

Biostatistics 140.623
Second Term, 2014-2015
Quiz 2
March 5, 2015
Answer Key

Below find a set of years until death or censoring for a group of 5 patients who had a surgical intervention and a second group of 5 who received a medical intervention. The plus notation (+) indicates a censored observation.

Surgical group: 1, 1, 3, 7, 10+

Medical group: 1+, 2, 3+, 5, 8

Now **group** the data into 2 time intervals (bins). To aid you in answering the questions below, complete the following table using the survival data above:

Group	Interval (years)	Deaths	Person-years	Incidence (Death) rate
Surgical	0 - 2	2	$1+1+3(2)=8$	$2/8=0.25$
	> 2 -10	2	$1+5+8=14$	$2/14 = 0.14$
Medical	0 - 2	1	$1+4(2)=9$	$1/9 = 0.11$
	> 2 - 10	2	$1+3+6 = 10$	$2/10 = 0.20$

- The **overall incidence (death) rate** in the **surgical group** is: (*Circle only one response*)
 - 0.045 deaths per person-year
 - 0.18 deaths per person-year**
 $= (2+2 \text{ deaths})/(8+14 \text{ person-years}) = (4 \text{ deaths})/(22 \text{ person-years})$
 - 0.20 deaths per person-year
 - 0.33 deaths per person-year
 - 0.80 deaths per person-year
- The **total person-years** in the **time bin “0- 2 years”** in the **medical group** is: (*Circle only one response*)
 - 3 person-years
 - 9 person-years = 1+ 2(4)**
 - 0.20 deaths per year
 - 15 person-years
 - 19 person-years

The grouped survival data are defined as:

trt=1 if surgical, 0 if medical;

bin=1 if >2-10 years, and 0 if 0-2 years;

D= # events in bin; and **N** =person-weeks in bin

for the Poisson regression model: $\log(\lambda_j) = \beta_0 + \beta_1 \text{trt} + \beta_2 \text{bin}$
 which is the same as $\log(\mu_j) = \log(N_j) + \beta_0 + \beta_1 \text{trt} + \beta_2 \text{bin}$

```
. poisson D trt bin, exposure(N)
Poisson regression
```

```
Number of obs   =          4
LR chi2(2)       =          0.04
Prob > chi2      =          0.9785
Pseudo R2       =          0.0042
```

```
Log likelihood = -5.1919167
```

D	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
trt	.1492553	.7685318	0.19	0.846	-1.357039 1.65555
bin	-.0738883	.7685318	-0.10	0.923	-1.580183 1.432406
_cons	-1.807619	.6969053	-2.59	0.009	-3.173529 -.4417101
ln(N)	1	(exposure)			

3. In this Poisson regression model, $\beta_0 + \beta_2$ can be interpreted as: (*Circle only one response*)
- The log incidence rate in the surgical group in time bin “0-2 years”.
 - The log incidence rate ratio in the surgical versus medical group, adjusted for time bin.
 - The log incidence rate ratio in time bin “>2-10 years” versus time bin “0-2 years”, adjusted for treatment.
 - The log incidence rate in the medical group in time bin “>2-10 years”.**
- We can write:
- $$\log(\lambda_j) = \beta_0 + \beta_1 \text{trt} + \beta_2 \text{bin} = \beta_0 + \beta_1(0) + \beta_2(1) \text{ when trt}=0 \text{ (medical group) and bin}=1 \text{ (>2 – 10 years).}$$
- e) The incidence rate adjusted for both treatment and time bin.
4. From the Poisson regression model, the **incidence (death) rate ratio in the surgical patients as compared to the medical patients, after controlling for time bin**, is: (*Circle only one response*)
- 0.149
 - 0.074
 - $1.16 = e^{b_1} = e^{0.149}$**
 - 0.93
 - 1.73
5. The proportional hazards assumption in a Poisson regression model means that: (*Circle only one response*)
- The incidence rate in the surgical group is constant over time.
 - The incidence rate ratio of death comparing surgical to medical treatment groups is constant over time.**
 - The difference in the incidence rate in the surgical group minus the medical group is constant over time.
 - The incidence rate ratio of death comparing surgical to medical treatment groups increases linearly over time.
 - The log incidence rate in the standard group is the same as the log incidence rate in the medical group.