# Package 'convo'

June 18, 2018

Type Package

Title Fast Computation of Running Sample Statistics

Version 0.1.0
<b>Description</b> Provides methods for fast computation of running (aka rolling) sample statistics. These include running sample mean of a single numeric sequence, running sample variance of a single numeric sequence, running sample covariance of two numeric sequences. Implementation of the methods uses convolution via Fast Fourier Transform. The complexity of the convolution can be reduced from $O(n^2)$ to $O(n \log n)$ with fast Fourier transform compared to conventional computation.
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DigFilter

Bandpass Digital Filter

#### **Description**

Bandpass digital filter; passes frequencies within a certain range and rejects frequencies outside that range.

# Usage

```
DigFilter(x, fs, LD, LU)
```

# **Arguments**

Χ	numeric sequence
fs	sampling frequency of a numeric sequence x
LD	lower bandpass frequency
LU	higher bandpass frequency

#### **Examples**

```
## generate components of a signal x
fs <- 1000
t.seq <- seq(0, 1, length.out = 1000)
x1 <- \sin(2 * pi * t.seq * 50)
x2 <- \sin(2 * pi * t.seq * 150)
x3 <- \sin(2 * pi * t.seq * 250)
x0 <- rnorm(length(t.seq), sd = 0.1)
plot(x0, ylim = range(c(x0, x1, x2, x3)), main = "x components")
lines(x1, col = "blue")
lines(x2, col = "red")
lines(x3, col = "green")
## generate signal x
x < -x1 + x2 + x3 + x0
plot(x, main = "x", type = "1")
## use filter with passband frequencies [100 Hz, 200 Hz]
x.filtered <- DigFilter(x, 1000, 100, 200)</pre>
plot(x.filtered, type = "l", main = "x filtered with [100 Hz, 200 Hz] frequency bandpass")
plot(x2, type = "1", main = "compare: x2 component of x")
```

RunningCorr

Fast Running Correlation Computation

# **Description**

Computes running correlation between two sequences in a fixed width window, whose length corresponds to the length of the shorter sequence. Uses convolution via Fast Fourier Transform.

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#### Usage

```
RunningCorr(x, y, circular = FALSE)
```

### **Arguments**

X	numeric sequence
У	numeric sequence, of equal or shorter length than x sequence
circular	logical; whether running correlation is computed assuming circular nature of $\boldsymbol{x}$ sequence (see Details)

#### **Details**

Computes running correlation between two sequences in a fixed width window. The length of a window is equal to the shorter of the two sequences (y), and window "runs" over the length of longer sequence (x).

Parameter circular determines whether x sequence is assumed to have a circular nature. Assume  $l_x$  is the length of sequence x,  $l_y$  is the length of shorter sequence y.

If circular equals TRUE then

- output sequence length equals  $l_x$ ,
- first element of the output sequence corresponds to sample correlation between x[1:1\_y] and y,
- last element of the output sequence corresponds to sample correlation between  $c(x[1_x], x[1:(1_y 1)])$  and y.

If circular equals FALSE then

- output sequence length equals  $l_x l_y + 1$ ,
- first element of the output sequence corresponds to sample correlation between x[1:1\_y] and y,
- last element of the output sequence corresponds to sample correlation between  $x[(1_x 1_y + 1):1_x]$ .

# Value

numeric sequence

#### **Examples**

```
x <- sin(seq(0, 1, length.out = 1000) * 2 * pi * 6)
y <- x[1:100]
out1 <- RunningCorr(x, y, circular = TRUE)
out2 <- RunningCorr(x, y, circular = FALSE)
plot(out1, type = "l"); points(out2, col = "red")</pre>
```

4 RunningCov

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Fast Running Covariance Computation

# **Description**

Computes running covariance between two sequences in a fixed width window, whose length corresponds to the length of the shorter sequence. Uses convolution via Fast Fourier Transform.

#### Usage

```
RunningCov(x, y, circular = FALSE)
```

# **Arguments**

x numeric sequence

y numeric sequence, of equal or shorter length than x sequence

circular logical; whether running variance is computed assuming circular nature of x

sequence (see Details)

#### **Details**

Computes running covariance between two sequences in a fixed width window. The length of a window is equal to the shorter of the two sequences (y), and window "runs" over the length of longer sequence (x).

Parameter circular determines whether x sequence is assumed to have a circular nature. Assume  $l_x$  is the length of sequence x,  $l_y$  is the length of shorter sequence y.

If circular equals TRUE then  $\,$ 

- output sequence length equals  $l_x$ ,
- first element of the output sequence corresponds to sample covariance between x[1:1\_y] and y,
- last element of the output sequence corresponds to sample covariance between c(x[1\_x], x[1:(1\_y 1)]) and y.

If circular equals FALSE then

- output sequence length equals  $l_x l_y + 1$ ,
- first element of the output sequence corresponds to sample covariance between x[1:1\_y] and y,
- last element of the output sequence corresponds to sample covariance between  $x[(1_x 1_y + 1):1_x]$ .

#### Value

numeric sequence

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#### **Examples**

```
x <- sin(seq(0, 1, length.out = 1000) * 2 * pi * 6)
y <- x[1:100]
out1 <- RunningCov(x, y, circular = TRUE)
out2 <- RunningCov(x, y, circular = FALSE)
plot(out1, type = "l"); points(out2, col = "red")</pre>
```

RunningL2Norm

Fast Running L2 Norm Computation

#### **Description**

Computes running L2 norm between two sequences in a fixed width window, whose length corresponds to the length of the shorter sequence. Uses convolution via Fast Fourier Transform.

