# Robust Machine Learning with Imbalanced Data: Expanding Mixup



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Introduction

**Definitions** 

Background studies

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### Introduction

Generality

- More and more data are generated:
  - social media
  - $\square$  mobile, sensors (IOT)
  - □ Large Hadron Collider (*LHC*)
  - \_\_\_\_\_\_
- Imbalanced data: unequal classes.
- Problem: Machine Learning algorithm will be biased towards majority classes.

#### IMBALANCED LEARNING









# Introduction

Goal

- Find a more robust technique for approaching this problem.
- Compare the new technique with the related works.



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### **Definitions**

# Machine Learning

- A subfield of computer science.
- Give computers the ability to learn and make predictions on data.
- Classified into 2 groups:
  - Supervised
  - Unsupervised



### **Definitions**

#### Imbalanced Data

- A data set that exhibits a significant unequal distribution between its classes.
  - □ Majority classes: the dominant groups in the data (negative classes).
  - □ Minority classes: the underrepresented groups in the data (positive classes).



### **Definitions**

# Imbalanced Learning

- The process of learning from imbalanced data
- Two methods to approach it:
  - Data level methods.
  - Algorithm level methods.



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# **SMOTE**

- SMOTE: Synthetic Minority Oversampling Technique:
  - $\square$  Select  $x_i$  in minority class.
  - $\square$  Select  $x_{i1}, x_{i2}, x_{i3}$  and  $x_{i4}$  randomly.
  - $\Box$  Take the difference between  $x_i$  and its nearest neighbour.
  - Multiply this difference by a random number between 0 and 1.
  - $\square$  Add it to the feature vector  $x_i$ .
  - $\square$  We get  $r_1$ ,  $r_2$ ,  $r_3$  and  $r_4$ .
- Advantages:
  - □ simple: easy, implemented in python,
  - avoid overfitting.









# mixup

- Empirical Risk Minimization
  - $\square$  Minimize (1) over P
  - □ Problem: *P* is unknown.
  - □ Solution: ERM:  $(x_i, y_i)_{i=1}^n$ , where  $(x_i, y_i) \sim P_{emp}$
  - $\square (1) \Rightarrow (3).$
- Drawbacks:
  - memorize instead of generalize
  - $\square$  poor performance outside  $(x_i, y_i)_{i=1}^n$
- Solution: VRM

$$R(f) = \int \ell(f(x), y) dP(x, y) \quad (1)$$

$$P_{emp}(x,y) = \frac{1}{n} \sum_{i=1}^{n} \delta(x = x_i, y = y_i)$$
 (2)

$$R_{emp}(f) = \frac{1}{n} \sum_{i=1}^{n} \ell(f(x_i), y_i)$$
 (3)



# mixup

- Vicinal Risk minimization
  - $\ \square$  Use (4) defined from  $\Omega(x_i)=x:d(x,x_i)\leq r_{x_i}$
  - $\ \square\ \Omega(x_i)$ : the vicinity of the point  $x_i$ .

  - $\square$  (3)  $\Rightarrow$  (5)
- Advantage: Improves the generalization of the training data.
- Drawback: requires big understanding of the distribution of the dataset.
- Solution: mixup

$$P_{est}(\tilde{x}, \tilde{y}) = \frac{1}{n} \sum_{i=1}^{n} \nu(\tilde{x}, \tilde{y} | x_i, y_i)$$
 (4)

$$R_{vic}(f) = \frac{1}{n} \sum_{i=1}^{n} \ell(f(\tilde{x_i}), \tilde{y_i})$$
 (5)



# mixup

- $\bullet$   $\nu$  can be chosen arbitrary
- use *mixup vicinal distribution* which is defined in (6)
- $\lambda \sim Beta(\alpha, \alpha)$ , for  $\alpha \in (0, \infty)$ .
- Improves the efficiency of the algolirthm in term of adversarial examples.

$$\nu(\tilde{x}, \tilde{y}|x_i, y_i) = \frac{1}{n} \sum_{j=1}^{n} \mathbb{E}_{\lambda} [\delta(\tilde{x} = \lambda . x_i + (1 - \lambda) . x_j, \tilde{y} = \lambda . y_i + (1 - \lambda) . y_j)]$$
(6)



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# Proposed method

■ Combine the advantages of SMOTE and mixup.



