

## Stata Lecture Notes Class 3

As a review, there are customized commands in Stata for performing regression analyses. In addition the `glm` command with appropriate family and link designations can perform the same regression analyses.

The following examples use the `nepalibf.dta` data set where

`bf`= breastfeeding = 1 if yes, 0 if no;

`sex_chld`=0 if male, 1 if female;

`age_mom` is age in years;

`parity` is number of previous live births.

### 1. The customized commands in Stata for logistic regression analysis are `logit` and `logistic`:

The `logit` command provides the estimated regression coefficients from the model  $\log(\text{odds}) = \beta_0 + \beta_1 X$

```
. logit bf sex_chld
```

```
Iteration 0:   log likelihood = -320.00632
Iteration 1:   log likelihood = -319.98468
Iteration 2:   log likelihood = -319.98468
```

```
Logistic regression               Number of obs   =           472
                                LR chi2(1)         =           0.04
                                Prob > chi2         =          0.8352
Log likelihood = -319.98468       Pseudo R2        =          0.0001
```

bf	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
sex_chld	.0389756	.1873558	0.21	0.835	-.3282351 .4061863
_cons	-.3692173	.1281411	-2.88	0.004	-.6203693 -.1180653

The `logistic` command provides the exponentiated estimated regression coefficients,  $\exp(b_0)$  and  $\exp(b_1)$  from the model  $\log(\text{odds}) = \beta_0 + \beta_1 X$

```
. logistic bf sex_chld
```

```
Logistic regression               Number of obs   =           472
                                LR chi2(1)         =           0.04
                                Prob > chi2         =          0.8352
Log likelihood = -319.98468       Pseudo R2        =          0.0001
```

bf	Odds Ratio	Std. Err.	z	P> z	[95% Conf. Interval]
sex_chld	1.039745	.1948023	0.21	0.835	.7201937 1.501082
_cons	.6912752	.0885808	-2.88	0.004	.5377458 .888638

Note: `_cons` estimates baseline odds.

## 2. The `glm` command with `family(binomial)` and `link(logit)` provides the estimated regression coefficients (same as the `logit` command).

```
. glm bf sex_chld, family(binomial) link(logit)
```

```
Iteration 0:   log likelihood = -320.27607
Iteration 1:   log likelihood = -319.9847
Iteration 2:   log likelihood = -319.98468
```

```
Generalized linear models               No. of obs   =       472
Optimization      : ML                 Residual df   =       470
                                      Scale parameter =         1
Deviance          =   639.969364        (1/df) Deviance =   1.361637
Pearson           =   471.9999981        (1/df) Pearson  =   1.004255

Variance function: V(u) = u*(1-u/1)    [Binomial]
Link function     : g(u) = ln(u/(1-u)) [Logit]

Log likelihood    = -319.984682        AIC           =   1.364342
                                      BIC           = -2253.811
```

bf	Coef.	OIM Std. Err.	z	P> z	[95% Conf. Interval]	
sex_chld	.0389756	.1873558	0.21	0.835	-.3282351	.4061863
_cons	-.3692173	.1281411	-2.88	0.004	-.6203693	-.1180653

## 3. However, the `glm` command with `family(binomial)` and `link(identity)` provides the estimated regression coefficients provides the estimated regression coefficients, $\exp(b_0)$ and $\exp(b_1)$ from the model $\Pr(Y=1) = \beta_0 + \beta_1 X$ . The estimate $b_1$ is a risk difference.

```
. glm bf sex_chld, family(binomial) link(identity)
```

```
Iteration 0:   log likelihood = -319.98468
Iteration 1:   log likelihood = -319.98468
```

```
Generalized linear models               No. of obs   =       472
Optimization      : ML                 Residual df   =       470
                                      Scale parameter =         1
Deviance          =   639.969364        (1/df) Deviance =   1.361637
Pearson           =           472        (1/df) Pearson  =   1.004255

Variance function: V(u) = u*(1-u/1)    [Binomial]
Link function     : g(u) = u           [Identity]

Log likelihood    = -319.984682        AIC           =   1.364342
                                      BIC           = -2253.811
```

bf	Coef.	OIM Std. Err.	z	P> z	[95% Conf. Interval]	
sex_chld	.0094517	.0454416	0.21	0.835	-.0796123	.0985156
_cons	.4087302	.0309678	13.20	0.000	.3480343	.469426

Coefficients are the risk differences.

#### 4. The customized command in Stata for linear regression analysis is `regression`:

The `regress` command provides the estimated regression coefficients from the model  $E(Y) = \beta_0 + \beta_1 X$

```
. regress age_mom parity
```

Source	SS	df	MS	Number of obs	=	500
Model	13635.4276	1	13635.4276	F(1, 498)	=	983.55
Residual	6904.02039	498	13.8634947	Prob > F	=	0.0000
				R-squared	=	0.6639
				Adj R-squared	=	0.6632
Total	20539.448	499	41.1612184	Root MSE	=	3.7234

  

age_mom	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
parity	2.031015	.0647612	31.36	0.000	1.903776	2.158253
_cons	19.62211	.3326105	58.99	0.000	18.96862	20.2756

#### 5. The `glm` command with `family(normal)` and `link(identity)` provides the estimated regression coefficients (same as the `regress` command).

```
. glm age_mom parity, family(normal) link(identity)
```

```
Iteration 0: log likelihood = -1365.782
```

```
Generalized linear models               No. of obs      =       500
Optimization      : ML                  Residual df      =       498
                                          Scale parameter =   13.86349
Deviance          = 6904.020385          (1/df) Deviance =   13.86349
Pearson           = 6904.020385          (1/df) Pearson  =   13.86349

Variance function: V(u) = 1              [Gaussian]
Link function     : g(u) = u              [Identity]

                                          AIC              =    5.471128
Log likelihood    = -1365.782038         BIC              =   3809.146
```

age_mom	Coef.	OIM Std. Err.	z	P> z	[95% Conf. Interval]	
parity	2.031015	.0647612	31.36	0.000	1.904085	2.157944
_cons	19.62211	.3326105	58.99	0.000	18.9702	20.27401

**6. Please note that family(normal) and link(identity) are the defaults for the `glm` command if no family and no link are specified.**

```
. glm age_mom parity
```

```
Iteration 0:   log likelihood =  -1365.782
```

Generalized linear models		No. of obs	=	500
Optimization	: ML	Residual df	=	498
Deviance	= 6904.020385	Scale parameter	=	13.86349
Pearson	= 6904.020385	(1/df) Deviance	=	13.86349
		(1/df) Pearson	=	13.86349
Variance function: V(u) = 1		[Gaussian]		
Link function : g(u) = u		[Identity]		
Log likelihood = -1365.782038		AIC	=	5.471128
		BIC	=	3809.146

-----						
age_mom	Coef.	OIM Std. Err.	z	P> z	[95% Conf. Interval]	
parity	2.031015	.0647612	31.36	0.000	1.904085	2.157944
_cons	19.62211	.3326105	58.99	0.000	18.9702	20.27401
-----						

**7. A lowess smoother of the relationship between mother's age and parity suggests that the relationship between them appears to be approximately linear until parity exceeds 9 or so. The regression analysis could be repeated on the subset of mothers with parity < 10.**

```
. lowess age_mom parity
```