#### Usage

```
RunningL2Norm(x, y, circular = FALSE)
```

# **Arguments**

x numeric sequence

y numeric sequence, of equal or shorter length than x sequence

circular logical; whether running L2 norm is computed assuming circular nature of x

sequence (see Details)

# Details

Computes running L2 norm between two sequences in a fixed width window. The length of a window is equal to the shorter of the two sequences (y), and window "runs" over the length of longer sequence (x).

Parameter circular determines whether x sequence is assumed to have a circular nature. Assume  $l_x$  is the length of sequence x,  $l_y$  is the length of shorter sequence y.

If circular equals TRUE then

- output sequence length equals  $l_x$ ,
- first element of the output sequence corresponds to sample L2 norm between x[1:1\_y] and y,
- last element of the output sequence corresponds to sample L2 norm between  $c(x[1_x], x[1:(1_y 1)])$  and y.

If circular equals FALSE then

- output sequence length equals  $l_x l_y + 1$ ,
- first element of the output sequence corresponds to sample L2 norm between x[1:1\_y] and y,
- last element of the output sequence corresponds to sample L2 norm between  $x[(1_x 1_y + 1):1_x]$ .

RunningMean

#### Value

numeric sequence

#### **Examples**

```
x <- sin(seq(0, 1, length.out = 1000) * 2 * pi * 6)
y1 <- x[1:100] + rnorm(100)
y2 <- rnorm(100)
out1 <- RunningL2Norm(x, y1)
out2 <- RunningL2Norm(x, y2)
plot(out1, type = "1"); points(out2, col = "blue")</pre>
```

RunningMean

Fast Running Mean Computation

# **Description**

Computes running sample mean of a sequence in a fixed width window. Uses convolution via Fast Fourier Transform.

# Usage

```
RunningMean(x, W, circular = FALSE)
```

# **Arguments**

x numeric sequence

W numeric; width of x sequence window

circular logical; whether running sample mean is computed assuming circular nature of

x sequence (see Details)

# **Details**

Parameter circular determines whether x sequence is assumed to have a circular nature. Assume  $l_x$  is the length of sequence x, W is a fixed length of x sequence window.

If circular equals TRUE then

- output sequence length equals  $l_x$ ,
- first element of the output sequence corresponds to sample mean of x[1:W],
- last element of the output sequence corresponds to sample mean of  $c(x[1_x], x[1:(W-1)])$ .

If circular equals FALSE then

- output sequence length equals  $l_x W + 1$ ,
- first element of the output sequence corresponds to sample mean of x[1:W],
- last element of the output sequence corresponds to sample mean of  $x[(1_x W + 1):1_x]$ .

# Value

numeric sequence

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#### **Examples**

```
x <- rnorm(1000)
RunningMean(x, 100)
length(RunningMean(x, 100, circular = FALSE))
length(RunningMean(x, 100, circular = TRUE))</pre>
```

RunningSd

Fast Running Standard Deviation Computation

#### **Description**

Computes running sample standard deviation of a sequence in a fixed width window. Uses convolution via Fast Fourier Transform.

#### Usage

```
RunningSd(x, W, circular = FALSE)
```

# **Arguments**

x numeric sequence

W numeric; width of x sequence window

circular logical; whether running sample standard deviation is computed assuming cir-

cular nature of x sequence (see Details)

#### **Details**

Parameter circular determines whether x sequence is assumed to have a circular nature. Assume  $l_x$  is the length of sequence x, W is a fixed length of x sequence window.

If circular equals TRUE then

- output sequence length equals  $l_x$ ,
- first element of the output sequence corresponds to sample standard deviation of x[1:W],
- last element of the output sequence corresponds to sample standard deviation of  $c(x[1_x], x[1:(W-1)])$ .

If circular equals FALSE then

- output sequence length equals  $l_x W + 1$ ,
- first element of the output sequence corresponds to sample standard deviation of x[1:W],
- last element of the output sequence corresponds to sample standard deviation of  $x[(1_x W + 1):1_x]$ .

# Value

numeric sequence

#### **Examples**

```
x <- rnorm(1000)
RunningSd(x, 100)
length(RunningSd(x, 100, circular = FALSE))
length(RunningSd(x, 100, circular = TRUE))</pre>
```

8 Running Var

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Fast Running Variance Computation

# **Description**

Computes running sample variance of a sequence in a fixed width window. Uses convolution via Fast Fourier Transform.

#### Usage

```
RunningVar(x, W, circular = FALSE)
```

# **Arguments**

x numeric sequence

W numeric; width of x sequence window

circular logical; whether running sample variance is computed assuming circular nature

of x sequence (see Details)

#### **Details**

Parameter circular determines whether x sequence is assumed to have a circular nature. Assume  $l_x$  is the length of sequence x, W is a fixed length of x sequence window.

If circular equals TRUE then

- output sequence length equals  $l_x$ ,
- first element of the output sequence corresponds to sample variance of x[1:W],
- last element of the output sequence corresponds to sample variance of  $c(x[1_x], x[1:(W-1)])$ .

If circular equals FALSE then

- output sequence length equals  $l_x W + 1$ ,
- first element of the output sequence corresponds to sample variance of x[1:W],
- last element of the output sequence corresponds to sample variance of  $x[(1_x W + 1):1_x]$ .

# Value

numeric sequence

# Examples

```
x <- rnorm(1000)
RunningVar(x, 100)
length(RunningVar(x, 100, circular = FALSE))
length(RunningVar(x, 100, circular = TRUE))</pre>
```

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