#### Data samplers and Classifiers

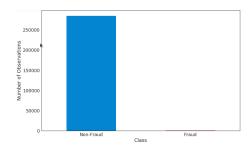
- Data samplers
  - $\square$  SMOTE
    - $\blacksquare$  random state = 42
    - $\blacksquare$  ratio = 1:25000
  - mixup
    - $\blacksquare$  alpha = 0.1
  - $\square$  mixup +SMOTE
    - $\blacksquare$  alpha = 0.1
    - $\blacksquare$  random state = 42
    - $\blacksquare$  ratio = 1:25000

- Classifiers
  - Random Forest
    - default parameters
  - Gradient Boost
    - $\blacksquare$  'n estimators': 500,
    - $\blacksquare$  'max\_depth': 3,
    - $\blacksquare$  'subsample': 0.5,
    - $\blacksquare$  'learning\_rate': 0.01,
    - $\blacksquare$  'min\_samples\_leaf': 1,
    - $\blacksquare$  'random\_state': 3



#### Dataset

- European credit card transactions.
- 284,807 rows: 284,315 normal and 492 fraudulant transactions,
- 31 columns:  $V1, V2, \dots, V28, Time, Amount$  and Class
- features:  $V1, V2, \dots, V28, Time, Amount$
- lacktriangledown targets: Class: normal , fraudulant





#### **Evaluation metrics**

#### **Confusion matrix**

- a performance measurment for classification.
  - □ *TP*: predicted Positive and it's True.
  - $\ \square$  TN: predicted Negative and it's True.
  - FP (type I error): predicted Positive and it's False.
  - □ *FN* (*type II error*): predicted Negative and it's False.

#### **Actual Values**

Positive (1) Negative (0)

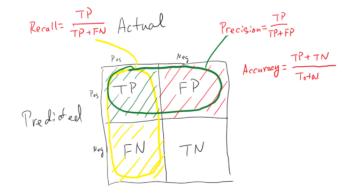
redicted Values

Positive (1)	TP	FP
Negative (0)	FN	TN



#### **Evaluation metrics**

- Accuracy:
  - the percentage of correct predictions.
- Precision:
  - the fraction of positive predictions that are correct.
- Recall:
  - the fraction of the truly positive instances that the classifier recognizes.

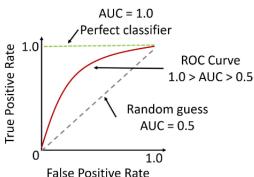




#### **Evaluation metrics**

#### **AUC - ROC**

- a performance measurement for classification problem at various thresholds settings.
- Receiver Operating Characteristic (ROC) curve visualizes a classifier's performance.
- AUC represents degree or measure of separability.
- It tells how much model is capable of distinguishing between classes.
- Higher the AUC, better the model is.



False Positive Rate

Roc curve with values of AUC for balanced two-class problem



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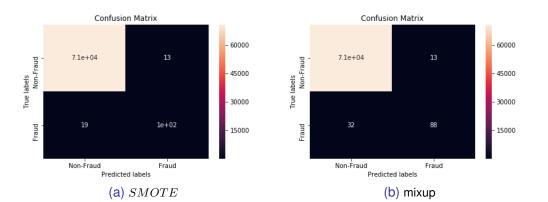
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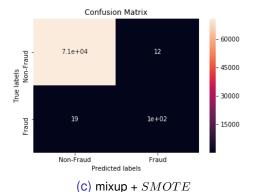
Confusion matrices

#### **Random Forest**



Confusion matrices

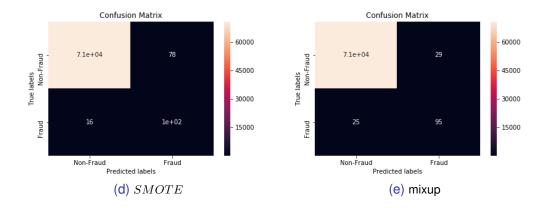
#### **Random Forest**





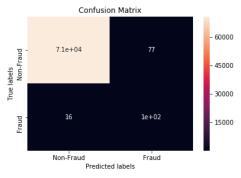
Confusion matrices

#### **Gradient Boost**



Confusion matrices

#### **Gradient Boost**



(f) mixup + SMOTE

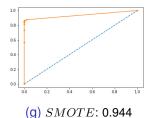


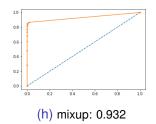
Accuracies

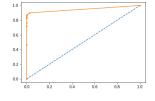
	SMOTE	mixup	mixup + SMOTE
RF	0.999508	0.999157	0.999438
GB	0.9986798	0.999073	0.996854

**AUC-ROC** 

### **Random Forest**



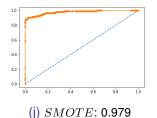


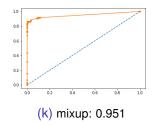


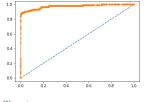
(i) mixup + SMOTE: 0.948

**AUC-ROC** 

### **Gradient Boost**







(I) mixup + SMOTE: 0.976

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- Imbalanced data is one of the big issues in Machine Learning.
- *SMOTE* is simple and efficient.
- mixup improved the efficiency towards adversarial examples.
- mixup + *SMOTE* exhibits prominent results.
- Future works:
  - Tune the best values of hyperparameters.
  - $\ \square$  study mixup + SMOTE with multiclass problems.





