

# Biostatistics 140.623

## Third Term, 2017-2018

### Laboratory Exercise 1

#### Answer Key

- 1) Your job is to design a prospective clinical trial to determine whether a new drug reduces the symptoms of schizophrenia more effectively than a placebo. This "Phase III" trial will be used as a key part of a "New Drug Application" (NDA) submitted to the FDA. You will have to show your drug is "statistically significantly" better than placebo with  $\alpha = .05$ .

The usual design is to measure the change in PANSS (Positive + Negative Symptoms of Schizophrenia) score (higher is worse symptoms) from baseline to 8 weeks after start of treatment. In past studies with similar patients, the average (std dev) change for placebo was  $-10$  ( $10$ ) units. You expect the new drug will reduce symptoms by an average value of  $-12$  to  $-16$  units and have a similar standard deviation to that observed for placebo.

- a) How many patients are needed in the placebo group to estimate the mean reduction in symptoms to within  $\pm 1$  unit on the PANSS scale?  $\pm 2$  units?

$$\pm d = \pm 1.96s / \sqrt{n}$$

$$n = (1.96)^2 s^2 / d^2$$

$$n = 3.84(10)^2 / 1^2 = 384 \text{ patients if } d=1$$

$$n = 3.84(10)^2 / 2^2 = 96 \text{ patients if } d=2$$

- b) How many patients are needed in each group to estimate the difference in change between the new drug and placebo groups to within  $\pm 1$  unit on the PANSS scale?  $\pm 2$  units?

$$\pm d = \pm 1.96 \sqrt{\frac{s_1^2}{n} + \frac{s_2^2}{n}} \text{ but we will assume that } s_1=s_2$$

$$\pm d = \pm 1.96s \sqrt{\frac{2}{n}}$$

$$d^2 = (1.96)^2 s^2 \left( \frac{2}{n} \right)$$

$$n = (1.96)^2 s^2 2 / d^2 = 768 \text{ if } d=1$$

$$n = (1.96)^2 s^2 2 / d^2 = 191 \text{ if } d=2$$

- c) Design a table to show the sample size per group necessary to obtain 90% power to reject the null hypothesis that the two groups have equivalent changes in average PANSS score using a significance level of 0.05. Vary the true difference among 1, 2, and 5 units; vary the standard deviation of a person's change between 10 and 12 units.

True Difference	Standard Deviation	Sample Size per Group
1	10	2102
1	12	3027
2	10	526
2	12	757
5	10	85
5	12	122

- d) How might this table be altered to take account of other important events that commonly occur in clinical trials?

**One could inflate the sample size for losses-to-follow-up in each treatment group over time. What is the anticipated percentage lost to follow-up? 5 – 15 %?**

**Also for discussion: What is a clinically meaningful difference? A large sample size may reveal a 1 or 2 unit change as a statistically significant change but is it meaningful?**

```
. sampsi 0 1 , p(0.9) r(1) sd1(10) sd2(10)
Estimated sample size for two-sample comparison of means
```

Test Ho:  $m_1 = m_2$ , where  $m_1$  is the mean in population 1  
and  $m_2$  is the mean in population 2

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9000
m1 = 0
m2 = 1
sd1 = 10
sd2 = 10
n2/n1 = 1.00
```

Estimated required sample sizes:

```
n1 = 2102
n2 = 2102
```

```
. sampsi 0 1 , p(0.9) r(1) sd1(12) sd2(12)
Estimated sample size for two-sample comparison of means
```

Test Ho:  $m_1 = m_2$ , where  $m_1$  is the mean in population 1  
and  $m_2$  is the mean in population 2

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9000
m1 = 0
m2 = 1
sd1 = 12
sd2 = 12
n2/n1 = 1.00
```

Estimated required sample sizes:

```
n1 = 3027
n2 = 3027
```

```
. sampsi 0 2 , p(0.9) r(1) sd1(10) sd2(10)
Estimated sample size for two-sample comparison of means
```

Test Ho:  $m_1 = m_2$ , where  $m_1$  is the mean in population 1  
and  $m_2$  is the mean in population 2

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9000
m1 = 0
m2 = 2
sd1 = 10
sd2 = 10
n2/n1 = 1.00
```

Estimated required sample sizes:

```
n1 = 526
n2 = 526
```

```
. sampsi 0 2 , p(0.9) r(1) sd1(12) sd2(12)
Estimated sample size for two-sample comparison of means
Test Ho: m1 = m2, where m1 is the mean in population 1
           and m2 is the mean in population 2
```

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9000
m1 = 0
m2 = 2
sd1 = 12
sd2 = 12
n2/n1 = 1.00
```

Estimated required sample sizes:

```
n1 = 757
n2 = 757
```

```
. sampsi 0 5 , p(0.9) r(1) sd1(10) sd2(10)
Estimated sample size for two-sample comparison of means
Test Ho: m1 = m2, where m1 is the mean in population 1
           and m2 is the mean in population 2
```

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9000
m1 = 0
m2 = 5
sd1 = 10
sd2 = 10
n2/n1 = 1.00
```

Estimated required sample sizes:

```
n1 = 85
n2 = 85
```

```
. sampsi 0 5 , p(0.9) r(1) sd1(12) sd2(12)
Estimated sample size for two-sample comparison of means
Test Ho: m1 = m2, where m1 is the mean in population 1
           and m2 is the mean in population 2
```

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9000
m1 = 0
m2 = 5
sd1 = 12
sd2 = 12
n2/n1 = 1.00
```

Estimated required sample sizes:

```
n1 = 122
n2 = 122
```