

Stata Lecture Notes Class 1

Sample size calculations (or power calculations) for hypothesis testing with one or two samples is easily accomplished using the Stata immediate command `sampsi`. The following are examples of sample size or power calculations based on a scenario from the Lecture Notes:

1) An example of the sample size required (or power) required for a one-sample test of a mean with a specified alternative hypothesis:

```
. sampsi 175 190, sd(50) onesam onesid
```

Estimated sample size for one-sample comparison of mean
to hypothesized value

Test Ho: $m = 175$, where m is the mean in the population

Assumptions:

```
alpha = 0.0500 (one-sided)
* Note: The default is 5% probability of a Type I error
power = 0.9000
* Note: The default is 90% power
```

```
alternative m = 190
sd = 50
```

Estimated required sample size:

```
n = 96
```

```
. sampsi 175 190, sd(50) n(100) onesam onesid
```

Estimated power for one-sample comparison of mean
to hypothesized value

Test Ho: $m = 175$, where m is the mean in the population

Assumptions:

```
alpha = 0.0500 (one-sided)
alternative m = 190
sd = 50
sample size n = 100
```

Estimated power:

```
power = 0.9123
```

```
. sampsi 175 190, sd(50) onesam
```

Estimated sample size for one-sample comparison of mean
to hypothesized value

Test Ho: $m = 175$, where m is the mean in the population

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9000
alternative m = 190
sd = 50
```

Estimated required sample size:

```
n = 117
```

```
. sampsi 175 190, sd(50) n(10) onesam
```

Estimated power for one-sample comparison of mean
to hypothesized value

Test Ho: $m = 175$, where m is the mean in the population

Assumptions:

```
alpha = 0.0500 (two-sided)
alternative m = 190
sd = 50
sample size n = 10
```

Estimated power:

```
power = 0.1559
```

```
. sampsi 175 200, sd(50) n(10) onesam onesid
```

Estimated power for one-sample comparison of mean
to hypothesized value

Test Ho: $m = 175$, where m is the mean in the population

Assumptions:

```
alpha = 0.0500 (one-sided)
alternative m = 200
sd = 50
sample size n = 10
```

Estimated power:

```
power = 0.4746
```

2) An example of the sample size (or power) required for a one-sample test of a proportion with a specified alternative hypothesis:

```
. sampsi 0.75 0.5, onesam
```

Estimated sample size for one-sample comparison of proportion
to hypothesized value

Test Ho: $p = 0.7500$, where p is the proportion in the population

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9000
alternative p = 0.5000
```

Estimated required sample size:

```
n = 36
```

```
. sampsi 0.75 0.5, onesam onesid
```

Estimated sample size for one-sample comparison of proportion
to hypothesized value

Test Ho: $p = 0.7500$, where p is the proportion in the population

Assumptions:

```
alpha = 0.0500 (one-sided)
power = 0.9000
alternative p = 0.5000
```

Estimated required sample size:

```
n = 30
```

```
. sampsi 0.75 0.5, onesam n(50)
```

Estimated power for one-sample comparison of proportion
to hypothesized value

Test Ho: $p = 0.7500$, where p is the proportion in the population

Assumptions:

```
alpha = 0.0500 (two-sided)
alternative p = 0.5000
sample size n = 50
```

Estimated power:

```
power = 0.9670
```

```
. sampsi 0.75 0.5, onesam n(200)
```

Estimated power for one-sample comparison of proportion
to hypothesized value

Test Ho: $p = 0.7500$, where p is the proportion in the population

Assumptions:

```
alpha = 0.0500 (two-sided)
alternative p = 0.5000
sample size n = 200
```

Estimated power:

```
power = 1.0000
```

```
. sampsi 0.75 0.5, onesam n(20)
```

Estimated power for one-sample comparison of proportion
to hypothesized value

Test Ho: $p = 0.7500$, where p is the proportion in the population

Assumptions:

```
alpha = 0.0500 (two-sided)
alternative p = 0.5000
sample size n = 20
```

Estimated power:

```
power = 0.7050
```

Note: For the above sample size(s) and proportion(s), the
normal approximation to the binomial may not be very
accurate. Thus, power calculations are questionable.

Recall that the normal approximation of the binomial distribution depends on having a large enough sample size such that $np > 5$ and $nq > 5$. Here, $p=0.75$ and $np=20(0.75) = 15$ and $nq=20(0.25) = 5$.