D\_CTRL\_REG1 into 0x0F so as to make data rate 100Hz, cut-off rate 12.5 and the sensor into normal mode.

### 2.1.3 L3G4200D\_CTRL\_REG4

#### CTRL\_REG4 (23h)

Table 30. CTRL\_REG4 register

BDU	BLE	FS1	FS0	-	ST1	ST0	SIM
-----	-----	-----	-----	---	-----	-----	-----

Table 31. CTRL\_REG4 description

BDU	Block Data Update. Default value: 0 (0: continuous update; 1: output registers not updated until MSB and LSB reading)
BLE	Big/Little Endian Data Selection. Default value 0. (0: Data LSB @ lower address; 1: Data MSB @ lower address)
FS1-FS0	Full Scale selection. Default value: 00 (00: 250 dps; 01: 500 dps; 10: 2000 dps; 11: 2000 dps)
ST1-ST0	Self Test Enable. Default value: 00 (00: Self Test Disabled; Other: See <a href="#">Table</a> )
SIM	SPI Serial Interface Mode selection. Default value: 0 (0: 4-wire interface; 1: 3-wire interface).

According to the datasheet, we need to set all the bits, except the reserved one, into zero. Therefore, we can match the requirements mentioned above. (There is a typo in the equation at page 36 of the slide,  $0 \times 80 = 0000\ 1000$ . It might be  $0 \times 08$ ).

## 2.2 Continuously measurement

```

3   while True:
4       getX()
5       getY()
6       getX()
7       print value
8       time.sleep(0.1)

```

The sample code can only output the value once. If we want to measure continuously, we can put the sample code into a while loop with a sleep statement.

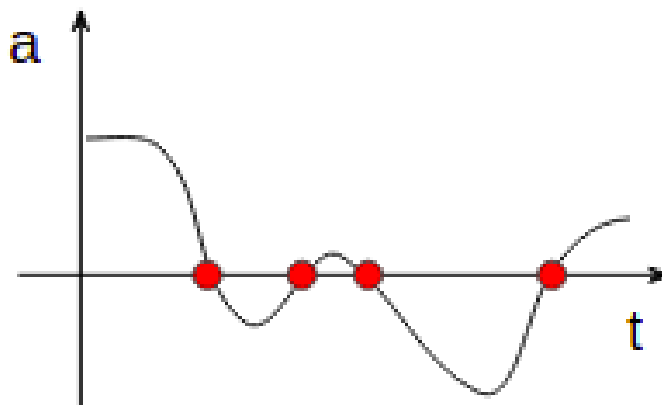
## 3 Discussion 3

### 3.1 We can obtain ax/ay/az from accelerometer. How to calculate the distance?

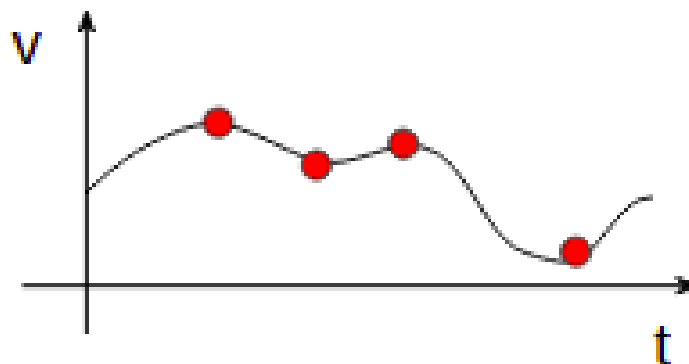
First, we can calculate the distance in 3 dimensions separately, and then combine this 3 data into a real distance by the below equation.

$$D = \sqrt{D_x^2 + D_y^2 + D_z^2}$$

We can draw the a-t plot first.



Then, we can construct the v-t plot. The value  $v(t)$  at  $t$  on the v-t plot is the area from zero to  $t$  on the a-t plot, as known as integration.



Therefore, if we want to calculate the distance, we can calculate the area on the v-t plot. The equation will be like below one.

$$D_x = \int_0^t \left( \int_0^t a_x(t) dt \right) + v(0) dt$$

Similar to the  $D_y$  and  $D_z$

$$D_y = \int_0^t \left( \int_0^t a_y(t) dt \right) + v(0) dt$$

$$D_z = \int_0^t \left( \int_0^t a_z(t) dt \right) + v(0) dt$$

For the implementation, we will split the area into many pieces. For each piece, we can treat it as a uniform accelerated motion and use the formula below to calculate the distance.

$$s = v_0 t + \frac{1}{2} a t^2$$

So the result will be

$$D_x = \sum_{i=0}^{n-1} v_x \left( \frac{it}{n} \right) \frac{t}{n} + \frac{1}{2} a_x \left( \frac{it}{n} \right) \left( \frac{t}{n} \right)^2$$

Similar to the  $D_y$  and  $D_z$

$$D_y = \sum_{i=0}^{n-1} v_y \left( \frac{it}{n} \right) \frac{t}{n} + \frac{1}{2} a_y \left( \frac{it}{n} \right) \left( \frac{t}{n} \right)^2$$

$$D_z = \sum_{i=0}^{n-1} v_z \left( \frac{it}{n} \right) \frac{t}{n} + \frac{1}{2} a_z \left( \frac{it}{n} \right) \left( \frac{t}{n} \right)^2$$